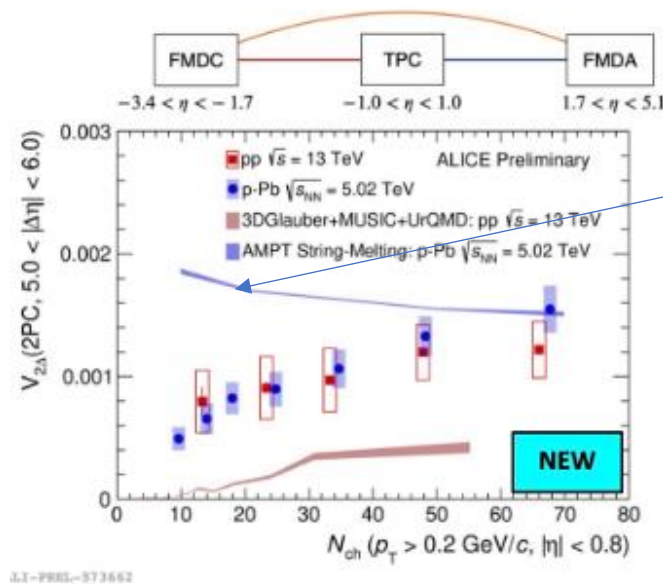


One page summary about the current status

IS2023 Debojit talk



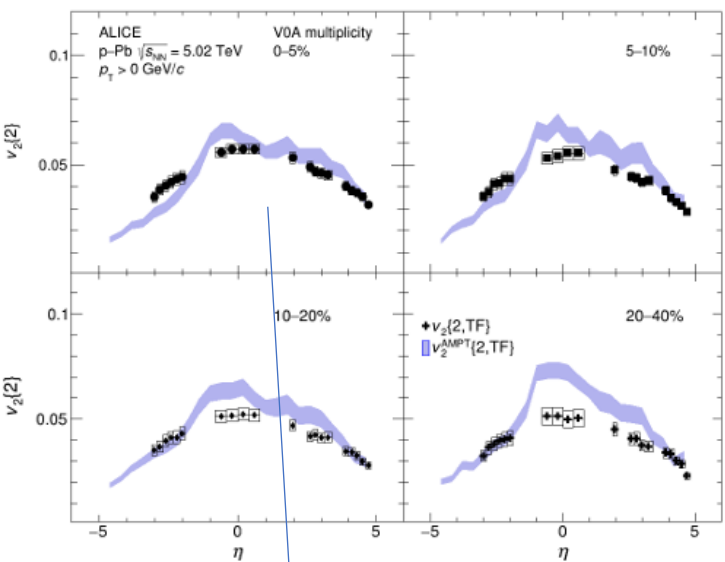
1. Check if the N_{ch} dependence is related to the stronger sub-nucleon fluctuation.

Done. A change in N_{ch} trend is found!

3. Check the decorrelation factor varying with multiplicity and relation to ampt initial conditions.

Calculation partly done. η distribution is strange, only done for one high Multi-bin. Not done for N_{ch} dependence yet.

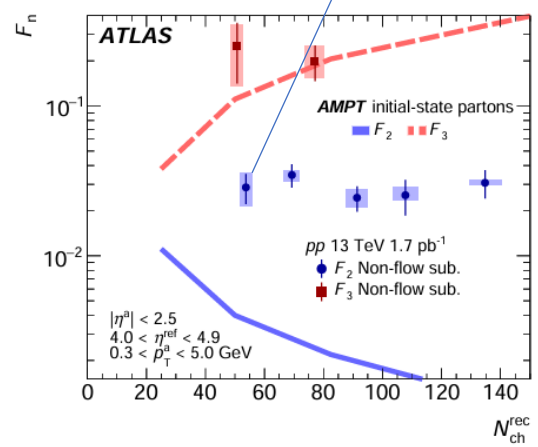
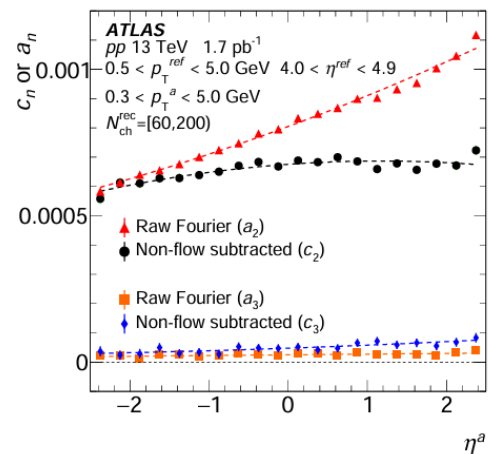
arXiv:2308.16590



2. Check the longitudinal decorrelation in eta distribution with sub-nucleon effect.

Calculation done. η decorrelation partly found, but strange non-flow subtraction behavior.

arXiv:2308.16745



pp 13 TeV

ampt 1.5mb (public ampt)

ampt 3q 1.5mb (3-quark ampt)

ampt point 1.5mb (point ini geo by hand)

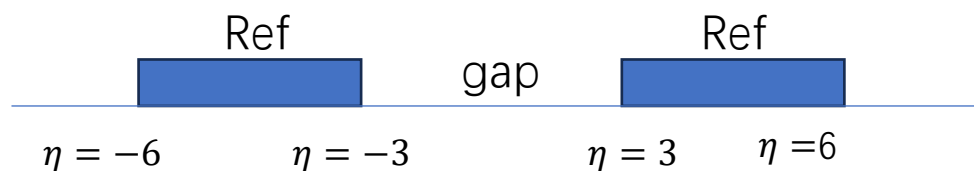
py8ampt (PYTHIA8 initial condition, 3quark)

ART on for all cases

N_{ch} ($p_T > 0.2$, $|\eta| < 0.8$)

Reference/POI particle:

$0.3 < p_T < 3$, $|\eta| < 6$, $|\Delta\eta| > 6$



Template fit method to subtract non-flow:

$$\frac{1}{N_{trig}} \frac{dN}{d\Delta\phi} = G \cdot \left[1 + 2 \sum_{n=2}^4 V_{n\Delta} \cos(n\Delta\phi) \right] + F \cdot f_{background}(\Delta\phi)$$

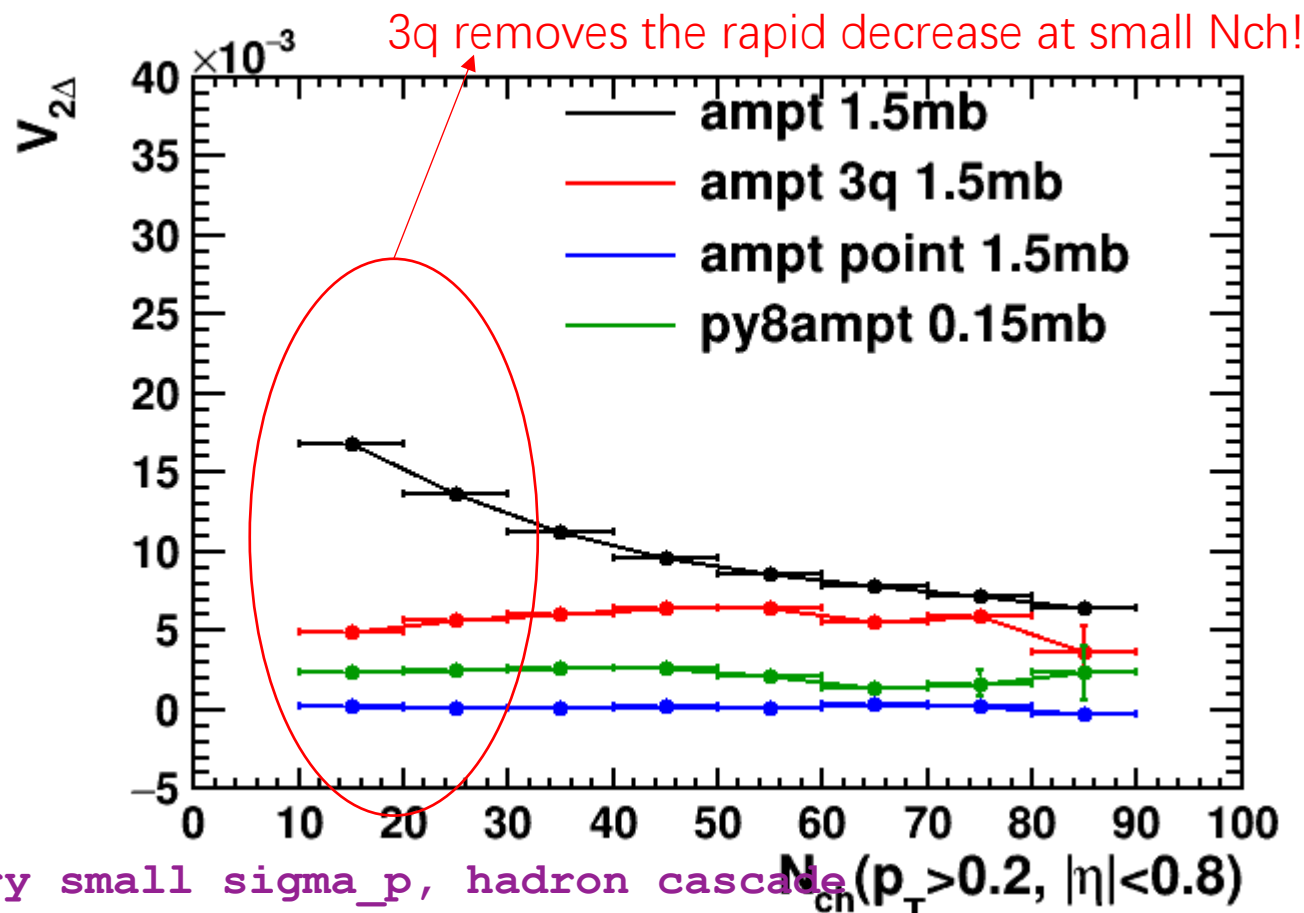
$f_{background}$ using template correlation function from $N_{ch} < 10$ to represent the non-flow effect

4) Any p-Pb results?

1) Can you use exactly the same coverage/cuts as the IS2023 talk to calculate $V_{2\Delta}$ for comparisons?

2) top 2 models give too big $V_{2\Delta}$, so σ_p should be decreased for them.

Charged, $|\eta| < 6$, $0.3 < p_T < 3$, $|\Delta\eta| > 6$



3) With very small σ_p , hadron cascade will start too early and may give sizable contribution. So it's best if you also have the initial hadron data (before ART).

$N_{\text{ch}}(p_T > 0.2, |\eta| < 0.8) > 40$
 Reference/POI particle:
 $0.3 < p_T < 3, |\eta| < 6, |\Delta\eta| > 6$

Template fit (non-flow subtracted):

$$\frac{1}{N_{\text{trig}}} \frac{dN}{d\Delta\phi} = G \cdot \left[1 + 2 \sum_{n=2}^4 V_{n\Delta} \cos(n\Delta\phi) \right] + F \cdot f_{\text{background}}(\Delta\phi)$$

Direct Fourier fit (non-flow unsubtracted/no-sub):

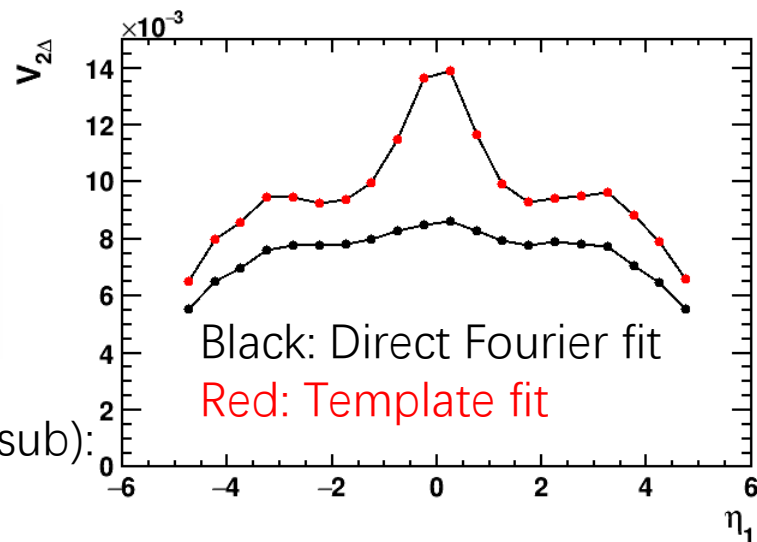
$$\frac{dN}{d\Delta\phi} \propto 1 + 2 \sum_{n=1}^4 V_{n\Delta} \cos(n\Delta\phi)$$

- Different rapidity decorrelation level comparing 3q and normal ampt
- Strange non-flow subtraction effect (subtracted > no-sub) for normal and 3quark ampt 1.5mb case
- Py8ampt weak rapidity dependence, seemingly correct non-flow subtraction ordering

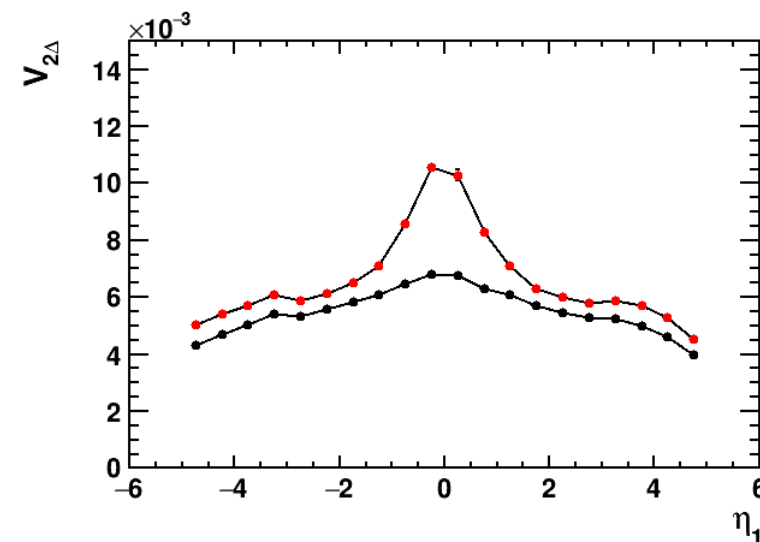
5) Maybe $f_{\text{backgd}}(\Delta\phi)$ depends on η_1 in a strange way in the top 2 models? You can plot $f_{\text{backgd}}(\Delta\phi)$ to check this.

6) This is $\sim v_2^2$, not the decorrelation of v_2 , right?

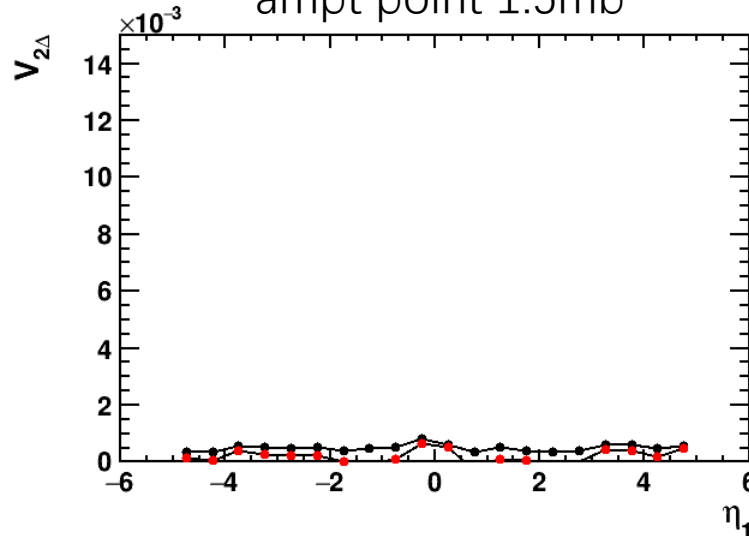
ampt 1.5mb



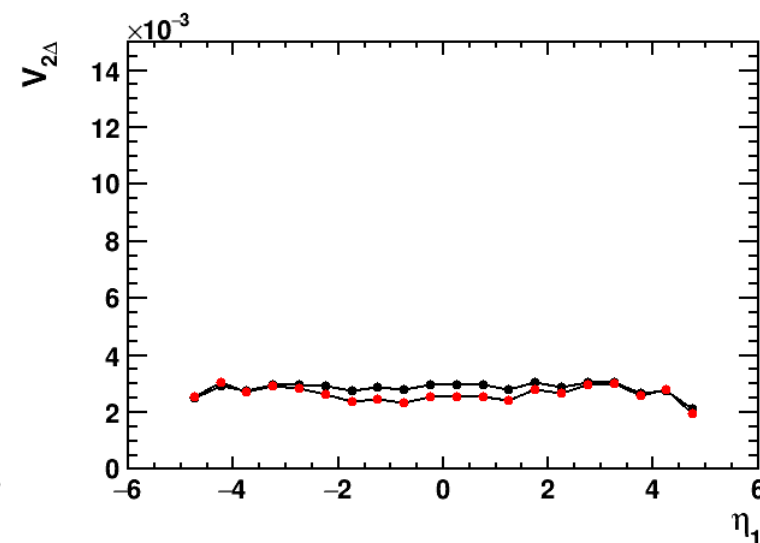
ampt 3q 1.5mb



ampt point 1.5mb



Py8ampt 0.15mb



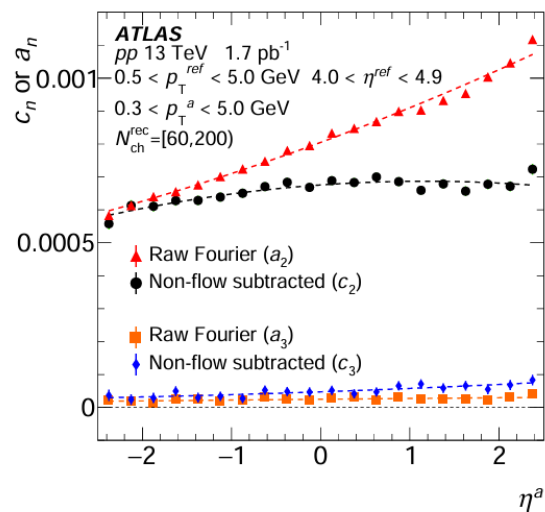
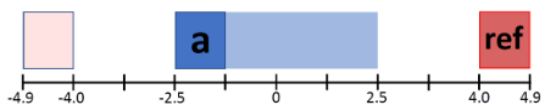
N_{ch} using $p_T > 0.4$, $|\eta| < 2.5$

Reference particle:

$0.5 < p_T < 5$, $4 < \eta^{ref} < 4.9$, $-2.5 < \eta^a < 2.5$

Low Mult: $10 < N_{ch} < 30$

High Mult: $N_{ch} > 60$



Raw Fourier

$$Y(\Delta\phi, \eta_a) = G\{1 + 2 \sum_{n=1}^4 a_n(\eta^a) \cos(n\Delta\phi)\}$$

Template fit

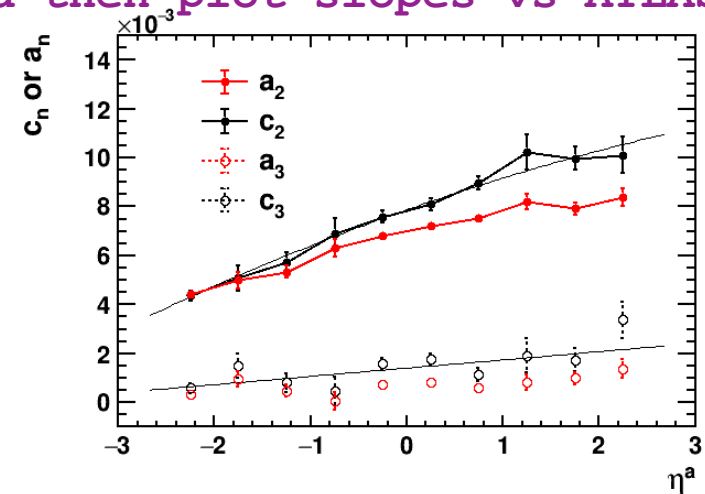
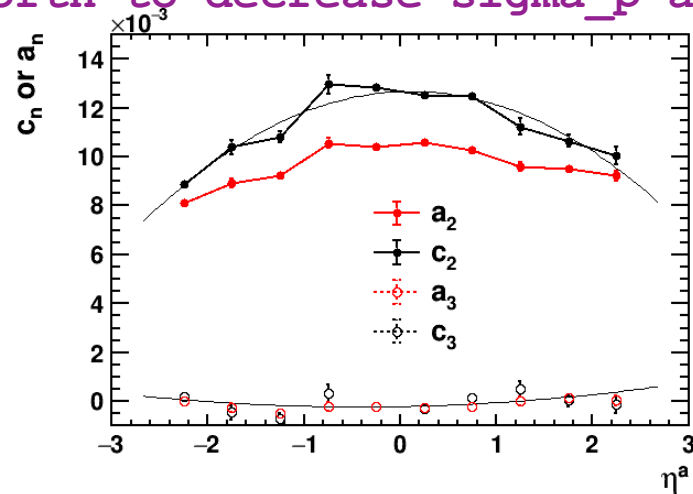
$$Y^{HM}(\Delta\phi, \eta_a) = F(\eta_a) Y^{LM}(\Delta\phi, \eta_a) + G(\eta^a) \{1 + 2 \sum_{n=2}^4 c_n(\eta^a) \cos(n\Delta\phi)\}$$

Rapidity decorrelation fit

$$c_n(\eta_a) \text{ or } a_n(\eta_a) = A(1 + F_n \cdot \eta^a + S_n \cdot (\eta^a)^2)$$

7) Top 2 models $a_2 < c_2$, but data $a_2 > c_2$. Could this be because Y^{LM} has a negative a_2 ? You can check this.

8) 2nd model (ampt3q) has no problem in extracting the slopes; so it's worth to decrease σ_p and then plot slopes vs ATLAS.



- Similar non-flow subtraction behavior compared to the last page result
- Non-symmetric η^a distribution in ampt 3q case after non-flow subtraction
- Possibly zero c_3

Py8ampt 0.15mb

