A05

Sunday, 20. October 2019 15:16

(u-l)	otherise there und be
n 233444	too much vars. i.e. $\binom{9}{2}$ would consider $(\frac{1}{1})^2 = 1$ ky only 3 vars $\binom{2}{1} = 2$ k ² y y ² k $\binom{3}{1} = 1$ ky $\binom{3}{1} = 3$ k ² y 2 ky ² b ky 2 $\binom{3}{2} = 3$ k ² y 2 ky ² b ky 2 $\binom{3}{3} = 1$ Wky 2