

**Section 1.1, Problem 4**

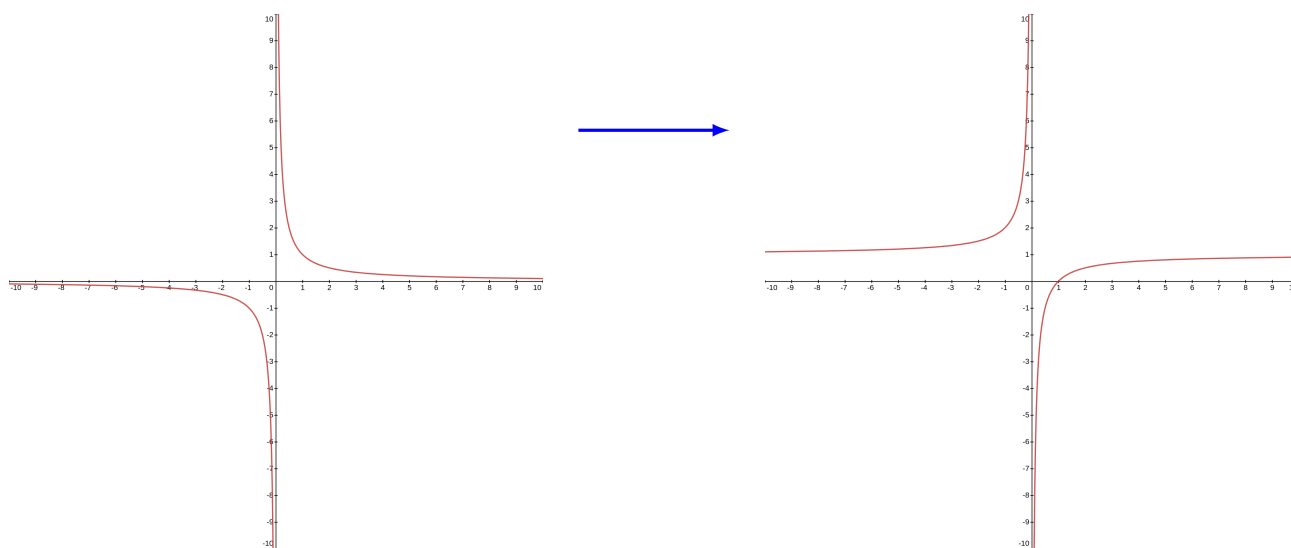
- (a)  $f(-4) = -2$  and  $g(3) = 4$ .
- (b) For  $x = -2$  and  $x = 2$ .
- (c) The solutions are  $x = -3$  and  $x = 4$ .
- (d) On  $(0, 4)$ .
- (e)  $\text{Dom}(f) = [-4, 4]$  and  $\text{Ran}(f) = [-2, 3]$ .
- (f)  $\text{Dom}(g) = [-4, 3]$  and  $\text{Ran}(g) = [0.5, 4]$ .

**Section 1.2, Problem 6**

The denominator must never vanish. So we find where  $1 - \tan x = 0$ . This occurs when  $1 = \tan x$ , which is equivalent to  $x = \pi/4 + k\pi$  where  $k$  is any integer. Also, the domain of the  $\tan$  function is  $(-\infty, \infty) \setminus \{\pi/2 + k\pi : k \in \mathbb{Z}\}$ . So  $\text{Dom}(f) = (-\infty, \infty) \setminus \{\pi/4 + k\pi, \pi/2 + k\pi : k \in \mathbb{Z}\}$ .

**Section 1.3, Problem 12**

We see that the function  $y = 1 - 1/x$  is a reflection of the graph of  $1/x$  about the  $x$ -axis and a upward translation of 1 of the resulting graph. It should look like this:



**Section 1.3, Problem 48**

Let  $f(x) = x/(1+x)$  and  $g(t) = \tan t$ . Then we see that  $u(t) = f \circ g(t)$ .

**Section 1.4, Problem 8**

(a) (i)  $v_{ave} = \frac{s(2)-s(1)}{2-1} = 3 - (-3) = 6 \text{ cm/s.}$

(ii)  $v_{ave} = \frac{s(1.1)-s(1)}{1.1-1} \approx -4.7120 \text{ cm/s.}$

(iii)  $v_{ave} = \frac{s(1.01)-s(1)}{1.01-1} \approx -6.1341 \text{ cm/s.}$

(iv)  $v_{ave} = \frac{s(1.001)-s(1)}{1.001-1} \approx -6.2683 \text{ cm/s.}$

(b) We first give an estimation using a point on the left side of 1, say 0.999. We get  $v_{ave} \approx -6.2746 \text{ cm/s.}$  So we estimate the instantaneous velocity as

$$v \approx \frac{-6.2683 + (-6.2746)}{2} = -6.2714 \text{ cm/s.}$$