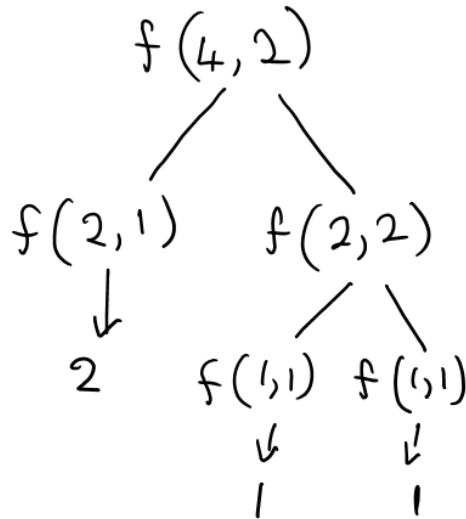


1. Glass floor

- a. Optimal solution: if we were given m glass sheets and n floors, we can use an algorithm similar to binary search: recursively diving the floors. If the glass breaks after being dropped from a floor, we would then know that we have to use the lower floors, else if it did not break, we -test it with higher floors.
- b.



- d. with 4 floors and 2 glass, we end up with 3 distinct subproblems.
- e. With n floors and m sheets, we would have at most $n - 1$ subproblems
- f. To memoize this recursion:
 1. We can create a two dimensional array (i, j) with lengths $(\text{floors} + 1, \text{sheets} + 1)$.
 2. have a nested loop
 - a. if floor is the first, set $\text{memAry}[i][j]$ to 1
 - b. if sheet is 1, set $\text{memAry}[i][j]$ to i
 - c. otherwise, we calculate the entry based on previous entries:
 - i. dividing the floors into 2
 - ii. retrieving the max value between $\text{memAry}[i][j-1]$ and $\text{memAry}[i-1][j]$

2. ROD CUTTING

