```
TURING MACHINE
    9- tuple
M = (Q, \Sigma, \Gamma, +, U, \delta, s, t, r)
   Q: finite set of states
       a finite set of input symbols
   HE FIE the end marker - left
   8: Qx P -> Qx P x {L, R} transition function
   S \in Q Start State

a \in Q accept state

r \in Q reject State
 Assignment Project Exam Help 109' crases
   the a ewrites b and moves one step to the left.
  TM's con: /powcoder.com on the tape
  You cannot overwrite the left end worker
  You Add We Chat powe oder once it enters a or r it never leaves
   S(q,a) = (q',a,L) means you have the symbol
            unchanged.
   A CONFIGURATION is a description & the machine at an instant of time
          0110111----
        1011901 - HOW TO WRITE THE
                           CONFIGURATION AS
                             STRING
        uaqibo YIELDS uqaco
             if \delta(2i, 6) = (2i, c, L)
```

Given M & input a the

Start configuration is 90 w or 8 w

an accept configuration is any configuration in which the state is a or la, similarly for ran gr. An accept or reject configuration is called a halting configuration

M accepts w if there is a finite sequence of configurations C1, C2, ··· Ck s.t.

- 1. C, is the start configuration & w 2. Each C: yields C:+1 3. Ch is an accepting configuration Assignment Project Exam Help  $L(M) = \{ \omega \in \Sigma^* \mid Maccepts \omega \}$

3 outtes:/powcoder.compt, reject, log forever Lis Add We Charipowcode TM Ms. 6

Lis Turing decidable if ITM M s.t. L= L(M) & YWE, Z\* M halts on W.

We say Lis computably enumerable or CE if

L = L(M) for some TM

We say L is computable or decidable if

Molways halfs & L = L(M)

Old krminology: recursively enumerable (RE)

for CE & recursive for décidable.

Obviously any decidable language is recognizable (CE).

