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Experiment No.	02
Aim	Experiment based on divide and conquer approach.
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Theory/Experiment:

Quicksort– It picks an element called as pivot, and then it partitions the given array around the picked pivot element. It then arranges the entire array in two sub-array such that one array holds values that are smaller than the specified value (Pivot), and another array holds the values that are greater than the pivot. The Divide and Conquer steps of Quicksort perform following functions. Divide: In Divide, first pick a pivot element. After that, partition or rearrange the array into two sub-arrays such that each element in the left sub-array is less than or equal to the pivot element and each element in the right sub-array is larger than the pivot element. Conquer: Recursively, sort two subarrays with Quicksort Combine: Combine the already sorted array.

Merge sort– Merge sort is similar to the quick sort algorithm as it uses the divide and conquer approach to sort the elements. It divides the given list into two equal halves, calls itself for the two halves and then merges the two sorted halves. We have to define the merge() function to perform the merging. The sub-lists are divided again and again into halves until the list cannot be divided further. Then we combine the pair of one element lists into two element lists, sorting them in the process. The sorted two-element pairs is merged into the four-element lists, and so on until we get the sorted list.

main.c	data.txt	:
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```
1  #include <stdio.h>
2  #include <stdlib.h>
3  #include <math.h>
4
5  #include <time.h>
6
7  void dataInput()
8  {
9      FILE *fptr;
10     fptr = fopen("data.txt", "w");
11     for (int i = 0; i < 100000; i++)
12     {
13         int temp = rand() ;
14         fprintf(fptr, "%d\n", temp);
15     }
16     fclose(fptr);
17 }
18 void merge(long arr[], int l, int m, int r)
19 {
20     int i, j, k;
21     int n1 = m - l + 1;
22     int n2 = r - m;
23
24     /* create temp arrays */
25     int L[n1] ;
26     int R[n2];
27
28
29     /* Copy data to temp arrays L[] and R[] */
30     for (i = 0; i < n1; i++)
31         L[i] = arr[l + i];
32     for (j = 0; j < n2; j++)
33         R[j] = arr[m + 1 + j];
34
35     /* Merge the temp arrays back into arr[l..r]*/
36     i = 0; // Initial index of first subarray
37     j = 0; // Initial index of second subarray
38     k = l; // Initial index of merged subarray
39     while (i < n1 && j < n2)
40     {
```

main.c

data.txt

⋮

```
39 while (i < n1 && j < n2)
40 {
41     if (L[i] <= R[j])
42     {
43         arr[k] = L[i];
44         i++;
45     }
46     else
47     {
48         arr[k] = R[j];
49         j++;
50     }
51     k++;
52 }
53
54 /* Copy the remaining elements of L[], if there
55 are any */
56 while (i < n1)
57 {
58     arr[k] = L[i];
59     i++;
60     k++;
61 }
62
63 /* Copy the remaining elements of R[], if there
64 are any */
65 while (j < n2)
66 {
67     arr[k] = R[j];
68     j++;
69     k++;
70 }
71 }
72
73 void mergeSort(long arr[], int l, int r)
74 {
75     if (l < r)
76     {
77         // Same as (l+r)/2, but avoids overflow for
```

main.c	data.txt	:
77		<i>// Same as (l+r)/2, but avoids overflow for</i>
78		<i>// large l and h</i>
79		<code>int m = l + (r - l) / 2;</code>
80		
81		<i>// Sort first and second halves</i>
82		<code>mergeSort(arr, l, m);</code>
83		<code>mergeSort(arr, m + 1, r);</code>
84		
85		<code>merge(arr, l, m, r);</code>
86		<code>}</code>
87		<code>}</code>
88		
89		<i>// function to swap elements</i>
90		<code>void swap(long *a, long *b) {</code>
91		<code>int t = *a;</code>
92		<code>*a = *b;</code>
93		<code>*b = t;</code>
94		<code>}</code>
95		
96		<i>// function to find the partition position</i>
97		<code>int partition(long array[], int low, int high) {</code>
98		
99		<i>// select the rightmost element as pivot</i>
100		<code>int pivot = array[high];</code>
101		
102		<i>// pointer for greater element</i>
103		<code>int i = (low - 1);</code>
104		
105		<i>// traverse each element of the array</i>
106		<i>// compare them with the pivot</i>
107		<code>for (int j = low; j < high; j++) {</code>
108		<code>if (array[j] <= pivot) {</code>
109		
110		<i>// if element smaller than pivot is found</i>
111		<i>// swap it with the greater element pointed by i</i>
112		<code>i++;</code>
113		
114		<i>// swap element at i with element at j</i>
115		<code>swap(&array[i], &array[j]);</code>

```

main.c  data.txt  ⋮
114     // swap element at i with element at j
115     swap(&array[i], &array[j]);
116 }
117 }
118
119 // swap the pivot element with the greater element at i
120 swap(&array[i + 1], &array[high]);
121
122 // return the partition point
123 return (i + 1);
124 }
125
126 void quickSort(long array[], int low, int high) {
127     if (low < high) {
128
129         // find the pivot element such that
130         // elements smaller than pivot are on left of pivot
131         // elements greater than pivot are on right of pivot
132         int pi = partition(array, low, high);
133
134         // recursive call on the left of pivot
135         quickSort(array, low, pi - 1);
136
137         // recursive call on the right of pivot
138         quickSort(array, pi + 1, high);
139     }
140 }
141
142 void printArray(int A[], int size)
143 {
144     int i;
145     for (i = 0; i < size; i++)
146         printf("%d ", A[i]);
147     printf("\n");
148 }
149
150 int main()
151 {
152     dataInput();
153

```

```

main.c  data.txt  ⋮
152  datainput();
153
154  FILE *fptr;
155  fptr = fopen("data.txt", "r");
156  long arr[99999], arr1[99999], arr2[99999];
157  for (int i = 0; i < 99999; i++)
158  {
159      fscanf(fptr, "%8ld", &arr[i]);
160  }
161  int s = 100;
162
163  printf("Size\tMerge Sort\tQUICK sORT \n");
164  for (int i = 0; i <= 1000; i++)
165  {
166      for (int j = 0; j < 100000; j++)
167      {
168          arr1[j] = arr[j];
169          arr2[j] = arr[j];
170      }
171
172      double diff1,diff2;
173      struct timespec start, end;
174      int i;
175
176      clock_gettime(CLOCK_MONOTONIC, &start);
177
178      int arr_size = sizeof(arr1) / sizeof(arr1[0]);
179      mergeSort(arr1, 0, s);
180      clock_gettime(CLOCK_MONOTONIC, &end);
181
182
183
184      diff1 = (end.tv_sec - start.tv_sec) + (end.tv_nsec - start.tv_nsec) / 1000000000.0;
185
186      clock_gettime(CLOCK_MONOTONIC, &start);
187      quickSort(arr2,0, s);
188      clock_gettime(CLOCK_MONOTONIC, &end);
189      diff2 = (end.tv_sec - start.tv_sec) + (end.tv_nsec - start.tv_nsec)/1000000000.0;
190      printf("%d\t%f\t%f\n", s, diff1, diff2);
191      s+=100;

```

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189      diff2 = (end.tv_sec - start.tv_sec) + (end.tv_nsec - start.tv_nsec)/1000000000.0;
190      printf("%d\t%f\t%f\n", s, diff1, diff2);
191      s+=100;
192  }
193      return 0;
194
195  }
196

```

Conclusion:

In this experiment we have learnt about how to find the run time of divide and conquer algorithm i.e. Merge and Quick sort

Merge sort divides the original array into N subarray of size one each then repeatedly merges two in some order.

Quick sort selects an element as pivot and partitions the array around it. It moves all the element greater than it to its right, then recursively sort the subarrays

Space Complexity :

Merge sort \rightarrow An extra array of size N is needed to store the merged array. Thus space complexity is $O(N)$

Quick sort does not require extra array but complexity depends on pivot. If we select largest or smallest element as pivot there are total N recursive calls. Thus space complexity for such case is $O(N)$. If we manage to partition the array in equal halves each time the size of recursion tree is $\log N$, so its space complexity is $O(N \log n)$.