

## Lab 8 Fol

code:-

```
import re
```

```
# Define a simple function for extracting predicates from sentences
```

```
def extract_predicate(sentence):
```

```
    # Regular expression to find patterns like Predicate(Argument)
```

```
    pattern = r"([A-Za-z]+\)((\w+)\)"
```

```
    match = re.search(pattern, sentence)
```

```
    if match:
```

```
        predicate = match.group(1)
```

```
        subject = match.group(2)
```

```
        return predicate, subject
```

```
    return None, None
```

```
# Function for unification
```

```
def unify(fact, query):
```

```
    # Check if the fact and query are the same
```

```
    if fact == query:
```

```
        return True
```

```
    # Extract predicate and subject from fact and query
```

```
    fact_predicate, fact_subject = extract_predicate(fact)
```

```
    query_predicate, query_subject = extract_predicate(query)
```

```
# If predicates match, unify the subjects
if fact_predicate == query_predicate:
    if fact_subject == query_subject:
        return True
    else:
        # Here, we could handle variable substitution (unification)
        return False
return False
```

# Function to deduce the goal using given rules

```
def deduct(rules, goal):
    # Try to find unification for the goal from the rules
    for rule in rules:
        if unify(rule, goal):
            print(f"Unification successful: {rule} matches with {goal}.")
            return True
    return False
```

# Main function to handle user input

```
def main():
    # Step 1: Get the rules (facts/implications) from the user
    print("Enter the rules (facts/implications). Type 'done' to finish entering rules.")
    rules = []
```

```
while True:
```

```
    rule_input = input("Enter rule: ")
```

```
    if rule_input.lower() == 'done':
```

```
        break
```

```
    else:
```

```
        rules.append(rule_input.strip())
```

```
# Step 2: Get the goal (query) from the user
```

```
goal_input = input("Enter the goal (query) to prove: ").strip()
```

```
# Step 3: Try to deduce the goal using the given rules
```

```
print("\nAttempting to deduce the goal...")
```

```
if deduct(rules, goal_input):
```

```
    print(f"Conclusion: The goal '{goal_input}' is true based on the rules.")
```

```
else:
```

```
    print(f"Conclusion: The goal '{goal_input}' cannot be proven with the  
provided rules.")
```

```
# Run the program
```

```
main()
```

output:-



Enter the rules (facts/implications). Type 'done' to finish entering rules.

Enter rule: Loves(Sam, Everyone)

Enter rule: done

Enter the goal (query) to prove: Loves(Everyone, Sam)

Attempting to deduce the goal...

Unification successful: Loves(Sam, Everyone) matches with Loves(Everyone, Sam).

Conclusion: The goal 'Loves(Everyone, Sam)' is true based on the rules.

observation book

## LAB-8.

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### FOL

Key elements of FOL:-

Predicates:- Represent relationships between objects.

Terms:- Objects or variables in the domain being described.

Quantifiers:-

$\forall$  - Universal quantifier

$\exists$  - Existential quantifier

NAND,  $\vee$  OR, NOT,  $\neg$  implies,  $\rightarrow$   
Equivalent - logical connectives.

Example of FOL in AI:

If all humans are mortal, and Socrates is a human, then So

Now we will prove for

If someone loves everyone, then everyone is loved by that someone.

1. Premise:- There exists a person  $x$  who loves everyone  $y$ .

$$\exists x (\forall y \text{ loves}(x, y))$$

2. Conclusion:-  $\forall y (\exists x \text{ loves}(x, y))$

For every person  $y$ , there exist someone  $x$  who loves  $y$ .

Derivation Steps:-

1. Assume the Premise:

From the premise  $\exists x (\forall y \text{ loves}(x, y))$ ,

we know there exists a specific

individual  $a$  such that  $\forall y \text{ loves}(a, y)$

2. Universal Instantiation:

From  $\forall y \text{ loves}(a, y)$  instantiate for a specific individual  $b$ :

loves(a, b)

This holds for any b because a loves everyone.

3. Existential Generalization:

Since loves(a, b) is true for any individual b, we can say for any person b:  $\exists x \text{ loves}(x, b)$  (because a is the one who loves b).

4. Universal Generalization:

Since this holds for any individual b, we generalize.

$\forall y (\exists x \text{ loves}(x, y))$ .

Conclusion:-

By applying universal instantiation, existential generalization, and universal generalization, we deduce:  
"If someone loves everyone, then everyone is loved by that someone."

Output:-

Enter the rules (fact/implication).  
Type 'done' to finish rules.

Enter rule: loves(Sam, Everyone)

Enter rule: done

Enter the goal (query) to prove: loves(Everyone, Sam)

Attempting to deduce the goal...

Unification successful: loves(Sam, Everyone) matches with loves(Everyone, Sam).

Conclusion: The goal 'love(Everyone, Sam)' is true based on the rules.

8/10/24