Beautiful Triplets

Erica wrote an increasing sequence of $n\$ numbers (a_0 , a_1 , \ldots, $a_{n-1}\$) in her notebook. She considers a triplet $(a_i, a_j, a_k)\$ to be beautiful if:

- \$i<j<k\$
- a[j]-a[i] = a[k]-a[j] = d

Given the sequence and the value of \$d\$, can you help Erica count the number of beautiful triplets in the sequence?

Input Format

The first line contains \$2\$ space-separated integers, \$n\$ (the length of the sequence) and \$d\$ (the beautiful difference), respectively.

The second line contains $n\$ space-separated integers describing Erica's increasing sequence, a_0 , a_1 , d_1 .

Constraints

- \$1 \le n \le 10^4\$
- \$1 \le d \le 20\$
- \$0 \le a_i \le 2 \times 10^4\$
- \$a i>a {i-1}\$ for \$0 < i \le n-1\$

Output Format

Print a single line denoting the number of beautiful triplets in the sequence.

Sample Input

7 3 1 2 4 5 7 8 10

Sample Output

3

Explanation

Our input sequence is \$1, 2, 4, 5, 7, 8, 10\$, and our beautiful difference d = 3\$. There are many possible triplets a_i, a_j, a_k \$, but our only beautiful triplets are a_i, a_j, a_k \$, but our only beautiful triplets are a_i, a_j, a_k \$. Please see the equations below:

$$$7 - 4 = 4 - 1 = 3 = d$$$

 $$10 - 7 = 7 - 4 = 3 = d$$
 $$8 - 5 = 5 - 2 = 3 = d$$

Recall that a beautiful triplet satisfies the following equivalence relation: a[j]-a[i] = a[k]-a[j] = d where $i \le k$.