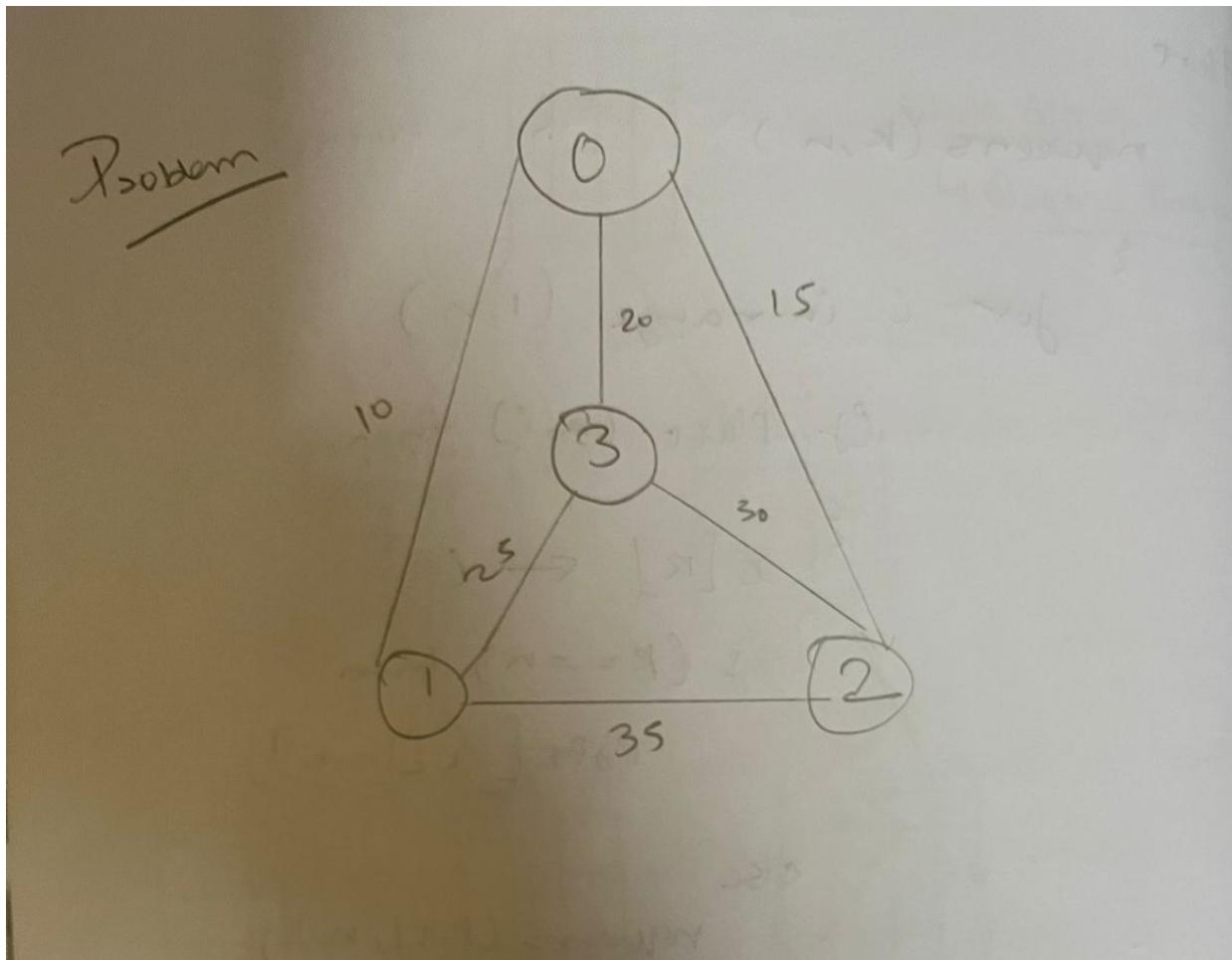


EX2

Developing Agent Programs for Real-World Problems



Experiment 2

Traveling Salesman Problem

AIM ~ To find the shortest possible route for a traveling salesman who have to visit multiple cities given the condition he can only visit them once and return back to the starting city.

ALGORITHM

- Consider city ① as the starting and ending point. Since the ~~starting~~ route is cyclic, we can consider any point as a starting point.
- Generate all $(n-1)!$ permutations of cities

- Calculate the cost of every permutation and keep track of minimum cost permutation
- Return the permutation with minimum cost.

Possible Solution

Minimum weight of the hamilton cycle

$$\text{Dist}(0-1) + \text{Dist}(2-3) + \text{Dist}(3-2) \\ + \text{Dist}(2-0)$$

$$= 10 + 25 + 30 + 15 = 80$$

```
from sys import maxsize
from itertools import permutations
v=4

def tsm(graph,s):

    vertex=[ ]

    for i in range(v):
        if i!=s:
            vertex.append(i)

    pvertex=[0,vertex]
    print("vertex",pvertex)
    min_path=maxsize
    next_p=permutations(vertex)

    for i in next_p:
        current_pw=0

        k=s
        print("Path",i,"-",end=" ")
        for j in i:

            print(graph[k][j],end=" ")
            current_pw+=graph[k][j]

        k=j

        print(graph[k][s],end=" ")
        current_pw+= graph[k][s]
        print("- Weight:",current_pw)

        min_path = min(min_path, current_pw)
```

```
return min_path

if __name__ == "__main__":
    graph = [[0, 10, 15, 20], [10, 0, 35, 25],
              [15, 35, 0, 30], [20, 25, 30, 0]]

    s = 0
    print("\nMinimum weight of Hamiltonian Cycle : ", tsm(graph, s))
```

```
vertex [0, [1, 2, 3]]
Path (1, 2, 3) - 10 35 30 20 - Weight: 95
Path (1, 3, 2) - 10 25 30 15 - Weight: 80
Path (2, 1, 3) - 15 35 25 20 - Weight: 95
Path (2, 3, 1) - 15 30 25 10 - Weight: 80
Path (3, 1, 2) - 20 25 35 15 - Weight: 95
Path (3, 2, 1) - 20 30 35 10 - Weight: 95

Minimum weight of Hamiltonian Cycle : 80
```