User Guide of the SICStus abduction module: Abductive Logic Programming for Prolog

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1 Introduction

Abduction is a powerful logical inference for seeking hypothetical explanation(s) for an observation given some background knowledge. The combination of ab-Auction and logic programming Palled abductive lone programming (ALP) [1] allows have Arbitism such as diagnosis, Manning/scheduling, and lognitive perception to be modelling in logic and solved.

abduction is a module for SICStus Prolog (version 4.1.1, tested on both Windows and Linux), and is a re-implementation of the well-known abductive logic programming system called ASVs en LBC Liveth the following differences and enhancements:

- it allows the usage of arithmetic constraints over both finite domains and • it allows abducible argument types to be specified;
- all the code is in a single source file (as a module), and hence can be used as a standalone system or be easily integrated into the user's Prolog programs.

This document is written for helping the readers to get started using abduction. It is expected that the readers are familiar with Prolog and have knowledge of abductive logic programming.

$\mathbf{2}$ Getting Started

In this section, let us use a small toy example - car diagnosis - to show the basic usage of the abduction module in SICStus.

2.1 Writing an abductive theory file

First, we need to encode the problem in an abductive theory source file, suppose. An abductive theory has three parts: the background knowledge, the abducible predicates and the integrity constraints.

The background knowledge is a set of Prolog clauses (either *rules* or *facts*), e.g.,

```
car_doesnt_start(X) :- battery_flat(X).
car_doesnt_start(X) :- has_no_fuel(X).
lights_go_on(mycar).
fuel_indicator_empty(mycar).
```

The integrity constraints are Prolog rules with the head being ic, e.g.,

```
ic :- battery_flat(X), lights_go_on(X).
ic :- has_no_fuel(X), \+ fuel_indicator_empty(X), \+ broken_indicator(X).
```

Note that negation is written as the same as the Prolog negation, i.e., atom preceded by the Prolog's *not* operator $- \setminus +$.

An abductive predicate is declared using abducible/1, e.g.,

abducible (battery_flat(_)) Project Exam Help abducible (broken_indicator(_)).

2.2 Loading the abductive system

To perform diagnosis with the example, we need to load both the abductive system and the abductive theory into SICStus. There are three ways to load the abductive system into SICStus:

• To star & Stus from Commentate and OalVhCab & System at start, one can execute the following command:

```
> sicstus -l abduction.pl
```

• If SICStus is already started, the abductive system can be loaded by executing the following query:

```
| ?- use_module(abduction).
```

• If you are using the GUI version of SICStus on Windows, you can go to <u>"File"</u>, then <u>"Consult"</u>, and then select the abduction module source file abduction.pl from the dialogue box.

2.3 Importing the abductive theory

Suppose the example's abductive theory is saved in a file called car.pl, which is stored in the same directory as the abduction module source file (i.e., abduction.pl). To import the theory, you can execute the following query in the SICStus console with the abductive system already been loaded:

```
| ?- load_theory('car.pl').
```

Note that if the abductive theory file is stored somewhere else, you need to give the full path to the file, e.g.,

```
| ?- load_theory('/path/to/car.pl').
```

Sometimes if the abductive theory is big, it may be split and saved into several source files. In this case, you can load all the files using the following query instead:

```
| ?- load_theories(['file1.pl', 'file2.pl']).
```

2.4 Submitting abductive queries

After the abductive system is loaded and the abductive theory is imported, diagnosis tasks can be performed as abductive queries. The predicate for a query is query(+ListOfGoals, -Answer). Upon the success of the query, Answer is a tuple (As, Cs, Ns), where As is a list of (possibly non-ground) abducibles, Cs a distref mithmetic constraint. Duplich will be introduced in Section 31, and is a list of confected dynamic denial of the form fair(ListOffmiversalvar),

ListOfGoals). A dynamic denial, e.g., fail([X], [p(X, Y), q(X), r(Y)]), should be read as $\exists Y \forall X. \leftarrow p(X,Y), q(X), r(Y)$.

Let us go back to the car diagnosis example. To find out why my car does not start, routed execute to knowing query left. COM

Alternatively, if you are only interested in the collected abducibles and constraints, or if you also want to find out why a different car does not start, you can execute the queries:

```
| ?- query([car_doesnt_start(mycar)], (As, Cs, _)).
As = [has_no_fuel(mycar)],
Cs = [] ?;
no
| ?- query([car_doesnt_start(yourcar)], (As, Cs, _)).
As = [battery_flat(yourcar)],
Cs = [] ?;
As = [broken_indicator(yourcar),has_no_fuel(yourcar)],
Cs = [] ?;
no
| ?-
```

Finally, if you want a diagnosis of any car, you can execute the query with non-ground goal(s), e.g.,

```
| ?- query([car_doesnt_start(AnyCar)], (As, Cs, _)).
As = [battery_flat(AnyCar)],
Cs = [AnyCar=/=mycar],
AnyCar=/=mycar ?;
As = [has_no_fuel(mycar)],
Cs = [],
AnyCar = mycar ?;
As = [broken_indicator(AnyCar),has_no_fuel(AnyCar)],
Cs = [AnyCar=/=mycar],
AnyCar=/=mycar ?;
no
| ?-
```

3 Useful Features

In this section, we will use a slightly bigger example – shopping trips planning – to introduce some useful features of the abductive system, including the usage of a ith religious transfer by including the usage of explanations, the specification of argument types for abducibles, and the stand alone inequality solver.

The example (from [4]) is a planning problem where we need to plan a trip to buy certain this DN assume through kg one and whele of place information about the places from which the items can be bought. There are two actions – go to a particular place or buy an item from a place. The example is modelled using a simplified version of the Event Calculus (SEC):

```
holds(F, T) :-
  time(T1), time(T),
  0 #< T1, T1 #< T,
  happens(A, T1),
  initiates(A, F, T1),
  \+ clipped(T1, F, T).
clipped(T1, F, T) :-
  time(T1), time(T), time(T2),
  T1 #< T2, T2 #< T,
  happens(A, T2),
  terminates(A, F, T2).
% action effect conditions
initiates(goto(X), at(X), T) :- place(X).
\texttt{terminates}(\texttt{goto}(\texttt{X})\,,\,\,\texttt{at}(\texttt{Y})\,,\,\,\texttt{T})\ :-\ \texttt{place}(\texttt{X})\,,\,\,\texttt{place}(\texttt{Y})\,,\,\,\texttt{X}\ \texttt{=/=}\ \texttt{Y}\,.
initiates buy (item, Place), have (jtem),
  sells(Place, Item, _Cost), holds(at(Place), T).
initiates(buy(Item, Place), balance=B, T) :-
  sells (half ptom, ptowcoder. Com
  sells(Place, Item, Cost),
  \{B = B0 - Cost\}.
terminates buy (I lem Wace Chlance prowcoder
\% initial state and static facts
initially(balance=50.00).
sells(hws, drill, 34.99).
sells(sm, milk, 1.05).
sells(sm, banana, 2.45).
place(hws).
place(sm).
% ----- integrity constraints -----
\% concurrent actions not allowed
ic :- happens(E1, T), happens(E2, T), E1 =/= E2.
```

3.1 Using constraints over finite domain

The abductive system allows finite domain constraints to be used in the abductive theory, and uses the library(clpfd) module of SICStus for solving the constraints during abductive inference. The syntax of finite domain arithmetic expressions can be found from the SICStus documentation ¹. We include it here for your reference:

```
 \begin{split} N & ::= integer \\ LinExpr & ::= N \\ | var \\ | N * var \\ | N * N \\ | -LinExpr \\ | LinExpr + LinExpr \\ | LinExpr - LinExpr \end{split}
```

Assignment Exprisect Exam Help | Expr + Expr | | Expr - Expr | | Expr * Expr | | Expr * Expr | | Expr / Expr / Expr | | Expr rem Expr | | min(Expr, Expr) | | Max(Expr, Expr) | | Add Was(Expr, Expr) | | RelOp | ::= #= | #\= | #< | #=< | #>= | #>

In addition, the finite domain membership constraint X in Min..Max can also be used. For example, the SEC axioms can be encoded using finite domain constraints as:

http://www.sics.se/sicstus/docs/latest4/html/sicstus.html/
Syntax-of-Arithmetic-Expressions.html#Syntax-of-Arithmetic-Expressions

3.2 Using constraint over reals

The abductive system allows real numbers domain constraints to be used in the abductive theory, and uses the library(clpr) module of SICStus for solving the constraints during abductive inference. A constraint in this domain is written as {Constraint}, where the grammar for Constraint can be found at the SICStus documentation ² and is included here for your reference:

```
Constraint ::= C
\mid C, C
\mid C, C
::= Expr = := Expr {equation}
\mid Expr = Expr {equation}
\mid Expr < Expr
\mid Expr > Expr
\mid Expr = Expr
\mid Expr > Expr
\mid Expr > Expr
\mid Expr > Expr
\mid Expr > Expr
\mid Expr = Expr
```

Assignment Project [Ploycom Help | |-Expr | |-Ex

For example, an action effect condition of buy can be encoded as a rule using a real domain constraint (the cost of an item is a positive real number):

 $|\max(Expr, Expr)|$

```
initiates(buy(Item, Place), balance=B, T) :-
  sells(Place, Item, _Cost), holds(at(Place), T),
  holds(balance=B0, T), sells(Place, Item, Cost),
  {B = B0 - Cost}.
```

3.3 Using inequality over logical terms

The abductive system allows inequality over logical terms to be used in the abductive theory, and has a built-in inequality solver to handling the reasoning.

 $^{^2} http://www.sics.se/sicstus/docs/latest4/html/sicstus.html/CLPQR-Solver-Predicates.html \#CLPQR-Solver-Predicates$

An inequality over two terms is written as T1 = /= T2, where T1 and T2 are Prolog terms. The semantics of =/= can be described as follows:

- Let a and b be constants, a=/=b holds if and only if a and b are not equal;
- Let $f^a(T_1^a, \ldots, T_n^a)$ and $f^b(T_1^b, \ldots, T_m^b)$ be two terms, $f^a(T_1^a, \ldots, T_n^a) = f^b(T_1^b, \ldots, T_m^b)$ holds if and only if one of the following holds:
 - $f^a = /= f^b;$
 - $-n \neq m$;
 - $-\ n = m \land \exists i.0 \leq i \leq n \land T_i^a \text{=/=} T_i^b$

For example, an action effect condition of goto and the integrity constraint of "no two action can be performed as the same time" can be encoded as a rule using inequality:

terminates(goto(X), at(Y), T) :- X = /= Y.

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3.4 Forcing the grounding of finite domain variable in the

Given the shopping trips panning problem as an abductive queries. For example,

| ?- query([holds(have(banane), T), holds(have(milk), T), holds(have(drill), T), holds(balance=0,T), we constant, powcoder

For this query there are multiple solutions (plans), some of which is not ground. For example,

```
As = [happens(goto(hws),_A),happens(buy(drill,hws),_B),happens(goto(sm),_C),
happens(buy(milk,sm),_D),happens(goto(sm),_E),happens(buy(banana,sm),_F)],
Cs = [_E#<_F,_D#<_E,_C#<_D,_B#<_C,_A#<_B,_A#<_B,_A#<_B,_A#<_A,_A in 0..8,_B#<_D|...],
_F in 6..7,
T in 7..8,
_E in 5..6,
_D in 4..5,</pre>
```

_D in 4..5,

_C in 3..4,

_B in 2..3,

_A in 1..2 ?

To obtain a solution with all finite domain variables to be grounded, you can use the labeling/2 predicate provided by library(clpfd). For example,

```
| ?- use_module(library(terms)).
| ?- use_module(library(clpfd)).
| ?- query([holds(have(banana), T), holds(have(milk), T), holds(have(drill), T),
holds(balance=B, T), {B > 0.0}], (As, Cs, _)), term_variables(Cs, Vs), labeling([], Vs).
B = 11.5099999999998,
T = 7,
As = [happens(goto(hws),1),happens(buy(drill,hws),2),happens(goto(sm),3),
happens(buy(milk,sm),4),happens(goto(sm),5),happens(buy(banana,sm),6)],
Cs = [5#<6,4#<5,3#<4,2#<3,1#<2,1#<2,1#<2,0#<1,1 in 0..8,2#<4|...],
Vs = [6,7,5,4,3,2,1] ?
yes
\ ?-</pre>
```

In the above approach, a non-ground answer is computed first, and the finite domain variables in the answer is forced to be grounded using the finite domain solver. Thus, the inference process is not affected by this post-processing of answer. However, the abductive system has an option to force the finite domain variable to be grounded as soon is possible during the inference process. The latter on and offusing enters. One that the latter on and offusing enters.

enforce_labeling(false). In some applications, by turning on such option the computation of queries can be speeded up (significantly). For example,

3.5 Specifying argument types for abducible (Experimental)

The current abductive system allows non-ground abducible to be assumed/collected during the inference. The variables in a collected abducible may be bound to some term after the system solve other goal later, or they may remain in the abducible in the final answers. In many cases, we may want to specify the types of an abducible predicate's arguments, in order to further restrict what abducibles can be collected. One way of achieving this is through integrity constraints. For example,

```
action(goto(X)) :- place(X).
action(buy(I, X)) :- item(I), place(X).
```

```
ic :- happens(E, T), \+ action(E).
```

However, in the above approach, the type checking of an abducible's arguments is still performed after the abducible is collected. Fortunately, the abductive system provides a way to force the type checking to be done before the abducible is collected, if it is desired. This is done by giving the abducible argument types in the abductive theory, which contains the following parts:

- a specific domain has a name (as constant) and a list of members (as constants), is declared using enum(DomainName, ListOfDomainMembers).
- the argument types of an abducible are declared using types(Abducible, ListOfConditions), where Abducible is an abducible predicate with all the arguments being variables, and ListOfConditions is a list of type conditions being either Var = Term or type(Var, DomainName).

For example, in the shopping trips planning problem, if we know in advance that there are only two possible ections (i.e., goto and buy), and we also know the Schaelt the Cher we tank to be collowing axis till are meet two declarations in the abductive theory:

```
enum(place, [hws, sm]).
enum(iternitys milk prowdcoder.com

types(happens(E, T), [
    E = goto(X),
    type(A plack) WeChat powcoder

types(happens(E, T), [
    E = buy(X, Y),
    type(X, item),
    type(Y, place)
]).
```

Note that in types/2, some of the arguments of the abducible may still be un-typed, e.g. T. Note also that there may be multiple types/2 definitions (i.e., argument type specifications) of the same abducibles, which means the arguments of the abducible must satisfy at least one of the specifications.

With these specifications, the abductive system behaves as follows when an abducible is collected:

- if there is a type specification for the abducible, the system will check the already ground arguments of the abducible against the specification, and will ground as many variable arguments in the abducible as possible according to the specification.
- if there is no type specification for the abducible, the system does not perform any argument type checking.

This feature has two advantages: (1) in some problem domains the query computation may be speeded up (significantly), and (2) the abductive theory may be simplified. For example, with the abducible argument type specifications, some of the action effect conditions

```
initiates(goto(X), at(X), T) :- place(X).
terminates(goto(X), at(Y), T) :- place(X), place(Y), X =/= Y.
can be simplified to be
initiates(goto(X), at(X), T).
terminates(goto(X), at(Y), T) :- X =/= Y.
```

3.6 Computing globally minimal answers

It is common that given a query there are multiple answers. Sometimes, we are interested in the $minimal\ solution(s)$. In a ground answer, the set of collected constraints can be discarded as they are ground and must be satisfiable. There-

Are the set of collected ob duciDs can represent the whole ground answer the bety a ground answer to the set of an ground answer as sets of abducibles. An answer

 $\Delta_i \in \widetilde{\Delta}$ is minimal if and only if there is no $\Delta_j \in \widetilde{\Delta}$ such that $\Delta_j \subset \Delta_i$. The abductive system provides a special querying predicate eval(+ListOfGoals,-ListOfAfducibles) for computing globally dinimal answers, which can succeed only if the following two conditions are satisfied:

- the computation of all (possibly non-ground) answers terminates;
- all the non-ground his were cap be grounded by grounding the finite domain variables appearing in the answers

Note that another difference between query/2 and eval/2 is that the second argument of eval/2 is a list of abducibles, instead of a tuple as for query/2. In addition, the abductive system also provides a predicate eval(+ListOfGoals, +Time, -ListOfAbducibles), which will succeeds if and only if eval(+ListOfGoals, -ListOfAbducibles) succeeds within the given Time (in milliseconds).

4 Trace Visualisation

The lite version ³ of the abduction (system) module can export query traces to external files in the .graphml format, which can then be visualised with the free and powerful yED Graph Editor ⁴. To generate traces for queries, a user can use the predicates eval_all_with_trace(+Query), query_all_with_trace(+Query), eval_all_with_trace(+Query, +OutputFile) and query_all_with_trace(+Query, +OutputFile). Unless an output file for the trace data is specified (i.e., using the

³https://www-dse.doc.ic.ac.uk/cgi-bin/moin.cgi/abduction?action=AttachFile&do=view&target=abduciont-lite.pl

 $^{^4}$ http://www.yworks.com/en/products_yed_about.html

last two predicates), the trace data is dumped to a file named trace.graphml (i.e., using the first two predicates).

Let us take the circuit diagnosis problem ⁵ as an example to illustrate the usage of this trace visualisation facility. First, download all the relevant files and load the abductive theory into the system, and then execute one of the trace predicates, e.g. (**Note that** the computation may take longer than that of the predicates that do not collect trace data),

Assignment Project Exam Help Total explanations found: 2

https://powcoder.com

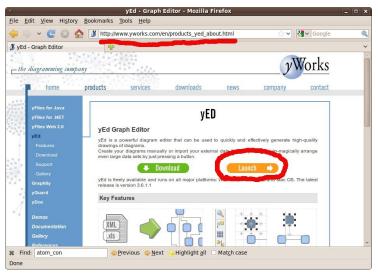
Now, there should be a file called trace.graphml in the same directory where the downloaded source files are stored. Next, we will open this file with the yED edito. The VED divocan ellectile download from the website and run as a standalone Java application, or be launched from the website directly without installation (See Figure 1).

Once yED is up and running, we load the file trace.graphml. However, at this moment the file contains only raw data of the query trace, and the initial visualisation is not readable at all. We need to use several features of the yED editor to improve it. This is done through the following three steps:

- 1. Select Tools, then Fit Node to Label..;
- 2. Select Tools, then Fit Label to Node. (See Figure 2);
- 3. Select *Layout*, then <u>Tree</u> (See Figure 3).

After these simple steps, the query trace is visualised as a tree, where each node represents a state containing intermediate computational data such as remaining goals, collected abducibles and collected constraints, and each edge shows the goal selected for reduction during an abductive inference step. The users can then zoom out/in to inspect the trace (see Figure 4), or even change the appearance and layout of it.

 $^{^5} downloadable \quad from \quad \verb|https://www-dse.doc.ic.ac.uk/cgi-bin/moin.cgi/abduction?| action=AttachFile&do=view&target=circuit-diagnosis-2.pl$



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5 Acknowledgement wooder.com

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References d WeChat powcoder

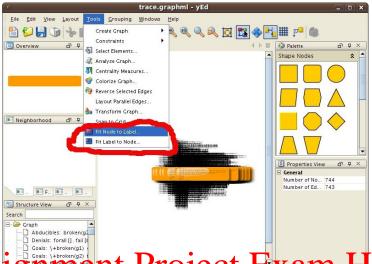
- [1] Marc Denecker and Antonis C. Kakas Abduction in Logic Programming Computational Logic: Logic Programming and Beyond 2002: 402-436
- [2] Bert van Nuffelen and Antonis Kakas A-system: Declarative Programming with Abduction Logic Programming and Non-Motonic Reasoning, vol. 2173, 393-397, 2001
- [3] A. Kakas, B. Van Nuffelen, and M. Denecker A-system: Problem solving through abduction Proceedings of the Seventeenth International Joint Conference on Artificial Intelligence (B. Nebel, ed.), vol. 1, Morgan Kaufmann Publishers, Inc, 2001, pp. 591-596.
- [4] S.Russell and P.Norvig Artificial Intelligence: A Modern Approach Prentice Hall International, 1995.

⁶http://www.doc.ic.ac.uk/~dcorapi/

⁷http://www.doc.ic.ac.uk/~srdjan/

⁸http://www.doc.ic.ac.uk/~rac101/

⁹http://www2.cs.ucy.ac.cy/~antonis/



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Figure 2: Resizing the Nodes

https://powcoder.com

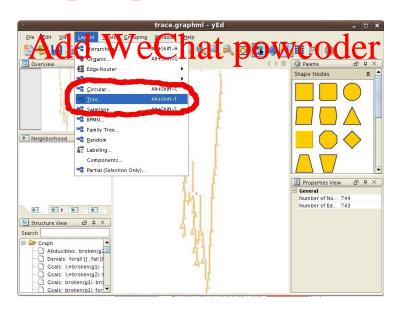


Figure 3: Layout the Trace as a Tree

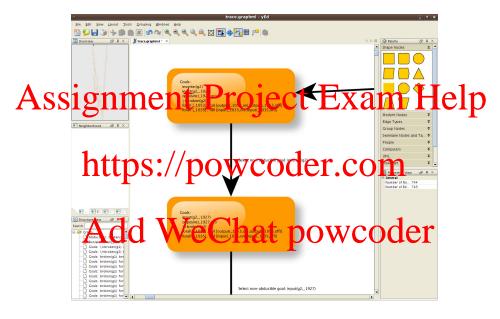


Figure 4: Inspecting the Trace