

# Differentiated Distribution Recovery for Neural Text Generation

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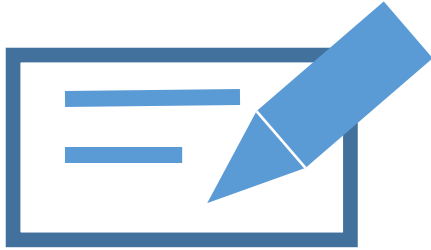
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# Background – Text Generation Tasks

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Machine Writing

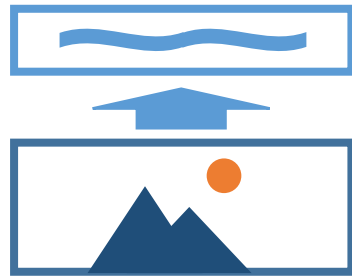
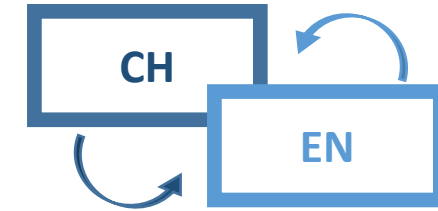
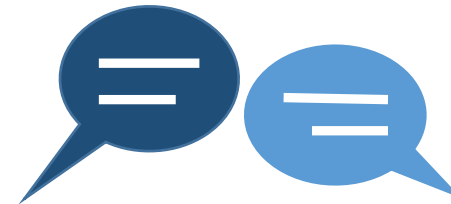


Image Captioning



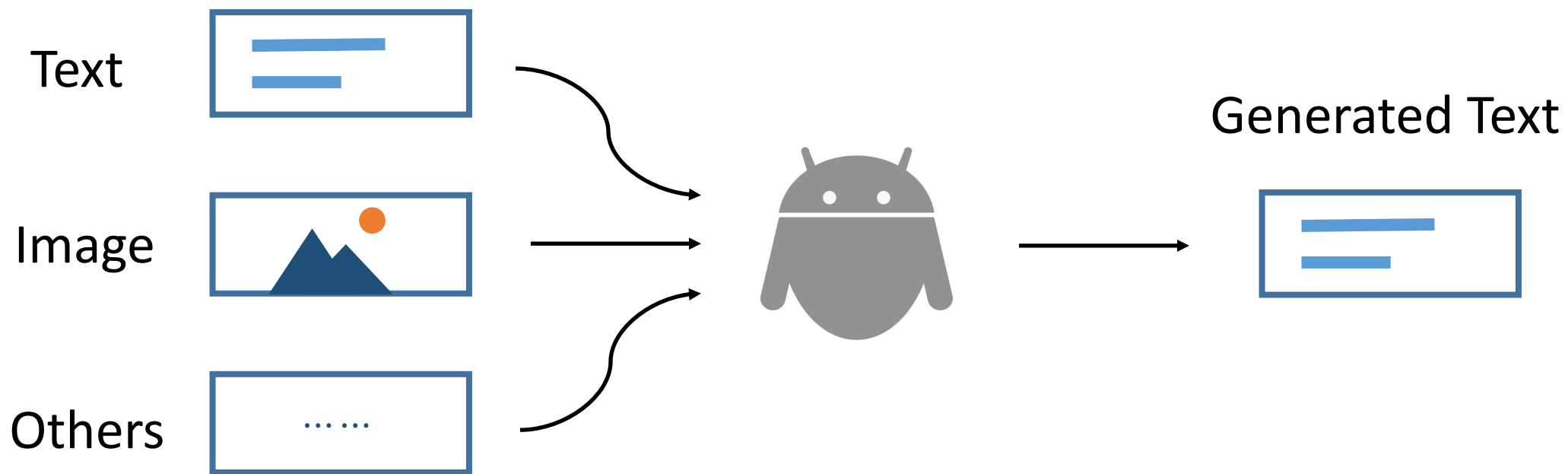
Machine Translation



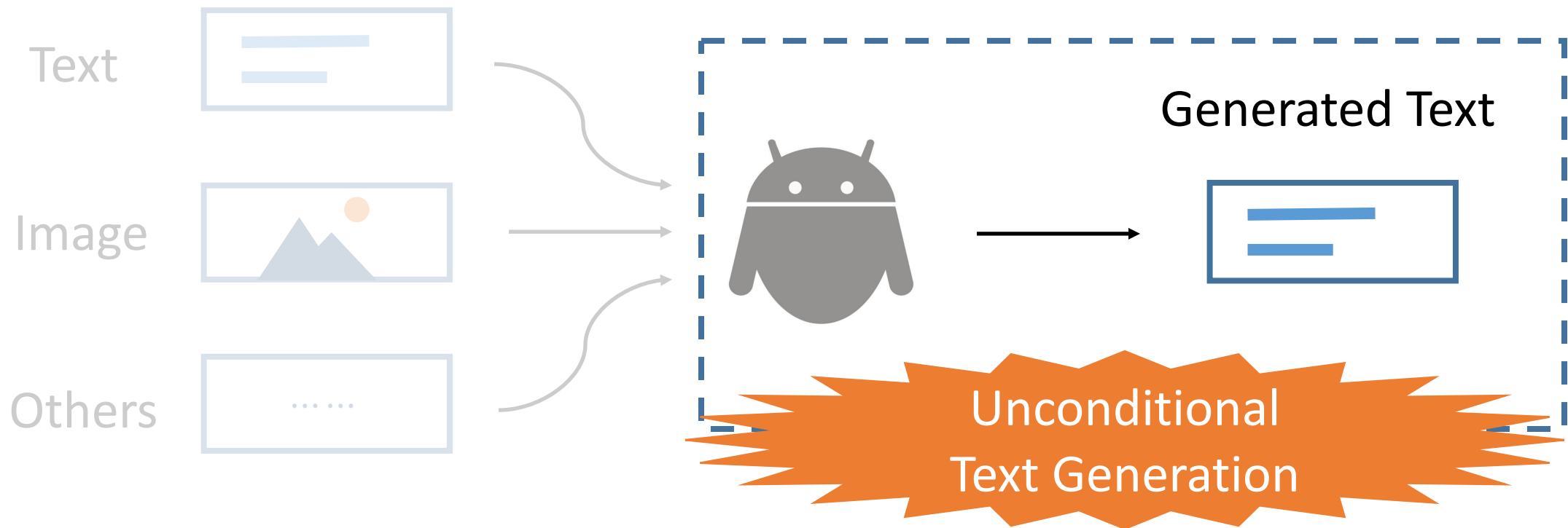
Chatbot

# Background – Text Generation Tasks

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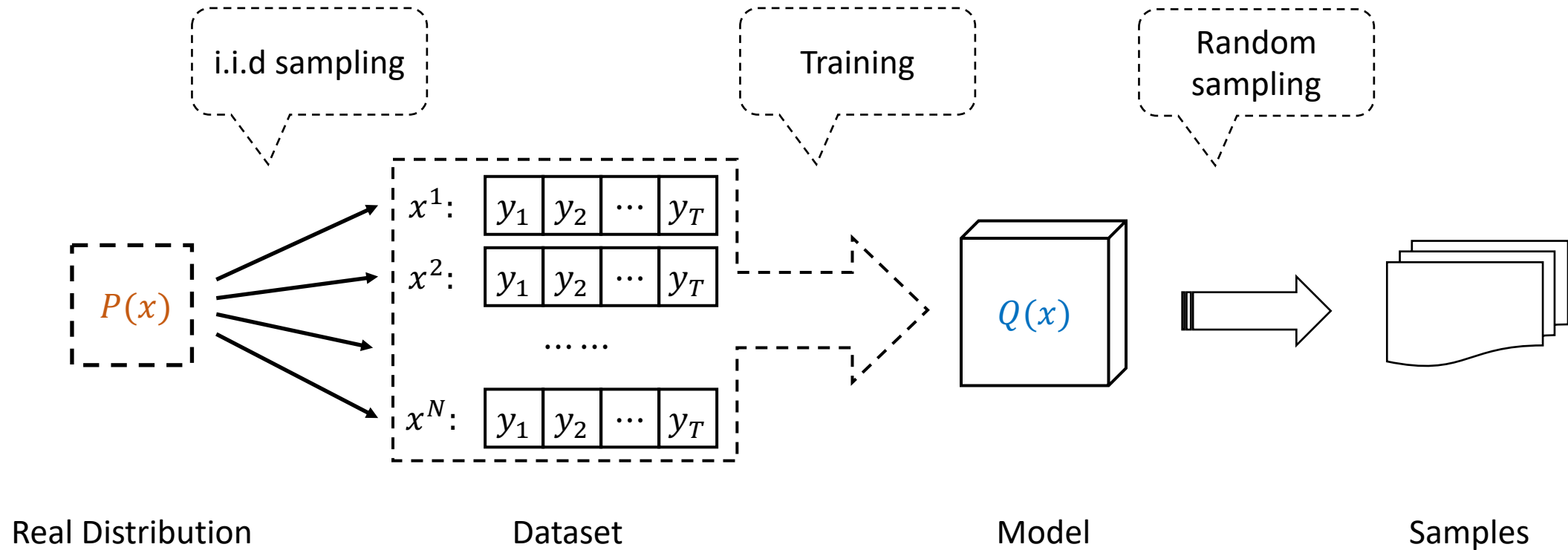


# Background – Text Generation Tasks



# Task – Unconditional Text Generation

- Given a text dataset, build a model  $Q(x)$  for text generation.



# Task – Unconditional Text Generation

- Evaluation Metrics

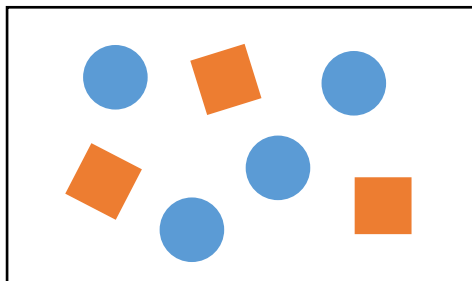
**Quality:** Generated text should contain less grammatical and logical errors.

**Primary!** We do not accept samples with errors.

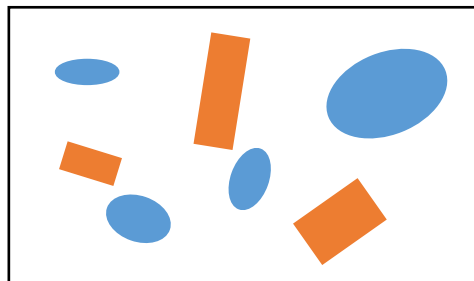
**Diversity:** Generated text should not share similar words and structures.

**Secondary.** Similar samples are acceptable to some extent.

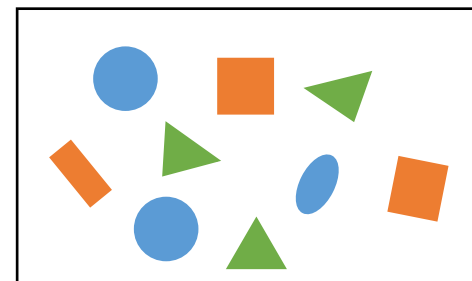
High quality



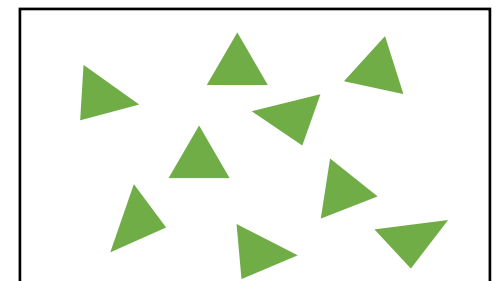
Low quality



High diversity

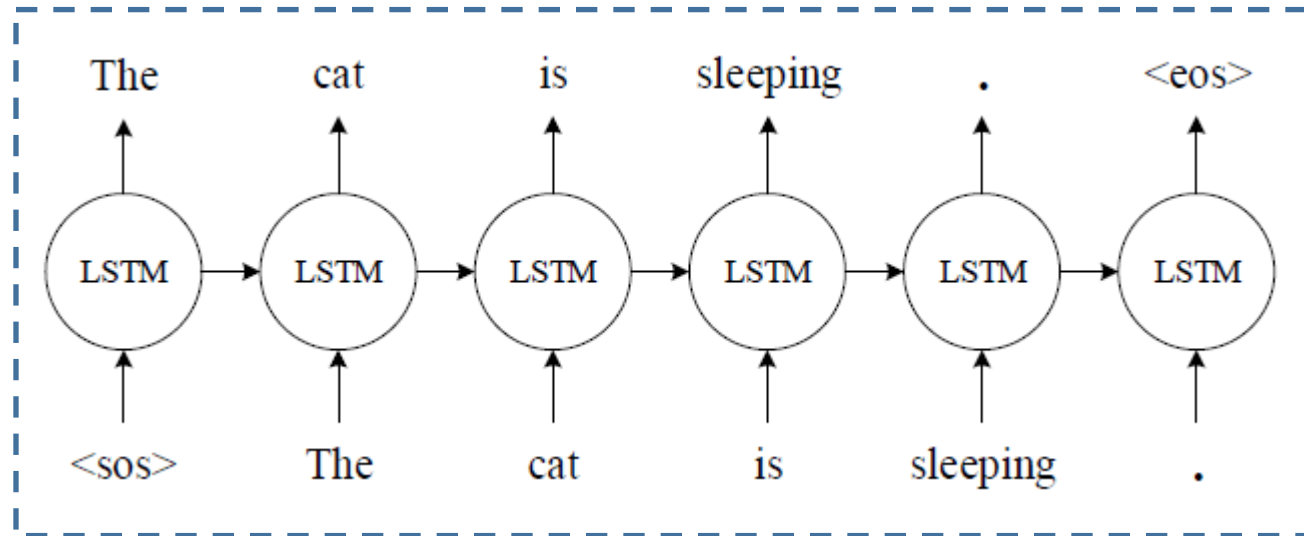


Low diversity



# Baseline – RNN-based Language Model

- Use **Recurrent Neural Networks** (RNNs) to model sequential data



Probability Decomposition:

$$x := Y_{1:T}$$
$$Q(Y_{1:T}) = \prod_{i=1}^T Q(y_t | Y_{1:t-1})$$

- Training by **Maximum Likelihood Estimation** (MLE)

$$\max_Q \mathbb{E}_{x \sim P} \log Q(x) \iff \min_Q D_{KL}(P || Q) \implies Q^* = P$$

Precise  
Distribution  
Recovery

# Baseline – RNN-based Language Model

- RNNLM achieves **only 49%** Turing Test pass rate on MSCOCO dataset.
- **Precise distribution recovery** is sensitive to noises and rare patterns in training data.



Some common errors in MSCOCO dataset

A man is **talking** a picture of himself in the mirror.  
A cat **laying** on top of a table trying to sleep.  
A cat staring out a window at snow covered **tree's**.

Influence of  
noises should be  
minimized





How to neglect the impact of bad training data ?



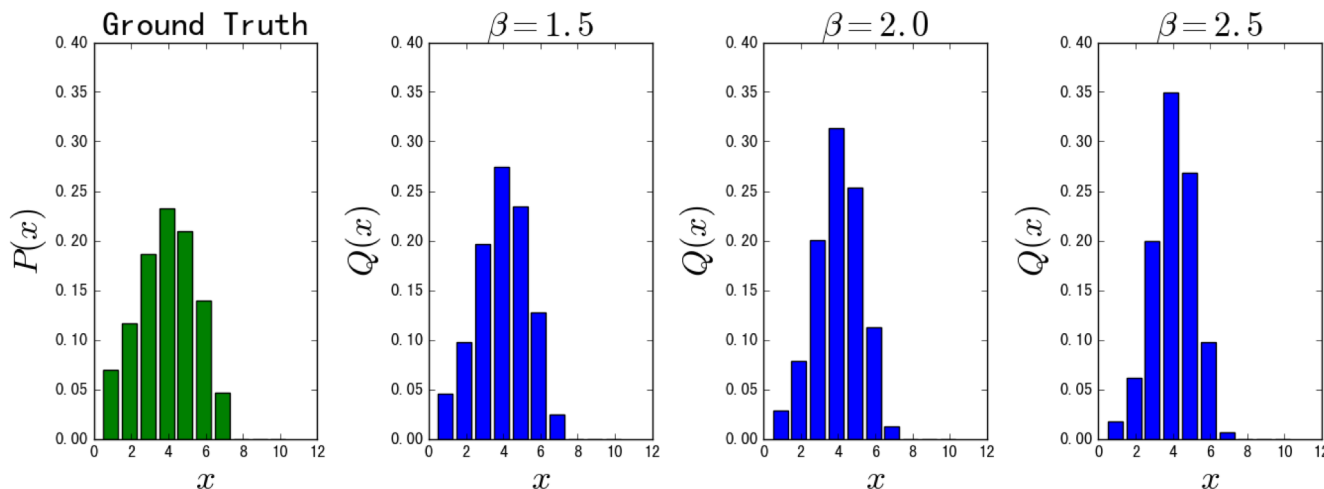
Use different strategy for different data !

# Method – Differentiated Distribution Recovery

**Assumption:** Samples with **lower** probability under real distribution  $P(x)$  are more likely to be bad samples.

**Idea:** Instead of making the model  $Q(x)$  to precisely recover  $P(x)$ , we **encourage** samples with **high** probability and **discourage** samples with **low** probability.

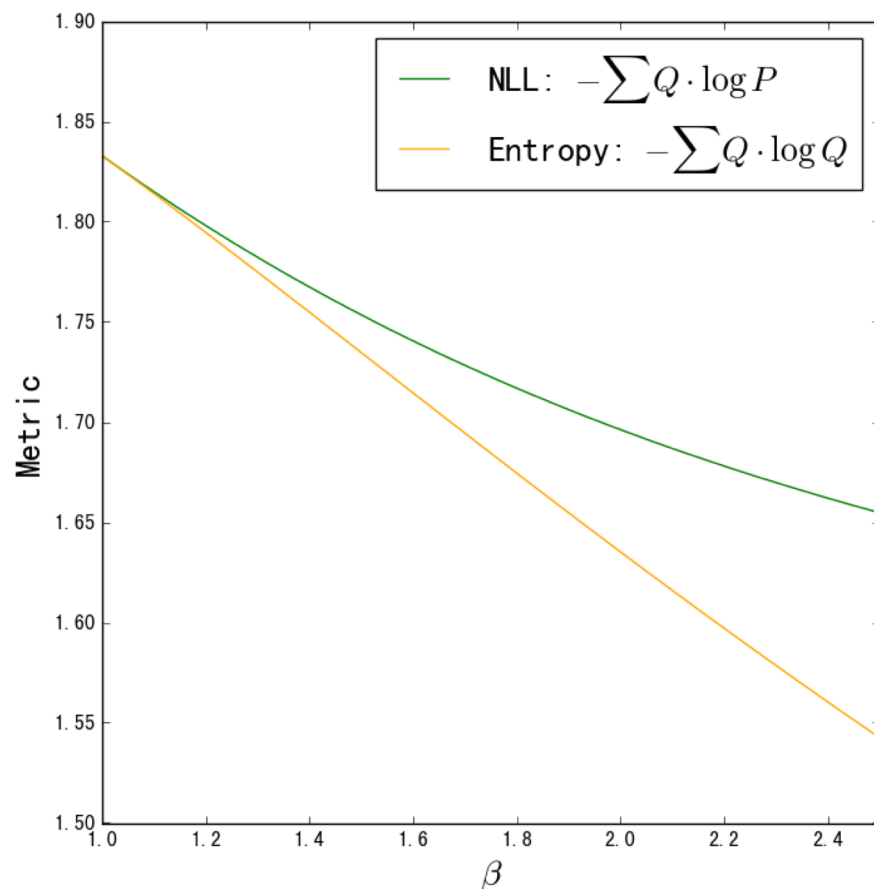
**Differentiated Distribution Recovery (DDR):**



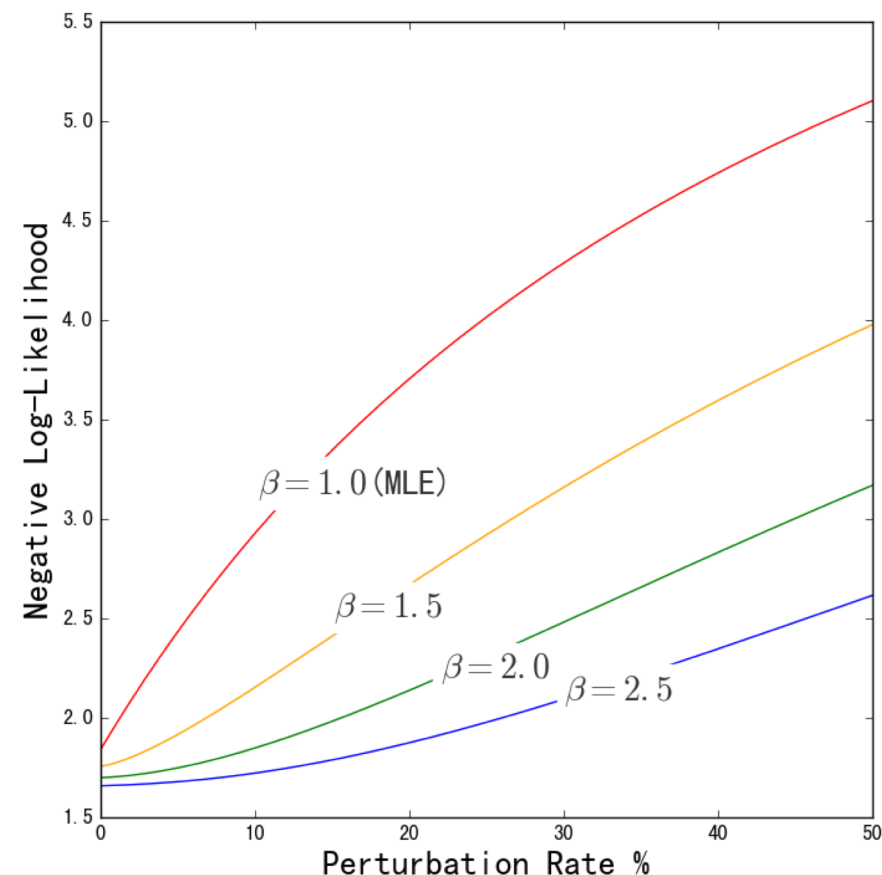
$$Q^*(x) \propto P(x)^\beta$$
$$\beta > 1$$

# Method – Differentiated Distribution Recovery

Larger  $\beta$  leads to **higher quality** but **lower diversity**



Larger  $\beta$  is **more robust** to noises



How can we achieve **Differentiated** Distribution Recovery in practice?

$$\boxed{Q^*(x) \propto P(x)^\beta} \quad \Rightarrow \quad \boxed{Q^*(x) = \frac{P(x)^\beta}{\sum_x P(x)^\beta}}$$

# Method – Implementation of DDR

## Theorem

*Let  $P$  and  $Q$  be two discrete distributions. With an objective defined as*

$$\max_Q \mathbb{E}_{x \sim P} f[Q(x)],$$

$$f(Q(x); \alpha) = \alpha \cdot Q(x)^{\frac{1}{\alpha}} - \alpha, \quad \alpha > 1,$$

*The optimal  $Q$  with respect to the objective can be written as:*

$$Q^*(x) = \frac{P(x)^\beta}{\sum_x P(x)^\beta}, \quad \beta = \frac{\alpha}{\alpha - 1}$$

# Method – Implementation of DDR

## Proof

This is a constrained optimization problem:

$$\begin{aligned} & \max_Q \mathbb{E}_{x \sim P} f[Q(x)], \\ & f(Q(x); \alpha) = \alpha \cdot Q(x)^{\frac{1}{\alpha}} - \alpha \\ & \text{s.t. } \sum_x Q(x) = 1, 0 \leq Q(x) \leq 1 \end{aligned}$$

We get the optimal  $Q(x)$ :

$$Q^*(x) = \frac{P(x)^\beta}{\sum_x P(x)^\beta}, \quad \beta = \frac{\alpha}{\alpha - 1}$$

The Lagrange function is:

$$\begin{aligned} L(Q(x), \lambda, \gamma, \eta) = \\ \sum_x P(x) \cdot f[Q(x)] + \lambda[1 - \sum_x Q(x)] - \gamma Q(x) + \eta[Q(x) - 1] \end{aligned}$$

Let the first derivative be zero:

$$\begin{aligned} P(x) \cdot f'[Q^*(x)] &= \text{constant}, \\ \sum_x Q^*(x) &= 1, \\ 0 \leq Q^*(x) &\leq 1 \end{aligned}$$

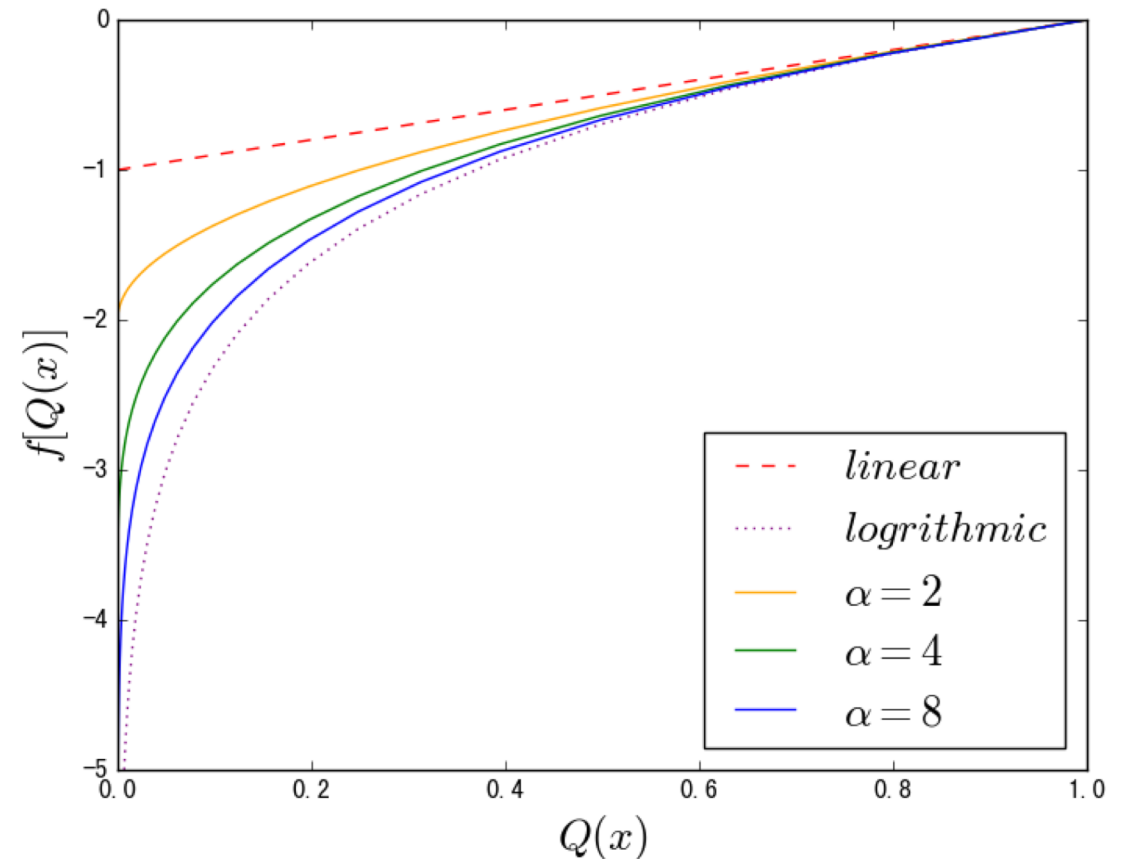
# Method – Implementation of DDR

- DDR can be realized by using the following objective function

$$\max_Q \mathbb{E}_{x \sim P} f[Q(x)],$$
$$f(Q(x); \alpha) = \frac{\alpha \cdot Q(x)^{\frac{1}{\alpha}}}{\beta} - \alpha,$$
$$\alpha = \frac{\beta}{\beta - 1} > 1$$

Function  $f$  changes from linear to logarithm as  $\alpha$  grows

$$f(Q(x); 1) = Q(x) - 1,$$
$$\lim_{\alpha \rightarrow \infty} f(Q(x); \alpha) = \ln Q(x)$$



# Method – Implementation of DDR

## Loss function

$$\begin{aligned}\mathcal{L}(\mathcal{D}; \alpha) &= -\frac{1}{N} \sum_{i=1}^N \alpha \cdot Q(Y_{1:T}^i)^{\frac{1}{\alpha}} \\ &= -\frac{\alpha}{N} \sum_{i=1}^N \prod_{t=1}^T Q(y_t^i | Y_{1:t-1}^i)^{\frac{1}{\alpha}} \\ &= -\frac{\alpha}{N} \sum_{i=1}^N \exp \left\{ \frac{1}{\alpha} \sum_{t=1}^T \log Q(y_t^i | Y_{1:t-1}^i) \right\}\end{aligned}$$

No extra  
training  
overhead

Easy to  
implement



# Comparison with Related works

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## RNNLM (Baseline)

- Low generation quality
- Fast training speed
- Hard to control the tradeoff between quality and diversity

## GANs & RL methods

- Improved generation quality
- Low training speed
- Hard to control the tradeoff between quality and diversity

## DDR (Ours)

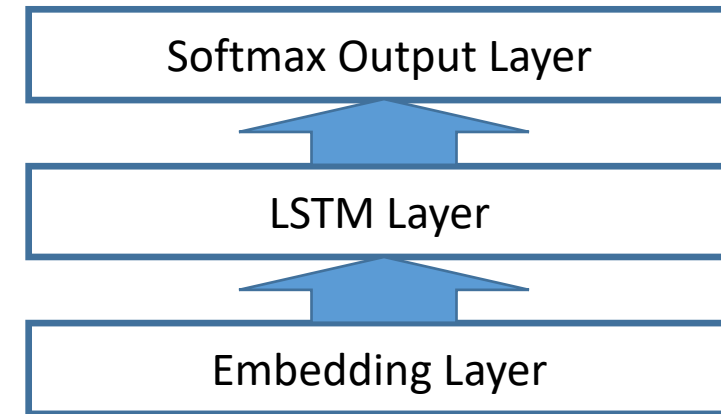
- Improved generation quality
- Fast training speed
- Easy to control the tradeoff between quality and diversity

# Experiments – Settings

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- Datasets
  - Synthetic data
  - MSCOCO Image Caption dataset
  - EMNLP2017 WMT News dataset
- Baselines
  - RNNLM
  - SeqGAN (Yu et al. 2017)
  - LeakGAN (Guo et al. 2017)

General model architecture

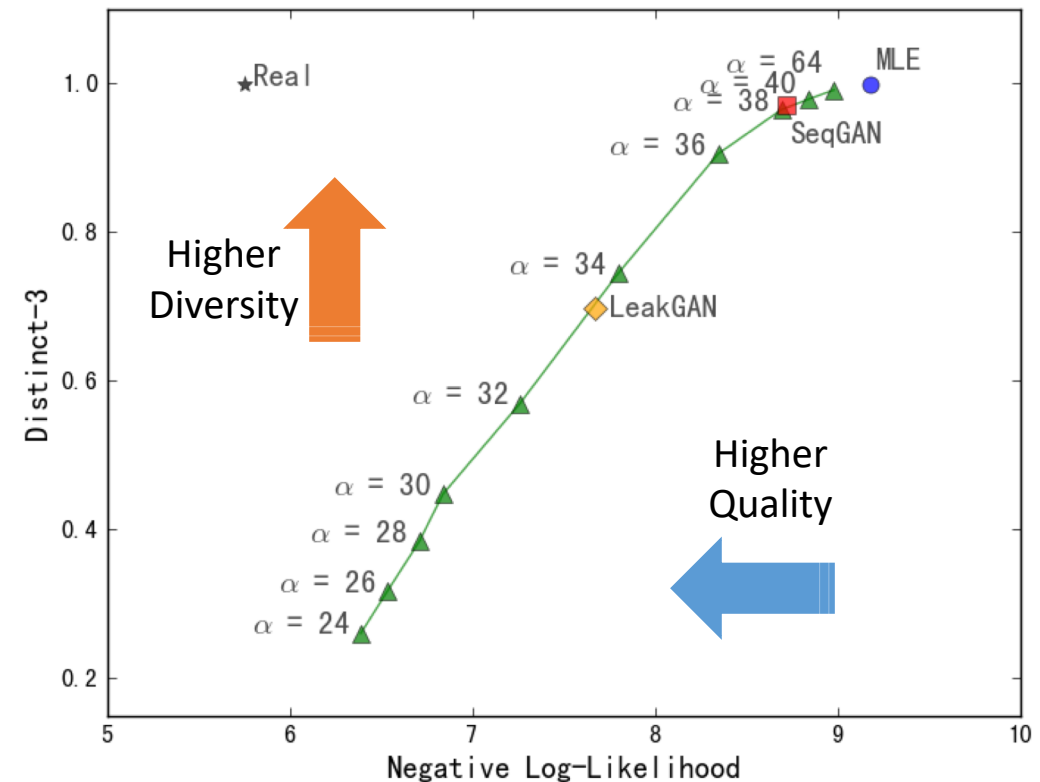


# Experiments – Synthetic Data

- Use an oracle model (Yu et al. 2017) to generate data.
- Attributes
  - #Training data: 10000
  - Sequence length: 20
  - Vocabulary size: 5000
- Evaluation metrics:

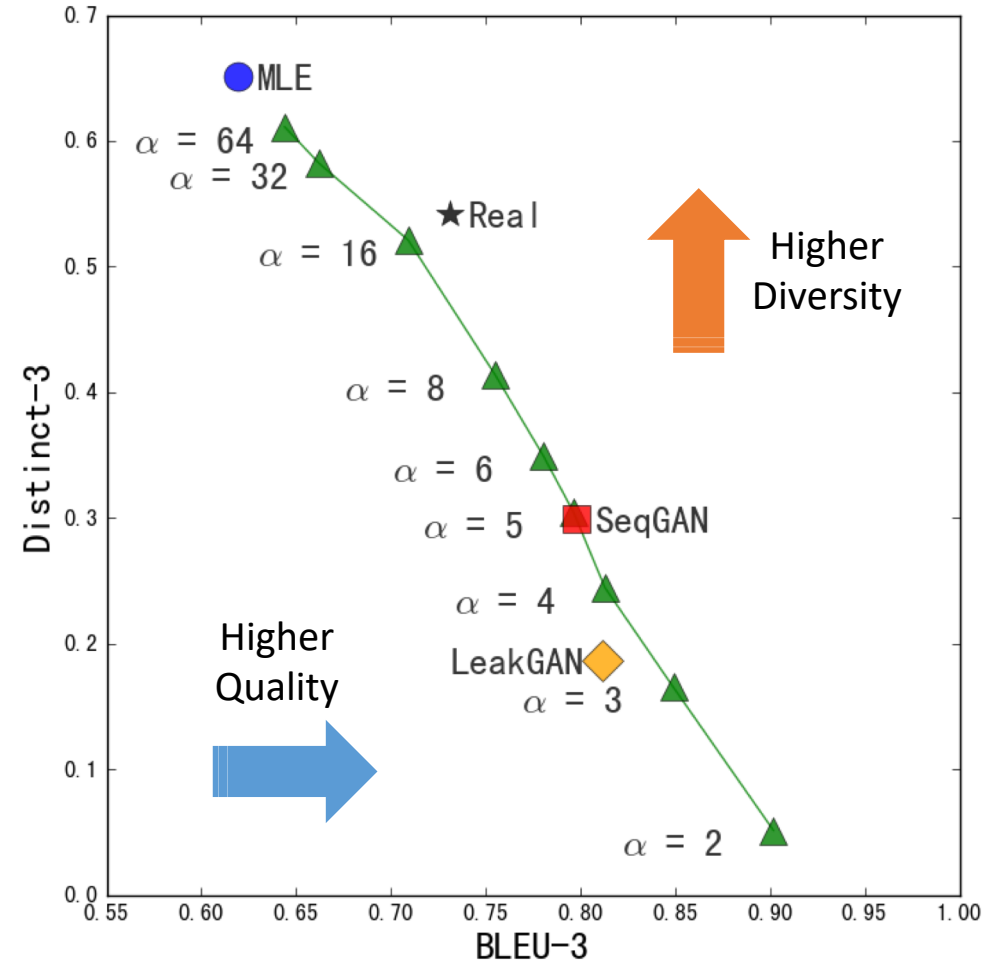
$$NLL = -\mathbb{E}_{Y_{1:T} \sim Q} \left[ \sum_{t=1}^T \log G_{oracle}(y_t | Y_{1:t-1}) \right]$$

$$Distinct_n = \frac{\# \text{ Unique } n\_grams}{\# \text{ Total } n\_grams}$$

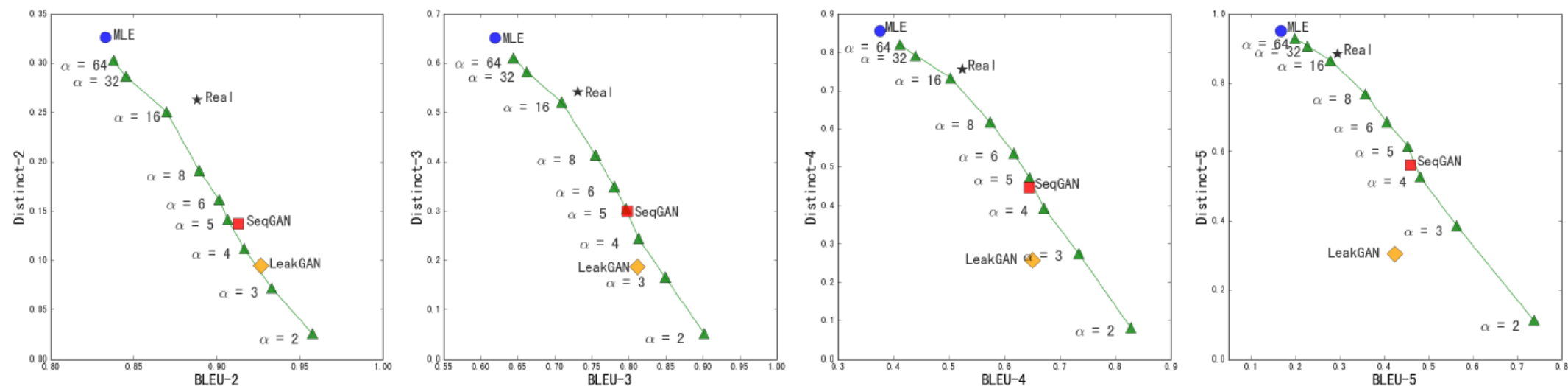


# Experiments – Real World Datasets

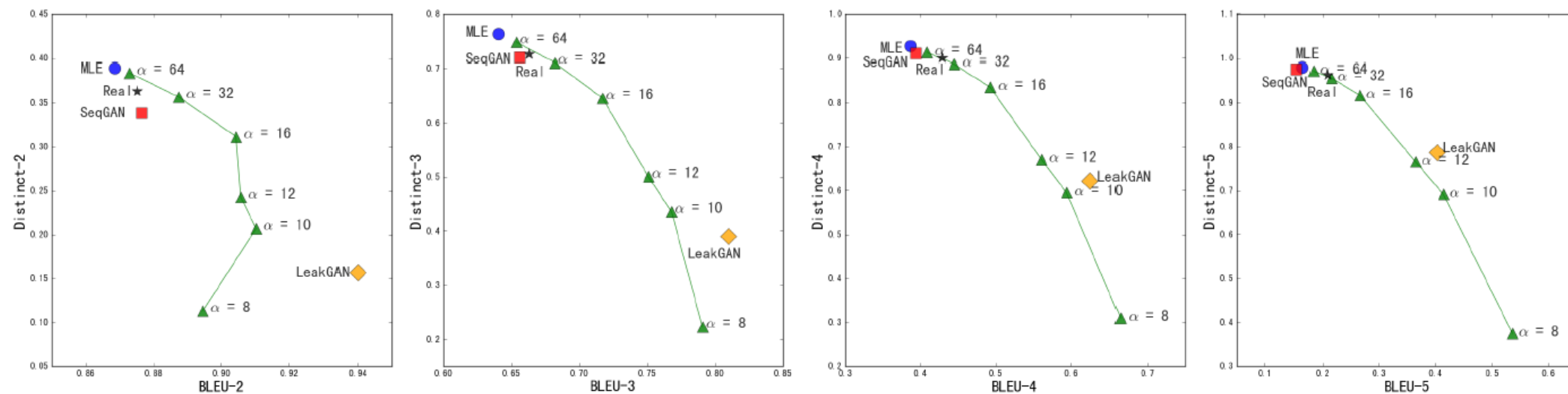
- MSCOCO Dataset
  - #Training/Test data: 80000/5000
  - Sequence length: 32
  - Vocabulary size: 4840
- WMT Dataset
  - #Training/Test data: 200000/10000
  - Sequence length: 50
  - Vocabulary size: 6655
- Evaluation Metrics:
  - BLEU-(2-5)
  - Distinct-(2-5)



# Experiments – Real World Datasets



(a) MSCOCO dataset



(b) WMT dataset


# Experiments – Generated Samples (MSCOCO)

Method	Generated samples	Method	Generated samples
Real data	A cat stuck in a car with a slightly opened window . Bicycles , cars and a trash can in a garage . A lady talking a self portrait in a fancy bathroom . A man standing in a white kitchen with his arms folded .	DDR( $\alpha = 64$ )	A woman wearing tennis gear holding a racket and her racquet . A dog sitting on a chair in front of a birthday cake . A bald man lays on a bed in the yellow floral pot . A girl is flying a kite in the sky into the airport .
MLE	Two young children playing a video game on the Nintendo Wii . Two pancakes on a white paper plate with sauce on the plate . A suitcase with vanilla and yellow markings on top of it . Birds flying on a stone bench next to the tree .	DDR( $\alpha = 8$ )	A man is sitting in a chair with a white cat . A guy is jumping in the air with a skateboard . A tall giraffe standing on top of a lush green field . Two women pose in front of a very tall building .
SeqGAN	A group of people standing on top of a snow covered mountain . Two people standing next to each other in the dirt . A brown horse standing next to a white fence on the beach . A cow standing in a grassy area near a body of water .	DDR( $\alpha = 2$ )	A couple of young men playing a game of baseball . A couple of zebra standing on top of a lush green field . A red stop sign sitting on the side of a road . A man hitting a tennis ball with a tennis racquet .
LeakGAN	A bicycle is locked to a fence by a truck . The interior of a bathroom with a long mirror and partially tiled walls . A small bathroom has toilet , medicine cabinet , and small sink . A woman riding a bicycle down a street in front of shops .		

# Experiments – Human Turing Test

- Sample 50 sentences from each model, and mix all sentences together.
- 10 Ph.D students are invited to give scores individually for all samples.
- A sample get +1 score if one think it is possibly written by a human, otherwise get +0 score.

Method	Turing Test Score
Ground Truth	0.772
MLE	0.490
SeqGAN	0.706
LeakGAN	0.758
DDR( $\alpha = 64$ )	0.586
DDR( $\alpha = 8$ )	0.692
DDR( $\alpha = 2$ )	<b>0.932</b>



Generation quality is  
significantly  
improved with DDR

# Experiments – Robustness Test

- Add 10% random noises to MSCOCO dataset.
- See how many bad sentences are generated by models.
- A sample is regarded as bad if its BLEU-2 score is lower than 0.001

Method	Bad Samples %
MLE	8.0
SeqGAN	2.2
LeakGAN	<b>0.0</b>
DDR( $\alpha = 64$ )	0.4
DDR( $\alpha = 32$ )	0.1
DDR( $\alpha = 16$ )	<b>0.0</b>
DDR( $\alpha = 8$ )	<b>0.0</b>
DDR( $\alpha = 2$ )	<b>0.0</b>



Model become more  
robust with DDR



# Conclusion

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- **Differentiated Distribution Recovery (DDR)** is an **efficient** way to **promote generation quality** for unconditional neural text generation.
- **DDR** provides an **flexible control** between generation quality and diversity through a hyper-parameter  $\alpha$ .
- **DDR** makes the model **more robust** against noises in training data.



# Thank you! Q&A

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