Termination of STLC

(Termination)

For every He: There exists a

Viol such that e + 7 V

Recursion + Fixed Points A recursive function is one that calls This holetes termination property because the onus is on the programmer to ensure termination Non-temina has remonres base case notates tornination >f=ff 7 fbn=Ifn=I Hun O else f(n-1) decreasing is important for tomination > fac: Int > Int > fac n = if n = 0 then 1 else n + fac(n-i) fac:= >n.if n=0 Hen 1 else n + fac(n-1) Xf. \n. if n=0 Hun's else n & f (n-i) INT->INT > fx: (a->a) -> a > fx f = f (fxf) Stack: (Int > Int) > ((nt > Int) Stack f n = if n=0 than 1 else 1 x f(n-i) > fecc :: Int -> Int > fecc = fix feactF fix feet fact (fx fact) Cof. In if n=0 then lesse nx (n-i) (fx (act) In. If n=0 then I elsen* (fxfect)(n-1) In if n=often (else n + fac (n-1) $7 inc: lnt \rightarrow lnt$ 7 incn = inc(nti)7incF :: (Int > Int) -> (INT -> Int) 7incF fn = f(n+1) >Inc :: lut >Int >Inc = (x incf (,x:T+e:T Statics H(x(x:T.e):T βx::(τ→τ)→τ βx f=f(βx f) ynami'cs fix(x:T.e) +> e[fx(x:T.e)/x]

PCF PCF = (same version of) STLC + fixed points Partial functions may not be defined for all inputs > sqn: Int > Maybe Int >savt 4 = 2 > head :: [a] > on > head (ocoss) = oc indefined fer 7 fail :: [a] > [a] 7 fail (x:xs) = xs