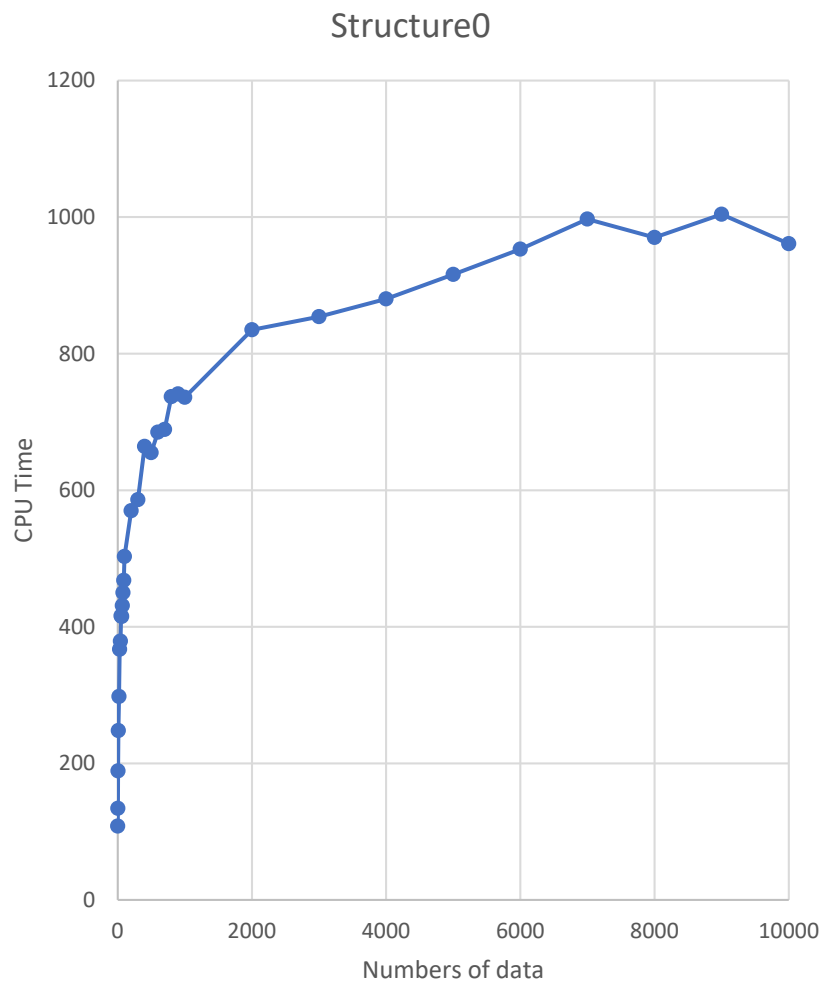


Project 4

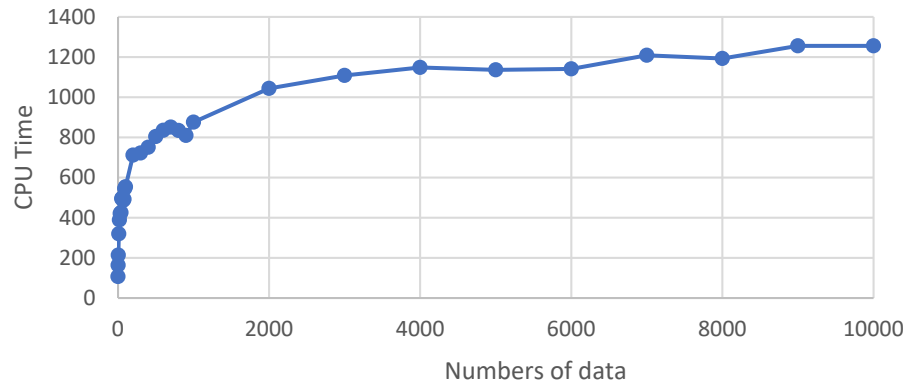
Kepei Lei & PJ Mara



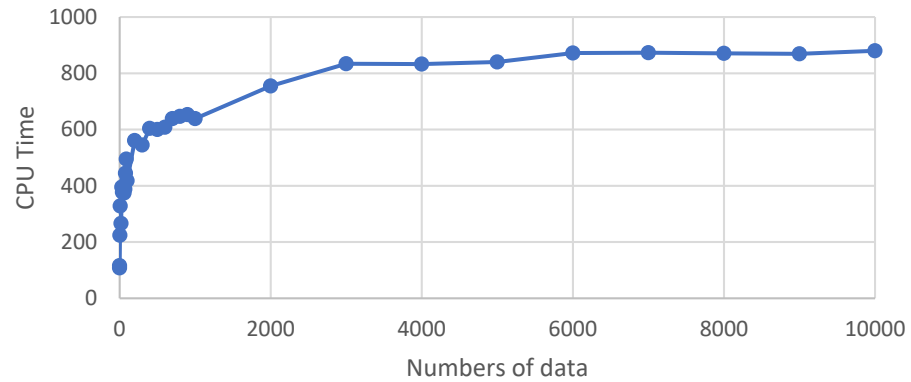
Structure 0: add

$O(\log(n))$

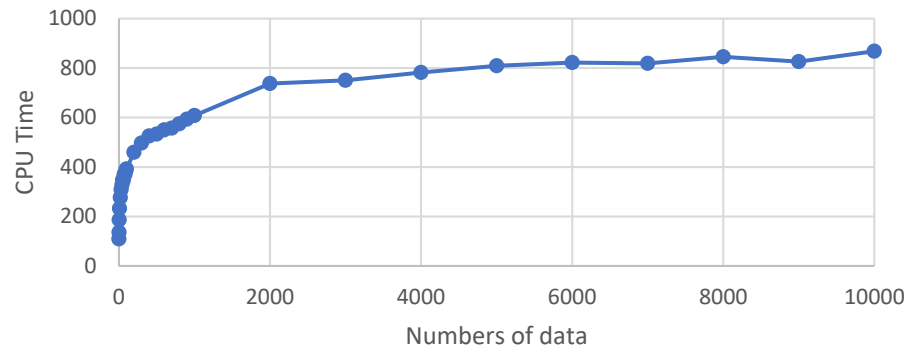
Structure0 last



Structure0 first



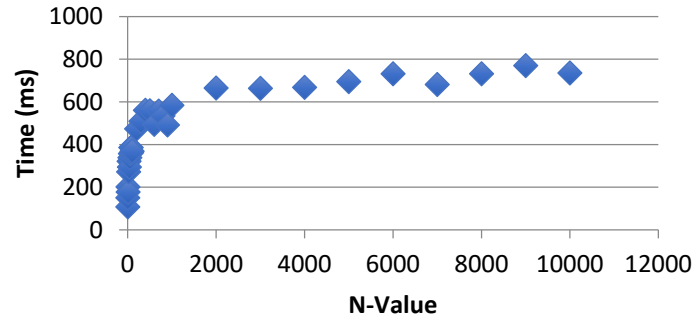
Structure0 average



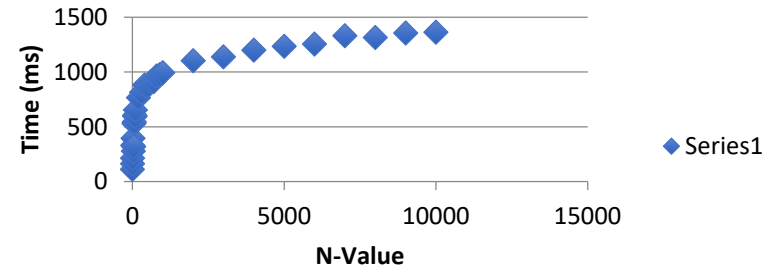
Structure 0: remove

- Last: $O(\log(n))$
- First: $O(\log(n))$
- Average: $O(\log(n))$

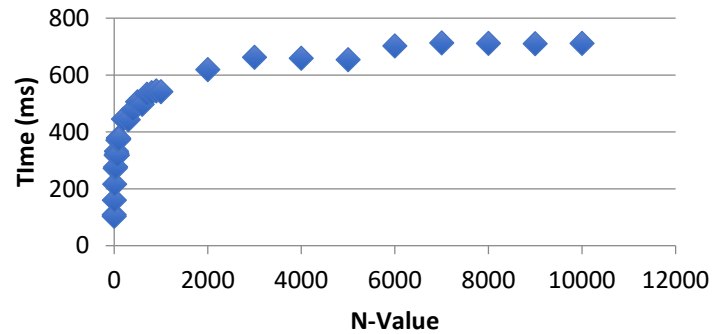
Average Case- Structure[0]



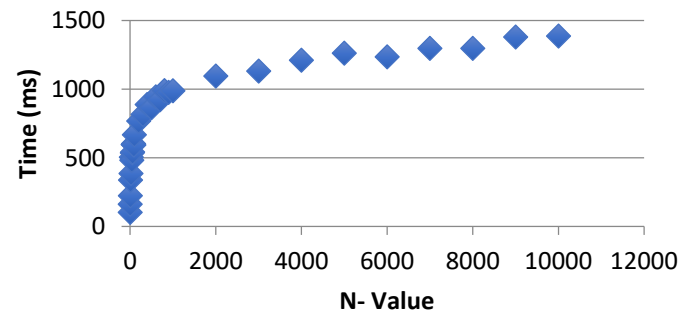
Biggest - Structure[0]



D.N.E - Structure[0]



Smallest- Structure [0]



Structure 0: contains

Average: $O(\log(n))$

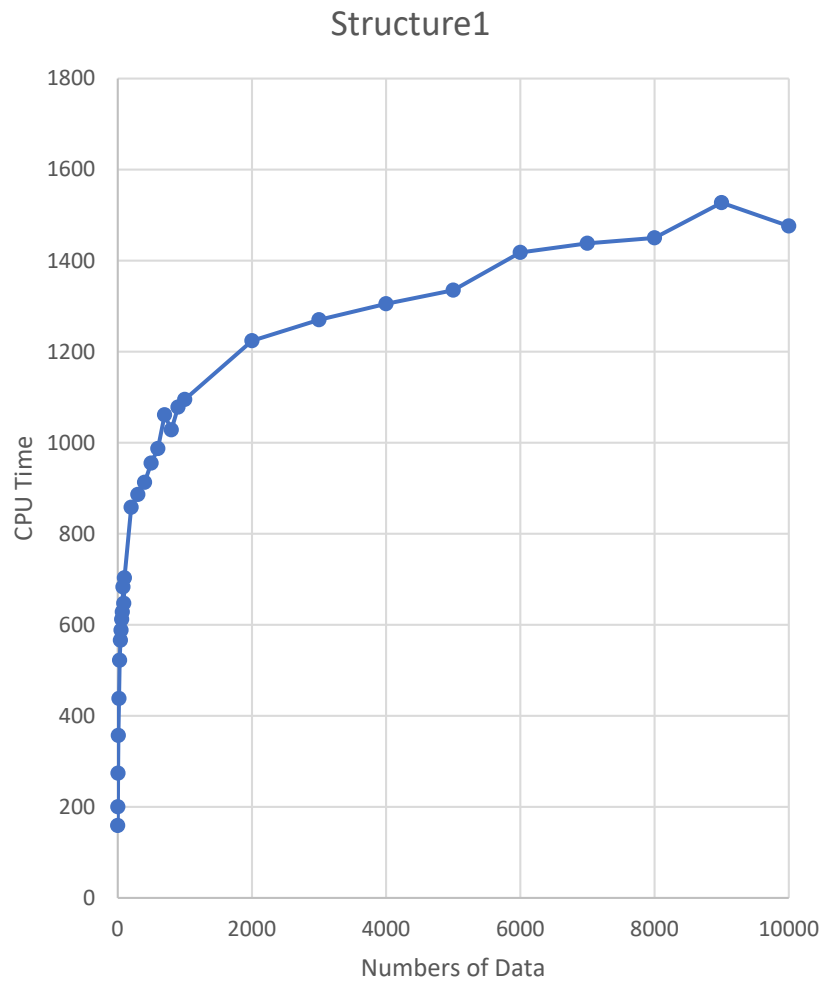
Last(biggest): $O(\log(n))$

First(smallest): $O(\log(n))$

N+1(D.N.E): $O(\log(n))$

Conclusion

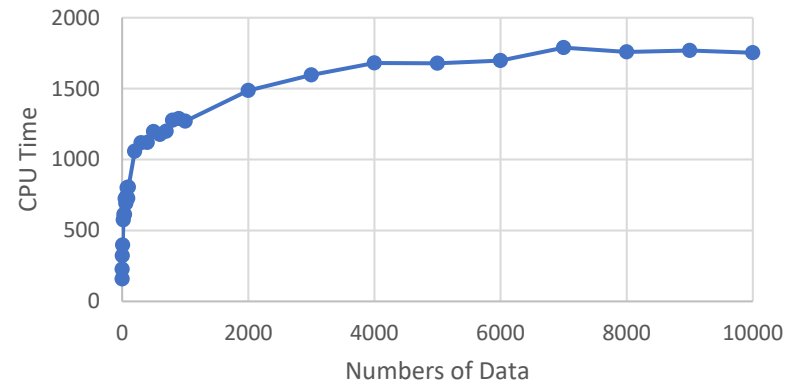
- Structure 0 is a self-balancing Binary Search Tree
- $O(\log(n))$ everything



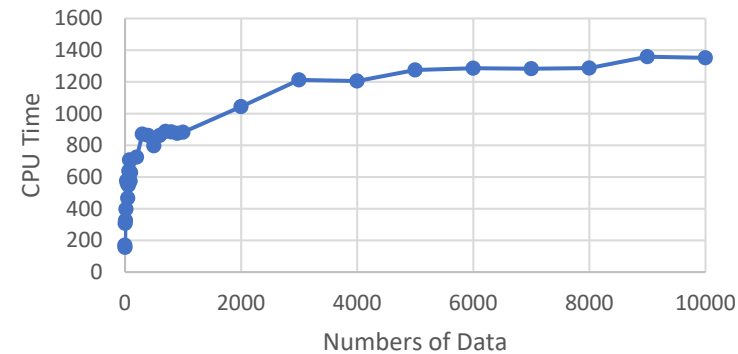
Structure 1: add

$O(\log(n))$

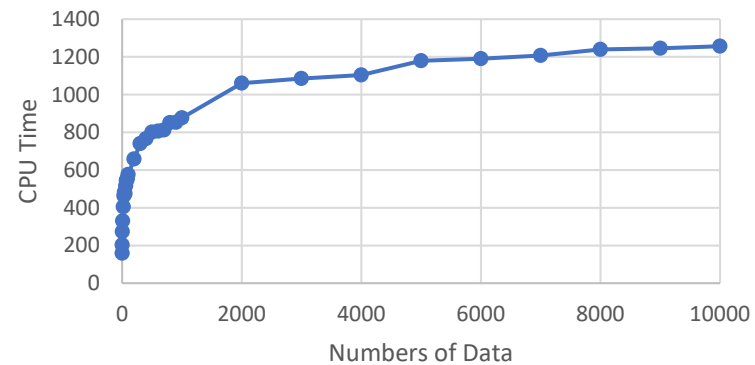
Structure1 last



Structure1 first



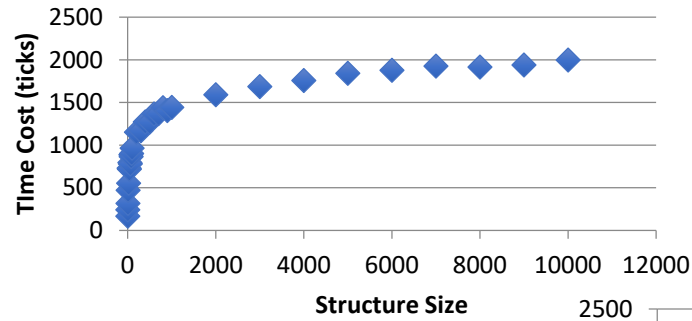
Structure1 average



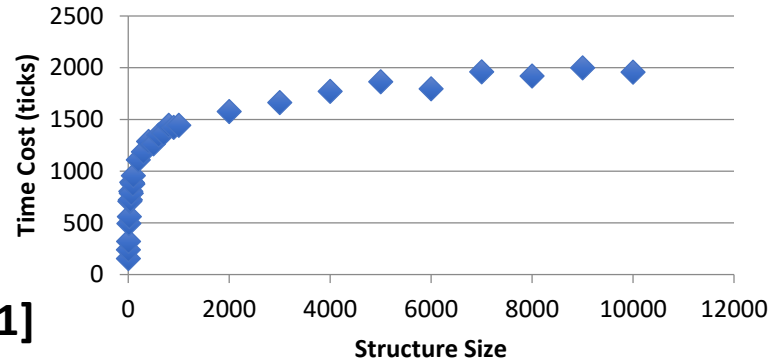
Structure 1: remove

- Last: $O(\log(n))$
- First: $O(\log(n))$
- Average: $O(\log(n))$

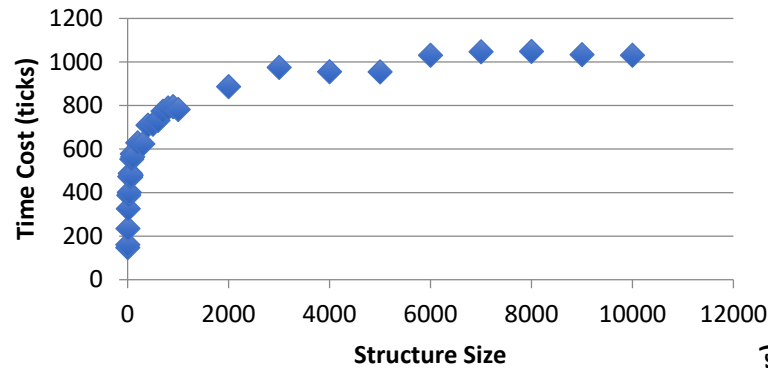
D.N.E. - Structure[1]



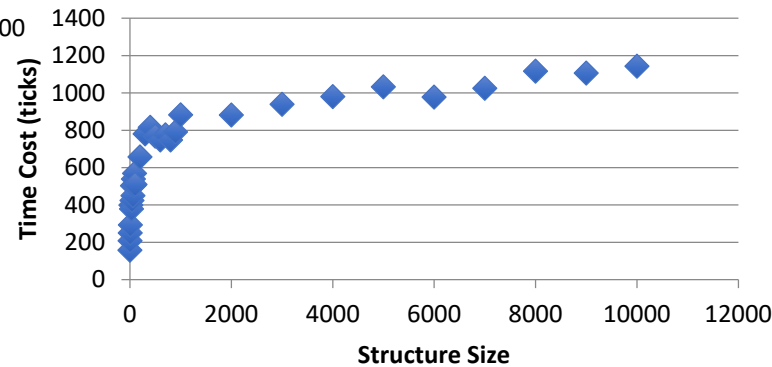
First - Structure[1]



Last - Structure[1]



Average - Structure[1]



Structure 1: contains

Average: $O(\log(n))$

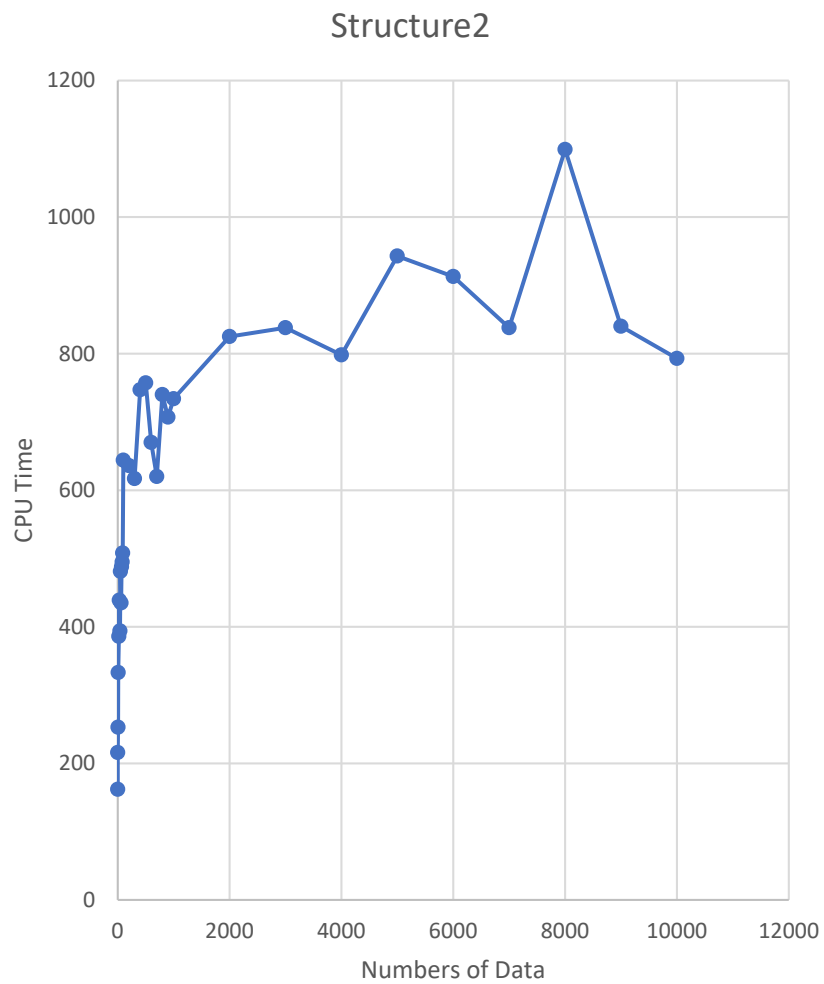
Remove last(biggest): $O(\log(n))$

Remove first(smallest): $O(\log(n))$

Remove N+1(D.N.E): $O(\log(n))$

Conclusion

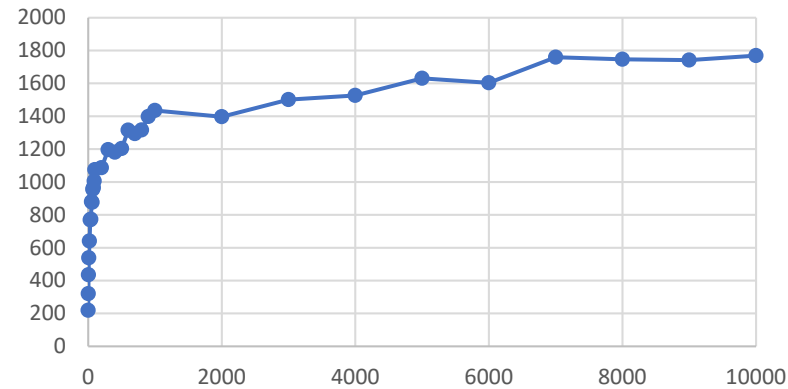
- Structure 1 is a self-balancing Binary Search Tree
- Still $O(\log(n))$ everything
- Another one!?



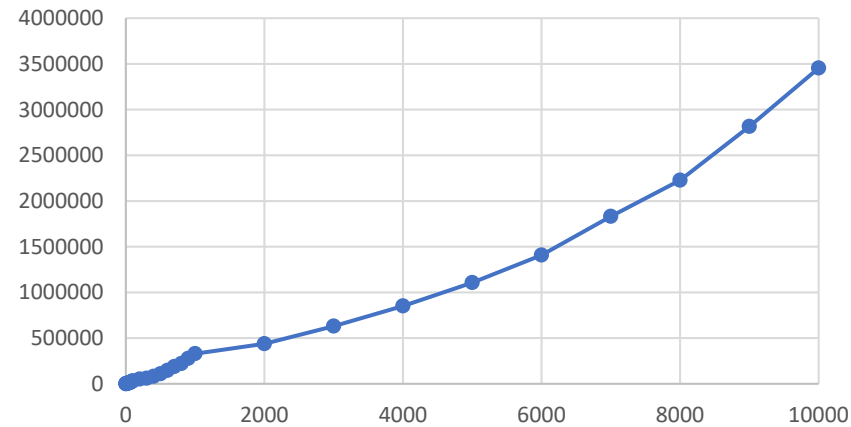
Structure 2: add

$O(\log(n))$

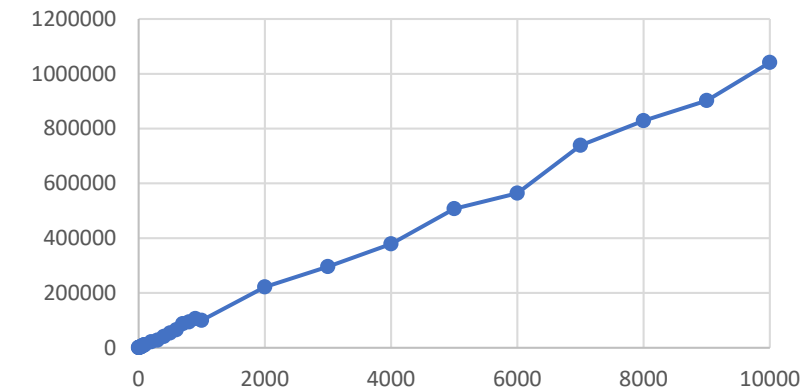
Structure2 last



Structure2 first



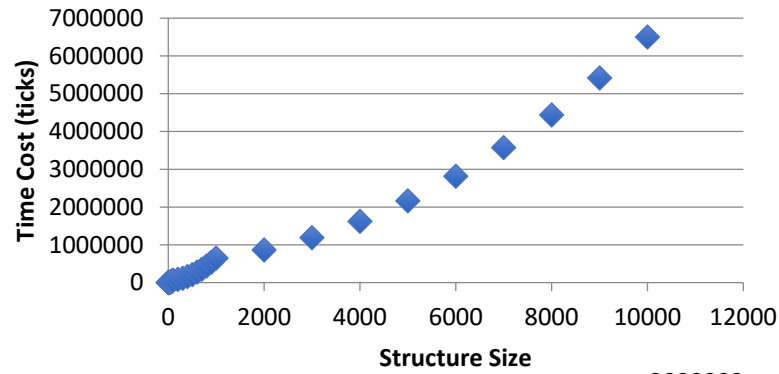
Structure2 average



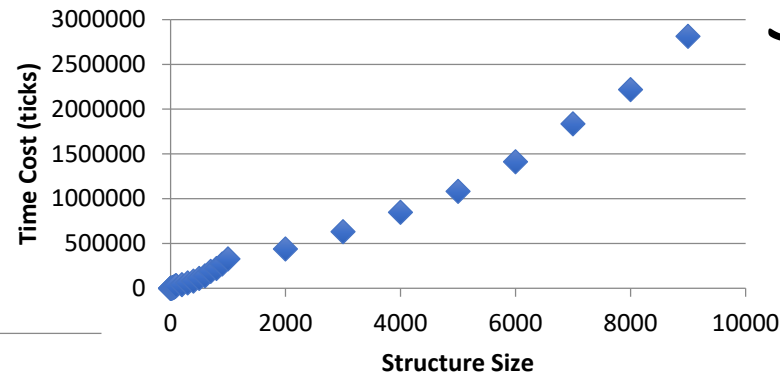
Structure 2: remove

- Last: $O(\log(n))$
- First: $O(n)$
- Average: $O(n)$

D.N.E. - Structure[2]



First - Structure[2]



Structure 2: contains

Average: $O(n)$

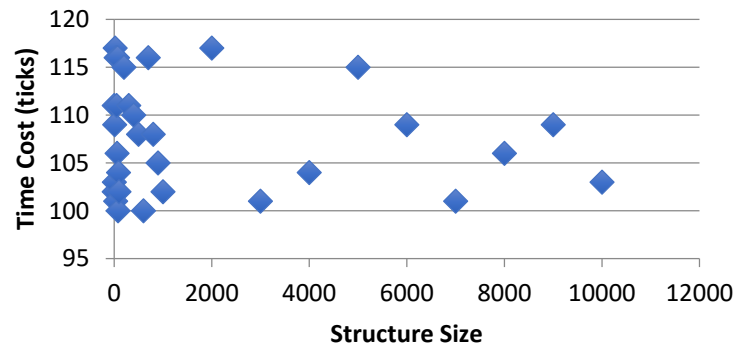
(with a jump)

Remove last(biggest): $O(n)$

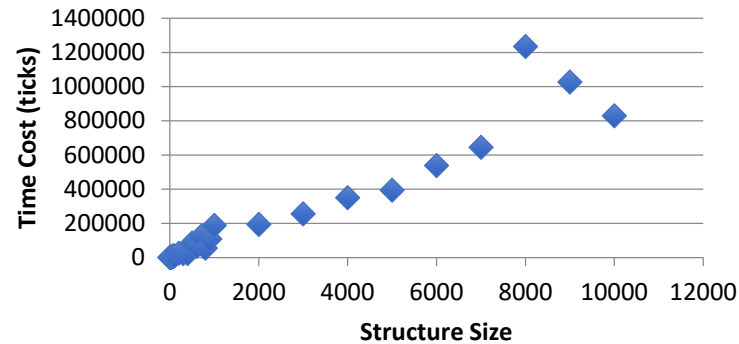
Remove first(smallest): $O(1)$

Remove N+1(D.N.E): $O(n)$

Last - Structure[2]



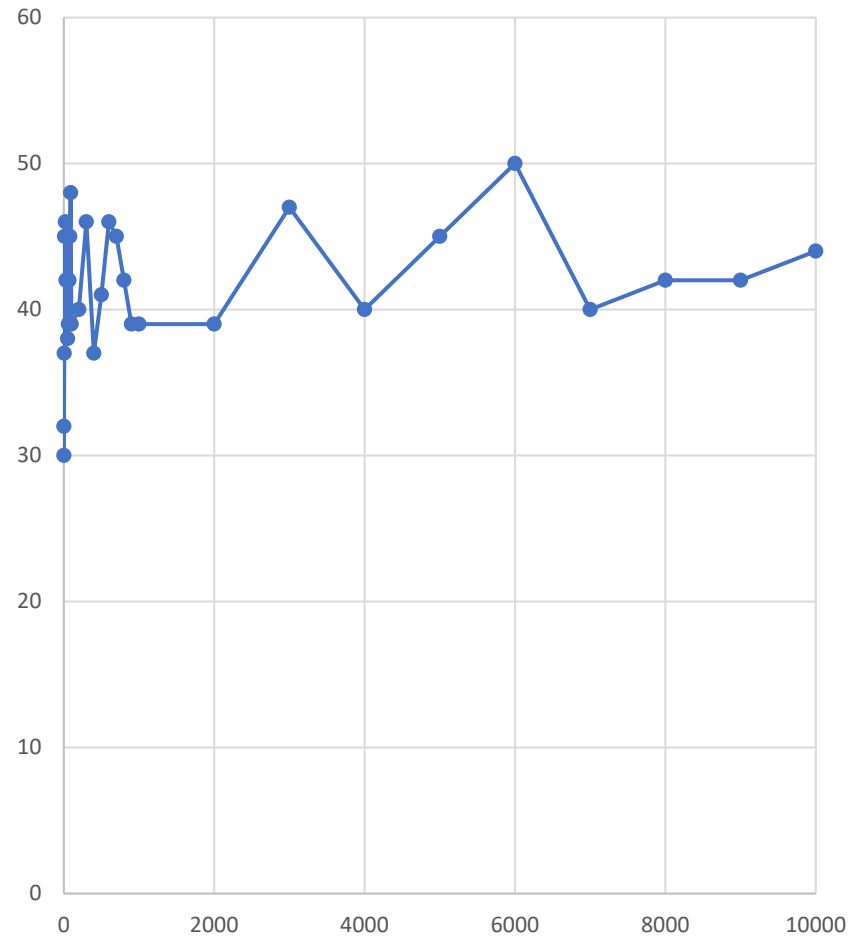
Average Case- Structure[2]



Conclusion

- Structure 2 is a Heap
- $O(1)$ for finding the largest
- $O(\log n)$ for removing the largest
- $O(n)$ for other find and remove cases

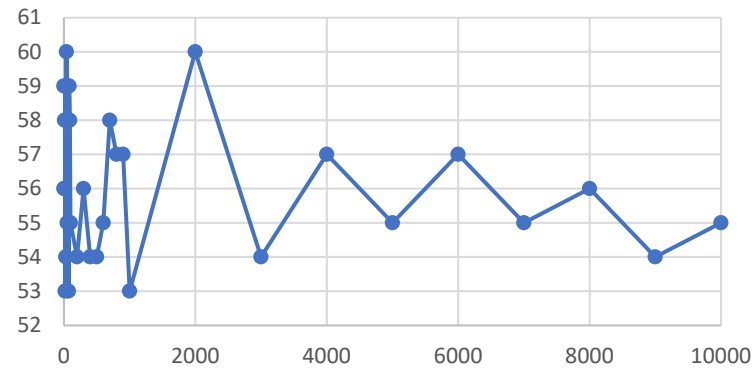
Structure 3



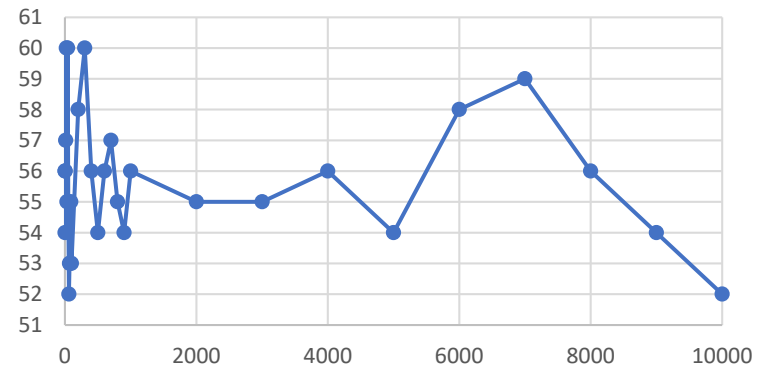
Structure 3: add

$O(1)$

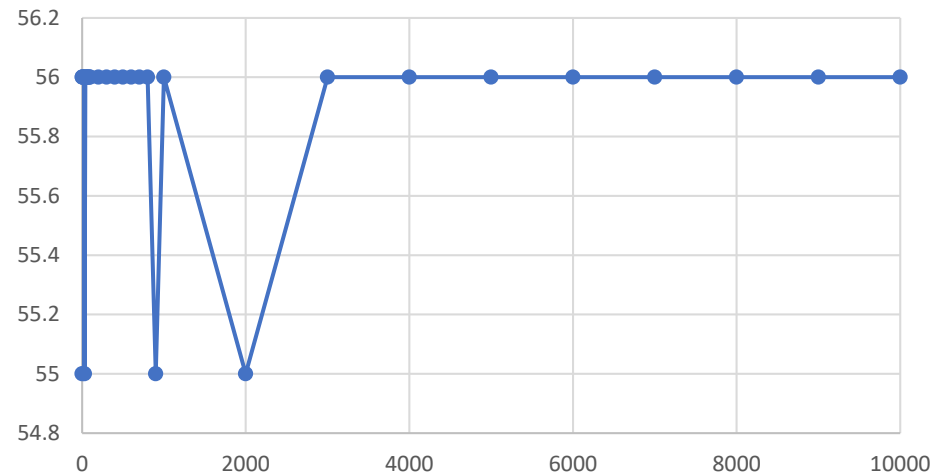
Structure3 last



Structure3 first



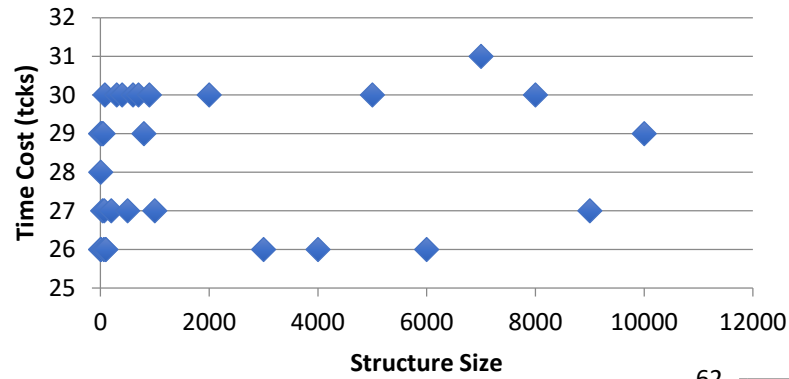
Structure3 average



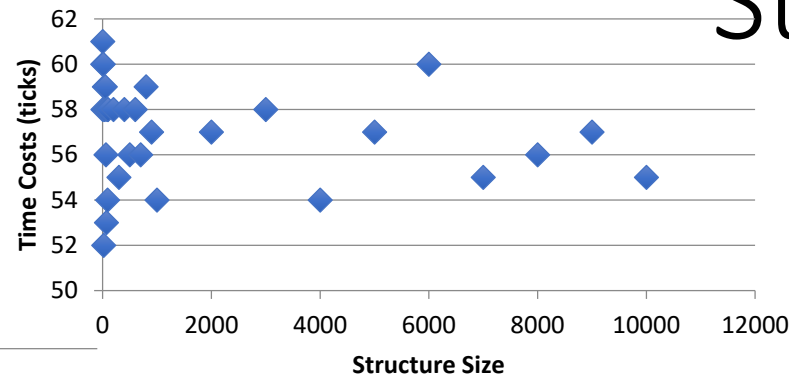
Structure 3: remove

- Last: $O(1)$
- First: $O(1)$
- Average: $O(1)$

D.N.E. Case- Structure[3]



Last - Structure[3]



Structure 3: contains

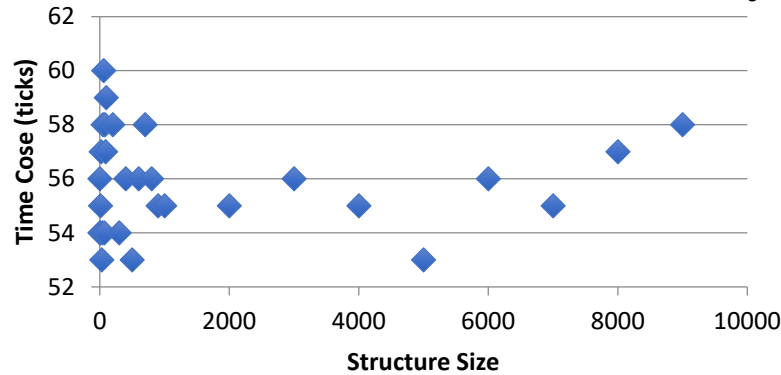
Average: $O(1)$

Remove last(biggest): $O(1)$

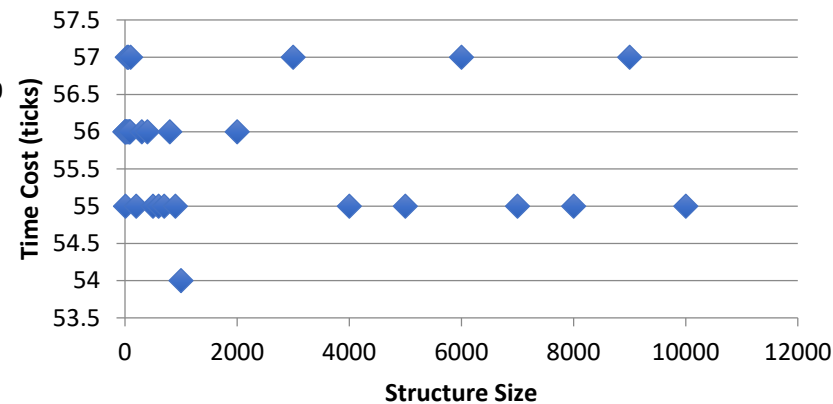
Remove first(smallest): $O(1)$

Remove N+1(D.N.E): $O(1)$

First- Structure[3]



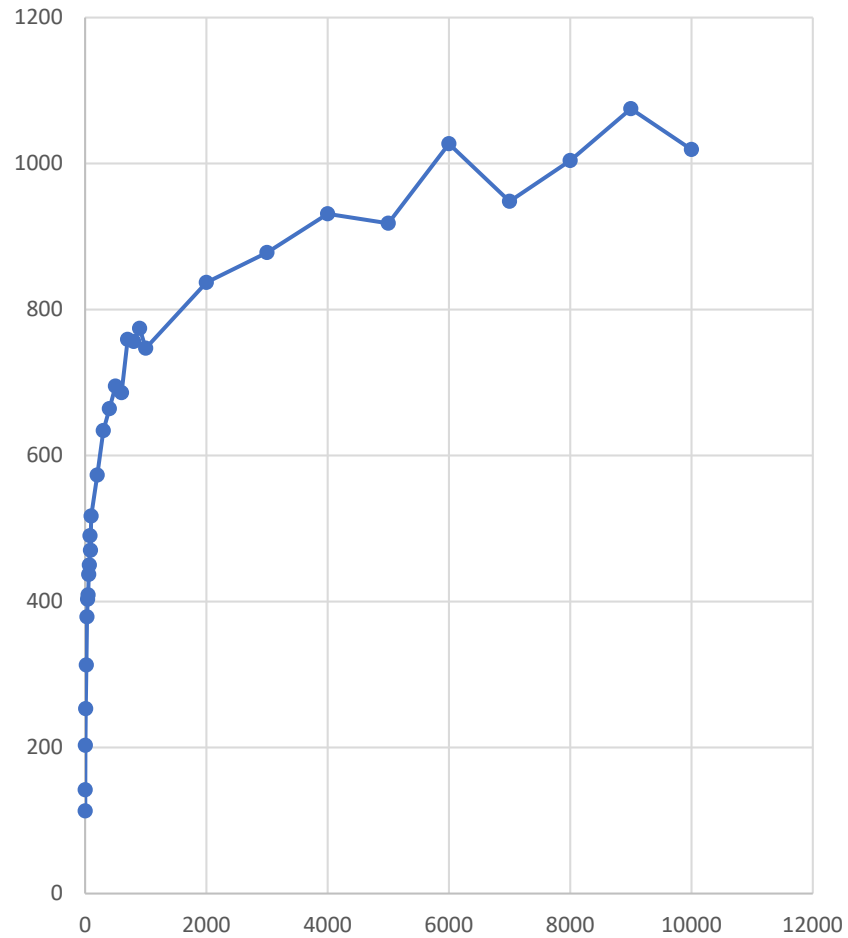
Average Case- Structure[3]



Conclusion

- Structure 3 is a HashSet
- Everything is $O(1)$!!!

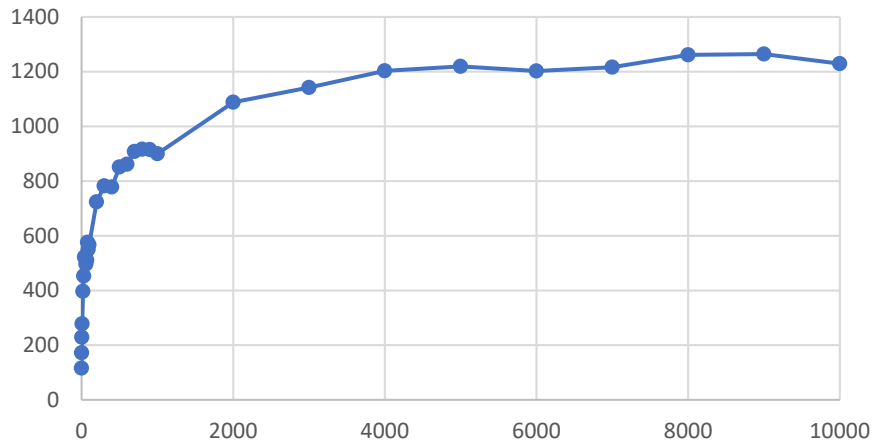
Structure4



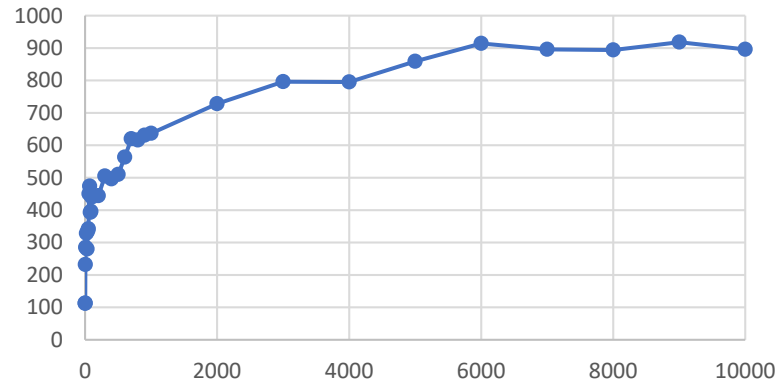
Structure 4: add

$O(\log(n))$

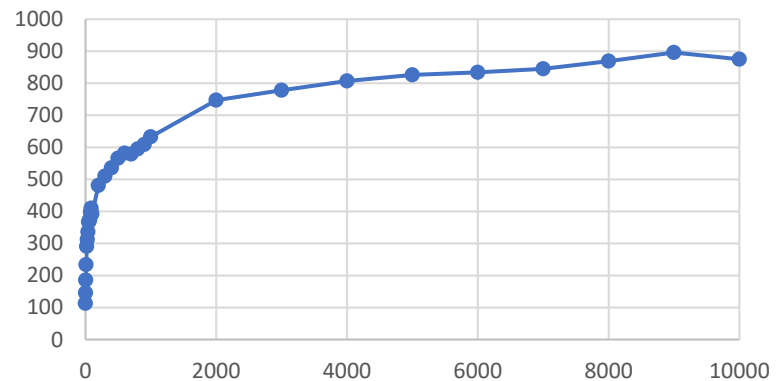
Structure4 last



Structure4 first



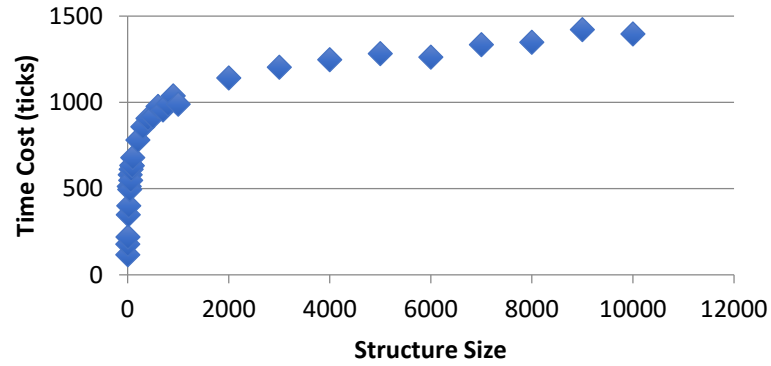
Structure4 average



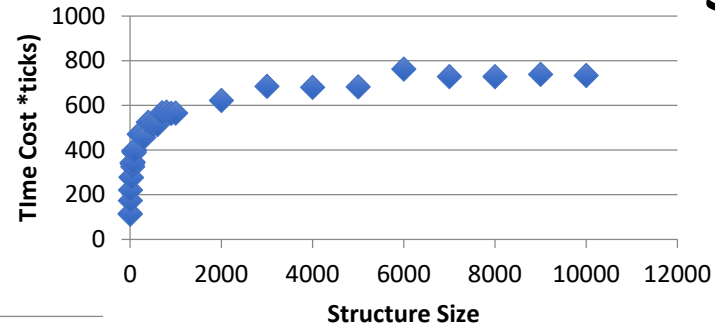
Structure 4: remove

- Last: $O(\log(n))$
- First: $O(\log(n))$
- Average: $O(\log(n))$

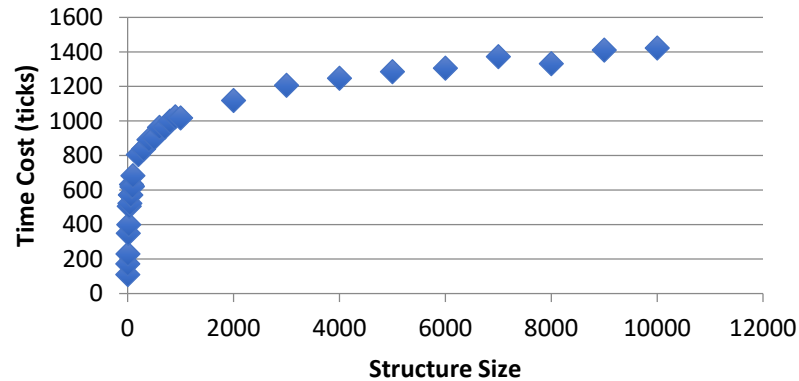
D.N.E. Case- Structure[4]



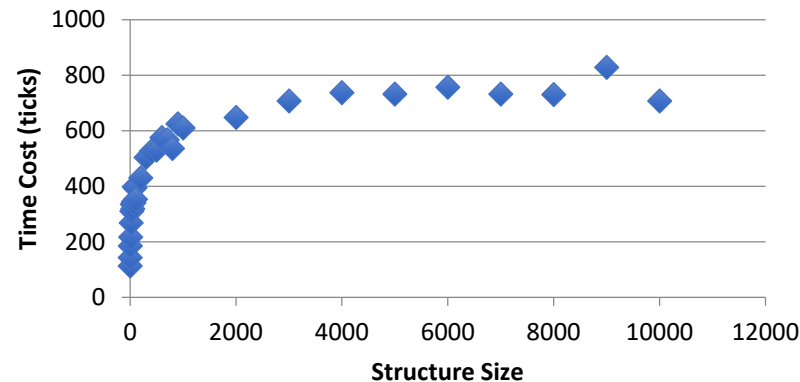
Last - Structure[4]



First - Structure[4]



Average Case- Structure[4]



Structure 4: contains

Average: $O(\log(n))$

Remove last(biggest): $O(\log(n))$

Remove first(smallest): $O(\log(n))$

Remove N+1(D.N.E): $O(\log(n))$

Conclusion

- Structure 4 is a Binary Search Tree
- Everything is $O(\log(n))$
- Again?????????