

## Problem Fence (fence)

Edoardo has a ranch in Pordenone, surrounded by tall mountains on three sides. Since his cows are always trying to escape, he built a fence on the fourth side, but soon realised that he does not need all of it. The fence consists of  $N$  wooden poles, indexed from 0 to  $N - 1$ , and pole  $i$  has a height of  $H_i$  centimeters.



Figure 1: Edoardo's ranch

After removing some poles, the *robustness* of the remaining ones is the sum of  $(j - i) \cdot \min(H_i, H_j)$  over all  $0 \leq i < j < N$  such that poles  $i$  and  $j$  have not been removed and all those between them have been removed. Help Edoardo compute the maximum possible *robustness* over all possible choices of poles to remove.

🔗 Among the attachments of this task you may find a template file `fence.*` with a sample incomplete implementation.

### Input

The first line contains the integer  $N$ : the number of poles. The second line contains  $N$  integers  $H_i$ : the height of the poles.

### Output





You need to write a single line with an integer: the maximum possible *robustness* over all possible choices of poles to remove.

### Constraints

- $2 \leq N \leq 200\,000$ .
- $0 \leq H_i \leq 1\,000\,000\,000$  for each  $i = 0 \dots N - 1$ .

## Scoring

Your program will be tested against several test cases grouped in subtasks. In order to obtain the score of a subtask, your program needs to correctly solve all of its test cases.

- **Subtask 1** (0 points)      Examples.  

- **Subtask 2** (17 points)       $N \leq 20$ .  

- **Subtask 3** (30 points)       $N \leq 5000$ .  

- **Subtask 4** (53 points)      No additional limitations.  


## Examples

| input                           | output |
|---------------------------------|--------|
| 4<br>10 4 8 7                   | 23     |
| 10<br>5 4 18 11 19 14 21 7 0 10 | 114    |

## Explanation

In the **first sample case**, it is optimal to only remove pole 1. The *robustness* of the remaining poles (0, 2, 3) is:  $(2 - 0) \cdot \min(H_0, H_2) + (3 - 2) \cdot \min(H_2, H_3) = 2 \cdot \min(10, 8) + 1 \cdot \min(8, 7) = 23$ .