# The End of the American Dream? Inequality and Segregation in US Cities

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### Question

- over last 40 years large increase in US income inequality
- simultaneous rise in residential income segregation

#### Question:

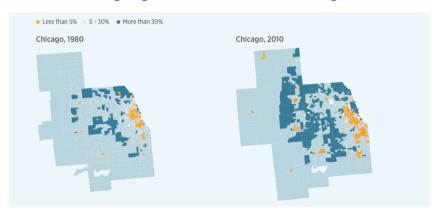
has residential segregation contributed to amplify inequality's response to underlying shocks?

#### This paper:

model of human capital accumulation and local spillovers disciplined with new micro estimates by Chetty-Hendren



## Segregation Patterns: Chicago



- spatial distribution of rich households more concentrated over time
- rich defined as top 20th percentile



## **Preview**

- data: correlation between inequality and segregation
- benchmark model: GE OGM with human K and residential choice
  - key ingredient: neighborhood spillover (peer effects, public schools, social norms, learning . . . )
  - endogenous response of house prices → feedback between inequality and segregation
- general model and calibration to a representative US MSA
- main exercise: MIT shock to skill premium in 1980
- finding: segregation has a significant effect on the increase in inequality

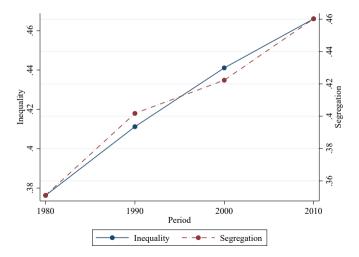


### **Data and Indices**

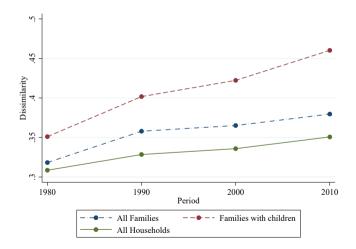
- data source: census tract data on family income 1980 2010
- geographic unit and sub-unit: metro and tracts
- inequality measure = Gini coefficient
- segregation measure = Dissimilarity index
  - it measures how uneven is the distribution of two mutually exclusive groups across geographic subunits
  - groups: rich and poor as above and below the 80th percentile



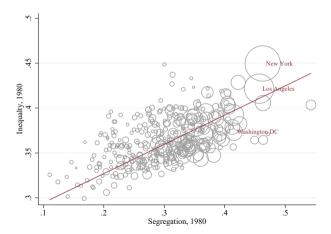
## Inequality and Segregation Across Time



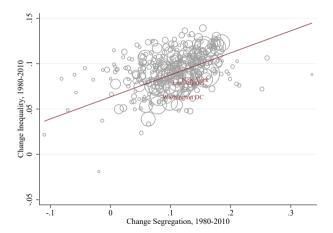
# Segregation Across Demographic Groups



# Inequality and Segregation Across Space



# Inequality and Segregation Across Space and Time



## Benchmark Model

overlapping generations of agents who live for 2 periods: children and parents

- a parent at time *t*:
  - earns a wage  $w_t \in [\underline{w}, \overline{w}]$
  - has a child with ability  $a_t \in [\underline{a}, \overline{a}]$
- assume log(a) follows an AR1 process with correlation ρ
- $F_t(w, a)$  = joint distribution of w and a at time t



# Geography and Housing Market

- two neighborhoods:  $n \in \{A, B\}$
- $R_t^n$  = rent in neighborhood n at time t
- extreme assumptions on supply:
  - fixed supply H in neighborhood A;
  - fully elastic supply of houses in neighborhood B;
- marginal cost of construction in B =  $0 \Rightarrow R_t^B = 0$  for all t

## **Education and Wage Dynamics**

- parents can directly invest in education
- two levels of education:  $e \in \{e_L, e_H\}$
- cost of  $e_L = 0$ , cost of  $e_H = \tau$
- wage of child with ability  $a_t$ , education e, growing up in n:

$$w_{t+1} = \Omega(w_t, a_t, e, S_t^n, \varepsilon_t)$$

where  $\varepsilon_t$  is iid noise and  $S_t^n$  is neighborhood n spillover

$$S_t^n = E[w_{t+1}(w, a, \varepsilon) | n_t(w, a) = n]$$



## Parents' Optimization Problem

parent  $(w_t, a_t)$  at time t solves

$$egin{array}{ll} U(w_t,a_t) &=& \displaystyle\max_{oldsymbol{c}_t,oldsymbol{e}_t,oldsymbol{n}_t} u(oldsymbol{c}_t) + E_t[g(w_{t+1})] \ & s.t. & oldsymbol{c}_t + R_t^{n_t} + au oldsymbol{e}_t \leq w_t \ & w_{t+1} = \Omega(w_t,a_t,oldsymbol{e}_t,oldsymbol{S}_t^{n_t},oldsymbol{arepsilon}_t,oldsymbol{arepsilon}_t) \end{array}$$

taking as given  $R_t^k$  and  $S_t^k$  for k = A, B

# Equilibrium

For given  $F_0(w, a)$ , an equilibrium is a sequence  $\{n_t(w, a), e_t(w, a), R_t^A, S_t^A, S_t^B, F_t(w, a)\}_t$  satisfying

- agents optimization: for any t given  $R_t^A$ ,  $S_t^A$ ,  $S_t^B$
- spillover consistency for any t and k = A, B
- housing market clearing: for any t

$$H = \int \int_{n_t(w,a)=A} F_t(w,a) dwda$$

wage dynamics: for any t

$$w_{t+1}(w, a, \varepsilon) = \Omega(w, a, e_t(w, a), S_t^{n_t(w, a)}, \varepsilon)$$



# **Assumptions**

Focus on equilibria with  $R_t^A > 0$  for all  $t \Rightarrow S_t^A > S_t^B$  for all t

#### **Assumption A1**

The function  $\Omega(a, e, S, \varepsilon)$  is

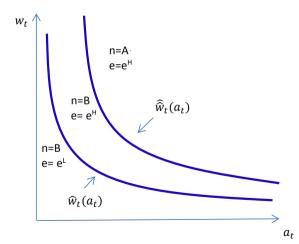
- constant in S and a if  $e = e_L$
- increasing in S and a if  $e = e_H$

#### **Assumption A2**

The composite function  $g(\Omega(a, e, S, \varepsilon))$  has increasing differences in a and S, a and e, w and S, and w and e

## **Cut-Off Characterization**

### Equilibrium for given spillovers and rental rates, with



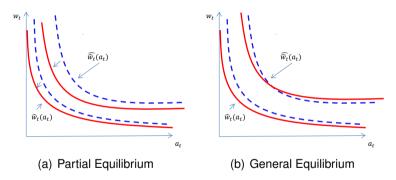
## Skill Premium Shock

- what fundamental shock is behind the rise in inequality?
- assume it is skill-biased technical change
- ullet in our model: think about a one-time, unexpected, permanent increase in  $\eta$

$$\Omega(w, a, e, S^n, \varepsilon) = (b + ea\eta(\beta_0 + \beta_1 S^n))w^{\alpha}\varepsilon$$

• what is the economy's response?

## Response to Skill Premium Shock



- direct effect: gap college/no college and return to local spillover increase
- partial equilibrium/general equilibrium effect on inequality
- dynamic effect through spillover



### General Model

#### 1. three neighborhoods:

· richer segregation dynamics

#### 2. upward sloped housing supply:

endogenous evolution of neighborhood size

#### 3. continuous educational choice:

higher dispersion in investment in human capital

#### 4. residential preference shock:

- amenities shock: ranking of neighborhoods (A>B>C)
- idiosyncratic preference shock: more mixing in initial steady state



## Main Exercise

- calibrate the model steady state to 1980
- one-time, unexpected, permanent shock to  $\eta$  in 1980
- match skill premium increase between 1980 and 1990
- look at responses of inequality, segregation, mobility
- counterfactual exercises to identify the amplifying role of segregation



## Mapping the Model to the Data

#### neighborhood definition

- according to percentage of residents that is rich (in top 20%)
- finer analysis at the top of distribution: about 50% pop in C

	С	В	А
Year	0-17	17-30	Above 30
1980	0.509	0.309	0.183
1990	0.530	0.268	0.202
2000	0.531	0.257	0.212
2010	0.519	0.253	0.228
Cutoffo (17.20)			

Cutoffs (17-30)



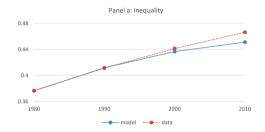
## Calibration

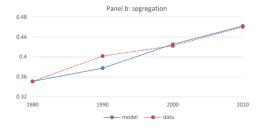
We use 21 moments at the metro and neighborhood level to calibrate 20 parameters.

- gini 1980
- dissimilarity 1980
- rank rank correlation
- relative income neighborhoods 1980
- relative housing prices neighborhoods 1980
- relative sizes of neighborhoods over time
- return to college 1980 and 1990
- return to spillover 25th p
- return to spillover 75th p



## Response to Skill Premium Shock



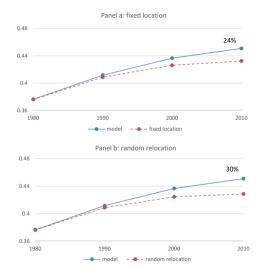


# Feedback effect of segregation on inequality

- skill premium shock increases inequality and segregation
- segregation further amplifes the increase in inequality
  - for given spillovers, more rich children will be exposed to better neighborhoods
    → even richer
  - 2. for given spillovers, more poor children will be exposed to worse neighborhoods  $\rightarrow$  even poorer
  - higher segregation will increase the gap between the spillovers in the two neighborhoods → more inequality



## Counterfactuals



#### To conclude

- shocks that increase inequality also trigger increase in segregation (through residential choice)
- local externalities generate persistent increase in inequality/segregation through time
- segregation amplifies increase in inequality and reduces intergenerational mobility (end of american dream?)