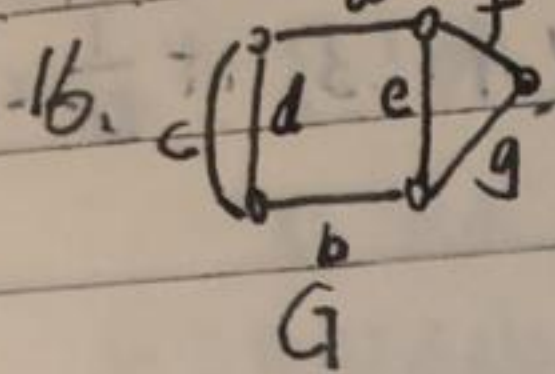
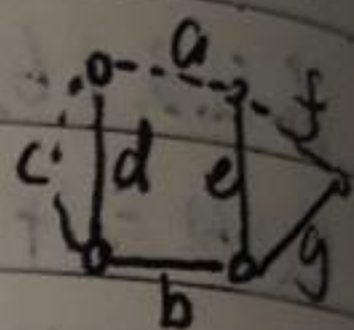


习题九



G 的一棵生成树 T 如右图实线



$$C_a = adbe, C_c = cd, C_f = fge, C_{基} = \{C_a, C_c, C_f\}$$

$$S_b = \{ab\}, S_d = \{a, c, d\}, S_e = \{a, e, f\}, S_g = \{f, g\}$$

$$S_{基} = \{S_b, S_d, S_e, S_g\}$$

$$C_{基} = \{C_0, C_1, C_2, C_3, C_4, C_5, C_6, C_7\}$$

$$C_0 = \emptyset, C_1 = cd, C_2 = adbe, C_3 = fge, C_4 = C_0 \oplus C_c, C_5 = C_0 \oplus C_f$$

$$C_6 = C_c \oplus C_f, C_7 = C_a \oplus C_c \oplus C_f$$

$$S_{基} = \{S_0, S_1, \dots, S_{15}\}$$

$$S_0 = \emptyset, S_1 = \{ab\}, S_2 = \{a, c, d\}, S_3 = \{a, e, f\}, S_4 = \{f, g\}$$

$$S_5 = S_1 \oplus S_2, S_6 = S_1 \oplus S_3, S_7 = S_1 \oplus S_4, S_8 = S_2 \oplus S_1$$

$$S_9 = S_2 \oplus S_4, S_{10} = S_3 \oplus S_4, S_{11} = S_1 \oplus S_2 \oplus S_3$$

$$S_{12} = S_1 \oplus S_2 \oplus S_4, S_{13} = S_1 \oplus S_3 \oplus S_4, S_{14} = S_2 \oplus S_3 \oplus S_4$$

$$S_{15} = S_1 \oplus S_2 \oplus S_3 \oplus S_4$$

19. 由握手定理,  $i+1+t=2n$ ,  $t$  为树中叶个数.

即  $t=i+1$

有共同父结点的树叶

19. 设  $i$  个分支点时,  $L = I + 2n$ ;  $i+1$  个时, 令  $v_1, v_2$  为  $T$  中两个树叶,  $v$  是  $v_1, v_2$  所邻分支点, 高度为  $h$ . 删去  $v_1, v_2$ , 有  $L - h - 2 = (I - h) + 2(i+1-1)$ , 即  $L = I + 2(i+1)$ , 证毕.