

$$\begin{aligned}
THP_{a,L} &= \frac{88}{33000} \left[\frac{\sigma A_D V^3}{391} + \frac{391 \left(\frac{W}{b_e} \right)^2}{\pi \sigma V} \right] \\
THP_{a,L} &= \frac{88}{33000} \left[\frac{\sigma A_D V^2}{391} + \frac{391 \left(\frac{W}{b_e} \right)^2}{\pi \sigma (V)^2} \right] \cdot V \\
THP_{a,L} &= \frac{88}{33000} \left[\frac{\sigma A_D V^2}{391} + \frac{391 W^2}{\pi \sigma V^2 b_e^2} \right] \cdot V
\end{aligned}$$

Which is similar to Formulas 23, but where to from here to obtain a fundamental understanding of its origin?

$$THP_{a,L} = \frac{88}{33000} \left[DS + \frac{391 W^2}{\pi \sigma V^2 b_e^2} \right] \cdot V$$

From Relation 5:

$$\begin{aligned}
THP_a &= \frac{A_D V_{max}^3}{146625} \\
&= \frac{A_D V_{max}^2}{146625} V_{max}
\end{aligned}$$

Given that air pressure ratio at sea level = 1 and,

$$\begin{aligned}
\frac{1}{146625} v &= \frac{88}{33000} \frac{1}{391} \\
THP_a &= \frac{88}{33000} \left[\frac{\sigma A_D V_{max}^2}{391} \right] V \\
A_D &= C_{D,0} S \\
THP_a &= \frac{88}{33000} \left[\frac{\sigma C_{D,0} S V_{max}^2}{391} \right] V
\end{aligned}$$