TP2_GUHUR

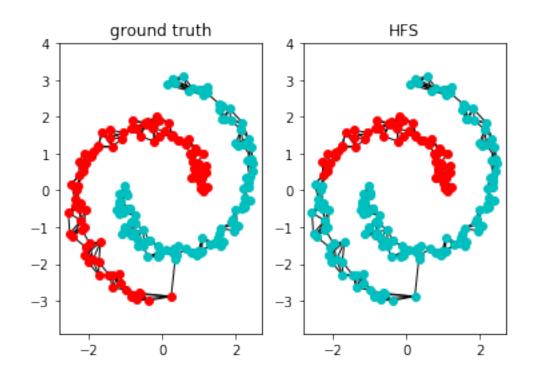
November 27, 2018

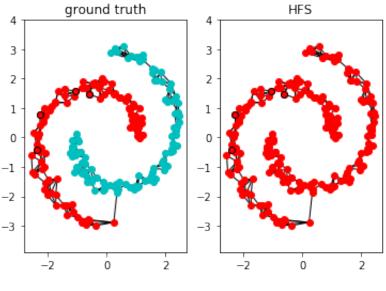
0.1 TP2 - Face Detection

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1 1. Harmonic Function Solution

1.1 Complete hard_hfs and two_moons_hfs. Select uniformly at random 4 labels (S), and compute the labels for the unlabeled nodes (T) using the hard-HFS formula. Plot the resulting labeling and the accuracy.





All labels are in the same moon

To tune the similarity graph, knn is more appropriate as the links are anisotropics. The minimal value of k for which each moon is fully connected is chosen.

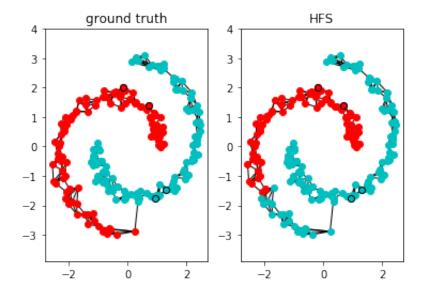
1.2 At home, run two_moons_hfs.m using the data_2moons_large. mat, a dataset with 1000 samples. Continue to uniformly sample only 4 labels. What can go wrong?

Two things can go wrong.

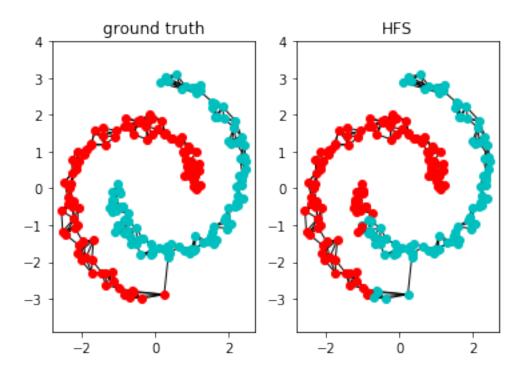
First, it might happen that the 4 labels are inside the same moon. In this case, we have only labels about one manifold and the two moons are considered to be the same. That is why, I modified mask_labels to check that each class is at least labelled one time.

In [2]: print(f"Accuracy: {two_moons_hfs()*100:.2f}%")

Accuracy: 89.00%



Example of broken clustering

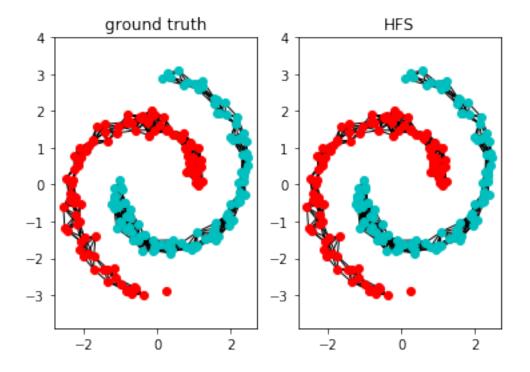


Secondly, the two moons are connected. As a consequence, when a labelled point is close to the junction, it might jump into the second moon, and thus, breaking the clustering:

One solution is to remove the junction by using an ϵ -thresholding, which can be more finely tuned than knn to improve the performance:

```
In [3]: print(f"Accuracy: {two_moons_hfs(k=0, eps=0.7)*100:.2f}%")
```

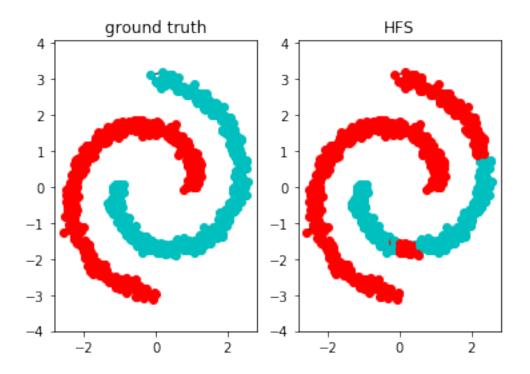
Accuracy: 100.00%



Finally, we can test the scaling of the algorithm to a large dataset:

In [4]: two_moons_hfs("./code_material_python/data/data_2moons_hfs_large")

Out[4]: 0.837



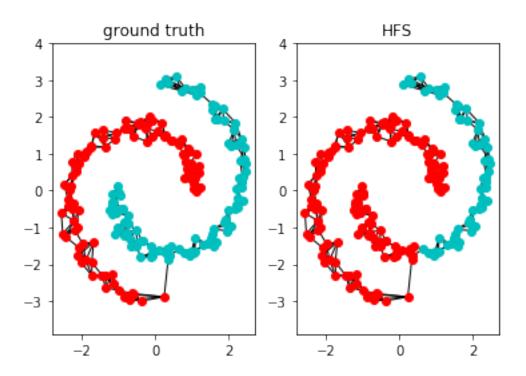
What happens when the labels are noisy, or in other words when some of the samples are mislabeled?

With an hard HFS, the labels are assumed to be noise-less. Otherwise, the algorithm forces the cluster to follow the mislabeled, which engenders wrong results.

In the following code, the noisy points can be seen in the ground truth plot.

In [5]: print(f"Accuracy: {two_moons_hfs(noise=True)*100:.2f}%")

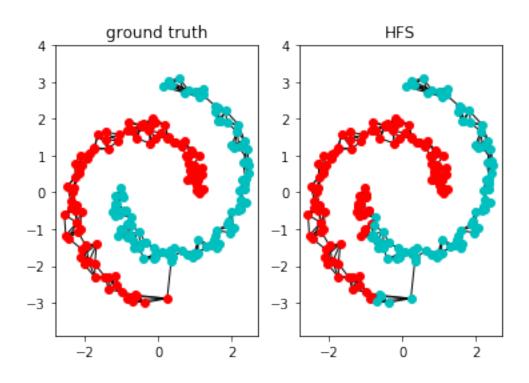
Accuracy: 79.50%



1.3. Complete soft_hfs and test it with two_moons_hfs. Now complete hard_vs_soft_hfs. Compare the results you obtain with soft-HFS and hard-HFS.

In [6]: print(f"Accuracy: {two_moons_hfs()*100:.2f}%")

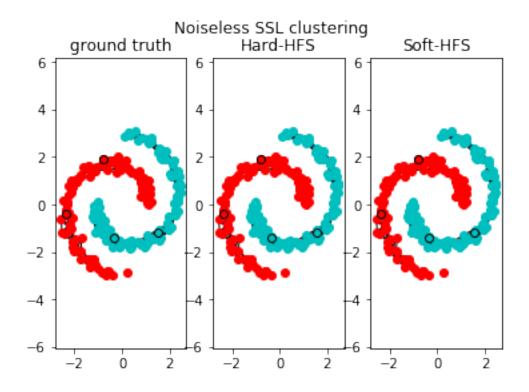
Accuracy: 88.50%



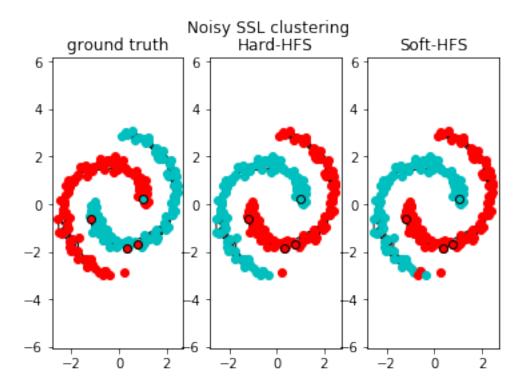
Comparison from Hard HFS and Soft HFS

```
In [7]: acc = hard_vs_soft_hfs(k=0, eps=0.7)
        print(f"Hard HFS - Accuracy: {acc[0]*100:.2f}%")
        print(f"Soft HFS - Accuracy: {acc[1]*100:.2f}%")
        fig = plt.gcf()
        fig.suptitle('Noiseless SSL clustering')
        plt.show()
        acc = hard_vs_soft_hfs(noise=True, k=0, eps=0.7, c_u=1, c_l=1)
        print(f"Hard HFS - Accuracy: {acc[0]*100:.2f}%")
        print(f"Soft HFS - Accuracy: {acc[1]*100:.2f}%")
        fig = plt.gcf()
        fig.suptitle('Noisy SSL clustering')
        plt.show()
Hard HFS - Accuracy: 100.00%
```

Soft HFS - Accuracy: 100.00%



Hard HFS - Accuracy: 0.50% Soft HFS - Accuracy: 1.50%



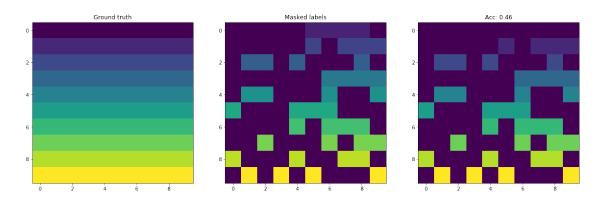
Tuning c_u and c_l is hard. Hard-HFS means that $c_u = 0$ and $c_l = \infty$. But when the noise is important (here p = 0.5), it makes more sense to have $c_u = c_l = 1$. In practive, it slightly improves the results.

When the data are noiseless, Soft-HFS perfoms slighlty less good than Hard-HFS.

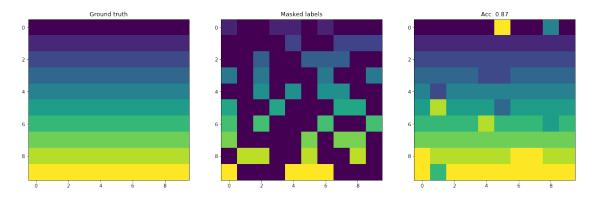
2 2 Face recognition with HFS

/Users/pierre-louis/src/MVA/GraphsInML/TP2/code_material_python/hfs.py:57: RuntimeWarning: div D = np.diag(d ** (-1))

/Users/pierre-louis/src/MVA/GraphsInML/TP2/code_material_python/hfs.py:57: RuntimeWarning: over D = np.diag(d ** (-1))



Out[9]: 0.46



Out[13]: 0.87

2.1. How did you manage to label more than two classes?

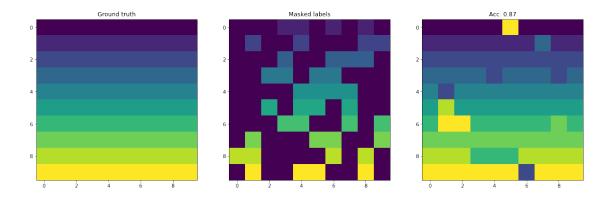
I manage it by using hot-vector encoding.

2.2 Which preprocessing steps (e.g. cv.GaussianBlur, cv.equalizeHist) did you apply to the faces before constructing the similarity graph? Which gave the best performance?

Brightness enhancing has strongly improved results.

First, we use Gaussian blur.

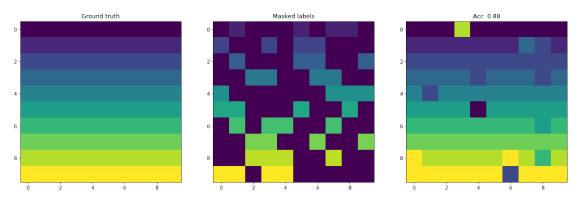
In [16]: offline_face_recognition(n_pers=10, n_im=10, var=1e5, k=10, brightness=200, filter_me



Out[16]: 0.87

Secondly, the box filtering:

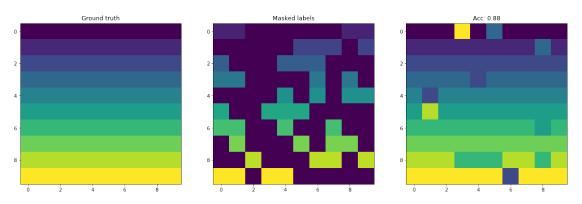
In [15]: offline_face_recognition(n_pers=10, n_im=10, var=1e5, k=10, brightness=200, filter_mers=10) and the contract of the



Out[15]: 0.88

Finally, the bilinear filtering:

 $In ~[17]: offline_face_recognition (n_pers=10, n_im=10, var=1e5, k=10, brightness=200, filter_mers=10, var=1e5, k=10, brightness=200, filter_mers=10, var=1e5, k=10, brightness=200, filter_mers=10, k=10, k=10,$



Out[17]: 0.88

Consequently, the results are very similar.

2.3. Does HFS reach good performances on this task?

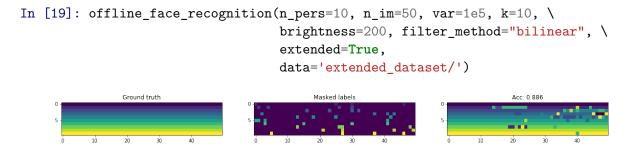
HFS succeeded to cluster all sets. It fails when the head is rotated but not such faces are present in the labelled images.

2.4. Did adding more data to the task improve performance? If so, which kind of additional data improves performance.

Globally, the results are similar.

New data could mean more variation in the rotation of the face. When labelled images catch these different rotations, results are strongly more robust.

Moreover, using an SSL framework means that adding more unlabelled images can also improve performances because more data are connected together. Hence, we can recognize a face that is far from the labelled faces when intermediate faces are present.



Out[19]: 0.886

2.5. If the performance does not improve when adding additional data, try to justify why. Which kind of additional data degrades performance instead of improving it?

The benefices from the SSL framework could also be damaging. In the latter results, we can find a continuous set of mislabelled images from the set #1 (green strip instead of a blue strip). Indeed, the algorithm made a first error and it has accumulated errors from that point.