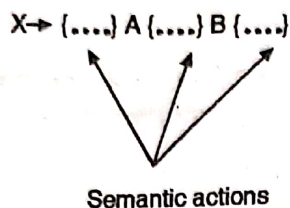


Ans. :

A translation scheme is a context free grammar(CFG) in which attributes are associated with the grammar symbols. And semantic actions enclosed between braces {} are inserted within the right side of productions.

For example



Translation scheme generates the output by executing the semantic actions in an ordered manner. It uses depth first traversal. Consider a simple translation scheme that converts infix expressions into postfix expressions.

$E \rightarrow TR$

$R \rightarrow \text{addop } T \{ \text{print ( addop \cdot lexeme ) } \} R \mid \epsilon$

$T \rightarrow \text{num } \{ \text{print ( num \cdot Val ) } \}$

For example  $3 - 5 + 4$  as  $3 \ 5 \ - \ 4 \ +$

Fig. 1-Q. 3(a) shows the annotated parse tree for the input  $3 - 5 + 4$  with each semantic action attached as the appropriate child of the node corresponding to the left side of their production.

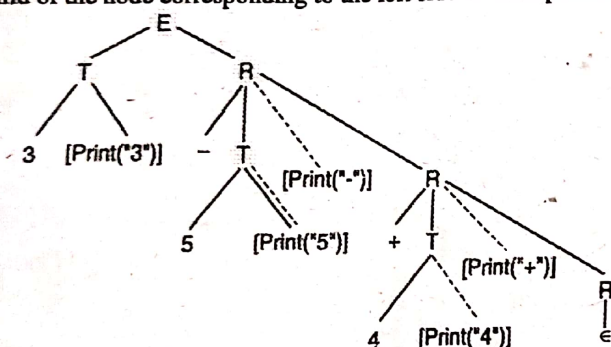


Fig. 1-Q. 3(a) : Annotated Parse tree for  $3 - 5 + 4$  with action

Q. 3(c) Check given grammar is LL(1) but not SLR(1).

$S \rightarrow AaAb \mid BbBa$

$A \rightarrow \epsilon$

$B \rightarrow \epsilon$

(7 Marks)

Ans. :

$FIRST(AaAb) = FIRST(A) - \{\epsilon\} \cup FIRST(aAb) = \{a\}$

$FIRST(BbBa) = FIRST(B) - \{\epsilon\} \cup FIRST(bBa) = \{b\}$

$FIRST(AaAb) \cap FIRST(BbBa) = \{a\} \cap \{b\} = \phi$

Hence the grammar is LL(1).

For parsing table,

$FIRST(S) = FIRST(AaAb) \cup FIRST(BbBa)$

$$= \{a\} \cup \{b\} = \{a, b\}$$

$FIRST(A) = \{\epsilon\}$

$FIRST(B) = \{\epsilon\}$

$FOLLOW(S) = \{\$ \}$

Using  $S \rightarrow AaAb$  It get :

$FOLLOW(A) = FIRST(aAb) = \{a\}$  and

$FOLLOW(A) = FIRST(b) = \{b\}$

$FOLLOW(A) = \{a, b\}$

$S \rightarrow BbBa$

$FOLLOW(B) = FIRST(bBa) = \{b\}$

$FOLLOW(B) = FIRST(a) = \{a\}$

$FOLLOW(B) = \{a, b\}$

Parsing table for the grammar

	a	b	\$
S	$S \rightarrow AaAb$	$S \rightarrow BbBa$	
A	$A \rightarrow \epsilon$	$A \rightarrow \epsilon$	
B	$B \rightarrow \epsilon$	$B \rightarrow \epsilon$	

No duplicate entries in parsing table Hence the given grammar is LL(1)

Now check for SLR,

Augmented Grammar,

$S' \rightarrow S$

$S \rightarrow AaAb$

$S \rightarrow BbBa$

$A \rightarrow \epsilon$

$B \rightarrow \epsilon$

$I_0: S' \rightarrow S \cdot$

$S \rightarrow AaAb$

$S \rightarrow BbBa$

$A \rightarrow \cdot$

$B \rightarrow \cdot$

$I_1: S' \rightarrow S \cdot$

$I_2: S \rightarrow A \cdot aAb$

$I_3: S \rightarrow B \cdot bBa$

$I_4: S \rightarrow Aa \cdot Ab$

$A \rightarrow$

$I_5: S \rightarrow Ba \cdot Ba$

$B \rightarrow$

$I_6: S \rightarrow AaA \cdot b$

$I_7: S \rightarrow BbB \cdot a$

$I_8: S \rightarrow AaAb \cdot$

$I_9: S \rightarrow BbBa \cdot$

### Parsing Table for the grammar

	Action		
	a	b	\$
$I_0$	$R_3 / R_4$	$R_3 / R_4$	
$I_1$			accept
$I_2$	$S_4$		
$I_3$		$S_5$	
$I_4$	$R_3$	$R_3$	
$I_5$	$R_4$	$R_4$	
$I_6$		$S_8$	
$I_7$	$S_9$		
$I_8$			$R_1$
$I_9$			$R_2$

goto		
S	A	B
1	2	3
	6	
		7

Since the action table contains multiple entries, the above grammar is not SLR (1) grammar.



**Q. 3(c) Construct CLR parsing table for the following grammar.**

**$S \rightarrow CC$**

**$C \rightarrow cC \mid d$**

**(7 Marks)**

**Ans. :**

$I_0 : S' \rightarrow \cdot S, \$$

$S \rightarrow \cdot cC, \$$

$C \rightarrow \cdot cC, c/d$

$C \rightarrow \cdot d, c/d$

With closure on  $S' \rightarrow S, \$$  with item  $[A \rightarrow \alpha \cdot B \beta, a]$

That is  $A \rightarrow S', \alpha = \epsilon, B = S, \beta = \epsilon$  and  $a = \$$ .

Function closure tells us to add  $[B \rightarrow y, b]$  for each production  $B \rightarrow y$  and terminal  $b$  in first  $(\beta a)$ . In terms of present grammar,  $B \rightarrow y$  must be  $S \rightarrow cC$  and  $\beta$  is  $\epsilon$  and  $a$  is  $\$$

$$\therefore \text{first}(\beta a) = (\epsilon \$) = \$$$

It continue to compute augmented closure by adding all items.

$$A \rightarrow \alpha \cdot B \beta, a$$

$$S \rightarrow \cdot cC, \$$$

$$\text{First}(\beta a) = \text{FIRST}(c\$) = \{c, d\}$$

As C is having two productions

$$C \rightarrow \cdot cC \text{ and } C \rightarrow \cdot d$$

$$\therefore b = c/d$$

$$I_1 : \text{goto}(I_0, S) :$$

$$S' \rightarrow S \cdot, \$$$

$$I_2 : \text{goto}(I_0, C)$$

$$S \rightarrow C \cdot C, \$$$

$$C \rightarrow \cdot cC, \$$$

$$C \rightarrow \cdot d, \$$$

$$I_6 : \text{goto}(I_2, c)$$

$$C \rightarrow c \cdot C, \$$$

$$C \rightarrow \cdot cC, \$$$

$$C \rightarrow \cdot d, \$$$

$$I_7 : \text{goto}(I_2, d)$$

$$I_3 : \text{goto}(I_0, c)$$

$$C \rightarrow c \cdot C, c/d$$

$$C \rightarrow \cdot cC, c/d$$

$$C \rightarrow \cdot d, c/d$$

$$I_4 : \text{goto}(I_0, d)$$

$$C \rightarrow d \cdot, c/d$$

$$I_5 : \text{goto}(I_2, C)$$

$$S \rightarrow CC \cdot, \$$$

$$C \rightarrow d \cdot, \$$$

$$I_8 : \text{goto}(I_3, C)$$

$$C \rightarrow cC \cdot, c/d$$

$$I_9 : \text{goto}(I_6, C)$$

$$C \rightarrow cC \cdot, \$$$

$$\text{goto}(I_3, c) = I_3$$

$$\text{goto}(I_6, c) = I_6$$

Parsing Table for the grammar

State	Action			Goto	
	c	d	\$	S	C
0	S <sub>3</sub>	S <sub>4</sub>		1	2
1			accept		
2	S <sub>6</sub>	S <sub>7</sub>			5
3	S <sub>3</sub>	S <sub>4</sub>			8
4	r <sub>3</sub>	r <sub>3</sub>			



State	Action			Goto	
	c	d	\$	S	C
5			$r_1$		
6	$S_6$	$S_7$			9
7			$r_3$		
8	$r_2$	$r_2$			
9			$r_2$		

**Q. 3(b)(OR) Find out FIRST and FOLLOW for the following grammar.**

**$S \rightarrow 1AB \mid \epsilon$   $A \rightarrow 1AC \mid 0C$   $B \rightarrow 0S$**

**$C \rightarrow 1$**

**(4 Marks)**

**Ans. :**

**$FIRST(S) = \{1, \epsilon\}$**

**$FIRST(A) = \{1, 0\}$**

**$FIRST(B) = \{0\}$**

**$FIRST(C) = \{1\}$**

**$FOLLOW(A) = \{FIRST(C) \cup FIRST(B)\} = \{1, 0\}$**

**$FOLLOW(B) = FOLLOW(S) = \{\$ \}$**

**$FOLLOW(C) = FOLLOW(A) = \{1, 0\}$**

The parsing table is constructed from above FIRST and FOLLOW functions.

	1	0	\$
S	$S \rightarrow 1AB$		$S \rightarrow \epsilon$
A	$A \rightarrow 1AC$	$A \rightarrow 0C$	
B		$B \rightarrow 0S$	
C	$C \rightarrow 1$		

No duplicate entries in parsing table Hence the given grammar is LL(1)