

Norm approx always is <

Chap 8

Cont. Corr.

exact value = $\binom{n}{k} (\pi)^k (1-\pi)^{n-k}$

norm approx = Z of $\frac{K-M}{\sigma}$

same as norm appr
just take .5 away from
values

Poisson rand var

Chap 9

$e^{-\lambda} \left(\frac{\lambda^y}{y!} \right)$ $\lambda = n\pi$ $\sigma = \sqrt{\lambda}$
 $\text{Var}(y) = \lambda$

Poisson also useful ~~easy~~ norm approx
from Chap 8 for exact, and norm

Independence of rand var

Chap 10

$\text{Var}(X+Y) = \{E(X^2) + 2E(XY) + E(Y^2)\}$

$\Pr(E \text{ and } F) = \Pr(E)\Pr(F)$

state Ho, reject region
use it to answer

$\Pr(y) = 1$ inside = 1

14. Sample of 100 38 say they are past
data = 3090 sig of 90

x	y
0	1
1	0
2	1
3	0

Z test $\bar{X} = 630$, $S = \sigma = 80$

Chap 12

So $\bar{X} = 625.16$ $630 > 625$

$\mu = 612$, $n = 100$, $\alpha = 5\%$

$\frac{\bar{X} - \mu}{\sigma/\sqrt{n}} = \frac{625.16 - 612}{80/\sqrt{100}} = 2.95 = 1.6449$

rearrange to find \bar{X} so reject H_0

$H_0: \mu = 612$ $H_a: \mu > 612$

2-sided test

$n = 25$ taken $\sigma = 2$ $\mu = 40$ 95% interval

$n = 121$ $\bar{X} = 64$ $K = Kn = .64(121) = 77$

$H_0: \pi = .5$ $H_a: \pi < .5$

$\mu = n\pi = 61.5$ $\sigma = \sqrt{n\pi(1-\pi)} = 5.5$

So rearrange for $K_{.95}$

So $\pi = .5/2 = .25 \rightarrow K_{.975} = 61.5$

$= \pm 2.975 = 1.96 \rightarrow K_{.975} = 61.5 \pm 1.96$

exam 1

exam questions

least 1 T = 1 - all heads

Q1) $P(\cdot) = \frac{2}{3}$, all heads = $\left(\frac{2}{3}\right)^3 = \frac{8}{27}$, the same = $\left(\frac{2}{3}\right)^3 + \left(\frac{1}{3}\right)^3 = \frac{1}{3}$, 2 H's = $\left(\frac{2}{3}\right)\left(\frac{1}{3}\right)$

exam 2

Q3) 600 rolls of a die $\frac{100}{6}$, give or take $\frac{9.13}{6}$ $\mu = n\pi = 600\left(\frac{1}{6}\right) = 100$

Q2) n girls of X children $\left(\frac{1}{2}\right)(.5)^n(.5)^{n-1}$ $\sigma = \sqrt{n\pi(1-\pi)} = 9.13$

Q4) 25% inc call 25 calls $\left(\frac{25}{n}\right)(.25)^n(.75)^{n-1}$

Q6) Type 1 is if die is fair, Type 2 is die is loaded

exam 3

Q1) $\int_{-\infty}^{\infty} f(t) dt = \int_{-1}^x (t^2 + 2t) dt = (t^3 + 2t^2) \Big|_{-1}^x = (x^3 + 2x) - (-1 - 2) = x^3 + 2x + 1$

Q2) $\Pr(-1 \leq X \leq 1) = \Pr(X \leq 1) - \Pr(X < -1) = F(1) - F(-1) = 1 - \frac{1}{2}e^{-1} - \left(\frac{1}{8}(1 - 4 + 1)\right) = \frac{3}{8} - \frac{1}{2e}$

Q3) $\pi = .05$ $\mu = n\pi = 10$ $\sigma = \sqrt{n\pi(1-\pi)} = \sqrt{9.5}$
 $\Pr(8 \leq X \leq 12) = \Pr(9.5 \leq X \leq 11.5) = \Pr\left(\frac{9.5-10}{\sqrt{9.5}} \leq Z \leq \frac{11.5-10}{\sqrt{9.5}}\right) = .3735$

Q4) $\mu = 100$ $\sigma = 15$ both 1 & test $\frac{Y - \mu}{\sigma} = \frac{100}{15} = 2.8 = 2.8416 \rightarrow X = 112 = 113$

Q5) chebs of 2.5 $\rightarrow 1 - \frac{1}{2.5^2} = 1 - .16 = .84$

Q6) 4 break, 2 months $\lambda = 3 \cdot 2 = 6$ so $= e^{-6} \left(\frac{6^0}{0!} + \frac{6^1}{1!} + \frac{6^2}{2!} + \frac{6^3}{3!} + \frac{6^4}{4!} \right) = .2851$

Q8) exp with mean 10 min
 $f(x) = \begin{cases} \frac{1}{10}e^{-\frac{x}{10}}, & t \geq 0 \\ 0, & \text{elsewhere} \end{cases}$
 $\Pr(8 < t < 12) = \Pr(t \leq 12) - \Pr(t \leq 8)$
 $= F(12) - F(8) = e^{-.8} - e^{-1.2} = .1481$

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