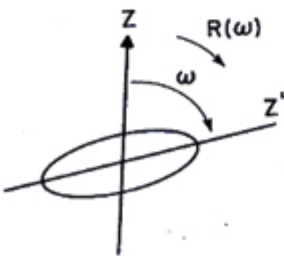
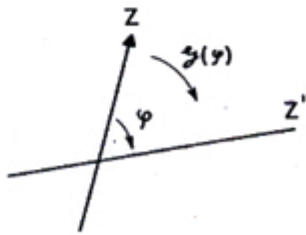


TABLE E.1

Analogy Between the Formalisms for Spatial Quadrupole Deformations and Pairing Distortions

Quadrupole		Pairing
Two-body Hamiltonian		
$H_Q = -\frac{\chi}{2} \sum_{\mu} Q_{\mu} Q_{\mu}^{\dagger}$		$H_p = -GT(2)T(-2)$
$Q_{\mu} = \sum_{\nu, \nu'} \langle \nu r^2 Y_{2\mu} \nu' \rangle c_{\nu}^{\dagger} c_{\nu'}$		$T(2) = \sum_{\nu > 0} c_{\nu}^{\dagger} c_{\bar{\nu}}^{\dagger} = T^{\dagger}(-2)$
Associated average field		
$V_Q = -\sum_{\mu} K_{\mu} Q_{\mu} \quad (\mu = 0, \pm 1, \pm 2)$		$V_p = -\sum_{\alpha} \Delta_{\alpha} T(\alpha) \quad (\alpha = \pm 2)$
(potential deformation parameters)		
K_{μ}		Δ_{α}
The specific operator is the		
electromagnetic multipole operator		two-body transfer operator
(macroscopic description)		
$\mathcal{M}(E2, \mu) = \frac{5}{4\pi} Z e R_0^2 K_{\mu}$		$T(\Delta) = \sum_{\nu > 0} U_{\nu}(\Delta) V_{\nu}(\Delta)$
(microscopic description)		
$\mathcal{M}(E2, \mu) = \sum_{\nu, \omega} \langle \nu r^2 Y_{2\mu} \omega \rangle c_{\omega}^{\dagger} c_{\nu}$		$T(2) = \sum_{\nu > 0} c_{\nu}^{\dagger} c_{\bar{\nu}}^{\dagger}$
It probes the		
particle-hole		particle-particle
correlations aspects of the residual interaction.		
The single-particle potential V is not invariant under		
rotations in three dimensions		gauge transformations
$R(\mathbf{n}, \theta) = \exp\{-i \mathbf{I} \cdot \mathbf{n} \theta\}$		$\mathcal{G}(\varphi) = \exp\{-i \mathcal{H} \varphi\}$
total angular momentum operator: \mathbf{I}		number operator: $\mathcal{N} = \sum_{\nu > 0} (c_{\nu}^{\dagger} c_{\nu} + c_{\bar{\nu}}^{\dagger} c_{\bar{\nu}})$
$R(\mathbf{n}, \theta) Q_{\mu} R^{-1}(\mathbf{n}, \theta) = \sum_{\mu'} D_{\mu\mu'}^{\mathbf{n}}(\theta) Q_{\mu'}$		$\mathcal{G}(\varphi) T(\alpha) \mathcal{G}^{-1}(\varphi) = e^{-i\alpha\varphi} T(\alpha)$
$\omega =$ Euler angles		$\varphi =$ gauge angle
$Q =$ tensor operator of rank two		$T =$ operator with transfer quantum number α
The violation of		
spherical symmetry		particle number
defines an intrinsic system of reference in		
the physical three-dimensional space		an abstract space
		
K_{μ}		Δ_{α}
Instead of parametrizing the deformation of the potential by		
one can use		
β and γ and the angle ω		the BCS gap parameter Δ and the angle φ
that defines the orientation of the intrinsic frame of reference.		