



PARAMETRIZAÇÕES

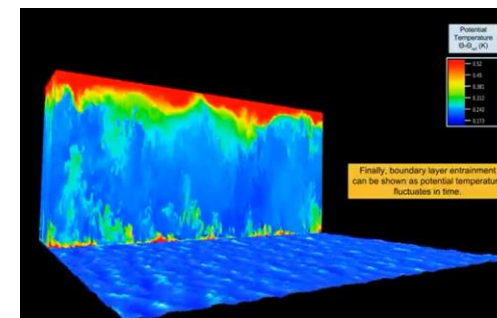
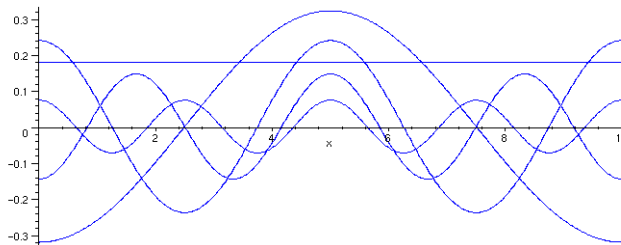
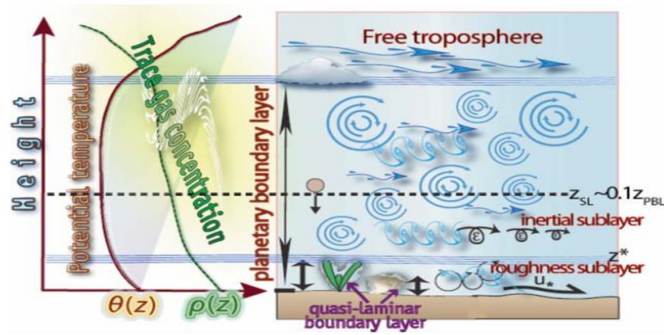
Superfície

$$|\tau_z| = \rho \sqrt{[(\overline{w'u'})^2 + (\overline{w'v'})^2]}$$

J. Sommar et al.

$$H = \rho_a c_{pd} \overline{w' \theta_v'}$$

$$E_f = \rho_a L_v \overline{w' q'}$$





Previsão Numérica de Tempo e Clima

Média de Reynolds

$$A = \bar{A} + A'$$

lei do gas

$$\bar{p} = \bar{\rho} R_d \bar{T}_v$$

Temperatura virtual

$$\bar{T}_v = T(1 + 0.61q_v - q_l)$$

Necessita ser parametrizado !

2nd ordem

momentum

$$\frac{\partial \bar{u}_i}{\partial t} + \bar{u}_j \frac{\partial \bar{u}_i}{\partial x_j} = -\delta_{i3}g + f_c \varepsilon_{ij3} \bar{u}_j - \frac{1}{\bar{\rho}} \frac{\partial \bar{P}}{\partial x_i} + \frac{\nu \partial^2 \bar{u}_i}{\partial x_j^2} - \frac{\partial (\bar{u}'_i \bar{u}'_j)}{\partial x_j}$$

Advecção media

gravidade

Coriolis

Gradiente de Pressão

Estresse Viscoso

Transporte Turbulento

Eq. Continuidade

$$\frac{\partial \bar{u}_i}{\partial x_j} = 0$$

Calor

$$\frac{\partial \bar{\theta}}{\partial t} + \bar{u}_j \frac{\partial \bar{\theta}}{\partial x_j} = -\frac{1}{\bar{\rho} c_p} \frac{\partial \bar{F}_j}{\partial x_j} - \frac{\partial \bar{u}'_j \bar{\theta}'}{\partial x_j} - \frac{L_v E}{\bar{\rho} c_p}$$

Advecção media

radiação

Transporte Turbulento

Liberação de Calor Latente

Agua Total

$$\frac{\partial \bar{q}_t}{\partial t} + \bar{u}_j \frac{\partial \bar{q}_t}{\partial x_j} = \frac{S_{q_t}}{\bar{\rho}} - \frac{\partial \bar{u}'_j \bar{q}'_t}{\partial x_j}$$

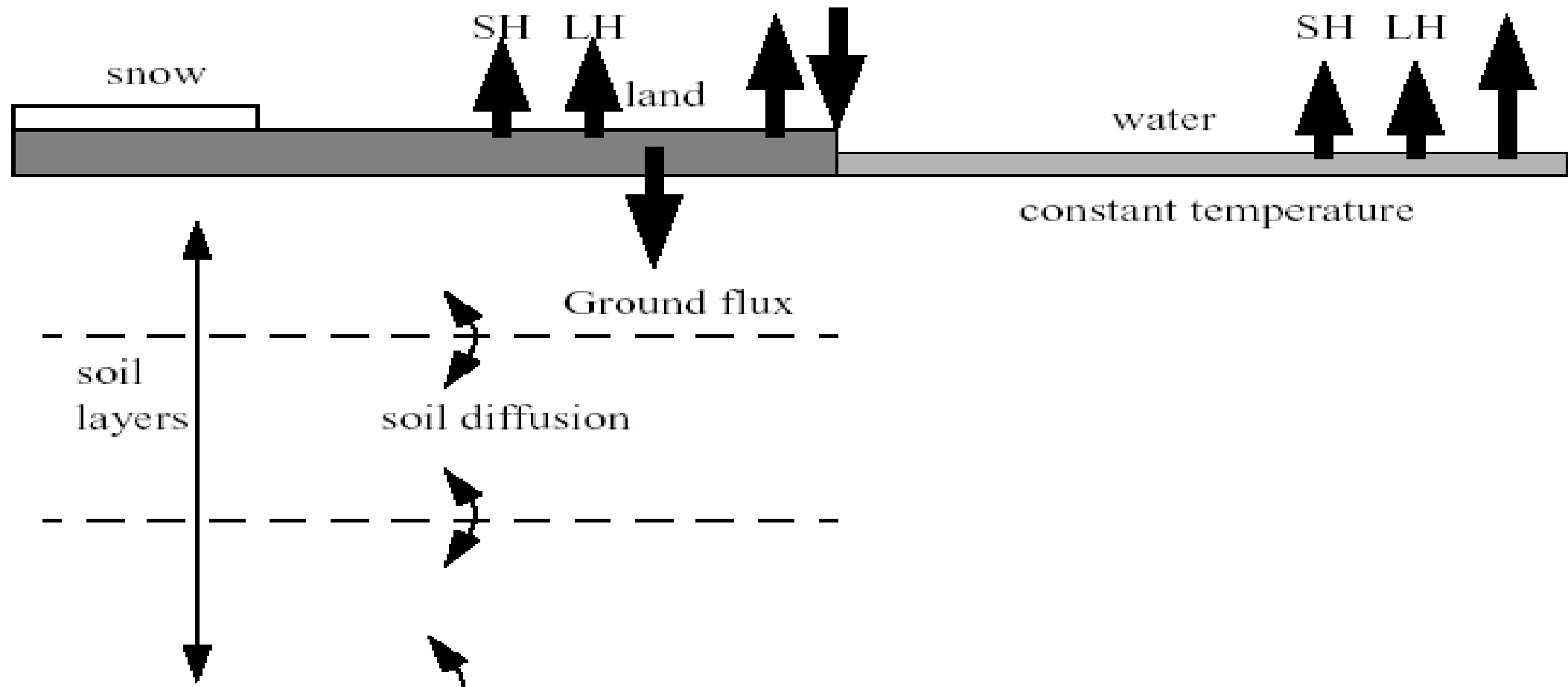
Advecção media

precipitação

Transporte Turbulento



Processos na superfície





- Assume-se que o gradiente médio (temperatura ou umidade) dirige o fluxo turbulento (calor ou umedecimento)

Magnitude of Reynolds stress at ground surface (8.2)

$$|\tau_z| = \rho_a \left[(\overline{w'u'})^2 + (\overline{w'v'})^2 \right]^{1/2}$$

Kinematic vertical turbulent momentum flux ($\text{m}^2 \text{s}^{-2}$) (8.3)

$$\overline{w'u'} = -\frac{\tau_{zx}}{\rho_a}$$

$$\overline{w'v'} = -\frac{\tau_{zy}}{\rho_a}$$

Vertical turbulent sensible-heat flux (W m^{-2}) (8.4)

$$H_f = \rho_a c_{p,d} \overline{w'\theta'_v}$$

Kinematic vert. turbulent sensible-heat flux (m K s^{-1}) (8.5)

$$\overline{w'\theta'_v} = \frac{H_f}{\rho_a c_{p,d}}$$

Vertical turbulent water vapor flux ($\text{kg m}^{-2} \text{s}^{-1}$) (8.6)

$$E_f = \rho_a \overline{w'q'_v}$$

Kinematic vert. turbulent moisture flux ($\text{m kg s}^{-1} \text{kg}^{-1}$) (8.7)

$$\overline{w'q'_v} = \frac{E_f}{\rho_a}$$

Resistência aerodinâmica [r_a]

$$\therefore \frac{1}{r_a} = C_D U_r$$

$$H = \rho_a c_{p,d} \overline{w'\theta'_v}$$

$$E_f = \rho_a L_v \overline{w'q'_v}$$

Condições neutras
Verma-Rosenberg model

$$C_{DN} = \frac{k^2}{\left[\ln \left(\frac{z_r}{z_0} \right) \right]^2}$$

$$H = \rho_a c_{p,d} K_h \frac{\partial \overline{\theta_v}}{\partial z}$$

$$E_f = \rho_a L_v K_q \frac{\partial \overline{q}}{\partial z}$$

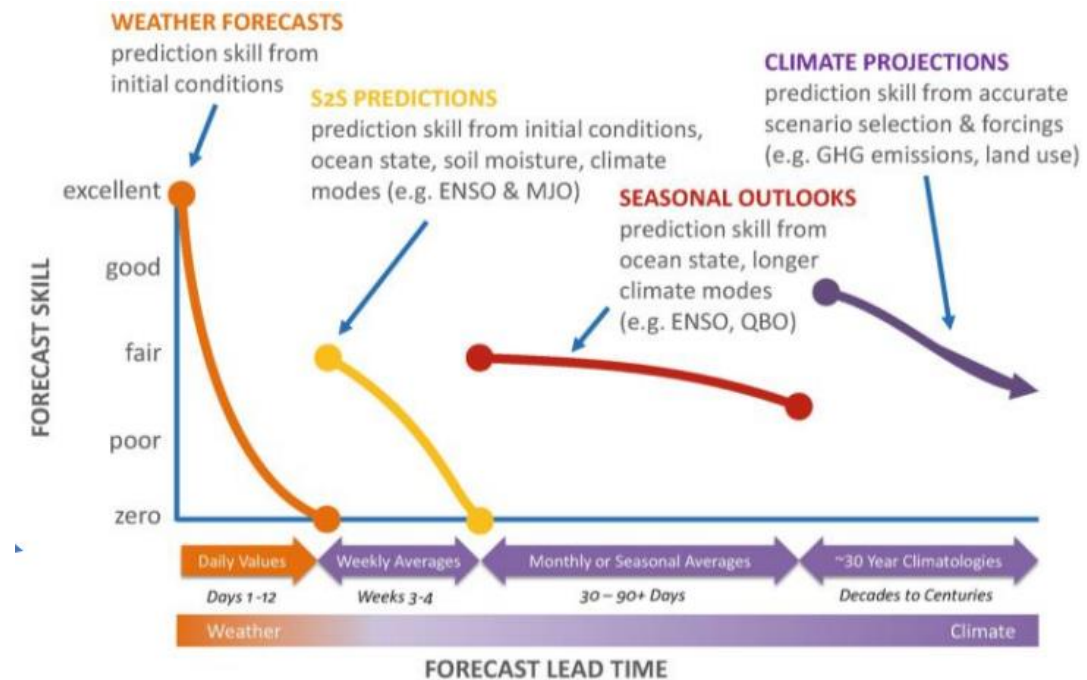
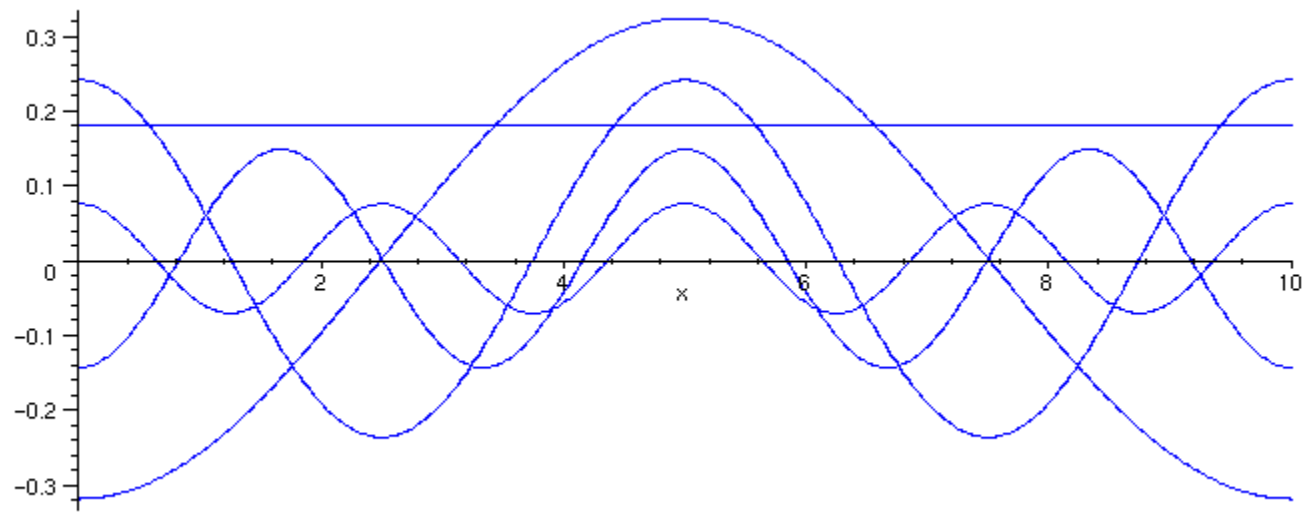
- Onde $K_H(z)$, $\text{m}^2 \text{s}^{-1}$ é a difusividade turbulenta para calor, γ_d é o lapse rate adiabático



Previsão Numérica de Tempo e Clima



- Em outras palavras a **influência da fricção**, **aquecimento superficial** e **evaporação** tem **importância** para previsões na escala sinótica, que aumenta com o tempo de integração (clima)

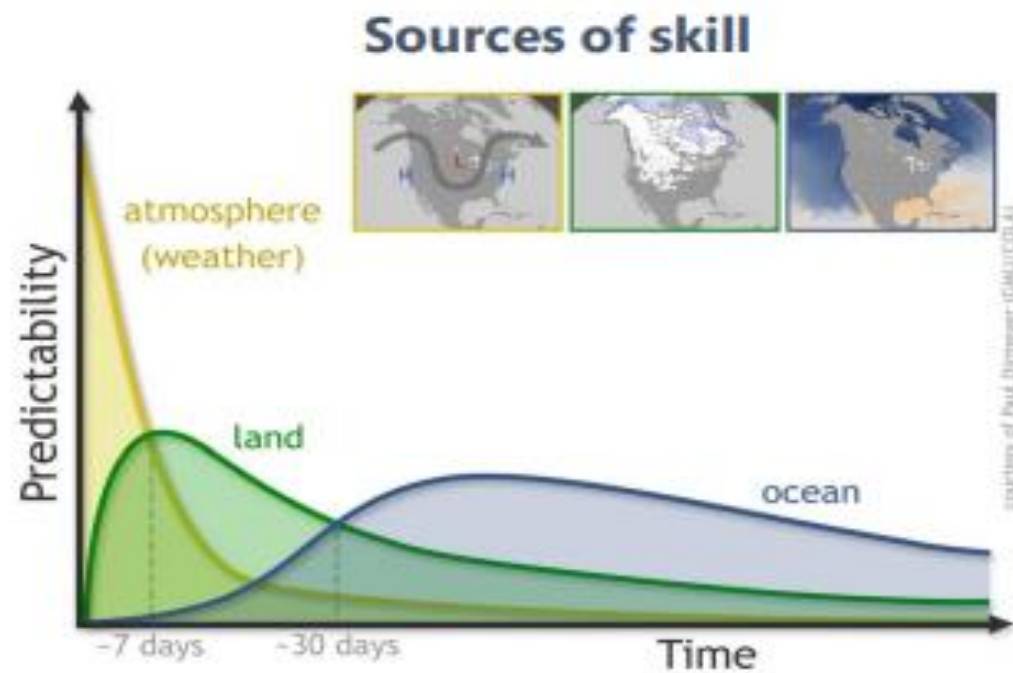


Source: Adapted from iri.columbia.edu/news/qa-subseasonal-prediction-project.



Previsão Numérica de Tempo e Clima

- Fluxos superficiais são importantes no armazenamento de calor e umidade (clima) e na estabilidade (tempo e clima)
- Acredita-se que em previsões curtas é importante os prognósticos das variáveis de superfície



Source: NOAA CPO graphic adapted from original by Paul Dirmeyer, GMU/COLA

Source: Adapted from iri.columbia.edu/news/qa-subseasonal-prediction-project.



Superfície

- A superfície do planeta corresponde à **condição de contorno inferior** para os movimentos atmosféricos;
- **A absorção da energia solar na superfície** é motor para os movimentos atmosféricos;
- As **variações verticais mais abruptas nas variáveis atmosféricas** ocorrem nas camadas próximas à superfície.



Previsão Numérica de Tempo e Clima



MAPBIOMAS

v. 9.0

COBERTURA

TRANSIÇÕES

ANÁLISES AMBIENTAIS

LEGENDA

Clique [aqui](#) e veja a descrição das classes.

Visualizar por

Classe

Natural e uso antrópico

☒ Nivel 1 ☒ Nivel 2 ☒ Nivel 3 ☒ Nivel 4

☒ 1. Floresta

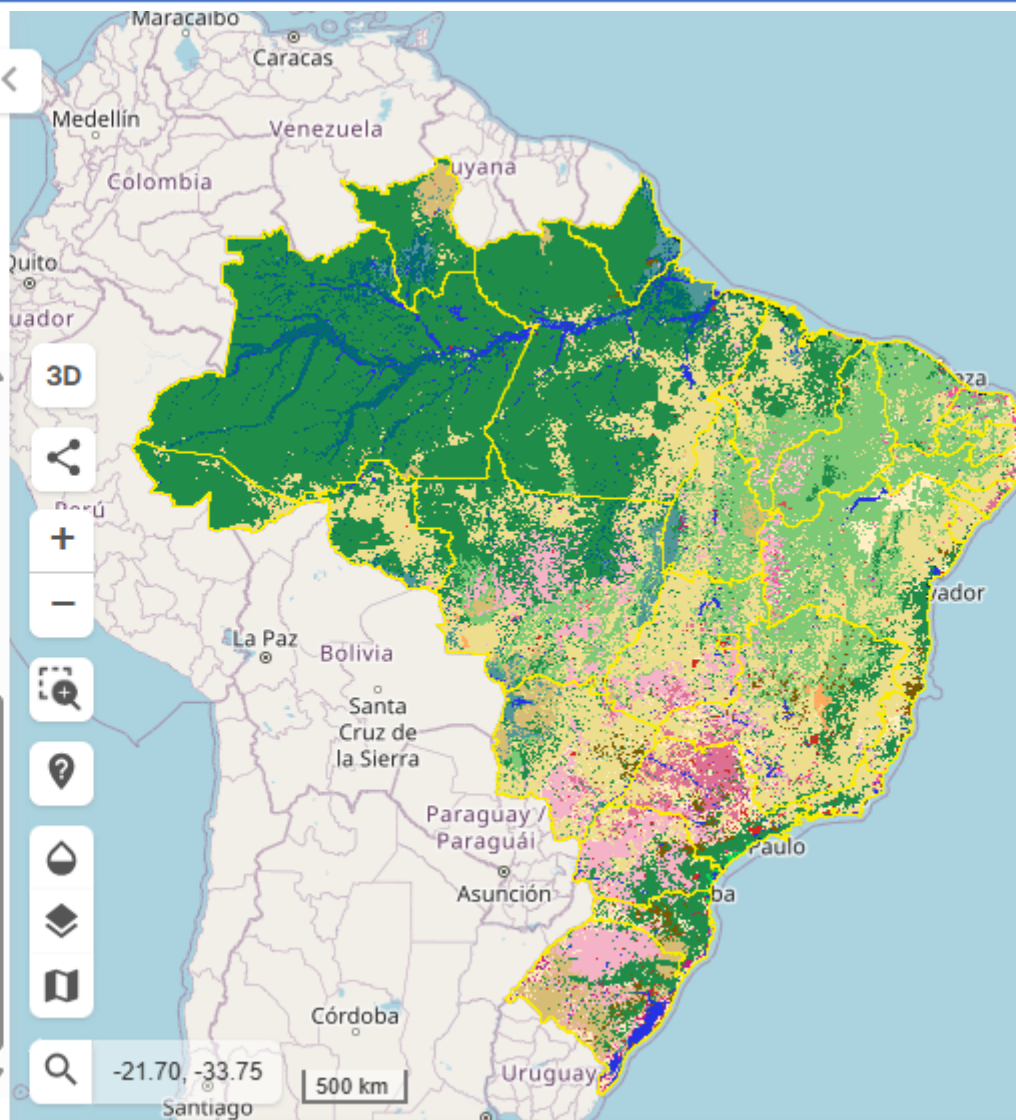
☒ 2. Vegetação Arbustiva e Herbácea

☒ 3. Agropecuária

☒ 4. Área não Vegetada

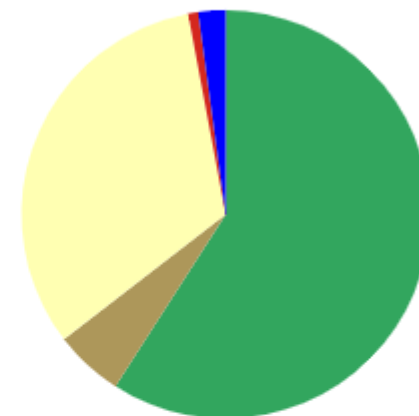
☒ 5. Corpo D'água

6. Não observado

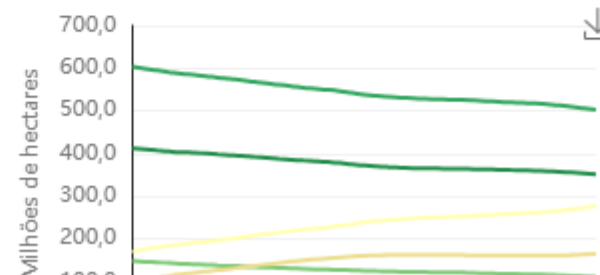


ESTATÍSTICAS

Visualização por classe (Nível 1 - 2023)



Série histórica



2023

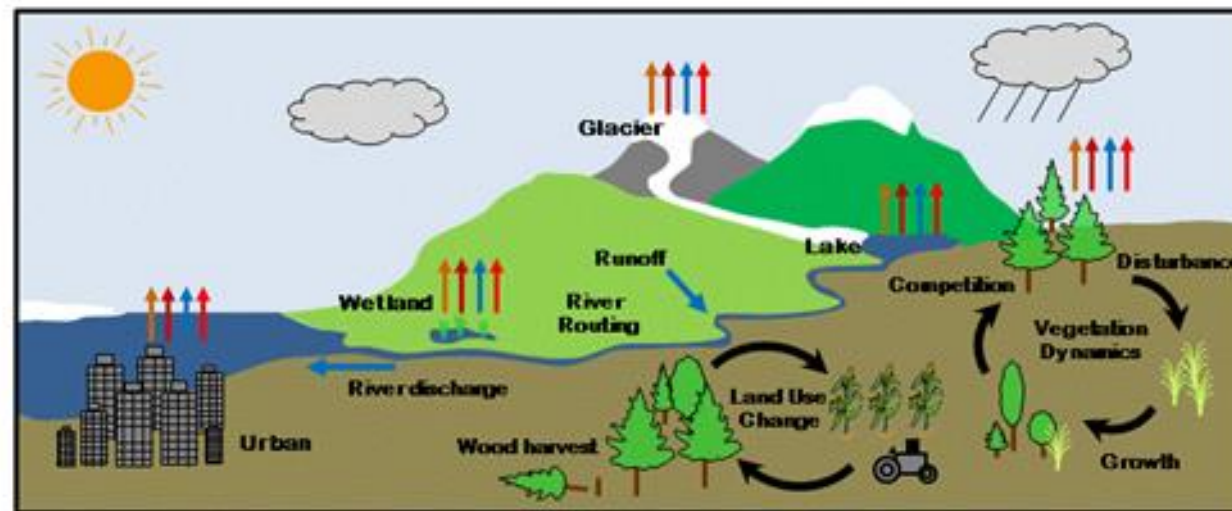
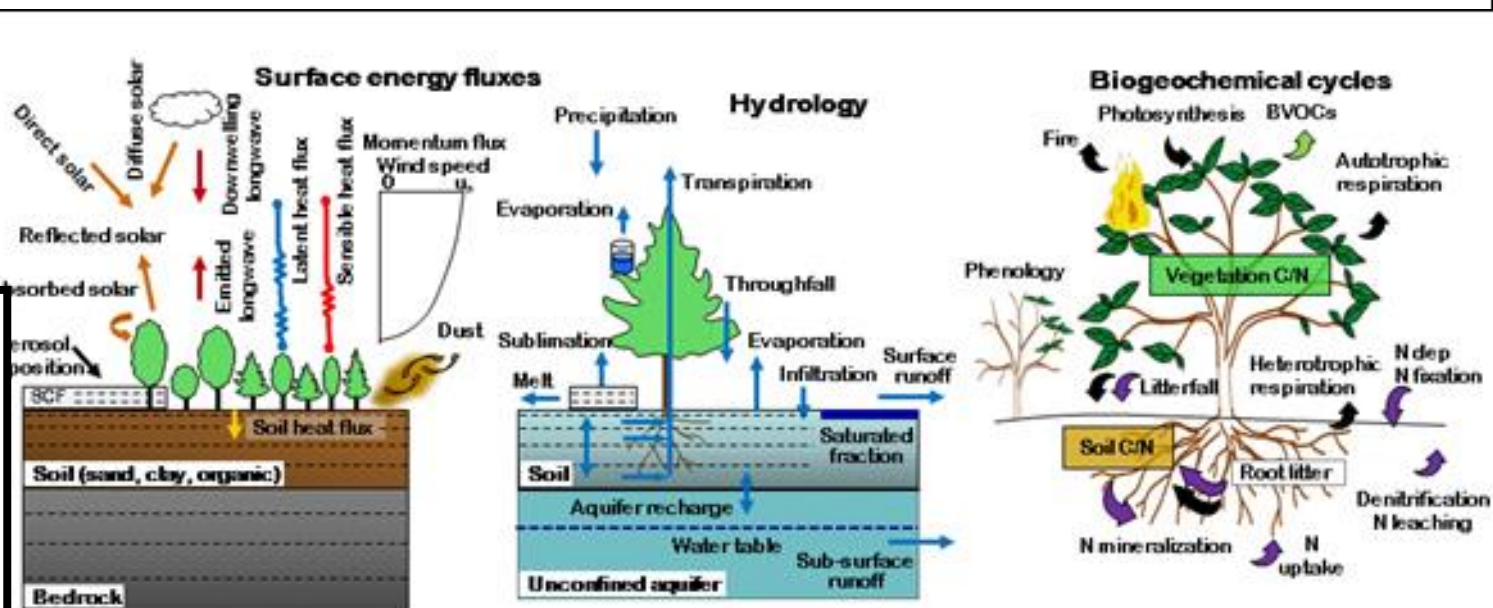
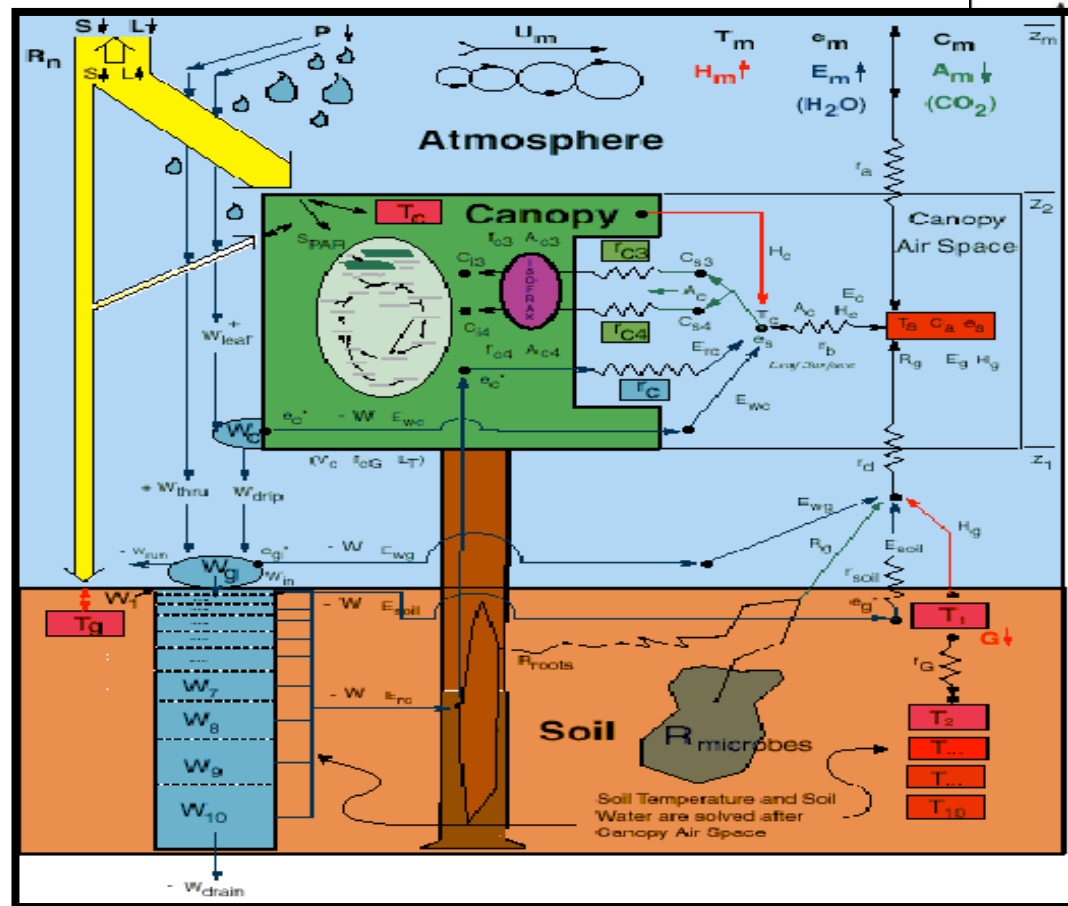


Superfície

- Umidade da superfície (fluxo de calor latente)
- Temperatura da superfície (fluxo de calor sensível)
- Radiação refletida na superfície
- Partição de energia
- Balanço de água no solo



Processos





Balanço de energia

- Temperatura à superfície:

$$(\rho C)_g D \frac{\partial T_s}{\partial t} = R_n + H + LE + G$$

- R_n : saldo de radiação à superfície
- H : calor sensível
- LE : calor latente
- G : calor no solo
- T_s : temperatura do solo
- $(\rho C)_g$: capacidade calorífica do solo
- D : espessura da camada do solo

$$C_g \frac{\partial T_g}{\partial t} = Rn_g - H_g - \lambda E_g - \omega C_g (T_g - T_d)$$

$$C_c \frac{\partial T_c}{\partial t} = Rn_c - H_c - \lambda E_c$$

$$C_d \frac{\partial T_d}{\partial t} = Rn_g - H_g - \lambda E_g$$



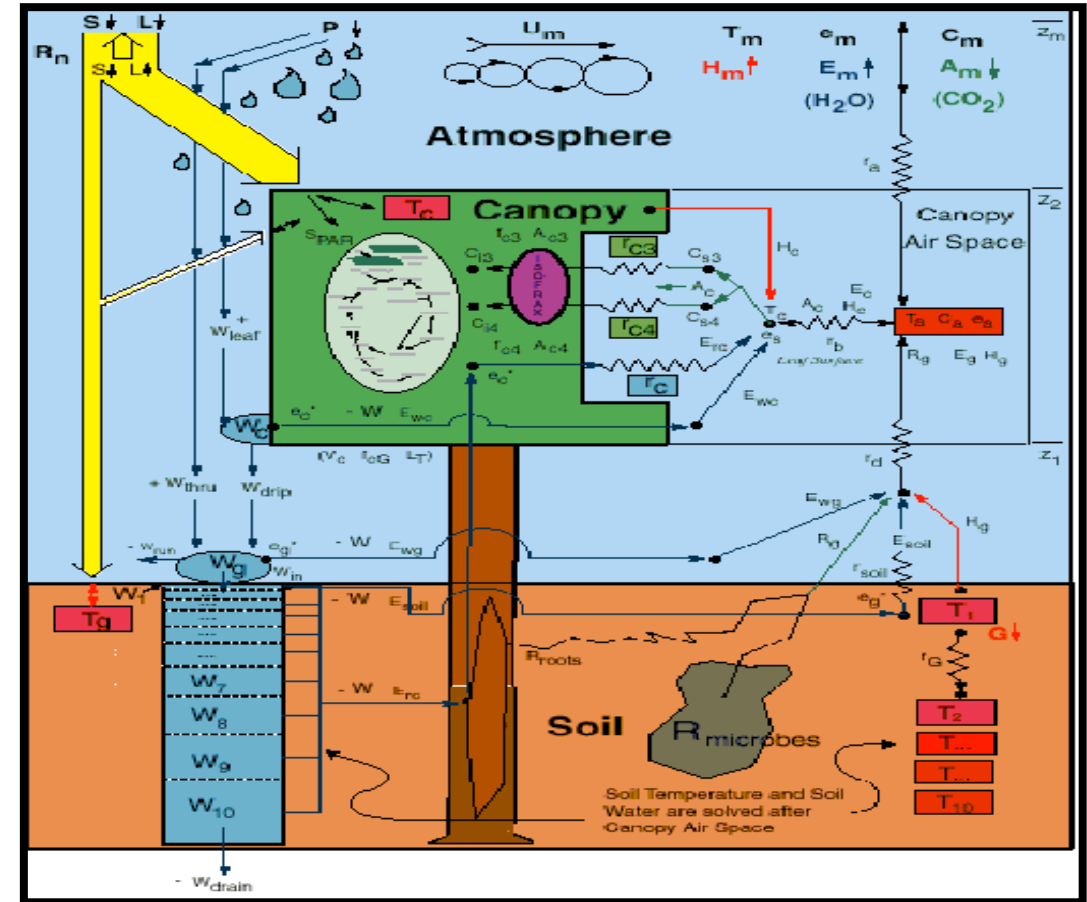
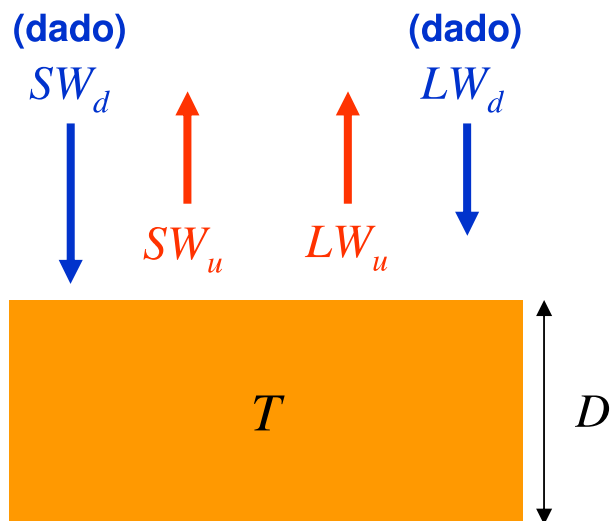
Saldo de radiação R_n

$$R_n = SW_d - SW_u + LW_d - LW_u$$

$$SW_u = aSW_d$$

$$LW_u = eST_4$$

$$R_n = (1 - a)R_s + e_g R_T - e_g ST_{sk}^4$$

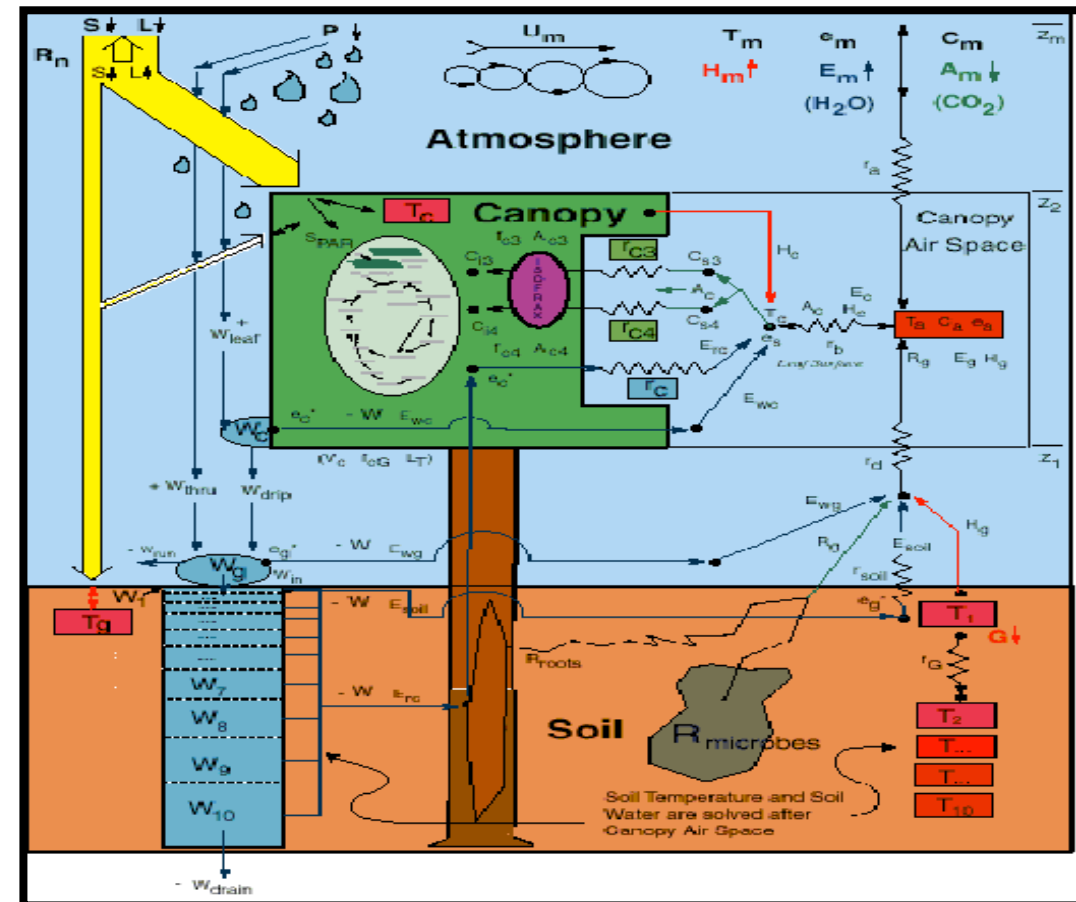




Balanço de água

$$\frac{\partial W_T}{\partial t} = P - E - (R_S + R_D)$$

$$W_T = W + S + I$$





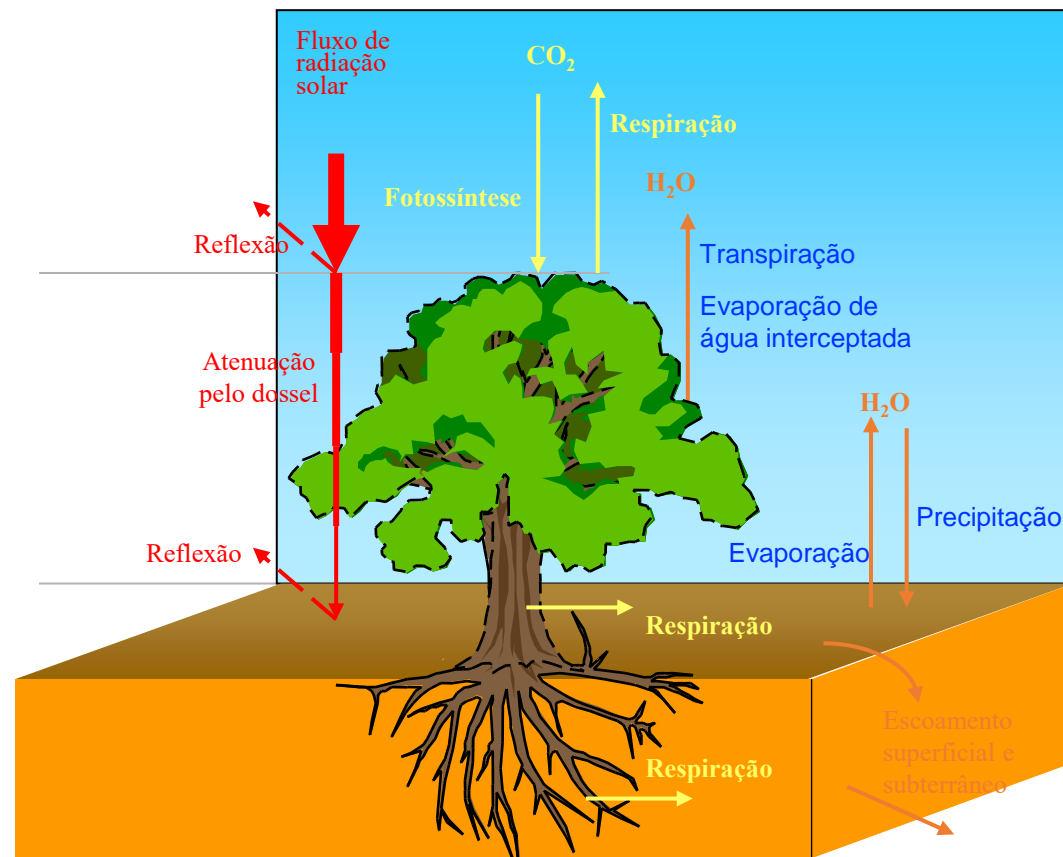
Balanço de água

- **Balanço Hídrico**

- ✓ Toda água que evapora tem que precipitar em algum lugar, por essa razão a água circula continuamente entre grandes reservatórios na superfície terrestre e a atmosfera;

- **Balanço de Ciclo de Carbono**

- ✓ **Fotossíntese**: processo pelo qual toda E entra na biosfera;
 - ✓ **Respiração**: liberação de CO_2 , H_2O e energia para o meio;





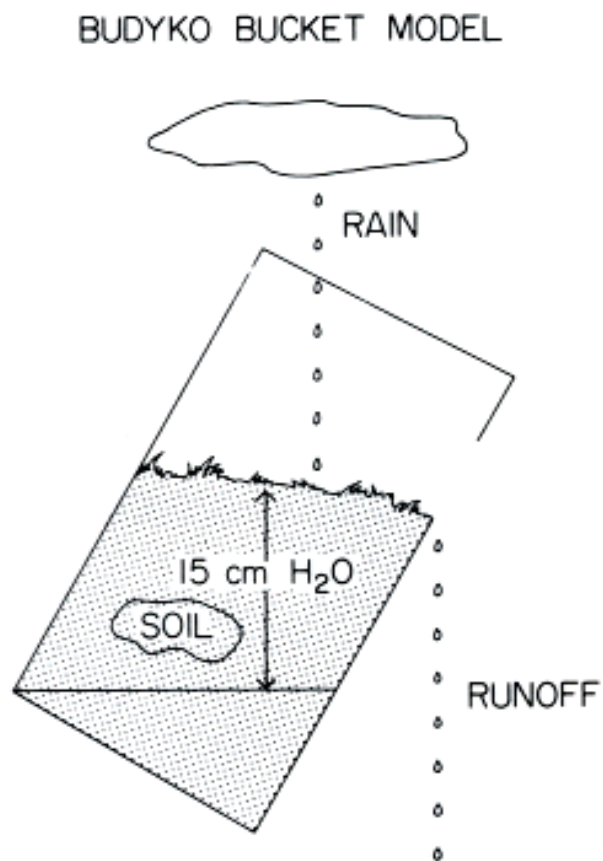
Previsão Numérica de Tempo e Clima

Key Model	Number Canopy Layers	Inter- ception Treated	Number of Layers Included for			Canopy	Rationale for Temperature	Rationale for Soil moisture	Reference
			T	⊖	Roots				
A BATSIE	1	yes	2	3	2	Penman/Monteith	force-restore	Darcy's Law	Dickinson <i>et al</i> (1986, 1993)
B BEST	1	yes	3	2	2	Penman/Monteith	force-restore	Philip-de Vries	Pitman <i>et al</i> (1991) Cogley <i>et al</i> (1990)
C BUCKET	0	no	0	1	1	-	instantaneous surface heat balance	bucket + variation	Robock <i>et al</i> (1995)
D CLASS	1	yes	3	3	3	Penman/Monteith	heat diffusion	Darcy's Law	Verseghy (1991) Verseghy <i>et al</i> (1993)
E CSIRO	1	yes	3	2	1	aerodynamic	heat diffusion	force-restore	Kowalczyk <i>et al</i> (1991)
F GISS	1	yes	6	6	6	aerodynamic	aerodynamic	Darcy's Law	Abramopoulos <i>et al</i> (1988)
G ISBA	1	yes	2-3	2	1	aerodynamic	force-restore	force-restore	Noilhan and Planton (1989)
H TOPLATS	1	yes	1	2	1	Penman/Monteith	heat diffusion	Philip-de Vries	Famiglietti and Wood (1995)
I LEAF	1	yes	7	7	3	Penman/Monteith	heat diffusion	Darcy's Law	Avissar and Pielke (1989)
J LSX	2	yes	6	6	6	Penman/Monteith	heat diffusion	Philip-de Vries	-
K MAN69	0	no	1	1	1	-	-	bucket	Manabe (1969)
L MILLY	0	no	1	1	1	-	-	bucket	Manabe (1969)
M MIT	0	no	3	3	3	-	heat diffusion	Darcy's Law	Abramopoulos <i>et al</i> (1988) Entekhabi and Eagleson (1989)
N MOSAIC	1	yes	2	3	2	Penman/Monteith	-	Darcy's Law	Koster and Suarez (1992a)
O NMC-MRF	1	yes	1	1	1	lumped with soil	-	-	Pan (1990)
P CAPS	1	yes	2	2	1	Penman/Monteith	heat diffusion	diffusion	Mahrt and Pan (1984)
Q PLACE	1	yes	30	30	2	Ohm's law analogy	force-restore	force-restore	Wetzel and Chang (1988)
R RSTOM	-	no	0	1	1	-	-	bucket + variation	Milly (1992)
S SECHIBA	1	yes	2	2	1	Penman/Monteith	force-restore	Choisnel	Ducoudré <i>et al</i> (1993)
T SSIB	1	yes	2	3	1	Penman/Monteith	force-restore	diffusion	Xue <i>et al</i> (1991)
U UKMO	1	yes	4	1	1	Penman/Monteith	heat diffusion	diffusion	Warrilow <i>et al</i> (1986)
V VIC	1	yes	1	2	1	Penman/Monteith or full energy balance	heat diffusion	Philip-de Vries	Liang <i>et al</i> (1994)
W BIOME	1	yes	1	1	1	Penman/Monteith	force-restore	-	

Table 3.1 Characteristics of several land surface parametrization schemes



Modelo balde



Conteúdo de água muda pelo efeito da evaporação e precipitação

$$\frac{\partial W_t}{\partial t} = P - E - R_s$$

$$E = bE_{pot} \quad (0 < b < 1)$$

$$R = 0 \quad (w < w_{crit})$$

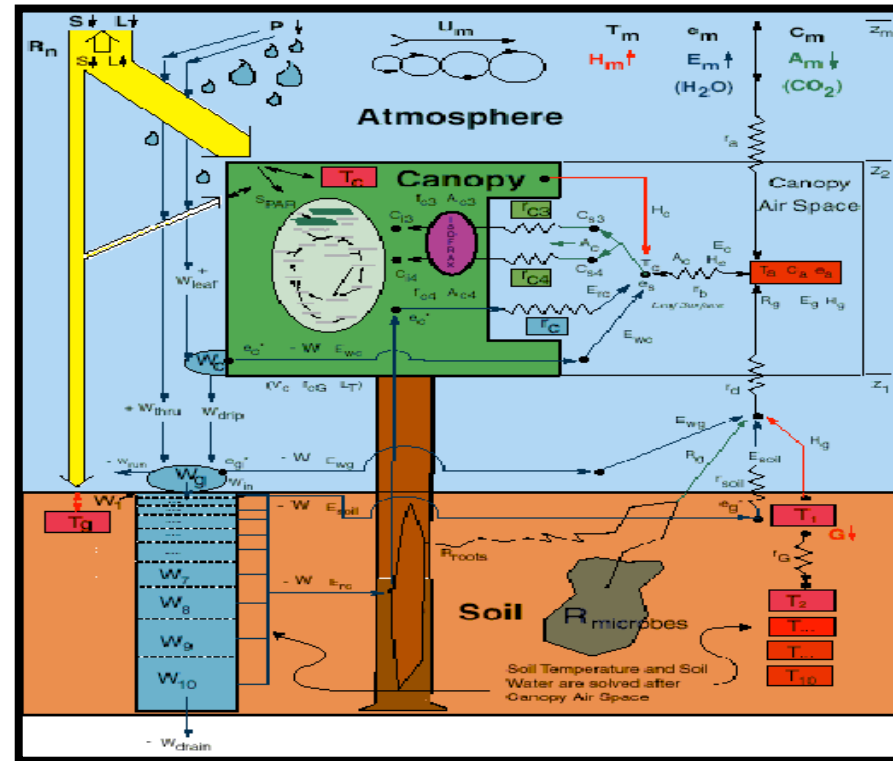
$$R = P - E \quad (w \geq w_{crit})$$



- Vantagens
 - Simples
- Limitações
 - Superestima a evaporação em condições úmidas
 - Resposta da evaporação à precipitação é lenta



Modelo com Várias Camadas de Solo



$$C \frac{\partial T}{\partial t} = \frac{\partial}{\partial z} \left(K \frac{\partial T}{\partial z} \right)$$

$$C(\tilde{\theta}_k) \frac{\partial \tilde{T}_k}{\partial t} = \frac{1}{\Delta z_k} \left[K(\theta_{k-1}) \frac{\partial T}{\partial z} \Big|_{z_{k-1}} - K(\theta_{k-1}) \frac{\partial T}{\partial z} \Big|_{z_k} \right]$$

$$\frac{\partial \theta}{\partial t} = \frac{\partial}{\partial z} \left(D(\theta) \frac{\partial \theta}{\partial z} \right) + \frac{\partial K(\theta)}{\partial z}$$

$$\frac{\partial}{\partial t} \int_{z_i}^{z_{i+1}} \theta dz = \int_{z_i}^{z_{i+1}} \frac{\partial}{\partial z} \left(D(\theta) \frac{\partial \theta}{\partial z} \right) dz + \int_{z_i}^{z_{i+1}} \frac{\partial K(\theta)}{\partial z} dz$$



Modelo com Várias Camadas de Solo

$$-\left[\frac{\Delta t}{C(\tilde{\theta}_k)} \frac{1}{(\Delta z)_k} \frac{K(\theta_{k-1})}{(\Delta \tilde{z})_{k-1}} \right] (\tilde{T}_{k-1}^{n+1}) + \left[1 + \frac{\Delta t}{C(\tilde{\theta}_k)} \frac{1}{(\Delta z)_k} \frac{K(\theta_{k-1})}{(\Delta \tilde{z})_{k-1}} + \frac{\Delta t}{C(\tilde{\theta}_k)} \frac{1}{(\Delta z)_k} \frac{K(\theta_k)}{(\Delta \tilde{z})_k} \right] \tilde{T}_k^{n+1} - \frac{\Delta t}{C(\tilde{\theta}_k)} \frac{1}{(\Delta z)_k} \frac{K(\theta_k)}{(\Delta \tilde{z})_k} (\tilde{T}_{k+1}^{n+1}) = \tilde{T}_k^n$$

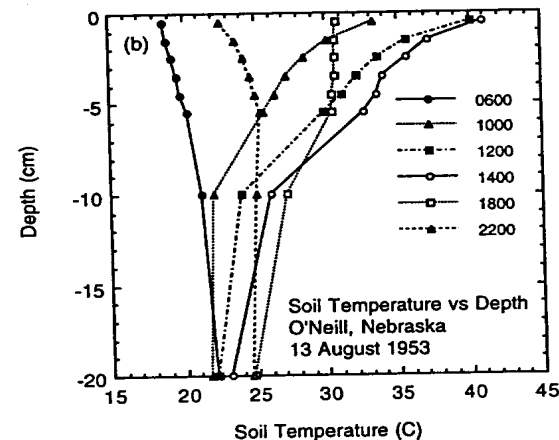
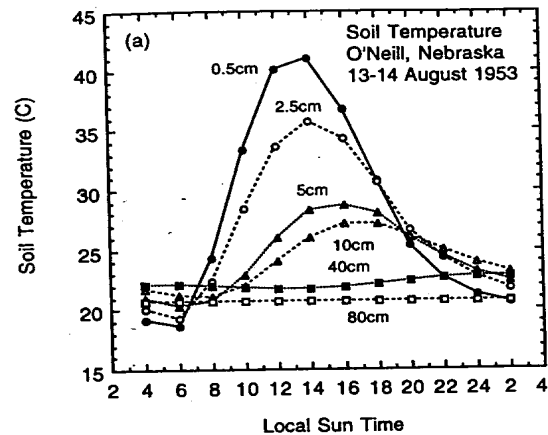
$$-C\phi_{j-1}^{n+1} + (1+C)\phi_j^{n+1} = \phi_j^n$$

$$\begin{pmatrix} 1+C & 0 & 0 & 0 & 0 & 0 & -C \\ -C & 1+C & 0 & 0 & 0 & 0 & 0 \\ 0 & -C & 1+C & 0 & 0 & 0 & 0 \\ 0 & 0 & -C & 1+C & 0 & 0 & 0 \\ \vdots & \vdots & \vdots & \vdots & \vdots & \vdots & \vdots \\ 0 & 0 & 0 & 0 & -C & 1+C & 0 \\ 0 & 0 & 0 & 0 & 0 & -C & 1+C \end{pmatrix} \begin{pmatrix} \phi_1^{n+1} \\ \phi_2^{n+1} \\ \phi_3^{n+1} \\ \phi_4^{n+1} \\ \vdots \\ \phi_{j-2}^{n+1} \\ \phi_{j-1}^{n+1} \end{pmatrix} = \begin{pmatrix} \phi_1^n \\ \phi_2^n \\ \phi_3^n \\ \phi_4^n \\ \vdots \\ \phi_{j-2}^n \\ \phi_{j-1}^n \end{pmatrix}$$



Modelo com Várias Camadas de Solo Fluxo de calor no solo [G]

Fonte: adaptado de Hartmann, 1994

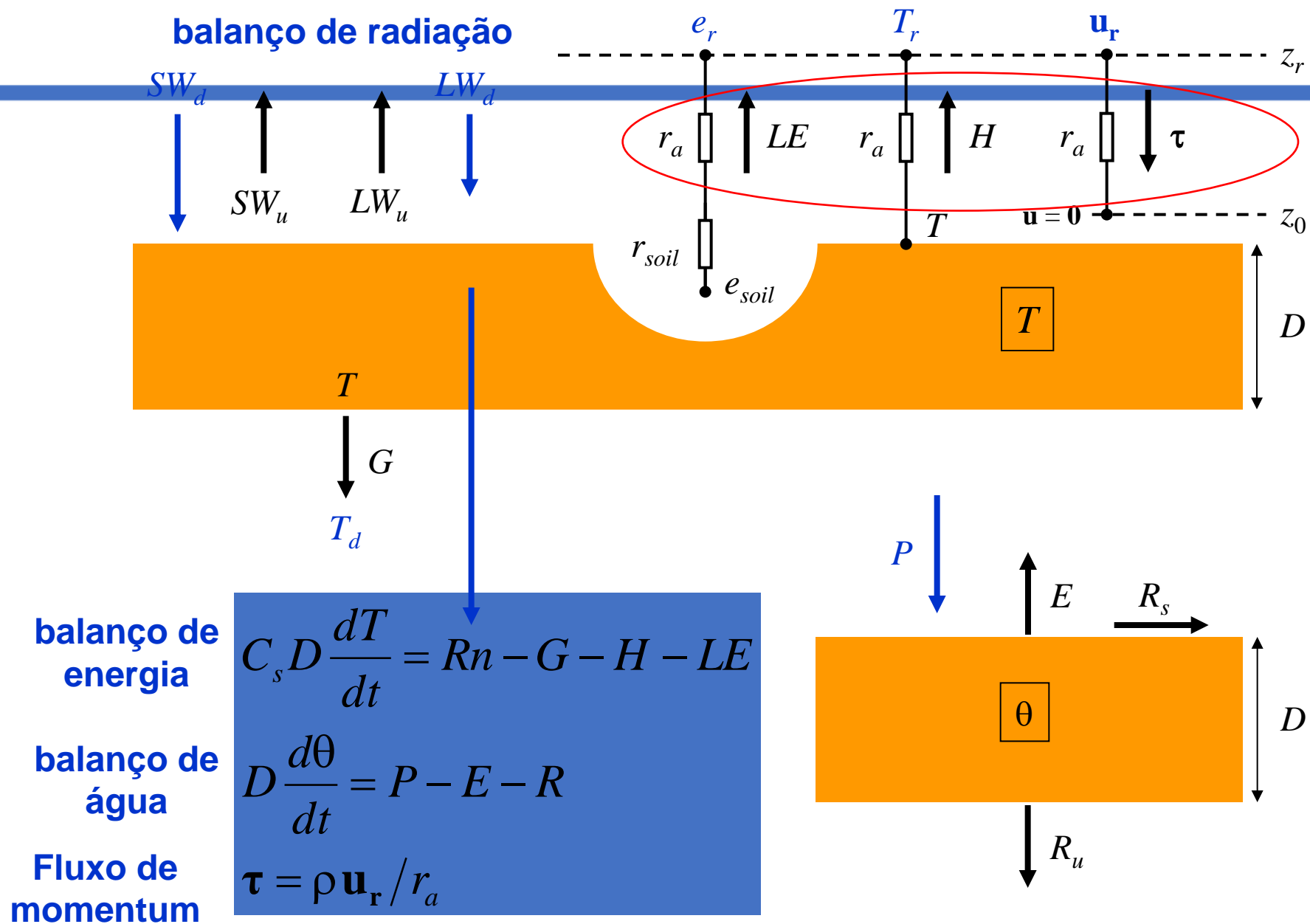


$$(1 - \alpha)S^{\downarrow} + L^{\downarrow} - \sigma T_s^4 = G + H + LE$$

Maiores variações nas camadas mais superficiais

$$C \frac{\partial T}{\partial t} = \frac{\partial}{\partial z} \left(K \frac{\partial T}{\partial z} \right)$$

$$\frac{\partial \theta}{\partial t} = \frac{\partial}{\partial z} \left(D(\theta) \frac{\partial \theta}{\partial z} \right) + \frac{\partial K(\theta)}{\partial z}$$





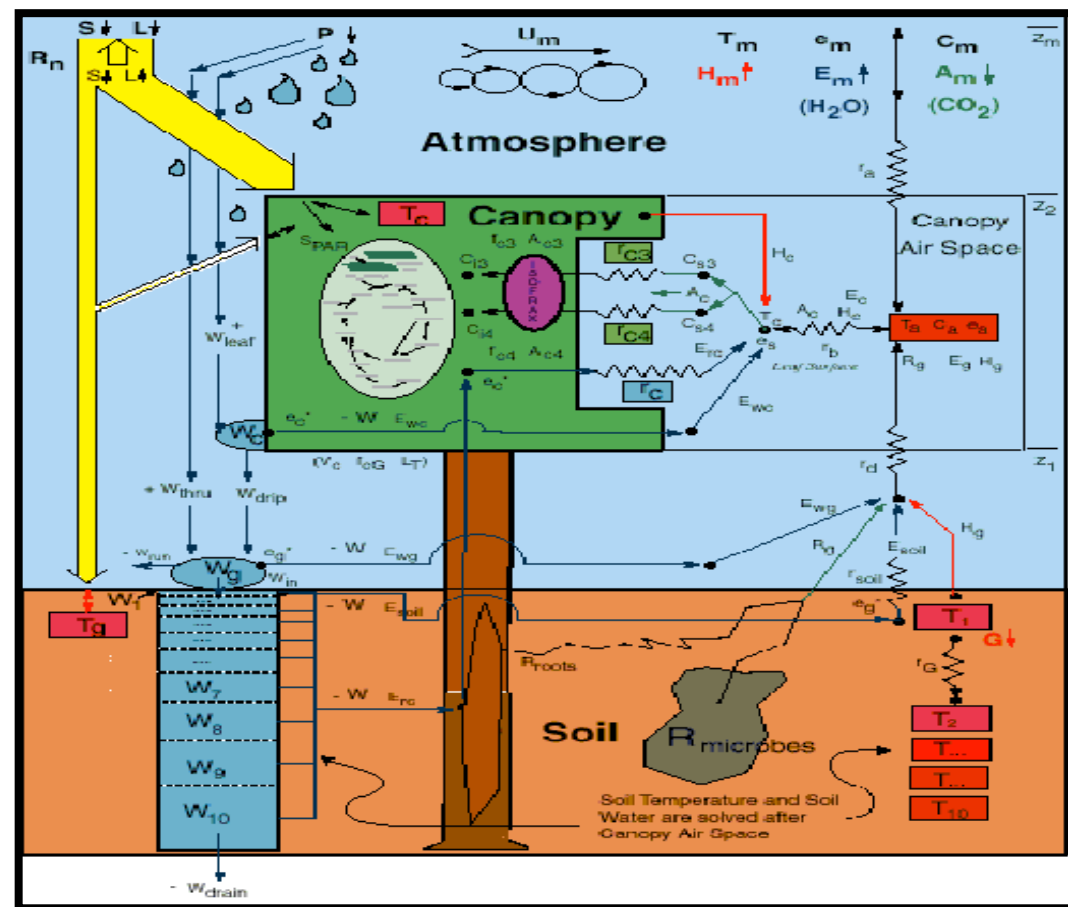
Resistência aerodinâmica [r_a]

Verma-Rosenberg model $\therefore \frac{1}{r_a} = C_D U_r$

$$C_{DN} = \frac{k^2}{\left[\ln \left(\frac{z_r}{z_0} \right) \right]^2} \quad \text{condições neutras}$$

C_D = coeficiente de arrasto (adimensional)
 C_{DN} = coeficiente (C_D) sob condições neutras
 k = coeficiente de von Kármán = 0,4

A resistência aerodinâmica utilizada nos cálculos dos fluxos podem ser parametrizadas por C_d e C_{dn}





$$C_s D \frac{dT}{dt} = Rn - G - H - LE$$

$$D \frac{d\theta}{dt} = P - E - R$$

$$\tau = \rho \mathbf{u}_r / r_a$$

$$Rn = (1 - \alpha) SW_d + LW_d - \varepsilon \sigma T^4$$

$$G = C_s D (T - T_d) / \tau_d$$

$$H = \rho c_p (T - T_r) / r_a$$

$$LE = (\rho c_p / \gamma) [h e_s(T) - e_r] / (r_a + r_{soil})$$

Hipóteses*

$$\alpha = \text{constante} \sim 0,30$$



$$\varepsilon = \text{constante} \sim 0,97$$



$$C_s = \text{constante} \sim 10^6 \text{ J m}^{-3} \text{ K}^{-1}$$



$$\tau_d = \text{constante} \sim 1 \text{ dia} / 2\pi$$

$$\theta_s = \text{constante} \sim 0,50$$

$$z_0 = \text{constante} \sim 0,01 \text{ m}$$



$$C_D = C_{DN} \rightarrow \frac{1}{r_a} = \frac{k^2 U_r}{[\ln(z_r / z_0)]^2}$$

$$r_{soil} = \exp[8,2 - 4,3(\theta / \theta_s)]$$

$$R = 38 (\theta / \theta_s)^{11}$$

* Os valores se referem a solo nu.



$$C_s D \frac{dT}{dt} = Rn - G - H - LE$$

$$Rn = (1 - \alpha) SW_d + LW_d - \varepsilon \sigma T^4$$

$$D \frac{d\theta}{dt} = P - E - R$$

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$$H = \rho c_p (T - T_r) / r_a$$

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Magnitude of Reynolds stress at ground surface (8.2)

$$|\tau_z| = \rho_a \left[(\overline{w'u'})^2 + (\overline{w'v'})^2 \right]^{1/2}$$

Kinematic vertical turbulent momentum flux ($\text{m}^2 \text{s}^{-2}$) (8.3)

$$\overline{w'u'} = -\frac{\tau_{zx}}{\rho_a}$$

$$\overline{w'v'} = -\frac{\tau_{zy}}{\rho_a}$$

Vertical turbulent sensible-heat flux (W m^{-2}) (8.4)

$$H_f = \rho_a c_{p,d} \overline{w'\theta'_v}$$

Kinematic vert. turbulent sensible-heat flux (m K s^{-1}) (8.5)

$$\overline{w'\theta'_v} = \frac{H_f}{\rho_a c_{p,d}}$$

Vertical turbulent water vapor flux ($\text{kg m}^{-2} \text{s}^{-1}$) (8.6)

$$E_f = \rho_a \overline{w'q'_v}$$

Kinematic vert. turbulent moisture flux ($\text{m kg s}^{-1} \text{kg}^{-1}$) (8.7)

$$\overline{w'q'_v} = \frac{E_f}{\rho_a}$$

$$C \frac{\partial T}{\partial t} = \frac{\partial}{\partial z} \left(K \frac{\partial T}{\partial z} \right)$$

$$\frac{\partial \overline{u_i}}{\partial t} + \overline{u_j} \frac{\partial \overline{u_i}}{\partial x_j} = -\delta_{i3} g + f_c \varepsilon_{ij3} \overline{u_j} - \frac{1}{\rho} \frac{\partial \overline{P}}{\partial x_i} + \frac{\nu \partial^2 \overline{u_i}}{\partial x_j^2} - \frac{\partial (\overline{u'_i u'_j})}{\partial x_j}$$

$$\frac{\partial \theta}{\partial t} = \frac{\partial}{\partial z} \left(D(\theta) \frac{\partial \theta}{\partial z} \right) + \frac{\partial K(\theta)}{\partial z}$$

$$\frac{\partial \overline{\theta}}{\partial t} + \overline{u_j} \frac{\partial \overline{\theta}}{\partial x_j} = -\frac{1}{\rho c_p} \frac{\partial \overline{F_j}}{\partial x_j} - \frac{\partial (\overline{u'_j \theta'})}{\partial x_j}$$

$$C_g \frac{\partial T_g}{\partial t} = Rn_g - H_g - \lambda E_g - \omega C_g (T_g - T_d)$$

$$C_c \frac{\partial T_c}{\partial t} = Rn_c - H_c - \lambda E_c \quad C_d \frac{\partial T_d}{\partial t} = Rn_g - H_g - \lambda E_g$$

$$\frac{\partial \overline{q_t}}{\partial t} + \overline{u_j} \frac{\partial \overline{q_t}}{\partial x_j} = \frac{S_{q_t}}{\rho} - \frac{\partial (\overline{u'_j q'_t})}{\partial x_j}$$



Mecanismos de *feedback*



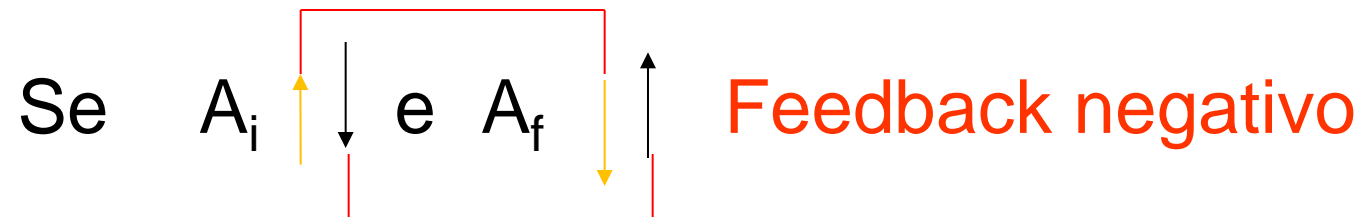
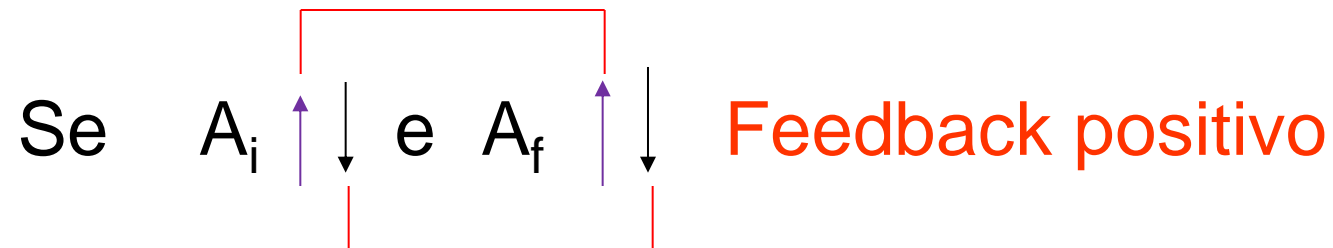
- Albedo
- Evapotranspiração
- Rugosidade
- Umidade



Feedback = “realimentação”

- Processo inicial influencia um segundo processo que por sua vez influencia o primeiro:

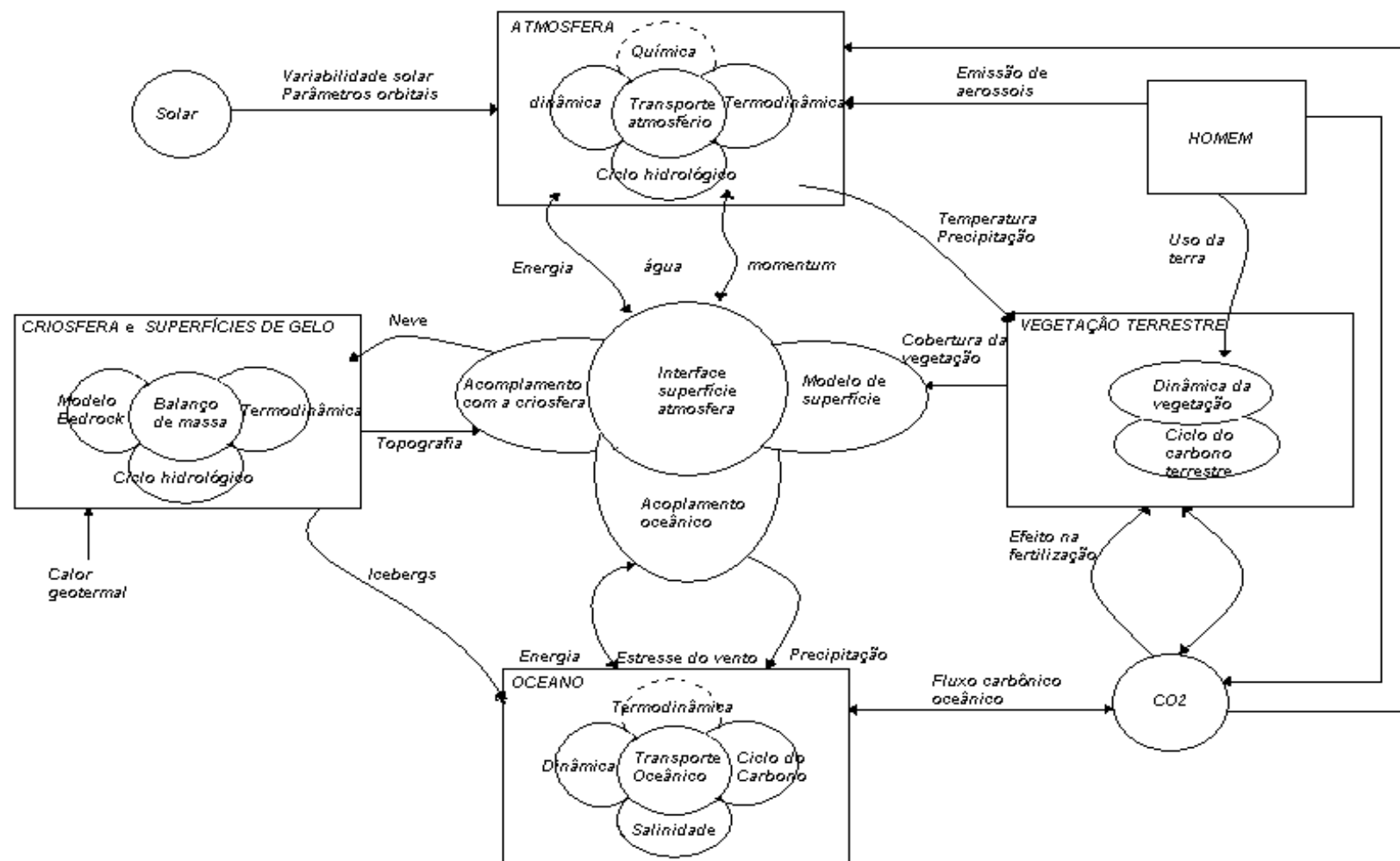
$$A_i \rightarrow B \rightarrow A_f$$





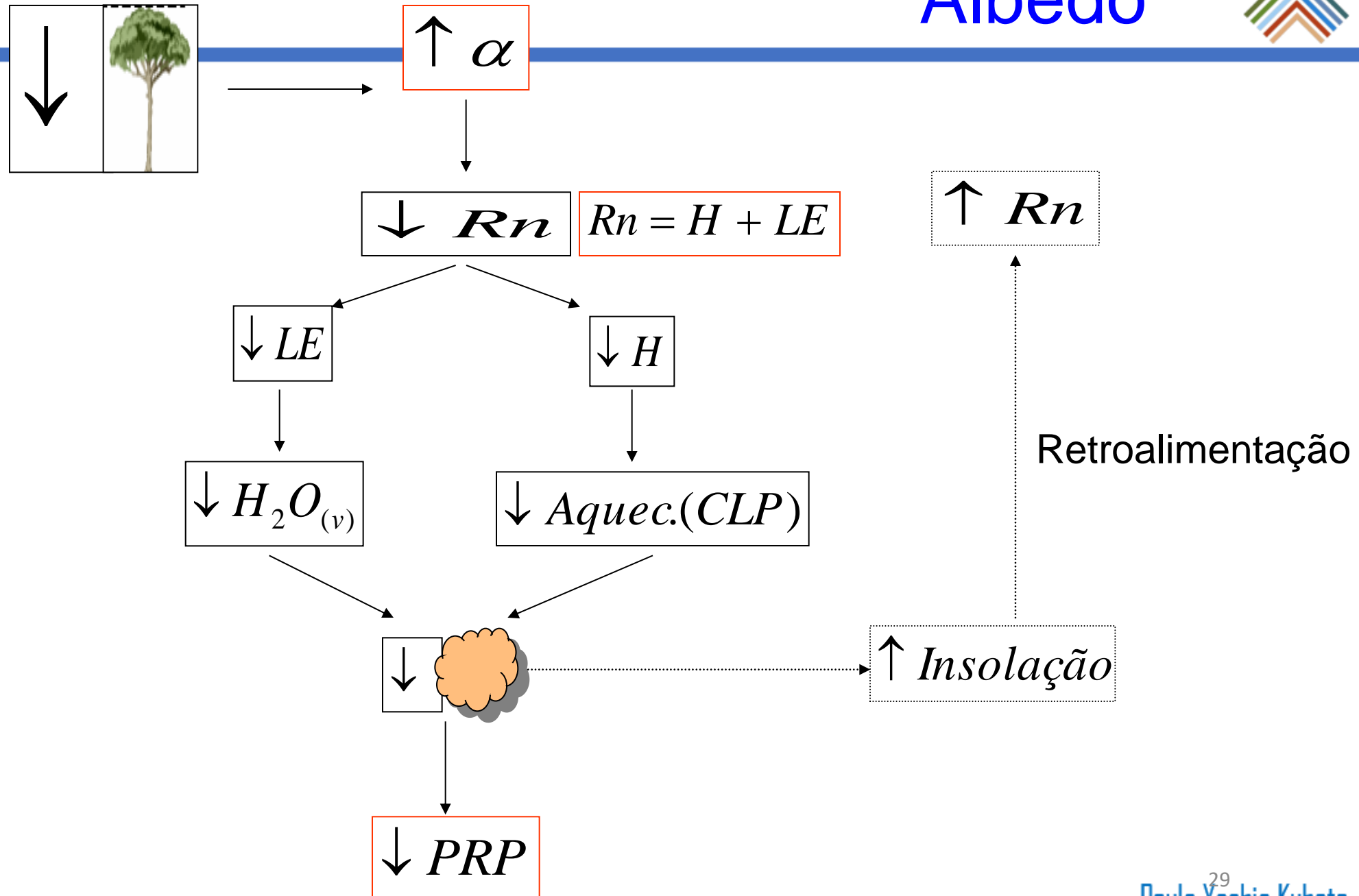
Previsão Numérica de Tempo e Clima

Sistema completo



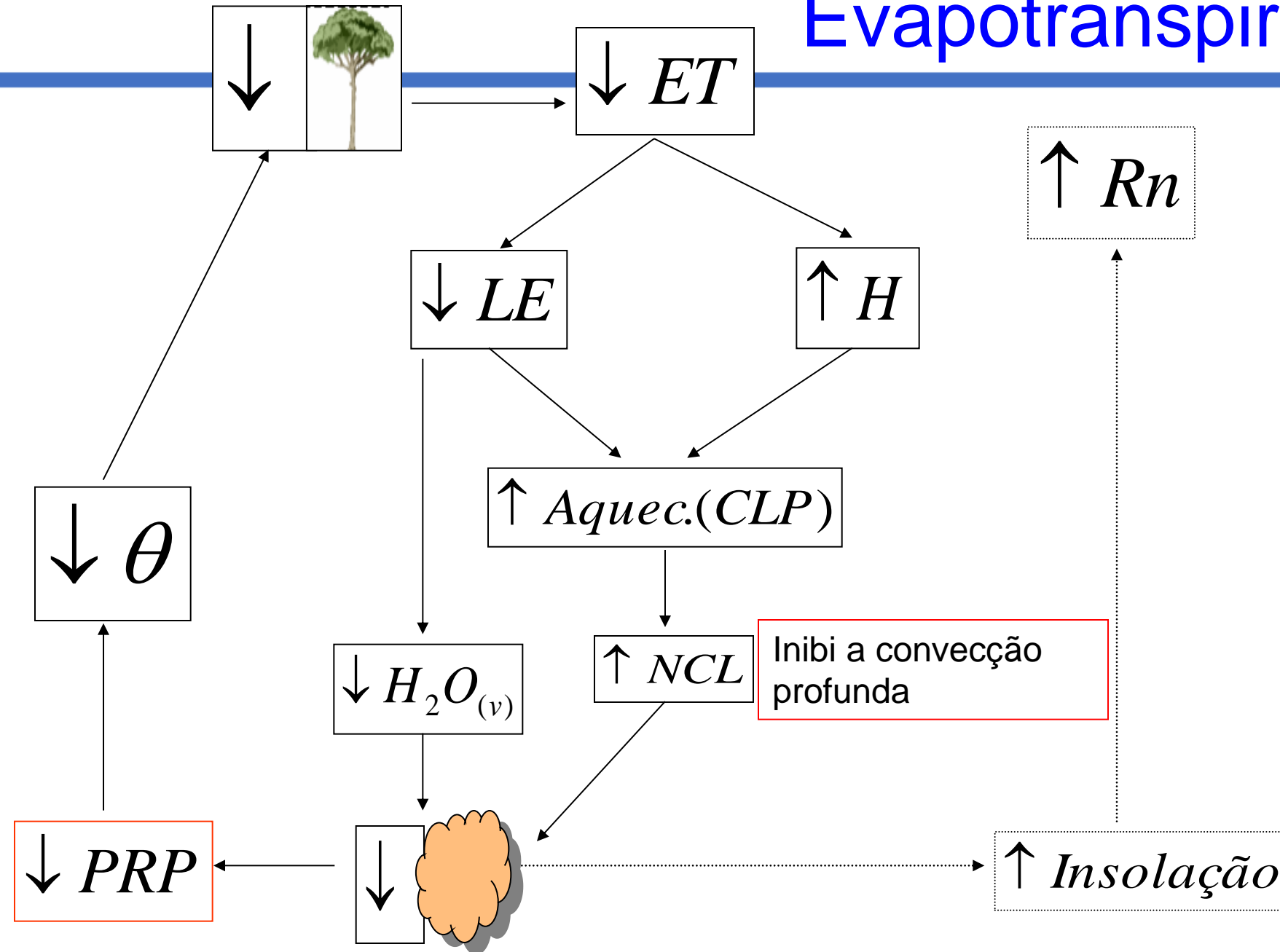


Albedo





Evapotranspiração

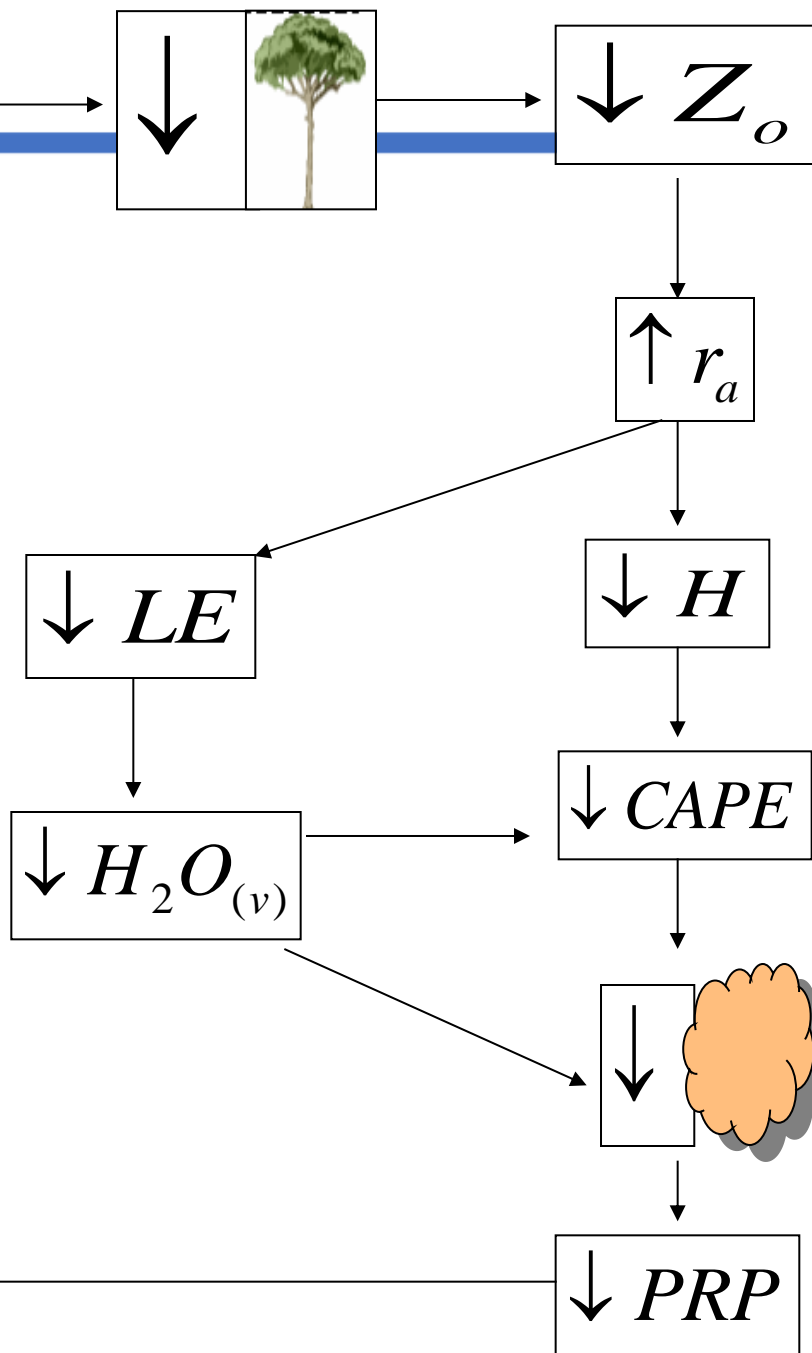




Comprimento de rugosidade - Z_o

Z_o é a altura média onde a velocidade do vento é bem próxima de zero.

$$\therefore \frac{1}{r_a} = C_D U_r$$
$$C_{DN} = \frac{k^2}{\left[\ln \left(\frac{z_r}{z_0} \right) \right]^2}$$



↓ *Converg. de massa*

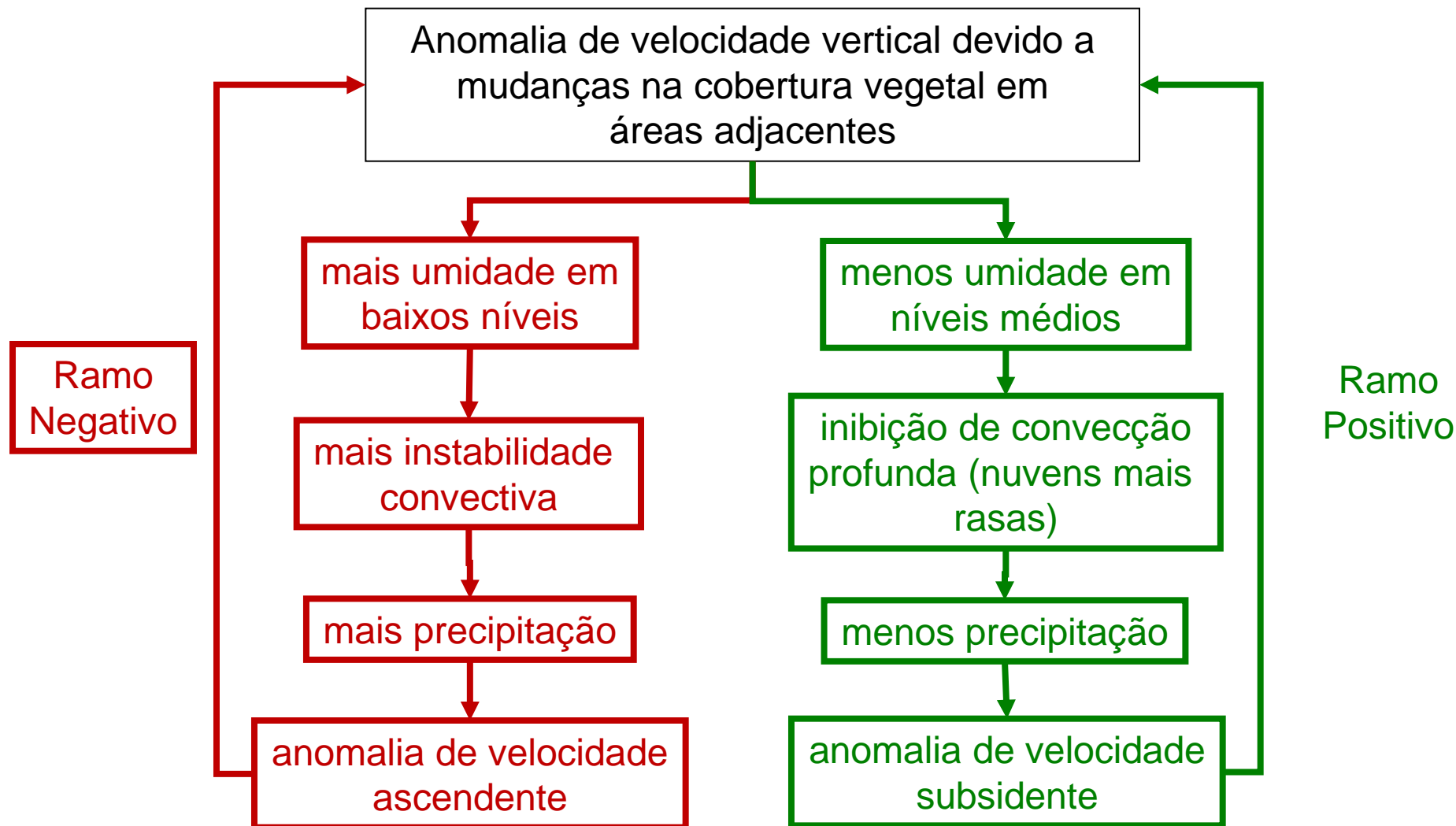
Sud (1988)
Mais eficiente

↓ *PRP*

$$H = \rho c_p (T - T_r) / r_a$$
$$LE = (\rho c_p / \gamma) [h e_s(T) - e_r] / (r_a + r_{soil})$$



Mecanismo de umidade:





Modelos Biofísicos e Biogeoquímicos



No início as deficiências nos MCGA eram:

i) Albedos não realistas

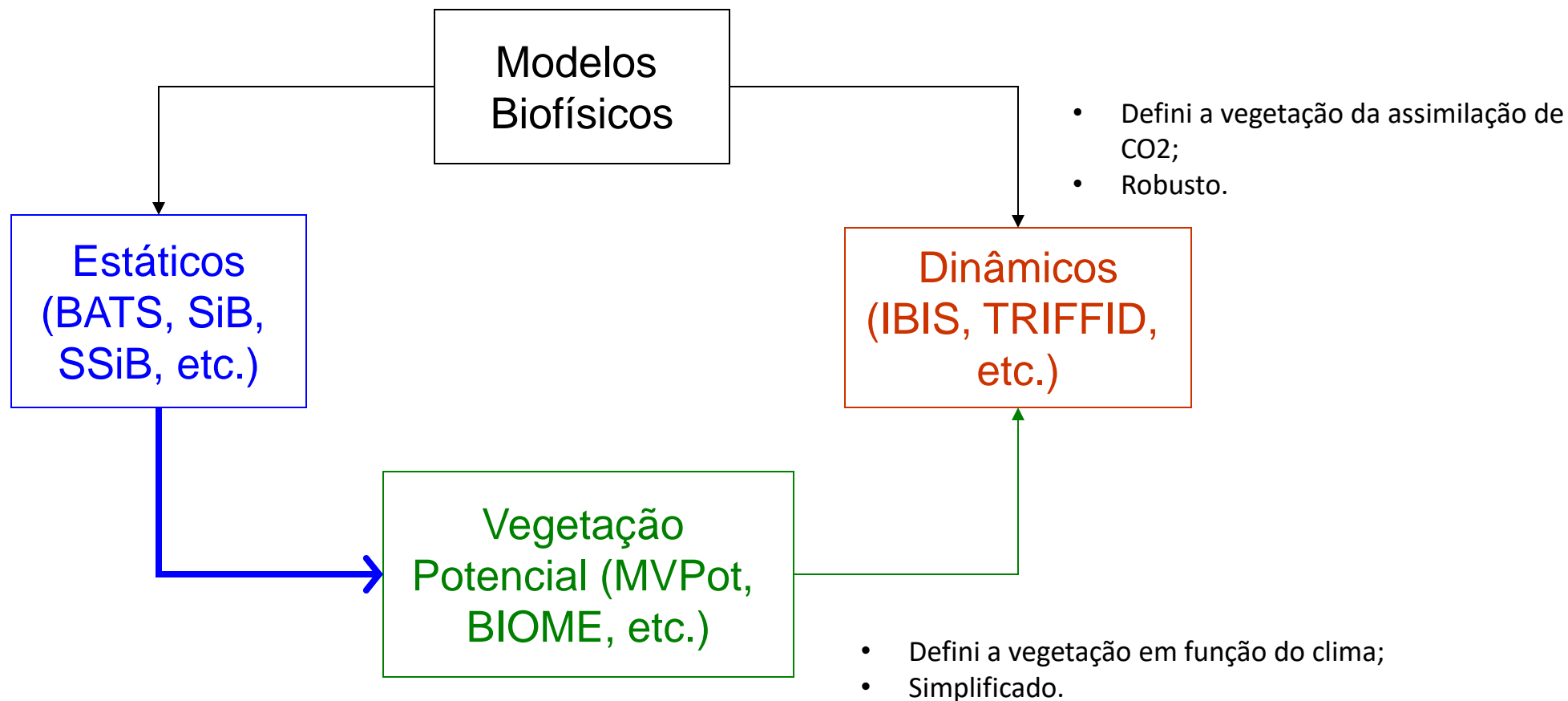
ii) Roughness lenght constante

iii) Bucket model com capacidade constante de 150 mm

A partir da década de 80 foram criados os primeiros modelos biofísicos



Previsão Numérica de Tempo e Clima





Tipos de modelos atuais de superfície de MCGA's:

- Simple Biosphere Model (SIB);
- Integrated Biosphere Simulator Model (IBIS);
- Community Land Model (CLM).



Modeling the Exchanges of Energy, Water, and Carbon Between Continents and the Atmosphere

P. J. Sellers,* R. E. Dickinson, D. A. Randall, A. K. Betts, F. G. Hall, J. A. Berry, G. J. Collatz, A. S. Denning, H. A. Mooney, C. A. Nobre, N. Sato, C. B. Field, A. Henderson-Sellers

Atmospheric general circulation models used for climate simulation and weather forecasting require the fluxes of radiation, heat, water vapor, and momentum across the land-atmosphere interface to be specified. These fluxes are calculated by submodels called land surface parameterizations. Over the last 20 years, these parameterizations have evolved from simple, unrealistic schemes into credible representations of the global soil-vegetation-atmosphere transfer system as advances in plant physiological and hydrological research, advances in satellite data interpretation, and the results of large-scale field experiments have been exploited. Some modern schemes incorporate biogeochemical and ecological knowledge and, when coupled with advanced climate and ocean models, will be capable of modeling the biological and physical responses of the Earth system to global change, for example, increasing atmospheric carbon dioxide.

sure and temperature gradients, and friction (2, 11). Energy transfer processes include radiative heating and cooling; heat transport by means of convection, condensation, and evaporation; and the transfer of energy, water, and momentum across the lower boundary of the atmosphere, that is, between the land or ocean surface and the atmosphere. The AGCMs use three-dimensional grid systems to represent the vertical and horizontal structure and state of the atmosphere and integrate finite difference versions of the governing

2008

Evolução do modelo Simple Biosphere Model (SiB):

1986: Simple Biosphere Model – SiB (Sellers et al., 1986)

1991: Simplified Simple Biosphere Model – SSiB (Xue et al., 1991)

1996: Simple Biosphere Model 2 – SiB2 (Sellers et al., 1996)

2003: Simple Biosphere Model 2.5 SiB 2.5 (Baker et al., 2003)

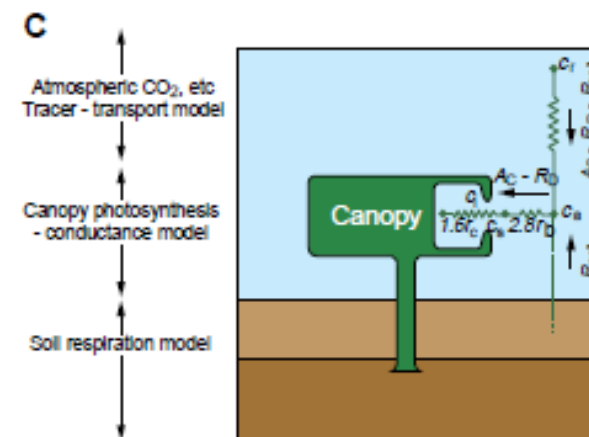
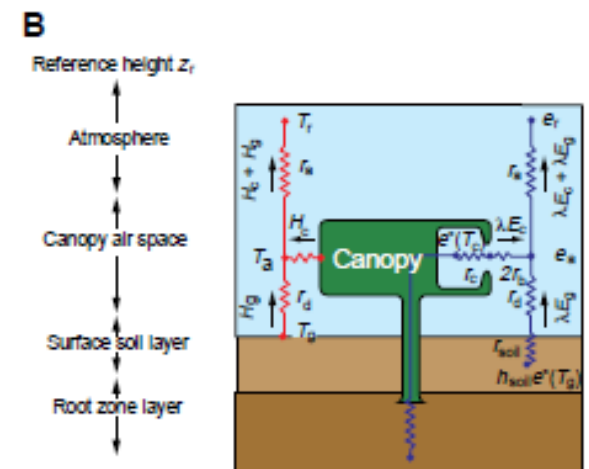
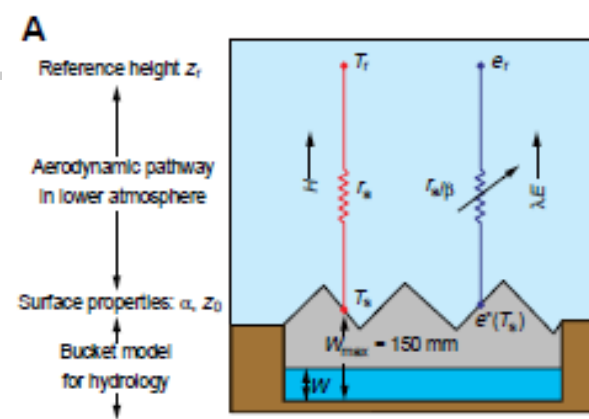
2003: Simplified Simple Biosphere Model 2 – SSiB2 (Zhan et al., 2003)

2003: Simplified Simple Biosphere Model 3 – SSiB3 (Sun e Xue, 2003)

2007: Simple Biosphere Model 3 – SiB3 (Baker et al., 2003)

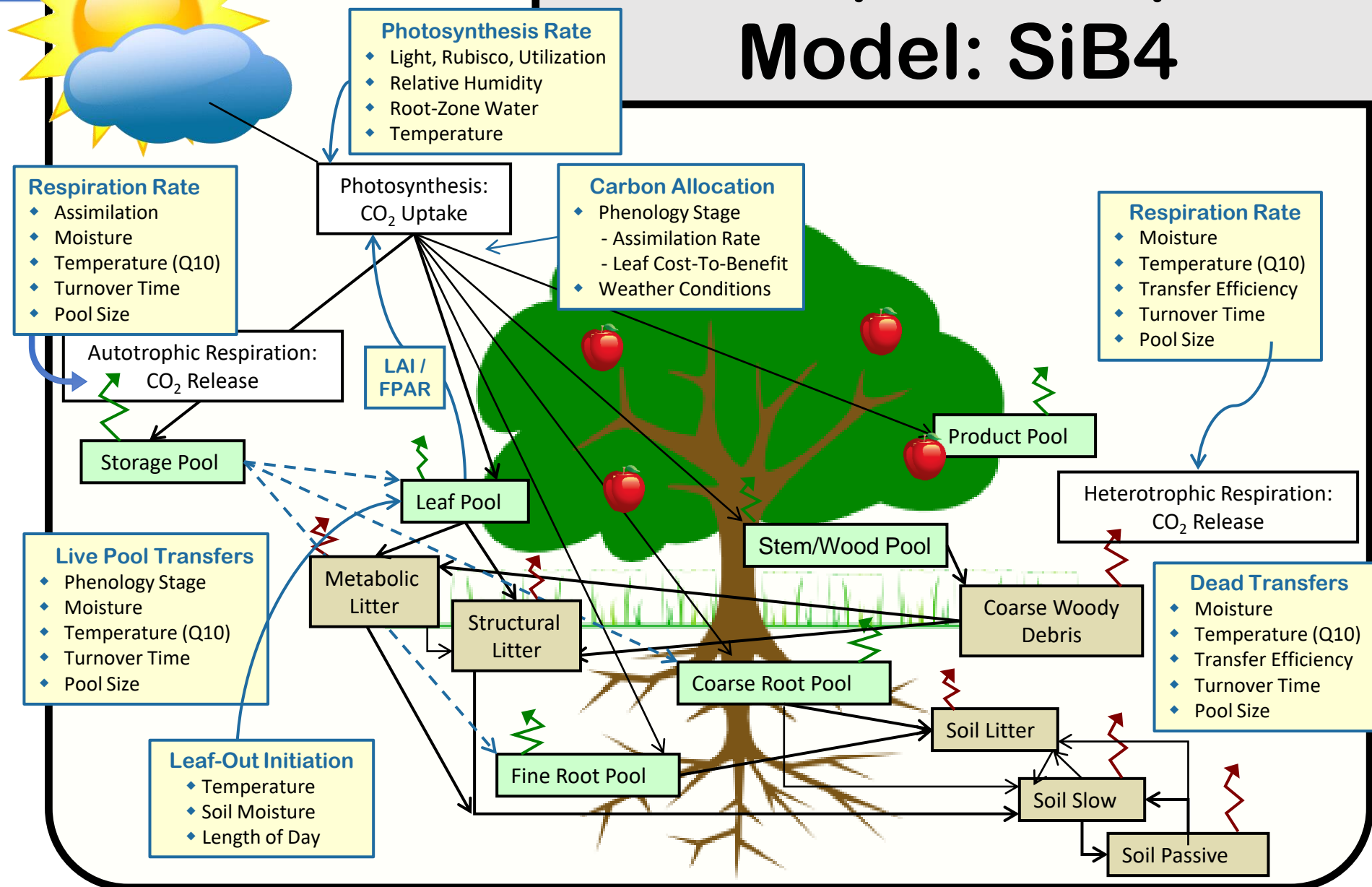
2008: Simplified Simple Biosphere Model 4 – SSiB4/TRIFFID (Xue et al., 2008)

2015: Simple Biosphere Model 4 – SiB4 (Haynes, K; Baker, I. Denning, S., 2015)





The Simple Biosphere Model: SiB4

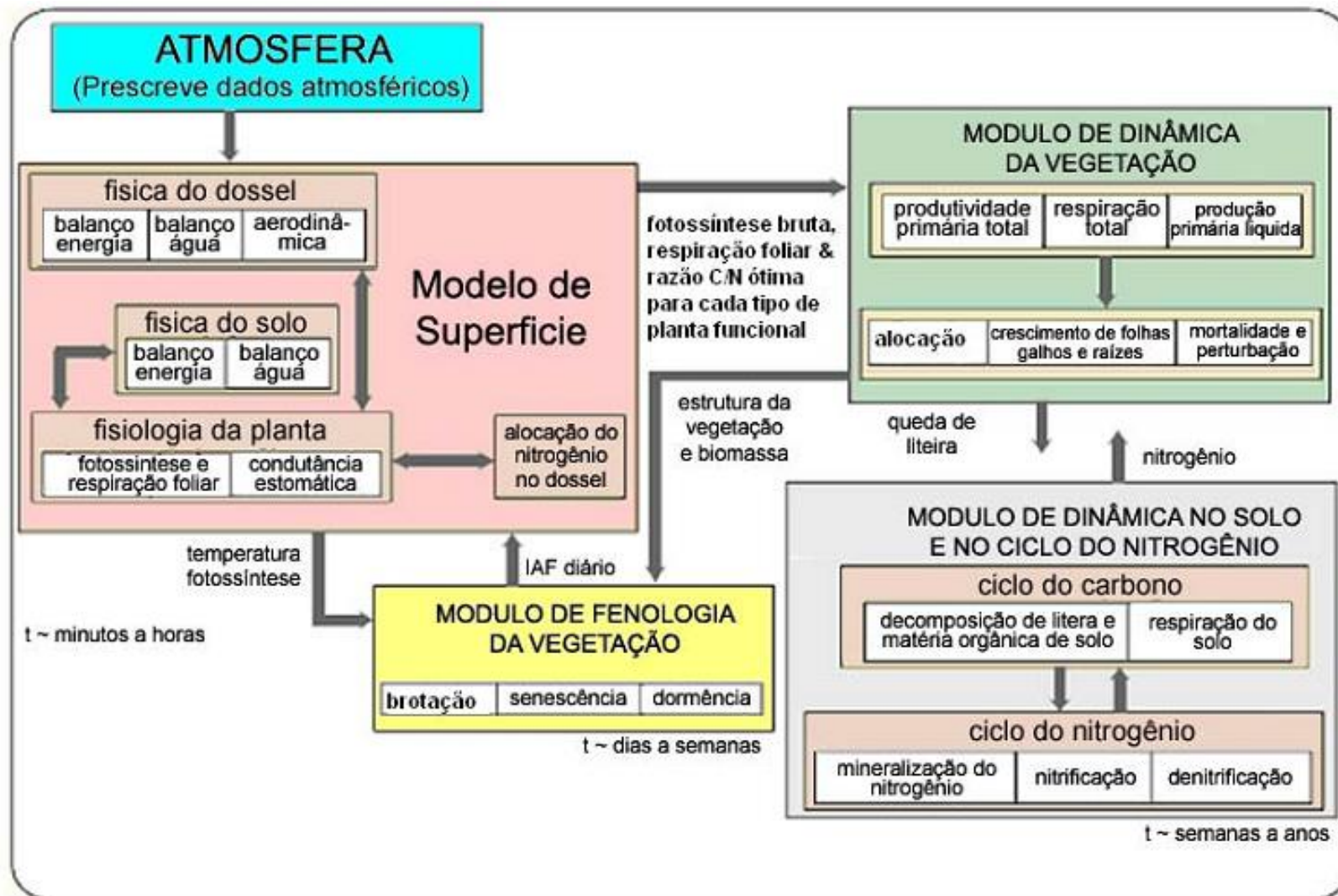




Previsão Numérica de Tempo e Clima

[Integrated Biosphere Simulator Model](#) (IBIS) (modelo com opção de vegetação dinâmica simples);

Estrutura básica do IBIS





Previsão Numérica de Tempo e Clima



[Community Land Model](#) (modelo mais sofisticado com opção de vegetação dinâmica);

CLM
COMMUNITY LAND MODEL

[Overview](#) | [Model Components](#) | [Software and Documentation](#)

[UCAR](#) > [NCAR](#) > [NESL](#) > [CGD](#) > [TSS](#) > [CLM Home](#)

Overview

Model Components

- Biogeophysics
- Hydrologic Cycle
- Biogeochemistry
- Dynamic Vegetation

Software and Documentation

- CLM 2.0
- CLM 2.1
- CLM 3.0
- CLM 3.5
- CLM 4.0

Welcome to the Community Land Model

The Community Land Model is the land model for the Community Earth System Model (CESM) and the Community Atmosphere Model (CAM).

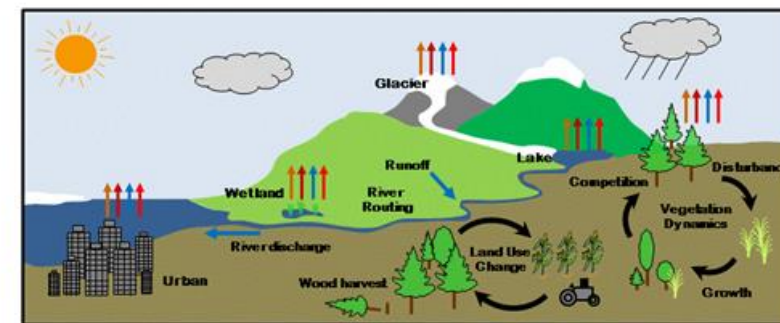
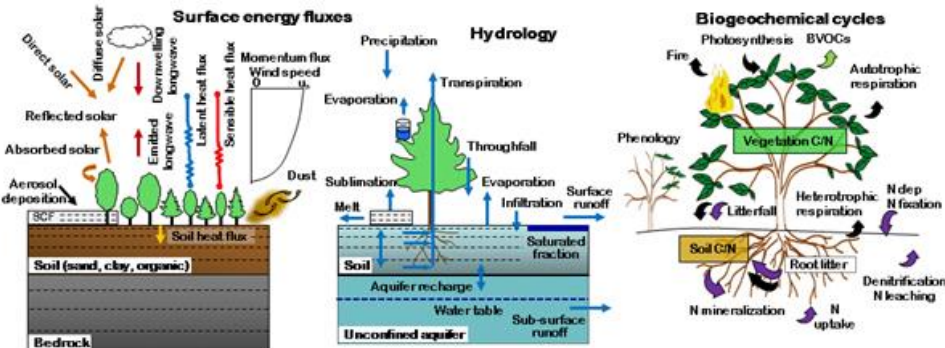
It is a collaborative project between scientists in the Terrestrial Sciences Section (TSS) and the Climate and Global Dynamics Division (CGD) at the National Center for Atmospheric Research (NCAR) and the CESM Land Model Working Group. Other principal working groups that also contribute to the CLM are Biogeochemistry, Paleoclimate, and Climate Change and Assessment.

The model formalizes and quantifies concepts of ecological climatology. Ecological climatology is an interdisciplinary framework to understand how natural and human changes in vegetation affect climate. It examines the physical, chemical, and biological processes by which terrestrial ecosystems affect and are affected by climate across a variety of spatial and temporal scales. The central theme is that terrestrial ecosystems, through their cycling of energy, water, chemical elements, and trace gases, are important determinants of climate.

Model components consist of: biogeophysics, hydrologic cycle, biogeochemistry and dynamic vegetation.

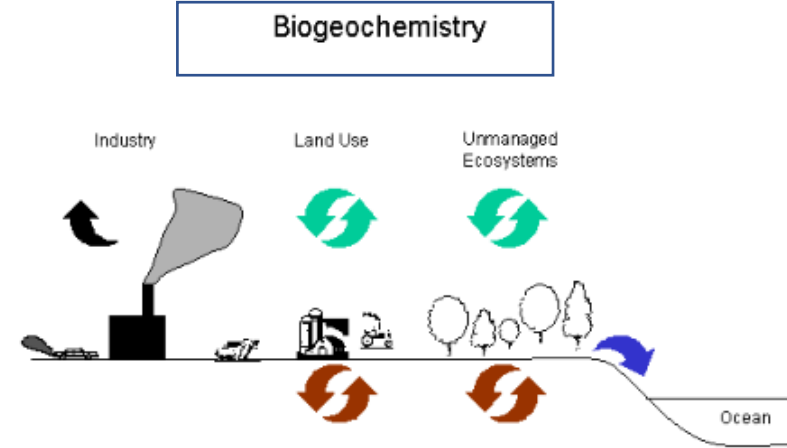
The land surface is represented by 5 primary sub-grid land cover types (glacier, lake, wetland, urban, vegetated) in each grid cell. The vegetated portion of a grid cell is further divided into patches of plant functional types, each with its own leaf and stem area index and canopy height. Each subgrid land cover type and PFT patch is a separate column for energy and water calculations.

The current version of the Community Land Model is CLM4.0





Ecosystem Carbon Balance



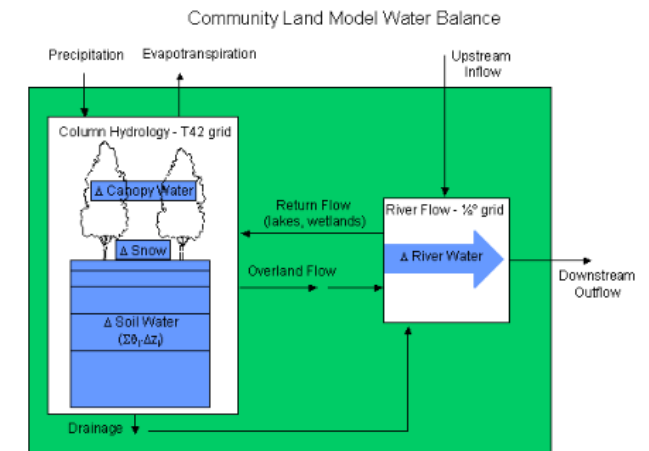
-
- The diagram illustrates the physiological processes of a tree and their dependence on various environmental factors. The tree is shown with arrows indicating the flow of gases and water. Surrounding the tree are several graphs showing the relationship between different environmental factors and physiological rates.
- Photosynthesis:** The rate of photosynthesis is shown as a function of PPFD (μmol·m⁻²·s⁻¹) and Temperature (°C). The rate increases with PPFD and then plateaus. The rate also increases with temperature up to an optimal point and then decreases.
- Respiration:** The rate of respiration is shown as a function of Temperature (°C). The rate increases with temperature up to an optimal point and then decreases. This includes Growth Respiration, Autotrophic Respiration, and Heterotrophic Respiration.
- Transpiration:** The rate of transpiration is shown as a function of Foliage Water Potential (MPa), Vapor Pressure Deficit (Pa), and Foliage Nitrogen (%). The rate decreases with increasing water potential deficit and increases with increasing vapor pressure deficit and foliage nitrogen.
- Other Factors:** The rate of photosynthesis is also shown as a function of Ambient CO₂ (ppm). The rate increases with ambient CO₂ up to an optimal point and then plateaus.

Copyright Bonan, G.B. (2002) Ecological Climatology: Concepts and Applications. Cambridge University Press, Cambridge

Catchment Hydrology
And River Flow

The diagram illustrates the hydrological cycle within a catchment area. It shows a cross-section of a landscape with a mountain slope, trees, and a river valley. Key components labeled include:

- Snow**: Accumulated at the top of the mountain slope.
- Soil Water**: Indicated by arrows showing water moving from the surface into the ground.
- Ground Water**: Shown as a subsurface layer with arrows indicating flow towards the river.
- Surface Runoff**: Indicated by arrows showing water flowing down the slope towards the river.
- Lake**: A body of water in the valley that receives runoff and groundwater.
- Ocean**: The final destination of the river flow.



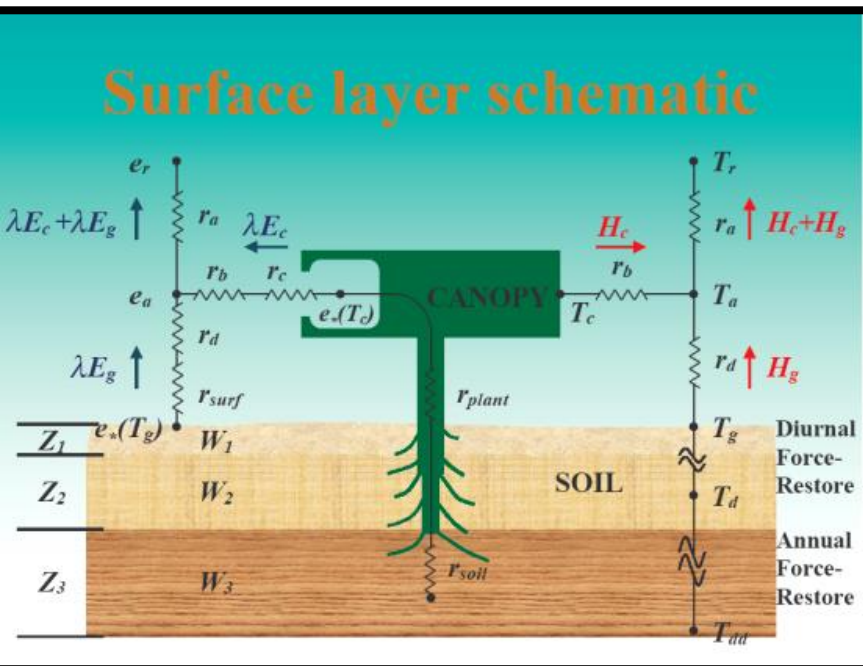
Column (T42): Precipitation + Return - Evapotranspiration - Total Runoff
 River (%): Inflow + Total Runoff - Return - Outflow
 Grid Cell (T42): Precipitation + Inflow - Evapotranspiration - Outflow



Modelos de superfície



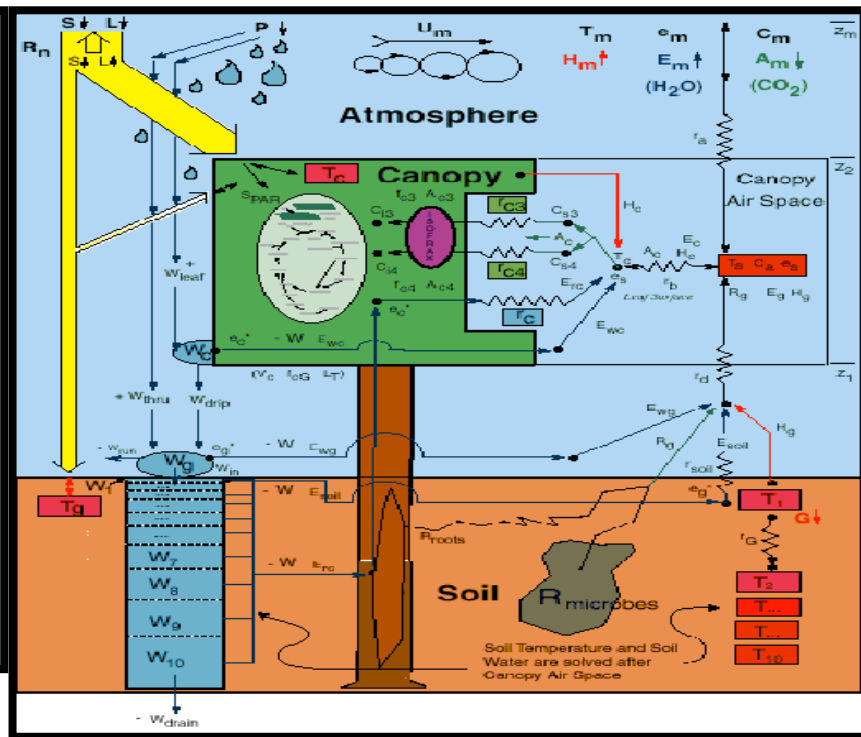
SSiB



SSiB (Xue et al., 1991)

3º geração

SiB 2.5



SiB 2.5 (Baker et al., 2003)

3º geração

IBIS

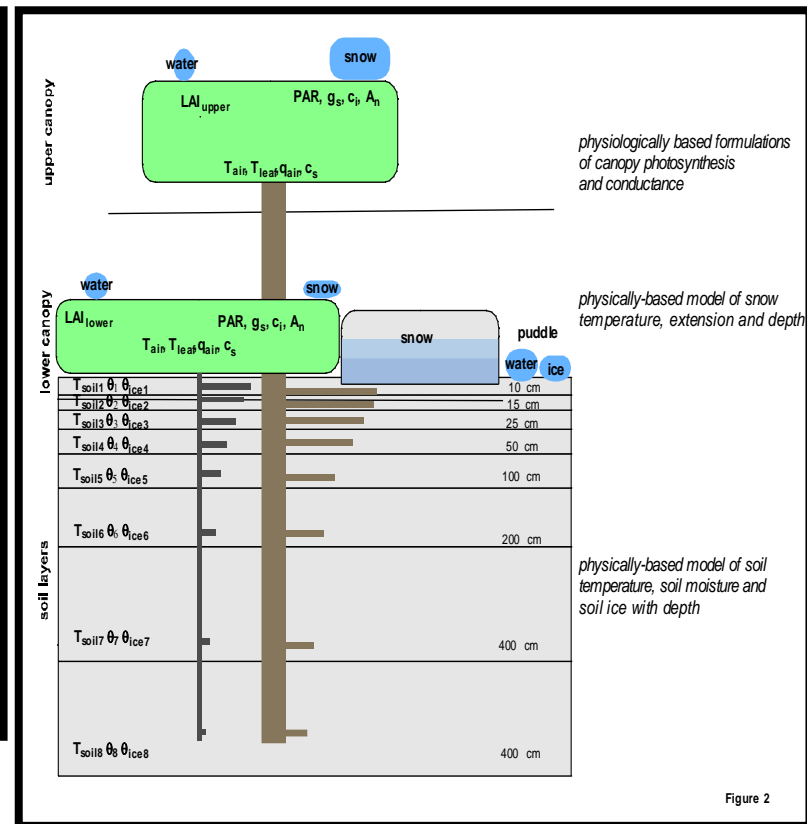


Figure 2

IBIS (Foley, J.A. et al., 2005)

Simplified Simple Biosphere Model 2 – SSiB2 (Zhan et al., 2003) em desenvolvimento>>> future SSiB4 (Haynes, K; Baker, I. Denning, S., 2015)

A Simplified Biosphere Model for Global Climate Studies

Y. XUE, P. J. SELLERS, J. L. KINTER AND J. SHUKLA

Center for Ocean–Land–Atmosphere Interactions, Department of Meteorology, University of Maryland, College Park, Maryland

(Manuscript received 8 February 1990, in final form 7 November 1990)

SSiB

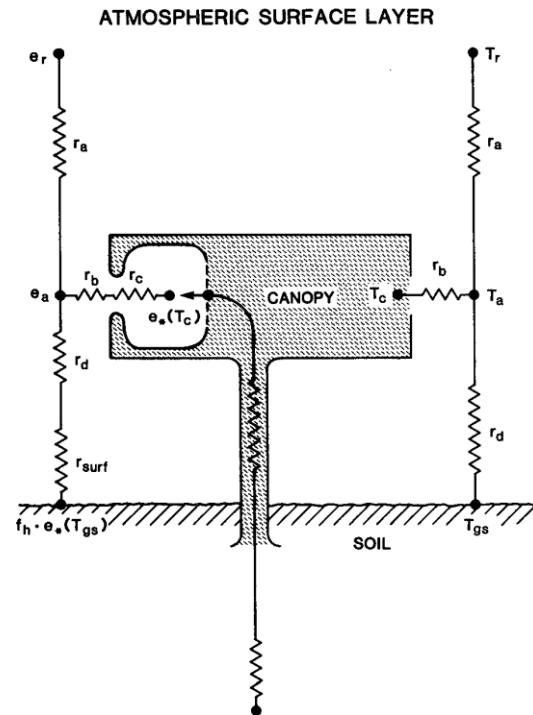


FIG. 3. Schematic diagram of SSiB. T_r is the air temperature at reference height, T_c the canopy temperature, T_a the air temperature within the canopy space, T_g the soil temperature, r_a the aerodynamic resistance between canopy air space and reference height, r_b the bulk boundary layer resistance, r_c the bulk stomatal resistance, r_d aerodynamic resistance between canopy air space and ground.

- A parametrização do ciclo diurno do albedo foi simplificada;
- Simplificação da dependência da resistência estomática em relação à na zona de raízes;
- Os fluxos de calor, umidade e momentum entre o dossel e a atmosfera foram parametrizados com base em uma linearização derivada a partir da teoria de similaridade de Monin-Obukhov;
- O nº de camadas de vegetação foi reduzido de dois para um.



Parâmetros morfológicos, fisiológicos e físicos

Definition	SiB	SSiB
Vegetation cover	Vc, Vg	Vc
Leaf angle distribution	Oc, Og	Oc
Height of canopy top	z2	z2
Height of canopy bottom	z1	
Leaf index	Lc, Lg	Lc
Rooting depth	Zdc, Zdg	Zdc
Root length density	Dgc, Dgg	
Root cross section	Rcroc, Rcrog	
Thickness of 3 soil layers	D1, D2, D3	D1, D2, D3
Green fraction	Nc, Ng	Nc
rs coefficients	(a, b, c) _c , (a, b, c) _g	(a, b, c)
Constant for temperature adjustment	(T1, Th, To) _c (T1, Th, To) _g	(T1, Th, To)
Constant for water vapor deficit adjustment	h5c, h5g	h5c
Constant for moisture adjustment	($\psi_{c2}\psi_{c1}$) _c ($\psi_{c2}\psi_{c1}$) _g	(C1, C2)
Root resistance	Rc, Rg	
Plant resistance	r(plant)	
Roughness length	zo	zo
Displacement height	d	d
Soil pore	Os	Os
Soil moisture potential	ψ_s	ψ_s
b parameter	B	B
Lengthscale of leaf	l	
Canopy source height	ha	
Slope	α	α
Parameter for rd	Cd	Cd
Parameter for rb	Cb	Cb
Parameter for aerodynamic resistance	G1, G2, G3, ZTZO	

- Parâmetros reduzidos de 44 para 21;
- mudanças na estrutura do modelo;
- simplificação das parametrizações;

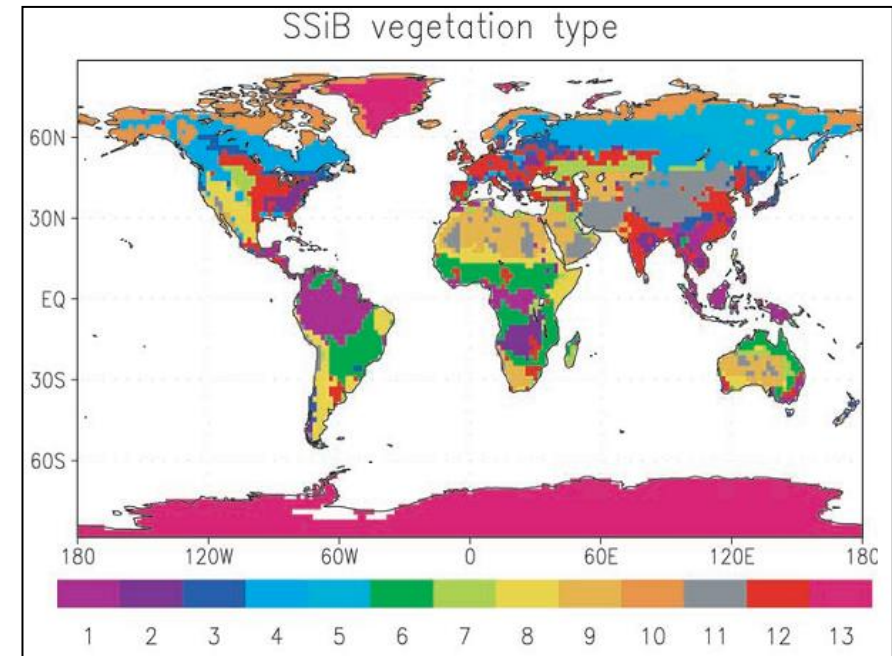


SSiB (Xue et al., 1991)



Classificação dos Biomas Segundo Dorman e Sellers (1989)

Bioma	Características
0	Gelo perpétuo
1	Árvores latifoliadas perenes (florestas tropicais)
2	Árvores latifoliadas decíduas (floresta temperada)
3	Árvores latifoliadas/aciculadas (floresta mista)
4	Árvores aciculadas perenes (floresta conífera)
5	Árvores aciculadas decíduas (floresta de lariços)
6	Árvores latifoliadas com cobertura arbustiva/herbácea (savana)
7	Arbustos (campos extratropicais)
8	Arbustos latifoliados com cobertura herbácea (caatinga)
9	Arbustos latifoliados com solo exposto (semi-deserto)
10	Árvores anãs e arbustos com cobertura herbácea (tundra)
11	Solo exposto (deserto)
12	Cultivos (parâmetros iguais aos do tipo 7)*



*cada vegetação corresponde a um tipo de solo

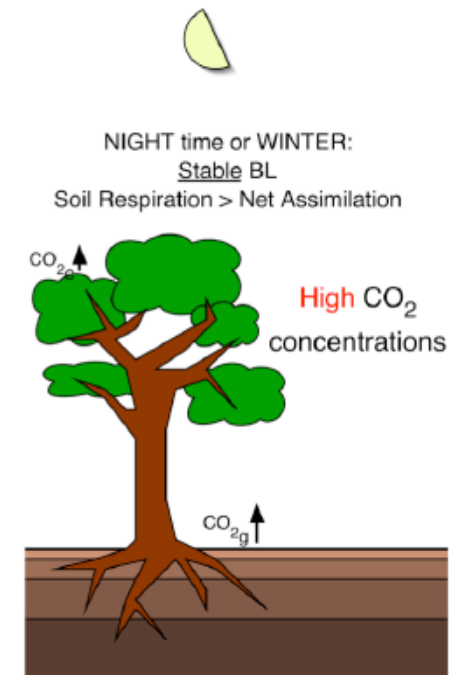
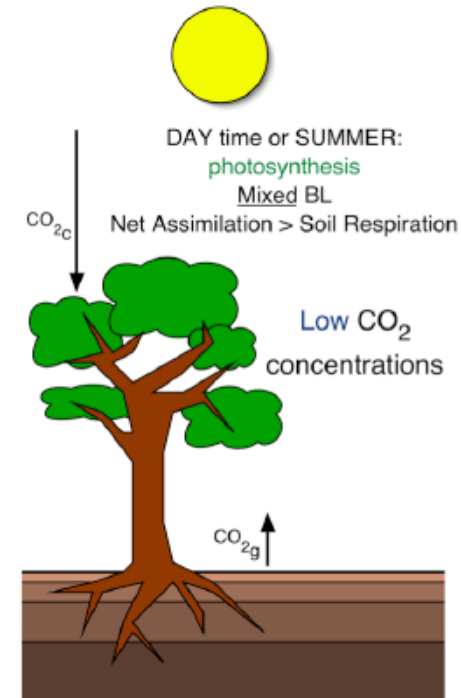
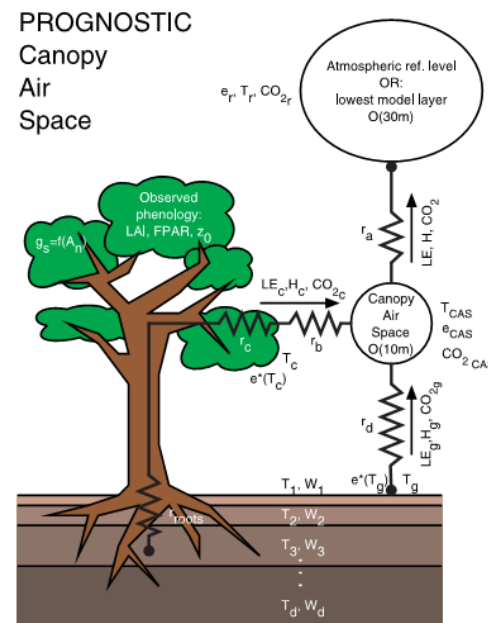
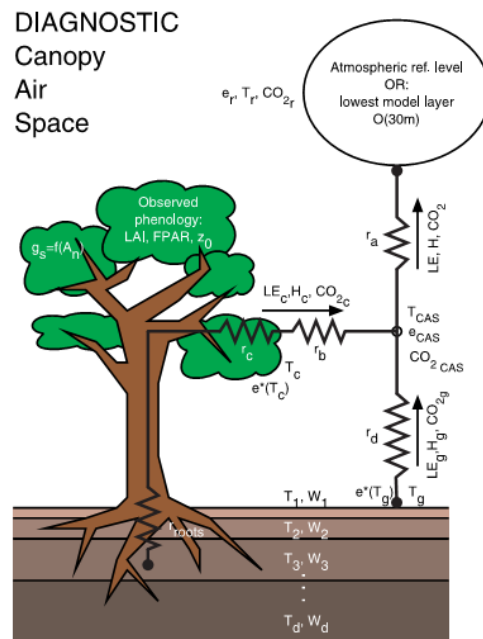


SiB2.5 (Baker et al., 2003)



- Seis camadas de solo;
- 13 tipos de vegetação e 12 tipos de solo independentes.

Assimilação de CO₂





IBIS *Integrated Biosphere Simulator*

➤ *Filosofia*

- Modelo dinâmico da vegetação global;
- 15 tipos de vegetação e 12 tipos de solo;
- Considera mudanças ocorridas na composição e estrutura da vegetação em resposta à condições ambientais;
- Inclui:
 - ✓ Interações superfície-atmosfera
 - ✓ Ciclos de CO₂
 - ✓ Nutrientes terrestres
 - ✓ Efeitos fisiológicos do dossel
 - ✓ Fenologia
 - ✓ Dinâmica e competição da vegetação



Previsão Numérica de Tempo e Clima

- Maneiras típicas de considerar a fenologia num modelo de interação atmosfera-biosfera:
 - ✓ IAF pré-definido (p. ex., LSM, CLM)
 - ✓ IAF determinado por sensoriamento remoto (p. ex. SiB2)
 - ✓ IAF simulado de acordo com regras (p. ex. IBIS)

	IAF pré-definido	IAF sens. remoto	IAF simulado
Vantagens	<ul style="list-style-type: none">■ modelo mais simples	<ul style="list-style-type: none">■ potencialmente mais preciso no curto prazo	<ul style="list-style-type: none">■ responde a variabilidade interanual do clima, mudanças climáticas ou mudanças no CO₂
Desvantagens	<ul style="list-style-type: none">■ não responde a variabilidade interanual do clima, mudanças climáticas ou mudanças no CO₂	<ul style="list-style-type: none">■ estudos de clima futuro ou fora da faixa de dados disponíveis têm que ignorar mudanças na fenologia	<ul style="list-style-type: none">■ modelo mais complexo



Problemas

- Não existem observações de temperatura e umidade em escala global, sendo derivadas das variáveis atmosféricas
- Erros sistemáticos devido as deficiências na forçante atmosférica e esquemas de superfície
- Previsões sensíveis as condições iniciais de umidade do solo



- Também podem existir inconsistências pela resolução do modelo: elevação, tipo de solo e vegetação
- O spin-up ocorre na temperatura e umidade do solo
- Evitado rodando off-line o modelo na mesma resolução
- Assimilação de dados cíclica uma alternativa?



Arrasto de ondas de gravidade

- Arrasto topográfico pelas ondas de gravidade
- Atua como um mecanismo de amortecimento nas equações de movimento
- Necessário quando a resolução > 10 km, simulações maiores a 5 dias e o domínio inclui montanhas
- Para seu calculo é necessária a variância da silhueta orográfica do modelo



Sugestões de leitura

Campbell, G.S.; Norman, J.M. *An Introduction to Environmental Biophysics*. Springer, 2nd edition, 1998. 286p.

Garrat, J.R. *The atmospheric boundary layer*. Cambridge University Press, 1992. 316p.

Monteith, J.L.; Unsworth, M. *Principles of Environmental Physics*. Arnold, 2nd edition, 1990.

Sellers, P.J.; Mintz, Y.; Sud, Y.C.; Dalcher, A. A Simple Biosphere model (SiB) for use within General Circulation Models. *J. Atmos. Sci.*, v.43, p.505-531, 1986. **[SiB1]**

_____; Randall, D.A.; Collatz, G.J.; Berry, J.A.; Field, C.B.; Dazlich, D.A.; Zhang, C.; Collelo, G.D.; Bounoua, L. A Revised Land Surface Parameterization (SiB2) for Atmospheric GCMs. Part I: Model Formulation. *J. Climate*, v.9, p.676-705, 1996. **[SiB2]**



Lista-3 de Exercício



a) Execute o modelo monan utilizando o arquivo `x1.40962.static_natural.nc`. Procedimento:
no diretório

`/monan_Linux/monan/pre/databcs/meshes/quasi_uniform/`
copie o arquivo `x1.40962.static_natural.nc` para `x1.40962.static.nc`
`cp x1.40962.static_natural.nc x1.40962.static.nc`

e execute os scripts:

```
./runPre.bash    ${EXP_NAME} 40962    ${LABELI}    ${LABELF}    ${Domain}    ${AreaRegion}    ${TypeGrid}
./runModel.bash  ${EXP_NAME} 40962    ${LABELI}    ${LABELF}    ${Domain}    ${AreaRegion}    ${TypeGrid}
./runPost.bash   ${EXP_NAME} 40962    ${LABELI}    ${LABELF}    ${Domain}    ${AreaRegion}    ${TypeGrid}
```

b) Execute o modelo monan utilizando o arquivo `x1.40962.static_bare.nc`. Procedimento:
no diretório

`/monan_Linux/monan/pre/databcs/meshes/quasi_uniform/`
copie o `x1.40962.static_bare.nc` para `x1.40962.static.nc`
`cp x1.40962.static_bare.nc x1.40962.static.nc`

e execute os scripts:

```
./runPre.bash    ${EXP_NAME} 40962    ${LABELI}    ${LABELF}    ${Domain}    ${AreaRegion}    ${TypeGrid}
./runModel.bash  ${EXP_NAME} 40962    ${LABELI}    ${LABELF}    ${Domain}    ${AreaRegion}    ${TypeGrid}
./runPost.bash   ${EXP_NAME} 40962    ${LABELI}    ${LABELF}    ${Domain}    ${AreaRegion}    ${TypeGrid}
```



Lista-3 de Exercício



Os arquivos podem ser obtidos no link:

https://ftp.cptec.inpe.br/pesquisa/bam/paulo.kubota/externo/monan/pre/databcs/meshes/quasi_uniform/global/120_km/x1.40962.static_bare.nc

https://ftp.cptec.inpe.br/pesquisa/bam/paulo.kubota/externo/monan/pre/databcs/meshes/quasi_uniform/global/120_km/x1.40962.static_natural.nc

Discuta o comportamento dos resultados das duas simulações.