#### Technische Universität Darmstadt





# Telekooperation 1: Exercise WS15/16

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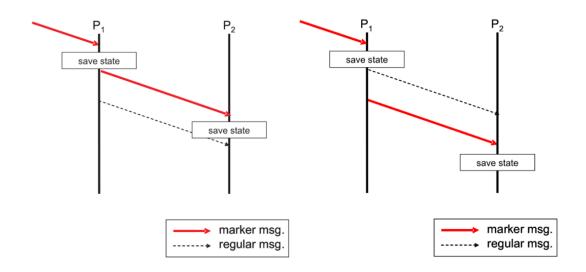


# **TK1 – EXERCISE 4.2.2016**

- Solution 9th Exercise
- 10th (and last) Theory Exercise







Figures 1.I and 1.II both show two processes P1 and P2, whose common state will be determined by using the 'snapshot'-algorithm by Chandy and Lamport. For this, the marker messages and the save state actions are illustrated in figure 1. Which illustration (i.e. 1.I or 1.II) is correct? Explain your decision and give examples for both figures (one example per figure). The examples should show that the recorded state reflects a consistent or inconsistent recorded state, respectively.

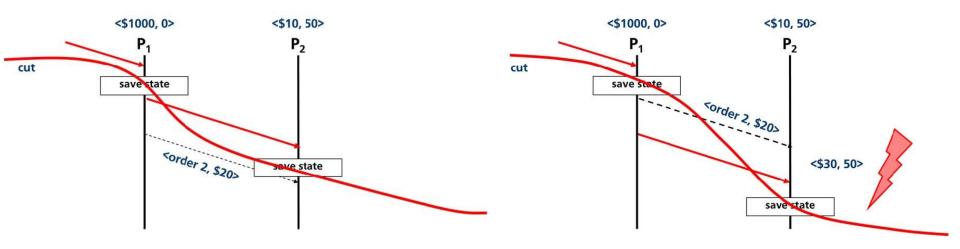
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### Task 1 a)



Consider an online order of two items with a total of \$20



P1: <\$1000, 0> C1: <>

P2: <\$10, 50> C2: <>

→ Consistent global state

P1: <\$1000, 0> C1: <>

P2: <\$30, 50> C2: <>

→ Inconsistent global state





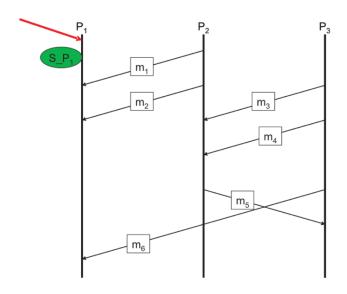


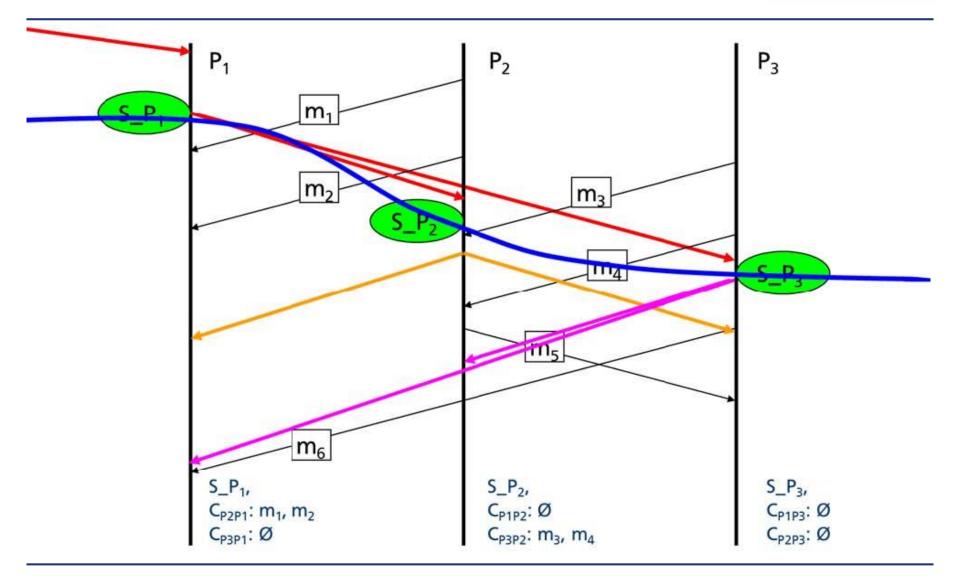
Figure 2 shows the processes P1, P2 and P3, and the messages m1, m2, ..., m6. Process P1 receives a marker message and records its state in S\_P1. Specify two possible recorded states, which might exist upon termination of the algorithm. For both states, sketch the recorded marker messages, as well as the states S\_P2 and S\_P3. A communication channel from process Pi to process Pj is to be designates as C(Pi, Pj).

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## Task 1 b)

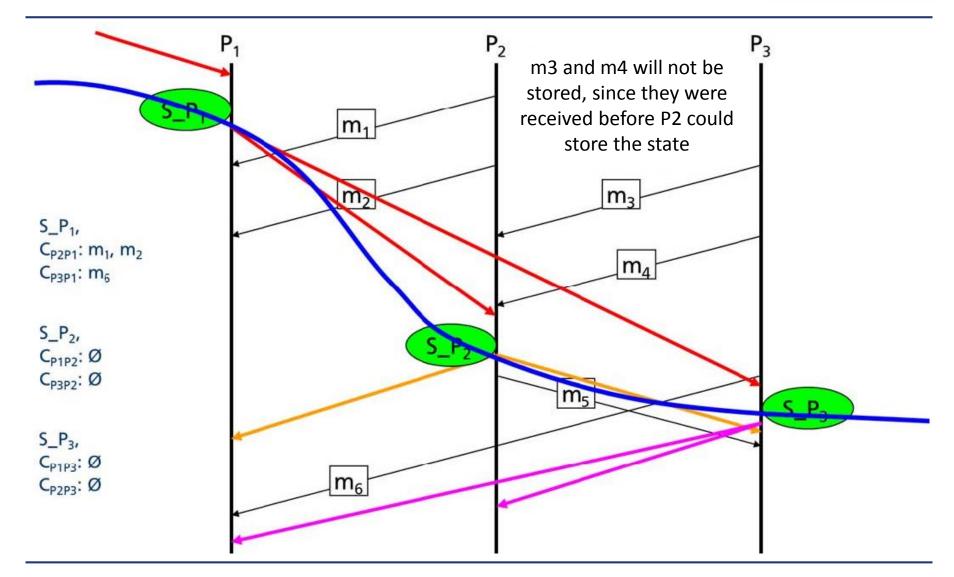






### Task 1 b)









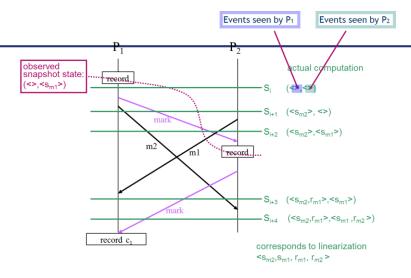


Figure 1: An example of a snapshot after applying the algorithm by Chandy and Lamport.

Figure 3 exemplifies the algorithm by Chandy and Lamport as discussed in the lecture. In addition to the real communication (messages m1 and m2), the figure depicts both marker messages and the recording of the states. The actual global system states are shown on the right, whereas the snapshot state is shown on the left.

Let Sys = s\_m2, s\_m1, r\_m1, r\_m2 be a consistent run that transforms state Si to Si+4. Furthermore, let S\_init = Si and S\_final = Si+4.

- a) Determine the permutation Sys' = e'0 ... such that S\_snap can be reached from S\_init and S\_final from S\_snap, respectively. Specify S\_snap, as well as both pre-snap and post-snap events.
- b) Sketch the communication flow, which arises from Sys'.



### **Snapshots: Chandy-Lamport (Lecture!)**



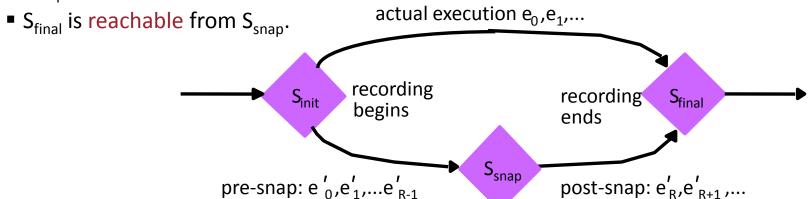
Reachability Theorem: let Sys =  $e_0$ ,  $e_1$ , .. the linearization of a sys. execution

#### Let:

- S<sub>init</sub> the initial global state of the system immediately before Chandy-Lamport snapshot-taking was initiated by the first process,
- S<sub>snap</sub> the recorded snapshot state, and
- S<sub>final</sub> the global system state after the algorithm terminated.

Then: there is a permutation Sys'=  $e'_0$ ,  $e'_1$ , .. of Sys such that

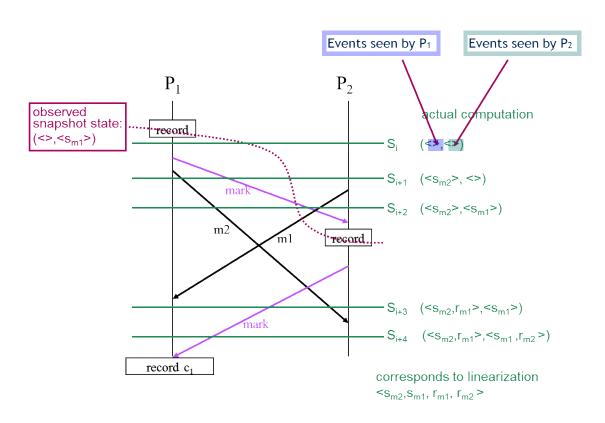
- S<sub>init</sub>, S<sub>snap</sub> and S<sub>final</sub> occur in Sys' and
- S<sub>snap</sub> is reachable from S<sub>init</sub>, and







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pre-snap = 
$$\{s_{m1}\}$$
  
post-snap =  $\{s_{m2}, r_{m1}, r_{m2}\}$ 

Sys = 
$$\langle s_{m2}, s_{m1}, r_{m1}, r_{m2} \rangle$$
  
Sys' =  $\langle s_{m1}, s_{m2}, r_{m1}, r_{m2} \rangle$ 

Figure 3: An example of a snapshot after applying the algorithm by Chandy and Lamport.



#### Task 2 b)



