

## Progressive Art (progressiveart)

Carlo is a big fan of progressive music and he recently found out that progressive paintings exist too! Clearly, he wants to dive into it, therefore he hired you as his assistant. A progressive painting is made using Vim, and consists of a rectangle of  $N \times M$  coloured square cells. Since Carlo wants to be even more progressive, he only uses the colors red, green, and blue.

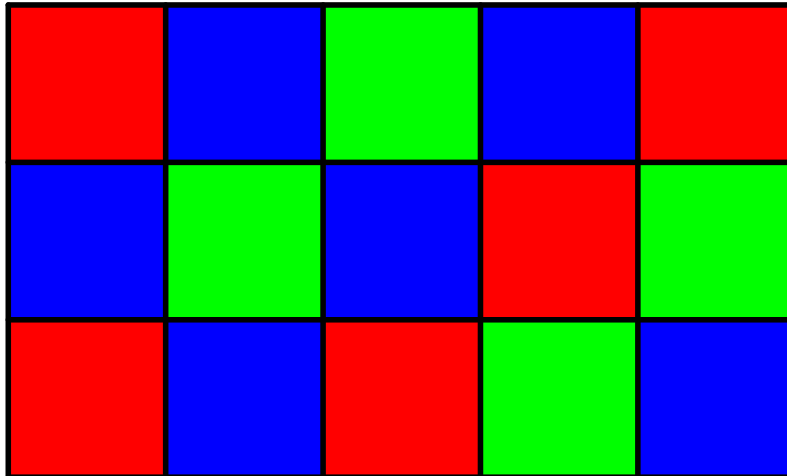


Figure 1: One of Carlo's masterpieces

Carlo has a weird way of judging the beauty of his works. He invented a measure called  $L$ -beauty. A square of size  $L$  (that is, consisting of  $L \times L$  contiguous cells of the painting) is beautiful if it contains an equal number of red, green, and blue cells. The  $L$ -beauty of the painting is the number of beautiful squares of size  $L$  in it.

Carlo asked you a question to test your skill. Given  $N$ ,  $M$ ,  $L$  and  $K$ , does a painting with  $N$  rows,  $M$  columns, and an  $L$ -beauty equal to  $K$  exist? If so, could you paint one for him?

Among the attachments of this task you may find a template file `progressiveart.*` with a sample incomplete implementation.

### Input

The input file consists of a single line, containing the integers  $N$ ,  $M$ ,  $L$ , and  $K$ .

### Output

If it is possible to produce a suitable painting, you have to output  $N + 1$  lines:

- One line containing the string "YES".
- $N$  lines, each containing a string of length  $M$ , consisting of R, G, and B only, representing red, green, and blue cells in the painting.

If it is not possible to do so, you have to output a single line containing the string "NO".

## Constraints

- $1 \leq N \leq 1000$ .
- $1 \leq M \leq 1000$ .
- $1 \leq L \leq \min(N, M)$ .
- $0 \leq K \leq N \cdot M$ .

## Scoring

Your program will be tested against several test cases grouped in subtasks. In order to obtain the score of a subtask, your program needs to correctly solve all of its test cases.

- **Subtask 1** (0 points)      Examples.  
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- **Subtask 2** (30 points)       $K \leq 1$ .  
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- **Subtask 3** (50 points)       $N \leq 3$ .  
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- **Subtask 4** (20 points)      No additional limitations.  
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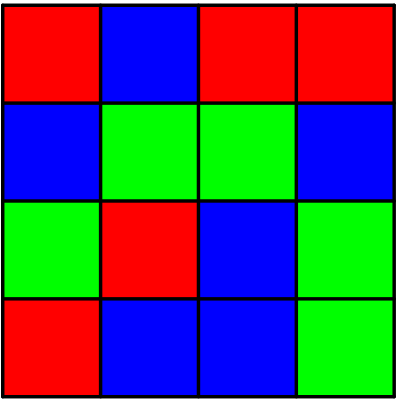
## Examples

| input   | output                              |
|---------|-------------------------------------|
| 4 3 2 4 | NO                                  |
| 4 4 3 2 | YES<br>RBRR<br>BGGB<br>GRBG<br>RBBG |

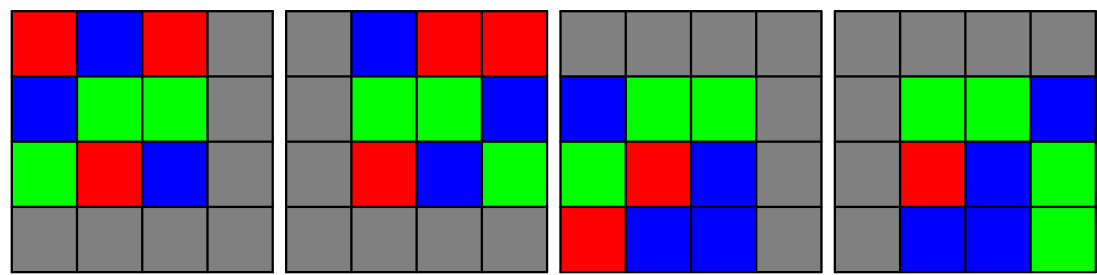
## Explanation

In the **first sample case** it is not possible to make a painting satisfying the constraints.

In the **second sample case** one possible painting, represented in the output, is the following:



It contains 4 squares of size 3, that are the following:



Only the first 2 of them contain the same amount of red, green and blue cells. Hence, the painting satisfies Carlo’s request.