

Funcons-beta: Flowing *

The P_LanCompS Project

Flowing.cbs | PLAIN | PRETTY

OUTLINE

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Flowing

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Meta-variables $T <:$ values
 $T^* <:$ values*

*Suggestions for improvement: plancomps@gmail.com.
Reports of issues: <https://github.com/plancomps/CBS-beta/issues>.

Sequencing

Funcon **left-to-right**($_ : (\Rightarrow (T)^*)^*$) : $\Rightarrow (T)^*$

Alias **l-to-r** = **left-to-right**

left-to-right(\dots) computes its arguments sequentially, from left to right, and gives the resulting sequence of values, provided all terminate normally. For example, **integer-add**(X, Y) may interleave the computations of X and Y , whereas **integer-add left-to-right**(X, Y) always computes X before Y .

When each argument of **left-to-right**(\dots) computes a single value, the type of the result is the same as that of the argument sequence. For instance, when $X : T$ and $Y : T'$, the result of **left-to-right**(X, Y) is of type (T, T') . The only effect of wrapping an argument sequence in **left-to-right**(\dots) is to ensure that when the arguments are to be evaluated, it is done in the specified order.

Rule
$$\frac{Y \longrightarrow Y'}{\text{left-to-right}(V^* : (T)^*, Y, Z^*) \longrightarrow \text{left-to-right}(V^*, Y', Z^*)}$$

Rule **left-to-right**($V^* : (T)^*$) $\rightsquigarrow V^*$

Funcon **right-to-left**($_ : (\Rightarrow (T)^*)^*$) : $\Rightarrow (T)^*$

Alias **r-to-l** = **right-to-left**

right-to-left(\dots) computes its arguments sequentially, from right to left, and gives the resulting sequence of values, provided all terminate normally.

Note that **right-to-left**(X^*) and **reverse left-to-right reverse**(X^*) are not equivalent: **reverse**(X^*) interleaves the evaluation of X^* .

Rule
$$\frac{Y \longrightarrow Y'}{\text{right-to-left}(X^*, Y, V^* : (T)^*) \longrightarrow \text{right-to-left}(X^*, Y', V^*)}$$

Rule **right-to-left**($V^* : (T)^*$) $\rightsquigarrow V^*$

Funcon **sequential**($_ : (\Rightarrow \text{null-type})^*$, $_ : \Rightarrow T$) : $\Rightarrow T$

Alias **seq** = **sequential**

sequential(X, \dots) computes its arguments in the given order. On normal termination, it returns the value of the last argument; the other arguments all compute **null-value**.

Binary **sequential**(X, Y) is associative, with unit **null-value**.

Rule
$$\frac{X \longrightarrow X'}{\text{sequential}(X, Y^+) \longrightarrow \text{sequential}(X', Y^+)}$$

Rule **sequential**(**null-value**, Y^+) $\rightsquigarrow \text{sequential}(Y^+)$

Rule **sequential**(Y) $\rightsquigarrow Y$

Funcon **effect**($V^* : T^*$) : $\Rightarrow \text{null-type}$

$\rightsquigarrow \text{null-value}$

effect(\dots) interleaves the computations of its arguments, then discards all the computed values.

Choosing

Funcon **choice**($_ : (\Rightarrow T)^+$) : $\Rightarrow T$

choice(Y, \dots) selects one of its arguments, then computes it. It is associative and commutative.

Rule $\text{choice}(X^*, Y, Z^*) \rightsquigarrow Y$

Funcon $\text{if-true-else}(_ : \text{booleans}, _ : \Rightarrow T, _ : \Rightarrow T) : \Rightarrow T$

Alias $\text{if-else} = \text{if-true-else}$

$\text{if-true-else}(B, X, Y)$ evaluates B to a Boolean value, then reduces to X or Y , depending on the value of B .

Rule $\text{if-true-else}(\text{true}, X, Y) \rightsquigarrow X$

Rule $\text{if-true-else}(\text{false}, X, Y) \rightsquigarrow Y$

Iterating

Funcon $\text{while-true}(B : \Rightarrow \text{booleans}, X : \Rightarrow \text{null-type}) : \Rightarrow \text{null-type}$

$\rightsquigarrow \text{if-true-else}(B, \text{sequential}(X, \text{while-true}(B, X)), \text{null-value})$

Alias $\text{while} = \text{while-true}$

$\text{while-true}(B, X)$ evaluates B to a Boolean value. Depending on the value of B , it either executes X and iterates, or terminates normally.

The effect of abruptly breaking the iteration is obtained by the combination $\text{handle-break}(\text{while-true}(B, X))$, and that of abruptly continuing the iteration by $\text{while-true}(B, \text{handle-continue}(X))$.

Funcon $\text{do-while-true}(X : \Rightarrow \text{null-type}, B : \Rightarrow \text{booleans}) : \Rightarrow \text{null-type}$

$\rightsquigarrow \text{sequential}(X, \text{if-true-else}(B, \text{do-while-true}(X, B), \text{null-value}))$

Alias $\text{do-while} = \text{do-while-true}$

$\text{do-while-true}(X, B)$ is equivalent to $\text{sequential}(X, \text{while-true}(B, X))$.

Interleaving

Funcon $\text{interleave}(_ : T^*) : \Rightarrow T^*$

$\text{interleave}(\dots)$ computes its arguments in any order, possibly interleaved, and returns the resulting sequence of values, provided all terminate normally. Fairness of interleaving is not required, so pure left-to-right computation is allowed.

$\text{atomic}(X)$ prevents interleaving in X , except after transitions that emit a $\text{yielded}(\text{signal})$.

Rule $\text{interleave}(V^* : T^*) \rightsquigarrow V^*$

Datatype $\text{yielding} ::= \text{signal}$

Entity $_ \xrightarrow{\text{yielded}(_ \text{yielding}?)}$

$\text{yielded}(\text{signal})$ in a label on a transition allows interleaving at that point in the enclosing atomic computation. $\text{yielded}()$ indicates interleaving at that point in an atomic computation is not allowed.

Funcon $\text{yield} : \Rightarrow \text{null-type}$

$\rightsquigarrow \text{yield-on-value}(\text{null-value})$

Funcon $\text{yield-on-value}(_ : T) : \Rightarrow T$

$\text{yield-on-value}(X)$ allows interleaving in an enclosing atomic computation on normal termination of X .

Rule $\text{yield-on-value}(V : T) \xrightarrow{\text{yielded}(\text{signal})} V$

Funcon $\text{yield-on-abrupt}(_ : \Rightarrow T) : \Rightarrow T$

$\text{yield-on-abrupt}(X)$ ensures that abrupt termination of X is propagated through an enclosing atomic computation.

Rule
$$\frac{X \xrightarrow{\text{abrupt}(V:T), \text{yielded}(_?)}} X'}{\text{yield-on-abrupt}(X) \xrightarrow{\text{abrupt}(V), \text{yielded}(\text{signal})} \text{yield-on-abrupt}(X')}$$

Rule
$$\frac{X \xrightarrow{\text{abrupt}(_)}} X'}{\text{yield-on-abrupt}(X) \xrightarrow{\text{abrupt}(_)} \text{yield-on-abrupt}(X')}$$

Rule $\text{yield-on-abrupt}(V : T) \rightsquigarrow V$

Funcon $\text{atomic}(_ : \Rightarrow T) : \Rightarrow T$

$\text{atomic}(X)$ computes X , but controls its potential interleaving with other computations: interleaving is only allowed following a transition of X that emits $\text{yielded}(\text{signal})$.

Rule
$$\frac{X \xrightarrow{\text{yielded}(_)}_1 X' \quad \text{atomic}(X') \xrightarrow{\text{yielded}(_)}_2 X''}{\text{atomic}(X) \xrightarrow{\text{yielded}(_)}_1; \xrightarrow{\text{yielded}(_)}_2 X''}$$

Rule
$$\frac{X \xrightarrow{\text{yielded}(_)} V \quad V : T}{\text{atomic}(X) \xrightarrow{\text{yielded}(_)} V}$$

Rule $\text{atomic}(V : T) \rightsquigarrow V$

Rule
$$\frac{X \xrightarrow{\text{yielded}(\text{signal})} X'}{\text{atomic}(X) \xrightarrow{\text{yielded}(_)} \text{atomic}(X')}$$