

homework1

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April 23, 2018

Preliminaries.

```
library(survival)
```

Read in the WHAS500 data set.

```
fn <- "../..data/wiley/whas500.dat"
whas500 <- read.table(fn, header=FALSE, as.is=TRUE)
names(whas500) <- c(
  "id",
  "age",
  "gender",
  "hr",
  "sysbp",
  "diasbp",
  "bmi",
  "cvd",
  "afb",
  "sho",
  "chf",
  "av3",
  "miord",
  "mitype",
  "year",
  "admitdate",
  "disdate",
  "fdate",
  "los",
  "dstat",
  "lenfol",
  "fstat")
whas500$time_yrs <- whas500$lenfol / 365.25
whas500$gender <-
  factor(whas500$gender, levels=0:1,
    labels=c("Male", "Female"))
whas500$cvd <-
  factor(whas500$cvd, levels=0:1,
    labels=c("No", "Yes"))
whas500$afb <-
  factor(whas500$afb, levels=0:1,
    labels=c("No", "Yes"))
whas500$sho <-
  factor(whas500$sho, levels=0:1,
    labels=c("No", "Yes"))
whas500$cvd <-
  factor(whas500$fstat, levels=0:1,
    labels=c("No", "Yes"))
whas500$chf <-
  factor(whas500$chf, levels=0:1,
    labels=c("No", "Yes"))
whas500$av3 <-
  factor(whas500$av3, levels=0:1,
    labels=c("No", "Yes"))
whas500$miord <-
  factor(whas500$miord, levels=0:1,
    labels=c("First", "Recurrent"))
whas500$mitype <-
  factor(whas500$mitype, levels=0:1,
    labels=c("Non Q-wave", "Q-wave"))
```

```

whas500$year <-
  factor(whas500$chf, levels=1:3,
    labels=c("1997", "1999", "2001"))
whas500$dstat <-
  factor(whas500$dstat, levels=0:1,
    labels=c("Alive", "Dead"))
whas500$fstat <-
  factor(whas500$fstat, levels=0:1,
    labels=c("Alive", "Dead"))
head(whas500)

```

```

##   id age gender hr sysbp diasbp      bmi cvd afb sho chf av3      miord
## 1  1  83   Male 89   152     78 25.54051 No Yes No No No No Recurrent
## 2  2  49   Male 84   120     60 24.02398 No No No No No No      First
## 3  3  70 Female 83   147     88 22.14290 No No No No No No      First
## 4  4  70   Male 65   123     76 26.63187 Yes No No Yes No      First
## 5  5  70   Male 63   135     85 24.41255 No No No No No No      First
## 6  6  70   Male 76    83     54 23.24236 Yes No No No Yes      First
##      mitype year  admitdate   disdate      fdate los dstat lenfol fstat
## 1 Non Q-wave <NA> 01/13/1997 01/18/1997 12/31/2002  5 Alive  2178 Alive
## 2      Q-wave <NA> 01/19/1997 01/24/1997 12/31/2002  5 Alive  2172 Alive
## 3      Q-wave <NA> 01/01/1997 01/06/1997 12/31/2002  5 Alive  2190 Alive
## 4      Q-wave <NA> 02/17/1997 02/27/1997 12/11/1997 10 Alive   297 Dead
## 5      Q-wave <NA> 03/01/1997 03/07/1997 12/31/2002  6 Alive  2131 Alive
## 6 Non Q-wave <NA> 03/11/1997 03/12/1997 03/12/1997  1 Dead    1 Dead
##      time_yrs
## 1 5.963039014
## 2 5.946611910
## 3 5.995893224
## 4 0.813141684
## 5 5.834360027
## 6 0.002737851

```

```

fn <- "../..data/whas500.RData"
save(whas500, file=fn)

```

Produce a table of counts for fstat.

```
table(whas500$fstat)
```

```

##
## Alive  Dead
##   285   215

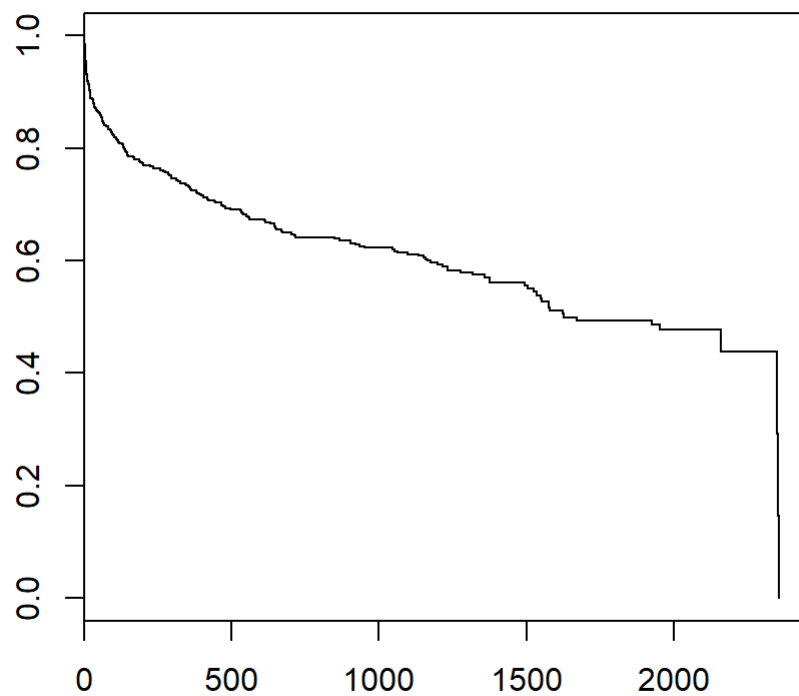
```

Draw a Kaplan-Meier plot for overall survival.

```

whas500_surv <-
  Surv(whas500$lenfol, whas500$fstat=="Dead")
whas500_km <- survfit(whas500_surv~1)
plot(whas500_km, conf.int=FALSE)

```



Estimate the 25th, 50th, and 75th quantiles for overall survival.

```
quantile(whas500_km)
```

```
## $quantile
##    25    50    75
## 296 1627 2353
##
## $lower
##    25    50    75
## 166 1527 2350
##
## $upper
##    25    50    75
## 422  NA   NA
```

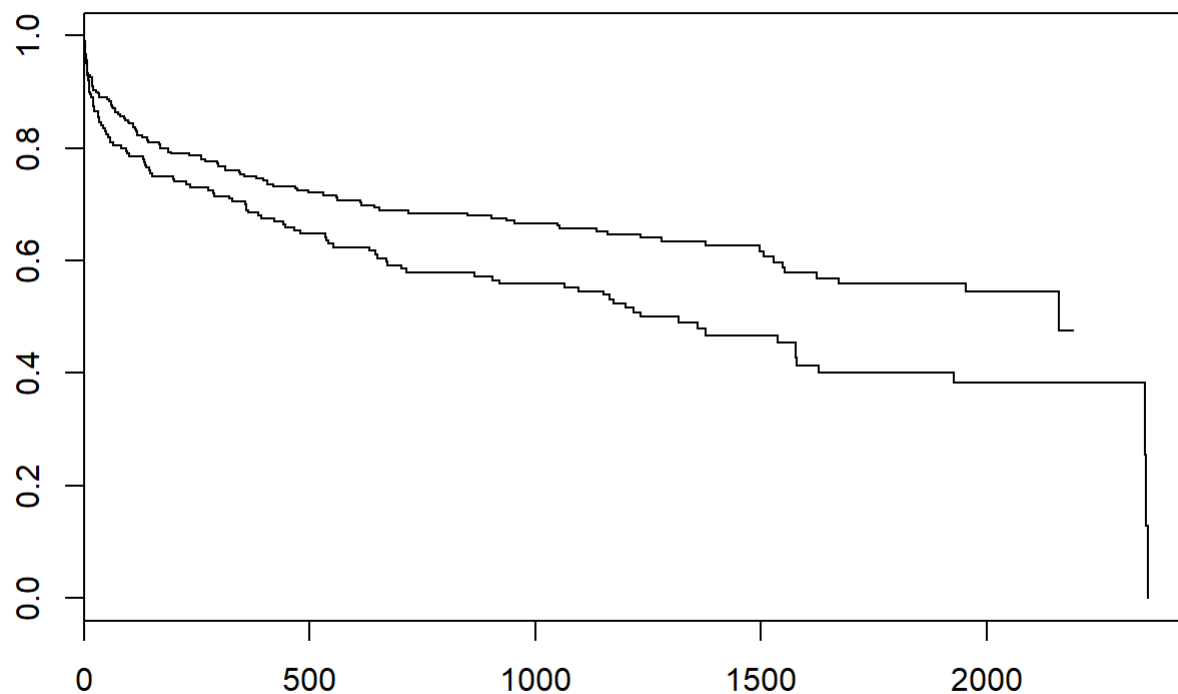
Produce a crosstabulation of fstat and gender. Are you comfortable with the number of deaths in each group?

```
table(whas500$gender, whas500$fstat)
```

```
##
##      Alive Dead
## Male    189 111
## Female   96 104
```

Draw Kaplan-Meier curves for males and females.

```
whas500_by_gender <- survfit(whas500_surv~whas500$gender)
plot(whas500_by_gender)
```



Calculate median survival with confidence intervals for males and females.

```
quantile(whas500_by_gender)
```

```
## $quantile
##           25   50   75
## whas500$gender=Male 368 2160 NA
## whas500$gender=Female 174 1317 2353
##
## $lower
##           25   50   75
## whas500$gender=Male 187 1671 NA
## whas500$gender=Female 83 905 2350
##
## $upper
##           25   50   75
## whas500$gender=Male 644 NA NA
## whas500$gender=Female 385 1627 NA
```

Calculate the log rank test for males versus females. Interpret your result.

```
survdif(was500_surv~was500$gender)
```

```
## Call:
## survdiff(formula = was500_surv ~ was500$gender)
##
##               N Observed Expected (O-E)^2/E (O-E)^2/V
## was500$gender=Male 300      111   130.7      2.98    7.79
## was500$gender=Female 200      104    84.3      4.62    7.79
##
##  Chisq= 7.8  on 1 degrees of freedom, p= 0.00525
```

Interpretation: the p-value is less than 0.05, so you would reject the null hypothesis and conclude that the survival probabilities are different for women versus men.

Produce age groups <60, 60-69, 70-79, and >=80. Compute a crosstabulation of this variable with fstat. Are you comfortable with the number of deaths in each group?

```
library(broom)
library(ggplot2)
library(magrittr)
library(tidyr)
```

```
##
## Attaching package: 'tidyr'
```

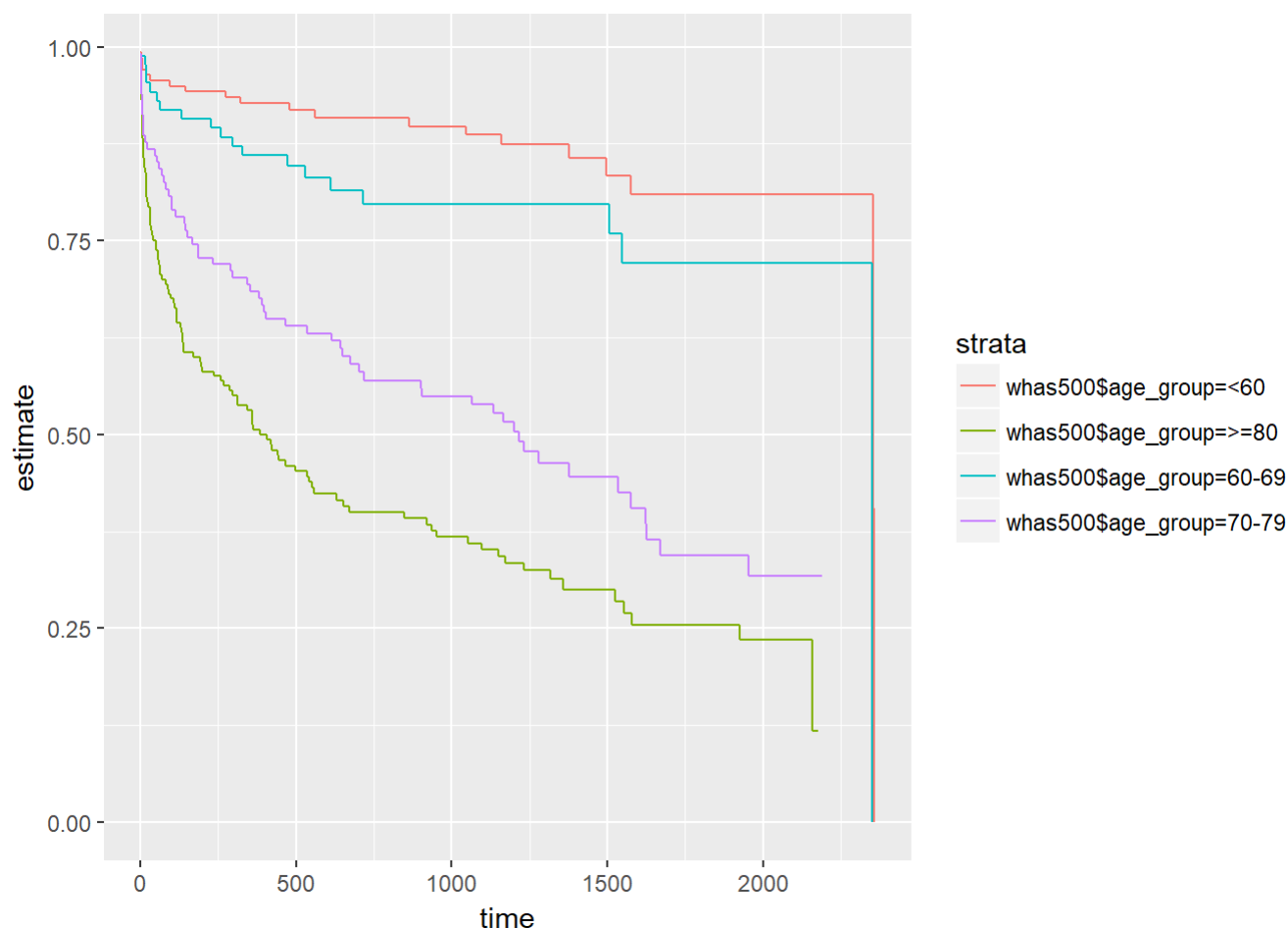
```
## The following object is masked from 'package:magrittr':
##
##      extract
```

```
age_breaks <- c(0, 59, 69, 79, 99)
age_labels <- c("<60", "60-69", "70-79", ">=80")
was500$age_group <- cut(was500$age, age_breaks, age_labels)
table(was500$age_group, was500$fstat)
```

```
##
##      Alive Dead
## <60      118  20
## 60-69     67  19
## 70-79     50  64
## >=80      50 110
```

Draw Kaplan Meier curves for each age group.

```
was500_km_by_age <- survfit(was500_surv~was500$age_group)
was500_km_by_age %>%
  tidy %>%
  ggplot(aes(time, estimate, color=strata)) +
  geom_step()
```



Calculate the median survival time with confidence intervals for each age group.

```
quantile(whas500_km_by_age)
```

```
## $quantile
##           25  50  75
## whas500$age_group=<60 2353.0 2353 2358
## whas500$age_group=60-69 1548.0 2350 2350
## whas500$age_group=70-79 166.0 1217  NA
## whas500$age_group=>=80  45.5  385 1926
##
## $lower
##           25  50  75
## whas500$age_group=<60 1577 2353 2353
## whas500$age_group=60-69 612  NA  NA
## whas500$age_group=70-79  81  704 1671
## whas500$age_group=>=80  20  259 1317
##
## $upper
##           25  50  75
## whas500$age_group=<60  NA  NA  NA
## whas500$age_group=60-69  NA  NA  NA
## whas500$age_group=70-79 405 1627 NA
## whas500$age_group=>=80 108  654 NA
```

Calculate the log rank test for age groups. Interpret your results.

```
survdif(was500_surv~was500$age_group)
```

```
## Call:
## survdiff(formula = was500_surv ~ was500$age_group)
##
## n=498, 2 observations deleted due to missingness.
##
##
```

	N	Observed	Expected	(O-E)^2/E	(O-E)^2/V
was500\$age_group=<60	138	20	71.5	37.08	57.45
was500\$age_group=60-69	86	19	41.1	11.86	14.78
was500\$age_group=70-79	114	64	47.2	5.97	7.73
was500\$age_group=>=80	160	110	53.2	60.52	82.07

```
##
## Chisq= 118 on 3 degrees of freedom, p= 0
```

(Only for those who are brave) The following are times for catheters in infants. A "+" means that the catheter was removed because it was no longer needed. Times without a + mean that the catheter was removed because it failed. Occlusion and infection were the two major reasons for failure. Treating failures as an event and removal because it was no longer needed as a censored observation, estimate the Kaplan-Meier survival curve by hand, showing all your intermediate calculations.

1+, 1+, 1+, 1+, 1+, 1+, 1+, 1+, 1+, 1, 1, 2+, 2+, 2, 2, 3+, 3, 4+, 4, 5+, 5+, 5+, 5+, 5+, 5, 5, 5, 6, 6, 7, 10, 10, 12, 12, 13

First, set up a data frame for the ten time points (1-7, 10, 12, 13)

```
km <- data.frame(
  t=c(1:7, 10, 12, 13),
  n=rep(-1, 10),
  d=rep(-1, 10),
  c=rep(-1, 10),
  p=rep(-1, 10),
  s=rep(-1, 10))
```

We will fill in these numbers soon enough. Here's the key: t = time n = number at risk d = number of failures c = number censored p = conditional probability s = survival probability

1+, 1+, 1+, 1+, 1+, 1+, 1+, 1+, 1, 1, 2+, 2+, 2, 2, 3+, 3, 4+, 4, 5+, 5+, 5+, 5+, 5+, 5, 5, 5, 6, 6, 7, 10, 10, 12, 12, 13

There are 34 observations total. At t1=1, there are d1=2 deaths and c1=8 censored values. The survival probability is equal to the conditional probability.

```
km$n[1] <- 34
km$d[1] <- 2
km$c[1] <- 8
km$p[1] <- 1-km$d[1]/km$n[1]
km$s[1] <- km$p[1]
km
```



```
##      t  n  d  c          p          s
## 1    1 34  2  8  0.9411765  0.9411765
## 2    2 -1 -1 -1 -1.0000000 -1.0000000
## 3    3 -1 -1 -1 -1.0000000 -1.0000000
## 4    4 -1 -1 -1 -1.0000000 -1.0000000
## 5    5 -1 -1 -1 -1.0000000 -1.0000000
## 6    6 -1 -1 -1 -1.0000000 -1.0000000
## 7    7 -1 -1 -1 -1.0000000 -1.0000000
## 8   10 -1 -1 -1 -1.0000000 -1.0000000
## 9   12 -1 -1 -1 -1.0000000 -1.0000000
## 10  13 -1 -1 -1 -1.0000000 -1.0000000
```

1+, 1+, 1+, 1+, 1+, 1+, 1+, 1+, 1+, 1, 1, **2+, 2+, 2, 2**, 3+, 3, 4+, 4, 5+, 5+, 5+, 5+, 5+, 5, 5, 5, 6, 6, 7, 10, 10, 12, 12, 13

At $t_2=2$, there are $n_2=24$ at risk, and you have $d_2=2$ failures and $c_2=2$ censored observations. The survival probability is equal to the product of the first two conditional probabilities.

```
km$n[2] <- 24
km$d[2] <- 2
km$c[2] <- 2
km$p[2] <- 1-km$d[2]/km$n[2]
km$s[2] <- km$p[1]*km$p[2]
km
```

```
##      t  n  d  c          p          s
## 1    1 34  2  8  0.9411765  0.9411765
## 2    2 24  2  2  0.9166667  0.8627451
## 3    3 -1 -1 -1 -1.0000000 -1.0000000
## 4    4 -1 -1 -1 -1.0000000 -1.0000000
## 5    5 -1 -1 -1 -1.0000000 -1.0000000
## 6    6 -1 -1 -1 -1.0000000 -1.0000000
## 7    7 -1 -1 -1 -1.0000000 -1.0000000
## 8   10 -1 -1 -1 -1.0000000 -1.0000000
## 9   12 -1 -1 -1 -1.0000000 -1.0000000
## 10  13 -1 -1 -1 -1.0000000 -1.0000000
```

1+, 1+, 1+, 1+, 1+, 1+, 1+, 1+, 1+, 1, 1, 2+, 2+, 2, 2, **3+, 3**, 4+, 4, 5+, 5+, 5+, 5+, 5+, 5, 5, 5, 6, 6, 7, 10, 10, 12, 12, 13

At $t_3=3$, there are $n_3=20$ at risk, and you have $d_3=1$ failure and $c_3=1$ censored observation. The survival probability is equal to the product of the first three conditional probabilities.

```
km$n[3] <- 20
km$d[3] <- 1
km$c[3] <- 1
km$p[3] <- 1-km$d[3]/km$n[3]
km$s[3] <- km$p[1]*km$p[2]*km$p[3]
km
```

```
##      t  n  d  c          p          s
## 1    1 34  2  8  0.9411765  0.9411765
## 2    2 24  2  2  0.9166667  0.8627451
## 3    3 20  1  1  0.9500000  0.8196078
## 4    4 -1 -1 -1 -1.0000000 -1.0000000
## 5    5 -1 -1 -1 -1.0000000 -1.0000000
## 6    6 -1 -1 -1 -1.0000000 -1.0000000
## 7    7 -1 -1 -1 -1.0000000 -1.0000000
## 8   10 -1 -1 -1 -1.0000000 -1.0000000
## 9   12 -1 -1 -1 -1.0000000 -1.0000000
## 10  13 -1 -1 -1 -1.0000000 -1.0000000
```

1+, 1+, 1+, 1+, 1+, 1+, 1+, 1+, 1, 1, 2+, 2+, 2, 2, 3+, 3, **4+, 4**, 5+, 5+, 5+, 5+, 5+, 5, 5, 5, 6, 6, 7, 10, 10, 12, 12, 13

At $t_4=4$, there are $n_4=18$ at risk, and you have $d_4=1$ failure and $c_4=1$ censored observations. The survival probability is equal to the product of the first four conditional probabilities.

```
km$n[4] <- 18
km$d[4] <- 1
km$c[4] <- 1
km$p[4] <- 1-km$d[4]/km$n[4]
km$s[4] <- km$p[1]*km$p[2]*km$p[3]*km$p[4]
km
```

```
##      t  n  d  c          p          s
## 1    1 34  2  8  0.9411765  0.9411765
## 2    2 24  2  2  0.9166667  0.8627451
## 3    3 20  1  1  0.9500000  0.8196078
## 4    4 18  1  1  0.9444444  0.7740741
## 5    5 -1 -1 -1 -1.0000000 -1.0000000
## 6    6 -1 -1 -1 -1.0000000 -1.0000000
## 7    7 -1 -1 -1 -1.0000000 -1.0000000
## 8   10 -1 -1 -1 -1.0000000 -1.0000000
## 9   12 -1 -1 -1 -1.0000000 -1.0000000
## 10  13 -1 -1 -1 -1.0000000 -1.0000000
```

1+, 1+, 1+, 1+, 1+, 1+, 1+, 1+, 1, 1, 2+, 2+, 2, 2, 3+, 3, 4+, 4, **5+, 5+, 5+, 5+, 5+, 5, 5, 5**, 6, 6, 7, 10, 10, 12, 12, 13

At $t_5=5$, there are $n_5=16$ at risk, and you have $d_5=3$ failures and $c_5=5$ censored observations. The survival probability is equal to the product of the first five conditional probabilities.

```
km$n[5] <- 16
km$d[5] <- 3
km$c[5] <- 5
km$p[5] <- 1-km$d[5]/km$n[5]
km$s[5] <- km$p[1]*km$p[2]*km$p[3]*km$p[4]*km$p[5]
km
```

```
##      t  n  d  c          p          s
## 1    1 34  2  8  0.9411765  0.9411765
## 2    2 24  2  2  0.9166667  0.8627451
## 3    3 20  1  1  0.9500000  0.8196078
## 4    4 18  1  1  0.9444444  0.7740741
## 5    5 16  3  5  0.8125000  0.6289352
## 6    6 -1 -1 -1 -1.0000000 -1.0000000
## 7    7 -1 -1 -1 -1.0000000 -1.0000000
## 8   10 -1 -1 -1 -1.0000000 -1.0000000
## 9   12 -1 -1 -1 -1.0000000 -1.0000000
## 10  13 -1 -1 -1 -1.0000000 -1.0000000
```

1+, 1+, 1+, 1+, 1+, 1+, 1+, 1+, 1+, 1, 1, 2+, 2+, 2, 2, 3+, 3, 4+, 4, 5+, 5+, 5+, 5+, 5+, 5, 5, 5, **6, 6, 7, 10, 10, 12, 12, 13**

At $t_6=6$, there are $n_6=8$ at risk, and you have $d_6=2$ failures and $c_6=0$ censored observations. The survival probability is equal to the product of the first six conditional probabilities.

```
km$n[6] <- 8
km$d[6] <- 2
km$c[6] <- 0
km$p[6] <- 1-km$d[6]/km$n[6]
km$s[6] <- km$p[1]*km$p[2]*km$p[3]*km$p[4]*km$p[5]*km$p[6]
km
```

```
##      t  n  d  c          p          s
## 1    1 34  2  8  0.9411765  0.9411765
## 2    2 24  2  2  0.9166667  0.8627451
## 3    3 20  1  1  0.9500000  0.8196078
## 4    4 18  1  1  0.9444444  0.7740741
## 5    5 16  3  5  0.8125000  0.6289352
## 6    6  8  2  0  0.7500000  0.4717014
## 7    7 -1 -1 -1 -1.0000000 -1.0000000
## 8   10 -1 -1 -1 -1.0000000 -1.0000000
## 9   12 -1 -1 -1 -1.0000000 -1.0000000
## 10  13 -1 -1 -1 -1.0000000 -1.0000000
```

1+, 1+, 1+, 1+, 1+, 1+, 1+, 1+, 1+, 1, 1, 2+, 2+, 2, 2, 3+, 3, 4+, 4, 5+, 5+, 5+, 5+, 5+, 5, 5, 5, **6, 6, 7, 10, 10, 12, 12, 13**

At $t_7=7$, there are $n_7=6$ at risk, and you have $d_7=1$ failure and $c_7=0$ censored observations. The survival probability is equal to the product of the first seven conditional probabilities.

```
km$n[7] <- 6
km$d[7] <- 1
km$c[7] <- 0
km$p[7] <- 1-km$d[7]/km$n[7]
km$s[7] <- km$p[1]*km$p[2]*km$p[3]*km$p[4]*km$p[5]*km$p[6]*km$p[7]
km
```

```
##      t  n  d  c      p      s
## 1    1 34  2  8  0.9411765  0.9411765
## 2    2 24  2  2  0.9166667  0.8627451
## 3    3 20  1  1  0.9500000  0.8196078
## 4    4 18  1  1  0.9444444  0.7740741
## 5    5 16  3  5  0.8125000  0.6289352
## 6    6  8  2  0  0.7500000  0.4717014
## 7    7  6  1  0  0.8333333  0.3930845
## 8   10 -1 -1 -1 -1.0000000 -1.0000000
## 9   12 -1 -1 -1 -1.0000000 -1.0000000
## 10  13 -1 -1 -1 -1.0000000 -1.0000000
```

1+, 1+, 1+, 1+, 1+, 1+, 1+, 1+, 1, 1, 2+, 2+, 2, 2, 3+, 3, 4+, 4, 5+, 5+, 5+, 5+, 5+, 5, 5, 5, 6, 6, 7, **10, 10**, 12, 12, 13

At $t_8=10$, there are $n_8=5$ at risk, and you have $d_8=2$ failures and $c_8=0$ censored observations. The survival probability is equal to the product of the first eight conditional probabilities.

```
km$n[8] <- 5
km$d[8] <- 2
km$c[8] <- 0
km$p[8] <- 1-km$d[8]/km$n[8]
km$s[8] <- km$p[1]*km$p[2]*km$p[3]*km$p[4]*km$p[5]*km$p[6]*km$p[7]*km$p[8]
km
```

```
##      t  n  d  c      p      s
## 1    1 34  2  8  0.9411765  0.9411765
## 2    2 24  2  2  0.9166667  0.8627451
## 3    3 20  1  1  0.9500000  0.8196078
## 4    4 18  1  1  0.9444444  0.7740741
## 5    5 16  3  5  0.8125000  0.6289352
## 6    6  8  2  0  0.7500000  0.4717014
## 7    7  6  1  0  0.8333333  0.3930845
## 8   10  5  2  0  0.6000000  0.2358507
## 9   12 -1 -1 -1 -1.0000000 -1.0000000
## 10  13 -1 -1 -1 -1.0000000 -1.0000000
```

1+, 1+, 1+, 1+, 1+, 1+, 1+, 1+, 1, 1, 2+, 2+, 2, 2, 3+, 3, 4+, 4, 5+, 5+, 5+, 5+, 5+, 5, 5, 5, 6, 6, 7, 10, 10, **12, 12**, 13

At $t_9=12$, there are $n_9=3$ at risk, and you have $d_9=2$ failures and $c_9=0$ censored observations. The survival probability is equal to the product of the first nine conditional probabilities.

```
km$n[9] <- 3
km$d[9] <- 2
km$c[9] <- 0
km$p[9] <- 1-km$d[9]/km$n[9]
km$s[9] <- km$p[1]*km$p[2]*km$p[3]*km$p[4]*km$p[5]*km$p[6]*km$p[7]*km$p[8]*km$p[9]
km
```

```
##      t  n  d  c          p          s
## 1    1 34  2  8  0.9411765  0.9411765
## 2    2 24  2  2  0.9166667  0.8627451
## 3    3 20  1  1  0.9500000  0.8196078
## 4    4 18  1  1  0.9444444  0.7740741
## 5    5 16  3  5  0.8125000  0.6289352
## 6    6  8  2  0  0.7500000  0.4717014
## 7    7  6  1  0  0.8333333  0.3930845
## 8   10  5  2  0  0.6000000  0.2358507
## 9   12  3  2  0  0.3333333  0.0786169
## 10  13 -1 -1 -1 -1.0000000 -1.0000000
```

1+, 1+, 1+, 1+, 1+, 1+, 1+, 1+, 1+, 1, 1, 2+, 2+, 2, 2, 3+, 3, 4+, 4, 5+, 5+, 5+, 5+, 5+, 5, 5, 5, 6, 6, 7, 10, 10, 12, 12, **13**

At $t_{10}=12$, there is $n_{10}=1$ at risk, and you have $d_{10}=1$ failure and $c_{10}=0$ censored observations. The survival probability is equal to the product of all ten conditional probabilities.

```
km$n[10] <- 1
km$d[10] <- 1
km$c[10] <- 0
km$p[10] <- 1-km$d[10]/km$n[10]
km$s[10] <- km$p[1]*km$p[2]*km$p[3]*km$p[4]*km$p[5]*km$p[6]*km$p[7]*km$p[8]*km$p[9]* km$p[10]
km
```

```
##      t  n  d  c          p          s
## 1    1 34  2  8  0.9411765  0.9411765
## 2    2 24  2  2  0.9166667  0.8627451
## 3    3 20  1  1  0.9500000  0.8196078
## 4    4 18  1  1  0.9444444  0.7740741
## 5    5 16  3  5  0.8125000  0.6289352
## 6    6  8  2  0  0.7500000  0.4717014
## 7    7  6  1  0  0.8333333  0.3930845
## 8   10  5  2  0  0.6000000  0.2358507
## 9   12  3  2  0  0.3333333  0.0786169
## 10  13  1  1  0  0.0000000  0.0000000
```

Save everything for possible re-use.

```
save.image("../data/homework1.RData")
```

Well, that was a lot of work, but it was worth it.

Let's input the data to check our work.

```
t <- c(1:7, 10, 12, 13)

t <- c(
  1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 2, 2, 2, 2,
  3, 3, 4, 4, 5, 5, 5, 5, 5, 5, 5, 5, 6, 6,
  7, 10, 10, 12, 12, 13)

i <- c(
  0, 0, 0, 0, 0, 0, 0, 0, 1, 1, 0, 0, 1, 1,
  0, 1, 0, 1, 0, 0, 0, 0, 0, 1, 1, 1, 1, 1,
  1, 1, 1, 1, 1, 1)

catheter <- data.frame(t=t, i=i)
catheter_surv <- Surv(catheter$t, catheter$i)
catheter_km <- summary(survfit(catheter_surv~1))
catheter_km
```

```
## Call: survfit(formula = catheter_surv ~ 1)
##
##   time n.risk n.event survival std.err lower 95% CI upper 95% CI
##   1      34      2  0.9412  0.0404  0.8653      1.000
##   2      24      2  0.8627  0.0647  0.7448      0.999
##   3      20      1  0.8196  0.0745  0.6859      0.979
##   4      18      1  0.7741  0.0831  0.6272      0.955
##   5      16      3  0.6289  0.1013  0.4587      0.862
##   6       8      2  0.4717  0.1227  0.2834      0.785
##   7       6      1  0.3931  0.1249  0.2109      0.733
##  10       5      2  0.2359  0.1142  0.0913      0.609
##  12       3      2  0.0786  0.0746  0.0122      0.505
##  13       1      1  0.0000    NaN      NA      NA
```

```
data.frame(our.calc=km$s, r.calc=catheter_km$surv)
```

```
##   our.calc   r.calc
## 1 0.9411765 0.9411765
## 2 0.8627451 0.8627451
## 3 0.8196078 0.8196078
## 4 0.7740741 0.7740741
## 5 0.6289352 0.6289352
## 6 0.4717014 0.4717014
## 7 0.3930845 0.3930845
## 8 0.2358507 0.2358507
## 9 0.0786169 0.0786169
## 10 0.0000000 0.0000000
```

They match. Hooray!