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Input:
Output:

$$\begin{aligned} x &\in R^p V \in R^{k \times p} k < p \\ x &\in R^p f: R^p \rightarrow R \hat{y} = w_0 + w^T x + \sum_{i=1}^p \sum_{j=i+1}^p v_i^T v_j x_i x_j \\ \hat{y} &= w_0 + w^T x + x^T W x v_i R^k V V = (v_1, v_2, ..., v_p) \sum_{i=1}^p \sum_{j=i+1}^p v_i^T v_j x_i x_j = x^T V V^T x - x^T diag(V V^T) x = x^T (V V^T - diag(V V^T)) x \\ &_0, w, W) = \sum_{i=1}^n (y^i - \hat{y}^i)^2 \\ , where \hat{y} &= w_0 + w^T x + x^T W x (c F M s) \\ \hat{y} &= w_0 + w^T x + x^T U^T V x (g F M s) \|vec(W)\|_{10}, w, W) = f(w_0, w, W) + \lambda_1 \|W\|_{tr} + \lambda_3 \|w\|_2^2 \\ L(w_0, w, W) &= f(w_0, w, W) + \lambda_1 \|W\|_{tr} + \lambda_2 \|vec(W)\|_1 + \lambda_3 \|w\|_2^2 \\ W l_1 \end{aligned}$$

$$\pi_i = \langle W, x_i x_i^T \rangle$$

$$w W f_1(w) \nabla f_1(w) = -X'(y - diag(X Z X') - X w) + \alpha w w^+ = w - t \nabla f_1(w) w g(W) + h(W) g(W) = \sum_{i=1}^n 1/2 (y_i - w^T x_i - x_i^T w)$$

$$W=U\Sigma V^T\Sigma_{\beta t}$$

$$g(W)$$

$$0<\beta<1$$

$$t=\beta t$$

$$\begin{aligned} W & \\ W Z W W - Z &= 0 \|W\|_{tr} \|Z\|_{tr0}, w, W, Z, u) = f(w_0, w, W) + \lambda_1 \|Z\|_{tr} + \lambda_2 \|vec(W)\|_1 + \lambda_3 \|w\|_2^2 \\ &+ \langle W - Z, u \rangle + m \|W - Z\|_F^2 u \in R^{p \times p} m \\ @w_0, w, W_0^k, w^k, W^k &= \arg \min_{w_0, w, W} f(w_0, w, W) + \lambda_2 \|vec(W)\|_1 + \lambda_3 \|w\|_2^2 \\ &+ \frac{\rho}{2} \|W - Z^{k-1} + u^{k-1}\|_F^2 \\ @Z^k &= \arg \min_Z \lambda_1 \|Z\|_{tr} + \frac{\rho}{2} \|W^k - Z + u^{k-1}\|_F^2 \\ @u^k &= u^{k-1} + W^k - Z^k \\ w_0, w, W w_0, w W_0, w &= \arg \min_{w_0, w} f(w_0, w, W) + \lambda_3 \|w\|_2^2 \\ W &= \arg \min_W f(w_0, w, W) + \lambda_2 \|vec(W)\|_1 + \frac{\rho}{2} \|W - Z + u\|_F^2 w_0, w W W \\ w_0^0, w^0, W^0, Z^0, u^0, \rho w_0, w^k, W^k &= 1 > w_0^k, w^k, W^k Z^k = prox_{tr, \frac{\lambda_1}{\rho}} (W^k + u^{k-1}) u^k = W^k - Z^k \\ p10, 30, 100, 500, 1000 W W &= V^T V W = U^T V W W \end{aligned}$$

c f m p r e s e n t s t h e r e s u l t s i n s o l v i n g e q : c r i t e r i a 1 w i t h m e t h o d p r o p o s e d i n s e c : c f m . s e c : r e s u l t , c f m p r e s e n t s t h e r e s u l t s i n i m f i g s s h o w t h e c o n v e r g e n c e r a t e o f f o u r d a t a t y p e s . T h e o r d e r o f t h e c o n v e r g e n c e r a t e i s a s f o l l o w s : S Y M S P A R S E A S Y M \approx c u r v e . o f f l o a t f i g u r e [h t b p]
 $w_0, w, W W w_0, w W w_0, w_c$ *curve*. The percentages of updates in the coordinated decent methods are shown in *fig : argmin w_0 w W \|W - Z\|_F^2*
 W
 $k k U k$
 W
 w_0, w, W
 $W W W k$