

#### Any-to-Any Transpilation of Quantum Circuits















## Example: Qiskit to Bracket Transpilation

```
qc = QuantumCircuit(4)
qc.x([0, 2])
ep = ExcitationPreserving(4, 'iswap', 'linear', 1)
qc.compose(ep, inplace=True)
qc = qc.decompose()
```

Figure: Qiskit Excitation Preserving  $H_2$ 

```
Example: Qiskit to Bracket Transpilation
from abrax import toQasm, toBraket
# convert
qasm = toQasm(qc)
qc = toBraket(qasm)
# run
from braket.devices import LocalSimulator
result = LocalSimulator().run(bell).result()
print(result.measurement counts)
```

### Other Frameworks

```
from pennylane import device
from abrax import *
dev = device("default.qubit", wires=2)
qc = toPenny(QASM, dev)
\# qc = toQiskit(QASM)
\# qc = toCirq(QASM)
\# qc = toTket(QASM)
\# qc = toBraket(QASM)
# kern, qubits, thetas = toCudaq(QASM)
\# qc = toQuil(QASM)
```

## Lower level representations and utilities

## Requirements

- Qiskit
- Numpy
- your respective framework



Find the rank of an arbitrary subspace made of up qdits as presented by Zhu, Zhang and Zeng in Quantifying subspace entanglement with geometric measures.

## Constructing a state

```
from numpy import sin, cos, pi, eye
from ranken import *
R.n = 3
T = (pi/2)/2
I = eye(Rn)
def PSI(i):
  A = State.create(State.Ket_0, I[i\%Rn])
  B = State.create(State.Ket_1, I[(i+1)%Rn])
  coeffs = [cos(T), sin(T)]
  return State.combine([A, B], coeffs)
```

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```
Make a subspace and optionally orthonormalize it
from numpy import array
basis = array([PSI(i) for i in range(2)])
proj, proj_perp = Projector(basis, gs=False)
def phi_ik(X):
  qubit = Qdit(2, X[1:5].reshape(2, 2))
  qutrit = Qdit(3, X[5:11].reshape(3, 2))
  return X[0], qubit, qutrit
```

Create the loss function of an arbitrary state in the selected subspace

```
def f(X):
  L, qbit, qtrit = phi_ik(X)
  PHI_rx = normalise(L * kron(qbit, qtrit))
  # Multiple phis can be done with
  # PHI_rx = State.combine(
      [phi\_rx1, phi\_rx2, phi\_rx3],
  # \int 1.1.17
  return Loss(PHI_rx, proj_perp)
```

### Run the minimization

```
# accepts all args of scipy.optimize.minimize
size = (2*D + 1)*(r - 1)
rank = minima(f, rand(R_MAX, size), tries=2)
print(f'E_r(={T}) = {rank}')
```

# Requirements

- Numpy
- Scipy