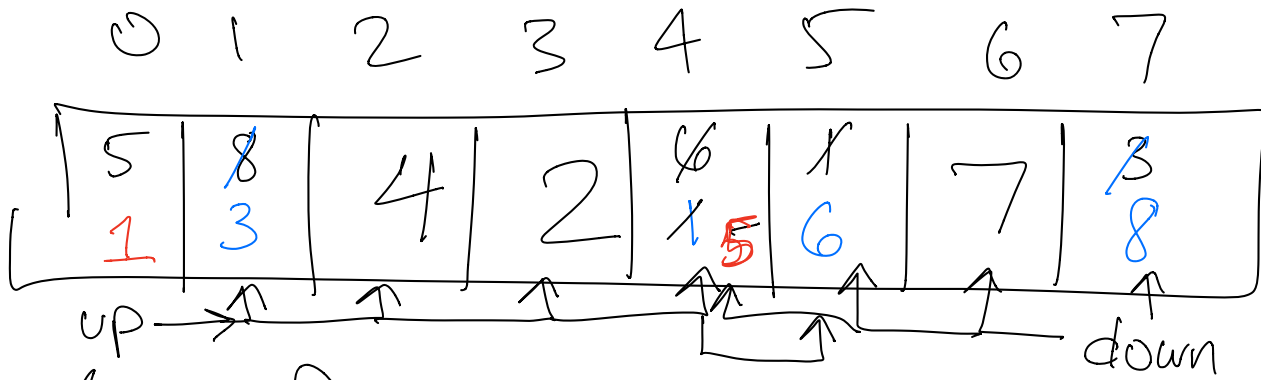


Finish Quicksort



qs(array)

qs(array, 0, 7)

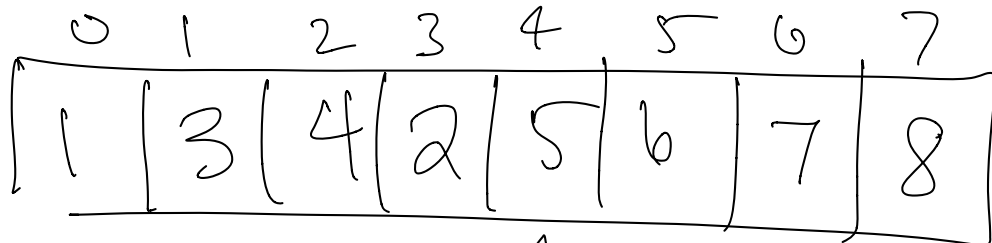
partition(array, 0, 7)

pivot = 5

Swap pos 1 & 7

Swap pos 4 & 5

Swap pivot (pos 0) & pos 4



↑
pivot

return down = 4

└ qS(array, 0, 3)

└ partition(array, 0, 3)

0	1	2	3					
1	3	4	2	5	6	7	8	
↑	↑	↑	↑					
up			down					

pivot = 1

Swap pivot (pos 0)

with pos 0

return down(0)

└ qS(array, 0, -1)

└ qS(array, 1, 3)

Priority Queue

Cross between a stack & a queue.

Stack - LIFO (last in, first out)

Queue - FIFO (first in, first out)

Priority queue - order that items come out in
controlled by a numerical priority.

A	priority = 10
B	priority = 15
C	pri = 12
D	pri = 5
E	pri = 20
F	pri = 7

Assume that higher #s
take priority

order that they are helped

B (15)

E (20)

C (12)

A (10)

F (7)

D (5)

Priority queue (ADT)

insert (item, priority) → Adds a new item to our priority queue
w/ the given priority.

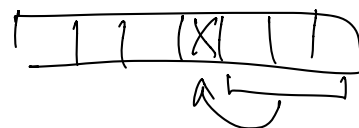
deleteMax() → Retrieves the highest priority item in the PQ.
& deletes it.

Ex

→ Array list (unsorted)

↳ insert $O(n)$

↳ deleteMax $O(n)$



→ Hash table

Key = Name
Value = Priority

Key = Priority
Value = Name

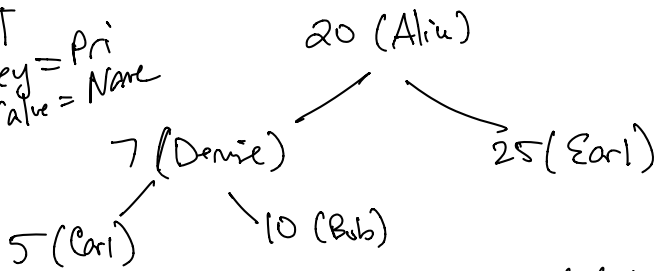
insert → $O(1)$

deleteMax → $O(n)$

insert → $O(1)$

deleteMax → $O(n)$

BST
 Key = Pri
 Value = Name



20	→	Alice
7	→	Denise
10	→	Bob
5	→	Carl
25	→	Earl

insert
 $O(\log n)$

delete Max
 $O(\log n)$

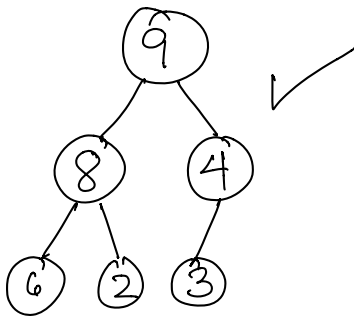
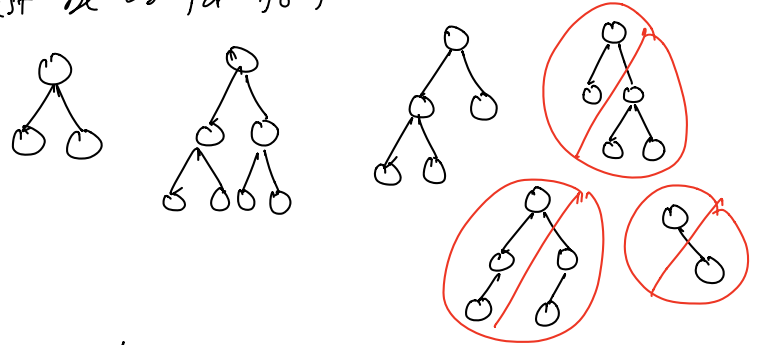
Heap

- A heap is a binary tree.
 w/ some rules:

- It is "complete"

- The item stored
 at each node must
 be \geq the items
 at both children.
 (Heap-order property)

(every level of the tree is completely full,
 except for possibly the bottom level & if
 the bottom level is not full, all the items
 must be as far to the left as possible)



delete Max

Always @ the root. $\rightarrow O(\log n)$

insert $\rightarrow O(\log n)$