



Telecooperation Lab  
Prof. Dr. Max Mühlhäuser

## Telekooperation 1: Exercise WS15/16

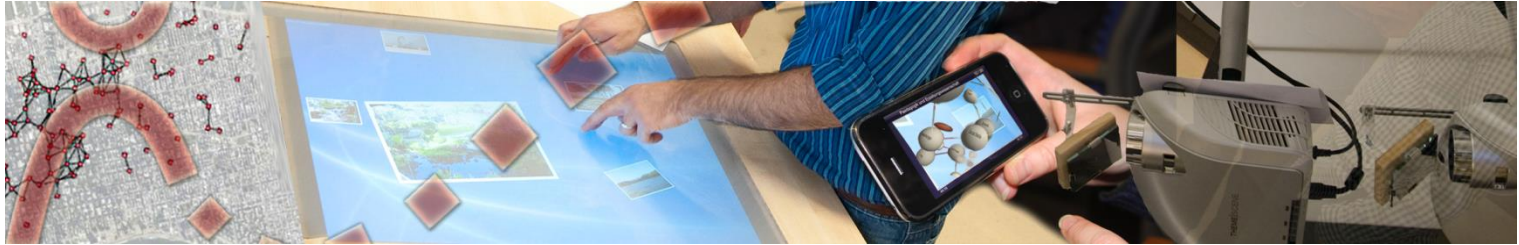
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# TK1 – EXERCISE

## 28.1.2016

- Solution 8th Exercise
- 9th Theory Exercise
- 5th Programming Exercise



## Task 1



- Mention (at least) **two criteria for the correctness in distributed systems**.
- Explain the criteria in one to two sentences and describe (at least) one example of the realization of the criterion.



# Task 1



## ■ Safety

- Properties are kept throughout computation and are always true
- Ensure that a “bad thing” *cannot* happen, e.g. a deadlock

## ■ Liveness

- Guarantees progress computation
- Ensure that a “good thing” *must* happen, e.g. termination



## Task 2



A client  $C$  wants to synchronize with a timeserver  $S$  in the intranet (assume an ideal minimum transmission delay of zero milliseconds). The runtime behavior of its messages (round-trip time) and the resulting timestamp of  $S$  are both stored by  $C$  in the following table:

Round-trip (ms)	Time (HH:MM:SS)
20	15:38:24.765
18	15:38:36.580
22	15:38:49.698

Refer to the algorithm by Cristian to answer the following questions:

- Which entry in the depicted table should  $C$  select to set its local clock?
- How accurate is the time estimate of  $C$  in relation to  $S$ ?
- Which time should  $C$  set to its local clock?

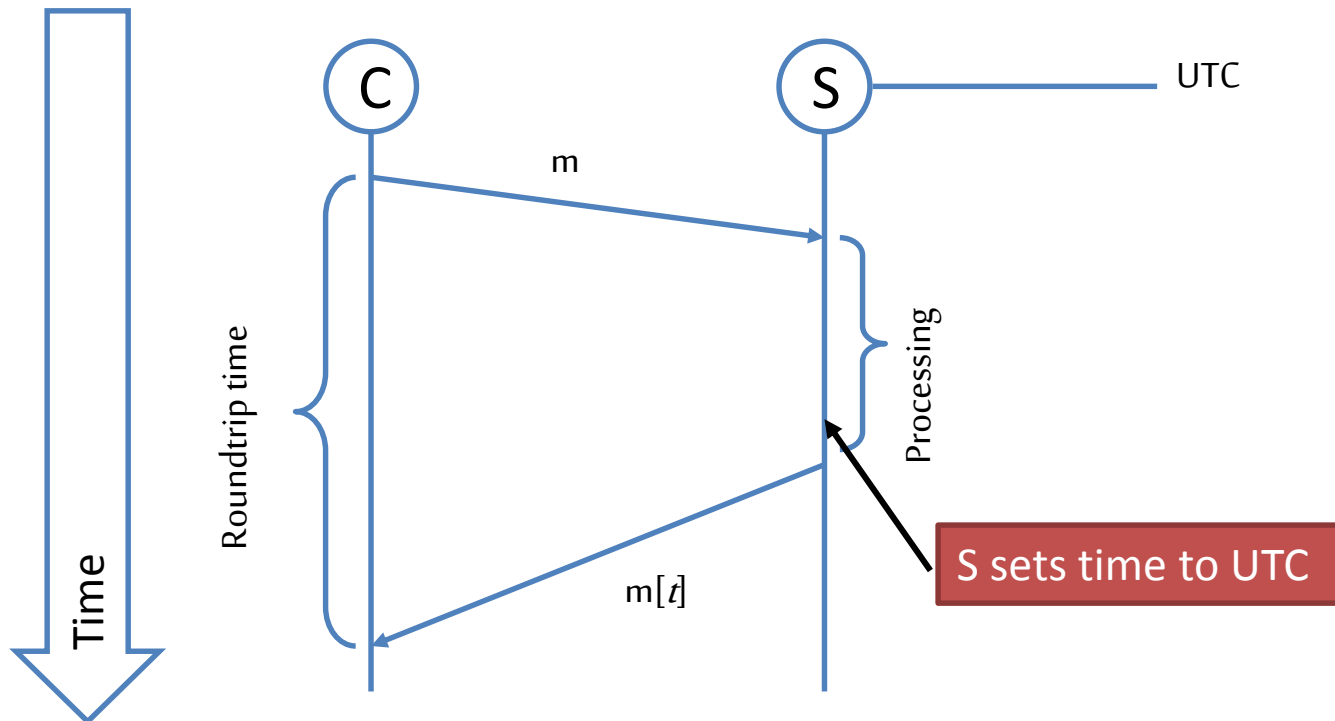


## Task 2



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### ■ General Situation

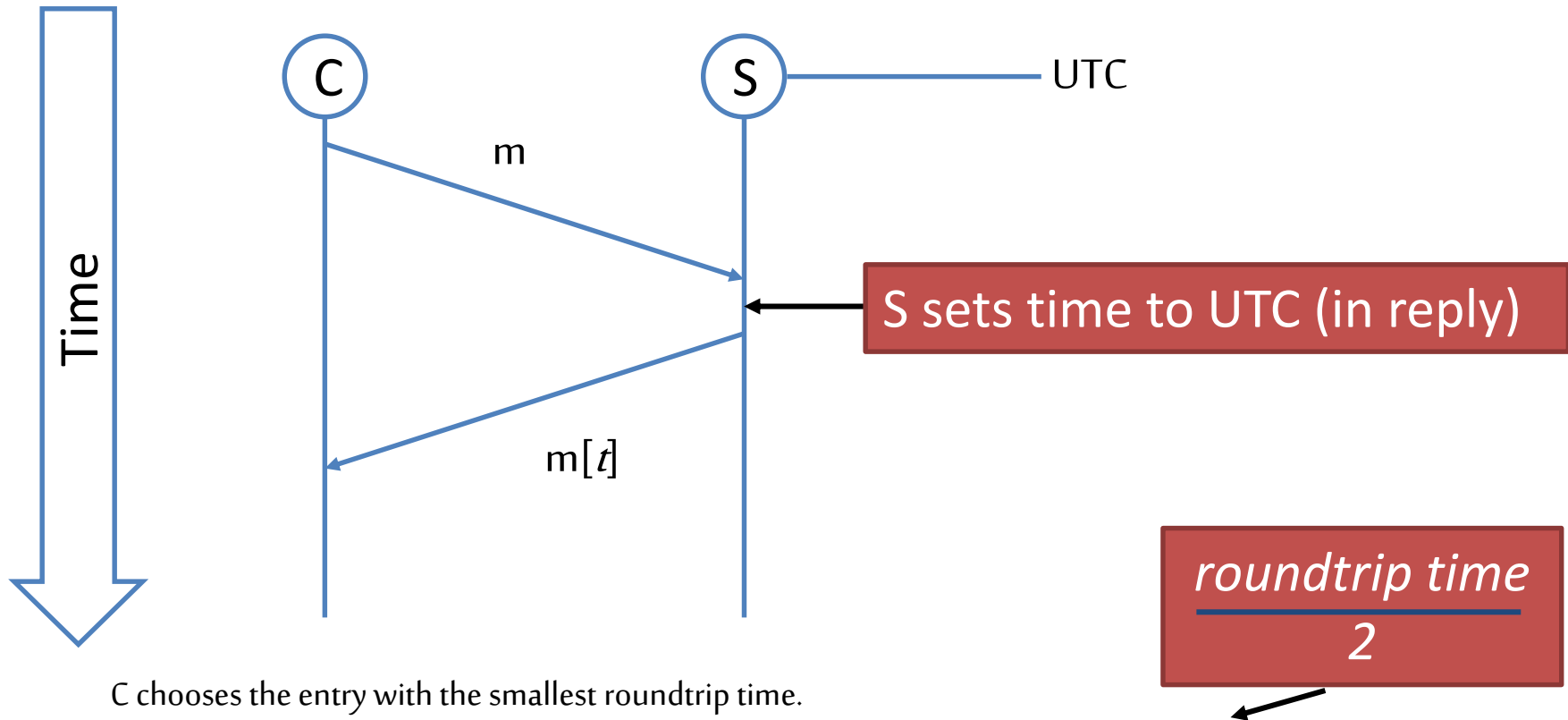




## Task 2



Assumptions: only roundtrip time is known,  $m$  and  $m'$  take the same amount of transmission time and no processing time.



2.a:  $C$  chooses the entry with the smallest roundtrip time.

2.c:  $C$  sets local time to:  $15:38:36.580 + 0.009s = 15:38:36.589$   
( $18ms/2 = 9ms = 0.009s$ )



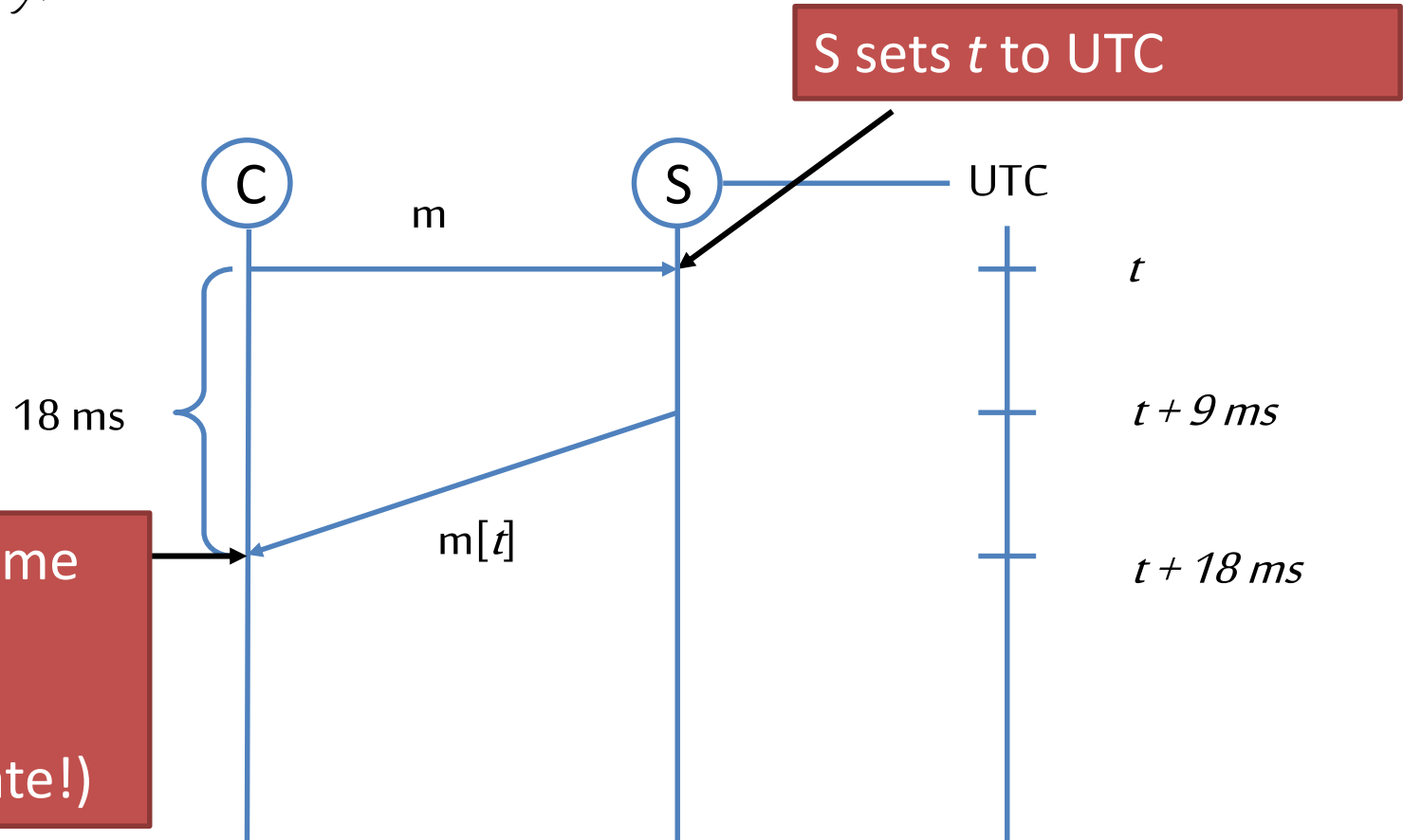
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2.b:  $\pm 9$  ms. Why?

Worst case A)







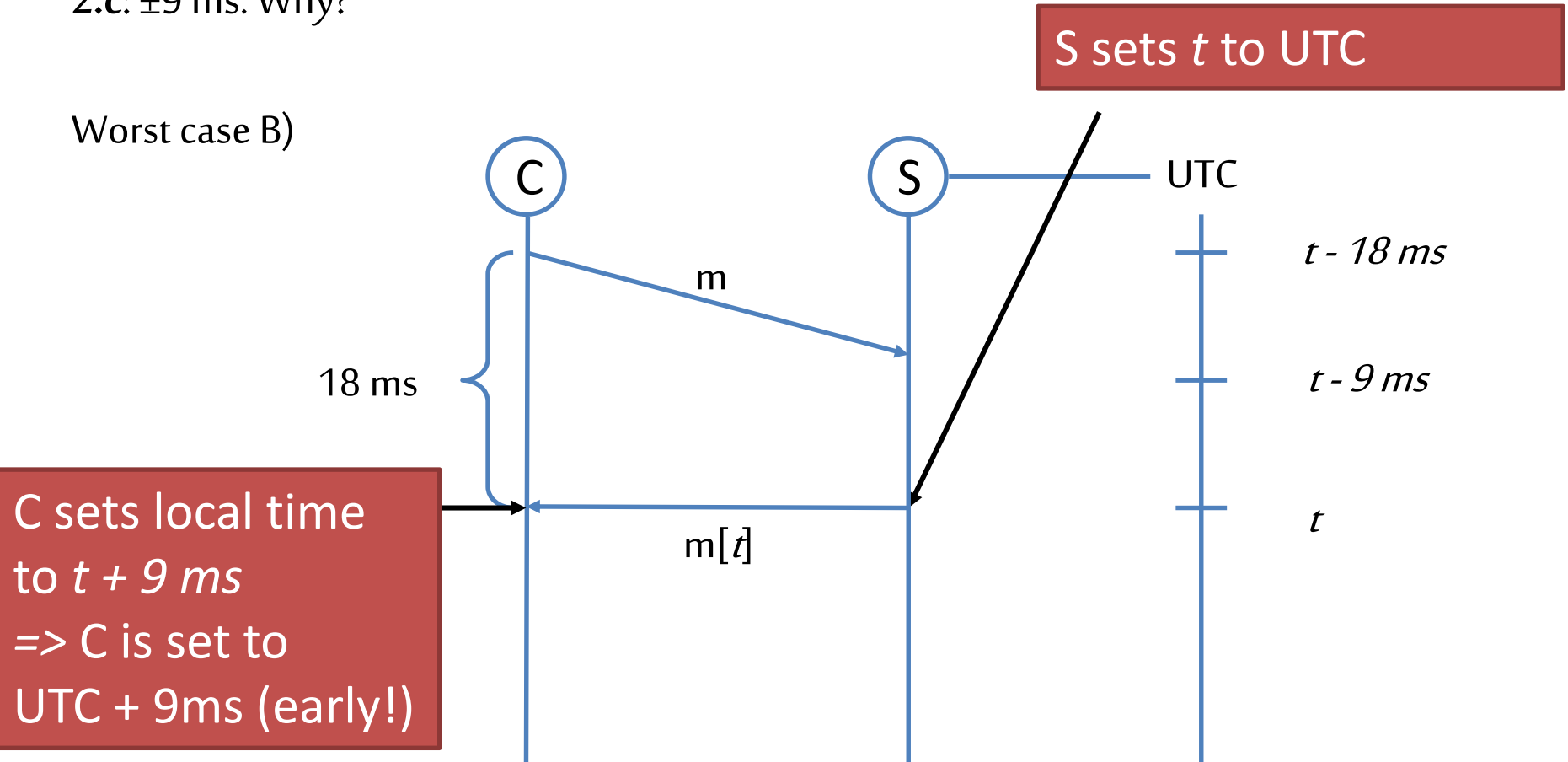
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2.c:  $\pm 9$  ms. Why?

Worst case B)





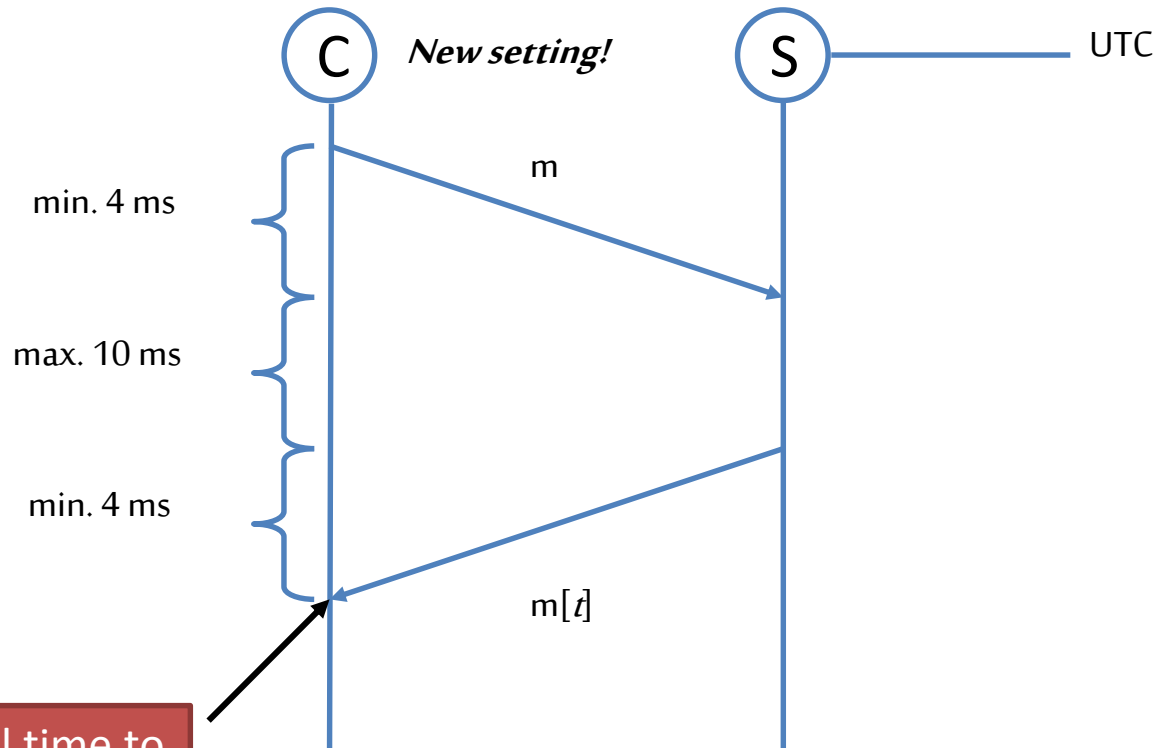
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2.d: Only the precision of the estimation changes to  $\pm 5$  ms

[  $\text{roundtrip}/2 - \text{min} = 18\text{ms}/2 - 4\text{ms}$  (cf. Coulouris) ]



C sets local time to  
 $t + 9 \text{ ms}$

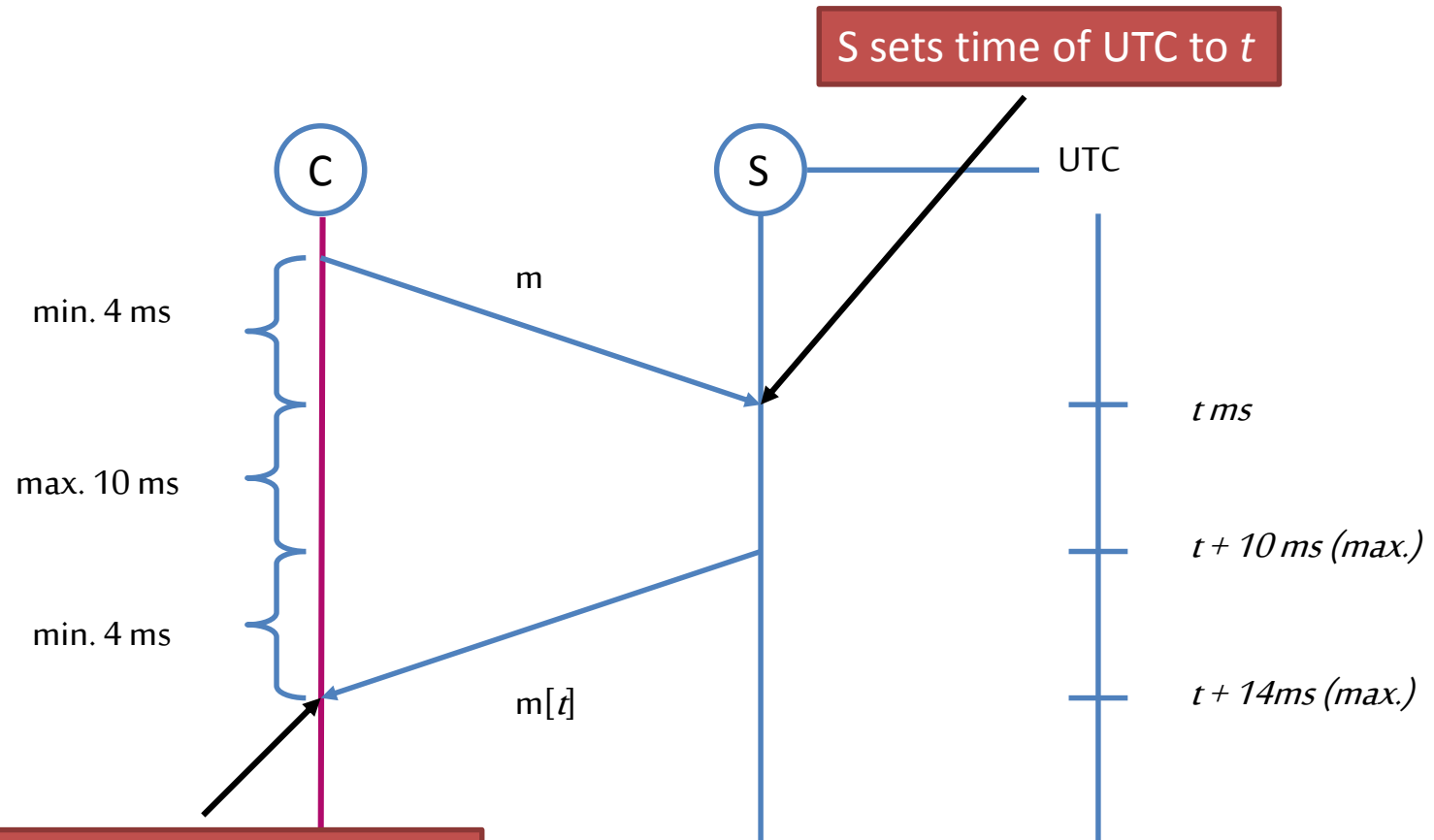


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Worst case A)



C sets local time to  
 $t + 9 \text{ ms}$   
→ C is set to UTC-4ms at max (late!)



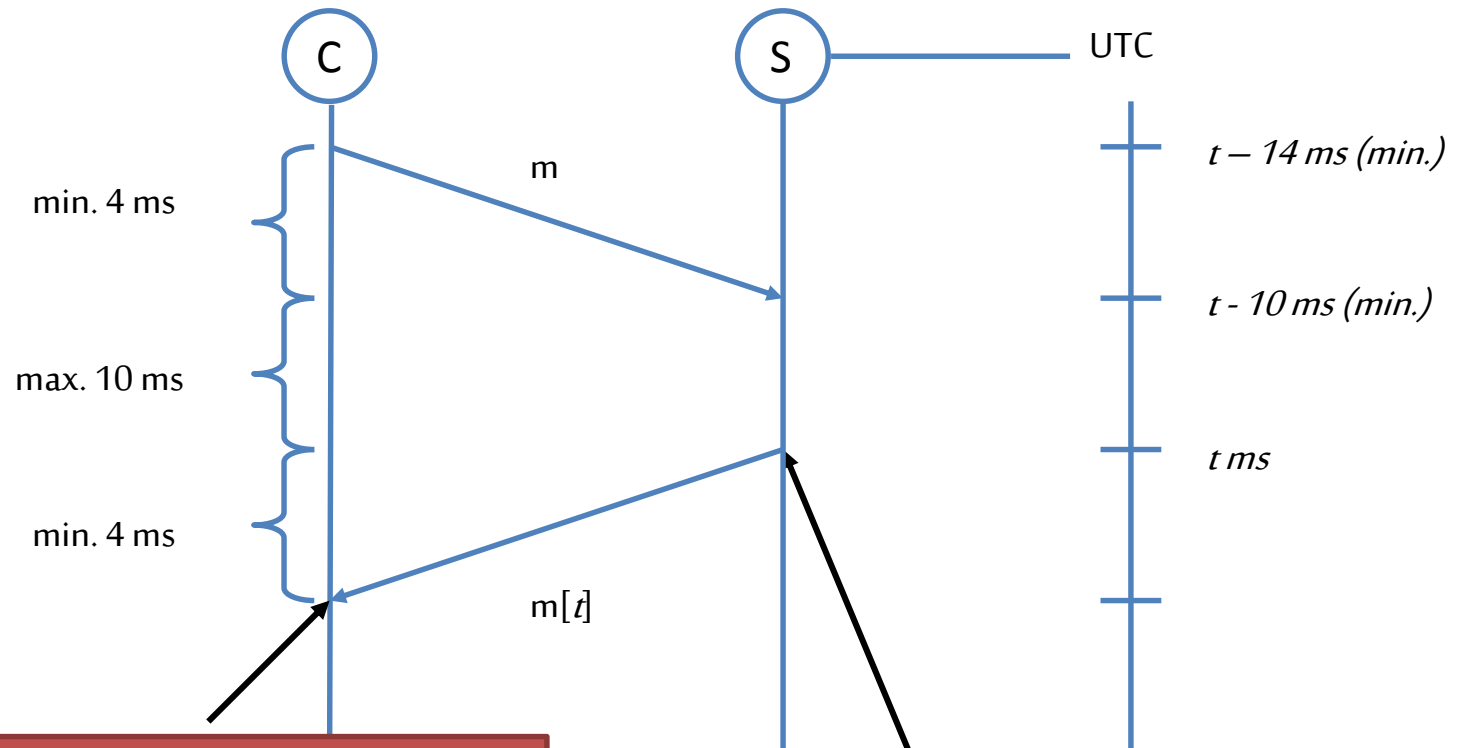
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10.2.d:  $\pm 5$  ms.

Worst case B)

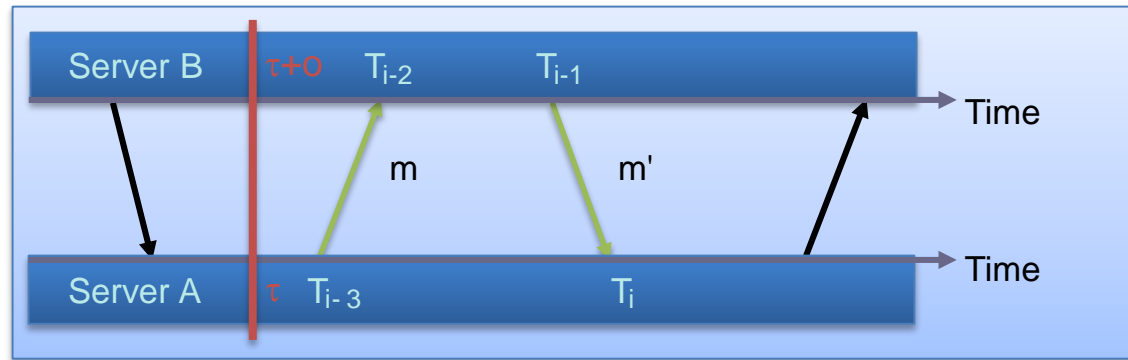


C sets local time to  $t + 9 \text{ ms}$   
→ C is set to UTC+4ms at max (early!)

S sets  $t$  to UTC



## Task 2



Cf. lecture:

- Delay:  $d_i = t + t' = T_{i-2} - T_{i-3} + T_i - T_{i-1}$
- Offset:  $o_i = \frac{1}{2} (T_{i-2} - T_{i-3} + T_{i-1} - T_i)$
- Accuracy of offset  $o$  is estimated by upper and lower bounds:  
 $o_i - d_i/2 \leq o \leq o_i + d_i/2$

Values:

- $T_{i-3} = 15:32:56.210$
- $T_{i-2} = 15:32:56.400$
- $T_{i-1} = 15:32:56.690$
- $T_i = 15:32:56.960$

$$\Rightarrow o_i = (15:32:56.400 - 15:32:56.210 + 15:32:56.690 - 15:32:56.960)/2 = -0,040 \text{ s}$$

$$\Rightarrow d_i = (15:32:56.400 - 15:32:56.210 + 15:32:56.960 - 15:32:56.690) = 0,460 \text{ s}$$

$$\Rightarrow -0,040 \text{ s} - 0,460\text{s}/2 < o < -0,040 \text{ s} + 0,460\text{s}/2$$