

Optimal - given Scoring Scheme.

Dot matrix + BLAST = misalignments

GWAS \rightarrow genetic Risk factor identification for diseases.
(AD, diabetes). \rightarrow SNP identification.

GWAS \rightarrow 2 groups. (case, control).

$$\begin{array}{l} H_S \text{ minor variant} \\ \quad \triangleright \text{SNP} \\ H_N \text{ major variant} \end{array} \quad \begin{array}{l} \text{OR} = \frac{\text{Odds of minor}}{\text{Odds of major variant}} \\ = \frac{D_S/H_S}{D_N/H_N} \end{array}$$

$\{ \text{OR} > 1 \rightarrow$ increase of minor variant

$= 1 \rightarrow$ no association

$< 1 \rightarrow$ decrease of minor variant.

Slide 7/45 \rightarrow see slides for table

$$\begin{aligned} \text{OR} &= \frac{D_S/H_S}{D_N/H_N} \\ &= \frac{2104/2676}{1836/3321} = 1.3871. \end{aligned}$$

OR P-value $\rightarrow (\chi^2 \text{ or Fisher's exact test})$

Fisher's test \rightarrow

	B_1	B_2	
A_1	$\begin{matrix} \boxed{a} \\ \hline \end{matrix}$	b	$a+b$
A_2	c	d	$c+d$
	$a+c$	$b+d$	n

drawn from [a+b]

$$P\text{-value} = \sum_{i=a}^{a+b} \frac{\binom{a+b}{i} \binom{c+d}{a+c-i}}{\binom{n}{a+c}}$$

Fisher's exact test can only be calculated for $\binom{n}{k}$ ^{difficult to calculate} ~~to calculate~~ small numbers

Pearson invented the χ^2 -test to account for larger numbers. Deviance calculated using the hypergeometric distribution.

Bonferroni: $\frac{\alpha}{\# \text{ hypothesis}}$

$\begin{matrix} \text{CACT} \\ \text{GTCC} \\ \in T^k G \end{matrix}$

Quantifying variation between sequences.

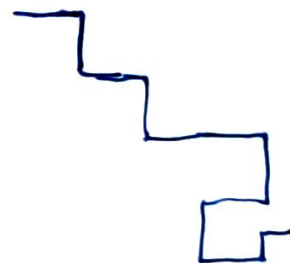
Markovian process is memoryless.

Substitution rate matrix:

$$Q = \begin{matrix} T \\ C \\ A \\ G \end{matrix} \begin{bmatrix} \dots & 0(\text{sum}) \\ \dots & 0(\text{sum}) \\ \dots & 0(\text{sum}) \\ \dots & 0(\text{sum}) \end{bmatrix}$$

$$\tau = k \times \Delta t$$

$$P(X > T) = (1 - \alpha \Delta t)^k = (1 - \alpha \Delta t)^{\tau / \Delta t} = \left(\underbrace{(1 - \alpha \Delta t)}_{\rightarrow 0} \right)^{\frac{\tau}{\Delta t}}$$



$$\lim_{\Delta t \rightarrow 0} = e^{-\alpha \tau} \quad e^x = \lim_{n \rightarrow \infty} \left(1 + \frac{x}{n}\right)^n$$