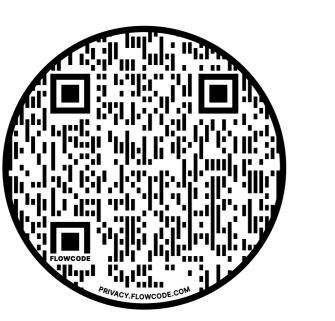
Download our handout:



Telicity, teleological modality, and (non-)culmination

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Culmination entailments of telic Ps

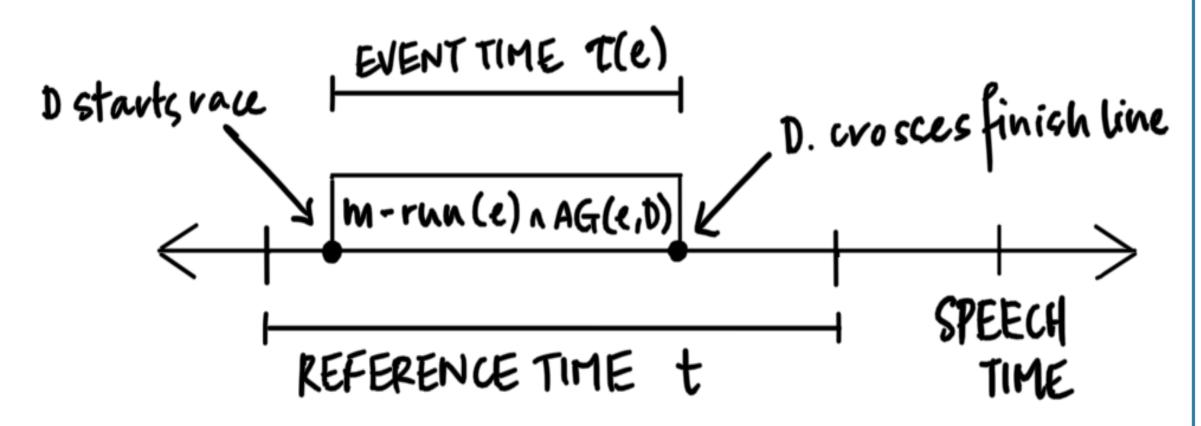
CEs are frequently explained by means of:

(i) bare telic Ps denoting culminated events

(Dowty 1979, Landman 1992)

(ii) 'included' PF: (Bhatt & Pancheva 2005) $[PF] := \lambda w \lambda t \lambda P . \exists e [\tau(e) \subseteq t \land P(e)(w)]$

(1) Des ran a marathon
 ≡ PST(PF(D run a marathon))
 → She traversed the full race path



The imperfective paradox

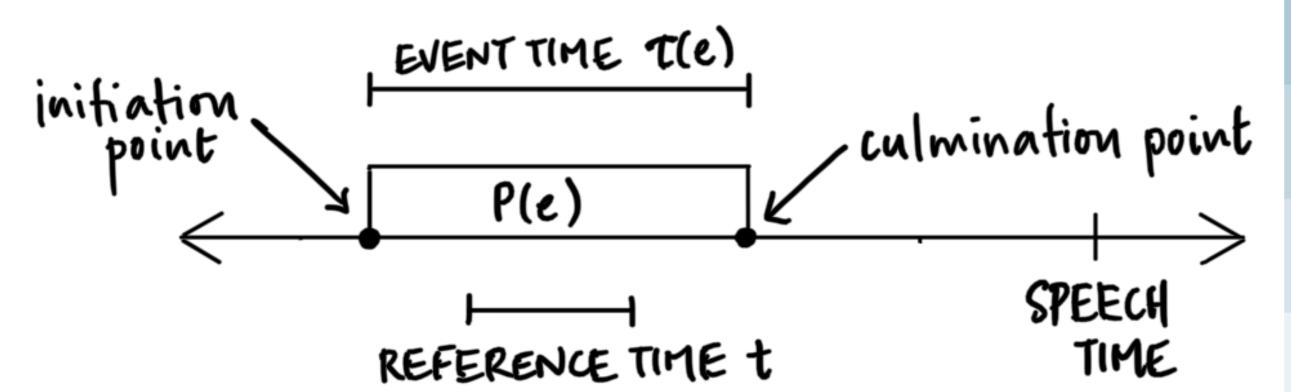
PROGs of telic *P*s need not culminate:

(2) Mahler was writing a tenth symphony
 (when he died). → He completed it.
 (→ Mahler wrote a tenth symphony)

Extensional 'including' PROG:

yields ongoing events, but **forces culmination** to take place in the evaluation world

$$[PROG] := \lambda w \lambda t \lambda P . \exists e [\tau(e) \supseteq t \land P(e)(w)]$$



Resolving the paradox

Existing approaches:

- (I) Extensional PROG: (e.g., Parsons 1990)
 - telic Ps denote (non-)culminated events
 - PROG can instantiate P sans culmination
- (II) Intensional PROG: (e.g., Dowty, Landman)
 - telic Ps denote (only) culminated events
 - modal PROG locates event onsets in w^* , culminations in modal alternatives

Our claim: the 'paradox' is due to intensionality inherent in telic *P*s, not in PROG

Proposal

An enriched mereology for telic Ps:

- [P] contains culminated & non-culminated parts of teleologically-optimal worlds
- [P] is structured by a **culmination condition** (CC; Kratzer 2004), as a **goal** structures teleological alternatives

Teleological alternatives in w, given goal G, circumstantial f, stereotypical g: $\{w': \operatorname{Best}_{g(w)}((\cap f(w)) \cap G)\}$ (von Fintel & latridou 2005)

Telicity and intensionality

Telic P denotes **nested temporal slices** of teleological alternatives for its culmination condition

Given world w and context k:

- let D be a context-dependent **model of causal relationships** between propositions (Pearl 2000)
- let $s \subseteq k$ be a (starting) situation which: (i) contains CC-relevant circumstances
 - (ii) does not exhaust its causal consequences
- $e \in [P]^k$ iff e is a **continuous causal development** of s at start time t_0 in a teleological alternative for CC with causal ordering source based on D (cf. Kaufmann 2013)
- for $e_1, e_2 \in \llbracket P \rrbracket^k$, $e_1 \sqsubseteq e_2$ iff: (i) e_2 is an **optimal causal development** of e_1 , (ii) $\exists e_3 \in \llbracket P \rrbracket^k$ s.t. $e_1, e_2 \sqsubseteq e_3$, and e_3 verifies CC

Positive consequences of our approach:

- no imperfective paradox: extensional PROG can instantiate non-culminated $e \in [P]^k$
- $[P]^k$ is sensitive to 'inertial' (causal) developments based on context, permitting variation based on participants, circumstances, perspectives . . . (cf. Landman, Asher 1992, Bonomi 1997, a.o.)
- bonus: a unified extensional approach to non-culminating perfectives of accomplishments
- looking ahead: a unified treatment of culmination entailments and ability modals' actuality entailments (Bhatt 1999) (see handout for further details)

Non-culminating accomplishments

(Non-)culminating PFs receive a unified treatment in terms of MAX operators

(Filip & Rothstein 2005, Altshuler 2014)

Weak PF₁ indicating cessation, not culmination, combines with local MAX:

 $\llbracket \mathsf{PF}_1 \rrbracket \coloneqq \lambda w \lambda t \lambda P. \exists e [\tau(e) \subseteq t \land e \in w \land \mathsf{MAX}(\mathsf{w},\mathsf{e},\mathsf{P})]$

$$P(e) \land \forall e' \in w[(P(e') \land e \sqsubseteq e') \rightarrow e' = e]$$

Hindi simple PF₁: (Singh 1998, a.o.)

(3) maayaa-ne biskuT-ko khaa-yaa . . . Maya-ERG cookie-ACC eat-PF₁ . . .

✓...lekin use puuraa nahiin khaa-yaa

...but it whole not eat- PF_1

...aur use ab-tak khaa rahii hai ...and it now-until eat PROG PRS

Strong, culminating PF₂ combines with absolute MAX_{abs}:

 $[PF_2] := \lambda w \lambda t \lambda P. \exists e [\tau(e) \subseteq t \land e \in w \land MAX_{abs}(e,P)]$

 $P(e) \land \forall e'[(P(e') \land e \sqsubseteq e') \rightarrow e' = e]$

Hindi compound PF₂:

(4) maayaa-ne biskuT-ko khaa liyaa . . . Maya-ERG cookie-ACC eat PF₂ lekin use puuraa nahiin khaa-yaa . . . but it whole not eat-PF₁

Future exploration:

the **typological** and **pragmatic landscape** of included/including aspects, MAX requirements