

Kinematics - motion

Kinematic Equations

Constant Speed, $a=0$

Constant Acceleration

Variable Acceleration

dist =

kmph \rightarrow ms⁻¹

ms⁻¹ \rightarrow kmph

$v =$

$s =$

$s =$

$v^2 =$

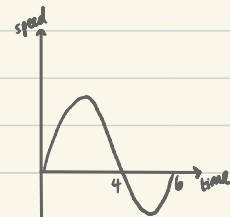
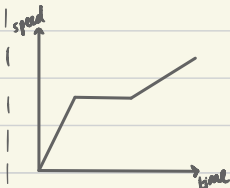
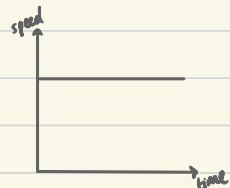
$s =$

s/x

v

a

Speed-Time Graphs



distance travelled =
acceleration =

Vector Motion

$s =$

$v =$

$s =$

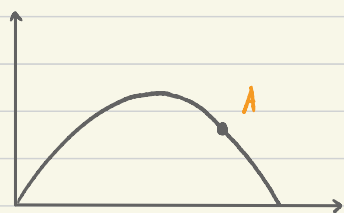
$s =$

$s =$

$v =$

$a =$

Projectiles



Horizontal Motion
 $a =$

Vertical Motion
 $a =$

Vector Motion

"moving in the direction $(\frac{2}{3})$ "

"is north-east of the origin"



Forces

Equilibrium

static/at rest

on the point of slipping/limiting equilibrium

constant speed

Vector forces \leftrightarrow

Dynamics, $F=ma$

If none of the above, it is accelerating/decelerating

Resolve using $F=ma$, in the direction of

Vectors, use $\underline{F}=ma$ where \underline{F} is the resultant, \underline{R}

$\underline{R} =$

Friction

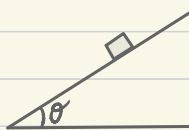
Always opposes

If static, F_r

If limiting equilibrium/dynamic F_r

$0 \leq \mu$

On slopes



$> F_{r,max}$

$\leq F_{r,max}$

Force Diagrams - Basic

Reaction



Tension



Thrust



Boxes on boxes/Lifts



A: m kg
B: M kg Lift: L kg

A:



B:



Lift:



Whole system:



Connected Particles

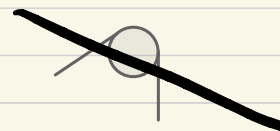
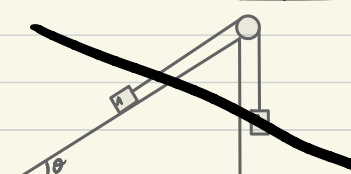


Method

- 1)
- 2)
- 3)
- 4)
- 5)
- 6)



NONE OF THE BELOW



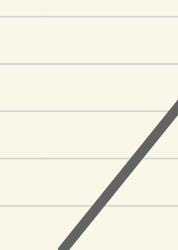
Rigid Bodies



uniform:

non-uniform:

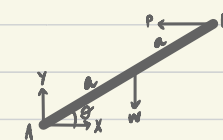
on the point of tilting about A:



Moments

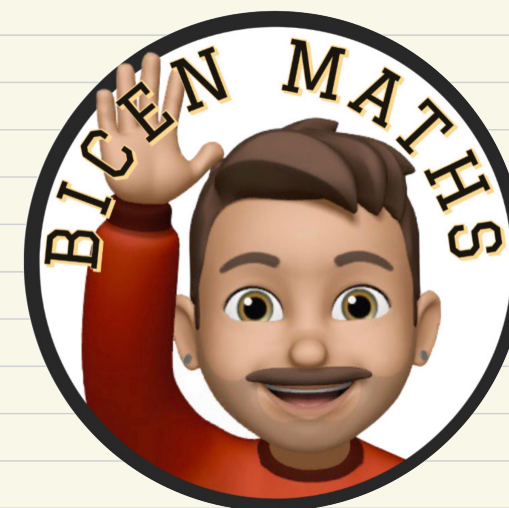
moment =

anticlockwise =



Method:

- 1)
- 2)
- 3)



Modelling Assumptions

smooth pulley:

light string:

inextensible string:

particle:

rod:

+ obvious ones like smooth, rough, etc.