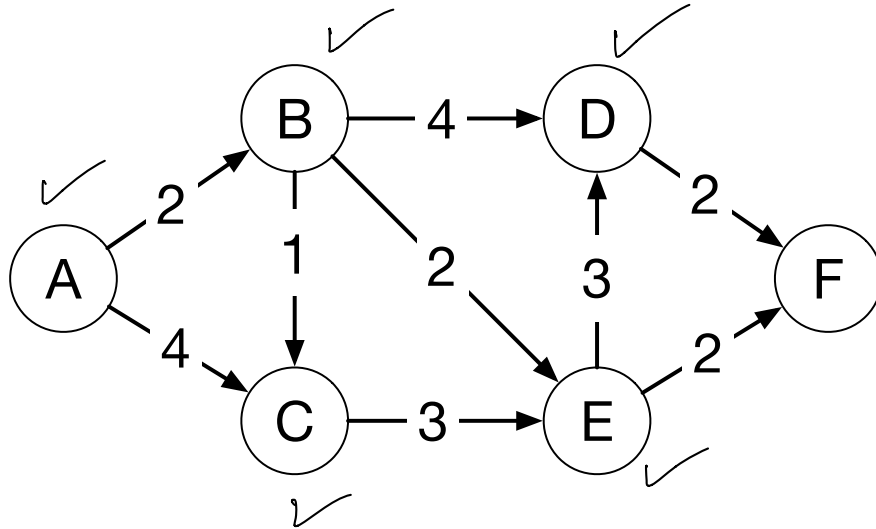


Find the shortest path from A to F.

Priority queue



~~(A, 0)~~  
~~(B, 2)~~  
~~(C, 4)~~ (C, 3)  
~~(D, 6)~~  
~~(E, 4)~~ (F, 6)

Order that we visit vertices: A, B, C, E, D, F

$\begin{matrix} u & v \\ A & \rightarrow B \end{matrix}$

Dist table  
dist[A]:  ~~$\infty$~~  0

Prev table  
prev[A]: X

dist[u]? 0  
 weight(u, v) = 2  
 alt = 0 + 2  
 dist[v]?  $\infty$

dist[B]:  ~~$\infty$~~  2

prev[B]: ~~X~~ A

$\begin{matrix} & & v \\ A & \rightarrow & C \\ u & & v \end{matrix}$

dist[C]:  ~~$\infty$~~  ~~4~~ 3

prev[C]: X ~~A~~ B

dist[u] 0  
 weight = 4  
 $0 + 4 < \infty$

dist[D]:  ~~$\infty$~~  6

prev[D]: X B

dist[E]:  $\infty$  4

prev[E]: X B

dist[F]:  ~~$\infty$~~  6

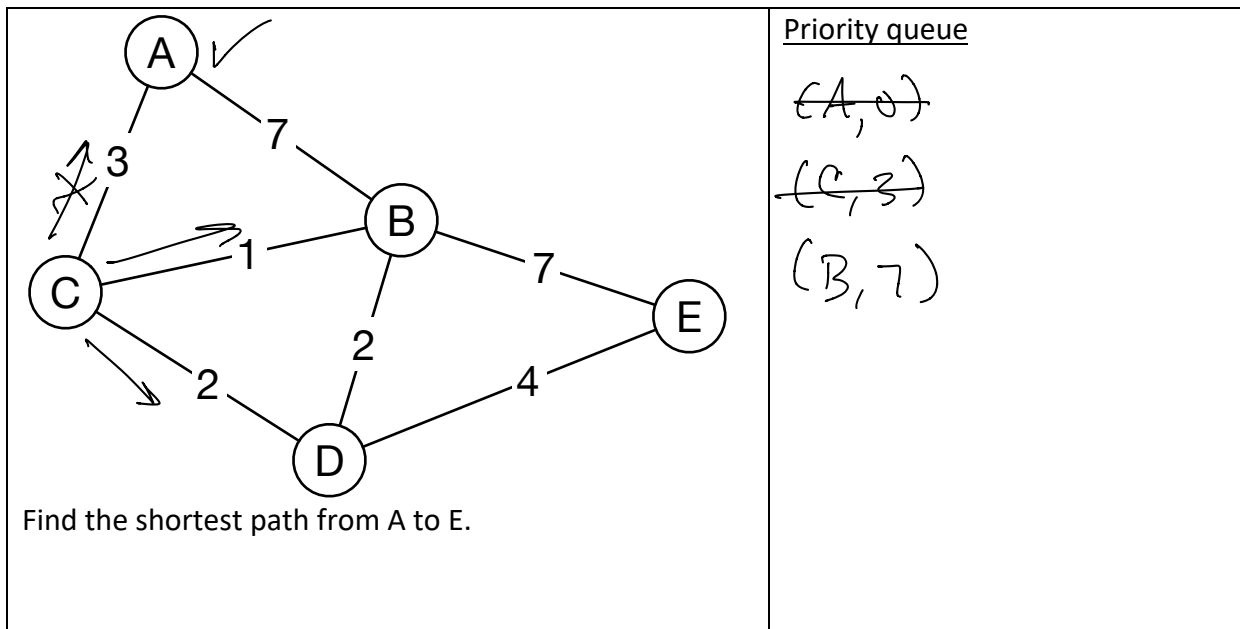
prev[F]: X E

Final shortest path distance: 6

Final shortest path: F - E - B - A Reverse  $\rightarrow$  A B E F

$\begin{matrix} & & v \\ B & \rightarrow & C \\ u & & v \end{matrix}$

$\begin{matrix} e \rightarrow d \\ u & v \end{matrix}$   
 $4 + 3 < 6$  X  
 $\left| \begin{matrix} F \rightarrow F \\ 4 + 2 \\ = 6 \end{matrix} \right| \begin{matrix} u & v \\ C & \rightarrow E \\ 3 + 3 < 4 \end{matrix} \left| \begin{matrix} D \rightarrow F \\ 6 + 2 \\ < 6 \end{matrix} \right| \begin{matrix} dist[u] = 2 \\ weight = 1 \\ 2 + 1 < 4 \end{matrix}$



Order that we visit vertices: A, C, B, D, E

Dist table  
 dist[A]: 0

Prev table  
 prev[A]: X

dist[B]: 4

prev[B]: X A C

dist[C]: 3

prev[C]: X

dist[D]: ∞

prev[D]: X

dist[E]: ∞

prev[E]: X

Final shortest path distance: 9

Final shortest path: A - C - D - E

$$\begin{array}{c}
 C \rightarrow B \\
 u \quad v \\
 \hline
 \text{dist}[u] + \text{weight}(u,v) \\
 < \text{dist}[v] \\
 3 + 1 < 7
 \end{array}$$