

DBMS

Database Management system

collection of inter related } Database system
data & their relationships }

handled → set of programs } DBMS
(collection of operations)

Operations for handling data

- create
- in sort
- update
- modify
- delete
- append

→ Problems / Redundancies in DBMS

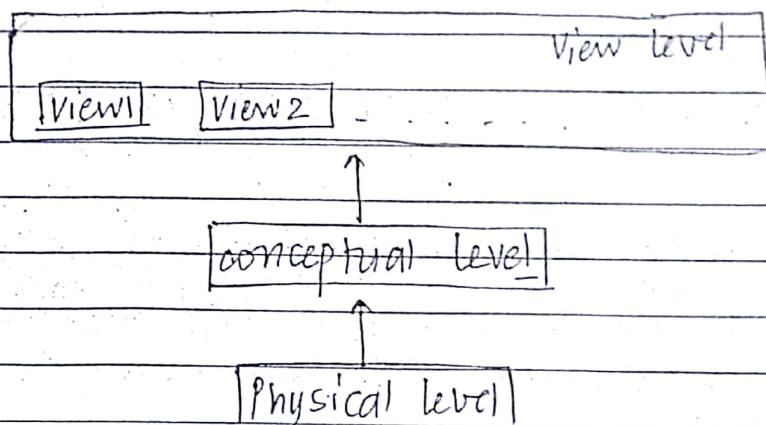
 → Wrong info should not be present

 info should not
 be present at
 many places unless
 necessary

- Data redundancy and inconsistency
- Difficulty in accessing data
- Data isolation → Each data should be independent of another
- Integrity problem
- Atomicity problem → In case of system failure also, data in the DB should remain consistent
- Concurrent access problem
- Security problems

→ Views of Data (DATA ABSTRACTION)

1. Physical view → logical physical level (how data is stored)
2. Logical view → conceptual level (what data is stored & relationships)
3. Views → user level / view level (applications / programs or how it will be used)



* Physical level data can only be changed by the administration.

→ Instances and Schemas → Overall design of a database

Database information
at a particular pt. of time

Schema

	S.No.	NAME	CLASS	ROLL NO.
Instance, (contains in table)				

Instances & Schemas are as follows:

Physical schema \rightarrow physical level

DDL

Logical schema \rightarrow logical level

Subschema \rightarrow highest level / view level / intermediate level.
(DML)

All the work done on physical and logical level is done through subschema it is known as intermediate level.

→ Data independence

ability to change physical logical schemas without affecting their data definition.

- * Physical data independence: ability to change physical schema definition without causing the application program to be re-written.
- * Logical data independence : same definition
physical \leftrightarrow logical

→ Data Models

- * Object oriented data Model : used for describing data in all the 3 levels

Submodels of object oriented / based data model:

- ⇒ Entity relationship model
- ⇒ Object oriented model (collection of objects which will be variables called)
- ⇒ Binary model : [C++]
- ⇒ Semantic data model
- ⇒ functional data model

* Record based data Model

- ⇒ Relational model (relations/ relationships) tables
- ⇒ Network model (linked lists)
- ⇒ Hierarchical model (collection of nodes)

X Physical data model

⇒ Unifying model

⇒ Frame memory model

→ Database languages

DDL (Data Definition Language) → data dictionary
meta data
data storage

DML (Data Manipulation Language)

Procedural query language

procedure to get
data is defined

Non-Procedural query language

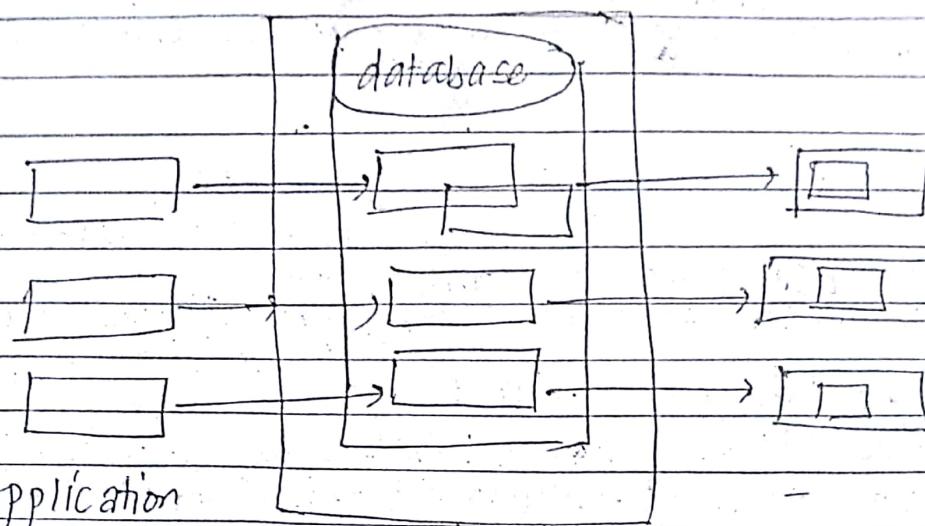
data is defined but
procedure is not

Relational algebra

Tuple relational calculus

Domain relational calculus

→ Data, hardware
software
users } Components of DBMS



→ Transaction Management

↓
requirement : all transactions/ operations should be independent.

Transaction manager manages the operations.

→ Storage Management

Storage manager is an application program that manages storage.

functions of Storage manager:

- (I) Interaction with file manager
- (II) Integrity Enforcement
- (III) Security Enforcement
- (IV) Backup & Recovery
- (V) Concurrency control

Data base administrator

- ⇒ gives schema definition
- ⇒ decide storage structure
- ⇒ decide access methods
- ⇒ give physical organization
- ⇒ give grantings of authorization
- ⇒ define integrity constraints

→ TYPES OF USERS

- ① Application Programmers
- ② Sophisticated Users
- ③ UnSophisticated users
- ④ Naive users

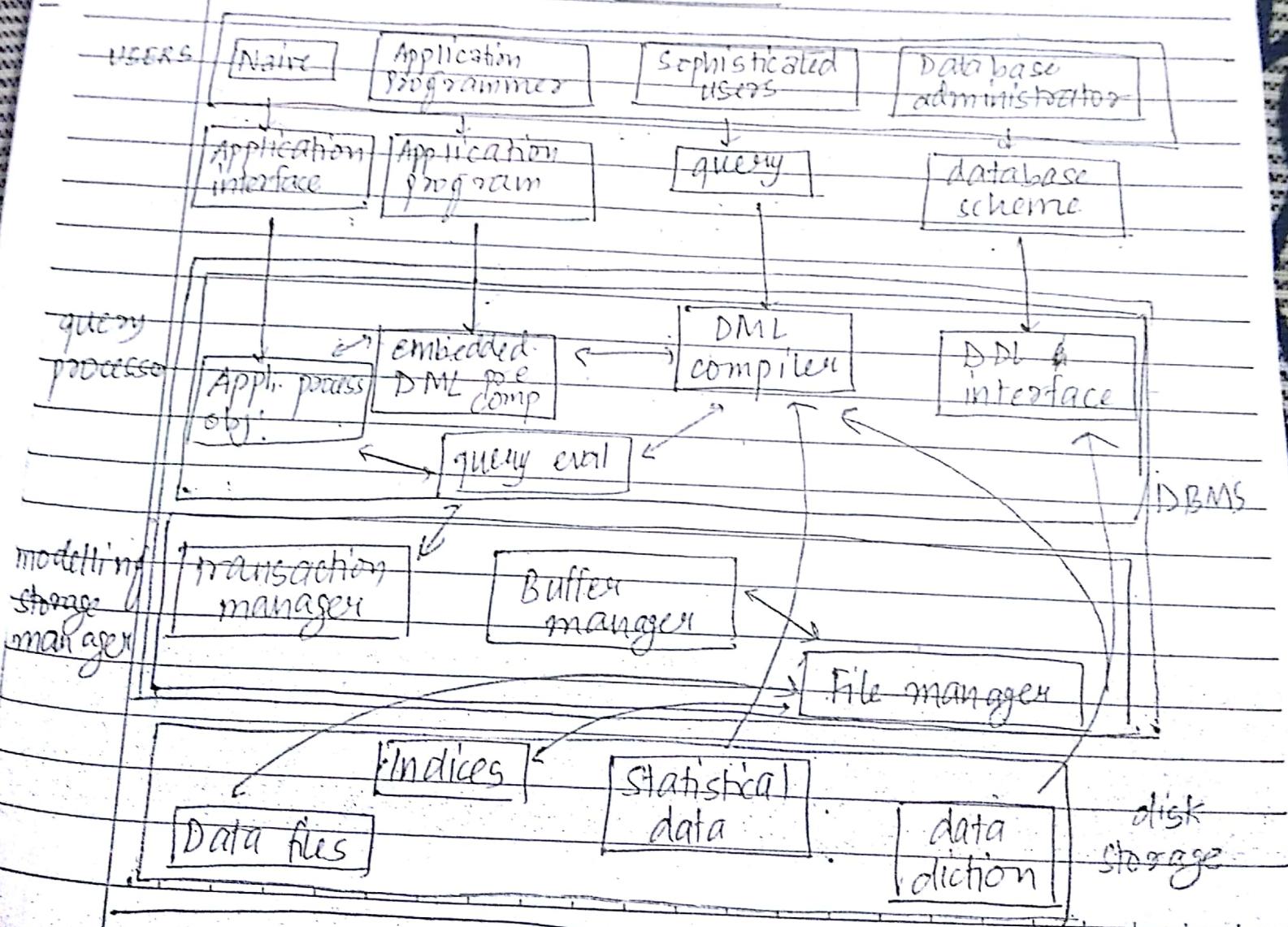
↓
just use the
application interface
(of my application)

do the coding part

interact with the system without
writing the application
(query language)

specialised users which design the
- database network framework
knowledge base
- expert systems
- environment modelling

→ OVERALL STRUCTURE OF DBMS

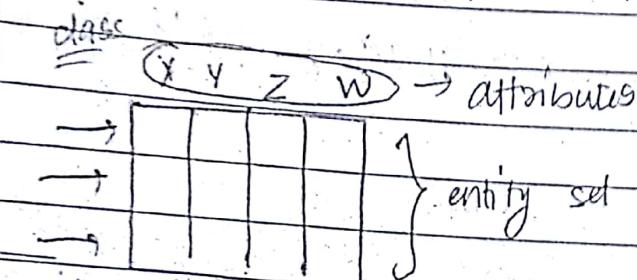


→ ER Model (Entity Relationship Model)

- * entity sets.
- * relationship sets.
- * attributes

* entity → object / thing

* entity set → collection of information



* attributes → describing items

* relationship sets → colln. of info in relationships b/w diff. entities.

Relationships / Mapping

One to one	One to Many	Many to one	Many to Many
------------	-------------	-------------	--------------

(\leftrightarrow)

(\leftarrow)

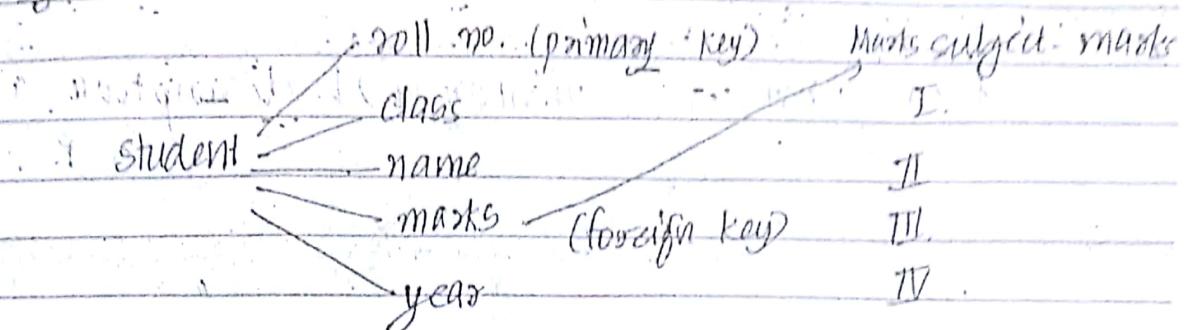
(\rightarrow)

$(-)$



Attributes

Eg:



Super-key: roll no. + class

+ name

+ marks

+ year

Candidate key: class

class + name

marks + year.

→ Super-key should contain primary key always.

→ Relationship Set

entity — relationship

Attributes = prim(E)UR → all keys of relationship.

primary key
of entity set

primary key: primary (E) V primary (R)

If and no primary(R) exists,

then primary : primary(E) \vee descriptive attrib.
of R.

attribute to describe R

If there is more than one entity

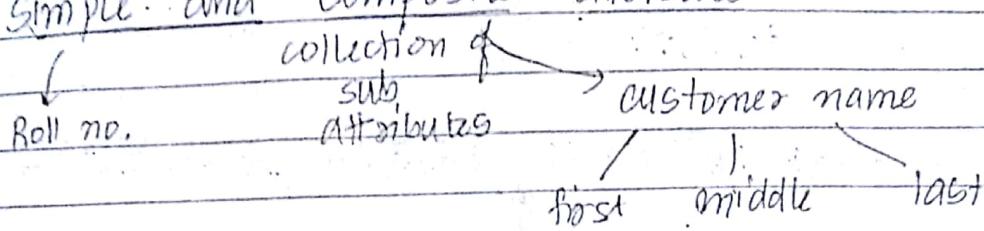
then

primary : primary(E₁) \vee primary(E₂) \dots UR

⇒ If there is no primary key of the entity set, then we say that it is a WEAK ENTITY SET.

→ Attributes

① Simple and Composite attribute



OR

first name
surname

② Single valued and multivalued

cannot have more
than one value
(Loan number)

↳ phone no.
dependants.

③ Null attribute → dependants (may be a person has no dependents: father, mother...)

Null value

NAN → not applicable

④ Derived attribute

↳ calculated

age → present date - date of birth

experience → present date - date of joining

→ Relationships b/w entities

a) entities → binary

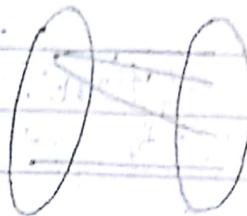
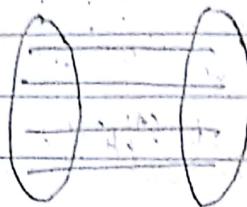
b) → ternary

c) n-ary

department — work-emp.

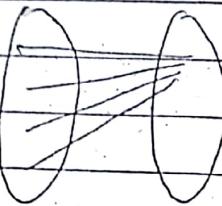
↓ ↑
project

→ Mapping cardinality:

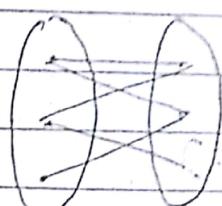


one - one

one to many



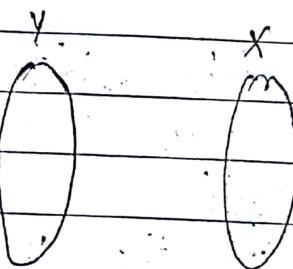
many to one



many to many

→ Existence dependency:

Loan entity: depends on customer (if he has taken loan or not)



TOTAL

RELATIONSHIP

customer : loan entity : payment

depends on loan entity

if Y is deleted, X & Z will be deleted.

* Thus $Y \rightarrow$ dominant entity.
 $X \rightarrow$ subordinate entity

- o Any relationship is said to be TOTAL if atleast one entity set depends on another.
- o Any relationship is PARTIAL b/w entity E & relationship R. if entity E participates in relationship R. (not dependent)

→ KEY(S)

↓
attribute(s) in entity set which describes the entity.

- o Super key : set of one or more attributes that is taken collectively & it allows to identify the entity in the entity set uniquely.
- o Candidate key : A super key for which no subset is a super key.
- o Primary key : An attribute in the entity set which uniquely identifies the entity in entity set.
unique key
(cannot be further subdivided)
- o Foreign key : for references.

→ entity

entity set →  rectangle

attribute →  ellipse

relationship sets →  diamond

links → lines
 → (many to many)
 → (many to one)

 (One to many)
 (one to one)

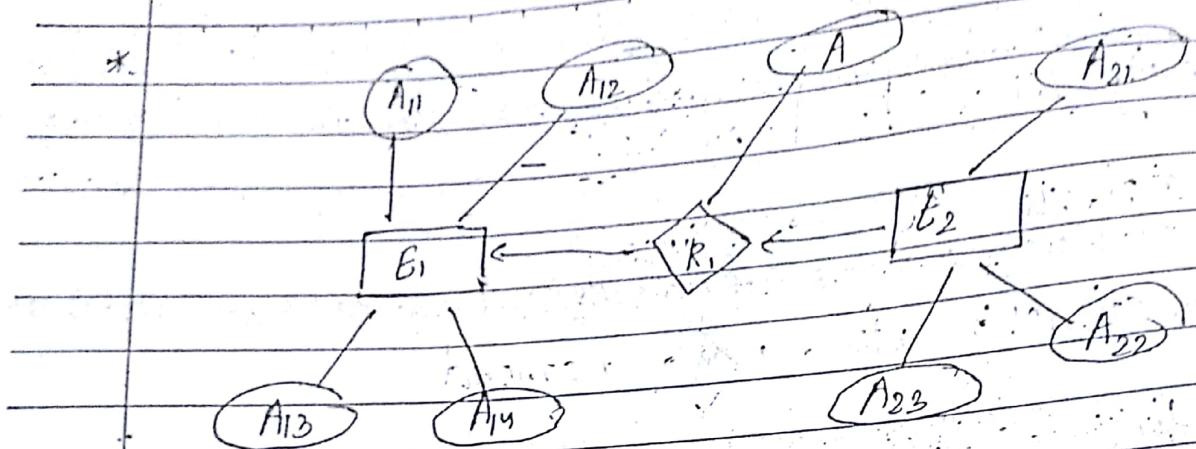
multivalued attribute →  double ellipse

derived attribute →  dashed ellipse

total participation → double line

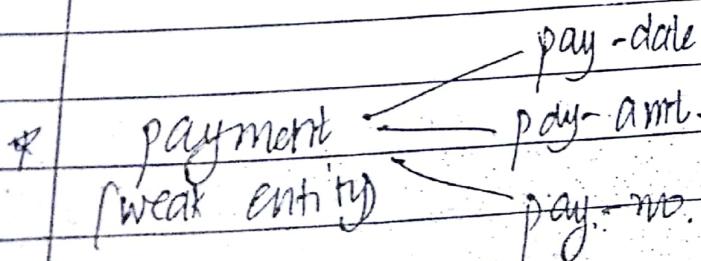
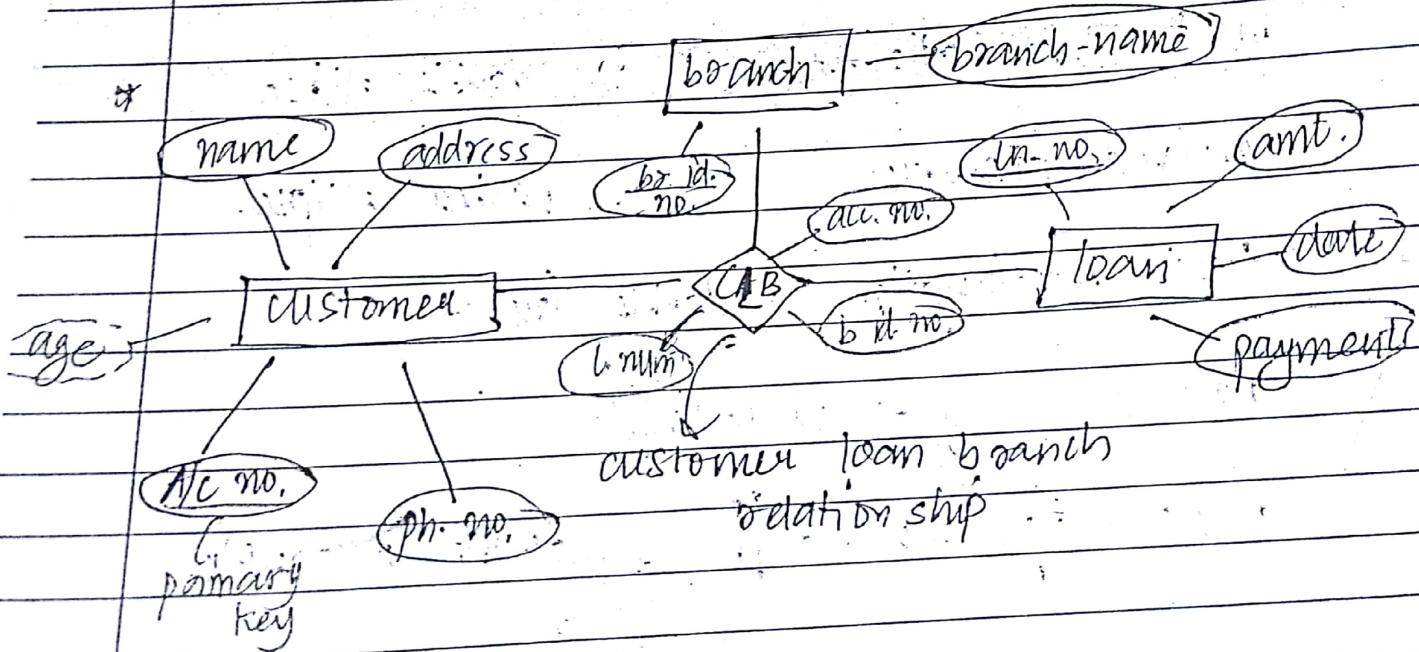
primary key → underlined

weak entity set →  double rectangle



2 entities \rightarrow binary

3 \rightarrow ternary
 $n \rightarrow n\text{-ary}$ relationship





diamond : it is a relationship set
double ◊ : it is weak.

attribute primary key

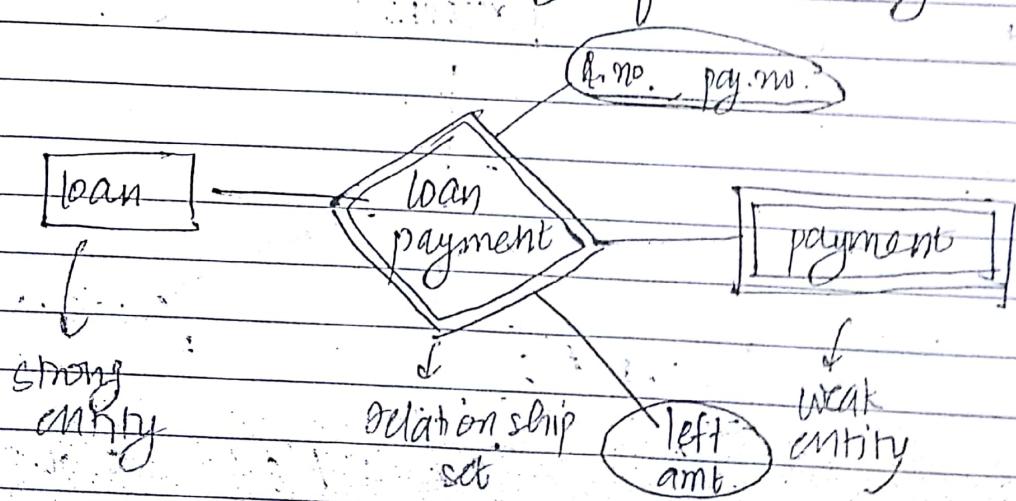
weak entity relationship set

Discriminator → describing attribute of weak entity

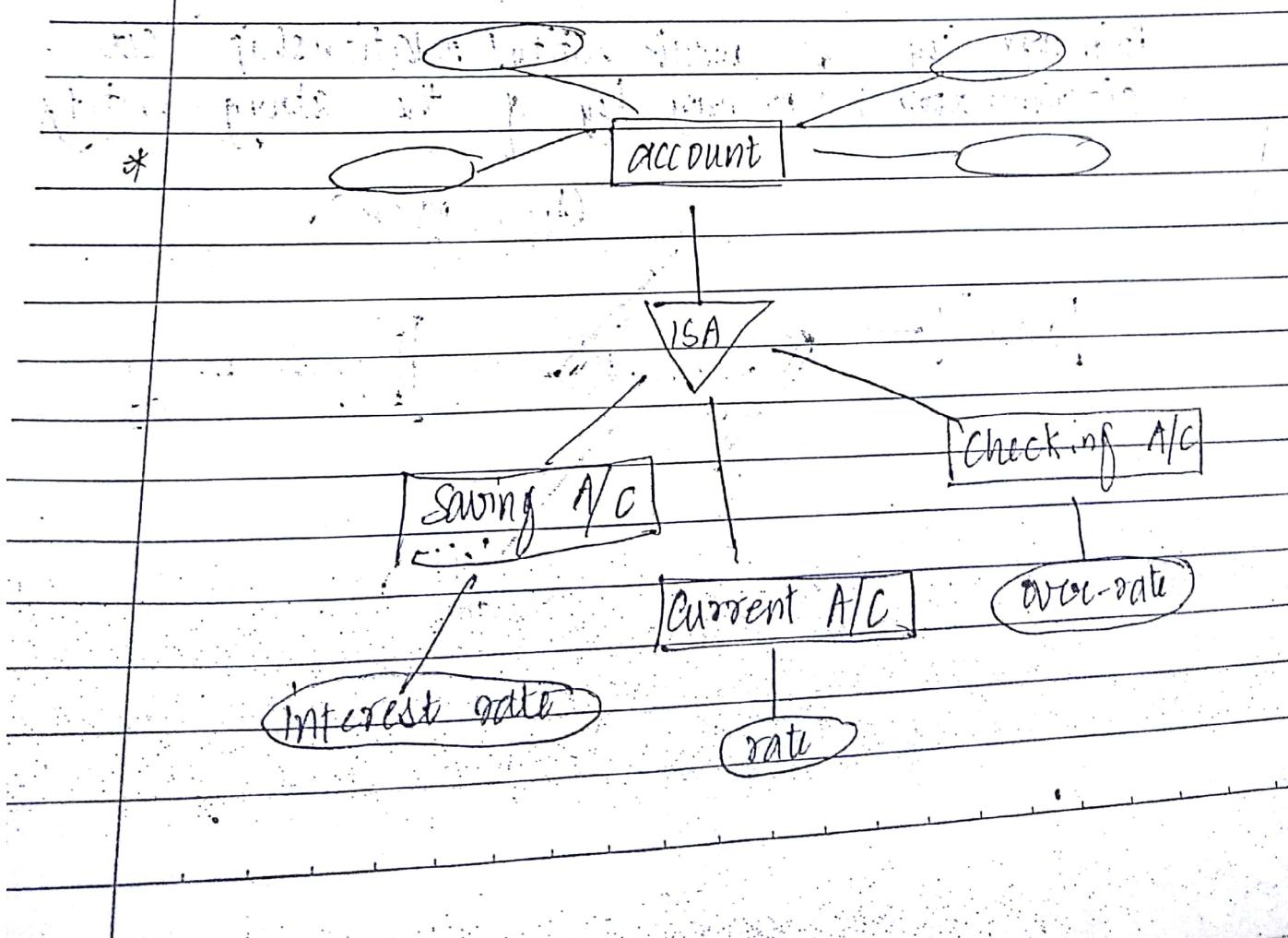
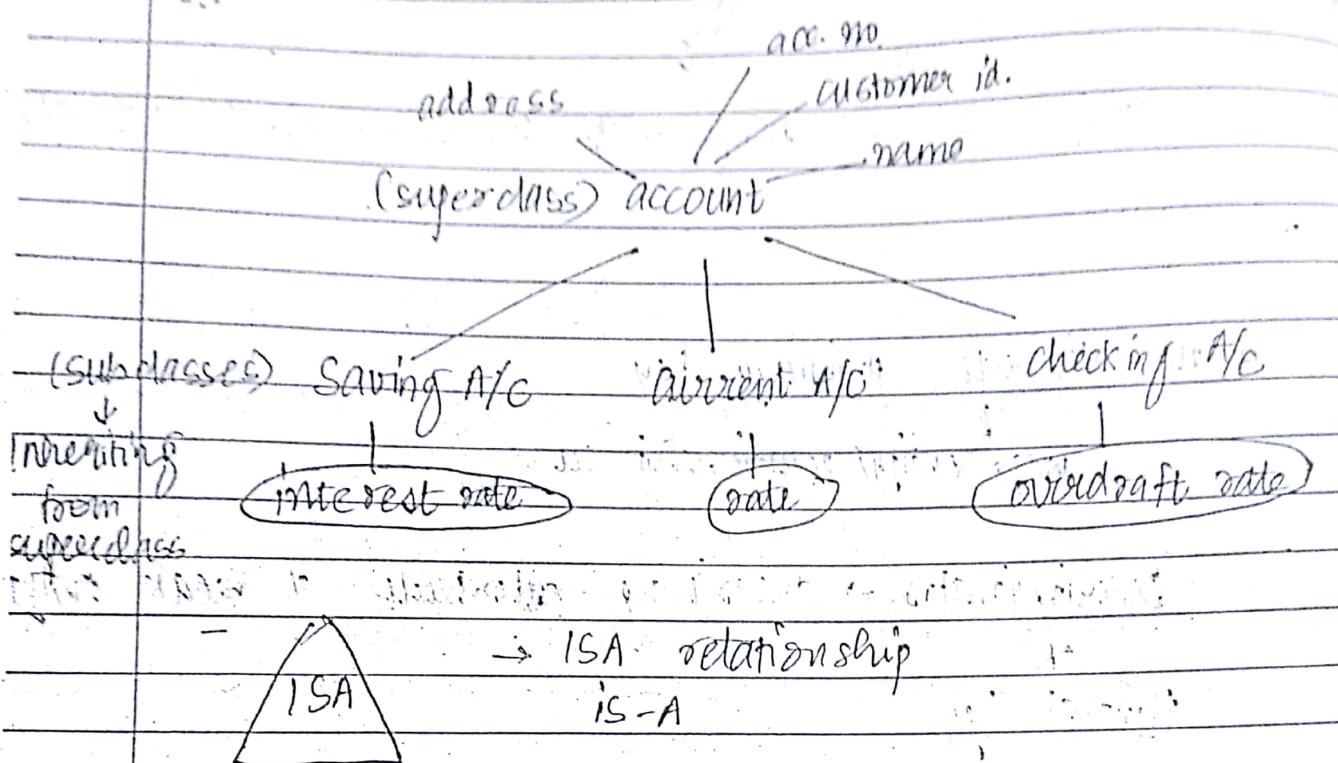
OR

Partial key

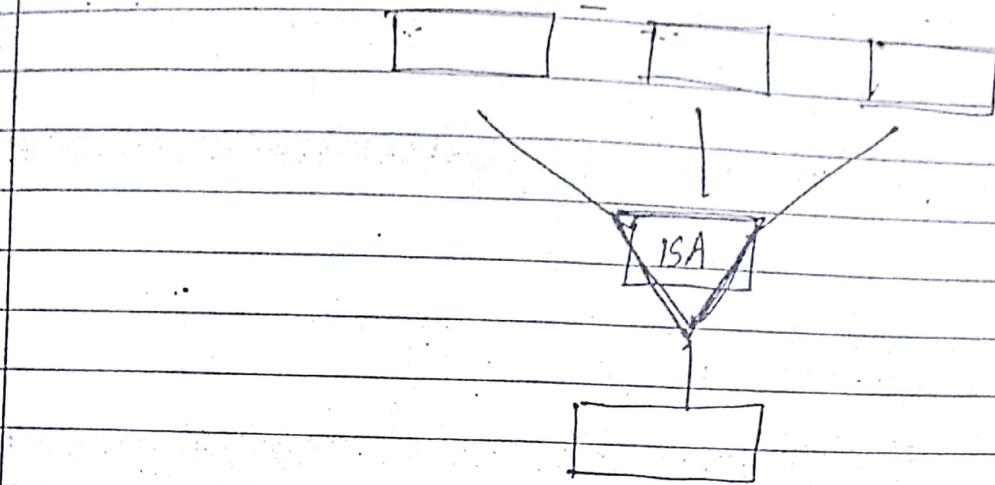
Primary key of weak entity/relationship set is
discriminator + primary key of the strong entity.



(Dividing)
 * Subgrouping of entities into another entity is known as SPECIALISATION (top to bottom)

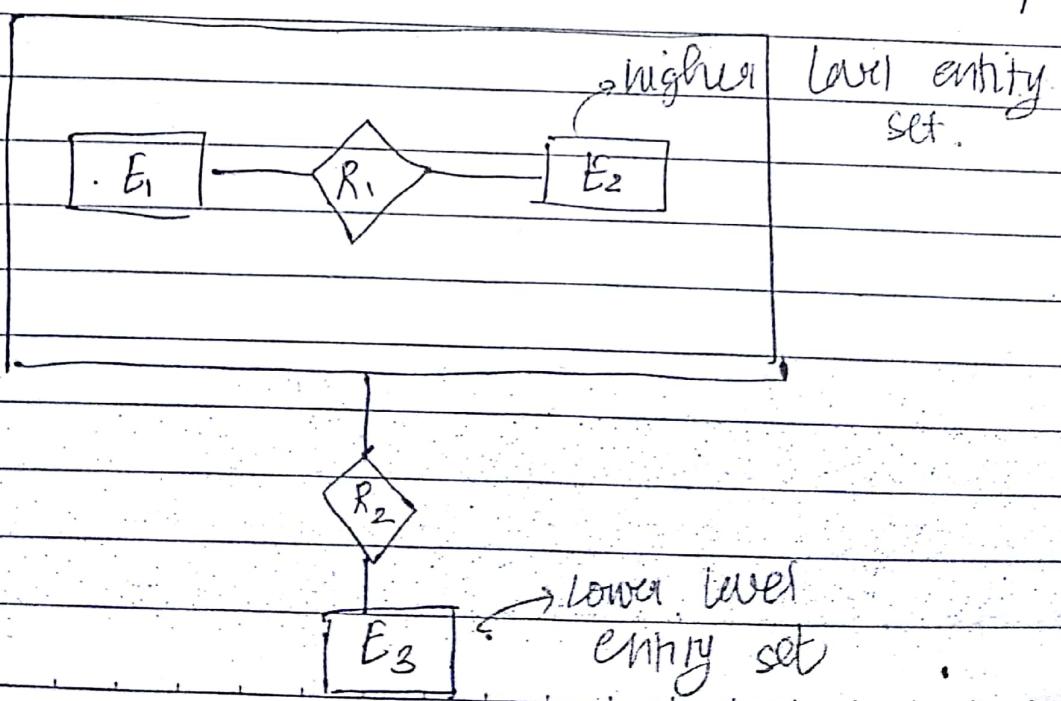


* Combining of groups into one is GENERALISATION
(bottom to top)



* If higher level entity is totally involved in lower level entity \Rightarrow TOTAL-PARTICIPATION
otherwise
PARTIAL

* Aggregation: used to express relationships b/w diff. entities & relationships.



→ Relational Model

attr → columns

entity → table name

entity set → table contents

E_1

rows

	a_1	a_2	a_3	a_n	
t_1					
t_2					
t_3					
t_m	-				-

Size $m \times n$.

columns

Domain of attributes a_1, a_2, \dots, a_n

↓ ↓ ↓

$D_1 D_2 \dots D_3 \dots D_n$

Domain = $D_1 \times D_2 \times D_3 \times \dots \times D_n$

Customer

cust. id	cust. name	cust. add	cust. ph. no.
int (Domain)	String	char	int

→ Database schema

Customer schema = (cust-id, cust-name, cust-add,
cust-ph.no.);

name of table attributes

Customer [cust-id, cust-name, cust-add, cust-ph.no.]

KEYS

{ cust-id } is primary key.

- * Small alphabet = relational table
Capital " " = representation of schema.

* tuple-value : $t_1[k]$

(attribute-key)

$t_1[k] = t_2[k]$ (If 2 customer-id's are same or not)

$t_1[k_1] = t_2[k_2]$

changed both key & attribute

In relationship set

- * If an entity does not have any descriptive attribute, then it will contain primary keys for all the other entities.

in this if E_2

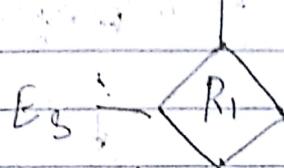


Table: R₁

K ₁	K ₂	K ₃	K ₄

primary keys of
 E_1, E_2, E_3, E_4

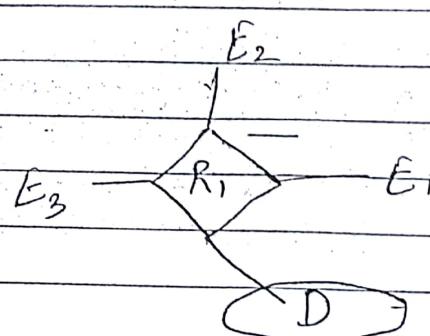
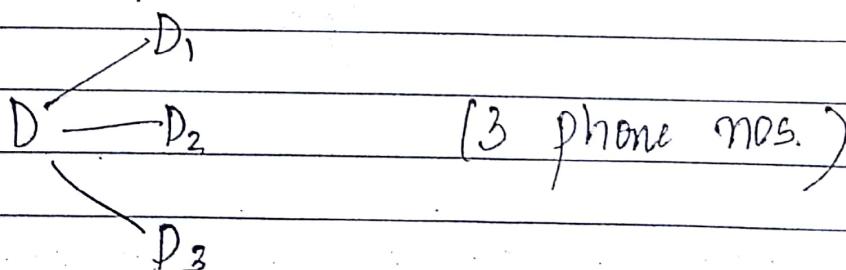


Table R₁

K ₁	K ₂	K ₃	D

- * In case of multivalued attributes, all the attributes belonging to the entity form a column in the table.



multivalued attribute

EVERY LANGUAGE

Procedural

(what we want &
how will we get it)

Relational Algebra

{only what we
want}

Relational Calculus

Tuple

Domain

→ RELATIONAL ALGEBRA

o Set-difference : $r - s$

(a) r & s should have similarity.

(b) domain of r & domain of s must be same for all.

o Cartesian product : renaming $\rightarrow f(x)$

$(r \times s)$

$f_x(E)$

gives name x to exp. E .

will combine all the columns of the table.
(borrow X loan)

For renaming attributes : $f_x(A_1, A_2, \dots, A_n) : E$

new name of
attributes

→ RELATIONAL CALCULUS

Tuple

Domain

$\{t | P(t)\}$

tuple predicate

$\{ t \mid t \in \text{loan} \wedge t[\text{amount}] > 1500 \}$

* $\exists t \in \text{loan}(t[1] = s)$

There exists, t in loan , such that
which satisfies predicate $\theta(t)$

$\{ t \mid \exists s \in \text{loan}(t[1, \text{number}] = s[1, \text{number}] \wedge t[2, \text{amount}] > 1500) \}$

* $\forall : \text{for all}$

* $\{ t \mid \exists s \in \text{borrower}(t[1, \text{cust_name}] = s[1, \text{cust_name}]) \wedge \exists r \in \text{depositors}(t[2, \text{cust_name}] = r[1, \text{cust_name}]) \}$

Properties to be satisfied in tuple calculus:

(1). $s \in r$

where s is a tuple variable & r is a relation

(2). ~~entity~~ $s[x](\theta)y$ \rightarrow composition attribute

s & y are tuple variables, x & y are attributes

(3). $s[x](\theta)c$ \rightarrow operator

s is tuple variable, x is attribute & c is constant.

* atom formula is build up of atoms

Rules:

(I) An independent atom is a formula

(II) If P_1 is a formula, then (negation of P_1) [$\neg P_1$] or $\neg(P_1)$ are also formulas

(III) $P_1 \vee P_2$
 $P_1 \wedge P_2$
 $P_1 \rightarrow P_2$

} are also formulas.

(IV) If $P(s)$ is a formula, then $(\exists s \in r [P(s)])$ is also a formula.

→ Safety of expression

Any expression $\{t | P(t)\}$ is safe if all values that appear in the results are values in the domain of t .

→ DOMAIN RELATIONAL CALCULUS

$\{ \langle x_1, x_2, \dots, x_n \rangle / P(x_1, x_2, \dots, x_n) \}$

domain variables

Predicate

Any formula is an atom.

(a) $\langle x_1, x_2, \dots, x_n \rangle \in \tau$

(b) $x \text{ } \textcircled{H} \text{ } y$

comparison operator ($<$, $>$, $=$, \geq , \neq , \leq)

(c) $x \text{ } \textcircled{H} \text{ } c$

domain variable constant

* FORMULA :

(i) Any atom is a formula.

(ii) If P_1 is a formula then $\neg P_1$ is also a formula

(iii) If P_1 & P_2 are formulas, then $P_1 \vee P_2$, $P_1 \wedge P_2$, $P_1 \rightarrow P_2$ are formulas

(iv) If $P_1(x)$ is a formula, then $\exists x(P_1(x))$, $\forall x(P_1(x))$ are also formulas.

A formula is safe expression if :

- (i) All the values that appear in the supplies of expression are the values from $\text{dom}(P)$.
domain(P)
- (ii) For every $\exists x(P_1(x))$, the sub formula is true if there is a n in $\text{dom}(P_1)$ s.t. $P_1(x)$ is true.
- (iii) For every "for all" sub formula of the form $\forall x(P_1(x))$, the sub formula is true if & only if $P_1(x)$ is true for all the values of x from $\text{dom}(P_1)$.

→ How queries are written?

$\{ \langle b, l, a \rangle \mid \langle b, l, a \rangle \in \text{loan} \wedge a > 1500 \}$
 ↘
 branch with amb.

$\exists l \mid \exists b, a (\langle b, l, a \rangle \in \text{loan} \wedge a > 1500)$

Names of customers who have loan

$\{ c \mid \exists l (\langle c, l \rangle \in \text{borrower} \wedge \exists b, a (\langle b, l, a \rangle \in \text{loan} \wedge b = "ABC")) \wedge \exists a (\langle c, a \rangle \in \text{depositor} \wedge \exists b, n (\langle b, a, n \rangle \in \text{account} \wedge b = "ABC")) \}$

→ OPERATIONS

- 1. Set Instruction, intersection :: $R \cap S = R - (R - S)$
- 2. Natural Join
- 3. Division Operation
- 4. Assignment
- 5. Insert
- 6. Delete
- 7. Update
- 8. Modify
- 9. Creating Views
- 10. Aggregate Functions.

⇒ to find customer who has an a/c as well as have taken a loan.

$\pi_{\text{cust-name}}(\text{borrower}) \cap \pi_{\text{cust-name}}(\text{depositors})$

② Natural Join :: binary operation

$|X|$

↳ combination of cartesian prod. & selection operation.

⇒ customers who have taken loan & amt. of loan:

$\pi_{\text{cust-name}, \text{loan}, \text{amt}}(\text{borrower} |X| \text{loan})$

- or Customers who live in city ABC, have taken a loan, have an acc.

$\exists b.name (\exists cust_city = "ABC" (Customer[X] account[X] depositor),$

&

NATURAL JOIN

full outer join

left outer join

right outer join

$I \times E$

$I \times$

$E \times$

Matched			
X	X	Null	Null
Null	Null	X	X

All entries from left table.
All entries from right table.

(Not matching - tagged with

NULL)

All entries from both left & right table.

- & Extension of Natural Join \leftarrow Theta join

$$\sigma_{\theta} X_1 S = \sigma_{\theta} (X \times S)$$

allows to combine cartesian & selection operation as one.

- (3) Division : \div "for all"

$\exists cust_name, b.name (depositor \times account) \div \exists b.name ($
 $city = "ABC" (branch))$

The following 2 conditions should be satisfied in division

(i) t is in $\pi_{R-S}(r)$
 tuple $\quad \quad \quad$ relation schema (attributes)

(ii) for every ts in S
 ts in r

$$(a) ts[S] = ts[S]$$

$$(b) ts[CR-S] = ts$$

Also division is given by,

$$r \div S = \pi_{R-S}(r) - \pi_{R-S}((\pi_{R-S}(r) \times S) - \pi_{R-S,S}(r))$$

(4). Assignment. (\leftarrow)

$$\text{temp1} \leftarrow \pi_{R-S}(r)$$

$$\text{temp2} \leftarrow \pi_{R-S}((\pi_{R-S}(r) \times S) - \pi_{R-S,S}(r))$$

$$\text{temp3} \leftarrow \text{temp1} - \text{temp2}$$

→ AGGREGATE FUNCTIONS

1. sum
2. avg
3. count
4. max
5. min

→ NUMERIC VALUES AS OUTPUT

- Q) sum of salaries of part-time workers.

$\text{sum}_{\text{sal}}(\text{pt-work})$

- Q) count distinct b-name (pt-work);

similar will count only once

* $\boxed{\text{grouping } G}$ (to group.)

b-name $G \sum_{\text{sal}}(\text{pt-work})$

sum of salaries of workers of many branches

* For n-grouping

$G_1, G_2, G_3, \dots, G_{F_1 A_1, F_2 A_2, \dots}$

⑤. Insertion : $r \leftarrow r \cup B$ ~~new map~~
query triple value
union

⑥ Delete : $r \leftarrow r - E$

⑦ Update : $r \leftarrow \lambda_{E_1, E_2, \dots, E_n} [\sigma_p(r) \cup (r - \sigma_p(r))]$

⑧ View : used if we want to store temporarily

create view V as <query expr>

Eg:

create view all_abc

as λ cust-name ($\sigma_{\text{name} = "ABC"}(\text{depositor IX account})$)

o) View can be created inside another view.

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STRUCTURE
EVERY LANGUAGE

combination of relational
algebra and calculus

SQL

- DDL
- DML
- Embedded DML
- View definitions
- Authorization
- Transaction control
- Integrity constraints

→ Basic constructs

select $A_1, A_2 \dots A_n$
 from $r_1, r_2 \dots r_m$
 where P

$\vdash A_{A_1, A_2 \dots A_n} (\neg (r_1 \times r_2 \dots \times r_m))$

predicate

or If we want that attributes / tuples do not repeat:

select distinct A
 from r
 where P

* select l-num
from loan
where b-name = "ABC"

* If we want to match attributes of diff. tables:

select l-num acc-no.
from loan branch
where ~~l-num~~ loan.l-num = branch.acc-no
acc-no

Rename

select c-name, b-name
from account as A, branch as B

where A.c-name = B.c-name

customer name should be present in both
the tables.

* String: % (to compare)

— (for char)

select
from

where b-name = "ABC%"

b-name = "___"

string starts with ABC
& can extend further

→ string should be if 2 chars.

* like (can be used for strings in place of =)

select

from

where c-city like "%y%

* Dedering

select

from

order by amt. desc, l-num asc.

* Union : eliminates duplicates

or select ()

union

select ()

or select ()
union (all)
select ()

* Intersect / Intersect all

* Except / Except all (minus)

→ AGGREGATE FUNCTIONS IN SQL

sum

avg

max

min

count

- * To find sum of all the balances of accounts in branch XYZ:

Select sum(bal)

From account

Where b-name = "XYZ",

- o For making groups in SQL, use group by

Select b-name, avg(bal)
From account

group by b-name()

optional

- To count distinct tuples of those customers who have both an A/c & have deposited some amt. taken a loan:

Select b-name, count (distinct cust-name)

From depositor, account

Where depositor.acc-num = account.acc-num

group by b-name

• With condition

```
select b-name, avg(bal)
from account
group by b-name
having avg(bal) > 10,000;
```

• to count no. of tuples

```
select count(*)
from account
```

• to find customers who have loan amount as zero

```
select L-num
from loan
where amt. is null
```

• Nesting

```
Select _____
```

```
    select _____
```

```
        select _____
```

(1) set membership (To put one table in another)
in, not in

select distinct cust-name
 from branch, loan
 where borrower, branch-num = loan.l-num
 and b-name like "XYZ"
 and b-name, cust-name
 in (select b-name, cust-name
 from depositor, account
 where depositor.acc-num = account.acc-num)

can be written using intersection.

- * not in : for customers who have taken a loan but do not have an a/c.

(11) Set comparison

$\gamma, \leq, =, \geq, \leq$

γ some, \leq some, $=$ some, \geq some, \leq some

γ all, \leq all, $=$ all, \geq all, \leq all

→ to compare all tuples.

- find all branch names that have highest avg. balance.

select b-name
 from account
 group by b-name

having avg(bal) > all

(select avg. bal. from
firm account
group by b-name)

- to find existence of a relationship use exists, not exists

If there is a relationship bw a & b, then
a not exists b = b except a.

- To find uniqueness of a relationship:

unique, not unique

if there are no
duplicate tuples,

- To find customers who have an alc only at branch "xyz".

Select T.cust-name

from depositor T // renaming (depositor as T)

where unique (select R.cust-name)

from account (depositor R)

where T.cust-name = R.cust-name

and R.acc-num = account.acc-num)

as result (c-name)

→ creates new table result to store ~~the~~ the result

T.cust-name is renamed as c-name

Result

	C-name
1	
2	
3	
4	

→ VIEWS IN SQL

temp. storage

o> Create view V as <query exp>

o> Nesting of views

→ MODIFICATION OF DATABASE

└ Insertion
└ Deletion

delete from α
where P.

insert into table

insert into table values()

→ update

update account

set bal = bal * 1.25

where bal > select avg(bal) // condition also
from account.

→ JOIN OPERATION

- (I) condition join / inner join
- (II) Natural join
- (III) Outer join (left, right, full)

↳ loan (inner join) borrower on loan.l-num = borrower.l-num
 ↳ 1st table second table condition
 as Us (branch, l-num and cust.mst:l-num).

generates new table with the attributes:

↳ loan (natural right outer join) borrower

all the entries of right table will be there

↳ loan (full outer join) borrower using (l-num)

* Find customers who have an a/c but have not taken a loan from any branch.

Select d-CN

from [depositor left outer join borrower on depositor.cust-name = borrower.cust-name]

as db1(d-CN, acc-num, b-CN, l-num)

where b-CN is NULL.

→ DATA DEFINITION LANGUAGE (to define schema)

DOMAIN - char(n).

varchar(n).

int, small int

numeric(p,d) { How many digits & how many decimal places }

real, double

float, date, time

Attributes → Domain

* Create table of (A₁, D₁, A₂, D₂, ..., A_n, D_n)

table name ✓ { integrity constraints } ↗ { Primary key, Null values, candidate key }

{ integrity constraints n }

>Create table branch (b-name char(15) not null,
b-city char(80),
Assets integer,
primary key (b-name)
check (Assets >= 0))

→ INTEGRITY CONSTRAINTS

① Domain constraints.

keyword 'check'

* create table t₁ (A₁D₁, A₂D₂ ... A_nD_n)
<integrity const. 1>
<integrity const. n>

* create table t₂
(

check(bal > 500);

→ keys can also be defined ^{Primary key} _{foreign key}

* create table t₃
(

check(bal > 500);
primary key (no)

(*) Referential integrity

- * Two relations r_1 & r_2 .
- * r_1 has.

t_2 in r_2 , there is no t_1 in r_1 such that
 $t_2[r_2] = t_1[r_1]$

↳ Dangling tuples

- * Two relations $r_1(R_1)$, $r_2(R_2)$
- * Primary key k_1 , k_2

CONDITION FOR REFERENTIAL INTEGRITY.
 A subset of R_2 is a foreign key referencing k_1 in r_1 , if it is reqd. that for every t_2 in r_2 there must be a tuple t_1 in r_1 s.t.
 $t_1[k_1] = t_2[k_2]$

- ↳ To preserve referential integrity in

i) Insertion : $t_1[k] = t_2[\alpha]$ i.e. $t_2[\alpha] \in \pi_k(r_1)$ } For any tuple to be inserted.

ii) Deletion : $\bar{\alpha} = t_1[k](r_2)$

iii) Update → Referenced relation

Referencing relation

• If tuple t_2 is being updated in r_2 , then

$t_2'(d) \in \pi_K(r_1)$
↳ Updated tuple

• If r_1 is updated, $\text{Fkey}(r_2)$

* FOREIGN KEY :

foreign key (b-name) references branch
attribute table

• To define foreign key based on operation:

foreign key (b-name) references branch
on delete cascade
on update cascade
used in some SQL
languages

→ System Constraints

Assertions : a predicate which expresses
conditions which we want that
database should always satisfy

system \Rightarrow trigger

- * create assertion <ass4-name>
check <predicate>
- * create assertion check-sum
 non exists (select * from branch
 where (select sum(amount) from loan
 where loan.b-name = branch.b-name)
 >= (select sum(amount) from account
 where loan.b-name = branch.b-name))

=> TRIGGER (Condition & action)

define trigger overdraft

on update of account T

[if new T.bal < 0

then (insert into loan

values (T.b-name, T.acc-no - new T.bal))

insert into borrower

(select cust-name, acc-no

from depositor

where T.acc-no = depositor.acc-no)

update account S

set S.bal = D

where S.acc-no = T.acc-no.))

J. MSE
→

FUNCTIONAL DEPENDENCY

 $\alpha \subseteq R$ and $\beta \subseteq R$ R is relation schema α, β are attributes.Functional dependency $\alpha \rightarrow \beta$ hold on R if in any legal relation $\gamma(R)$ for all tuples t_1 & t_2 in γ ,such that $t_1[\alpha] = t_2[\alpha]$.

If it's also the case that

$$t_1[\beta] = t_2[\beta]$$

* $\alpha \rightarrow \beta$ (Multivalued func. Dep.)* loan info = { b-name, l-num, cust-name, amt }
schema tables~~L-num → amt~~ ✓~~L-num → b-name~~ ✓~~L-num → cust-name~~ ✗

many customers can have same name

A	B	C	D	$A \rightarrow C \checkmark$
a ₁	b ₁	c ₁	d ₁	$C \rightarrow A \times$
a ₁	b ₂	c ₁	d ₂	
a ₂	b ₂	c ₂	d ₂	$AB \rightarrow D \checkmark$
(a ₂) a ₂	b ₃	(c ₂) c ₂	d ₃	
	b ₃	(c ₂) c ₂	d ₄	

o) Closure of set of FD's $\{F^+\}$

If there is if $A \rightarrow B$, $B \rightarrow C$, then $A \rightarrow C$

(REFLEXIVITY RULE)

t₁, t₂ TRANSITIVITY

$$t_1[A] = t_2[A]$$

$$A \rightarrow B$$

$$t_1[B] = t_2[B]$$

o) $R = (A, B, C, G, H, I)$

$$F = (A \rightarrow B, A \rightarrow C, G \rightarrow H, G \rightarrow I, B \rightarrow H)$$

$$A \rightarrow H \checkmark$$

$$(A \rightarrow B \& B \rightarrow H)$$

o) Reflexivity Rule:

If α is set of attributes

& $\beta \subseteq \alpha$, then $\alpha \rightarrow \beta$ exists.

o) Augmentation Rule:

If $\alpha \rightarrow \beta$ holds

and γ is set of attributes, then

$\delta \alpha \rightarrow \delta \beta$ holds.

• Transitivity Rule: ..

If $\alpha \rightarrow \beta$ holds
and $\beta \rightarrow \gamma$ holds, then
 $\alpha \rightarrow \gamma$ holds.

• Union Rule: If $\alpha \rightarrow \beta$ holds

and $\alpha \rightarrow \gamma$ holds, then
 $\alpha \rightarrow \beta \gamma$ holds.

• Decomposition Rule: If $\alpha \rightarrow \beta \gamma$ holds,
then

- $\alpha \rightarrow \beta$ holds and $\alpha \rightarrow \gamma$ holds.

• Pseudo transitivity Rule: If $\alpha \rightarrow \beta$ holds
and $\delta \beta \rightarrow \gamma$ holds, then
 $\alpha \rightarrow \gamma$ holds.

* $R = (A, B, C, G, H, I)$

$A \rightarrow B, B \rightarrow H$

$$F = \{ A \rightarrow B, A \rightarrow C, \\ (G \rightarrow H, CG \rightarrow I, \\ B \rightarrow H) \}$$

$A \rightarrow H$ (Transitivity)

$CG \rightarrow HI$ (Union Rule)

$A \rightarrow C, CG \rightarrow I$

$AG \rightarrow I$ (P.T Rule)

$$F^+ = \{ A \rightarrow H, CG \rightarrow HI, AG \rightarrow I \}$$

~~AG $\rightarrow H$~~ \rightarrow We take only
those functional
dependences
that do not
derive other
FD's

CLOSURE OF ATTRIBUTE SET (A^+)

Set of all the attributes in F^+

Alg:

```
result = d;  
while (changes to result) do:  
  for each (functional) dependency  
     $B \rightarrow Y$  in  $F$  do  
      begin  
        if  $B \subseteq result$  then  
          -  $result = result \cup Y$   
      end.
```

$$AG = \{A, B, C, G, H, I\}$$

Take FD's corresponding to A, G

$$A \rightarrow B \Rightarrow A, B$$

$$A \rightarrow C \Rightarrow C$$

$$CG \rightarrow H \Rightarrow C, G, H$$

$$CG \rightarrow I \Rightarrow I$$

→ FINDING CANONICAL COVER (Fc)

F_c is set of dependencies s.t. F logically implies all the FD's in F_c & F_c logically implies all the FD's in F .

repeat

use the union rule to replace any dep. in F of the form
 $\alpha_1 \rightarrow \beta$ & $\alpha_1 \rightarrow \beta_2$ with
 $\alpha_1 \rightarrow \beta_1 \beta_2$.

Find a FD $\alpha \rightarrow \beta$ with extraneous attribute either in α or in β .

If an extraneous attribute is found, delete it from $\alpha \rightarrow \beta$.

until F does not change.

* F F.D.

$\alpha \rightarrow \beta$ in F .

(1) attribute A is extraneous in α if $A \in \alpha$, and F logically implies

$$(F - \{\alpha \rightarrow \beta\}) \cup \{(\alpha - A) \rightarrow \beta\}$$

(2) attribute A is extraneous in β if $A \rightarrow \beta$, the set of FD

$$(F = \{A \rightarrow B\}) \vee \{(A \rightarrow (B \rightarrow A))\}$$

logically implies F if and only if

$$\star (A, B, C)$$

$$F = \{A \rightarrow BC \\ B \rightarrow C \\ A \rightarrow B \\ AB \rightarrow C\}$$

$$A \rightarrow BC, A \rightarrow B$$

(B)

$$F_r = \{A \rightarrow B, B \rightarrow C\}$$

$$A \rightarrow BC, AB \rightarrow C$$

$$A \rightarrow B, AB \rightarrow C$$

(A)

→ PITFALLS :

- repetition of information
- Inability to represent certain information

How to remove pitfalls?

1. Decomposition

$$R = \{ R_1, R_2, \dots, R_n \}$$

$$R = R_1 \cup R_2 \cup R_3 \cup \dots \cup R_n$$

$$r \subseteq r_1 \wedge r_2 \wedge r_3 \wedge \dots \wedge r_n$$

$$r_i = \pi_{R_i}(r)$$

$$r \subseteq r_1 \wedge r_2 \wedge r_3 \wedge \dots \wedge r_n$$

* lending-schema = (b-name, b-city, assets, cust-name, l-num, amt)

Decompose the lending schema:

branch-schema = (b-name, b-city, assets, cust-name)

loan-schema = (cust-name, l-num, amt)

• loss less join decomposition

↓
no information must be lost while decomposing

→ Desirable properties of decomposition

(i) loss-less join decomposition.

R, F

loss less join decomp. if at least one of prop. hold in F^+ :

$$R_1 \cap R_2 \rightarrow R_1$$

$$R_1 \cap R_2 \rightarrow R_2$$

(ii) Dependency Preservation.

- restriction of F to R_i is set of FD's in F^+ that includes only attributes of R_i .

ALG D:

$$D = \{ R_1, R_2, \dots, R_n \}$$

F

compute F^+

for each R_i in D do

begin

F_i = the restriction of F^+ to R_i

end

$F' = \emptyset$

for each restriction F_i

begin

$$F' = F' \cup F_i$$

end

Compute P^t :

If ($P^t = P^*$) then

return true;

Use ~~book~~

return false;

(ii).

No repetition of information

* See examples from book

NORMALIZATION

decomposition of information

1st normal form \rightarrow when data does not have any redundant information.

2nd

3rd

BCNF

4th NF

5th NF

6th NF

based on FD's

{not in syllabus}

based on multivalued FD's

\rightarrow BCNF : Boyce - Codd Normal form

R is in BCNF if & only if

set of FD's for all FD's in F^+ of the form

$X \rightarrow Y$ where $X \subseteq R$, $Y \subseteq R$

atleast one of the properties hold:

- $X \rightarrow Y$ is a trivial FD

i.e. $Y \subseteq X$.

- X is a superkey for schema R.

* Eg : cust-schema = (cust-name, cust-street, cust-city)

cust-name \rightarrow cust-street, cust-city

* Branch-schema = (b-name, assets, b-city)

b-name → assets, b-city

* Loan-info-schema = (b-name, aust-name, l-number, amt)

l-number → amt, b-name; (not a BCNF)

l-number is not a superkey
l-number, b-name is a superkey.

Decomposition:

loan-schema = (b-name, l-num, amt)] loss less

borrower-schema = (aust-name, l-num)] join decomp.
(now in BCNF)

at Alg o

result = {}

done = false;

complete F+;

while (not done) do

if (there is a schema R_i in result that is
not in BCNF)

then

begin

let $\alpha \rightarrow \beta$ be a non trivial FD
that holds on R_i such that

$\alpha \rightarrow R_i$ is not in F^+ and $\alpha \cap B = \emptyset$.
 result = (result - R_i) U $(R_i - B)U(\alpha, B)$.

end

else done = true;

→ 3rd Normal Form (3NF): Weaker Normal Form

Properties:

- $\alpha \rightarrow B$ is trivial F.D.
- α is a superkey of R
- Each attribute A in $B \rightarrow \alpha$ is contained in candidate key of R

⇒ If any relation is in BCNF, then it is in 3NF always but vice versa is not true.

⇒ loss less join & dependency preservation decomposition

* Algo:

let F_c be canonical cover of F ;

$i=0$

for each FD $\lambda \rightarrow B$ in F_c do

if none of the schema R_j is

$j \rightarrow 1, 2, \dots, i$ contains

λB

then

begin

$i=i+1$

$R_i = \lambda B$

end

Date 1. 1. 19

if none of the schemas R_j
 $(j=1, 2, \dots, l)$ contains
a candidate key for R
then

begin

$$i = i + 1$$

R^j = any candidate key for R

end

return (R_1, R_2, \dots, R^j)

MULTIVALUED DEPENDENCY

Relation schema R.

$\alpha \subseteq R$, $\beta \subseteq R$

Multivalued depen $\Leftrightarrow \alpha \rightarrow\!\!\rightarrow \beta$

holds on R for all t_1 & t_2
in σ such that $t_1[\alpha] = t_2[\alpha]$.

t_3 & t_4 st.

$$(i) \quad t_1[\beta] = t_2[\beta] = t_3[\beta] = t_4[\beta]$$

$$(ii) \quad t_2[\beta] = t_1[\beta]$$

$$(iii) \quad t_2[R - \beta] = t_1[R - \beta]$$

$$(iv) \quad t_4[\beta] = t_2[\beta]$$

$$(v) \quad t_4[R - \beta] = t_1[R - \beta]$$

	α	β	$R - \alpha - \beta$
t_1	$a_1 \dots a_i$	$a_{i+1} \dots a_j$	$a_{j+1} \dots a_n$
t_2	$a_1 \dots a_i$	$b_{i+1} \dots b_j$	$b_{j+1} \dots b_n$
t_3	$a_1 \dots a_i$	$a_{i+1} \dots a_j$	$b_{j+1} \dots b_n$
t_4	$a_1 \dots a_i$	$b_{i+1} \dots b_j$	$a_{j+1} \dots a_n$

* $\alpha \rightarrow\!\!\rightarrow \beta$ is trivial

if $\beta \subseteq \alpha$ or $\beta \cup \alpha = R$

* D-set of FD's and MVD's MV D's

Closure of D as D^+

- (i) Reflexive Rule $\alpha \rightarrow \beta$ holds
- (ii) Augmentation Rule $\alpha \rightarrow \beta$ holds
- (iii) Transitivity Rule $\alpha \rightarrow \gamma$ holds
- (iv) Complementation Rule if $\alpha \rightarrow \beta$ holds, then $\alpha \rightarrow R - \beta - \alpha$ holds
- (v) Multivalued Augmentation Rule if $\alpha \rightarrow \beta$, $\beta \subseteq R$, $S \subseteq \gamma$ then $\alpha \rightarrow S\beta$ holds
- (vi) Multivalued Transitivity Rule if $\alpha \rightarrow \beta$ holds, $\beta \rightarrow \gamma$ holds, then $\alpha \rightarrow \beta - \gamma$ holds.
- (vii) Replication rule if $\alpha \rightarrow \beta$ holds, then $\alpha \rightarrow \beta$ holds.
- (viii) Coalescence Rule if $\alpha \rightarrow \beta$ holds and $\gamma \subseteq \beta$,
 $S \subseteq \gamma$ and $S \cap \beta = \emptyset$, $S \rightarrow \gamma$
then $\alpha \rightarrow \gamma$ holds

* $R = \{A, B, C, G, H, I\}$

$$D = (A \rightarrow B, \\ B \rightarrow H, \\ CG \rightarrow H)$$

$$D^+ = ?$$

$$D^+ = (A \rightarrow CGHI, \quad \text{Multivalued union rule} \\ A \rightarrow HI \\ B \rightarrow H \\ A \rightarrow CG)$$

(ii) Multivalued union Rule

if $\alpha \rightarrow\rightarrow \beta$, $\alpha \rightarrow\rightarrow \gamma$ then
 $\alpha \rightarrow\rightarrow \beta\gamma$ holds.

(iii) Intersection rule

if $\alpha \rightarrow\rightarrow \beta$, $\alpha \rightarrow\rightarrow \gamma$ then
 $\alpha \rightarrow\rightarrow \beta\gamma$ holds.

(iv) Difference rule

if $\alpha \rightarrow\rightarrow \beta$, $\alpha \rightarrow\rightarrow \gamma$ then
 $\alpha \rightarrow\rightarrow \beta - \gamma$ holds
and $\alpha \rightarrow\rightarrow \gamma - \beta$ holds.

4th NF

↳ Based on Multivalued dependency (MVD)

* $\alpha \rightarrow\rightarrow \beta$ is trivial

* α is superkey of R.

} at least one of them
should satisfy.

→ RECOVERY SYSTEM

Transaction failure:

- (i) logical error
- (ii) system crash
- (iii) Disk failure

→ STORAGE STRUCTURE

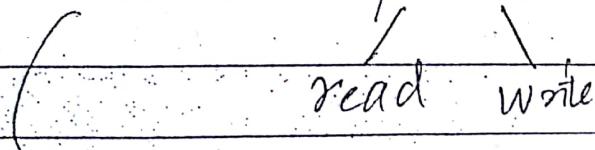
- (i) volatile storage
- (ii) non-volatile storage
- (iii) stable storage → RAID
 - 7 levels
 - (Redundant Array of Independent Disks)
 - or
 - Indispensable

* Main operations related to transactions:

- (i) Read
- (ii) Write

* transferring information from storage to buffer.

* transaction: operation on database



operation / collection of operations.

* Redoing the Transaction

start from the beginning

* Undoing the transaction

start from the pt. where transaction was interrupted

→ RECOVERY

* Log based recovery

- ① Deferred log based recovery
- ② Immediate log based recovery.

o) Log record : log files which will be stored
↓
structure/class → describes single database

o) Log record will contain :

- Transaction identifier
- Data item identifier
- Old value
- New Value

o) After write operation, we are changing the database, thus, log record is generated.

- Various ways of defining log record:
 - $\langle T_i \text{ start} \rangle$: Transaction T_i has started.
 - $\langle T_i, x_j; v_1, v_2 \rangle$: Transaction T_i has performed a write operation on database x_j whose initial value was v_1 & final value is v_2
 - $\langle T_i \text{ commit} \rangle$: Transaction T_i has successfully completed / executed.
 - $\langle T_i \text{ abort} \rangle$: if transaction T_i has failed / aborted
then We have to redo the transaction from start.

CONCURRENT TRANSACTION

- ⇒ Throughput
 - ⇒ Utilization
 - ⇒ less idle time
 - ⇒ faster response time
 - ⇒ less seek time
 - ⇒ fast execution time
 - ⇒ less waiting time
- ⇒ 2 transactions T_1 & T_2

Schedule 1 → first T_1 is
 $\overline{T_1}$ | $\overline{T_2}$
 then T_2

Schedule 2 → first T_2
 $\overline{T_2}$ | $\overline{T_1}$
 is executed,
 then T_1

Schedule 3

read(A)	T_1	first, part of T_1 is executed then
write(A)		part of T_2 is executed then
read(B)	T_1	again T_1 , then T_2 and so on
write(B)	T_2	

- ⇒ In every case, ACID property should be satisfied.

Transaction T

read

write

T_1 T_2

read(A)

$$A = A - 500$$

write(A)

read(B)

$$B = B + 500$$

write(B)

read(A)

$$\text{temp} = A \times 0.5$$

write(A)

$$A = A - \text{temp}$$

write(A)

read(B)

$$B = B + \text{temp}$$

write(B)

* $A = 1000$
 $B = 1000$

SCHEDULE 1 : $T_1 = A = 1000$

$$A = 1000 - 500 = 500$$

$$B = 1000$$

$$B = 1500$$

~~SCHEDULE 2~~ $T_2 = A = 500$

$$\text{temp} = 25$$

$$A = 500 - 25 = 475$$

$$B = 1500$$

$$B = 1500 + 25 = 1525$$

SCHEDULE 2 : $T_2 = A = 1000$

$$A = 500 \quad \text{temp} = 1000 \times 0.5 = 50$$

$$A = 950$$

$$B = 1000$$

$$B = 1000 + 50$$

$$B = 1050$$

$$T_1 : A = 950$$

$$A = A - 500 = 950 - 500 = 450$$

$$B = 1050$$

$$B = 1050 + 500 = 1500$$

Schedule 3 : T_1

$$A = 450$$

$$A = A - 500$$

$$A = -50$$

$$T_2 : A = -50$$

$$\text{temp} = A * 0.5 = -0.25$$

$$A = A - \text{temp}$$

- * Each schedule gives diff. results
- inconsistent

Schedule 4

read A

$$A = A - 500$$

read(A)

$$\text{temp} = A * 0.5$$

$$A = A - \text{temp}$$

write(A)

read(B)

write(A)

write(B)

$$B = B + \text{temp}$$

write(B)

SERIALIZABILITY

(i) Conflict serializability

Any schedule which consists 2 transactions T_i & T_j will be conflict serializable if:

$$(I) \quad I_i = \text{read}(B) \quad I_j = \text{read}(B)$$

T_i T_j

$$(II) \quad I_i = \text{read}(B) \quad I_j = \text{write}(B) \quad \left. \begin{array}{l} \\ \end{array} \right\} \text{conflicting}$$

$$(III) \quad I_i = \text{write}(B) \quad I_j = \text{read}(B) \quad \left. \begin{array}{l} \\ \end{array} \right\}$$

$$(IV) \quad I_i = \text{write}(B) \quad I_j = \text{write}(B) \quad -$$

* Any schedule S that can be transformed into another schedule S' by swapping of instructions, then S & S' are known as CONFFLICT EQUIVALENT.

* Schedule is conflict serializable if it is equivalent to serial schedule.

Serial schedule

read(A)

↓
read(B)

↓
read(A)

↓
read(B)

⑩ View serializability

A schedule S is view serializable, wrt to S' , if:

- (I). For each data item B , if transaction T_i reads the initial value of B in schedule S , then T_i must in schedule S' , also read the initial value of B .
- (II). For each data item B , if transaction T_i executes $\text{read}(B)$ in S and that value was produced by T_j , then T_i must in schedule S' also reads B that was produced by transaction T_j .
- (III). For each data item B , the transaction that performs $\text{write}(B)$ operation in S must perform final $\text{write}(B)$ operation in schedule S' .

* Useful during recovery.

⇒ Recoverable schedules

RECOVERABILITY

→ ~~deadlock~~ ~~log failure~~ ~~system failure~~

(i) Recoverable schedules : A recoverable schedule is one where for each transaction (T_i, T_j) s.t. T_j reads data item previously written by T_i , the commit operation of T_i appears before the commit operation of T_j .

(ii) Cascadeless schedules

A cascadeless schedule is one where for each pair of transaction (T_i, T_j) s.t. T_j reads a data item previously written by T_i , the commit operation of T_i appears before the read operation of T_j .

→ RECOVERY

* Log Based Recovery

1. Deferred database modification
2. Immediate database modification

To	T _i
read(A)	read(C)
$A = A - 100$	$C = C - 500$
write(A)	write(C)
read(B)	
$B = B + 100$	
write B	

7 log T₀₀ ($A = 1000, B = 1000, C = 1000$)

$\langle T_0, \text{start} \rangle$
 $\langle T_0, A, 100 \rangle$
 $\langle T_0, B, 1100 \rangle$
 $\langle T_0, \text{commit} \rangle$

$\langle T_i, \text{start} \rangle$
 $\langle T_i, C, 500 \rangle$
 $\langle T_i, \text{commit} \rangle$

⇒ Deferred- Deferred

log
⟨T₀, start⟩
⟨T₀, A, 900⟩
⟨T₀, B, 1100⟩
⟨T₀, commit⟩

Database

$$\begin{aligned}A &= 900 \\B &= 1100\end{aligned}$$

⟨T₁, start⟩
⟨T₁, C, 500⟩
⟨T₁, commit⟩

$$C = 500$$

we modify
the database
after commit
operation in
Deferred Database
modification.

- If T₁ has started but not committed at system failure, then it will ~~start~~ ~~redo~~ T₁-undo T₁
- If failure occurs at ⟨T₀, B, 1100⟩, then it will restart the entire transaction.

⇒ Immediate

log
⟨T₀, start⟩
⟨T₀, A, 900⟩
⟨T₀, B, 1100⟩
⟨T₀, commit⟩

⟨T₁, start⟩
⟨T₁, C, 500⟩
⟨T₁, commit⟩

Database

$$A = 900$$

$$B = 1100$$

$$C = 500$$

database is
modified as
soon as
value changes.

checkpoints : to check if transaction has
↓
committed successfully.

before
commit

usually after modification of database.

log

$\langle T_0, \text{start} \rangle$

$\langle T_0, A, 900 \rangle$

$\langle T_0, B, 11 = \langle T_0, \text{checkpoint} \rangle$

$\langle T_0, B, 1100 \rangle$

$\langle T_0, \text{commit} \rangle$

Concurrency Control

→ Protocols
↳ system generated

① lock based protocols

lock → shared lock [a transaction can only read, but not write ~~not write~~ ~~useless~~]
↳ exclusive lock [any transaction can do both read & write operations]

Compatibility matrix

	S	X
S	true	false
X	false	false

compatibility is true only when both locks are shared.

* T₁:

lock - X(B)

read(B)

B = B + 100

write(B)

unlock(B)

lock - X(A)

read(A)

A = A + 100

write(A)

unlock(A)

T₂:

lock - S(A)

read(A)

unlock(A)

lock S(B)

read(B)

unlock(B)

display(A+B)

concurrency

control manager

Control Manager

... information about locking & unlocking

T_1	T_2	Concurrent - mgt
lock - $X(B)$		
read (B)		grant $X(B, T_1)$
;		
unlock (B)		
	lock - $S(A)$	
	read (A)	grant - $S(A, T_2)$
	unlock (A)	
	lock $S(B)$	
	read (B)	grant - $S(B, T_2)$
	;	
	display (A+B)	
		lock - $X(A, T_1)$
lock $X(A)$		
		grant $X(A, T_1)$
read (A)		
;		
unlock (A)		

* granting of locks should not lead to deadlock, starvation.

Waiting by one transaction for lock to be released by another transaction

Locking protocol

If there are set of transactions T_0, T_1, \dots, T_n in schedule S , any transaction T_i precedes T_j in schedule S written as:

$$T_i \rightarrow T_j$$

if there is a data item θ s.t. T_i has held lock mode A on θ and T_j has held lock mode B on θ , then compatibility of A, B [$\text{comp}(A, B)$] = false.

If $T_i \rightarrow T_j$, then that precedence implies that any equivalent serial schedule T_i must appear before T_j .

A locking protocol ensures conflict serializability if & only if for all legal schedules, the association arrow (\rightarrow) relation is acyclic.

STARVATION

To avoid starvation, the locks can be granted as follows:

(i) When any transaction T_i requests a lock on data item θ in a mode M, then the lock will be granted provided that:

o There is no other transaction holding a lock on θ in a mode that conflicts with M.

There is no other transaction that is waiting for a lock on B. and that made its request before Ti.

* TWO - PHASE LOCKING PROTOCOL

2 Phases → Growing Phase
→ Shrinking Phase

In growing phase, a transaction may obtain a lock, but cannot release a lock.

In shrinking phase, a transaction may release a lock, but cannot obtain a lock.

o We need to ensure conflict serializability

i) Strict 2 phase Locking protocol.

ii) Rigorous 2 phase Locking protocol.

* GRAPH BASED PROTOCOL



A tree will be generated for locks assigned to a transaction.

② TIME-STAMP BASED PROTOCOL

assigning a time span when transaction starts, reads, writes, ends.

- ⇒ System Lock
- ⇒ Logical Counter Lock
- ⇒ W-timestamp (B)
- ⇒ R-timestamp (B)
- ⇒ TS(T_i)

Conditions for protocol design:

(A) read (B) by T_i

- (i). $TS(T_i) < W\text{-timestamp}(B)$ → read will be rejected
 T_i reads the value of B that is already overwritten
- (ii). $TS(T_i) \geq W\text{-timestamp}(B)$ & T_i will be rolled back.

(B) T_i issues write (B)

- (i). $TS(T_i) < R\text{-timestamp}(B)$ → read opn. will be performed & $R\text{-TS} = \max(TS(T_i), W\text{-TS})$
 T_i will be rolled back.
- (ii). $TS(T_i) < W\text{-timestamp}(B)$ → write opn. will be rejected
 T_i will be rolled back
- (iii). otherwise → write opn. will be rejected
 T_i will be rolled back

↓
write opn. will be executed
 $\Delta W\text{-TS} = TS(T_i)$.

* Obsolete write

↳ Thomas' write Rule to avoid obsolete write.

Same as above conditions. Only (B) (iii)
Write will be performed

(3). Validation Based protocol

3 phases:

- (i) Read phase → perform read opn.
- (ii) Validation phase → validate what is being done
- (iii) Write phase → perform write opn.