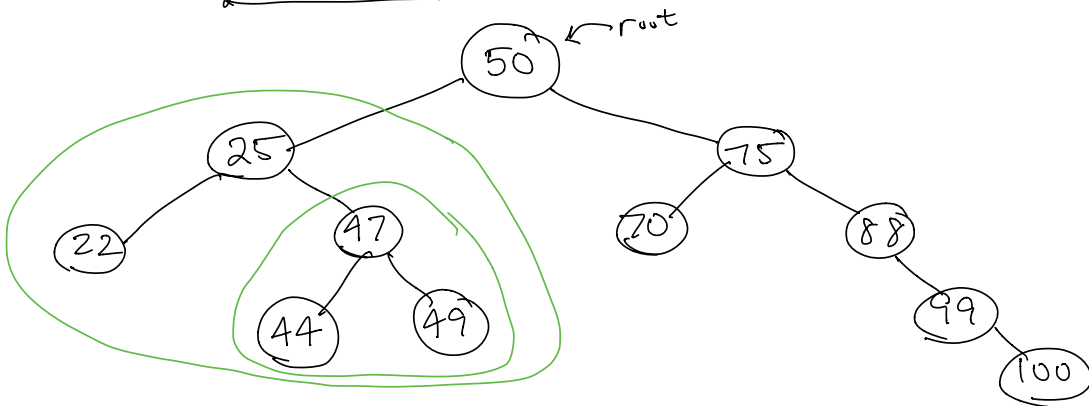
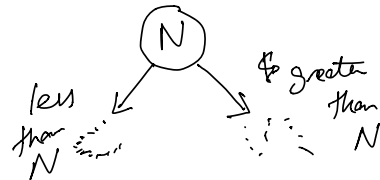


Binary Search Tree

- A binary search tree (BST) is a specific kind of binary tree.
- To be a BST, every node N in the tree must satisfy:

— The left child of N and all further descendent nodes must have values less than N .

— The right child of N and all of its descendants must have values greater than N .



Why are BST's so cool?

Imagine I want to know if 44 is in this BST.

Search

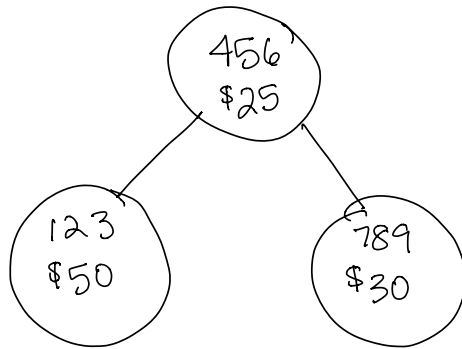
```
boolean search(node, searchKey) {  
    if searchKey == node.data // if node == null return false;  
        then return true;  
    elif searchKey < node.data  
        return search(node.left, searchKey)  
    else  
        return search(node.right, searchKey)
```

Implement a MAP w/ a BST

Example: Keys: Bank Acct #s
 Values: balances (\$)

Suppose I have 3 accts: 123 \rightarrow \$50
 456 \rightarrow \$25
 789 \rightarrow \$30

Keys become the numbers that you search for. These are the items that obey the BST rules.

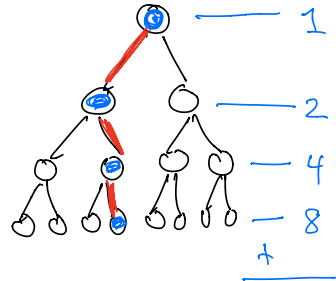


Why is searching a BST faster than searching an Array list or a LL?

Array lists: $O(n)$

Linked lists: $O(n)$

BST: $O(\log n)$

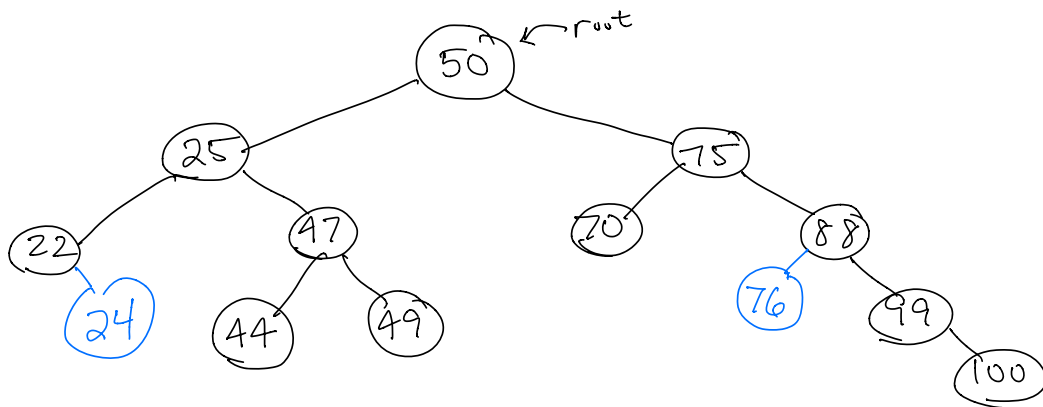


max # of comparisons = 4

$\log_2(n)$ where $n=16 \rightarrow 4$

$\log_2(n)$ where $n=32 \rightarrow 5$

Adding to a BST (put/insert)



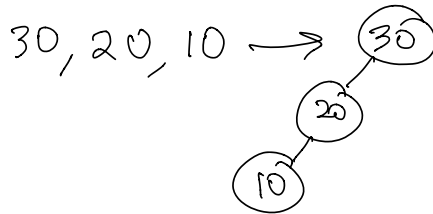
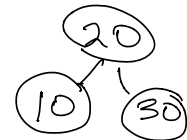
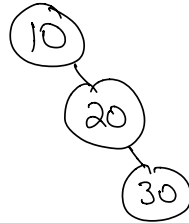
Add: 76

Add: 24

10, 20, 30 → Add these #s to an empty BST in order.

Add 20:

Add 30:



→ 20, 10, 30

→ 20, 30, 10