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BASIC CONCEPTS
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COMSC 260
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Assembly Language

Computer Organization

Outline

- 💡 Welcome to COMSC 260
- 💡 Assembly-, Machine-, and High-Level Languages
- 💡 Assembly Language Programming Tools
- 💡 Programmer's View of a Computer System
- 💡 Basic Computer Organization

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Memory Devices

- Random-Access Memory (RAM)

- Usually called the main memory
- It can be read and written to
- It does not store information permanently (Volatile , when it is powered off, the stored information are gone)
- Information stored in it can be accessed in any order at equal time periods (hence the name random access)
- Information is accessed by an address that specifies the exact location of the piece of information in the RAM.
- DRAM = Dynamic RAM
 - 1-Transistor cell + trench capacitor
 - Dense but slow, must be refreshed
 - Typical choice for main memory
- SRAM: Static RAM
 - 6-Transistor cell, faster but less dense than DRAM
 - Typical choice for cache memory



Memory Devices

- ROM (Read-Only-Memory)

- A read-only-memory, non-volatile i.e. stores information permanently
- Has random access of stored information
- Used to store the information required to startup the computer
- Many types: ROM, EPROM, EEPROM, and FLASH
- FLASH memory can be erased electrically in blocks



- Cache

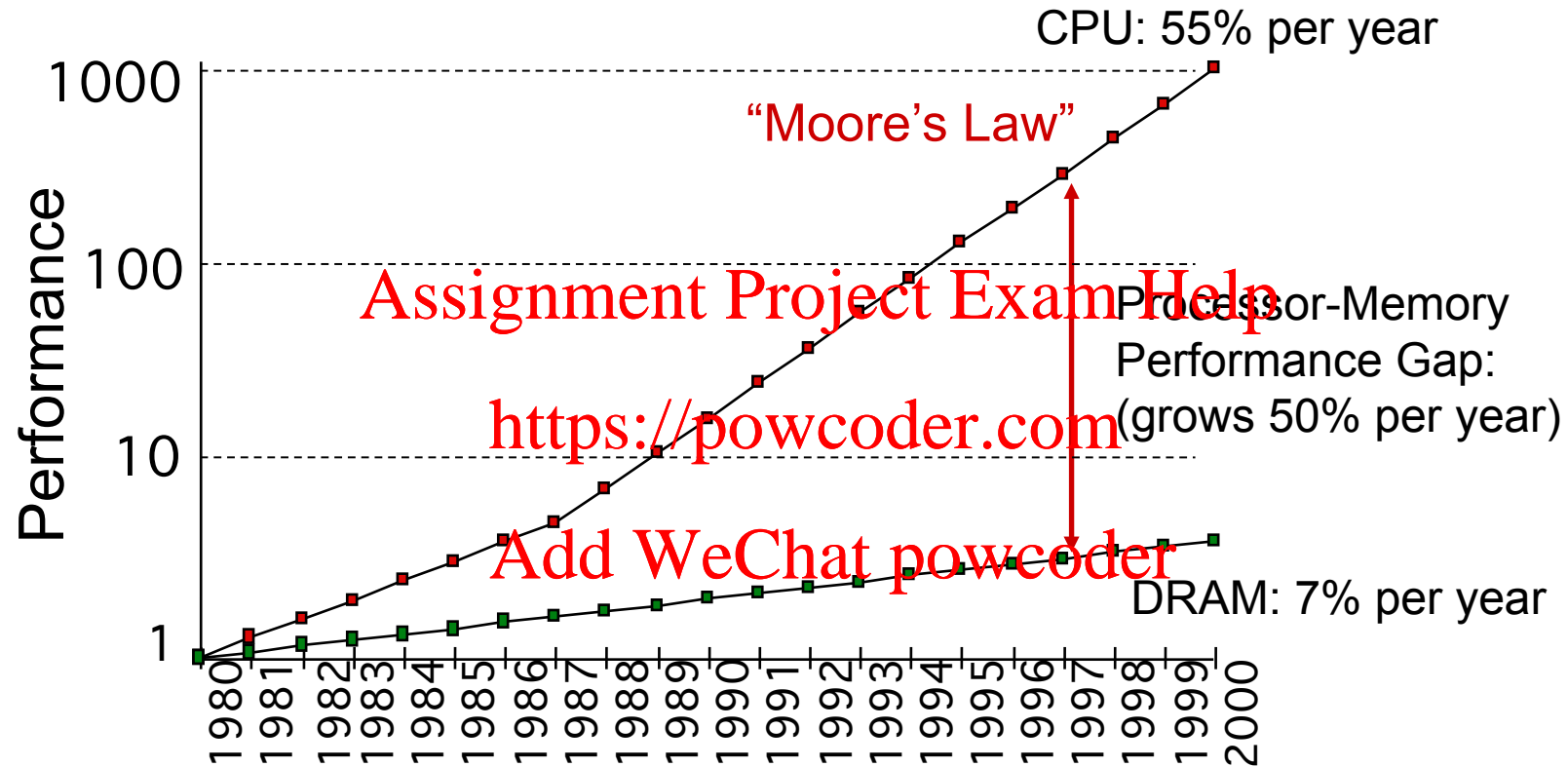
- A very fast type of RAM that is used to store information that is most frequently or recently used by the computer
- Recent computers have 2-levels or more levels of cache; the first level is faster but smaller in size (usually called internal cache), and the second level is slower but larger in size (external cache).

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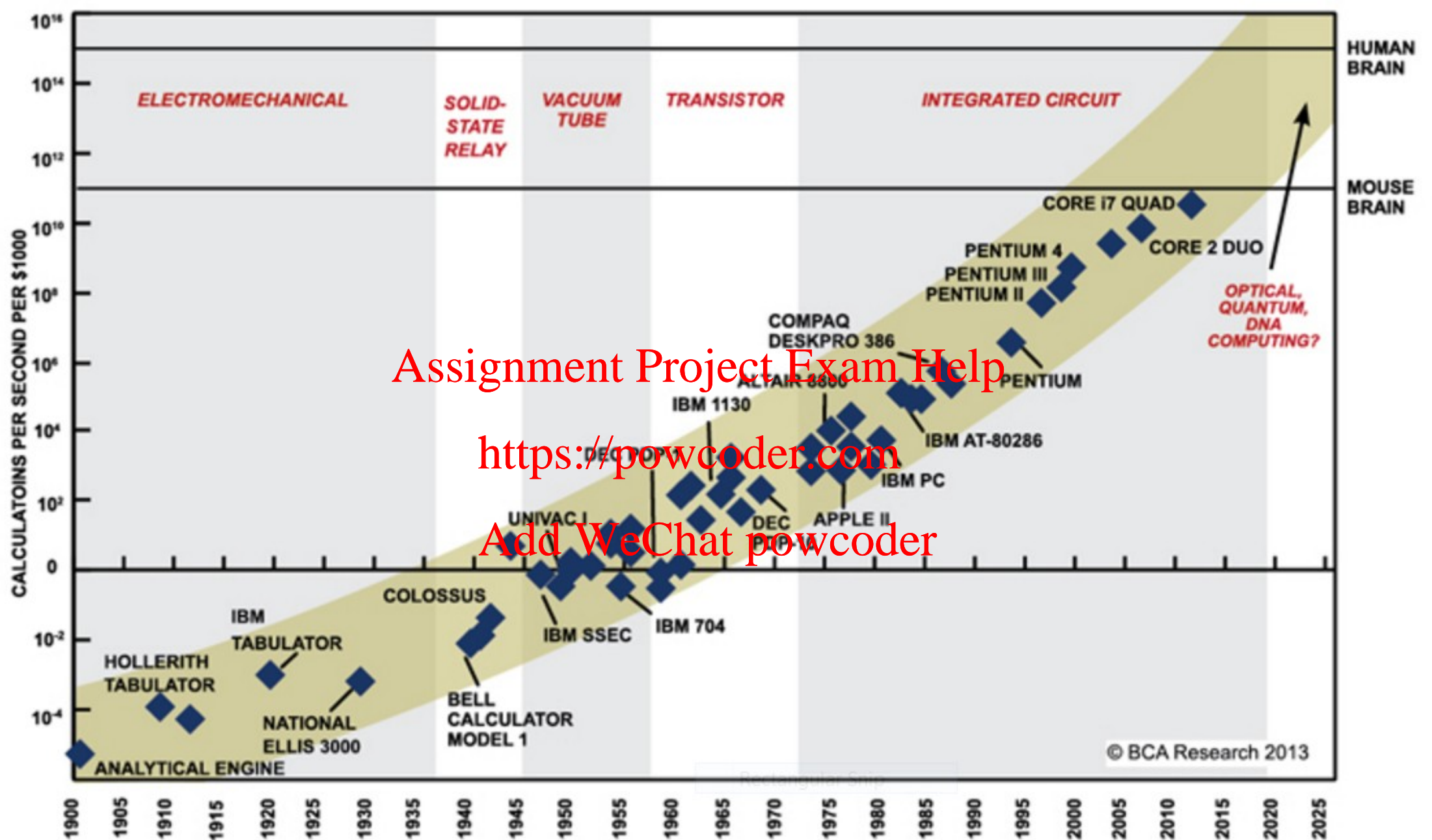
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Processor-Memory Performance Gap



- 1980 – No cache in microprocessor
- 1995 – Two-level cache on microprocessor



SOURCE: RAY KURZWEIL, "THE SINGULARITY IS NEAR: WHEN HUMANS TRANSCEND BIOLOGY", P.67, THE VIKING PRESS, 2006. DATAPOINTS BETWEEN 2000 AND 2012 REPRESENT BCA ESTIMATES.

The Need for a Memory Hierarchy

- Widening speed gap between CPU and main memory
 - Processor operation takes less than 1 ns
 - Main memory requires more than 50 ns to access
- Each instruction involves at least one memory access
 - One memory access to fetch the instruction
 - Additional memory accesses for instructions involving memory data access
- Memory bandwidth limits the instruction execution rate
- Cache memory can help bridge the CPU-memory gap
- Cache memory is small in size but fast

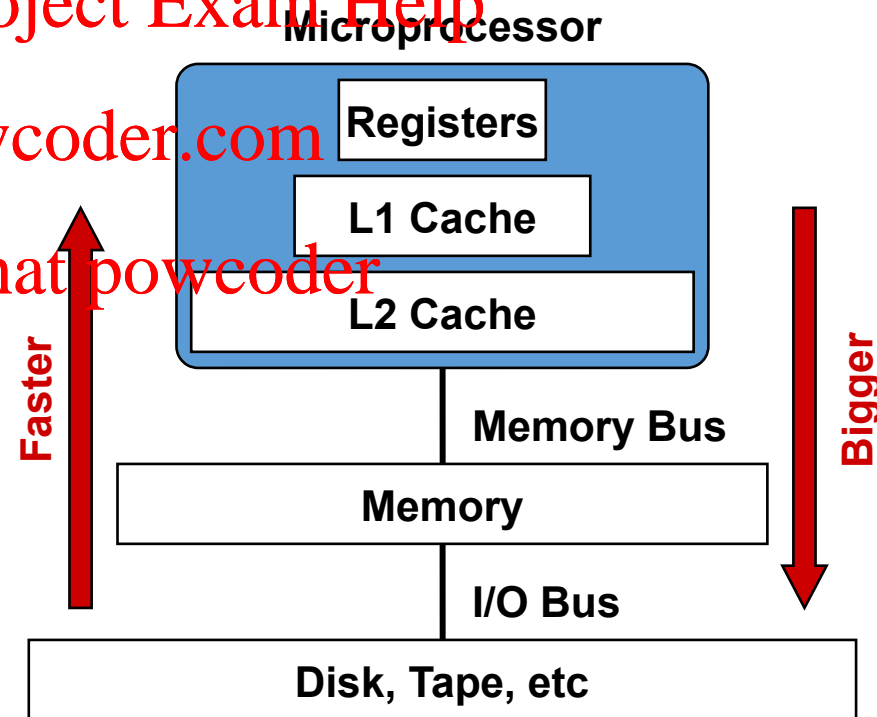
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Typical Memory Hierarchy

- Registers are at the top of the hierarchy
 - Typical size < 1 KB
 - Access time < 0.5 ns
- Level 1 Cache (8 – 64 KB)
 - Access time: 0.5 – 1 ns
- L2 Cache (512KB – 8MB)
 - Access time: 2 – 10 ns
- Main Memory (1 – 2 GB)
 - Access time: 50 – 70 ns
- Disk Storage (> 200 GB)
 - Access time: milliseconds



Magnetic Disk Storage



Disk Access Time =

Seek Time +

Rotation Latency +

Transfer Time

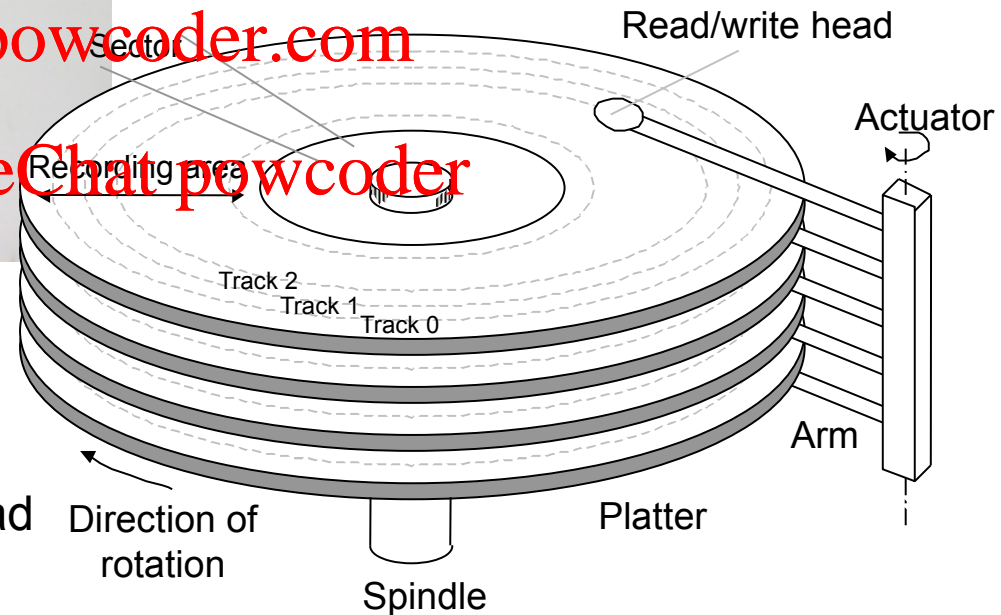
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Seek Time: head movement to the desired track (milliseconds)

Rotation Latency: disk rotation until desired sector arrives under the head

Transfer Time: to transfer data



Example on Disk Access Time

- Given a magnetic disk with the following properties
 - Rotation speed = 7200 RPM (rotations per minute)
 - Average seek = 8 ms, Sector = 512 bytes, Track = 200 sectors
- Calculate
 - Time of one rotation (in milliseconds)
 - Average time to access a block of 32 consecutive sectors
- **Answer**
 - Rotations per second $= 7200/60 = 120 \text{ RPS}$
 - Rotation time in milliseconds $= 1000/120 = 8.33 \text{ ms}$
 - Average rotational latency $= \text{time of half rotation} = 4.17 \text{ ms}$
 - Time to transfer 32 sectors $= (32/200) * 8.33 = 1.33 \text{ ms}$
 - Average access time $= 8 + 4.17 + 1.33 = 13.5 \text{ ms}$

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Data Representation

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Chapter 2

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Outline

- Introduction
- Numbering Systems
- Binary & Hexadecimal Numbers
- Base Conversions
- Integer Storage Sizes
- Binary and Hexadecimal Addition
- Signed Integers and 2's Complement Notation
- Binary and Hexadecimal subtraction
- Carry and Overflow
- Character Storage

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Introduction

- Computers only deal with binary data (0s and 1s), hence all data manipulated by computers must be represented in binary format.
- Machine instructions manipulate many different forms of data:
 - Numbers:
 - Integers: 33, +128, -2827
 - Real numbers: 1.33, +9.55609, -6.76E12, +4.33E-03
 - Alphanumeric characters (letters, numbers, signs, control characters): examples: A, a, c, 1, 3, ", +, Ctrl, Shift, etc.
 - Images (still or moving): Usually represented by numbers representing the Red, Green and Blue (RGB) colors of each pixel in an image,
 - Sounds: Numbers representing sound amplitudes sampled at a certain rate (usually 20kHz).
- So in general we have two major data types that need to be represented in computers; numbers and characters.

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Numbering Systems

- Numbering systems are characterized by their base number.
- In general a numbering system with a base r will have r different digits (including the 0) in its number set. These digits will range from 0 to $r-1$
- The most widely used numbering systems are listed in the table below:

Numbering System	Base	Digits Set
Binary	2	1 0
Octal	8	7 6 5 4 3 2 1 0
Decimal	10	9 8 7 6 5 4 3 2 1 0
Hexadecimal	16	F E D C B A 9 8 7 6 5 4 3 2 1 0

Binary Numbers

- Each digit (bit) is either 1 or 0
- Each bit represents a power of 2
- Every binary number can be converted to a decimal number

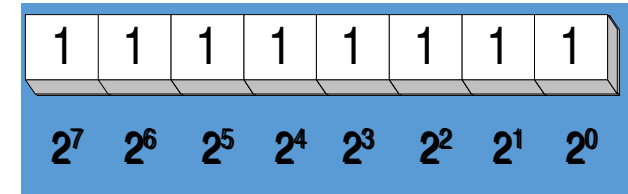


Table 1-3 Binary Bit Position Values.

2^n	Decimal Value	2^n	Decimal Value
2^0	1	2^8	256
2^1	2	2^9	512
2^2	4	2^{10}	1024
2^3	8	2^{11}	2048
2^4	16	2^{12}	4096
2^5	32	2^{13}	8192
2^6	64	2^{14}	16384
2^7	128	2^{15}	32768

Converting Binary to Decimal

- Weighted positional notation shows how to calculate the decimal value of each binary bit.

$$\text{Decimal} = (d_{n-1} \times 2^{n-1}) + (d_{n-2} \times 2^{n-2}) + \dots + (d_1 \times 2^1) + (d_0 \times 2^0)$$

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 d = binary digit

- binary 10101001 = decimal 169:

$$(1 \times 2^7) + (1 \times 2^5) + (1 \times 2^3) + (1 \times 2^0) = 128 + 32 + 8 + 1 = 169$$

Convert Unsigned Decimal to Binary

- Repeatedly divide the decimal integer by 2. Each remainder is a binary digit in the translated value:

Division	Quotient	Remainder
37 / 2	18	1
18 / 2	9	0
9 / 2	4	1
4 / 2	2	0
2 / 2	1	0
1 / 2	0	1

37 = 100101

stop when
quotient is zero

least significant bit

most significant bit

Another Procedure for Converting from Decimal to Binary

- Start with a binary representation of all 0's
- Determine the highest possible power of two that is less or equal to the number.
- Put a 1 in the bit position corresponding to the highest power of two found above.
- Subtract the highest power of two found above from the number.
- Repeat the process for the remaining number

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Another Procedure for Converting from Decimal to Binary

- Example: Converting 76d to Binary

1
---	---	---	---	---	---	---

- The highest power of 2 less or equal to 76 is 64, hence the seventh (MSB) bit is 1

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- Subtracting 64 from 76 we get 12

1	0	0	1	.	.	.
---	---	---	---	---	---	---

- The highest power of 2 less or equal to 12 is 8, hence the fourth bit position is 1

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- We subtract 8 from 12 and get 4.

1	0	0	1	1	.	.
---	---	---	---	---	---	---

- The highest power of 2 less or equal to 4 is 4, hence the third bit position is 1
- Subtracting 4 from 4 yield a zero, hence all the left bits are set to 0 to yield the final answer

1	0	0	1	1	0	0
---	---	---	---	---	---	---

Hexadecimal Integers

- Binary values are represented in hexadecimal.

Table 1-5 Binary, Decimal, and Hexadecimal Equivalents.

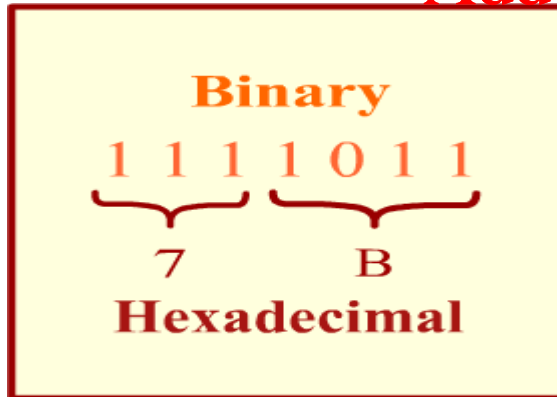
Binary	Decimal	Hexadecimal	Binary	Decimal	Hexadecimal
0000	0	0	1000	8	8
0001	1	1	1001	9	9
0010	2	2	1010	10	A
0011	3	3	1011	11	B
0100	4	4	1100	12	C
0101	5	5	1101	13	D
0110	6	6	1110	14	E
0111	7	7	1111	15	F

Converting Binary to Hexadecimal

- Each hexadecimal digit corresponds to 4 binary bits.
- Example: Translate the binary integer 000101101010011110010100 to hexadecimal

1	2	3	4	5	6
0001	0110	1010	0111	1001	0100

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Converting Hexadecimal to Binary

- Each Hexadecimal digit can be replaced by its 4-bit binary number to form the binary



Converting Hexadecimal to Decimal

- Multiply each digit by its corresponding power of 16:

$$\text{Decimal} = (d3 \times 16^3) + (d2 \times 16^2) + (d1 \times 16^1) + (d0 \times 16^0)$$

d = hexadecimal digit

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- **Examples:**

- Hex 1234 = $(1 \times 16^3) + (2 \times 16^2) + (3 \times 16^1) + (4 \times 16^0) =$
Decimal 4,660

- Hex 3BA4 = $(3 \times 16^3) + (11 \times 16^2) + (10 \times 16^1) + (4 \times 16^0) =$
Decimal 15,268

Converting Decimal to Hexadecimal

Repeatedly divide the decimal integer by 16. Each remainder is a hex digit in the translated value:

Division	Quotient	Remainder
422 / 16	26	6
26 / 16	1	A
1 / 16	0	1

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← least significant digit

→ most significant digit

stop when quotient is zero

Decimal 422 = 1A6 hexadecimal

Integer Storage Sizes

Standard sizes:

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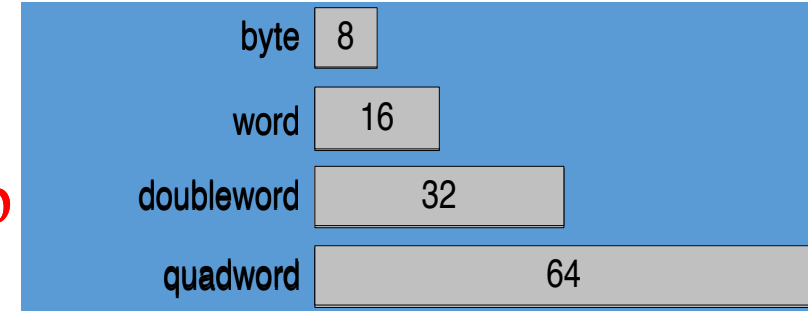


Table 1-4 Ranges of Unsigned Integers.

Storage Type	Range (low-high)	Powers of 2
Unsigned byte	0 to 255	0 to $(2^8 - 1)$
Unsigned word	0 to 65,535	0 to $(2^{16} - 1)$
Unsigned doubleword	0 to 4,294,967,295	0 to $(2^{32} - 1)$
Unsigned quadword	0 to 18,446,744,073,709,551,615	0 to $(2^{64} - 1)$

What is the largest unsigned integer that may be stored in 20 bits?

Binary Addition

- Start with the least significant bit (rightmost bit)
- Add each pair of bits
- Include the carry in the addition, if present

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carry: 1

	0	0	0	0	0	1	0	0	(4)
+	0	0	0	0	0	1	1	1	(7)
<hr/>									
	0	0	0	0	1	0	1	1	(11)

bit position: 7 6 5 4 3 2 1 0

Hexadecimal Addition

- Divide the sum of two digits by the number base (16). The quotient becomes the carry value, and the remainder is the sum digit.

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		1	1
36	28	28	6A
42	45	58	4B
78	6D	80	B5

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21 / 16 = 1, remainder 5

Important skill: Programmers frequently add and subtract the addresses of variables and instructions.

Signed Integers

- Several ways to represent a signed number
 - Sign-Magnitude
 - 1's complement
 - 2's complement
- Divide the range of values into 2 equal parts
 - First part corresponds to the positive numbers (≥ 0)
 - Second part correspond to the negative numbers (< 0)
- Focus will be on the 2's complement representation
 - Has many advantages over other representations
 - Used widely in processors to represent signed integers

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Two's Complement Representation

Positive numbers

Signed value = Unsigned value

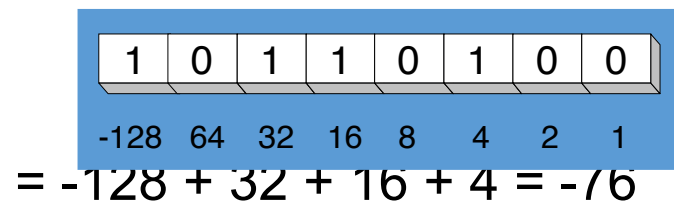
Negative numbers

Signed value = Unsigned value - 2^n

n = number of bits

Negative weight for MSB

Another way to obtain the signed value is to assign a negative weight to most-significant bit



8-bit Binary value	Unsigned value	Signed value
00000000	0	0
00000001	1	+1
00000010	2	+2
...
01111110	126	+126
01111111	127	+127
10000000	128	-128
10000001	129	-127
...
11111110	254	-2
11111111	255	-1

Forming the Two's Complement

starting value	00100100 = +36
step1: reverse the bits (1's complement)	11011011
step 2: add 1 to the value from step 1	+ 1
sum = 2's complement representation	11011100 = -36

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Sum of an integer and its 2's complement must be zero:

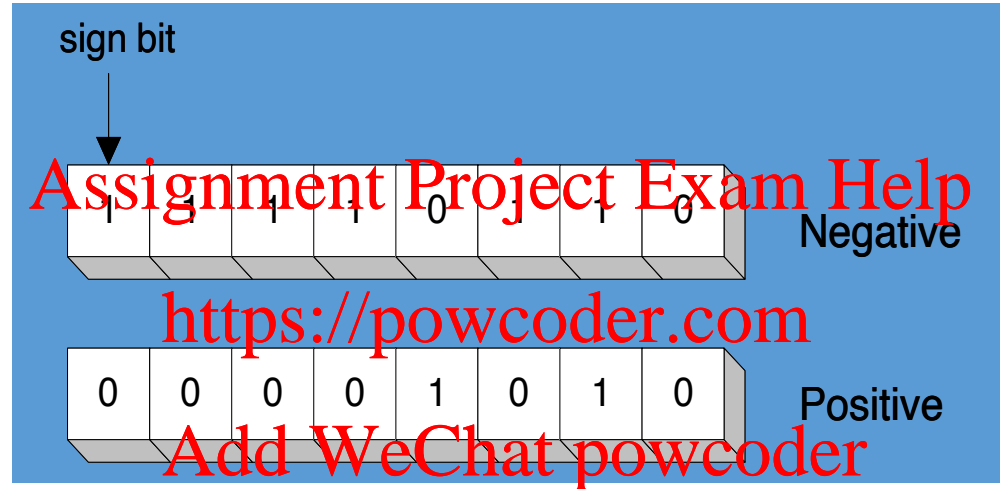
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$00100100 + 11011100 = 00000000$ (8-bit sum) \Rightarrow Ignore Carry

The easiest way to obtain the 2's complement of a binary number is by starting at the LSB, leaving all the 0s unchanged, look for the first occurrence of a 1. Leave this 1 unchanged and complement all the bits after it.

Sign Bit

Highest bit indicates the sign. 1 = negative, 0 = positive



If highest digit of a hexadecimal is > 7 , the value is negative

Examples: 8A and C5 are negative bytes

A21F and 9D03 are negative words

B1C42A00 is a negative double-word

Sign Extension

Step 1: Move the number into the lower-significant bits

Step 2: Fill all the remaining higher bits with the sign bit

- This will ensure that both magnitude and sign are correct

- Examples

- Sign-Extend 10110011 to 16 bits

10110011 = -77



11111111



10110011 = -77

- Sign-Extend 01100010 to 16 bits

01100010 = +98



00000000



01100010 = +98

- Infinite 0s can be added to the left of a positive number
- Infinite 1s can be added to the left of a negative number

Two's Complement of a Hexadecimal

- To form the two's complement of a hexadecimal
 - Subtract each hexadecimal digit from 15
 - Add 1

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- Examples:

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- 2's complement of 6A3D = 95C3
 - 2's complement of 92F0 = 6D10
 - 2's complement of FFFF = 0001
- No need to convert hexadecimal to binary

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Two's Complement of a Hexadecimal

- Start at the least significant digit, leaving all the 0s unchanged, look for the first occurrence of a non-zero digit.

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- Subtract this digit from 16.

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- Then subtract all remaining digits from 15.

- **Examples:**

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- 2's complement of 6A3D = 95C3

$$\begin{array}{r} \text{F F F 16} \\ - \text{6 A 3 D} \\ \hline \text{9 5 C 3} \end{array}$$

- 2's complement of 92F0 = 6D10

$$\begin{array}{r} \text{F F 16} \\ - \text{9 2 F 0} \\ \hline \text{6 D 1 0} \end{array}$$

- 2's complement of FFFF = 0001

Binary Subtraction

- When subtracting $A - B$, convert B to its 2's complement
- Add A to $(-B)$

$$\begin{array}{r}
 00001100 \\
 - 00000010 \\
 \hline
 00001010
 \end{array}
 \quad
 \begin{array}{r}
 00001100 \\
 + 11111110 \text{ (2's complement)} \\
 \hline
 00001010 \text{ (same result)}
 \end{array}$$

- Carry is ignored, because
 - Negative number is sign-extended with 1's
 - You can imagine infinite 1's to the left of a negative number
 - Adding the carry to the extended 1's produces extended zeros

Practice: Subtract 00100101 from 01101001.

Hexadecimal Subtraction

- When a borrow is required from the digit to the left, add 16 (decimal) to the current digit's value

16 + 5 = 21

-1 ↓

$$\begin{array}{r} \text{C675} \\ - \text{A247} \\ \hline \text{242E} \end{array}$$

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1 1

$$\begin{array}{r} \text{C675} \\ + \text{5DB9} \quad \text{(2's complement)} \\ \hline \text{242E} \quad \text{(same result)} \end{array}$$

- Last Carry is ignored

Practice: The address of **var1** is 00400B20. The address of the next variable after var1 is 0040A06C. How many bytes are used by var1?

Ranges of Signed Integers

The unsigned range is divided into two signed ranges for positive and negative numbers

Storage Type	Range (low–high)	Powers of 2
Signed byte	–128 to +127	-2^7 to $(2^7 - 1)$
Signed word	–32,768 to +32,767	-2^{15} to $(2^{15} - 1)$
Signed doubleword	–2,147,483,648 to 2,147,483,647	-2^{31} to $(2^{31} - 1)$
Signed quadword	–9,223,372,036,854,775,808 to +9,223,372,036,854,775,807	-2^{63} to $(2^{63} - 1)$

Practice: What is the range of signed values that may be stored in 20 bits?

Carry and Overflow

- Carry is important when ...
 - Adding or subtracting unsigned integers
 - Indicates that the unsigned sum is out of range
 - Either < 0 or $>$ maximum unsigned n -bit value
- Overflow is important when ...
 - Adding or subtracting signed integers
 - Indicates that the signed sum is out of range
- Overflow occurs when
 - Adding two positive numbers and the sum is negative
 - Adding two negative numbers and the sum is positive
 - Can happen because of the fixed number of sum bits

Carry and Overflow Examples

- We can have carry without overflow and vice-versa
- Four cases are possible

Diagram illustrating the addition of two 8-bit numbers:

0	0	0	0	1	1	1	1	15
0	0	0	0	1	0	0	0	8
<hr/>								
0	0	0	1	0	1	1	1	23

Carry = 0 Overflow = 0

1 1 1 1 1

0	0	0	0	1	1	1	1
---	---	---	---	---	---	---	---

15

+

1	1	1	1	1	0	0	0
---	---	---	---	---	---	---	---

245 (-8)

0	0	0	0	0	1	1	1
---	---	---	---	---	---	---	---

7

Carry = 0 Overflow = 0

Diagram illustrating the addition of two 8-bit numbers, 79 and 64, resulting in 143. The diagram shows the binary representation of the numbers and the result, along with the carry and overflow bits.

	1							
	0	1	0	0	1	1	1	1
	0	1	0	0	0	0	0	0
	1	0	0	0	1	1	1	1

Carry = 0 Overflow = 1

1 1 1

1	1	0	1	1	0	1	0
---	---	---	---	---	---	---	---

218 (-38)

+

1	0	0	1	1	1	0	1
---	---	---	---	---	---	---	---

157 (-99)

0	1	1	1	0	1	1	1
---	---	---	---	---	---	---	---

119

Carry = 1 Overflow = 1

Character Storage

- Character sets
 - Standard ASCII: 7-bit character codes (0 – 127)
 - Extended ASCII: 8-bit character codes (0 – 255)
 - Unicode: 16-bit character codes (0 – 65,535)
 - Unicode standard represents a universal character set
 - Defines codes for characters used in all major languages
 - Used in Windows-XP: each character is encoded as 16 bits
 - UTF-8: variable-length encoding used in HTML
 - Encodes all Unicode characters
 - Uses 1 byte for ASCII, but multiple bytes for other characters
- Null-terminated String
 - Array of characters followed by a NULL character

ASCII Codes

The Charcter set of the ASCII Code																
	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F
0	NUL	SOH	STX	ETX	EOT	ENQ	ACK	BEL	BS	HT	LF	VT	FF	CR	SO	SI
1	DLE	DC1	DC2	DC3	DC4	NAK	SYN	ETB	CAN	EM	SUB	ESC	FS	GS	RS	US
2	SP	!	"	#	\$	%	&	'	()	*	+	,	-	.	/
3	0	1	2	3	4	5	6	7	8	9	:	;	<	=	>	?
4	@	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O
5	P	Q	R	S	T	U	V	W	X	Y	Z	[\]	^	_
6	`	a	b	c	d	e	f	g	h	i	j	k	l	m	n	o
7	p	q	r	s	t	u	v	w	x	y	z	{		}	~	DEL

Examples:

- ASCII code for space character = 20 (hex) = 32 (decimal)
- ASCII code for 'A' = 41 (hex) = 65 (decimal)
- ASCII code for 'a' = 61 (hex) = 97 (decimal)

Control Characters

- The first 32 characters of ASCII table are used for control
- Control character codes = 00 to 1F (hex)
- Examples of Control Characters
 - Character 0 is the **NULL** character => used to terminate a string
 - Character 9 is the **Horizontal Tab (HT)** character
 - Character 0A (hex) = 10 (decimal) is the **Line Feed (LF)**
 - Character 0D (hex) = 13 (decimal) is the **Carriage Return (CR)**
 - The LF and CR characters are used together
 - They advance the cursor to the beginning of next line
- One control character appears at end of ASCII table
 - Character 7F (hex) is the **Delete (DEL)** character

Parity Bit

- Data errors can occur during data transmission or storage/retrieval.
- The 8th bit in the ASCII code is used for error checking.
- This bit is usually referred to as the parity bit.
- There are two ways for error checking.
 - **Even Parity:** Where the 8th bit is set such that the total number of 1s in the 8-bit code word is even.
 - **Odd Parity:** The 8th bit is set such that the total number of 1s in the 8-bit code word is odd.

0	1	0	0	0	0	0	1
---	---	---	---	---	---	---	---

P							
1	1	0	0	0	0	0	1