

Week 6 Workshop – Normalisation

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http://en.wikipedia.org/wiki/Ursus_Wehrli



Housekeeping

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- **Assignment 1 (SQL) (due 11:59pm, 3 Sep 2021)**

The mark and feedback will be released on 17 Sep 2021.

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Housekeeping

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- **Assignment 1 (SQL) (due 11:59pm, 3 Sep 2021)**

The mark and feedback will be released on 17 Sep 2021.

- **An optional exercise website for our course**

<https://cs.anu.edu.au/dab/bench/db-exercises/>

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Housekeeping

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- **Assignment 1 (SQL) (due 11:59pm, 3 Sep 2021)**

The mark and feedback will be released on 17 Sep 2021.

- **An optional exercise website for our course**

<https://cs.anu.edu.au/dab/bench/db-exercises/>

- **An anonymous survey from our course representatives on Wattle (till 4 Sep / end Week 6)**

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Decomposition vs Normalisation

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Decomposing a relation schema can possibly create more problems than it solves!

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Decomposition vs Normalisation

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Decomposing a relation schema can possibly create more problems than it solves!

- Thus, we need to consider two important questions:

① Do we need to decompose a relation?

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Decomposition vs Normalisation

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Decomposing a relation schema can possibly create more problems than it solves!

- Thus, we need to consider two important questions:

1 Do we need to decompose a relation?

- Several normal forms

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help us to decide whether or not to decompose a relation



Decomposition vs Normalisation

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Decomposing a relation schema can possibly create more problems than it solves!

- Thus, we need to consider two important questions:

1 Do we need to decompose a relation?

- Several normal forms

help us to decide whether or not to decompose a relation

2 What problem (if any) does a given decomposition cause?



Decomposition vs Normalisation

Assignment Project Exam Help

Decomposing a relation schema can possibly create more problems than it solves!

- Thus, we need to consider two important questions:

1 Do we need to decompose a relation?

- Several normal forms

↪ help us to decide whether or not to decompose a relation

2 What problem (if any) does a given decomposition cause?

- Two properties

↪ help us to decide how to decompose a relation



Two Properties

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- In addition to **data redundancy**, we need to consider the following properties when decomposing a relation:

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Two Properties

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- In addition to **data redundancy**, we need to consider the following properties when decomposing a relation:

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Lossy Join – "capture the same data"

To disallow the possibility of generating spurious tuples when a NATURAL JOIN operation is applied to the relations after decomposition.

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Two Properties

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- In addition to **data redundancy**, we need to consider the following properties when decomposing a relation:

● Lossless join – “capture the same data”
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To disallow the possibility of generating spurious tuples when a NATURAL JOIN operation is applied to the relations after decomposition.

● Dependency preservation – “capture the same meta-data”
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To ensure that each functional dependency can be inferred from functional dependencies after decomposition.



Lossless Join – Example

• Lossless join – “capture the same data”
To disallow the possibility of generating spurious tuples when a NATURAL JOIN operation is applied to the relations after decomposition.

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Lossless Join – Example

Lossless join – “capture the same data.”
To disallow the possibility of generating spurious tuples when a NATURAL JOIN operation is applied to the relations after decomposition.

R		
Name	StudentID	DoB
Mike	123456	20/09/1989
Mike	123458	25/01/1988

R_1	
Name	StudentID
Mike	123456
Mike	123458

R_2	
StudentID	DoB
123456	20/09/1989
123458	25/01/1988

- Example 1:** Does the decomposition of R into R_1 and R_2 has the lossless join property?

Lossless Join – Example

Lossless join – “capture the same data.”
To disallow the possibility of generating spurious tuples when a NATURAL JOIN operation is applied to the relations after decomposition.

R		
Name	StudentID	DoB
Mike	123456	20/09/1989
Mike	123458	25/01/1988

R_1	
Name	StudentID
Mike	123456
Mike	123458

R_2	
StudentID	DoB
123456	20/09/1989
123458	25/01/1988

- Example 1:** Does the decomposition of R into R_1 and R_2 has the lossless join property?

Yes, because the natural join of R_1 and R_2 yields R .



Lossless Join – Example

- Lossless join – “capture the same data”

To disallow the possibility of generating spurious tuples when a NATURAL JOIN operation is applied to the relations after decomposition.

R		
Name	StudentID	DoB
Mike	123456	20/09/1989
Mike	123458	25/01/1988

R ₃	
Name	StudentID
Mike	123456
Mike	123458

R ₄	
Name	DoB
Mike	20/09/1989
Mike	25/01/1988

- Example 2:** Does the decomposition of R into R_3 and R_4 has the lossless join property?

Lossless Join – Example

- Lossless join – “capture the same data”

To disallow the possibility of generating spurious tuples when a NATURAL JOIN operation is applied to the relations after decomposition.

R		
Name	StudentID	DoB
Mike	123456	20/09/1989
Mike	123458	25/01/1988

R ₃	
Name	StudentID
Mike	123456
Mike	123458

R ₄	
Name	DoB
Mike	20/09/1989
Mike	25/01/1988

- Example 2:** Does the decomposition of R into R_3 and R_4 has the lossless join property?

No, because the natural join of R_3 and R_4 generates spurious tuples.



Lossless Join – Example

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• **Example 1:** The following decomposition from R into R_3 and R_4 doesn't have the lossless join property. **It generates spurious tuples.**

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R		
Name	StudentID	DoB
Mike	123456	20/09/1989
Mike	123458	25/01/1988

SELECT * FROM R_3 NATURAL JOIN R_4		
Name	StudentID	DoB
Mike	123456	20/09/1989
Mike	123456	25/01/1988
Mike	123458	20/09/1989
Mike	123458	25/01/1988

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R_3	
Name	StudentID
Mike	123456
Mike	123458

R_4	
Name	DoB
Mike	20/09/1989
Mike	25/01/1988



Lossless Join – Example

Lossless join – “capture the same data.”

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R		
Name	StudentID	DoB
Mike	123456	20/09/1989
Mike	123458	25/01/1988

R ₁	
Name	StudentID
Mike	123456
Mike	123458

R ₂	
StudentID	DoB
123456	20/09/1989
123458	25/01/1988

Lossless join

R ₃	
Name	StudentID
Mike	123456
Mike	123458

R ₄	
Name	DoB
Mike	20/09/1989
Mike	25/01/1988

Not lossless join



Dependency Preservation – Example

- **Dependency preservation:** To ensure that each functional dependency can be inferred from functional dependencies after decomposition.

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Dependency Preservation – Example

- **Dependency preservation:** To ensure that each functional dependency can be inferred from functional dependencies after decomposition.

- **Example 1:** Given a FD $\{StudentID\} \rightarrow \{Name\}$ defined on R

R		
Name	StudentID	CourseNo
Mike	123456	COMP2400
Mike	123458	COMP2600

R_1	
Name	StudentID
Mike	123456
Mike	123458

R_2	
StudentID	CourseNo
123456	COMP2400
123458	COMP2600

- Does the above decomposition preserves $\{StudentID\} \rightarrow \{Name\}$?



Dependency Preservation – Example

● **Dependency preservation:** To ensure that each functional dependency can be inferred from functional dependencies after decomposition.

- **Example 1:** Given a FD $\{\text{StudentID}\} \rightarrow \{\text{Name}\}$ defined on R

R		
Name	StudentID	CourseNo
Mike	123456	COMP2400
Mike	123458	COMP2600

R_1	
Name	StudentID
Mike	123456
Mike	123458

R_2	
StudentID	CourseNo
123456	COMP2400
123458	COMP2600

- Does the above decomposition preserves $\{\text{StudentID}\} \rightarrow \{\text{Name}\}$?
Yes, because $\{\text{StudentID}\}$ and $\{\text{Name}\}$ are both in R_1 after decomposition and thus $\{\text{StudentID}\} \rightarrow \{\text{Name}\}$ is preserved in R_1 .

Dependency Preservation – Example

- **Dependency preservation:** To ensure that each functional dependency can be inferred from functional dependencies after decomposition.

- **Example 2:** Given a FD $\{StudentID\} \rightarrow \{Name\}$ defined on R

R		
Name	StudentID	CourseNo
Mike	123456	COMP2400
Mike	123458	COMP2600

R_1	
Name	CourseNo
Mike	COMP2400
Mike	COMP2600

R_2	
StudentID	CourseNo
123456	COMP2400
123458	COMP2600

- Does the above decomposition preserves $\{StudentID\} \rightarrow \{Name\}$?



Dependency Preservation – Example

Dependency preservation: To ensure that each functional dependency can be inferred from functional dependencies after decomposition.

- Example 2:** Given a FD $\{StudentID\} \rightarrow \{Name\}$ defined on R

R		
Name	StudentID	CourseNo
Mike	123456	COMP2400
Mike	123458	COMP2600

R_1	
Name	CourseNo
Mike	COMP2400
Mike	COMP2600

R_2	
StudentID	CourseNo
123456	COMP2400
123458	COMP2600

- Does the above decomposition preserves $\{StudentID\} \rightarrow \{Name\}$?
No, because $\{StudentID\}$ and $\{Name\}$ are not in a same relation after decomposition.

Dependency Preservation – Example

- **Dependency preservation.** To ensure that each functional dependency can be inferred from functional dependencies after decomposition.

- **Example 3:** Given a set of FDs $\{ \{ \text{StudentID} \} \rightarrow \{ \text{Email} \}, \{ \text{Email} \} \rightarrow \{ \text{Name} \}, \{ \text{StudentID} \} \rightarrow \{ \text{Name} \} \}$ defined on R

R		
Name	StudentID	Email
Mike	123456	123456@anu.edu.au
Tom	123123	123123@anu.edu.au

R_1		R_2	
Name	Email	StudentID	Email
Mike	123456@anu.edu.au	123456	123456@anu.edu.au
Tom	123123@anu.edu.au	123123	123123@anu.edu.au

Dependency Preservation – Example

- **Dependency preservation.** To ensure that each functional dependency can be inferred from functional dependencies after decomposition.

- **Example 3:** Given a set of FDs $\{ \{ \text{StudentID} \} \rightarrow \{ \text{Email} \}, \{ \text{Email} \} \rightarrow \{ \text{Name} \}, \{ \text{StudentID} \} \rightarrow \{ \text{Name} \} \}$ defined on R

R		
Name	StudentID	Email
Mike	123456	123456@anu.edu.au
Tom	123123	123123@anu.edu.au

R ₁		R ₂	
Name	Email	StudentID	Email
Mike	123456@anu.edu.au	123456	123456@anu.edu.au
Tom	123123@anu.edu.au	123123	123123@anu.edu.au

- Does the above decomposition preserves $\{ \text{StudentID} \} \rightarrow \{ \text{Name} \}$?

Dependency Preservation – Example

- **Dependency preservation.** To ensure that each functional dependency can be inferred from functional dependencies after decomposition.

- **Example 3:** Given a set of FDs $\{ \{ \text{StudentID} \} \rightarrow \{ \text{Email} \}, \{ \text{Email} \} \rightarrow \{ \text{Name} \}, \{ \text{StudentID} \} \rightarrow \{ \text{Name} \} \}$ defined on R

R		
Name	StudentID	Email
Mike	123456	123456@anu.edu.au
Tom	123123	123123@anu.edu.au

R_1		R_2	
Name	Email	StudentID	Email
Mike	123456@anu.edu.au	123456	123456@anu.edu.au
Tom	123123@anu.edu.au	123123	123123@anu.edu.au

- Does the above decomposition preserves $\{ \text{StudentID} \} \rightarrow \{ \text{Name} \}$?
Yes, because $\{ \text{StudentID} \} \rightarrow \{ \text{Name} \}$ can be inferred by $\{ \text{StudentID} \} \rightarrow \{ \text{Email} \}$ (preserved in R_2) and $\{ \text{Email} \} \rightarrow \{ \text{Name} \}$ (preserved in R_1).



Discussion

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- If R with a set Σ of FDs is decomposed into R_1 with Σ_1 and R_2 with Σ_2 ,

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Discussion

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- If R with a set Σ of FDs is decomposed into R_1 with Σ_1 and R_2 with Σ_2 ,
 - **Lossless join** if and only if the common attributes of R_1 and R_2 are a superkey for R_1 or R_2 ;

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Discussion

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- If R with a set Σ of FDs is decomposed into R_1 with Σ_1 and R_2 with Σ_2 ,
 - **Lossless join** if and only if the common attributes of R_1 and R_2 are a superkey for R_1 or R_2 ;
 - **Dependency preserving** if and only if $(\Sigma_1 \cup \Sigma_2)^* = \Sigma^*$ holds.

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Discussion

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- If R with a set Σ of FDs is decomposed into R_1 with Σ_1 and R_2 with Σ_2 ,
 - **Lossless join** if and only if the common attributes of R_1 and R_2 are a superkey for R_1 or R_2 ;
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- Consider $R=\{A, B, C\}$ with the set of FDs $\Sigma = \{A \rightarrow B, B \rightarrow C, A \rightarrow C\}$. Does the decomposition of R into $R_1 = \{A, B\}$ and $R_2 = \{A, C\}$ fulfill lossless join and dependency preserving?

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Discussion

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- If R with a set Σ of FDs is decomposed into R_1 with Σ_1 and R_2 with Σ_2 ,
 - **Lossless join** if and only if the common attributes of R_1 and R_2 are a superkey for R_1 or R_2 ;
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 - $\Sigma_1 = \{A \rightarrow B\}$ and $\Sigma_2 = \{A \rightarrow C\}$

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Discussion

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- If R with a set Σ of FDs is decomposed into R_1 with Σ_1 and R_2 with Σ_2 ,
 - **Lossless join** if and only if the common attributes of R_1 and R_2 are a superkey for R_1 or R_2 ;
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 - $\Sigma_1 = \{A \rightarrow B\}$ and $\Sigma_2 = \{A \rightarrow C\}$
 - **Lossless join?**

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Discussion

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- If R with a set Σ of FDs is decomposed into R_1 with Σ_1 and R_2 with Σ_2 ,
 - **Lossless join** if and only if the common attributes of R_1 and R_2 are a superkey for R_1 or R_2 ;
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 - $\Sigma_1 = \{A \rightarrow B\}$ and $\Sigma_2 = \{A \rightarrow C\}$
 - **Lossless join?** Yes because A is a superkey for R_1 .

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Discussion

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- If R with a set Σ of FDs is decomposed into R_1 with Σ_1 and R_2 with Σ_2 ,
 - **Lossless join** if and only if the common attributes of R_1 and R_2 are a superkey for R_1 or R_2 ;
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- $\Sigma_1 = \{A \rightarrow B\}$ and $\Sigma_2 = \{A \rightarrow C\}$
 - **Lossless join?** Yes because A is a superkey for R_1 .
 - **Dependency preserving?**

Discussion

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- If R with a set Σ of FDs is decomposed into R_1 with Σ_1 and R_2 with Σ_2 ,
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- $\Sigma_1 = \{A \rightarrow B\}$ and $\Sigma_2 = \{A \rightarrow C\}$
- **Lossless join?** Yes because A is a superkey for R_1 .
- **Dependency preserving?** No because $(\Sigma_1 \cup \Sigma_2)^* \neq \Sigma^*$ from the fact that $\{A \rightarrow B, A \rightarrow C\} \not\models B \rightarrow C$.



Discussion

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- If R with a set Σ of FDs is decomposed into R_1 with Σ_1 and R_2 with Σ_2 ,
 - **Lossless join** if and only if the common attributes of R_1 and R_2 are a superkey for R_1 or R_2 ;
 - **Dependency preserving** if and only if $(\Sigma_1 \cup \Sigma_2)^* = \Sigma^*$ holds.

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- Consider $R=\{A, B, C\}$ with the set of FDs $\Sigma = \{A \rightarrow B, B \rightarrow C, A \rightarrow C\}$. Does the decomposition of R into $R_1 = \{A, B\}$ and $R_3 = \{B, C\}$ fulfill lossless join and dependency preserving?

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Discussion

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- If R with a set Σ of FDs is decomposed into R_1 with Σ_1 and R_2 with Σ_2 ,
 - **Lossless join** if and only if the common attributes of R_1 and R_2 are a superkey for R_1 or R_2 ;
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 - $\Sigma_1 = \{A \rightarrow B\}$ and $\Sigma_3 = \{B \rightarrow C\}$

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Discussion

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 - $\Sigma_1 = \{A \rightarrow B\}$ and $\Sigma_3 = \{B \rightarrow C\}$
 - **Lossless join?**

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Discussion

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- $\Sigma_1 = \{A \rightarrow B\}$ and $\Sigma_3 = \{B \rightarrow C\}$
- **Lossless join?** Yes because B is a superkey for R_3 .



Discussion

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- If R with a set Σ of FDs is decomposed into R_1 with Σ_1 and R_2 with Σ_2 ,
 - **Lossless join** if and only if the common attributes of R_1 and R_2 are a superkey for R_1 or R_2 ;
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- Add WeChat powcoder**
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Discussion

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- If R with a set Σ of FDs is decomposed into R_1 with Σ_1 and R_2 with Σ_2 ,
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- $\Sigma_1 = \{A \rightarrow B\}$ and $\Sigma_3 = \{B \rightarrow C\}$
- **Lossless join?** Yes because B is a superkey for R_3 .
- **Dependency preserving?** Yes because $(\Sigma_1 \cup \Sigma_3)^* = \Sigma^*$ from the fact that $\{A \rightarrow B, B \rightarrow C\} \models A \rightarrow C$.

Normal Forms

Normal forms

Test criteria

1NF



2NF



3NF

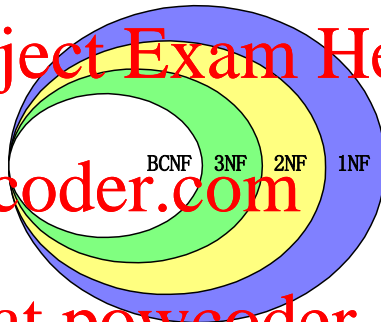


BCNF

weak



strong



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● **Note that:**

- 1NF is independent of keys and functional dependencies.
- 2NF, 3NF and BCNF are based on keys and functional dependencies.
- 4NF and 5NF are based on other dependencies (will not be covered in this course).



BCNF

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Do not represent the same fact twice (within a relation)!

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BCNF - Definition

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- A relation schema R is in BCNF if whenever a non-trivial FD $X \rightarrow Y$ holds in R , then X is a **superkey**.

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BCNF - Definition

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- A relation schema R is in **BCNF** if whenever a non-trivial FD $X \rightarrow A$ holds in R , then X is a **superkey**.

- When a relation schema is in **BCNF**, all data redundancy based on functional dependency are removed.

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BCNF - Definition

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- A relation schema R is in **BCNF** if whenever a non-trivial FD $X \rightarrow Y$ holds in R , then X is a **superkey**.

- When a relation schema is in **BCNF**, all data redundancy based on functional dependency are removed.

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- Here **data redundancy** is considered in terms of FDs, i.e., for a non-trivial FD $X \rightarrow Y$, there exists a relation R that contains two distinct tuples t_1 and t_2 with $t_1[XY] = t_2[XY]$.

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$\{\text{CourseName}\} \rightarrow \{\text{Instructor}\}$

TEACH		
StudentID	CourseName	Instructor
u123456	Operating Systems	Hegel
u234566	Relational Databases	Yu
u234567	Relational Databases	Yu



Normalisation to BCNF

- A relation schema R is in **BCNF** if whenever a non-trivial FD $X \rightarrow A$ holds in R , then X is a superkey.

- Consider the relation schema **TEACH** with the following FD:

- $\{\text{CourseName}\} \rightarrow \{\text{Instructor}\}.$

TEACH		
StudentID	CourseName	Instructor
u123456	Operating Systems	Hegel
u234566	Relational Databases	Yu
u734567	Relational Databases	Yu

- Is **TEACH** in BCNF?



Normalisation to BCNF

- A relation schema R is in **BCNF** if whenever a non-trivial FD $X \rightarrow A$ holds in R , then X is a superkey.

- Consider the relation schema **TEACH** with the following FD:

- $\{\text{CourseName}\} \rightarrow \{\text{Instructor}\}.$

TEACH

StudentID	CourseName	Instructor
u123456	Operating Systems	Hegel
u234566	Relational Databases	Yu
u734567	Relational Databases	Yu

- Is **TEACH** in BCNF?

Not in BCNF because $\{\text{CourseName}\}$ is not a superkey.



Normalisation to BCNF

- A relation schema R is in **BCNF** if whenever a non-trivial FD $X \rightarrow A$ holds in R , then X is a superkey.
- Consider the relation schema **TEACH** with the following FD:

- $\{\text{CourseName}\} \rightarrow \{\text{Instructor}\}$.

TEACH		
StudentID	CourseName	Instructor
u123456	Operating Systems	Hegel
u234566	Relational Databases	Yu
u734567	Relational Databases	Yu

- Is **TEACH** in BCNF?
Not in BCNF because $\{\text{CourseName}\}$ is not a superkey.
- Did we represent the same fact twice (or more times)?



Normalisation to BCNF

- A relation schema R is in **BCNF** if whenever a non-trivial FD $X \rightarrow A$ holds in R , then X is a **superkey**.

- Consider the relation schema **TEACH** with the following FD:

- $\{\text{CourseName}\} \rightarrow \{\text{Instructor}\}.$

TEACH

StudentID	CourseName	Instructor
u123456	Operating Systems	Hegel
u234567	Relational Databases	Yu
u734567	Relational Databases	Yu

- Is **TEACH** in BCNF?

Not in BCNF because $\{\text{CourseName}\}$ is not a superkey.

- Did we represent the same fact twice (or more times)?

Yes, the Instructor of Relational Databases is Yu.



Normalisation to BCNF

Assignment Project Exam Help

- Algorithm for a BCNF decomposition

Input: a relation schema R' and a set Σ of FDs on R' .

Output: a set \mathcal{S} of relation schemas in BCNF, each having a set of FDs

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Normalisation to BCNF

- Algorithm for a BCNF decomposition

Input: a relation schema R' and a set Σ of FDs on R' .

Output: a set \mathcal{S} of relation schemas in BCNF, each having a set of FDs

- Start with $\mathcal{S} = \{R'\}$;

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Normalisation to BCNF

- Algorithm for a BCNF decomposition

Input: a relation schema R' and a set Σ of FDs on R' .

Output: a set \mathcal{S} of relation schemas in BCNF, each having a set of FDs

- Start with $\mathcal{S} = \{R'\}$;
- Do the following for each $R \in \mathcal{S}$ iteratively until no changes on \mathcal{S} :
 - Find a (non-trivial) FD $X \rightarrow Y$ on R that violates BCNF, if any;
 - Replace R in \mathcal{S} by two relation schemas XY and $(R - Y)$ and project the FDs to these two relation schemas.



Normalisation to BCNF

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- Does the above Algorithm always produce a lossless decomposition?



Normalisation to BCNF

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If R with a set Σ of FDs is decomposed into R_1 with Σ_1 and R_2 with Σ_2 , this decomposition is **lossless join** if and only if the common attributes of R_1 and R_2 are a superkey for R_1 or R_2 .



Normalisation to BCNF

- Algorithm for a BCNF decomposition

Input: a relation schema R' and a set Σ of FDs on R' .

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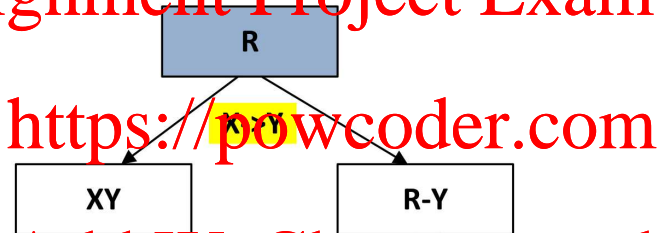
- Does the above Algorithm always produce a lossless decomposition?

If R with a set Σ of FDs is decomposed into R_1 with Σ_1 and R_2 with Σ_2 , this decomposition is **lossless join** if and only if the common attributes of R_1 and R_2 are a superkey for R_1 or R_2 .

- Yes because X is a superkey for XY .**

Normalisation to BCNF

Assignment Project Exam Help



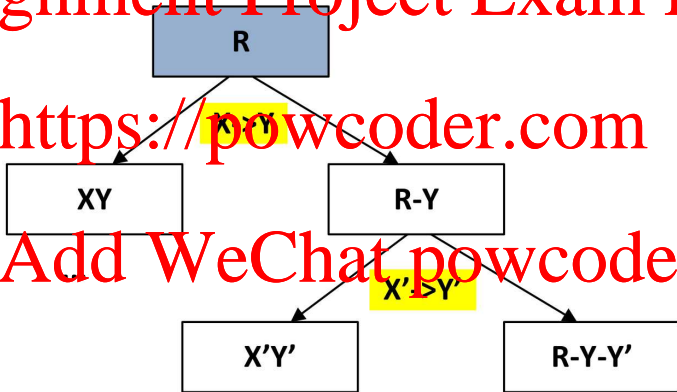
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Normalisation to BCNF

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Normalisation to BCNF

- A relation schema R is in **BCNF** if whenever a non-trivial FD $X \rightarrow Y$ holds in R , then X is a superkey.
- Consider the relation schema **TEACH** with the following FD:

$\{ \text{CourseName} \} \twoheadrightarrow \{ \text{Instructor} \}$

TEACH		
StudentID	CourseName	Instructor
u123456	Operating Systems	Hegel
u234566	Relational Databases	Yu
u234567	Relational Databases	Yu

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Normalisation to BCNF

- A relation schema R is in **BCNF** if whenever a non-trivial FD $X \rightarrow Y$ holds in R , then X is a superkey.
- Consider the relation schema **TEACH** with the following FD:

$\{ \text{CourseName} \} \twoheadrightarrow \{ \text{Instructor} \}$

TEACH		
StudentID	CourseName	Instructor
u123456	Operating Systems	Hegel
u234566	Relational Databases	Yu
u234567	Relational Databases	Yu

- Can we normalise **TEACH** into BCNF?



Normalisation to BCNF

- A relation schema R is in **BCNF** if whenever a non-trivial FD $X \rightarrow Y$ holds in R , then X is a **superkey**.
- Consider the relation schema **TEACH** with the following FD:

$\{ \text{CourseName} \} \twoheadrightarrow \{ \text{Instructor} \}$

TEACH		
StudentID	CourseName	Instructor
u123456	Operating Systems	Hegel
u234566	Relational Databases	Yu
u234567	Relational Databases	Yu

- Can we normalise **TEACH** into BCNF? **Yes**

R_1

CourseName	Instructor
Operating Systems	Hegel
Relational Databases	Yu

R_2

StudentID	CourseName
u123456	Operating Systems
u234566	Relational Databases
u234567	Relational Databases



Normalisation to BCNF

- A relation schema R is in **BCNF** if whenever a non-trivial FD $X \rightarrow Y$ holds in R , then X is a **superkey**.
- Consider the relation schema **TEACH** with the following FD:

$\{ \text{CourseName} \} \twoheadrightarrow \{ \text{Instructor} \}$

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StudentID	CourseName	Instructor
u123456	Operating Systems	Hegel
u234566	Relational Databases	Yu
u234567	Relational Databases	Yu

- Can we normalise **TEACH** into BCNF? **Yes**

R_1

CourseName	Instructor
Operating Systems	Hegel
Relational Databases	Yu

R_2

StudentID	CourseName
u123456	Operating Systems
u234566	Relational Databases
u234567	Relational Databases

- Do not represent the same fact twice (within a relation)!**



BCNF - Exercise

Assignment Project Exam Help

- Consider $IN_EFVIEW = \{OfficerID, CustomerID, Date, Time, Room\}$ with the following FDs:

- $\{OfficerID, Date\} \rightarrow \{Room\}$
- $\{CustomerID, Date\} \rightarrow \{OfficerID, Time\}$
- $\{OfficerID, Date, Time\} \rightarrow \{CustomerID\}$
- $\{Date, Time, Room\} \rightarrow \{CustomerID\}$

- Is INTERVIEW in BCNF? If not, normalize INTERVIEW into BCNF.

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BCNF - Exercise

Assignment Project Exam Help

- Consider $IN_EFW = \{OfficerID, CustomerID, Date, Time, Room\}$ with the following FDs:

- $\{OfficerID, Date\} \rightarrow \{Room\}$
- $\{CustomerID, Date\} \rightarrow \{OfficerID, Time\}$
- $\{OfficerID, Date, Time\} \rightarrow \{CustomerID\}$
- $\{Date, Time, Room\} \rightarrow \{CustomerID\}$

- Is INTERVIEW in BCNF? If not, normalize INTERVIEW into BCNF.

- $\{CustomerID, Date\}$, $\{OfficerID, Date, Time\}$, and $\{Date, Time, Room\}$ are the keys.

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BCNF - Exercise

Assignment Project Exam Help

- Consider $IN_EFWAEW = \{OfficerID, CustomerID, Date, Time, Room\}$ with the following FDs:

- $\{OfficerID, Date\} \rightarrow \{Room\}$
- $\{CustomerID, Date\} \rightarrow \{OfficerID, Time\}$
- $\{OfficerID, Date, Time\} \rightarrow \{CustomerID\}$
- $\{Date, Time, Room\} \rightarrow \{CustomerID\}$

- Is INTERVIEW in BCNF? If not, normalize INTERVIEW into BCNF.

- $\{CustomerID, Date\}$, $\{OfficerID, Date, Time\}$, and $\{Date, Time, Room\}$ are the keys.
- Any superkey must contain one of these keys as a subset.



BCNF - Exercise

Assignment Project Exam Help

- Consider $IN_EFVIEW = \{OfficerID, CustomerID, Date, Time, Room\}$ with the following FDs:

- $\{OfficerID, Date\} \rightarrow \{Room\}$
- $\{CustomerID, Date\} \rightarrow \{OfficerID, Time\}$
- $\{OfficerID, Date, Time\} \rightarrow \{CustomerID\}$
- $\{Date, Time, Room\} \rightarrow \{CustomerID\}$

- Is **INTERVIEW** in BCNF? If not, normalize **INTERVIEW** into BCNF.

- $\{CustomerID, Date\}$, $\{OfficerID, Date, Time\}$, and $\{Date, Time, Room\}$ are the keys.
- Any superkey must contain one of these keys as a subset.

- INTERVIEW is not in BCNF because $\{OfficerID, Date\} \rightarrow \{Room\}$ and $\{OfficerID, Date\}$ is not a superkey.**

BCNF - Exercise

Assignment Project Exam Help

- We decompose INTERVIEW along the FD: {OfficerID, Date} → {Room}.

INTERVIEW				
OfficerID	CustomerID	Date	Time	Room
S1011	P100	12/11/2013	10:00	R15
S1011	P105	12/11/2013	12:00	R15
S1024	P108	14/11/2013	14:00	R10
S1024	P107	14/11/2013	14:00	R10

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INTERVIEW		
OfficerID	Date	Room
S1011	12/11/2013	R15
S1024	14/11/2013	R10

INTERVIEW2			
OfficerID	CustomerID	Date	Time
S1011	P100	12/11/2013	10:00
S1011	P105	12/11/2013	12:00
S1024	P108	14/11/2013	14:00
S1024	P107	14/11/2013	14:00

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BCNF - Exercise

Assignment Project Exam Help

- We decompose INTERVIEW along the FD: {OfficerID, Date} \rightarrow {Room}.

INTERVIEW				
OfficerID	CustomerID	Date	Time	Room
S1011	P100	12/11/2013	10:00	R15
S1011	P105	12/11/2013	12:00	R15
S1024	P108	14/11/2013	14:00	R10
S1024	P107	14/11/2013	14:00	R10

INTERVIEW		
OfficerID	Date	Room
S1011	12/11/2013	R15
S1024	14/11/2013	R10

INTERVIEW2			
OfficerID	CustomerID	Date	Time
S1011	P100	12/11/2013	10:00
S1011	P105	12/11/2013	12:00
S1024	P108	14/11/2013	14:00
S1024	P107	14/11/2013	14:00

- Do not represent the same fact twice (within a relation)!

BCNF - Exercise

- Consider $INTERVIEW = \{OfficerID, CustomerID, Date, Time, Room\}$ with the following FDs:

- $\{OfficerID, Date\} \rightarrow \{Room\}$
- $\{CustomerID, Date\} \rightarrow \{OfficerID, Time\}$
- $\{OfficerID, Date, Time\} \rightarrow \{CustomerID\}$
- $\{Date, Time, Room\} \rightarrow \{CustomerID\}$

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INTERVIEW1		
OfficerID	Date	Room
S1011	12/11/2013	P15
S1024	14/11/2013	R10

INTERVIEW2			
OfficerID	CustomerID	Date	Time
S1011	P100	12/11/2013	10:00
S1011	P105	12/11/2013	12:00
S1024	P108	14/11/2013	14:00
S1024	P107	14/11/2013	14:00

- Project FDs on two new relation schemas.

BCNF - Exercise

- Consider $INTERVIEW = \{OfficerID, CustomerID, Date, Time, Room\}$ with the following FDs:

- $\{OfficerID, Date\} \rightarrow \{Room\}$
- $\{CustomerID, Date\} \rightarrow \{OfficerID, Time\}$
- $\{OfficerID, Date, Time\} \rightarrow \{CustomerID\}$
- $\{Date, Time, Room\} \rightarrow \{CustomerID\}$

INTERVIEW1		
OfficerID	Date	Room
S1011	12/11/2013	R5
S1024	14/11/2013	R10

INTERVIEW2			
OfficerID	CustomerID	Date	Time
S1011	P100	12/11/2013	10:00
S1011	P105	12/11/2013	12:00
S1024	P108	14/11/2013	14:00
S1024	P107	14/11/2013	14:00

- Project FDs on two new relation schemas.

INTERVIEW1: $\{OfficerID, Date\} \rightarrow \{Room\}$



BCNF - Exercise

- Consider INTERVIEW = {OfficerID, CustomerID, Date, Time, Room} with the following FDs:

- {OfficerID, Date} → {Room}
- {CustomerID, Date} → {OfficerID, Time}
- {OfficerID, Date, Time} → {CustomerID}
- {Date, Time, Room} → {CustomerID}

INTERVIEW1		
OfficerID	Date	Room
S1011	12/11/2013	R5
S1024	14/11/2013	R10

INTERVIEW2			
OfficerID	CustomerID	Date	Time
S1011	P100	12/11/2013	10:00
S1011	P105	12/11/2013	12:00
S1024	P108	14/11/2013	14:00
S1024	P107	14/11/2013	14:00

- Project FDs on two new relation schemas.

INTERVIEW1: {OfficerID, Date} → {Room}

INTERVIEW2: {CustomerID, Date} → {OfficerID, Time}, {OfficerID, Date, Time} → {CustomerID}.



BCNF - Exercise

- Consider $INTERVIEW = \{OfficerID, CustomerID, Date, Time, Room\}$ with the following FDs:

- $\{OfficerID, Date\} \rightarrow \{Room\}$
- $\{CustomerID, Date\} \rightarrow \{OfficerID, Time\}$
- $\{OfficerID, Date, Time\} \rightarrow \{CustomerID\}$
- $\{Date, Time, Room\} \rightarrow \{CustomerID\}$

INTERVIEW1		
OfficerID	Date	Room
S1011	12/11/2013	R15
S1024	14/11/2013	R10

INTERVIEW2			
OfficerID	CustomerID	Date	Time
S1011	P100	12/11/2013	10:00
S1011	P105	12/11/2013	12:00
S1024	P108	14/11/2013	14:00
S1024	P107	14/11/2013	14:00

- Is this decomposition dependency-preservation?



BCNF - Exercise

- Consider $INTERVIEW = \{OfficerID, CustomerID, Date, Time, Room\}$ with the following FDs:

- $\{OfficerID, Date\} \rightarrow \{Room\}$
- $\{CustomerID, Date\} \rightarrow \{OfficerID, Time\}$
- $\{OfficerID, Date, Time\} \rightarrow \{CustomerID\}$
- $\{Date, Time, Room\} \rightarrow \{CustomerID\}$

INTERVIEW1		
OfficerID	Date	Room
S1011	12/11/2013	R15
S1024	14/11/2013	R10

INTERVIEW2			
OfficerID	CustomerID	Date	Time
S1011	P100	12/11/2013	10:00
S1011	P105	12/11/2013	12:00
S1024	P108	14/11/2013	14:00
S1024	P107	14/11/2013	14:00

- Is this decomposition dependency-preservation?

No because $\{Date, Time, Room\} \rightarrow \{CustomerID\}$ is lost (and cannot be recovered)!



BCNF - Order Does Matter

Assignment Project Exam Help

- When applying BCNF decomposition, the order in which the FDs are applied may lead to different results.

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BCNF - Order Does Matter

Assignment Project Exam Help

- When applying BCNF decomposition, the order in which the FDs are applied may lead to different results.

- **Example:** Consider $R = \{A, B, C\}$ and $\{A \rightarrow B, C \rightarrow B, B \rightarrow C\}$.

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BCNF - Order Does Matter

Assignment Project Exam Help

- When applying BCNF decomposition, the order in which the FDs are applied may lead to different results.
- **Example:** Consider $R = \{A, B, C\}$ and $\{A \rightarrow B, C \rightarrow B, B \rightarrow C\}$.
 - **Case 1:** (Using $C \rightarrow B$ first)

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BCNF - Order Does Matter

Assignment Project Exam Help

- When applying BCNF decomposition, the order in which the FDs are applied may lead to different results.
- **Example:** Consider $R = \{A, B, C\}$ and $\{A \rightarrow B, C \rightarrow B, B \rightarrow C\}$.
 - **Case 1:** (Using $C \rightarrow B$ first)

$R_1 = \{B, C\}, \Sigma_1 = \{B \rightarrow C, C \rightarrow B\}; R_2 = \{A, C\}, \Sigma_2 = \{A \rightarrow C\}$

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BCNF - Order Does Matter

Assignment Project Exam Help

- When applying BCNF decomposition, the order in which the FDs are applied may lead to different results.

- Example:** Consider $R = \{A, B, C\}$ and $\{A \rightarrow B, C \rightarrow B, B \rightarrow C\}$.
 - Case 1:** (Using $C \rightarrow B$ first)

$R_1 = \{B, C\}, \Sigma_1 = \{B \rightarrow C, C \rightarrow B\}; R_2 = \{A, C\}, \Sigma_2 = \{A \rightarrow C\}$

- Case 2:** (Using $B \rightarrow C$ first)

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BCNF - Order Does Matter

Assignment Project Exam Help

- When applying BCNF decomposition, the order in which the FDs are applied may lead to different results.

- Example:** Consider $R = \{A, B, C\}$ and $\{A \rightarrow B, C \rightarrow B, B \rightarrow C\}$.

- Case 1:** (Using $C \rightarrow B$ first)

$R_1 = \{B, C\}, \Sigma_1 = \{B \rightarrow C, C \rightarrow B\}; R_2 = \{A, C\}, \Sigma_2 = \{A \rightarrow C\}$

- Case 2:** (Using $B \rightarrow C$ first)

$R'_1 = \{B, C\}, \Sigma'_1 = \{B \rightarrow C, C \rightarrow B\}; R'_2 = \{A, B\}, \Sigma'_2 = \{A \rightarrow B\};$

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Lossless Join & Dependency Preservation

Assignment Project Exam Help

- So far, we know how to find a lossless BCNF-decomposition, but it may not be dependency preserving.
- Is there a **less restrictive normal form** such that a lossless and dependency-preserving decomposition can always be found?

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Lossless Join & Dependency Preservation

Assignment Project Exam Help

- So far, we know how to find a lossless BCNF-decomposition, but it may not be dependency preserving.
- Is there **a less restrictive normal form** such that a lossless and dependency-preserving decomposition can always be found?
Yes, refer to 3NF.



3NF - Definition

Assignment Project Exam Help

- A relation schema R is in **3NF** if whenever a non-trivial FD $X \rightarrow A$ holds in R , then X is a **superkey** or A is a **prime attribute**.

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- Question: If R is in **BCNF**, then R is in **3NF**?

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3NF - Definition

Assignment Project Exam Help

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- Question: If R is in **BCNF**, then R is in **3NF**?

Yes

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3NF - Definition

Assignment Project Exam Help

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- Question: If R is in **BCNF**, then R is in **3NF**?

Yes

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- 3NF preserves all the functional dependencies at the cost of allowing some data redundancy.



Normalisation to 3NF

- Consider the following FDs of ENROL:

- $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID}, \text{StaffName} \};$
- $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}.$

ENROL				
StudentID	CourseNo	Semester	ConfirmedBy_ID	StaffName
123456	COMP2400	2010 S2	u12	Jane
123458	COMP2400	2008 S2	u13	Linda
123458	COMP2600	2008 S2	u13	Linda

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Normalisation to 3NF

- Consider the following FDs of ENROL:

- $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID}, \text{StaffName} \};$
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123458	COMP2600	2008 S2	u13	Linda

- Is ENROL in 3NF?

Normalisation to 3NF

- Consider the following FDs of ENROL:

- $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID}, \text{StaffName} \};$
- $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}.$

ENROL				
StudentID	CourseNo	Semester	ConfirmedBy_ID	StaffName
123456	COMP2400	2010 S2	u12	Jane
123458	COMP2400	2008 S2	u13	Linda
123458	COMP2600	2008 S2	u13	Linda

- Is ENROL in 3NF?

- $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \}$ is the only key.

Normalisation to 3NF

- Consider the following FDs of ENROL:

- $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID}, \text{StaffName} \};$
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Normalisation to 3NF

- Consider the following FDs of ENROL:

- $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID}, \text{StaffName} \};$
- $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}.$

ENROL				
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- Is ENROL in 3NF?

- $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \}$ is the only key.

A relation schema R is in **3NF** if whenever a non-trivial FD $X \rightarrow A$ holds in R, then **X is a superkey** or **A is a prime attribute**.

- Not in 3NF**, because of $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$:
 $\{ \text{ConfirmedBy_ID} \}$ is NOT a **superkey** and $\{ \text{StaffName} \}$ is NOT a **prime attribute**.



Normalisation to 3NF

Assignment Project Exam Help

- Algorithm for a dependency-preserving and lossless 3NF-decomposition

Input: a relation schema R and a set Σ of FDs on R .

Output: a set S of relation schemas in 3NF each having a set of FDs

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Normalisation to 3NF

Assignment Project Exam Help

- Algorithm for a dependency-preserving and lossless 3NF-decomposition

Input: a relation schema R and a set Σ of FDs on R .

Output: a set S of relation schemas in 3NF each having a set of FDs

- Compute a minimal cover Σ' for Σ and start with $S = \emptyset$

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Normalisation to 3NF

Assignment Project Exam Help

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- Group FDs in Σ' by their left-hand-side attribute sets

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Normalisation to 3NF

Assignment Project Exam Help

- Algorithm for a dependency-preserving and lossless 3NF-decomposition

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Output: a set \mathcal{S} of relation schemas in 3NF each having a set of FDs

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- Group FDs in Σ' by their left-hand-side attribute sets
- For each distinct left-hand-side X_i of FDs in Σ' that includes

$X_i \rightarrow A_1, X_i \rightarrow A_2, \dots, X_i \rightarrow A_k$

- Add $R_i = X_i \cup \{A_1\} \cup \{A_2\} \dots \cup \{A_k\}$ to \mathcal{S}

Normalisation to 3NF

Assignment Project Exam Help

- Algorithm for a dependency-preserving and lossless 3NF-decomposition

Input: a relation schema R and a set Σ of FDs on R .

Output: a set \mathcal{S} of relation schemas in 3NF each having a set of FDs

- Compute a **minimal cover** Σ' for Σ and start with $\mathcal{S} = \emptyset$
- Group FDs in Σ' by their left-hand-side attribute sets
- For each distinct left-hand-side X_i of FDs in Σ' that includes $X_i \rightarrow A_1, X_i \rightarrow A_2, \dots, X_i \rightarrow A_k$
 - Add $R_i = X_i \cup \{A_1\} \cup \{A_2\} \dots \cup \{A_k\}$ to \mathcal{S}
- Remove all redundant ones from \mathcal{S} (i.e., remove R_i if $R_i \subseteq R_j$)

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Normalisation to 3NF

Assignment Project Exam Help

- Algorithm for a dependency-preserving and lossless 3NF-decomposition

Input: a relation schema R and a set Σ of FDs on R .

Output: a set S of relation schemas in 3NF each having a set of FDs

- Compute a **minimal cover** Σ' for Σ and start with $S = \emptyset$
- Group FDs in Σ' by their left-hand-side attribute sets
- For each distinct left-hand-side X_i of FDs in Σ' that includes $X_i \rightarrow A_1, X_i \rightarrow A_2, \dots, X_i \rightarrow A_k$
 - Add $R_i = X_i \cup \{A_1\} \cup \{A_2\} \dots \cup \{A_k\}$ to S
- Remove all redundant ones from S (i.e., remove R_i if $R_i \subseteq R_j$)
- if S does not contain a superkey of R , add a key of R as R_0 into S .

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Normalisation to 3NF

Assignment Project Exam Help

- Algorithm for a dependency-preserving and lossless 3NF-decomposition

Input: a relation schema R and a set Σ of FDs on R .

Output: a set S of relation schemas in 3NF each having a set of FDs

- Compute a **minimal cover** Σ' for Σ and start with $S = \emptyset$
- Group FDs in Σ' by their left-hand-side attribute sets
- For each distinct left-hand-side X_i of FDs in Σ' that includes $X_i \rightarrow A_1, X_i \rightarrow A_2, \dots, X_i \rightarrow A_k$
 - Add $R_i = X_i \cup \{A_1\} \cup \{A_2\} \dots \cup \{A_k\}$ to S
- Remove all redundant ones from S (i.e., remove R_i if $R_i \subseteq R_j$)
- if S does not contain a superkey of R , add a key of R as R_0 into S .
- Project the FDs in Σ' onto each relation schema in S



Normalisation to 3NF

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$$R_1 = X_1 A_1 \dots A_K$$

...

$$R_n = X_n A$$

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$$X_1 \rightarrow A_1$$

...

$$X_1 \rightarrow A_K$$

A minimal
cover

...

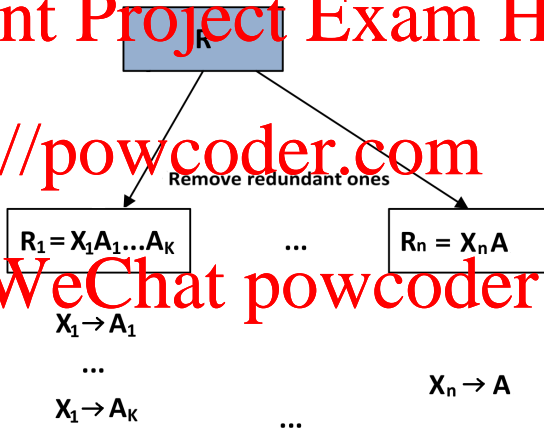
$$X_n \rightarrow A$$

Normalisation to 3NF

Assignment Project Exam Help

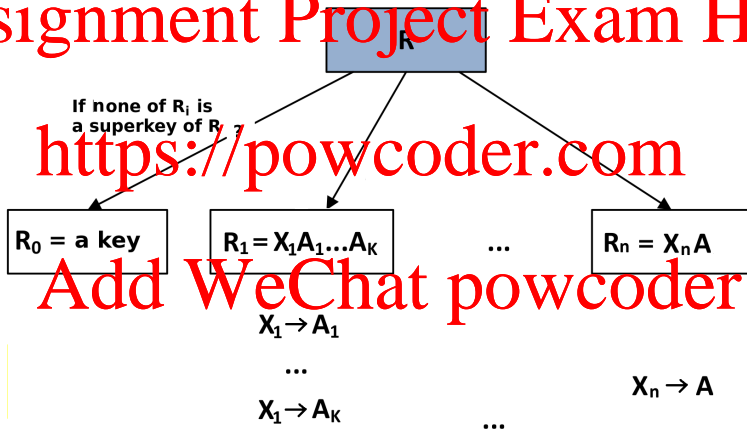
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Normalisation to 3NF

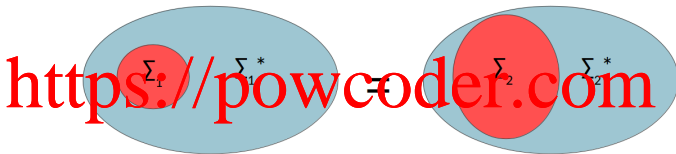
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Equivalence of Functional Dependencies

Σ_1 and Σ_2 are **equivalent** if $\Sigma_1^* = \Sigma_2^*$.
 $\Sigma_1^* \neq \Sigma_2^*$ if $\Sigma_1 \neq \Sigma_2$ and $\Sigma_2 \in \Sigma_1$.

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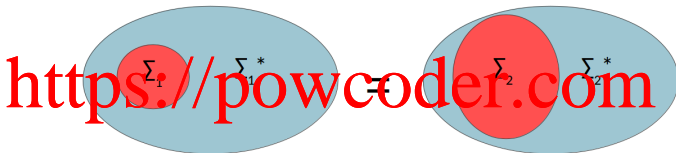


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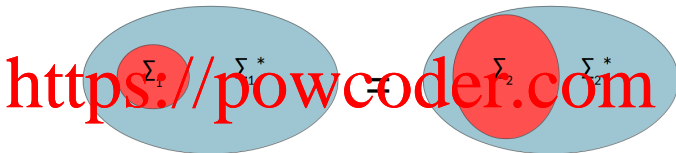
Example :

$\Sigma_1 = \{X \rightarrow Y, Y \rightarrow Z, X \rightarrow Z\}$ and $\Sigma_2 = \{X \rightarrow Y, Y \rightarrow Z\}$

If $\Sigma_1^* = \Sigma_2^*$,

Equivalence of Functional Dependencies

Σ_1 and Σ_2 are **equivalent** if $\Sigma_1^* = \Sigma_2^*$.
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Example :

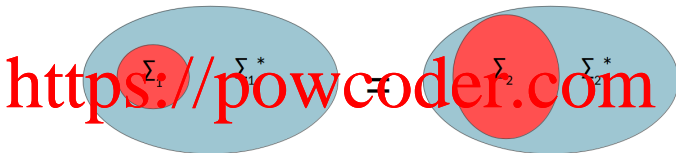
$\Sigma_1 = \{X \rightarrow Y, Y \rightarrow Z, X \rightarrow Z\}$ and $\Sigma_2 = \{X \rightarrow Y, Y \rightarrow Z\}$

If $\Sigma_1^* = \Sigma_2^*$, then Σ_1 is not **minimal**

Equivalence of Functional Dependencies

Σ_1 and Σ_2 are **equivalent** if $\Sigma_1^* = \Sigma_2^*$.
 $\Sigma_1^* = \Sigma_2^*$ if $\Sigma_1 \models \Sigma_2$ and $\Sigma_2 \models \Sigma_1$.

Assignment Project Exam Help



Example 1:

$\Sigma_1 = \{X \rightarrow Y, Y \rightarrow Z, X \rightarrow Z\}$ and $\Sigma_2 = \{X \rightarrow Y, Y \rightarrow Z\}$

If $\Sigma_1^* = \Sigma_2^*$, then Σ_1 is not **minimal**

Example 2:

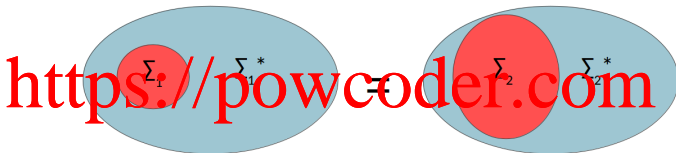
$\Sigma_1 = \{X \rightarrow Y, XY \rightarrow Z\}$ and $\Sigma_2 = \{X \rightarrow Y, X \rightarrow Z\}$

If $\Sigma_1^* = \Sigma_2^*$,

Equivalence of Functional Dependencies

Σ_1 and Σ_2 are **equivalent** if $\Sigma_1^* = \Sigma_2^*$.
 $\Sigma_1^* = \Sigma_2^*$ if $\Sigma_1 \models \Sigma_2$ and $\Sigma_2 \models \Sigma_1$.

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Example 1:

$\Sigma_1 = \{X \rightarrow Y, Y \rightarrow Z, X \rightarrow Z\}$ and $\Sigma_2 = \{X \rightarrow Y, Y \rightarrow Z\}$

If $\Sigma_1^* = \Sigma_2^*$, then Σ_1 is not **minimal**

Example 2:

$\Sigma_1 = \{X \rightarrow Y, XY \rightarrow Z\}$ and $\Sigma_2 = \{X \rightarrow Y, X \rightarrow Z\}$

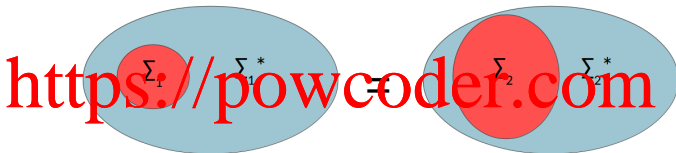
If $\Sigma_1^* = \Sigma_2^*$, then Σ_1 is not **minimal**

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Equivalence of Functional Dependencies

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- Σ_1 and Σ_2 are **equivalent** if $\Sigma_1^* = \Sigma_2^*$.
- $\Sigma_1^* = \Sigma_2^*$ if $\Sigma_1 \models \Sigma_2$ and $\Sigma_2 \models \Sigma_1$.



- **Example 1:**
 $\Sigma_1 = \{X \rightarrow Y, Y \rightarrow Z, X \rightarrow Z\}$ and $\Sigma_2 = \{X \rightarrow Y, Y \rightarrow Z\}$
 If $\Sigma_1^* = \Sigma_2^*$, then Σ_1 is not **minimal**

- **Example 2:**
 $\Sigma_1 = \{X \rightarrow Y, XY \rightarrow Z\}$ and $\Sigma_2 = \{X \rightarrow Y, X \rightarrow Z\}$
 If $\Sigma_1^* = \Sigma_2^*$, then Σ_1 is not **minimal**

- **Questions:** Can we find the **minimal** one among equivalent sets of FDs?



Minimal Cover – The Hard Part!

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Minimal Cover – The Hard Part!

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• Let Σ be a set of FDs. A **minimal cover** Σ_m of Σ is a set of FDs such that

1 Σ_m is equivalent to Σ , i.e., start with $\Sigma_m = \Sigma$;

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Minimal Cover – The Hard Part!

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• Let Σ be a set of FDs. A **minimal cover** Σ_m of Σ is a set of FDs such that

1. Σ_m is equivalent to Σ , i.e., start with $\Sigma_m = \Sigma$;

2. **Dependent:** each FD in Σ_m has only a single attribute on its right hand side, i.e., replace each FD $X \rightarrow \{A_1, \dots, A_k\}$ in Σ_m with $X \rightarrow A_1, \dots, X \rightarrow A_k$;

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Minimal Cover – The Hard Part!

Assignment Project Exam Help

Let Σ be a set of FDs. A **minimal cover** Σ_m of Σ is a set of FDs such that

1. Σ_m is equivalent to Σ , i.e., start with $\Sigma_m = \Sigma$;
2. **Dependent:** each FD in Σ_m has only a single attribute on its right hand side, i.e., replace each FD $X \rightarrow \{A_1, \dots, A_k\}$ in Σ_m with $X \rightarrow A_1, \dots, X \rightarrow A_k$;
3. **Determinant:** each FD has as few attributes on the left hand side as possible, i.e., for each FD $X \rightarrow A$ in Σ_m , check each attribute B of X to see if we can replace $X \rightarrow A$ with $(X - B) \rightarrow A$ in Σ_m ;

Minimal Cover – The Hard Part!

Assignment Project Exam Help

Let Σ be a set of FDs. A **minimal cover** Σ_m of Σ is a set of FDs such that

- 1 Σ_m is equivalent to Σ , i.e., start with $\Sigma_m = \Sigma$;
- 2 **Dependent:** each FD in Σ_m has only a single attribute on its right hand side, i.e., replace each FD $X \rightarrow \{A_1, \dots, A_k\}$ in Σ_m with $X \rightarrow A_1, \dots, X \rightarrow A_k$;
- 3 **Determinant:** each FD has as few attributes on the left hand side as possible, i.e., for each FD $X \rightarrow A$ in Σ_m , check each attribute B of X to see if we can replace $X \rightarrow A$ with $(X - B) \rightarrow A$ in Σ_m ;
- 4 Remove a FD from Σ_m if it is redundant.



Minimal Cover - Examples

- Given the set of FDs Σ

$\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID}, \text{StaffName} \}$
 $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$

- we can compute the minimal cover of Σ as follows:

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Minimal Cover - Examples

- Given the set of FDs Σ

$\{ \text{Student_ID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID}, \text{StaffName} \}$
 $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$

- we can compute the minimal cover of Σ as follows:

- start from Σ ;

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Minimal Cover - Examples

- Given the set of FDs Σ

$\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID}, \text{StaffName} \}$
 $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$

- we can compute the minimal cover of Σ as follows:

- 1 start from Σ ;

- 2 check whether all the FDs in Σ have only one attribute on the right hand side,

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Minimal Cover - Examples

- Given the set of FDs Σ

$\{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{ConfirmedBy_ID, StaffName} \}$
 $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$

- we can compute the minimal cover of Σ as follows:

1 start from Σ ;

2 check whether all the FDs in Σ have only one attribute on the right hand side,

$\{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{ConfirmedBy_ID, StaffName} \}$

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Minimal Cover - Examples

- Given the set of FDs Σ

$\{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{ConfirmedBy_ID, StaffName} \}$
 $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$

- we can compute the minimal cover of Σ as follows:

1 start from Σ ;

2 check whether all the FDs in Σ have only one attribute on the right hand side,

$\{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{ConfirmedBy_ID, StaffName} \}$

can be replaced by

$\{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{ConfirmedBy_ID} \}$

$\{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{StaffName} \}$



Minimal Cover - Examples

- Given the set of FDs Σ

$\{\text{StudentID, CourseNo, Semester}\} \rightarrow \{\text{ConfirmedBy_ID}\}$
 $\{\text{StudentID, CourseNo, Semester}\} \rightarrow \{\text{StaffName}\}$
 $\{\text{ConfirmedBy_ID}\} \rightarrow \{\text{StaffName}\}$

- we can compute the minimal cover of Σ as follows:

- 1 start from Σ ;
- 2 check whether all the FDs in Σ have only one attribute on the right hand side;

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Minimal Cover - Examples

- Given the set of FDs Σ

$\{\text{StudentID, CourseNo, Semester}\} \rightarrow \{\text{ConfirmedBy_ID}\}$
 $\{\text{StudentID, CourseNo, Semester}\} \rightarrow \{\text{StaffName}\}$
 $\{\text{ConfirmedBy_ID}\} \rightarrow \{\text{StaffName}\}$

- we can compute the minimal cover of Σ as follows:

- 1 start from Σ ;
- 2 check whether all the FDs in Σ have only one attribute on the right hand side;
- 3 check whether all the FDs in Σ have redundant attribute on the left hand side;

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Minimal Cover - Examples

- Given the set of FDs Σ

$\{\text{StudentID, CourseNo, Semester}\} \rightarrow \{\text{ConfirmedBy_ID}\}$
 $\{\text{StudentID, CourseNo, Semester}\} \rightarrow \{\text{StaffName}\}$
 $\{\text{ConfirmedBy_ID}\} \rightarrow \{\text{StaffName}\}$

- we can compute the minimal cover of Σ as follows:

1 start from Σ ;

2 check whether all the FDs in Σ have only one attribute on the right hand side;

3 check whether all the FDs in Σ have redundant attribute on the left hand side;

check if $\{\text{StudentID, CourseNo, Semester}\} \rightarrow \{\text{ConfirmedBy_ID}\}$ is minimal with respect to the left hand side

check if $\{\text{StudentID, CourseNo, Semester}\} \rightarrow \{\text{StaffName}\}$ is minimal with respect to the left hand side



Minimal Cover - Examples

- Given the set of FDs Σ

$\{\text{StudentID, CourseNo, Semester}\} \rightarrow \{\text{ConfirmedBy_ID}\}$
 $\{\text{StudentID, CourseNo, Semester}\} \rightarrow \{\text{StaffName}\}$
 $\{\text{ConfirmedBy_ID}\} \rightarrow \{\text{StaffName}\}$

- we can compute the minimal cover of Σ as follows:

- 1 start from Σ ;
- 2 check whether all the FDs in Σ have only one attribute on the right hand side;
- 3 check whether all the FDs in Σ have redundant attribute on the left hand side;
check if $\{\text{StudentID, CourseNo, Semester}\} \rightarrow \{\text{ConfirmedBy_ID}\}$ is minimal with respect to the left hand side
check if $\{\text{StudentID, CourseNo, Semester}\} \rightarrow \{\text{StaffName}\}$ is minimal with respect to the left hand side
All look good!

Minimal Cover - Examples

- Given the set of FDs Σ

$\{\text{StudentID, CourseNo, Semester}\} \rightarrow \{\text{ConfirmedBy_ID}\}$
 $\{\text{StudentID, CourseNo, Semester}\} \rightarrow \{\text{StaffName}\}$
 $\{\text{ConfirmedBy_ID}\} \rightarrow \{\text{StaffName}\}$

- we can compute the minimal cover of Σ as follows:

- 1 start from Σ ;
- 2 check whether all the FDs in Σ have only one attribute on the right hand side;
- 3 check whether all the FDs in Σ have redundant attribute on the left hand side;



Minimal Cover - Examples

- Given the set of FDs Σ

$\{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{ConfirmedBy_ID} \}$
 $\{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{StaffName} \}$
 $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$

- we can compute the minimal cover of Σ as follows:

- 1 start from Σ ;
- 2 check whether all the FDs in Σ have only one attribute on the right hand side;
- 3 check whether all the FDs in Σ have redundant attribute on the left hand side;
- 4 look for a redundant FD in $\{ \{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{ConfirmedBy_ID} \}, \{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{StaffName} \}, \{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \} \}$



Minimal Cover - Examples

- Given the set of FDs Σ

$\{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{ConfirmedBy_ID} \}$
 $\{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{StaffName} \}$
 $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$

- we can compute the minimal cover of Σ as follows:

1. start from Σ ;
2. check whether all the FDs in Σ have only one attribute on the right hand side;
3. check whether all the FDs in Σ have redundant attribute on the left hand side;
4. look for a redundant FD in $\{ \{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{ConfirmedBy_ID} \}, \{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{StaffName} \}, \{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \} \}$
 - $\{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{StaffName} \}$ is redundant and thus is removed



Minimal Cover - Examples

- Given the set of FDs Σ

$\{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{ConfirmedBy_ID} \}$
 $\{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{StaffName} \}$
 $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$

- we can compute the minimal cover of Σ as follows:

- 1 start from Σ ;
- 2 check whether all the FDs in Σ have only one attribute on the right hand side;
- 3 check whether all the FDs in Σ have redundant attribute on the left hand side;
- 4 look for a redundant FD in $\{ \{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{ConfirmedBy_ID} \}, \{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{StaffName} \}, \{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \} \}$
 - $\{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{StaffName} \}$ is redundant and thus is removed
- 5 Therefore, the minial cover of Σ is $\{ \{ \text{StudentID, CourseNo, Semester} \} \rightarrow \{ \text{ConfirmedBy_ID} \}, \{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \} \}$



Normalisation to 3NF – Example

- Consider ENROL again:

- $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID}, \text{StaffName} \}$
- $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$

<u>StudentID</u>	<u>CourseNo</u>	<u>Semester</u>	ConfirmedBy_ID	StaffName
..

- Can we normalise ENROL into 3NF by a lossless and dependency preserving decomposition?

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Normalisation to 3NF – Example

- Consider ENROL again:

- $\{\text{StudentID}, \text{CourseNo}, \text{Semester}\} \rightarrow \{\text{ConfirmedBy_ID}, \text{StaffName}\}$
- $\{\text{ConfirmedBy_ID}\} \rightarrow \{\text{StaffName}\}$

<u>StudentID</u>	<u>CourseNo</u>	<u>Semester</u>	ConfirmedBy_ID	StaffName
..

- A **minimal cover** is $\{\{\text{StudentID}, \text{CourseNo}, \text{Semester}\} \rightarrow \{\text{ConfirmedBy_ID}\}, \{\text{ConfirmedBy_ID}\} \rightarrow \{\text{StaffName}\}\}$.
- Hence, we have:

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Normalisation to 3NF – Example

- Consider ENROL again:

- $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID}, \text{StaffName} \}$
- $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$

<u>StudentID</u>	<u>CourseNo</u>	<u>Semester</u>	ConfirmedBy_ID	StaffName
..

- A **minimal cover** is $\{ \{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID} \}, \{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \} \}$.
- Hence, we have:

- $R_1 = \{ \text{StudentID}, \text{CourseNo}, \text{Semester}, \text{ConfirmedBy_ID} \}$ with $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID} \}$



Normalisation to 3NF – Example

- Consider ENROL again:

- $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID}, \text{StaffName} \}$
- $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$

<u>StudentID</u>	<u>CourseNo</u>	<u>Semester</u>	ConfirmedBy_ID	StaffName
..

- A **minimal cover** is $\{ \{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID} \}, \{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \} \}$.
- Hence, we have:

- $R_1 = \{ \text{StudentID}, \text{CourseNo}, \text{Semester}, \text{ConfirmedBy_ID} \}$ with $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID} \}$
- $R_2 = \{ \text{ConfirmedBy_ID}, \text{StaffName} \}$ with $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$



Normalisation to 3NF – Example

- Consider ENROL again:

- $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID}, \text{StaffName} \}$
- $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$

<u>StudentID</u>	<u>CourseNo</u>	<u>Semester</u>	ConfirmedBy_ID	StaffName
..

- A **minimal cover** is $\{ \{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID} \}, \{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \} \}$.
- Hence, we have:

- $R_1 = \{ \text{StudentID}, \text{CourseNo}, \text{Semester}, \text{ConfirmedBy_ID} \}$ with $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID} \}$
- $R_2 = \{ \text{ConfirmedBy_ID}, \text{StaffName} \}$ with $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$
- Omit R_0 because R_1 is a superkey of ENROL.

Normalisation to 3NF – Example

- Consider ENROL again:

- $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID}, \text{StaffName} \}$
- $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$

StudentID	CourseNo	Semester	ConfirmedBy_ID	StaffName
..

- A **minimal cover** is $\{ \{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID} \}, \{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \} \}$.

- Hence, we have:

- $R_1 = \{ \text{StudentID}, \text{CourseNo}, \text{Semester}, \text{ConfirmedBy_ID} \}$ with $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID} \}$

- $R_2 = \{ \text{ConfirmedBy_ID}, \text{StaffName} \}$ with $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$

- Omit R_0 because R_1 is a superkey of ENROL.

- Is $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID}, \text{StaffName} \}$ preserved?

Normalisation to 3NF – Example

- Consider ENROL again:

- $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID}, \text{StaffName} \}$
- $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$

StudentID	CourseNo	Semester	ConfirmedBy_ID	StaffName
..

- A **minimal cover** is $\{ \{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID} \}, \{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \} \}$.

- Hence, we have:

- $R_1 = \{ \text{StudentID}, \text{CourseNo}, \text{Semester}, \text{ConfirmedBy_ID} \}$ with $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID} \}$

- $R_2 = \{ \text{ConfirmedBy_ID}, \text{StaffName} \}$ with $\{ \text{ConfirmedBy_ID} \} \rightarrow \{ \text{StaffName} \}$

- Omit R_0 because R_1 is a superkey of ENROL.

- Is $\{ \text{StudentID}, \text{CourseNo}, \text{Semester} \} \rightarrow \{ \text{ConfirmedBy_ID}, \text{StaffName} \}$ preserved? **Yes**.

Normalisation to 3NF – Example

- Consider INTERVIEW:

INTERVIEW				
OfficerID	CustomerID	Date	Time	Room
S1011	P100	12/11/2013	10:00	R15
...

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- 1 {OfficerID, Date} → {Room}
- 2 {CustomerID, Date} → {OfficerID, Time}
- 3 {OfficerID, Date, Time} → {CustomerID}
- 4 {Date, Time, Room} → {CustomerID}

- Is INTERVIEW in 3NF? If not, normalise INTERVIEW into lossless and dependency preserving 3NF.

Normalisation to 3NF – Example

- Consider INTERVIEW:

INTERVIEW				
OfficerID	CustomerID	Date	Time	Room
S1011	P100	12/11/2013	10:00	R15
...

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- 1 {OfficerID, Date} → {Room}
- 2 {CustomerID, Date} → {OfficerID, Time}
- 3 {OfficerID, Date, Time} → {CustomerID}
- 4 {Date, Time, Room} → {CustomerID}

- Is INTERVIEW in 3NF? If not, normalise INTERVIEW into lossless and dependency preserving 3NF.

- A relation schema R is in **3NF** if whenever a non-trivial FD $X \rightarrow A$ holds in R, then **X is a superkey** or **A is a prime attribute**.

Normalisation to 3NF – Example

- Consider INTERVIEW:

INTERVIEW				
OfficerID	CustomerID	Date	Time	Room
S1011	P100	12/11/2013	10:00	R15
...

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- 1 {OfficerID, Date} \rightarrow {Room}
- 2 {CustomerID, Date} \rightarrow {OfficerID, Time}
- 3 {OfficerID, Date, Time} \rightarrow {CustomerID}
- 4 {Date, Time, Room} \rightarrow {CustomerID}

- Is INTERVIEW in 3NF? If not, normalise INTERVIEW into lossless and dependency preserving 3NF.

- A relation schema R is in **3NF** if whenever a non-trivial FD $X \rightarrow A$ holds in R, then **X is a superkey** or **A is a prime attribute**.
- We know that {CustomerID, Date}, {OfficerID, Date, Time}, and {Date, Time, Room} are the keys.

Normalisation to 3NF – Example

- Consider INTERVIEW:

INTERVIEW				
OfficerID	CustomerID	Date	Time	Room
S1011	P100	12/11/2013	10:00	R15
...

<https://powcoder.com>

- 1 {OfficerID, Date} \rightarrow {Room}
- 2 {CustomerID, Date} \rightarrow {OfficerID, Time}
- 3 {OfficerID, Date, Time} \rightarrow {CustomerID}
- 4 {Date, Time, Room} \rightarrow {CustomerID}

- Is INTERVIEW in 3NF? If not, normalise INTERVIEW into lossless and dependency preserving 3NF.

- A relation schema R is in **3NF** if whenever a non-trivial FD $X \rightarrow A$ holds in R, then **X is a superkey** or **A is a prime attribute**.
- We know that {CustomerID, Date}, {OfficerID, Date, Time}, and {Date, Time, Room} are the keys.

INTERVIEW is in 3NF because all the attributes are prime attributes.



The Minimal Cover – More Example

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- Let us consider a relation schema $LOTS(PropertyID, County, Lot, Area)$ with the following FDS:

- FD1: $PropertyID \rightarrow Lot, County, Area$

- FD2: $Lot, County \rightarrow Area, PropertyID$

- FD3: $Area \rightarrow County$

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The Minimal Cover – More Example

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- Let us consider a relation schema LOTS(PropertyID, County, Lot, Area) with the following FDS:

- FD1: $\text{PropertyID} \rightarrow \text{Lot}, \text{County}, \text{Area}$

- FD2: $\text{Lot}, \text{County} \rightarrow \text{Area}, \text{PropertyID}$

- FD3: $\text{Area} \rightarrow \text{County}$

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- Let us abbreviate attributes of LOTS with first letter of each attribute and represent our set of dependencies as F: $\{P \rightarrow LGA, LG \rightarrow AP, A \rightarrow G\}$

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- The minimal cover of a set of functional dependencies always exists but is not necessarily unique.



The Minimal Cover – More Example

Assignment Project Exam Help

(Case X) Find a minimal cover of $F = \{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

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The Minimal Cover – More Example

Assignment Project Exam Help

• (Case X) Find a minimal cover of $F = \{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

① **Initialise:** $\{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

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The Minimal Cover – More Example

Assignment Project Exam Help

• (Case X) Find a minimal cover of $F = \{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

1 **Initialise:** $\{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

2 **Dependent:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.

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The Minimal Cover – More Example

Assignment Project Exam Help

• (Case X) Find a minimal cover of $F = \{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

1 **Initialise:** $\{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

2 **Dependent:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.

3 **Determinant:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.

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The Minimal Cover – More Example

Assignment Project Exam Help

- (Case X) Find a minimal cover of $F = \{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$
 - 1 **Initialise:** $\{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$
 - 2 **Dependent:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.
 - 3 **Determinant:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.
 - 4 **Remove redundant F:** $\{P \rightarrow LC, LC \rightarrow A\} \models P \rightarrow A$.

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The Minimal Cover – More Example

Assignment Project Exam Help

- (Case X) Find a minimal cover of $F = \{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$
- 1 **Initialise:** $\{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$
 - 2 **Dependent:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.
 - 3 **Determinant:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.
 - 4 **Remove redundant Fd:** $\{P \rightarrow LC, LC \rightarrow A\} \models P \rightarrow A$.
 - 5 Thus a minimal cover is $\{P \rightarrow LC, LC \rightarrow AP, A \rightarrow C\}$.

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The Minimal Cover – More Example

Assignment Project Exam Help

- (Case X) Find a minimal cover of $F = \{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$
 - 1 **Initialise:** $\{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$
 - 2 **Dependent:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.
 - 3 **Determinant:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.
 - 4 **Remove redundant Fd:** $\{P \rightarrow LC, LC \rightarrow A\} \models P \rightarrow A$.
 - 5 Thus a minimal cover is $\{P \rightarrow LC, LC \rightarrow AP, A \rightarrow C\}$.
- (Case Y) Find a minimal cover of $F = \{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

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The Minimal Cover – More Example

Assignment Project Exam Help

- (Case X) Find a minimal cover of $F = \{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

1 **Initialise:** $\{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

2 **Dependent:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.

3 **Determinant:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.

4 **Remove redundant Fd:** $\{P \rightarrow LC, LC \rightarrow A\} \models P \rightarrow A$.

5 Thus a minimal cover is $\{P \rightarrow LC, LC \rightarrow AP, A \rightarrow C\}$.

- (Case Y) Find a minimal cover of $F = \{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

1 **Initialise:** $\{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

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The Minimal Cover – More Example

Assignment Project Exam Help

- (Case X) Find a minimal cover of $F = \{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

1 **Initialise:** $\{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

2 **Dependent:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.

3 **Determinant:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.

4 **Remove redundant F:** $\{P \rightarrow LC, LC \rightarrow A\} \models P \rightarrow A$.

5 Thus a minimal cover is $\{P \rightarrow LC, LC \rightarrow AP, A \rightarrow C\}$.

- (Case Y) Find a minimal cover of $F = \{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

1 **Initialise:** $\{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

2 **Dependent:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.

3 **Determinant:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.

4 **Remove redundant F:** $\{P \rightarrow LC, LC \rightarrow A\} \models P \rightarrow A$.

5 Thus a minimal cover is $\{P \rightarrow LC, LC \rightarrow AP, A \rightarrow C\}$.



The Minimal Cover – More Example

Assignment Project Exam Help

- (Case X) Find a minimal cover of $F = \{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

1 **Initialise:** $\{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

2 **Dependent:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.

3 **Determinant:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.

4 **Remove redundant F:** $\{P \rightarrow LC, LC \rightarrow A\} \models P \rightarrow A$.

5 Thus a minimal cover is $\{P \rightarrow LC, LC \rightarrow AP, A \rightarrow C\}$.

- (Case Y) Find a minimal cover of $F = \{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

1 **Initialise:** $\{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

2 **Dependent:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.

3 **Determinant:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.



The Minimal Cover – More Example

Assignment Project Exam Help

- (Case X) Find a minimal cover of $F = \{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

1 **Initialise:** $\{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

2 **Dependent:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.

3 **Determinant:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.

4 **Remove redundant FD:** $\{P \rightarrow LC, LC \rightarrow A\} \models P \rightarrow A$.

5 Thus a minimal cover is $\{P \rightarrow LC, LC \rightarrow AP, A \rightarrow C\}$.

- (Case Y) Find a minimal cover of $F = \{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

1 **Initialise:** $\{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

2 **Dependent:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.

3 **Determinant:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.

4 **Remove redundant FD:** $\{LC \rightarrow P, P \rightarrow A\} \models LC \rightarrow A$. $\{P \rightarrow A, A \rightarrow C\} \models P \rightarrow C$.



The Minimal Cover – More Example

Assignment Project Exam Help

- (Case X) Find a minimal cover of $F = \{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

- 1 **Initialise:** $\{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$
- 2 **Dependent:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.
- 3 **Determinant:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.
- 4 **Remove redundant FD:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A\} \models P \rightarrow A$.
- 5 Thus a minimal cover is $\{P \rightarrow LC, LC \rightarrow AP, A \rightarrow C\}$.

- (Case Y) Find a minimal cover of $F = \{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$

- 1 **Initialise:** $\{P \rightarrow LCA, LC \rightarrow AP, A \rightarrow C\}$
- 2 **Dependent:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.
- 3 **Determinant:** $\{P \rightarrow L, P \rightarrow C, P \rightarrow A, LC \rightarrow A, LC \rightarrow P, A \rightarrow C\}$.
- 4 **Remove redundant FD:** $\{LC \rightarrow P, P \rightarrow A\} \models LC \rightarrow A$. $\{P \rightarrow A, A \rightarrow C\} \models P \rightarrow C$.
- 5 Thus a minimal cover is $\{P \rightarrow LA, LC \rightarrow P, A \rightarrow C\}$.



Normal Forms

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- **BCNF**: Whenever a non-trivial FD $X \rightarrow A$ holds in R, then

X is a **superkey**.

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Normal Forms

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- **BCNF**: Whenever a non-trivial FD $X \rightarrow A$ holds in R, then X is a **superkey**.

Do not represent the same fact more than once within a relation,
even if some FDs have to be abandoned.

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Normal Forms

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- **BCNF**: Whenever a non-trivial FD $X \rightarrow A$ holds in R, then X is a **superkey**.

Do not represent the same fact more than once within a relation,
even if some FDs have to be abandoned.

- **3NF**: Whenever a non-trivial FD $X \rightarrow A$ holds in R, then X is a **superkey** or A is a **prime attribute**.

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Normal Forms

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- **BCNF**: Whenever a non-trivial FD $X \rightarrow A$ holds in R, then X is a **superkey**.

Do not represent the same fact more than once within a relation, even if some FDs have to be abandoned.

- **3NF**: Whenever a non-trivial FD $X \rightarrow A$ holds in R, then X is a **superkey** or A is a **prime attribute**.

Do not abandon any FDs, even if some facts have to be represented more than once within a relation!



Normalisation Algorithms

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BCNF-decomposition

- Repeat until no changes
 - Find a problematic FD
 - Split R into two smaller ones and project FDs

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Normalisation Algorithms

BCNF-decomposition

- Repeat until no changes
 - Find a problematic FD
 - Split R into two smaller ones and project FDs

3NF-decomposition

- Find a minimal cover
- Group FDs in the minimal cover
- Remove redundant ones
- Add a key (if necessary)
- Project FDs

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Normalisation Algorithms

Assignment Project Exam Help

BCNF-decomposition

- Repeat until no changes
 - Find a problematic FD
 - Split R into two smaller ones and project FDs

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- Find a minimal cover
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- Remove redundant ones
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What properties do these algorithms have?



Normalisation Algorithms

Assignment Project Exam Help

BCNF-decomposition

- Repeat until no changes
 - Find a problematic FD
 - Split R into two smaller ones and project FDs

3NF-decomposition

- Find a minimal cover
- Group FDs in the minimal cover
- Remove redundant ones
- Add a key (if necessary)
- Project FDs

What properties do these algorithms have?



Lossless join



Lossless join + dependency
preservation



Normalisation Algorithms

BCNF decomposition

- Repeat until no changes
 - Find a problematic FD
 - Split R into two smaller ones and project FDs

3NF decomposition

- Find a minimal cover
- Group FDs in the minimal cover
- Remove redundant ones
- Add a key (if necessary)
- Project FDs

What do you need to compute using FDs?



Normalisation Algorithms

BCNF-decomposition

- Repeat until no changes
 - Find a problematic FD
 - Split R into two smaller ones and project FDs

3NF-decomposition

- Find a minimal cover
- Group FDs in the minimal cover
- Remove redundant ones
- Add a key (if necessary)
- Project FDs

What do you need to compute using FDs?



SOME superkeys (check)



SOME superkeys (check)
ALL candidate keys
ONE minimal cover



Denormalisation

- Do we need to normalize relation schemas in all cases when designing a relational database?

- Denormalisation** is a **design process** that

- happens after the normalisation process,
- is often performed during the physical design stage, and
- reduces the number of relations that need to be joined for certain queries.

- We need to distinguish:

- Unnormalised** – there is no systematic design.
- Normalised** – redundancy is reduced after a systematic design (to minimise data inconsistencies).
- Denormalised** – redundancy is introduced after analysing the normalised design (to improve efficiency of queries)



Trade-offs – Data Redundancy vs. Query Efficiency

Assignment Project Exam Help

- Normalisation ~~No Data Redundancy but No Efficient Query Processing~~
- Data redundancies are eliminated in the following relations.

STUDENT		
Name	<u>StudentID</u>	DoB

COURSE	
<u>CourseNo</u>	Unit

ENROL		
<u>StudentID</u>	<u>CourseNo</u>	<u>Semester</u>

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Trade-offs – Data Redundancy vs. Query Efficiency

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- Normalisation ~~is~~ Data Redundancy but No Efficient Query Processing
- Data redundancies are eliminated in the following relations.

STUDENT		
Name	<u>StudentID</u>	DoB

COURSE	
<u>CourseNo</u>	Unit

ENROL		
<u>StudentID</u>	<u>CourseNo</u>	<u>Semester</u>

- However, the query for “list the names of students who enrolled in a course with 6 units” requires 2 join operations

```
SELECT Name, CourseNo
FROM ENROL e, COURSE c, STUDENT s
WHERE e.StudentID=s.StudentID AND e.CourseNo=c.CourseNo
AND c.Unit=6;
```

Trade-offs – Data Redundancy vs. Query Efficiency

Assignment Project Exam Help

• Denormalisation • Data Redundancy but Efficient Query Processing

- If a student enrolled 15 courses, then the name and DoB of this student need to be stored repeatedly 15 times in ENROLMENT.

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ENROLMENT					
Name	StudentID	DoB	CourseNo	Semester	Unit
Tom	123456	25/01/1988	COMP2400	2010 S2	6
Tom	123456	25/01/1988	COMP8740	2011 S2	12
Michael	23458	21/04/1985	COMP2400	2009 S2	6

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Trade-offs – Data Redundancy vs. Query Efficiency

Assignment Project Exam Help

• Denormalisation: Data Redundancy but Efficient Query Processing

- If a student enrolled 15 courses, then the name and DoB of this student need to be stored repeatedly 15 times in ENROLMENT.

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ENROLMENT					
Name	StudentID	DoB	CourseNo	Semester	Unit
Tom	123456	25/01/1988	COMP2400	2010 S2	6
Tom	123456	25/01/1988	COMP8740	2011 S2	12
Michael	23458	21/04/1985	COMP2400	2009 S2	6

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- The query for “list the names of students who enrolled a course with 6 units” can be processed efficiently (no join needed).

```
SELECT Name, CourseNo FROM ENROLMENT WHERE Unit=6;
```



(credit cookie) Raymond F. Boyce (1947-1974)

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SEQUENCE: A STRUCTURED ENGLISH QUERY LANGUAGE

Donald D. Chamberlin
Raymond F. Boyce

IBM Research Laboratory
San Jose, California

<https://powcoder.com>

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ABSTRACT: In this paper we present the data manipulation facility for a structured English query language (SEQUEL) which can be used for accessing data in an integrated relational data base. Without resorting to the concepts of bound variables and quantifiers SEQUEL identifies a set of simple operations on tabular structures, which can be shown to be of equivalent power to the first order predicate calculus. A SEQUEL user is presented with a consistent set of keyword English templates which reflect how people use tables to obtain information. Moreover, the SEQUEL user is able to compose these basic templates in a structured manner in order to form more complex queries. SEQUEL is intended as a data base sublanguage for both the professional programmer and the more infrequent data base user.

“SEQUEL: A Structured English Query Language”,

D.D. Chamberlin and R.F. Boyce,

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