

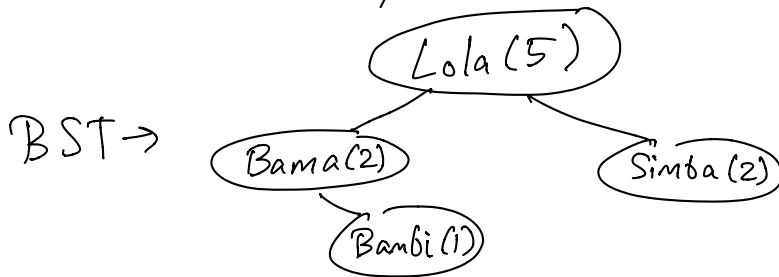
# Hashing, Day 2

Concept that we use to implement Maps/Sets.

In a perfect world, hash tables → lead to maps/sets that can run in  $O(1)$  time.

"Hash Function" → takes an item that you're trying to store in the map/set, gives you back an integer.

→ In Java, this is called `hashCode()`.



(Key) Name	(Value) Age	Hashcode for Name
Lola	5	41
Simba	2	73
Bama	2	50
Bambi	1	26
Schatzi	1	92
Karbon	1	34
Biscuit	9	18
Tucker	10	65
Karma	11	77

Hash table      ArrayList (of size 5)

[0]	Bama(2)
[1]	Lola(5)
[2]	
[3]	Simba(2)
[4]	

get("Lola") → `hashCode("Lola")`  
→  $41 \% 5 \rightarrow 1$

put(<sup>Key, Value</sup> Lola, 5)

`hashCode("Lola")` → 41

Take remainder of hashcode  
÷ size of the table.

$41 \% 5 = 1$  index in the hash table

## Hash function

Goal: to make up an integer that combines as many pieces of the data as possible.

- Idea - Add up all the unicode #s for each letter in a string.

$\frac{"L"}{\#} + \frac{"o"}{\#} + \frac{"l"}{\#} + \frac{"a"}{\#}$

$= [?] \left. \begin{array}{l} \text{hashCode("abc")} \\ \text{hashCode("cba")} \end{array} \right\} \text{collision}$

### Unicode

"A" → 65

"a" → 97

- Idea 2.0  $\rightarrow$  Take just the unicode code for position [0] in the string.

- Idea 3.0  $\rightarrow$

hashCode("abc")  $\rightarrow$  97

hashCode("cba")  $\rightarrow$  99

code for [0] + (code for index [1])

## Collisions?

$\rightarrow$  Either when 2 pieces of data have the same hashCode.

$\rightarrow$  or, when (after you % size of table)  $\rightarrow$  get the same index.

## Open Addressing

We are going to allow items in the hashtable to be stored at a different index than what the hashCode function tells us.

### $\rightarrow$ Linear Probing

When there is a collision, store the item at the following index  
 $\rightarrow$  if you want to store something at index  $i$  & it's full, try  ~~$i+1$~~   $i+1$ ,  $i+2$ ,  $i+3$  ....

0	Bama (2)
1	Lola (5)
2	Bambi (1)
3	Simba (2)
4	null

hashCode("Bambi")  $\rightarrow 26 \% 5$   
 $\rightarrow 1$

get("Bambi")  $\rightarrow 26 \% 5 \rightarrow 1$

(Key)	(Value)	hashCode for Name
Name	Age	
Lola	5	41
Simba	2	73
Bama	2	50
Bambi	1	26
Schatzi	1	92
Karbon	1	34
Biscuit	9	18
Tucker	10	65
Karma	11	77

# Alg for linear probing to add an item into a hashtable

put(key, value)

compute index by taking  $\text{hashcode}(\text{key}) \% \text{size of table}$

if  $\text{table}[\text{index}] == \text{null}$

store (key, value) at  $\text{table}[\text{index}]$

else if  $\text{table}[\text{index}]$  is full

check if  $\text{table}[\text{index}] == \text{key}$

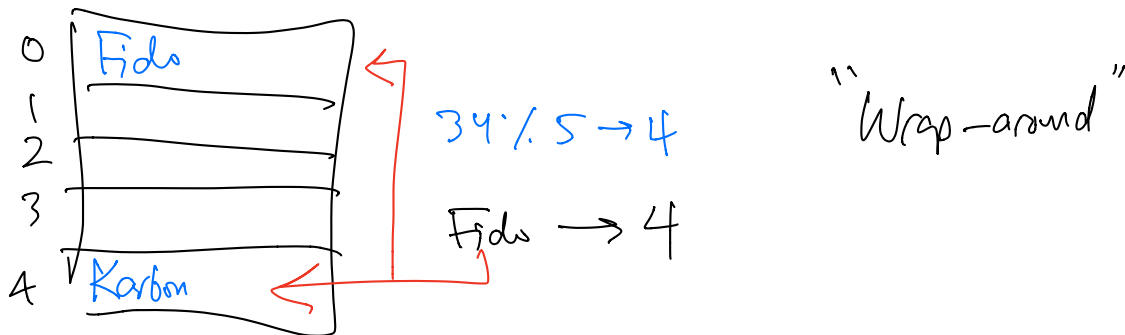
replace the old value w/ the new one

if  $\text{table}[\text{index}] \neq \text{key}$

increment index by 1.

Try again.

loop to keep incrementing until we find a null slot, with wrap-around.

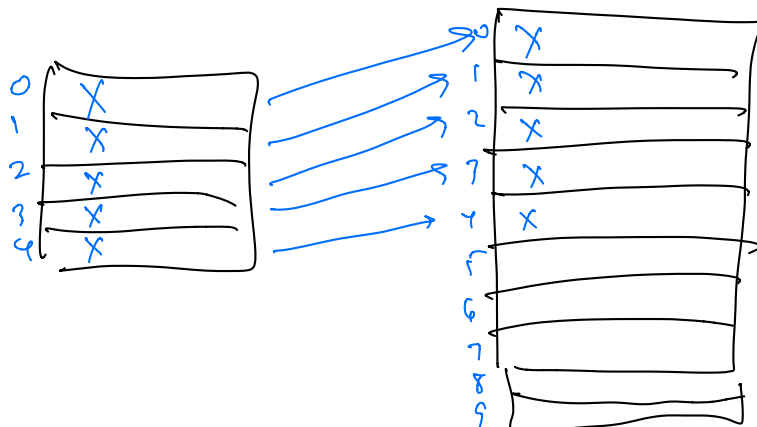


What happens when the array fills up?

Rehashing

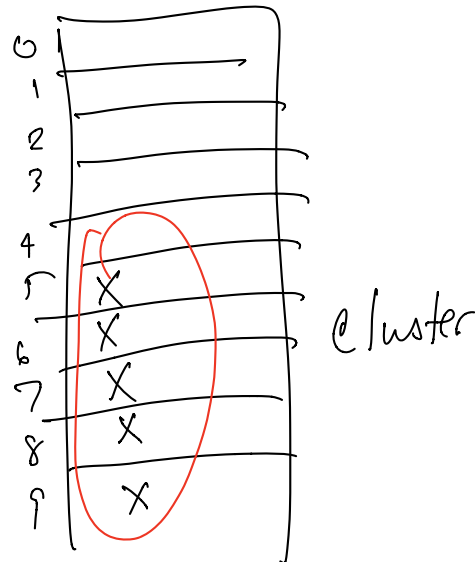
Make a new table w/ a bigger size.

Rehash all items into the new table.



Linear probing often causes "clusters"

5, 6, 5, 6, 7



Find  $\rightarrow$  5

Quadratic probing  $\rightarrow$  designed to break up clusters.

Linear probing  $\rightarrow i, i+1, i+2, i+3, i+4, \dots$   
 all consecutive  $\rightarrow$  clusters

Quadratic  $\rightarrow i, i+1, i+4, i+9, i+16, \dots$

Add the square of each number

