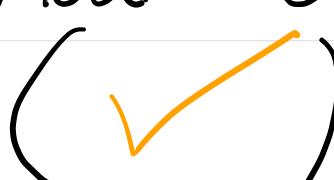


Tower Slope Notes

7/2

Objectives :

- 1.) Add a Hello World.

- 2.) Run Multiple Trials
 5 trials for # of events
 edit the amount of looping.

- 3.) change the shift
 goal 490  value.

- 4.) Quick overview of what code is doing / some detail. (Read Tech Guide & JB masters thesis.)
- 5.) check why # entries is not the same as # of counts.
- 6.) try multiple TF1's compare contrast.

Note: for each task try a logy() and talk about what it's doing.

Task #1 Adding a hello world

• Quick note:

• There are multiple ways to Run this program.

option#1:

root testslope.C
((# of events))

option #2:

open root



Load file : .L
testslope.C

Execute it :

testslope(# of
events)

option # 3 :

Open root
.X testslope.C
"(" # of events ")"

To run a simple helloworld one can use printf or cout inside the testslope void function.

ex)

```
Void testslope(int stats){
```

```
cout << "Hello World" << endl;
```

```
}
```

```
:
```

Task #2: Running multiple trials.

objectives :

trial type : 100, 1000,
10,000, 100,000,
1,000,000, 1,000,000,000.
(# of events)

within each trial type :

Change the amount
of iterations
of histograms.

try from 5, 10, 25

trial #1A :

of events : 100

of iterations: $k=5, 10, 25$

• With 5 iterations :

) the fitting is not
great for reference
histogram.

•) the tally histogram bins iterations are not very precise.

(Not close together)

•) the reference and shifted histograms have a great overlap.

•) In $\log y()$ scales very sporadic not great.

•) GF ratio = 0.93575.

•) mean = 0.965.
(tally)

trial # 18 :

.) # of events = 100
k , iterations = 10

.) GF = 0.711744

mean = 0.8247
(tally)

.) The statistics of this
we're lose couldn't
get a refence
histogram in viewpoint.

.) Important notes: I am only
seeing the refence histogram.

Trial # 1C :

of events = 100

of iterations = 25

ratio = 0.857943 .

mean = 0.7954 .

:) key notes :

- actually still imprecise
- for reference and shifting histogram not a linear best fit.

Trial # 2A :

-) # of events = 1000
-) # of iterations = 5
-) ratio = 1
mean = 1.002
-) With 1000 events
best fit is captured around
0-4 GeV energy
range.
-) In log_y linearity

is better fit but
only still capture low
energy levels.

-) Statistics dice off faster.
-) Max level to get is around 14GeV.

(Now just stick to)
Iterations throughout.)

Trial # 3 :

-) # of events = 10,000
-) ratio (GF) = 0.904762
-) mean (htally) = 0.8796
-) Best fit in regular
and log scales are better
-) Sporadic statistics around
1-10 GeV.
-) higher energy levels are

Detected around (≈ 1000)

Trial # 4 :

-) # of events = 100,000 .
-) # of iterations = 5 .

•) $\text{mean(htally)} = 1.04$
•) $\text{ratio(GF)} = 1.08956$

-) The htally bins are more close together
more precise around (0.8 - 1.1)

- Energy flat the histograms reach is around $\geq 1000 \text{ GeV}$
 - Fitting is even more improved regular and logy scales.
-

Trial # 5 :

- # of counts = 1,000,000
- mean(htally) = 1.017
- ratio = 1.03773

Trial # 6 :

-) # of events = 1×10^9
 -) mean(htally) = 0.7746
 -) ratio = 0.7746
-

Key Notes / Properties
by Running multiple
trials

-) key things were
the fitting got better
at more events,
better statistics.

-) Log(y) became more sporadic at higher event count.
 -) higher energy limits at beginning of histogram with higher event count.
-

Task #6

Try multiple TF1's
doing (repeat Task #2)

•) Functions to try :

1.) $f(x) = e^{-x}$
(exponential decay)

2.) $f(x) = ax^{-b}$
(Polynomial decay)

3.) ax^{-1}
(Inverse decay)

(n) Trials by event # :

- 1.) $n = 100$
- 2.) $n = 1000$
- 3.) $n = 10,000$
- 4.) $n = 100,000$
- 5.) $n = 1,000,000$
- 6.) $n = 7,000,000$

• $k = 5$ iteration of making
H-tally histogram.

Function class #1
exp decays: $f(x) = e^{-x}$; $k = 5$

Trial #1 :

$n = 100,000$

ex) (how to build TF1)

TF1 * function =

new TF1("function", ns1/t,
-5., 5., 2)

fnslit → Draw()

•) $f(x) = e^{-x}$

•) TF1 * myexp

= new TF1

($"myexp"$, e^{-x} , 0.3, 6)

•) Here is TF1 I created

•) Double_t fit(Dt*x, Dt*xpr)

Σ

return TMATH::Exp

3 (par[0] + par[1]*x);

also ;

TF1 *myexp = new TF1

($"myexp"$, exp(par[0] + par[1]*x));

Set Parameter it .

•) Issue right now
for exponential fit
Hally is not taking
data.

•) Read lines 25-85

- 1.) Check histogram fillings
- 2.) Verify fit results

hally mean = 0.962)
ratio = 0.95557

Trial # 2 :

•) $n = 1 \times 10^6$ events
(counts)

•) htally mean = 1.023

•) ratio = 1.04617

Trial # 3 :

•) $n = 7 \times 10^6$ events
(counts)

•) htally mean = 1.017

•) ratio = 1.00513

Function class #2

Polynomial decay.

$$f(x) = ax^{-b}, \quad k=5$$

•) Test function :

$$f(x) = 90,000 x^{-3}$$

•) Trial # 1 :

$$n = 1 \times 10^5 \text{ events}$$

(Counts)

$$\text{htally mean} = 1.014$$

Ratio = 0.818179

.) Trial # 2 :

$n = 1 \times 10^6$ events
(counts)

htally mean = 0.968
ratio = 1.04494

Trial #3 :

$n = 7 \times 10^6$ events

htally mean = 1.002

ratio = 1.02817

Task #3

Changing the shift value to 4%

) To show the 4% shift
from 1% shift
of h1 and h2
histograms.

) Originally :

$h2 \rightarrow h2.Fill(\text{myexp} \rightarrow \text{GetRandom})$

* 1.015

New Change :

$h2 \rightarrow \text{Fill}(\text{myexp} \rightarrow \text{GetRandom})$
* 1.04,

) the ratio and htally
means are different
with 1% to 4% difference
for h1 and h2.

originally ($n = 1 \times 10^5$ counts):

htally mean = 1.04

% diff = ratio = 1.08956
4.65

new ($n = 1 \times 10^5$ counts):

$$\text{ratio} = 1.11765$$

$$\text{statally mean} = 1.054$$

$$\% \text{ diff} = 5.68$$

•) The biggest difference
is the gain
factors scale from 1% difference
to 4% difference.

•) This can be helpful
to see how one
scale factors are needed
as when each histogram

New Run/Fast trials (Re-testing statistics)

- Data metrics to test:

1.) M_{htally} (mean)

2.) S_{htally} (mean) Lower std deviation can tell better Rel Cal

use N= 5 measurements

- try m= 15 trials runs for 3-test functions.

• Each iteration increase 1% shifts.

% shifts = 1%, ..., 15%

Test function #1

$$f(x) = \frac{a}{(bx)^c} \quad \text{trial Runs}$$

Trial #1 :

- M → represents % of histogram shift.

$$m = 1.5\% \text{ shift}$$

- $M_{htally} = 1.017$
- $\sigma_{htally} = 0.014 \approx 1.34\%$
error
- $N = 5 \text{ bins}$
- $n \rightarrow \text{number of events}$
 $n = 1 \times 10^6 \text{ events}$
- $\frac{\sigma_{htally}}{\sqrt{N}} = 0.00588$
 $\approx 0.588\% \text{ rel error}$

Trial #2 :

- $M = 2.5\%$ shift difference
- $M_{htally} = 1.028$
- $\sigma_{htally} = 0.0142 \approx 1.42\%$
rel error
- $N = 5$ bins
- $\frac{\sigma_{htally}}{\sqrt{N}} = 0.00635 \approx 0.635\%$
rel error
- $n = 1 \times 10^6$ events

trial #3 :

$m = 3.5\% \text{ shift difference}$

$M_{\text{tally}} = 1.038$

$N = 5 \text{ bins}$

$\sigma_{\text{tally}} = 0.01616 \approx 1.616\%$

$\frac{\sigma_{\text{tally}}}{\sqrt{N}} = 0.007227 \quad \text{rel error}$

$\approx 0.723\%$

rel error

$n = 1 \times 10^6 \text{ events}$

Trial #4 :

$m = 4.5\% \text{ shift}$

difference

$$M_{\text{tally}} = 1.045$$

$$\sigma_{\text{tally}} = 0.01358 \approx 1.358\% \text{ rel error}$$

$$N = 5 \text{ bins}$$

$$\sigma_{\text{tally}}/\sqrt{N} = 0.00607 \approx 0.607\% \text{ rel error}$$

$$n = 1 \times 10^6 \text{ events}$$

Trial #5:

$$m = 5.5\% \text{ shift difference}$$

$$M_{\text{tally}} = 1.06$$

$$\sigma_{\text{tally}} = 0.01287$$

$$\frac{\sigma_{\text{tally}}}{\sqrt{N}} = 0.005756$$

$$N = 5$$

$$n = 1 \times 10^6 \text{ events}$$

Trial #6 :

$m = 6.5\% \text{ shift}$
difference

$$N_{\text{tally}} = 1.07$$

$$\sigma_{\text{tally}} = 0.01455$$

$$\frac{\sigma_{\text{tally}}}{\sqrt{N}} = 0.006507$$

$$N = 5$$

$$n = 1 \times 10^6 \text{ events}$$

trial #7:

$$m = 7.5\% \text{ sh. ff}$$

diff

$$M_{\text{tally}} = 1.082$$

$$\overline{\sigma}_{\text{tally}} = 0.01591$$

$$\frac{\overline{\sigma}_{\text{tally}}}{\sqrt{N}} = 0.007115$$

(
• n is always; $n = 1 \times 10^6$ events
• N is always; $N = 5$)

Trial #8:

• $m = 8.5\% \text{ shift}$
diff

$$M_{\text{tally}} = 1.09$$

$$\sigma_{\text{tally}} / \sqrt{N} = 0.007576$$

$$\sigma_{\text{tally}} = 0.01694$$

Trial #9 :

$m = 9.5$ shift
difference

$$M_{\text{tally}} = 1.099$$

$$\frac{\sigma_{\text{tally}}}{\sqrt{N}} = 0.007303$$

$$\sigma_{\text{tally}} = 0.01633$$

Trial # 10 :

$$m = 10.5 \text{ shift}$$

difference

$$M_{\text{tally}} = 1.108$$

$$\sigma_{\text{tally}} = 0.01672$$

$$\frac{\sigma_{\text{tally}}}{\sqrt{N}} = 0.0074774$$

Trial # 11 :

m = 115 shift

difference

$$\overline{M_{tally}} = 1.117$$

$$\overline{\sigma_{tally}} = 0.01822$$

$$\frac{\overline{\sigma_{tally}}}{\sqrt{N}} = 0.00814823$$

Trial # 12 :

m = 12.5 shift
difference

$$M_{\text{tally}} = 1.119$$

$$\sigma_{\text{tally}} = 0.01703$$

$$\underline{\sigma_{\text{tally}}} = 0.007616$$

$$\sqrt{N}$$

Trial # B

m = 13.5% shift
difference

$$M_{\text{tally}} = 1.129$$

$$\sigma_{\text{tally}} = 0.01833$$

$$\frac{\sigma_{\text{tally}}}{\sqrt{N}} = 0.008197$$

Trial #14 :

$$m = 14.5 \text{ shift diff}$$

$$M_{\text{tally}} = 1.135$$

$$\sigma_{\text{tally}} = 0.01556$$

$$\frac{\sigma_{\text{tally}}}{\sqrt{n}} = 0.00696$$

Trial #15 :

$$m = 15.5 \%$$

$$\text{shift diff} = 1.139$$

(7/17)

New Towerslope

macro trials for:

$$f_1(x) = \frac{a}{(b+x)^c}, f_2(x) = ae^{-x}, f_3(x) = ax^3$$

) $T \rightarrow$ number of trials
 $T = 7$ each.

) $n \rightarrow$ number of iterations
of shift factor.
 $n = 0.5, 1.0, \dots, 3.5$
for every 0.1

) Edit Root file to
Save as png file to
run multiple iterations.
all on one macro.

Root file edits:

-) Call each root file trial 2 extension.
-) Do 16 hitally measurements.
-) Shift factor I noticed can't be negative or close to zero.

Code Edits:

- Void Testslope(int stats, double shift_factor,
String f1, String f2)
- String fe = ".Png" (or ".Pdf")
- TCanvas *C1 = new TCanvas("C1")
- for (int j = 0; j < stats; j; shift_factor)
 { h2->Fill(myexpo->GetRandom())
 * shift_factor }

3

• string SavePath1 = f1 + fe j
 f1 → SaveAs(SavePath1. c - str)

```
String SavePath2 = f2 + fe;  
(2->SaveAs(SavePath2.c_str()));
```

New Towerslope tasks to do

7/25

1.) Make fit plots

in Log Scale ($\text{TCanvas}::\text{SetLogy()}$)

2.)

Towerslope Data
Collection

9/19

9/19/24

Instructions :

$n = 1 \times 10^6$ stats/events

$n = 1 \times 10^7$ stats/events

$n = 1 \times 10^8$ stats/events

- 1.) Histogram measurement
of $x = 0.5 - 1.2 \text{ MeV}$
then $x = 1.5 - 3.2 \text{ MeV}$

- 2.) Make TgraphErrors
including All energy
ranges function
 $\bar{x}(\text{shift-input})$.

- Means - Y
- Shif.inp - X
- Error bars / (standard error of mean)

Questions: (RMS Comparisons)

- For ~~RMS~~ bars for RMS, what uncertainty do I use? Or comparison of two RMS's?
- What/how do I include in tally A Parameter for plotting?

3.) Repeat Process for Rhich
and exp function.

4.) RMS plot vs. Inp
and RMS vs.
(pl) tally points.
(tally includes errors)

9/21/24

Data/Results for
Calibrations: L3, Rhich, exp

• 1 mill events: ($n=16$)

$$Inp = 0.75$$

$$\bar{X} = 0.817$$

$$\sigma = 0.0718$$

$$\text{Std-err} = 0.01795$$

$$Inp = 1.0$$

$$\bar{X} = 1.003$$

$$\sigma = 0.06407$$

$$\text{Std-err} = 0.0160175$$

$$\cdot I_{np} = 1.25$$
$$\bar{x} = 1.174$$

$$\sigma = 0.1329$$

$$\sigma_{\text{stderr}} = 0.033225$$

(Low E Range :)
[0.5 - 1.2 GEV]

$$\cdot I_{np} = 0.75$$

$$\bar{x} = 0.7924$$

$$\sigma = 0.1965$$

$$\sigma_{\text{stderr}} = 0.049125$$

$$\cdot I_{np} = 1.0$$

$$\bar{X} = 0.8013$$

$$\sigma = 0.1839$$

$$\sigma_{std} = 0.045975$$

$$\cdot I_{np} = 1.25$$

$$\bar{X} = 0.8407$$

$$\sigma = 0.2059$$

$$\sigma_{std} = 0.051475$$

(High \bar{E} Range:
[1.4-3] GeV)

• 10 mill events:

(LowR: 0.5-1.2 GeV):

$$I_{NP} = 0.75$$

$$\bar{X} = 0.7643$$

$$\sigma_{\text{std}} = 0.00679$$

$$I_{RP} = 1.0$$

$$\bar{X} = 0.9942$$

$$\sigma_{\text{std}} = 0.00699$$

$$I_{NP} = 1.25$$

$$\bar{X} = 1.236, \sigma_{\text{std}} = 0.00627$$

(HEngR ; 1.4-3GeV) :

$$\cdot I_{n\rho} = 0.75$$

$$\bar{X} = 0.8883$$

$$\sigma_{err} = 0.0136$$

$$\cdot I_{n\rho} = 1.0$$

$$\bar{X} = 0.9477$$

$$\sigma_{err} = 0.00631$$

$$\cdot I_{n\rho} = 1.25$$

$$\bar{X} = 1.004$$

$$\sigma_{err} = 0.0150$$

• 100 million events :

(LowR : 0.5-1.2 GeV):

• $In_P = 0.75$

$$\bar{X} = 0.7517$$

$$\sigma_{err} = 0.00106$$

• $In_P = 1.0$

$$\bar{X} = 1.004$$

$$\sigma_{err} = 0.00252$$

• $In_P = 1.25$

$$\bar{X} = 1.252, \sigma_{err} = 0.0022$$

(HighR : 1.4-3 GeV)

• $I_{np} = 0.75$

$$\bar{x} = 0.7798$$

$$\sigma_{err} = 0.00690$$

• $I_{hp} = 1.0$

$$\bar{x} = 0.9851$$

$$\sigma_{err} = 0.00440$$

• $I_{np} = 1.25$

$$\bar{x} = 1.233$$

$$\sigma_{err} = 0.00582$$

• 5 million events :

$$\text{Input} = 0.75$$

$$\bar{X} = 0.7667$$

$$\sigma_{\text{err}} = 0.00946$$

$$\text{Inp} = 1.0$$

$$\bar{X} = 0.9875$$

$$\sigma_{\text{err}} = 0.0122$$

$$\text{Inp} = 1.25$$

$$\bar{X} = 1.24$$

$$\sigma_{\text{err}} = 0.0119$$

(Low Range : 0.5-1.2 GeV)

$$\cdot \text{Input} = 0.75$$

$$\bar{x} = 0.859$$

$$\sigma_{\text{err}} = 0.0206$$

$$\cdot \text{Input} = 1.0$$

$$\bar{x} = 0.928$$

$$\sigma_{\text{err}} = 0.0143$$

$$\cdot \text{Input} = 1.25$$

$$\bar{x} = 0.984$$

$$\sigma_{\text{err}} = 0.0136$$

(High R: 1.4-3.0
GeV)

Fit Parameters
extraction

1 million events :

Low R : $P_1 = 1.25 \pm 0.0046$
(0.75 shift)

Low R : $P_1 = 0.989 \pm$
(1.0 shift) 0.0393

Low R
(1.0 shift)