

# Assignment Project Exam Help

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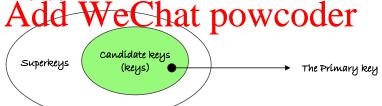
#### A Bunch of Keys

# ASSI SALDS of the attribute of Jean Schema Aid Inperkey of puniquely determines all attributes of R.

A superkey K is called a candidate key if no proper subset of K is a superkey.

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 Candidate keys are also called keys, and the primary key is chosen from them.





### **Finding Keys**

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• Given a set  $\Sigma$  of FDs on a relation R, the question is:  $\begin{array}{c|c}
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#### **Implied Functional Dependencies**

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- To design a good database, we need to consider all possible FDs.
- If each student works on one project and each project has one supervisor, does each student have one project supervisor?

```
 \begin{array}{c} \{\{\text{StudentID}\} \rightarrow \{\text{ProjectNo}\}, \\ \text{Add We chat } powcoder \end{array} \}
```

- We use the notation  $\Sigma \models X \to Y$  to denote that  $X \to Y$  is **implied** by the set  $\Sigma$  of FDs.
- We write  $\Sigma^*$  for all possible FDs **implied** by  $\Sigma$ .



#### **Equivalence of Functional Dependencies**

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• Example Le  $\Sigma_1$   $\Sigma_2$   $\Sigma_2$   $\Sigma_3$   $\Sigma_4$   $\Sigma_4$   $\Sigma_4$   $\Sigma_2$   $\Sigma_3$   $\Sigma_4$   $\Sigma_4$   $\Sigma_4$   $\Sigma_4$   $\Sigma_4$   $\Sigma_4$   $\Sigma_4$   $\Sigma_4$   $\Sigma_4$   $\Sigma_4$  and  $\Sigma_5$  are equivalent.

#### Questions:

- 1 Is it possible that  $\Sigma_1^* = \Sigma_2^*$  but  $\Sigma_1 \neq \Sigma_2$ ? Yes
- ② Is it possible that  $\Sigma_1^* \neq \Sigma_2^*$  but  $\Sigma_1 = \Sigma_2$ ? **No**



### **Implied Functional Dependencies**

### Assignment Probect Exame Help

- **1** Compute **the set of all attributes** that are dependent on X, which is called the **closure** of X under  $\Sigma$  and is denoted by  $X^+$ .
- AIGHT PS. // Powcoder.com
  - $X^+ := X$ ; • for each  $Y \to Z \in \Sigma$  with  $Y \subseteq X^+$ , add all the attributes in Z to  $X^+$ , i.e., replace  $X^+$  by  $X^+ \cup Z$ .

See Algorithm 15.1 on Page 538 in [Elmasri & Navathe, 7th edition] or Algorithm 1 on Page 555 in [Elmasri & Navathe, 6th edition]



### Implied Functional Dependencies – Example

# Assignment Project, Exam Help $\Sigma = \{AC \rightarrow B, B \rightarrow CD, C \rightarrow E, AF \rightarrow B\}$ on R.

• Decide whether or not  $\Sigma \models AC \rightarrow ED$  holds . • The property of the propert

$$\begin{array}{c} (AC)^{+} \supseteq AC & \text{initialisation} \\ ACB & \text{using } AC \rightarrow B \\ \supseteq ACBDE & \text{using } AC \rightarrow B \\ = ACBDE & \text{using } ACB$$

- **2** Then we check that  $ED \subseteq (AC)^+$ . Hence  $\Sigma \models AC \rightarrow ED$ .
- Can you quickly tell whether or not  $\Sigma \models AC \rightarrow EF$  holds?



#### Finding Keys

### Assignment Project Exam Help

• Algorithm<sup>2</sup>:

Output: Lipeser of all Levis of WCOder.com

for every subset X of the relation R, compute its closure X<sup>+</sup>

if  $X^+ = R$ , then X is a superkey. At order was of  $X^+$  is a superkey.

 A prime attribute is an attribute occurring in a key, and a non-prime attribute is an attribute that is not a prime attribute.

 $<sup>^2</sup>$ It extends Algorithm 15.2(a) in [Elmasri & Navathe, 7th edition, pp. 542], or Algorithm 2(a) or in Algorithm 2(a) in [Elmasri & Navathe, 6th edition pp. 558] to finding all keys of R



#### Exercise – Finding Keys

### Assception is a relation scheme of the control of t

- List all the keys and superkeys of R.
- Find all the prime attributes of R.
- Solution: Describing the stributes of the attributes in R:
  - $(A)^+ = A, (B)^+ = B, (C)^+ = C, (D)^+ = D;$

- $(ABC)^+ = ABCD$ ,  $(ABD)^+ = ABCD$ ,  $(ACD)^+ = ACD$ ,  $(BCD)^+ = BCD$
- 2 Hence, we have
  - AB is the only key of R.
  - AB, ABC, ABD and ABCD are the superkeys of R.
  - A and B are the prime attributes of R.



### **Exercise – Finding Keys**

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**Example:** Still consider a relation schema  $R = \{A, B, C, D\}$  and

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- Some tricks:
  - If an attribute never appears in the dependent of any FD, this attribute
  - If an attribute never appears in the determinant of any FD but appears in the dependent of any FD, this attribute must not be part of each key.
  - If a proper subset of X is a key, then X must not be a key.



#### Finding Keys - Example

## Assign Fine File Problem Exam Help

- $\qquad \qquad \{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{ConfirmedBy, Office} \};$
- {ConfirmedBy} → {Office}.

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	Name	StudentID	CourseNo	Semester	ConfirmedBy	Office
	Tom	123456	COMP2400	2010 S2	Jane	R301
	Mike	123458	COMP2400	2008 S2	Linda	R203
	Mike	12.14.18	OMF 2606	- 2008 52	x 7 chinda	<b>P2</b> 03
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- What are the keys, superkeys and prime attributes of ENROLMENT?
  - {StudentID, CourseNo, Semester} is the only key.
  - Every set that has {StudentID, CourseNo, Semester} as its subset is a superkey.
  - StudentID, CourseNo and Semester are the prime attributes.