# Lab Session 6

Submitted By: Priyanshu Maurya

Roll No.: 220827

TA: Praful Mane

#### AIM

The goal of the laboratory session is to understand vapor/liquid equilibrium, plot P-x-y for a binary mixture of  $CH_3OH$  and  $CO_2$  with pressure on the y-axis and mole fraction of  $CH_3OH$  on the x-axis, plot T-x-y of this mixture, and determine the state of the binary mixture containing 40 mole%  $CH_3OH$  at 78 bar and 210 °C.

### **METHOD**

## Plotting P-x-y graph:

**Approach 1**: Using Antoine equation, P<sup>vap</sup> of CH<sub>3</sub>OH and CO<sub>2</sub> is calculated at a temperature of 483 K with values of coefficients already obtained from previous lab.

Approach 2: Calculation of P<sub>bubble</sub> is done by using the below equation,

$$P_{\text{bubble}} = (P^{\text{vap}})_{\text{CH3OH}} * x_1 + (P^{\text{vap}})_{\text{CO2}} * (1-x_1)$$

Approach 3: Using P<sub>bubble</sub>, we calculated mole fraction of CH<sub>3</sub>OH in vapor phase using the below equation,

$$y1 = P^{vap} *x_1 / P_{bubble}$$

**Approach 4**: Now, using the values of  $x_1$ ,  $y_1$ , and  $P_{bubble}$ , the plot of P-x-y is obtained as shown in results.

### Plotting T-x-y graph:

Approach 1: First, we will calculate dew point temperature using below equation,

$$\frac{y_1}{K_1} + \frac{y_2}{K_2} = 1$$

Approach 2: K1 and K2 can be expressed as shown below,

$$K1 = \frac{P1vap}{P}$$

$$K2 = \frac{P2vap}{P}$$

Approach 3: Then using Raoult's law we can calculate mole fraction of CH₃OH in liquid phase.

Plotting contour illustrating R<sup>3</sup><sub>CH3OH</sub>, R<sup>3</sup><sub>H2O</sub>, R<sup>2</sup><sub>CO2</sub> and R<sup>2</sup><sub>H2</sub> as a function of temperature and pressure of stream 1a:

Approach 1: First, we iterate pressure from 1 bar to 78 bar, and then iterate temperature from 273K to 500K.

**Approach 2**: For every value of temperature, we calculate P<sup>vap</sup> for CH<sub>3</sub>OH, H<sub>2</sub>O, CO<sub>2</sub>, and H<sub>2</sub>.

Approach 3: Using value of P<sup>vap</sup>, we calculate bubble pressure P<sub>b</sub> and dew pressure P<sub>d</sub>.

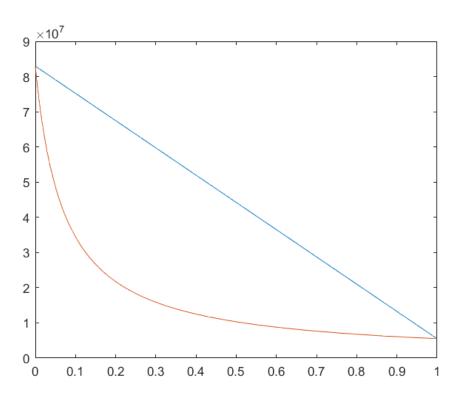
**Approach 4**: We then compare pressure value to decide whether only vapor phase is obtained or only liquid phase is obtained, or a mixture is obtained.

**Approach 5**: Then we calculate V, L and mole fraction in liquid phase as x and mole fraction in vapor phase as y.

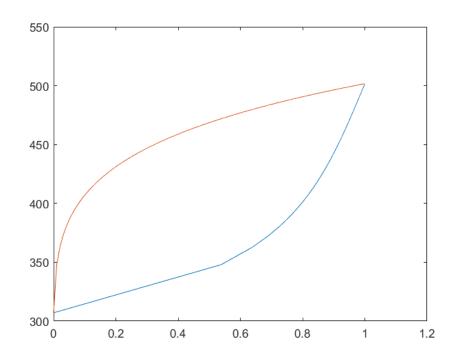
**Approach 6**: Using molar flow rates V, L and F and mole fraction x, y and z, recovery of each component is obtained.

# **RESULTS AND ANALYSIS**

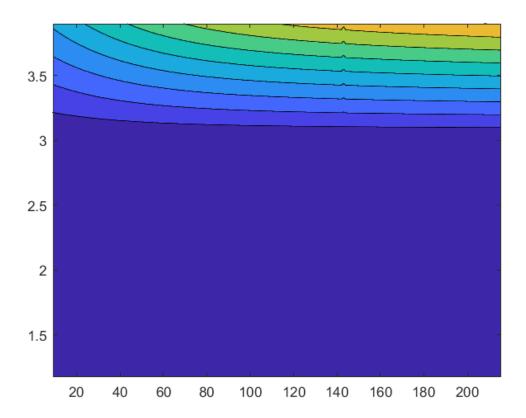
The following P-x-y graph is obtained,



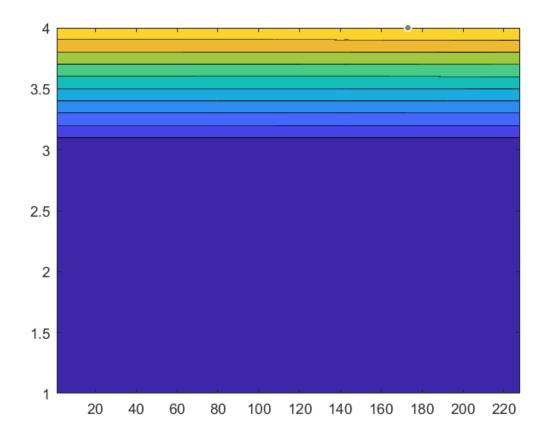
The following T-x-y graph is obtained,

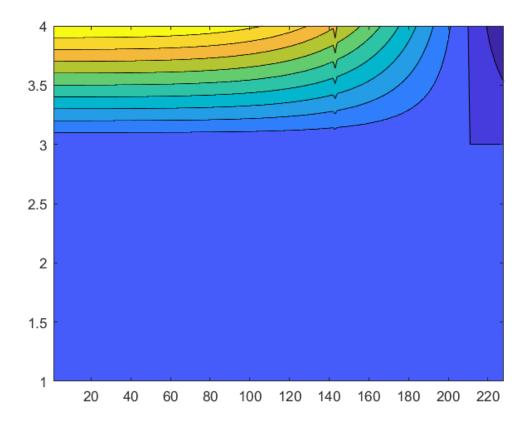


The following contour graph is obtained for CO<sub>2</sub>,

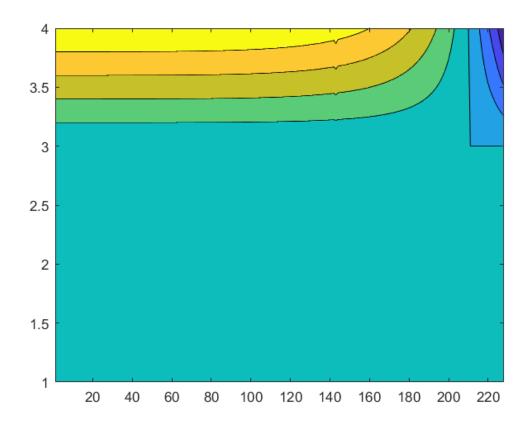


The following contour graph is obtained for H<sub>2</sub>,





The following contour graph is obtained for H<sub>2</sub>O,



### **CONCLUSION**

The P-x-y graph obtained is linear with mole fraction of CH₃OH in liquid phase while it has non-linear relation with mole fraction of vapor phase.

The enclosed area of T-x-y graph shows that CO₂ and CH₃OH are in mixture form.

#### **APPENDIX**

The MATLAB code to solve the problem is as follows:

```
A = [24.89 24.70 22.36];
B= [4525.8 4941.25 1992.9];
z = [0.12 \ 0.12 \ 0.25 \ 0.51];
T=483;
P=78e5;
% P-x-y
p1 = \exp(A(1)-(B(1)/T));
p2 = exp(A(3)-(B(3)/T));
x1=linspace(0,1,100);
P_{total} = (p1.*x1) + p2.*(1-x1);
y1=(p1.*x1)./P_total;
% T-x-y
Temp=[];
count=0;
y2=[];
x2=[];
for i=0:0.01:1
    count=count+1;
    y2(count)=i;
    f = Q(T1)[(i/(exp(A(1)-(B(1)/T1))/P))+((1-i)/(exp(A(3)-(B(3)/T1))/P))-1];
    Temp(count)=fsolve(f,483);
    p1_vap = exp(A_ch3oh-(B_ch3oh/Temp(count)));
    x2(count)= (y2(count)*P)/p1 vap;
end
F=100;
V=0;
L=0;
CO2_rec=[];
H2 rec=[];
CH30H_rec=[];
H20_rec=[];
p=[];
tt=[];
for i=1:78
    p(i)=i*10^5;
    pp=i*10^5;
    x=[];
    y=[];
    cnt=0;
    for t=273:500
        cnt=cnt+1;
        tt(cnt)=t;
        P_vap=[];
        P_b=0;
        P d=0;
```

```
for i=1:3
            P_{vap}(i) = exp(A(i) - (B(i)/t));
        end
        P_vap(4)=1.44e9;
        for i=1:4
            P_b=P_b+z(i)*P_vap(i);
        end
        for i=1:4
            P_d=P_d+z(i)/P_vap(i);
        end
        if pp>P_b
            x=z; y=0; V=0; L=F;
        elseif(pp<P_d)</pre>
            y=z; x=0; V=F; L=0;
        elseif(P_d<=pp && pp<=P_b)</pre>
            K= P_vap./pp;
            shi_func = @(s)[(z(1)*(1-K(1))/(1+s*(K(1)-1)))+ (z(2)*(1-K(2))/(1+s*(K(2)-1)))
+(z(3)*(1-K(3))/(1+s*(K(3)-1))) + (z(4)*(1-K(4))/(1+s*(K(4)-1)))];
            shi = fsolve(shi_func,0.8);
            V=F*shi;
            L=F-V;
            x=z./(1+shi.*(K-1));
            y=K.*x;
        end
        CO2_{rec(i,cnt)} = (y(3)*V)/(z(3)*F);
        H2_{rec}(i,cnt) = (y(4)*V)/(z(4)*F);
        CH30H_rec(i,cnt) = (x(1)*L)/(z(1)*F);
        H20_{rec}(i,cnt) = (x(2)*L)/(z(2)*F);
    end
end
% plotting graph
figure
plot(x2,Temp, y2,Temp);
figure
plot(x1,P_total,y1,P_total);
figure
contourf(CO2 rec);
figure
contourf(H2_rec);
figure
contourf(CH30H_rec);
figure
contourf(H20_rec);
```