

24/9/24 LAB PGM-1 void TIC-TAC-TOE

ALGORITHM:

1. Create a 3×3 matrix where each cell is empty with default value = -1.
2. Take user input as x in one cell if already filled or to fill in other cell which is empty. $\{ \text{if board}[row][col] \text{ is empty} \}$
3. Check if x is not in a non-consecutive manner horizontally, vertically or diagonally $\{ \text{if board}[row][col] \text{ is empty} \}$
 - $\{ \text{place the } x \}$
 - $\} \text{ end loop.}$
- else enter in empty cell.
4. ~~In different is written, it is~~
 - ~~if row : (0,1,2) or (3,4,5) or (6,7,8)~~
 - ~~or column : (0,3,6), (1,4,7), (2,5,8)~~
 - ~~or diagonal : (0,4,8), (2,4,6)~~
5. while true do make user's turn
 - if board [row][col] is empty:
 - Put x
 - $\} \text{ end loop}$
6. # random

3. After calling check function

if all values given is 0
return 1

if all values of a col is 0
return 1

if $[0][0] \cdot [1][1] \cdot [2][2]$
return 1

if $[0][2] \cdot [1][1] \cdot [2][0]$
return 1

else return 0

if the condition is true (1)
print user wins

4. generate random()

row, col = random.choice(empty cells present)

generate random row mod 3

generate random col mod 3

if mat[i][j] == -1 and board[i][j] == 0
return 1

else

generate random()

row, col = random.choice(empty cells)

5. When user wins print comp won

6. If all cells = filled:

Declare draw

```

import random
def initialise_board():
    return [[ " " for _ in range(3) ] for _ in range(3)]

```

```

def display_board(board):
    for row in board:
        print ('|'.join(row))
        print ('-' * 5)

```

```

def check_winner(board):
    for row in board:
        if row[0] == row[1] == row[2] != ' ':
            return row[0]

```

```

for col in range(3):
    if board[0][col] == board[1][col] == board[2][col] != ' ':
        return board[0][col]

```

```

if board[0][0] == board[1][1] == board[2][2] != ' ':

```

even wins.

```

if board[0][2] == board[1][1] == board[2][0] != ' ':
    return board[0][2]
return None

```

```

def available_moves(board):
    return [(i,j) for i in range(3) for j in range(3)]
    if board[i][j] == ' '

```

```

def check_box_in_a_row(board, player):
    for row in range(3):
        for col in range(3):

```

if board[row].count(player) == 2 and
board[row].count(' ') == 1;
return row, board[row].index(' ')

for col in range(3):
if (board[row][col] for row in range(3)).
count(player) == 2;
empty_index = [row for row in range:
if board[row][col] == ' ']

if empty_index:
return empty_index[0], col

if [board[i][i] for i in range(3)].count:
player == 2:
empty_index = [i for i in range(3) if board
[i][i] == ' ']

if empty_index:
return empty_index[0], 2 - empty_index[0]

return None

def make-more(board, player, move):
board[move[0]][move[1]] = player

def computer-move(board):

if not board: return None
make-more(board, 'O', move)
return move

move = check-win-in-row(board)

make more (board, 'O', row)

return (board) board with O at row

more = available (board)

if

more == random choice (rows)

make more (board, 'O', more)

def user more (board):

while True:

by

row = int(input("Enter row"))

col = int(input("col"))

if board [row] [col] == '':

make more (board, 'X', (row, col))

return

else:

print("New spot")

except ValueError, IndexError:

print("Invalid")

def play game ()

board = initialize_board()

player = 'X' / 'O'

for i in range (9):

display_board

if current_player == 0:

user more (board)

else:

comp more (board)

win = check_win(board)

```
if winner  
    display board (board)  
    print ("Player " + winner + " wins")  
    return
```

current player = 1 - current player.

```
display board (board)  
print ("Draw")
```

play-game()

Antipit: (1) (at least one row, col, dia, anti-diag has all X or O)

(2) (at least one row, col, dia, anti-diag has all empty cells)

Enter row: 1
col: 1
val: X

Enter row : 1

col : 0

X	X	X	X	X	X
O	O	X	X	O	X
O	X	O	O	O	O

Enter row : 2

col : 1

X	X	X	X	O
O	O	X	X	O
X	X	O	O	X

(initial state of board)

row : 0

col : 2

X	O	X
O	X	X
A	O	X

~~Diagonal dominance~~ Its not dominant

A mixed

Answers A

1/10/24

Vacuum Cleaner

1. Assign the no. of rooms from variables A & B to dirty.

X X ?

2. while (room A ||| B == dirty):

if (room A is dirty) {

if (vac cleaner is in A) {

clean A

dirty - ;

else (goto B))

if (cleaner is in B) {

if (room B is dirty)

clean B

else

3. { goto A)

~~if (A & B is clean)~~

exit

when B is first

A	B
=	=

A	B
=	=



→ A cleaned.

A	B
=	..

A	B
=	..

both cleaned.

both cleaned.

Percept Sequence

Action	
clean A	go to B
clean B	go to A
clean A	go to C
cleaned.	
A (dirty) & (dirty)	
A (clean) (A dirty)	
A (dirty) (A clean)	
A (clean) B (clean)	
(A dirty), (A clean) / (A left)	
(A dirty), (A clean) (A left)	B (dirty)
(A dirty), (A clean) (A left) (B dirty) (B clean)	
(A dirty), (A clean) (A left) (B dirty) (B clean)	
(B right) (A clean)	
(Exit)	

~~✓~~ (Event was initialized)

Code:

```
class VacuumCleaner:
```

```
    def __init__(self, grid):
```

```
        self.grid = grid
```

```
        self.position = (0, 0)
```

```
    def clean(self):
```

```
        x, y = self.position
```

```
        if self.grid[x][y] == 1:
```

```
            print("Cleaning", self.position)
```

```
            self.grid[x][y] = 0
```

```
        else:
```

```
            print("Position", self.position, "is clean")
```

```
    def move(self, direction):
```

```
        x, y = self.position
```

```
        if dir == "up" & x > 0:
```

```
            self.position = (x - 1, y)
```

clf direction == down & xc len (self.grid) -
self.pos = (x + 1, y)
clf dir == "left" & y > 0:
self.pos = (x, y - 1)
clf dir == right & y < len (self.grid) - 1:
self.pos = (x, y + 1)
else:
print ("Not possible")

def mark(self):
rows = len (self.grid)
cols = len (self.grid[0])

for i in range (rows):

for j in range (cols):

self.pos = (i, j)

self.clean ()

paint ("Final")

for row in self.grid

paint (row)

def set_dirty_coordinates (rows, cols, num)

dirty = set ()

white = len (dirty - cells) - num - dirty

try:

coords = input ("Enter coordinates")

x, y = map (int, coords.split (' '))

if 0 <= x < rows & 0 <= y < cols:

dirty - cells.add ((x, y))

else:

print ("Out of bounds")

row: init ("initial l" Enter row")

col: init ("initial l" Enter col")

num dirty = init ("initial l" Enter dirty cells")

if dirty > rows * cols :
print l ("D.C exceed")

initial grid = ([0 for i in range (cols)] for
i in range (rows))

dirty-coordinates = get dirty-(rows, cols,
num dirty)

For x, y in dirty coordinates:
initial-grid [x][y] = 1

vacuum = Vacuum cleaner (initial-grid)

print ("Initial grid")

for row in initial grid:

print (row)

vacuum.run()

Output:

~~Enter rows: 2~~

~~Enter cols: 2~~

~~Enter dirty cells: 4~~

~~Enter coordinates pos 1: 0,0~~

~~Enter coordinates pos 2: 0,1~~

~~Enter coordinates pos 3: 1,1~~

~~Enter coordinates pos 4: 1,0~~

Initial grid

$\begin{bmatrix} 1 & 1 \\ 1 & 1 \end{bmatrix}$

Cleaning pos $(0,0)$
Cleaning pos $(0,1)$
Cleaning pos $(1,0)$
Cleaning pos $(1,1)$

Final grid

$\begin{bmatrix} 0 & 0 \\ 0 & 0 \end{bmatrix}$

~~1/10~~

LAB: 38. PUZZLEUsing DFS & ManhattanAlgorithm: Manhattan

1. Create a 3×3 grid with an initial path & empty path.
2. Depending on the position of the m in which the m is located there are 3/2 possible moves.
3. If the place is already visited then move to the neighbouring place (top, left, right, left)
4. Make all possible moves and finally calculate the distance by subtracting the current position with the final position to achieve.
5. From all move select the min sum.
6. Repeat until the puzzle completes.

DFS: i, start from bridge condition

1. Push initial state into stack.
2. When stack is not empty
3. If element is not visited, push onto stack.
4. Do all possible moves (L, R, T, B).
5. While popping current node, if in final state end it or continue.
6. If not visited move (L, R, T, B)
7. Visited set will be added to stack.

*Peter
dr. update*

check if revisited

pop, until current state
make move

else:

push into stack
exit if goal state is reached

def manhattan_distance(state, goalst):

distance = 0

for i in range(3):

for j in range(3):

if state[i][j] != 0:

goal_i = goalstate[i][j] - 1

goal_j = goalstate[i][j] - 1

dist += abs(i - goal_i) + abs(j - goal_j)

def get_neighbours(state):

neighbours = []

for i in range(3):

for j in range(3):

if state[i][j] == 0:

if i > 0:

neighbours.append(swap(state, i, j, i-1, j))

if j < 2:

neighbours.append(swap(state, i, j, i, j+1))

if i < 2:

neighbours.append(swap(state, i, j, i+1, j))

def swap(state, i1, j1, i2, j2):

new_state = [row[:] for row in state]

(i1, j1) = new_state[i1][j1]

dfs-with-manhattan (initial-st, goal-st,
visited = None) :

if visited is None :
visited = set()

if initial-st == goal-st :
return [initial-st]

initial add "st" (initial-state)

neighbors = sorted (get-neighbors (initial-st))
key = lambda x :
manhattan-dist (x, goal-st))

for neighbor in neighbors :
if st (neighbor) not in visited :

path = dfs-with-manh (neigh - goal-st.)
return [initial-st] + path
return None

initial-st = []

print ("Initial st")

for i in range (5) :

row = input ("Enter row {i+1} ")

if sol :

~~print ("sol")~~

for state in sol :

for row in state :

print (row)

print ()

else : print ("No so")

Outpatient visit (initial or follow-up)
Enter initial:

1 = 0.12 \text{ well as latimer } 1

2 : 563 (This is the same)

3: 478

11 Dec 1981

$$\begin{bmatrix} 0 & 1 & 2 \\ 5 & 6 & 3 \\ 4 & 7 & 0 \end{bmatrix} \text{ (initial)} \quad \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 0 & 8 \end{bmatrix}$$

$$\begin{pmatrix} 10.2 \\ 56.3 \\ 47.8 \end{pmatrix} \text{ and } \begin{pmatrix} 1.2, 3 \\ 4.5, 6 \\ 7.8, 0 \end{pmatrix}$$

$\left[\begin{array}{c} 120 \\ 563 \\ 478 \end{array} \right]$ and this is reduced to
 $\left[\begin{array}{c} 120 \\ 563 \\ 478 \end{array} \right]$ in row echelon form (reduced form).

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 33 34 35 36 37 38 39 40 41 42 43 44 45 46 47 48 49 50 51 52 53 54 55 56 57 58 59 60 61 62 63 64 65 66 67 68 69 70 71 72 73 74 75 76 77 78 79 80 81 82 83 84 85 86 87 88 89 90 91 92 93 94 95 96 97 98 99 100

(23) ~~can't find it~~

123	(110111) binary
056	binary state of data in memory
478	binary state of data in memory

$$\left[\begin{array}{ccc} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 0 & 7 & 8 \end{array} \right] \quad \text{(1st row)} \quad \text{(2nd row)}$$

15.10.24 LAB: 4

IDS:Algo:

1. Create a ~~stack~~ ~~queue~~ ~~list~~ ~~array~~ ~~graph~~
2. Set a goal stage accordingly.
3. From the root node start searching and traverse the entire graph.
4. While searching from root node, go to each child node, check if it is the goal state, exit.
5. Go level wise and check each node and search all the nodes in that level.
6. Start with depth as 0 & then increase the limit.
7. If the goal is found, exit if not increase the depth & continue.

function IDS (root, goal)

for (depth = 0 to INT MAX)

root = DLS (root, goal, depth)

if result :

return result

~~return NULL~~

function DLS (root, goal, depth)

if depth = 0

if root = goal

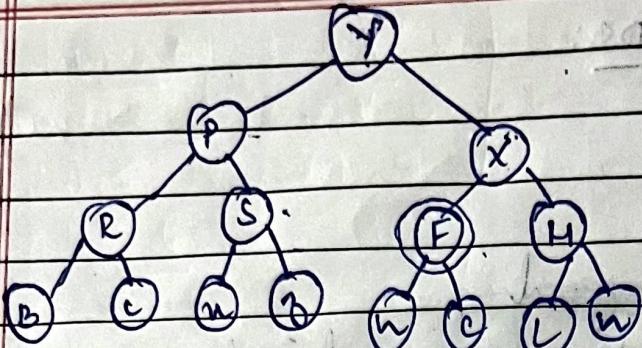
else: return root

result = DLS (root, goal, depth - 1)

if result:

return result

~~return NULL~~



- Iteration 1
At depth = 0 visit = Y Goal state
visit = Y Not found
- Iteration 2
At depth = 1 visit = Y Got state
visit = Y P X Not found
- Iteration 3
At depth = 2 visit = Y P R S X F Found

~~A* star:~~

Alg.:

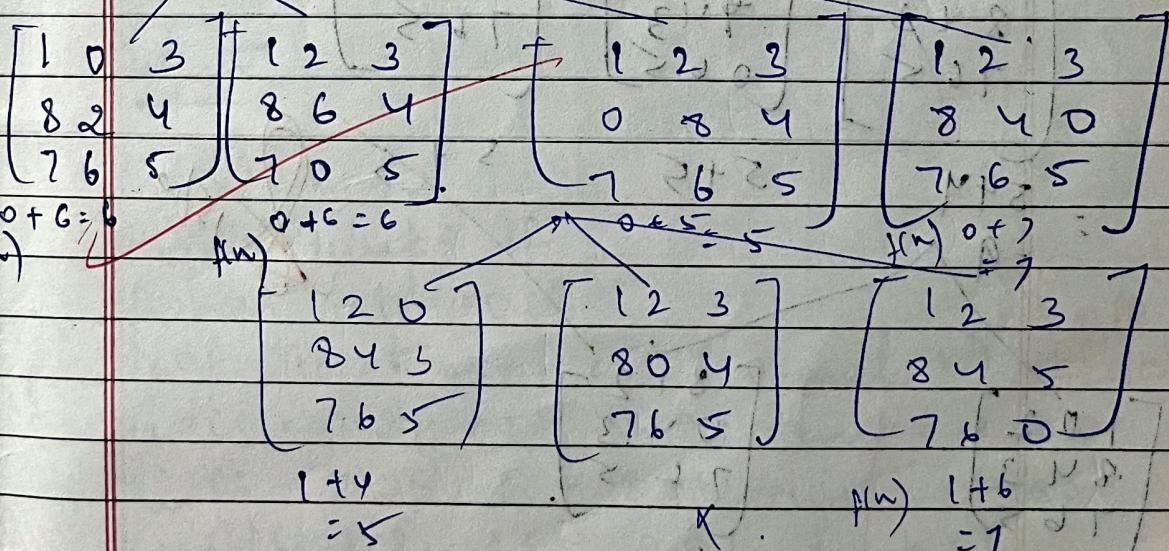
1. Input the goal state as g .
 2. If initial state as i .
 3. We have to initialize $f = 0$.
 4. Run until the goal state is reached.
 5. When each move is made check if it is the same as the previous one.
 6. If not then, the step next more or else continue.
 7. $f = f + \text{no. of positions (displaced)}$
 8. If goal is reached, return the value.
 9. Else, see the f values, & then choose min of f , & go to movement (it)
- $f(a) = g(h) + h(n)$ (misplaced blocks)

Initial

1	2	3
8	0	4
7	6	5

Final

2	8	18
0	4	3
7	6	5



$$\begin{bmatrix} 102 \\ 843 \\ 765 \end{bmatrix} + \begin{bmatrix} 123 \\ 840 \\ 765 \end{bmatrix} = \begin{bmatrix} 2+4=6 \\ 2+5 \\ 2+5 \end{bmatrix} = 7$$

$$\begin{bmatrix} 012 \\ 843 \\ 765 \end{bmatrix} + \begin{bmatrix} 142 \\ 803 \\ 715 \end{bmatrix} = \begin{bmatrix} 120 \\ 843 \\ 765 \end{bmatrix}$$

$3+4 = 7$

$3+5 = 8$

$$\begin{bmatrix} 102 \\ 843 \\ 765 \end{bmatrix} + \begin{bmatrix} 812 \\ 043 \\ 765 \end{bmatrix} = \begin{bmatrix} 812 \\ 403 \\ 765 \end{bmatrix}$$

$= 4+4 = 8$

$= 7$

$$\begin{bmatrix} 012 \\ 843 \\ 765 \end{bmatrix} + \begin{bmatrix} 812 \\ 943 \\ 065 \end{bmatrix} = \begin{bmatrix} 812 \\ 403 \\ 765 \end{bmatrix}$$

$= 5+4 = 9$

$= 5+5 = 10$

~~$= 5+5 = 10$~~

$$\begin{bmatrix} 102 \\ 843 \\ 765 \end{bmatrix} + \begin{bmatrix} 812 \\ 043 \\ 765 \end{bmatrix} = \begin{bmatrix} 2+3 \\ 2+5 \\ 2+5 \end{bmatrix} = 9$$

$6+4 = 10$

$= 9$

22/10/24

SIMULATED ANNEALINGAlgorithm:

1. Set an initial state
2. Initial temperature should also be chosen.
3. The cooling point should also be defined as while the temperature decreases.
4. The process should be continued until the minimum temperature is reached.
5. The solution obtained should be modified to create another sol.
6. Evaluate the new sol.
7. If this sol has low cost, then accept it.
8. If higher cost, then the prob = $e^{-\Delta E/T}$
9. Dec temp, according to the cooling pt.
10. When the criteria is met then stop there.

(temp > min iteration < max iter.)

objective func: $f(x) = x^2$ *Reddy*
22/10/24

Output:

Initial state: 10

Initial temp: 12

Cooling rate: 0.2

No of iterations = 25 (0. and 1) *Reddy*
22/10/24

i₁: CS = 9.21, CE = 85.99, temp = 2.400

i₂: CS = 9.25, CE = 88.61, temp = 0.4800

i₂₅: CS = 3.5, CE = 12.83, temp = 0

Best = 3.58

Best Energy = 12.83

State

29.10.24

Lec: 6

A* Algorithm & Hill climb Racing for 8 Queens

Algorithm: A*

1. Initialization: Placing 1 queen ^{empty board} randomly in the matrix.
2. Initialise the priority queue from the start node & its' heuristics.
3. Dequeue the node from the lowest point value from the priority queue.
4. If $n=0$, return the possible solutions.
5. For each queen move it accordingly in its column.
6. For every move it makes, calc the f (cost to reach current state) & h (existing queen).
7. The rest of the queens, add into queue.
8. $f = f + h$ for next queen.
9. Repeat until sol is found.

Algorithm: Hill climbing :

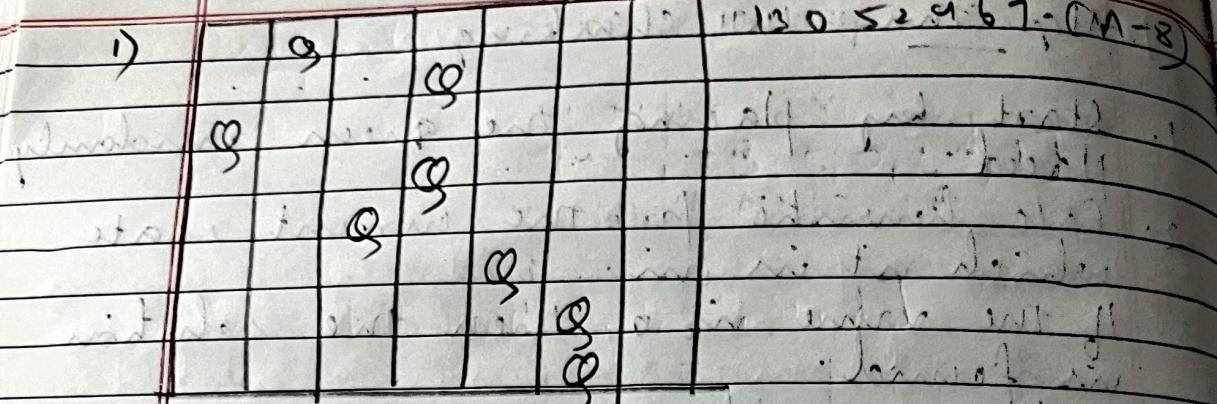
1. Start by placing the queen randomly placed.
2. Calc heuristic for the current state which it is in.
3. If the value is 0, then the solution is found.
4. Find the neighbouring states for the queen by moving it to the possible row & calc the heuristic value.
5. Which ever state has least value select it.
6. If the neighbour improves the current state, then it should terminate.
7. Repeat until sol is found.

~~Process~~

1 3 0 5 2 4 6 7

Q							
	Q						
		Q					
			Q				
				Q			
					Q		
						Q	
							Q

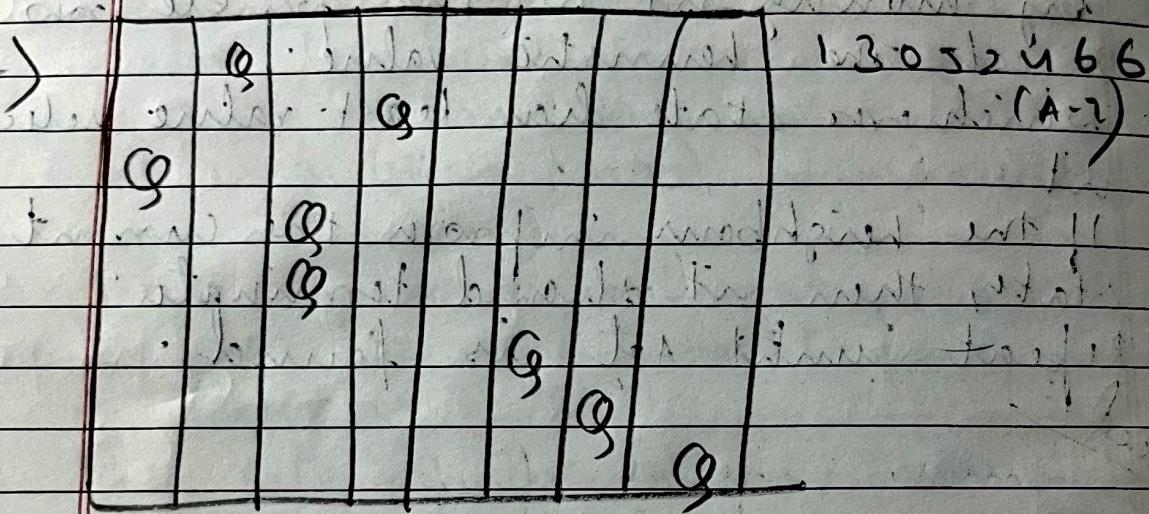
1)



13052967-(M-8)

4.

2)

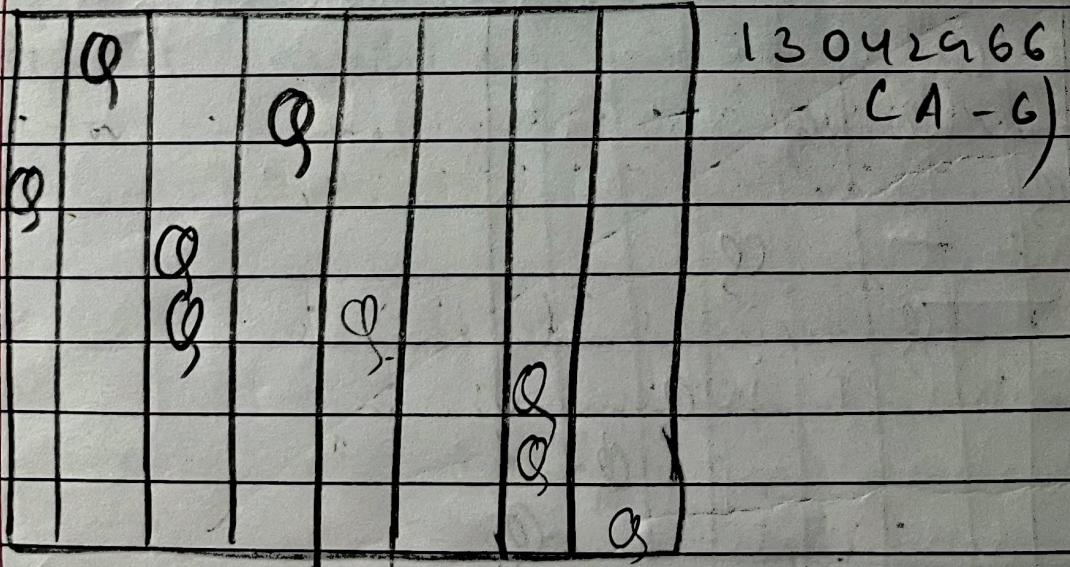


13032966

(A-2)

5.

3)



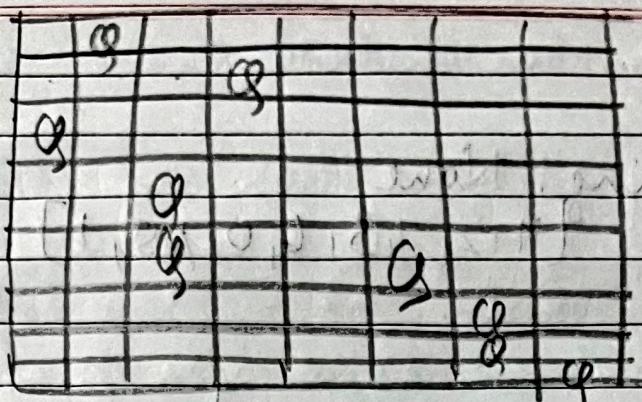
13042966

(A-G)

6.

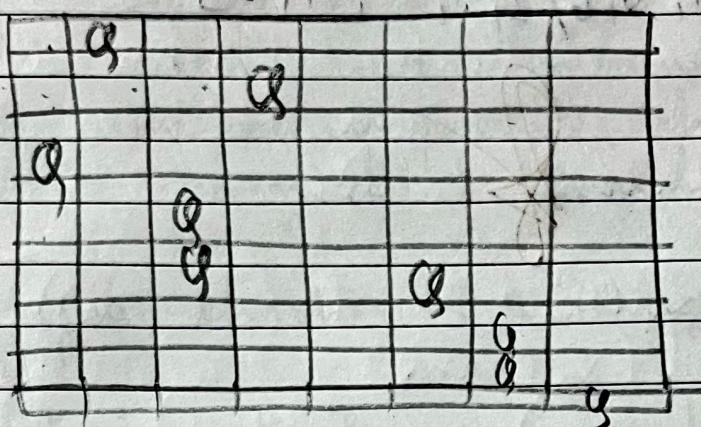
7.

4.



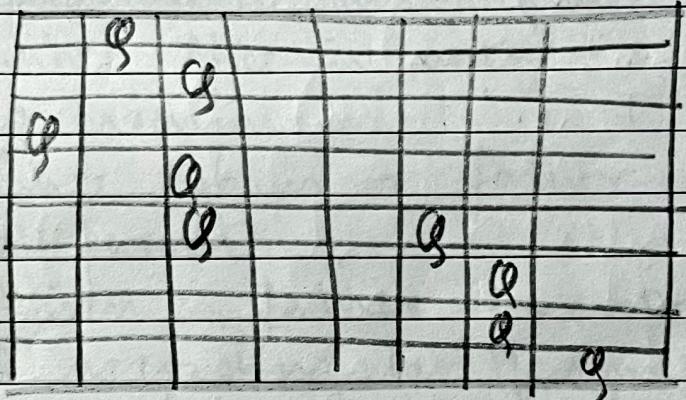
13042366

5.



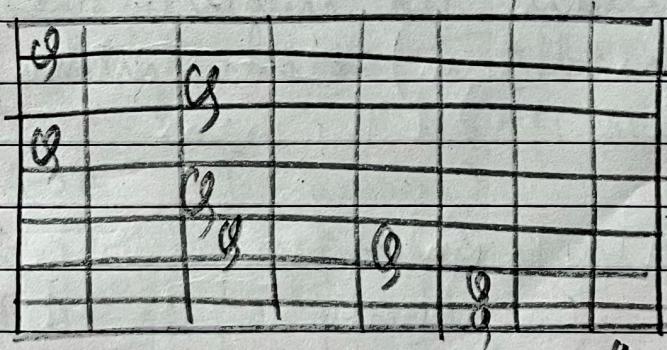
13042366

6.



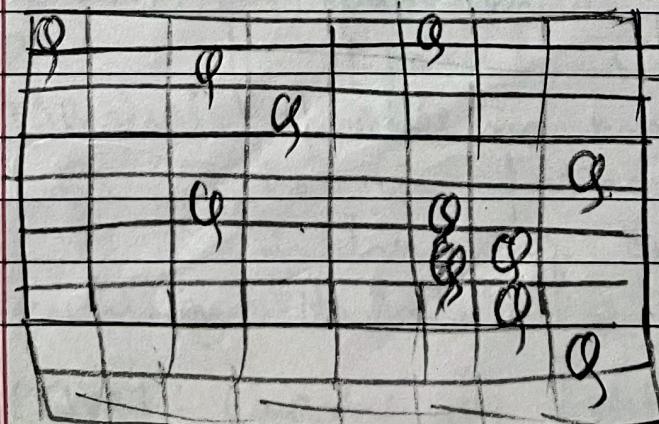
13041266

7.



12041266

8.



02041266

→ 02031266

—

Output:

1. Hill Climbing: None

[4, 12, 7, 3, 6, 0, 1, 5, 1]

2. A^* : [7, 0, 6, 3, 1, -1, 4, 2]

8

12/11/24

CA5-6 Entailment using literals

ICB:

Alice is mother of Bob

Bob is father of Charlie

A father is parent

A mother is parent

All parents have children

If someone is parent, children = sib

Alice married to David

Hypothesis: Charlie is sibling of Bob.

Entailment Reasoning

Since Alice is mother & she becomes a parent

Since Bob is a father he also becomes a parent

Given, father & mother are parents, & according to "If someone is parent their children are siblings, so finally Charlie (A) & Bob (B) are siblings.

~~A \rightarrow B (mother)~~~~B \rightarrow C (father)~~~~C \rightarrow P (parent)~~~~D \rightarrow P (parent)~~~~E \rightarrow S (if parent, siblings)~~~~F \rightarrow G (if A is mother of B &~~~~B is father, Charlie is sibling of Bob.)~~

Conclusion: It's True

RESULT: Charlie is sibling of Bob: True.

19/11/12

First order logic

Statement: If it is a holiday, then
— store is closed. Holiday is holiday
so, store is closed.

Students have passed the exam, if
my student who passed the exam
receives the certificate, if John is a
student in passed exam, will receive
a certificate.

$\forall x (\text{Student}(x) \rightarrow \text{Passed}(x, \text{Exam}))$

$\forall x (\text{Passed}(x, \text{Exam}) \rightarrow \text{ReceiveCertificate}(x))$

Student [John]

Passed [John, Exam]

Receive Certificate [John]

Proof

$\forall x (\text{Student}(x) \rightarrow \text{Passed}(x, \text{Exam}))$

tells us that if someone is student
they passed the exam

From Student [John] $\forall x \text{Passed}(x, \text{Exam})$
 \rightarrow John has passed the exam

$\forall x (\text{Passed}(x, \text{Exam}) \rightarrow \text{ReceiveCertificate}(x))$

tells that if student has passed the
exam, they receive certificate

From Passed [John, Exam] $\forall x \text{ReceiveCertificate}(x)$

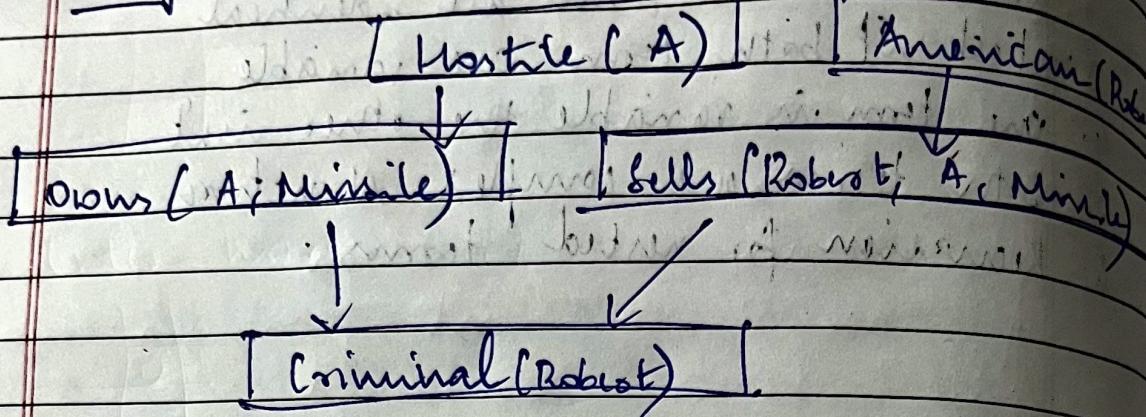
$\Rightarrow \text{ReceiveCertificate}(\text{John})$ is true.

19/11/12

LAB-8

FORWARD CHAINING.

Proof:



\Rightarrow American (p) \wedge Weapon (b) \wedge Sells (a) Hostile -
(a,b,c) (d)

* a, owns (A, a) \wedge missile (a)

* a, Weapons (a) \wedge owns (A, a) \Rightarrow Sells (Roberto, a)

missile (a) \Rightarrow Weapons (a)

* a Enemy (a, America) \Rightarrow Hostile

American (Roberto)

Enemy (A, America)

Criminal (Roberto)

Alpha-Beta Search

func ALPHA-BETA-SEARCH (state) returns an action
 $v \leftarrow \text{MAX-VALUE} (\text{state}, -\infty, +\infty)$
 return action ACTIONS (state) with v

func MAX-VALUE (state, α, β) returns a utility value
 if TERMINAL-TEST (state) then return UTILITY (state)
 $v \leftarrow -\infty$

for each a in ACTION (state) do
 $v \leftarrow \text{MAX} (v, \text{MIN-VALUE} (\text{RESULT} (s, a)))$
 if $v \geq \beta$ then return v
 $\alpha \leftarrow \text{MAX} (\alpha, v)$

return v

func MIN-VALUE (state, α, β) returns α
 if TERMINAL-TEST (state) then return v
 $v \leftarrow +\infty$

for each a in ACTION (state) do
 $v \leftarrow \text{MIN} (v, \text{MAX-VALUE} (\text{RESULT} (s, a)))$
 if $v \leq \alpha$ then return v
 $\beta \leftarrow \text{MIN} (\beta, v)$
 return v

draw node

X / \ X

X / \ X

X / \ X

5, 1 : draw node

X / \ X

X / \ X

X / \ X

5, 1 : draw node

N-Queens:

```
def is-safe (board, row, col):
    i to 0, b to -1:
    if b[i] == col or abs(b[i] - col) == abs(i - row):
        return False
    return True
```

```
def alphabeta (board, row, x, b):
    if row == 8:
        return True
    for col = 0 to 7:
        if is-safe (board, row, col):
            board[row] = col
            if alphabeta (board, row + 1, x, b):
                return True
            board[row] = -1
```

alpha = max(alpha, row)

if alpha == beta:
break.

return False

~~solve_8queens () :~~

~~Initialize [-1, -1, -1, -1, -1, -1, -1, -1]~~

~~if alphabeta (board, 0, -2, oo):~~

~~Return board~~

~~Return None~~

sol = solve_8queens ()

if sol is Not None:

Print sol

else None:

Output:

R

~~Yester~~

Unification

1. Two terms t_1 & t_2 as initial
2. check if both terms are identical
3. check if both terms are variable
4. one term is variable the other isn't
5. Both terms are complex structures
6. Recursion for nested terms.

[(t₁, t₂)] Unification]

(a) $t_1 = A \sqcup B \wedge C$ (d) $t_2 = A \sqcup D$
(b) $t_1 = A$ (e) $t_2 = B$

(g) $t_1 = V \wedge W \wedge A$ (h) $t_2 = V \wedge W \wedge A$
and $t_1 = V \wedge W \wedge A$ where A is (g) and $t_2 = V \wedge W \wedge A$ where A is (h)

(i) $t_1 = V \wedge W \wedge A$ (j) $t_2 = V \wedge W \wedge A$