



SLIC Segmentation

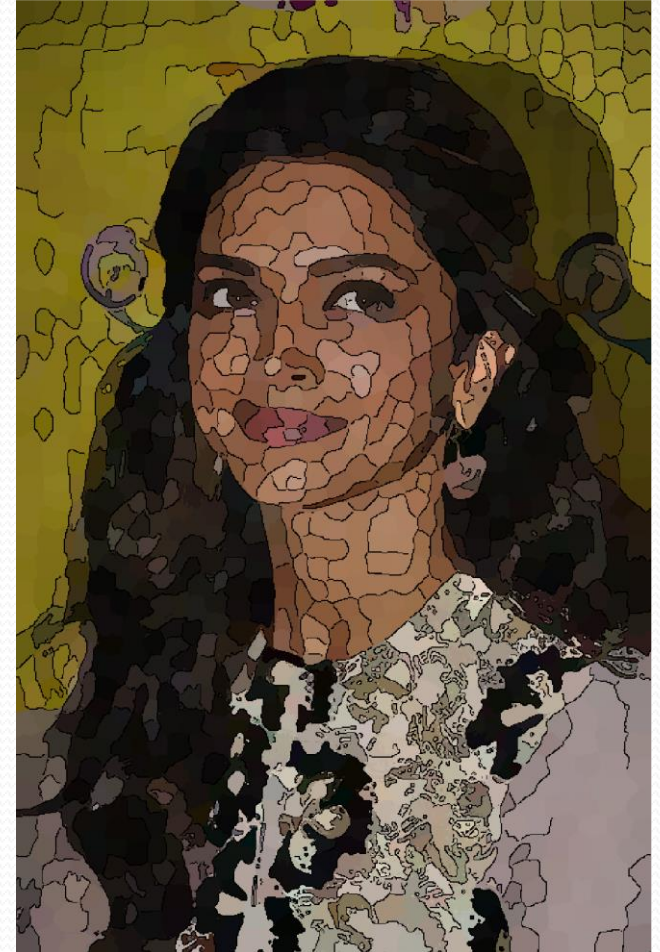
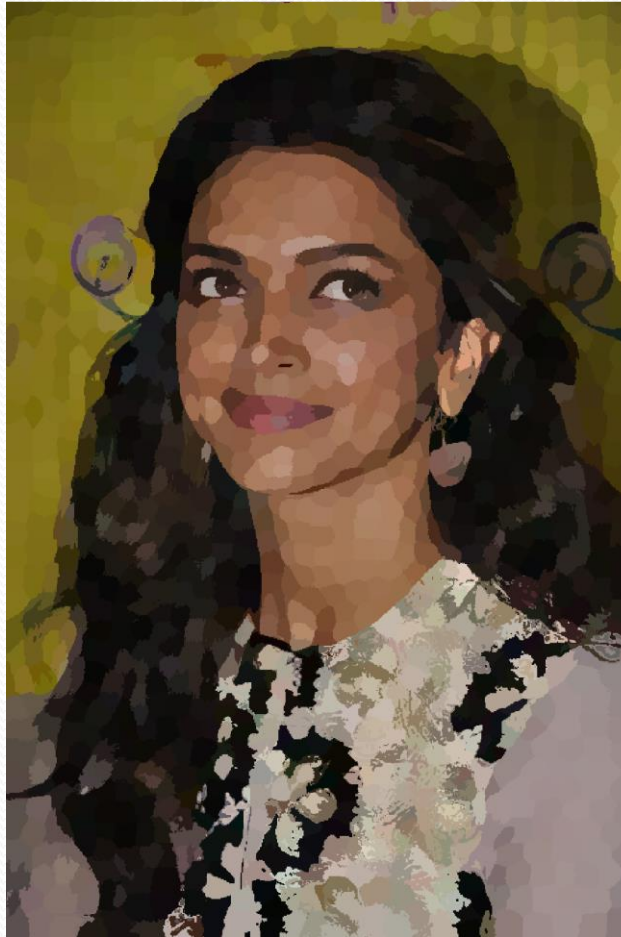
(Simple Linear Iterative Clustering)

Pratik Jain



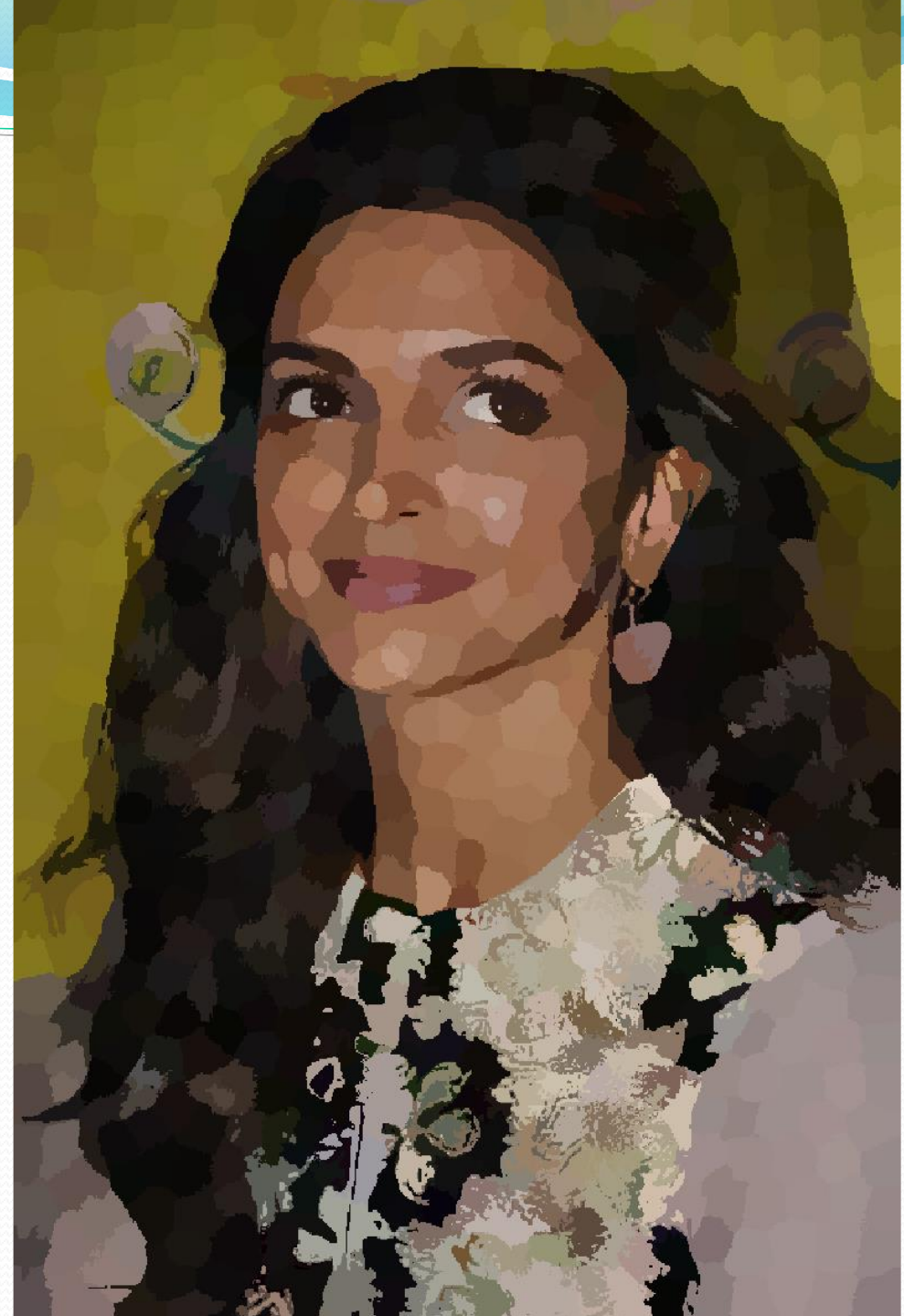


# Super pixels



# Notations

- $K$  = no. of super pixels (Parameter given by user)
- $N$  = total no. of pixels
- $A$  = approximate no. of pixels in 1 super pixel
- $A = \frac{N}{K}$
- $S$  = Approximate length of a super pixel
- $S = \sqrt{\frac{N}{K}}$





# Initialization

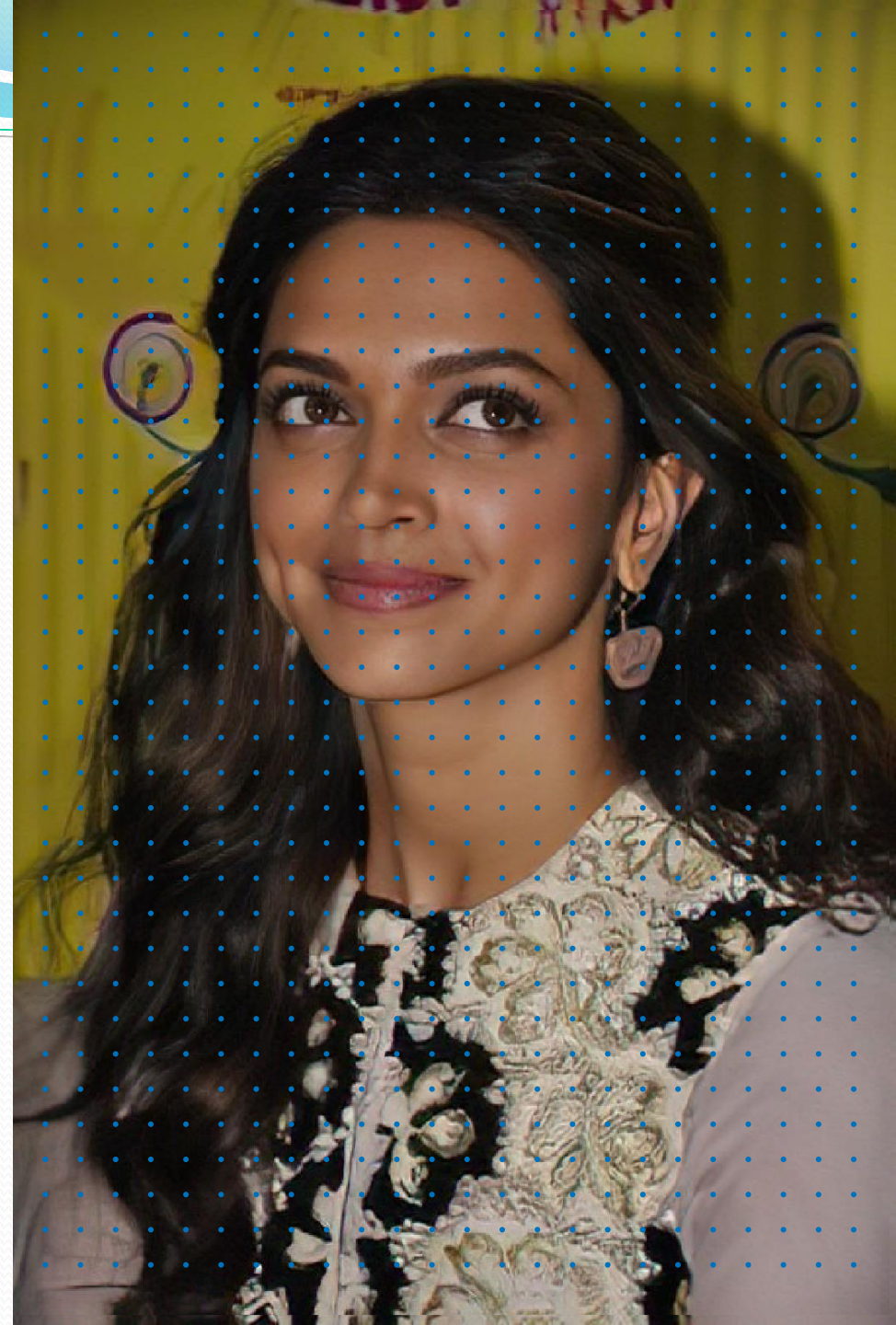
- Given  $K$  we can calculate  $S$ .
- Next, we can make a grid of initial points
- Which are spaced by  $S$
- These are our initial location of means
- Each pixel can be represented as  $[l \ a \ b \ x \ y]$
- Where  $[l \ a \ b]$  is Cielab space which is perceptually uniform for small color distances

- $$d_{lab} = \sqrt{(l_i - l_j)^2 + (a_i - a_j)^2 + (b_i - b_j)^2}$$

- $$d_{xy} = \sqrt{(x_i - x_j)^2 + (y_i - y_j)^2}$$

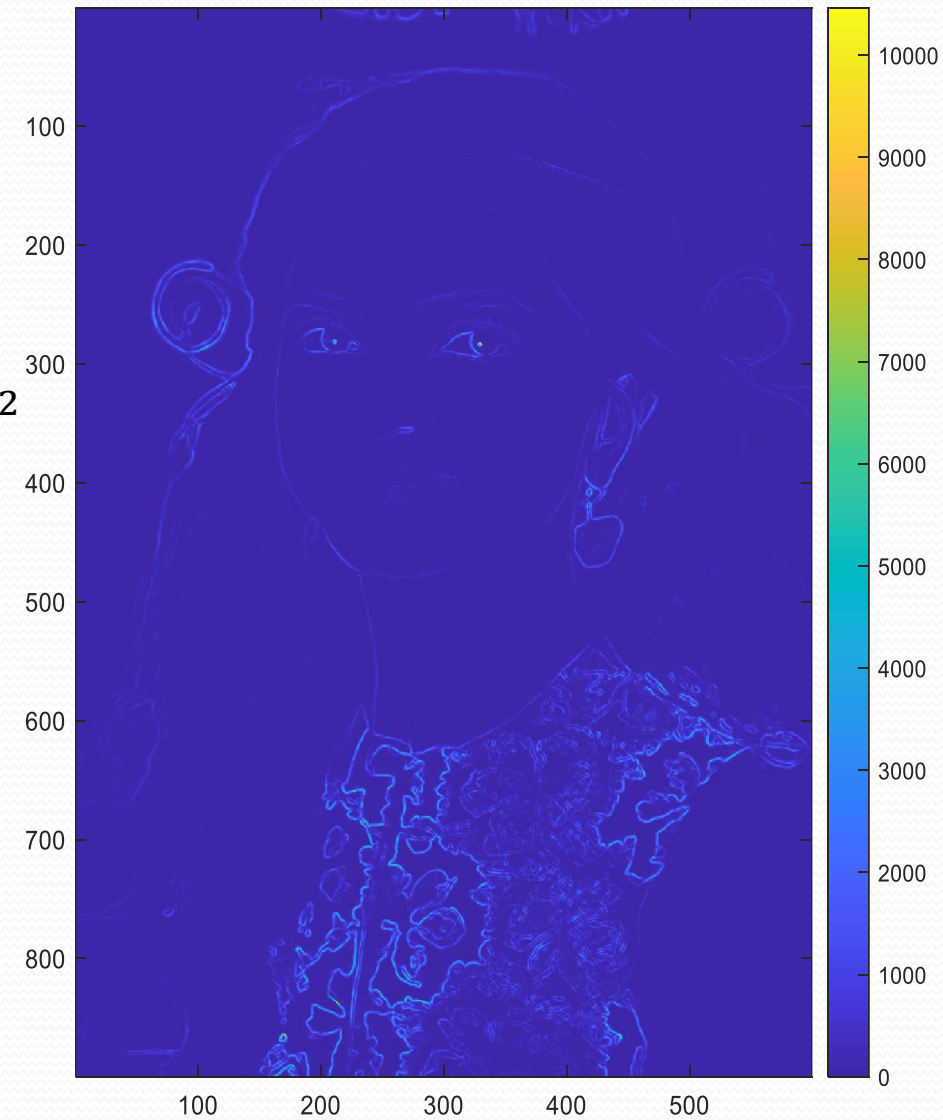
- $$D_s = d_{lab} + \frac{m}{s} d_{xy}$$

- $m$  is parameter which weights the  $xy$  distance

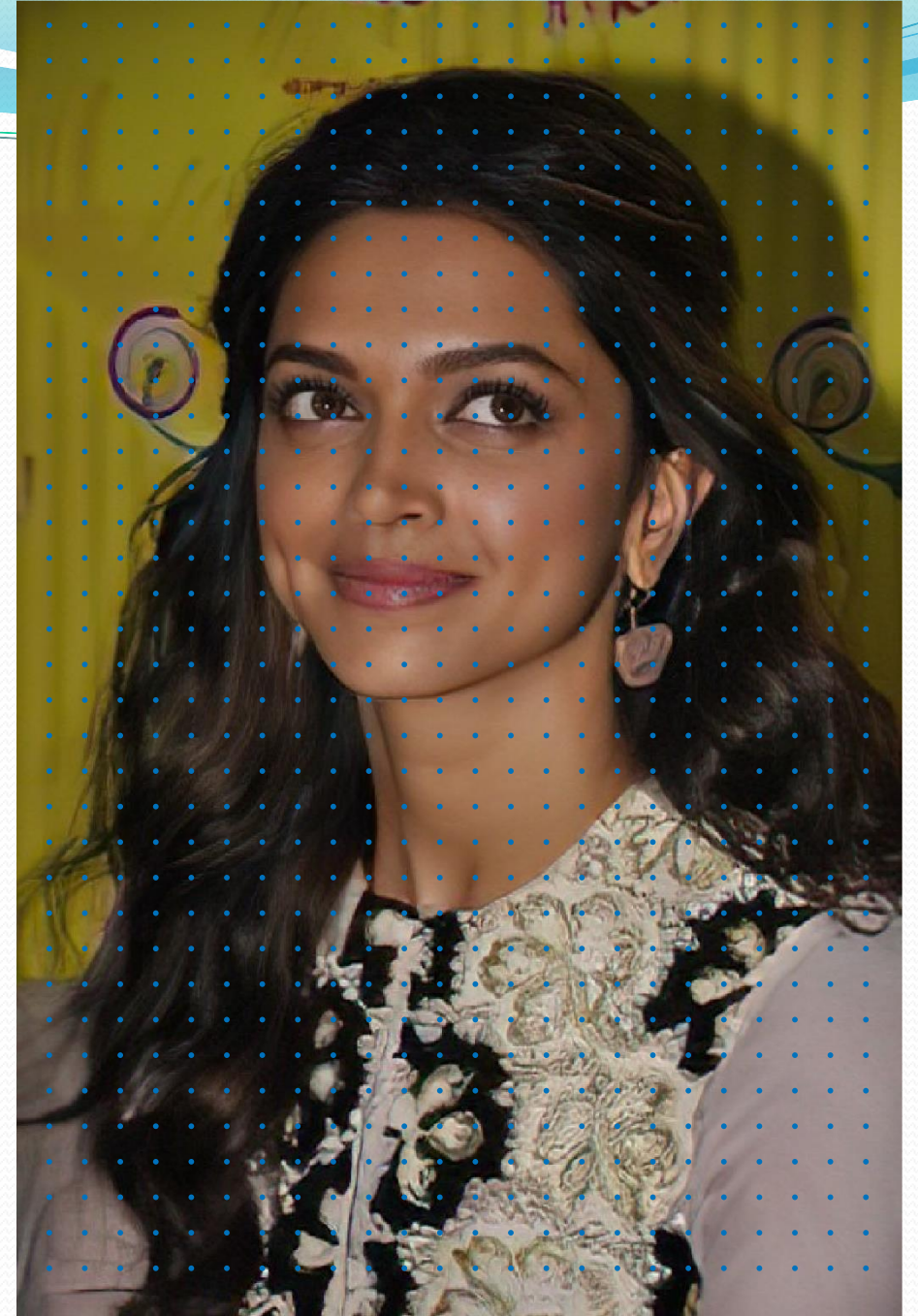
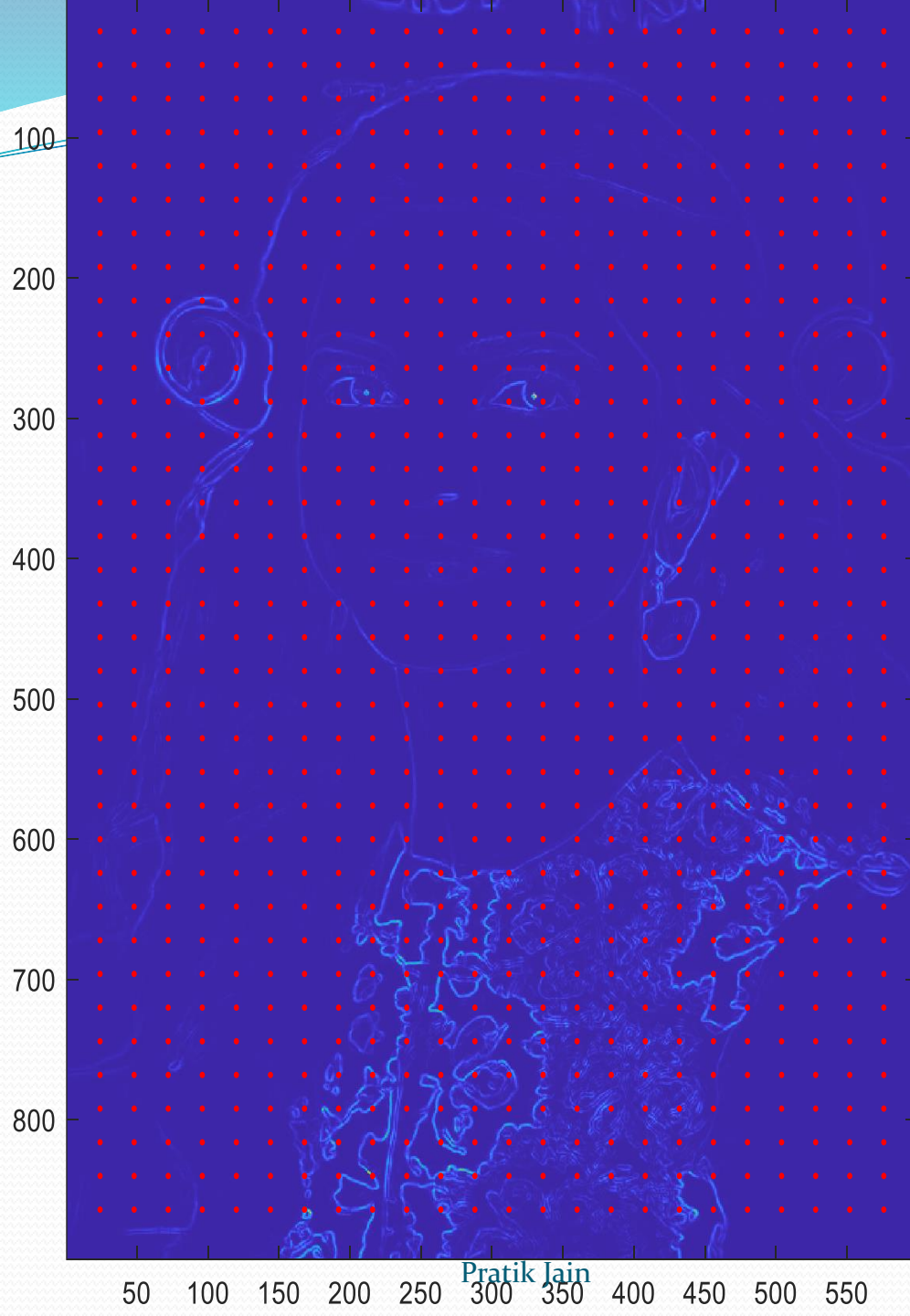


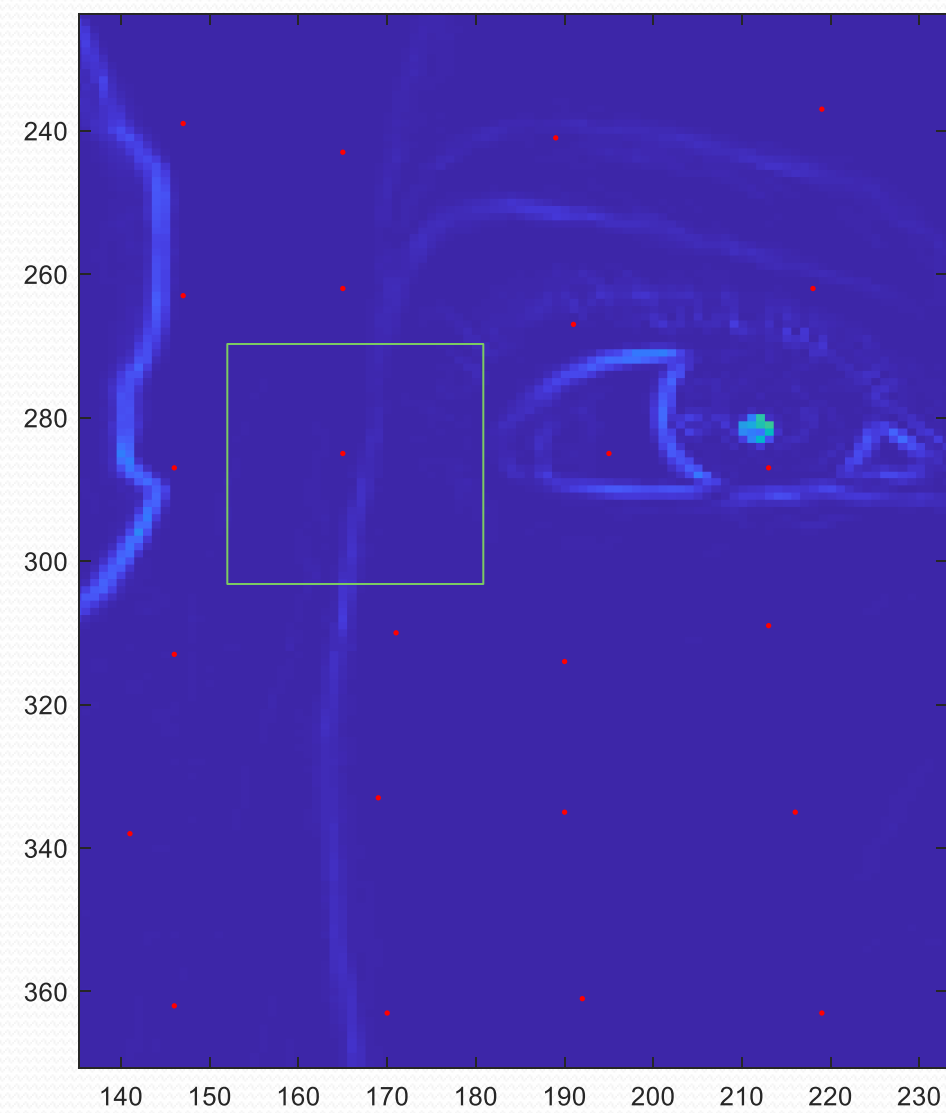
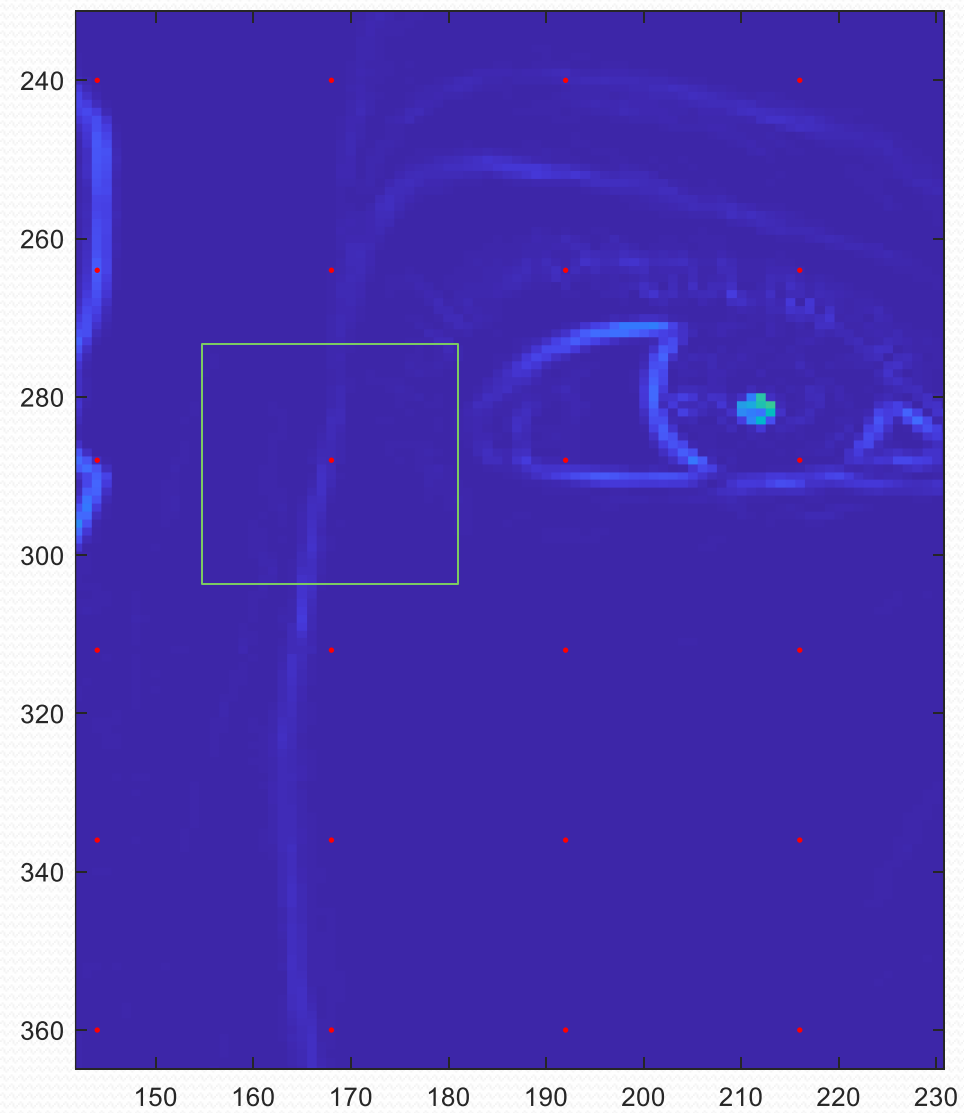
# Gradient Image

$$G(x, y) = \|I(x + 1, y) - I(x - 1, y)\|^2 + \|I(x, y + 1) - I(x, y - 1)\|^2$$





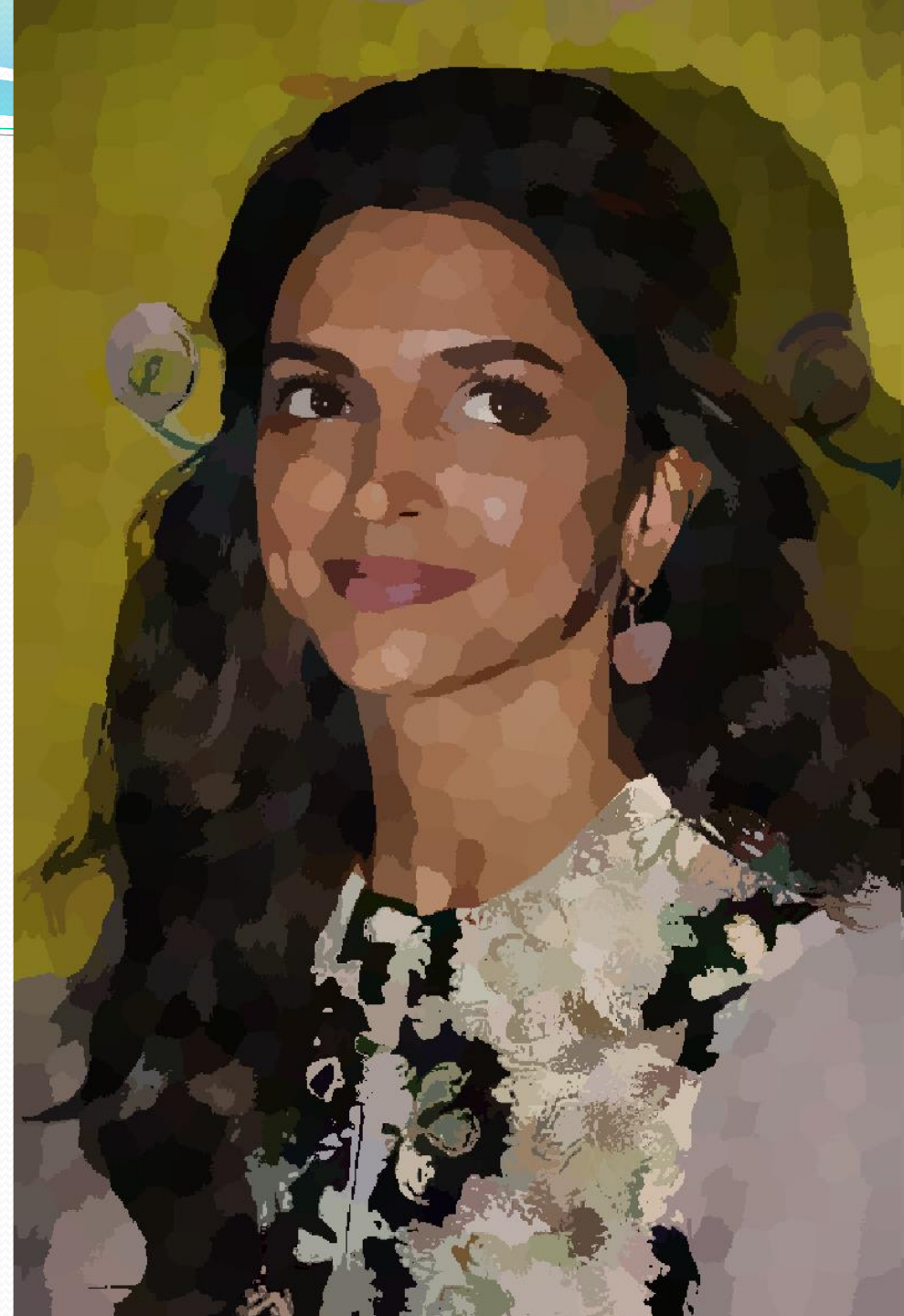




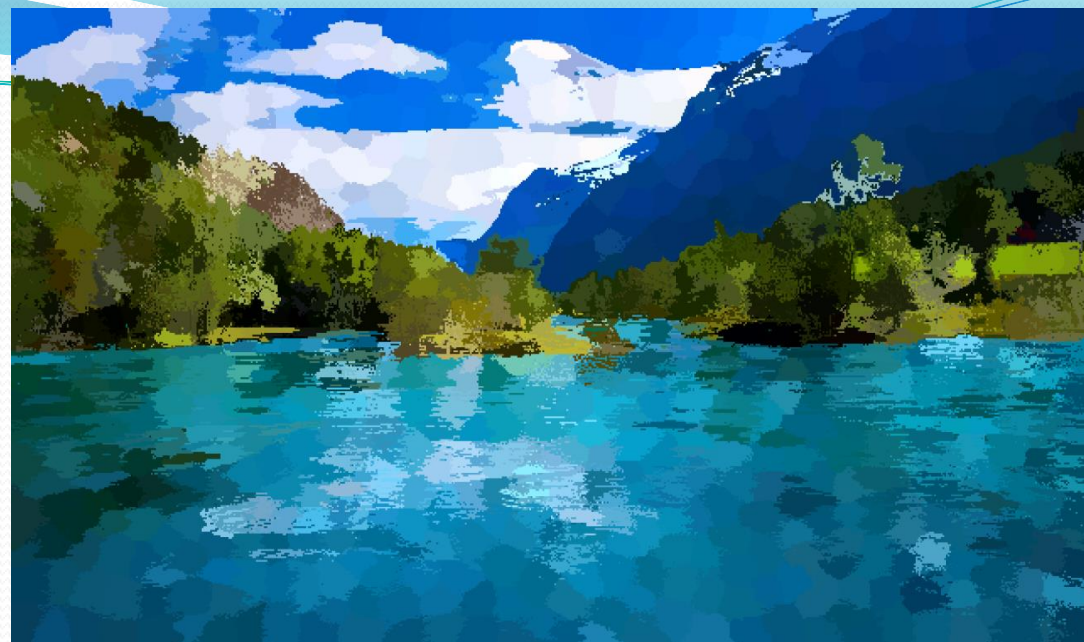
# Algorithm

$$D_s = d_{lab} + \frac{m}{S} d_{xy}$$

1. Convert the input image to ceilab space
2. Take input K from user and calculate  $S = \sqrt{\frac{N}{K}}$
3. Create a grid with S as spacing
4. Now move the means which are on the edges
5. Next for every pixel in the image search in a neighborhood of 2s and assign that mean to that pixel
6. Now take sample mean of the pixels allotted to one mean and update the mean position
7. Goto step 5 and repeat for certain no. of iterations







$$k = 1000 \quad m = 15$$





$$k = 1000 \quad m = 15$$

