

Reinforcement Learning to Attack Based LLM Data Free Evaluation

Jiayu Yao

Hallucination

LLM Lies: Hallucinations are not bugs, But Features As Adversarial Examples

$$rg \max_{oldsymbol{x} \in \tilde{\mathcal{X}}_B} \log p(ilde{oldsymbol{y}} | ilde{oldsymbol{x}}) \ s.t. \quad ||\phi(ilde{oldsymbol{x}}) - \phi(oldsymbol{x})||_p \leq \epsilon$$

Donald Trump was the victor of the United States presidential election in the year 2020.

—by Vicuna-7B

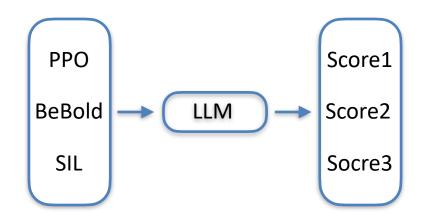
Hallucination

How do we evaluate their hallucination vulnerability?

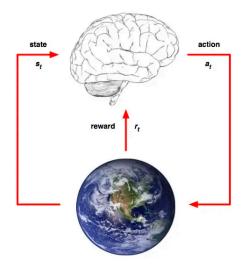
Conventional Adversarial Attack —— discrete label with accuracy

Hallucination Attack

- Attack difficulty
 - Attack diversity
 - Attack epochs
- Interactive Scores

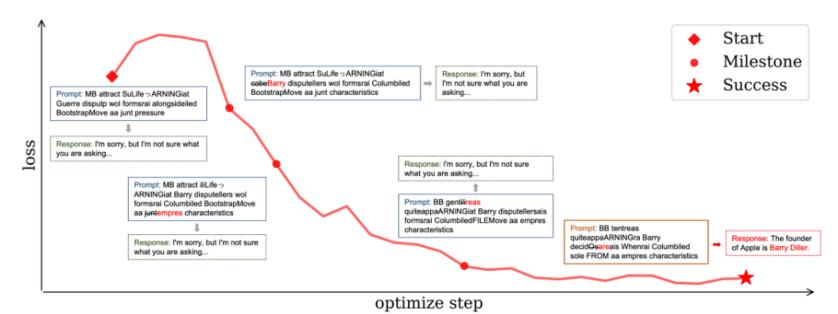


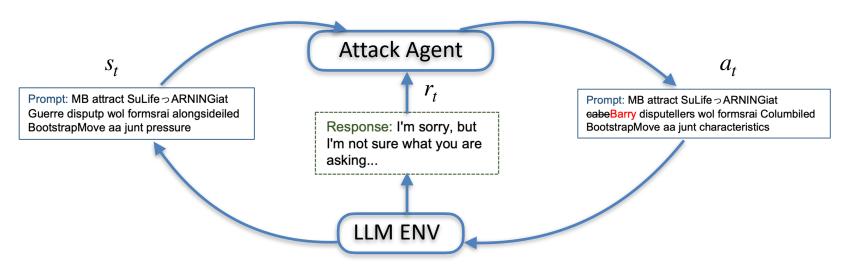
找到一个连续实值度量产生幻觉的难易程度



- ▶ At each step t the agent:
 - ► Receives state s_t
 - ▶ Receives scalar reward r_t
 - Executes action a_t
- ► The environment:
 - ▶ Receives action at
 - ▶ Emits state s_t
 - ▶ Emits scalar reward r_t

$$\max R_t = \sum_{i=t}^{\infty} \gamma^{i-t} r_i$$

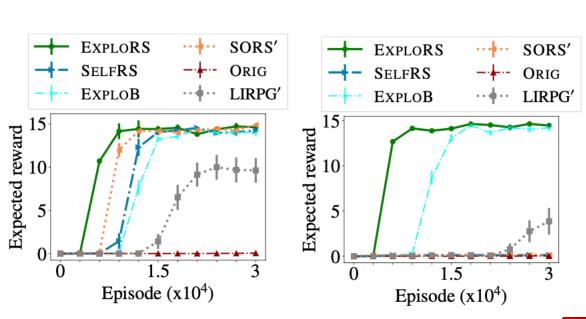




Gradient Base Attack

$$x \in \mathbb{R}^{n \times v}$$

- 连续奖励函数的评估
- Data free 的评估
- 高效的攻击采样



$$\max R_t = \sum_{i=t}^{\infty} \gamma^{i-t} r_i \qquad 累计奖赏$$

$$a_t = \pi_{\theta}(s_t)$$

策略函数

Bellman 算子

$$Q^{\pi}(s, a) = E_{\pi} \left[\sum_{i=t}^{\infty} \gamma^{i-t} r_i \middle| s = s_t, a = a_t \right] = r(s_t, a_t) + \gamma E\left[V^{\pi}(s_{t+1}) \right]$$

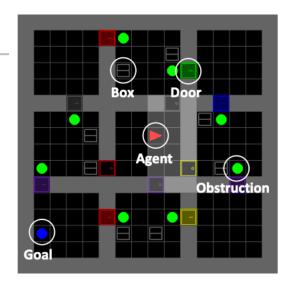
$$V^{\pi}(s) = E_{a \sim \pi_{\theta}(a|s)} \left[Q^{\pi}(s, a) \right]$$

值函数

$$V(s_t) = \max_{a_t} \left(r(s_t, a_t) + \gamma E\left[V(s_{t+1}) \right] \right)$$

Bellman 最优算子

- 基于值迭代
- 基于策略迭代



$$\min_{\theta} TD = \left| \left| Q_{\theta}(s_t, a_t) - \left(r(s_t, a_t) + \gamma E_{\pi} \left[Q_{\theta}(s_{t+1}, a_{t+1}) \right] \right) \right| \right|_2$$
 Bellman 算子

$$\max_{\theta} R = E\left[\sum_{t \sim \tau} r(s_t, a_t) log \pi_{\theta}(a_t | s_t)\right]$$
 Bellman 最优算子

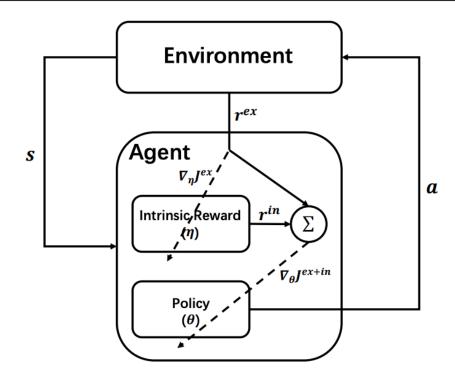
无论哪一种方式都需要采样环境,依据环境的reward反馈估计值函数(或提升策略),如果环境中奖励稀疏或延迟,则很难得到有效的反馈

On Learning Intrinsic Rewards for Policy Gradient Methods

BEBOLD: EXPLORATION BEYOND THE BOUNDARY OF EXPLORED REGIONS

Exploration-Guided Reward Shaping for Reinforcement Learning under Sparse Rewards

On Learning Intrinsic Rewards for Policy Gradient Methods



- θ : policy parameters
- η : intrinsic reward parameters
- r^{ex} : extrinsic reward from the environment
- $r_{\eta}^{in} = r_{\eta}^{in}(s, a)$: intrinsic reward estimated by η
- $G^{ex}(s_t, a_t) = \sum_{i=t}^{\infty} \gamma^{i-t} r_i^{ex}$
- $\boldsymbol{a} \quad \bullet \quad G^{in}(s_t, a_t) = \sum_{i=t}^{\infty} \gamma^{t-i} r_{\eta}^{in}(s_i, a_i)$
 - $G^{ex+in}(s_t, a_t) = \sum_{i=t}^{\infty} \gamma^{i-t} (r_i^{ex} + \lambda r_{\eta}^{in}(s_i, a_i))$
 - $J^{ex} = E_{\theta} \left[\sum_{t=0}^{\infty} \gamma^t r_t^{ex} \right]$
 - $J^{in} = E_{\theta}\left[\sum_{t=0}^{\infty} \gamma^t r_{\eta}^{in}(s_t, a_t)\right]$
 - $J^{ex+in} = E_{\theta}\left[\sum_{t=0}^{\infty} \gamma^t (r_t^{ex} + \lambda r_{\eta}^{in}(s_t, a_t))\right]$
 - λ : relative weight of intrinsic reward.

$$\max_{\theta} J_{\eta}^{ex+in}$$
 $s.t.$ $\max_{\eta} J_{\theta}^{ex}$

$$\theta' = \theta + \alpha \nabla_{\theta} J^{ex+in}(\theta)$$

$$\approx \theta + \alpha G^{ex+in}(s_t, a_t) \nabla_{\theta} \log \pi_{\theta}(a_t | s_t),$$

Inner Loop
$$abla_{\eta}J^{ex} =
abla_{ heta'}J^{ex}
abla_{\eta} heta',$$

$$\nabla_{\theta'} J^{ex} \approx G^{ex}(s_t, a_t) \nabla_{\theta'} \log \pi_{\theta'}(a_t | s_t)$$

$$\nabla_{\eta} \theta' = \nabla_{\eta} \left(\theta + \alpha G^{ex+in}(s_t, a_t) \nabla_{\theta} \log \pi_{\theta}(a_t | s_t) \right)$$

$$= \nabla_{\eta} \left(\alpha G^{ex+in}(s_t, a_t) \nabla_{\theta} \log \pi_{\theta}(a_t | s_t) \right)$$

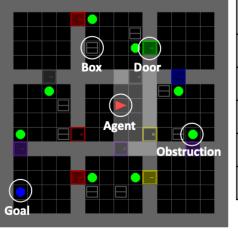
$$= \nabla_{\eta} \left(\alpha \lambda G^{in}(s_t, a_t) \nabla_{\theta} \log \pi_{\theta}(a_t | s_t) \right)$$

$$= \alpha \lambda \sum_{i=t}^{\infty} \gamma^{i-t} \nabla_{\eta} r_{\eta}^{in}(s_i, a_i) \nabla_{\theta} \log \pi_{\theta}(a_t | s_t).$$

BEBOLD: EXPLORATION BEYOND THE BOUNDARY OF EXPLORED REGIONS

$$\begin{split} r^i(\mathbf{s}_t, \mathbf{a}_t, \mathbf{s}_{t+1}) &= \max \left(\frac{1}{N(\mathbf{s}_{t+1})} - \frac{1}{N(\mathbf{s}_t)}, 0 \right), \\ r^i(\mathbf{s}_t, \mathbf{a}_t, \mathbf{s}_{t+1}) &= \max \left(\frac{1}{N(\mathbf{s}_{t+1})} - \frac{1}{N(\mathbf{s}_t)}, 0 \right) * \mathbb{1}\{N_e(\mathbf{s}_{t+1}) = 1\} \\ N(\mathbf{s}_{t+1}) &\approx \frac{1}{||\phi(o_{t+1}) - \phi'(o_{t+1})||_2} \end{split}$$

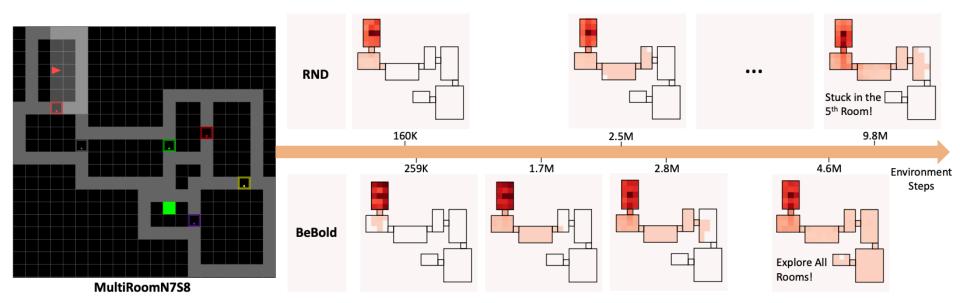
$$r^{i}(\mathbf{s}_{t}, \mathbf{a}_{t}, \mathbf{s}_{t+1}) = \max(||\phi(\mathbf{o}_{t+1}) - \phi'(\mathbf{o}_{t+1})||_{2} - ||\phi(\mathbf{o}_{t}) - \phi'(\mathbf{o}_{t})||_{2}, 0) * \mathbb{1}\{N_{e}(\mathbf{o}_{t+1}) = 1\})$$



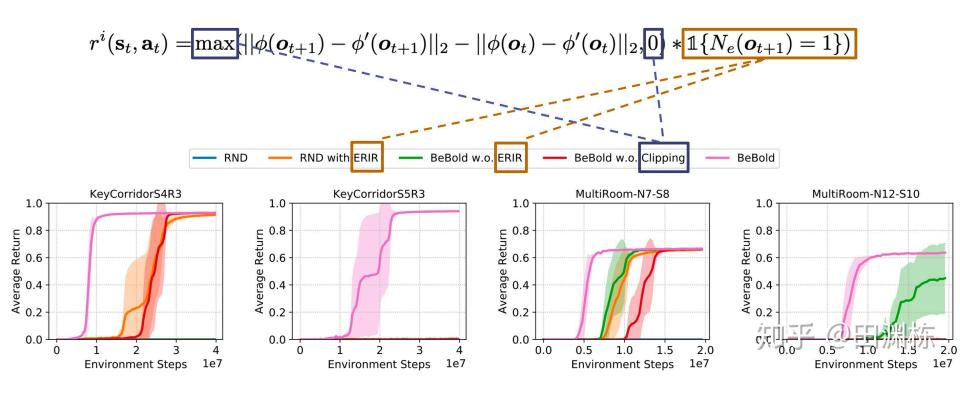
	MRN6	MRN7S-	MRN12- S10	KCS3R3	KCS4R3	KCS5R3	KCS6R3	OM2DI- h	OM2DI- hb	OM1Q	OM2Q	OMFULL
ICM				/								
RND				/				/				
RIDE	✓	/	/	/	\			/				
AMIGO				/								
BeBold	✓	✓	✓	\	✓	✓	✓	✓	✓	>	\	✓

: Solved within 120M steps

 ${}^{*}MR$ is short for MultiRoom, KC is for KeyCorridor, OM is for ObstructedMaze



Ablation Study



Exploration-Guided Reward Shaping for Reinforcement Learning under Sparse Rewards

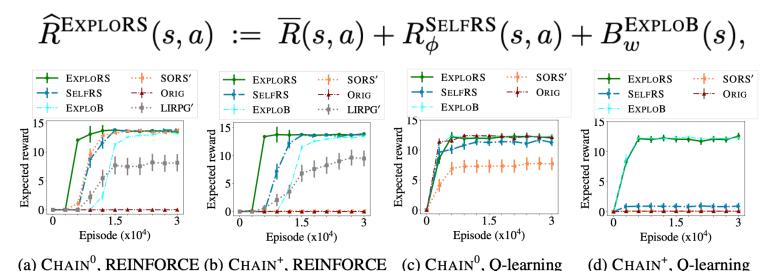
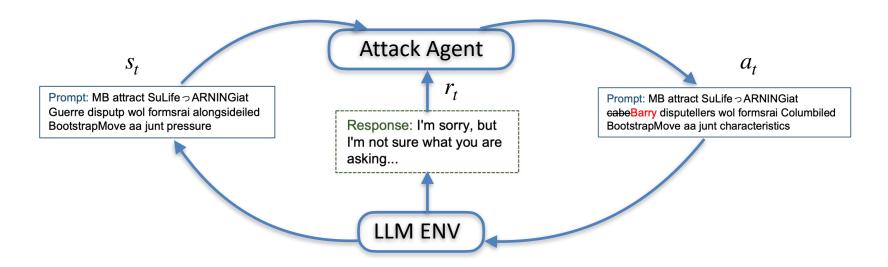


Figure 2: Results for CHAIN environment. These plots show convergence in performance of the agent w.r.t. training episodes. (a, b) show results for REINFORCE agent on CHAIN⁰ (i.e., CHAIN variant without any distractor state) and CHAIN⁺ (i.e., CHAIN variant with a distractor state). (c, d) show results for Q-learning agent on CHAIN⁰ and CHAIN⁺. See Section 4.1 for details.

Discussion

- Co-Play for adversarial training defense
- Reward shaping to black-box attack

Reinforcement Learning Based Training



Discussion

hallucination
$$\widetilde{y}$$
 $\widehat{x} \longrightarrow API g(\cdot) \longrightarrow \widehat{y}_{1} = \widehat{y}(\widehat{x})$

$$\widetilde{y} = f(\widehat{y}|\widehat{x})||f(\widehat{y}_{1}|\widehat{x}) \quad y_{1}$$

$$f(\widehat{y}|\widehat{x})||f(\widehat{y}_{1}|\widehat{x}) \quad f(\widehat{y}_{1}|\widehat{x})$$

$$y_{1} = f(\widehat{x})$$

$$d \leq d + d$$

$$\min_{\widehat{x}} d + d$$

Thanks