Task-D: Collinear features and their effect on linear models

```
In [117...
           %matplotlib inline
           import warnings
           warnings.filterwarnings("ignore")
           import pandas as pd
           import numpy as np
           from sklearn.datasets import load iris
           from sklearn.linear_model import LogisticRegression
           from sklearn.linear model import SGDClassifier
           from sklearn.model selection import GridSearchCV
           import seaborn as sns
           import matplotlib.pyplot as plt
           from sklearn import svm
           from sklearn import metrics
           data = pd.read csv('task d.csv')
In [69]:
          data.head()
In [70]:
Out[70]:
                              У
                                                 \mathbf{X}^{\mathbf{*}}\mathbf{X}
                                                           2*y 2*z+3*x*x
                                                                                 w target
          0 -0.581066
                        0.841837
                                 -1.012978 -0.604025
                                                      0.841837 -0.665927 -0.536277
                                                                                        0
          1 -0.894309 -0.207835
                                 -1.012978 -0.883052 -0.207835 -0.917054 -0.522364
          2 -1.207552 0.212034 -1.082312 -1.150918
                                                      0.212034 -1.166507
                                                                          0.205738
            -1.364174 0.002099 -0.943643 -1.280666
                                                      0.002099 -1.266540 -0.665720
          4 -0.737687 1.051772 -1.012978 -0.744934
                                                     1.051772 -0.792746 -0.735054
                                                                                        0
           X = data.drop(['target'], axis=1).values
In [71]:
           Y = data['target'].values
```

Doing perturbation test to check the presence of collinearity

Task: 1 Logistic Regression

1. Finding the Correlation between the features

- a. check the correlation between the features
- b. plot heat map of correlation matrix using seaborn
 heatmap

2. Finding the best model for the given data

- a. Train Logistic regression on data(X,Y) that we have created in the above cell
- b. Find the best hyper prameter alpha with hyper parameter tuning using k-fold cross validation (grid search

CV or

random search CV make sure you choose the alpha in log space)

c. Creat a new Logistic regression with the best alpha (search for how to get the best hyper parameter value), name the best model as 'best model'

3. Getting the weights with the original data

- a. train the 'best_model' with X, Y
- b. Check the accuracy of the model 'best_model_accuracy'
- c. Get the weights W using best_model.coef_

4. Modifying original data

- a. Add a noise(order of 10^{-2}) to each element of X and get the new data set X' (X' = X + e)
- b. Train the same 'best_model' with data (X', Y)
- c. Check the accuracy of the model
- 'best_model_accuracy_edited'
 - d. Get the weights W' using best_model.coef_

5. Checking deviations in metric and weights

- a. find the difference between
- 'best model accuracy edited' and 'best model accuracy'
- b. find the absolute change between each value of W and W' ==> |(W-W')|
- c. print the top 4 features which have higher \$ change in weights

compare to the other feature

Task: 2 Linear SVM

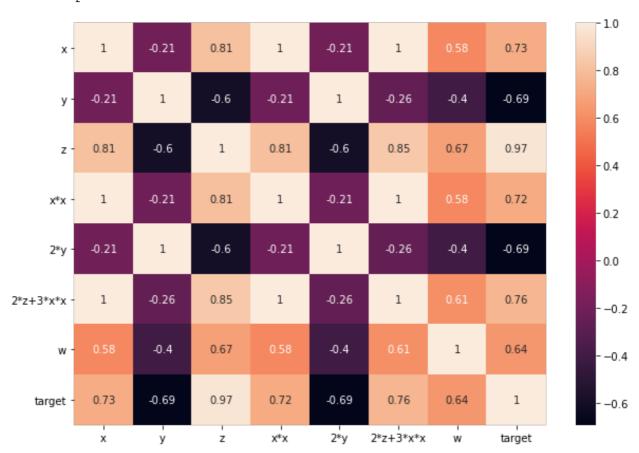
1. Do the same steps (2, 3, 4, 5) we have done in the above task 1.

Do write the observations based on the results you get from the deviations of weights in both Logistic Regression and linear SVM

Task - 1

```
In [59]: fig, ax = plt.subplots(figsize=(10,7))
sns.heatmap(data.corr(), annot = True, ax=ax)
```

Out[59]: <AxesSubplot:>



```
model = LogisticRegression()
In [60]:
          penalty = ['11','12']
          C = np.logspace(1,8,num=5)
          alpha = dict(C=C, penalty = penalty)
          clf = GridSearchCV(model, alpha, cv=5, verbose=0)
          temp = clf.fit(X,Y)
          print("Best alpha:", temp.best_estimator_.get_params()['C'])
          print("Best score:", temp.best_score_)
         Best alpha: 10.0
         Best score: 1.0
In [61]:
          best_model = LogisticRegression(penalty='12', C=10)
          best model.fit(X,Y)
In [80]:
Out[80]: LogisticRegression(C=10)
          y_pred = best_model.predict(X)
In [119...
          best_model_accuracy = best_model.score(X, y_pred)
          print("Accuracy:", best_model_accuracy)
         Accuracy: 1.0
In [82]:
          W = best model.coef
          print(W)
```

```
0.6554970211
         X1 = X + 0.01
In [73]:
In [84]:
         best model.fit(X1,Y)
         y pred1 = best model.predict(X1)
         best model accuracy edited = best model.score(X1, y pred1)
         print(best model accuracy edited)
         W1 = best_model.coef_
         print(W1)
        1.0
        [ 1.10392869 -1.31306492 2.97744834 0.97946819 -1.31306492 1.24100273
           0.6555922711
         best_model_accuracy_edited - best_model_accuracy
In [85]:
Out[85]: 0.0
In [87]:
         diff in weights = abs(W1-W)
         print(diff in weights)
         [[2.51415473e-05 1.33256522e-05 2.53241049e-05 5.30064630e-05
          1.33256522e-05 4.61560009e-05 9.52478348e-05]]
         feature_names = data.drop(['target'], axis=1).columns.tolist()
In [142...
         top ind pos=np.argsort(diff in weights[0])[::-1][:4]
In [112...
         top_features=np.take(feature_names,top_ind_pos)
         print(top_features)
         ['w' 'x*x' '2*z+3*x*x' 'z']
```

Observation:

- In heatmap image, the number tells correlation between each and every feature.
- The darker the color is, the least there is correlation between the features. The colors help in visualizing in a better way
- Using logspace for alpha, and I2 regularization, we get the accuracy of 1 and some weights assigned to the features.
- When noise of order of 10^-2 is added to data, the accuracy remains same.
- However, there is a slight difference visible in weights.
- ['w' 'xx' '2z+3xx' 'z'] are the features with higher difference in the weights before and after noise is added.

Task - 2 (Linear SVM)

```
In [133... clf = svm.SVC(kernel='linear', C=1)
    clf.fit(X,Y)
    y_pred_svm = clf.predict(X)
```

```
In [139...
          clf accuracy = metrics.accuracy score(Y, y pred svm)
          print("Accuracy:",clf_accuracy)
         Accuracy: 1.0
          print(clf.coef )
In [135...
          W2 = clf.coef
          # [[ 1.10390355 -1.31307824 2.97742302 0.97952119 -1.31307824 1.2410488
               0.65549702]]
           [ [ \ 0.42059793 \ -0.36090175 \ \ 1.04442829 \ \ 0.34263578 \ -0.36090175 \ \ 0.43447147 ] ] 
             0.17056102]]
          clf.fit(X1,Y)
In [136...
          y_pred2 = clf.predict(X1)
          clf_accuracy_edited = clf.score(X1, y pred2)
          print(clf_accuracy_edited)
          W3 = clf.coef
          print(W3)
         1.0
          [[ 0.42059794 -0.36090176 1.04442829 0.34263578 -0.36090176 0.43447147
             0.17056109]]
          clf accuracy_edited - clf_accuracy
In [140...
Out[140... 0.0
In [144...
          diff_in_weights_svm = abs(W2-W3)
          print(diff in weights svm)
          [[7.43466255e-09 7.75015030e-09 3.76125131e-10 9.42298461e-11
            7.75015030e-09 1.30218003e-10 6.79247940e-0811
          top_ind_pos=np.argsort(diff_in_weights_svm[0])[::-1][:4]
In [145...
          top_features_svm=np.take(feature_names,top_ind_pos)
          print(top_features_svm)
```

Observation:

['w' '2*y' 'y' 'x']

- Using logspace for alpha, and I2 regularization, we get the accuracy of 1 and some weights assigned to the features.
- When noise of order of 10^-2 is added to data, the accuracy remains same.
- However, there is a slight difference visible in weights.
- ['w' 'xx' '2z+3xx' 'z'] are the features with higher difference in the weights before and after noise is added.