THE UNIVERSITY OF AUCKLAND

SEMESTER TWO 2020

Campus: City, Offshore Online, UoA CLC - Northeast Forestry, UoA CLC - Southwest University

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NOTE:

- Attempt and quarks in this exam.
- The exam counts 50% towards your final mark.

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1 Locality-sensitive Hashing

 $[10 \, \mathrm{marks}]$

Computing MinHash signatures

[5 marks]

Given 4 sets:

$$S_1 = \{3, 4, 5\}, S_2 = \{0, 1, 2\}, S_3 = \{0, 5\},$$

 $Q = \{0, 1, 2, 3, 4, 5\}.$

- 1. Present these sets as a binary matrix where the set elements are $\{0, 1, 2, 3, 4, 5\}$. [1 mark]
- 2. Construct the MinHash signature matrix using 4 universal hash functions below. [1 mark]

$$h_1(\text{https:}d/\text{powcoder.}\text{com}), h_3(x) = (x+3) \mod 6, h_4(x) = (x+5) \mod 6$$

- 3. Consider the set Q as the que set, estimate the Jaccard similarities J.S.S.S.J.Z., A.M.E.J.Q. P.O.J.ECT EXAM [Index] p
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[2 marks]

Given the number of hands b and the number of rows per band r, let p =1 - (1 - A Che pair with a line pair with Jaccard similarity s.

Given the following values of r and b: r = 3 and b = 10; r = 6 and b = 20; r=5 and b=50, we compute the value p for s in range $\{0.1,0.2,\ldots,1\}$ as follows:

s	(3, 10)	(6, 20)	(5, 50)
0.1	0.0100	0.0000	0.0005
0.2	0.0772	0.0013	0.0159
0.3	0.2394	0.0145	0.1145
0.4	0.4839	0.0788	0.4023
0.5	0.7369	0.2702	0.7956
0.6	0.9123	0.6154	0.9825
0.7	0.9850	0.9182	0.9999
0.8	0.9992	0.9977	1.0000
0.9	1.0000	1.0000	1.0000

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We would like to solve the **near neighbor search** problem using the Jaccard similarity. In particular, given a query set Q, we want to find **all** sets S_i such that $J(S_i, Q) \ge 0.5$. Which settings of b and r above should we use such that:

- 1. The probability that any 50%-similar pair is a candidate pair is at least 70%. Explain your solution. [1 mark]
- 2. The probability that any 50%-similar pair is a candidate pair is at least 70% and the number of candidate pairs is minimized. [1 mark]

1.3 Linear time of LSH on finding all similar pairs [3 marks]

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[5 marks]

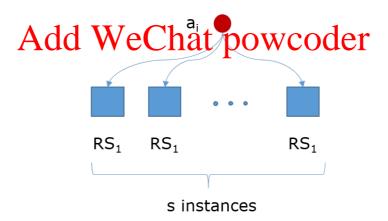


Fig. 1.: Illustration of how pRS_1 works.

In our lecture, we have studied the reservoir sampling which samples an element from a stream of size m with the same probability. If we use the reservoir

sampling with the summary size s=1, each element of a stream will be sampled with probability 1/m. We name this method as RS_1 . The generalized version of reservoir sampling with the summary size s>1 guarantees that each element in a stream will be sampled with the same probability s/m. We name this method as RS_s .

In the exam, we consider a new algorithm, called pRS_1 , that simulates RS_s for s > 1 by running s independent RS_1 instances in parallel. pRS_1 also uses a summary of size s, as shown in Figure 1.

- 1. As a function of m and s, what is the probability an element of a stream is sampled by pRS_1 ? [2 marks]
- 2. Let f_i be the number of occurrences of the element a_i in a stream. Explain how we can be seen a formula for the formula $[a_i, b_i]$ for the element a_i in a stream. Explain how we can be seen a formula $[a_i, b_i]$ for the element $[a_$

2.2 Misra-Gries vs. Reservoir Sampling

5 marks

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- 1. Present the final sammar Vinching the elements and their counter values, when the execution of the algorithm is innished. [I mark]
- 2. If we use the generalized reservoir sampling RS, with s=2 on this stream, what is the probability that the element 4 is in our RS_s summary? [2 marks]
- 3. On Assignment 2, there is a request to "report the average number of times he decise volve many ry laster protection of the summary size s and the stream length m, what is the expected number of times the reservoir summary has been updated after processing the stream? [2 marks]

2.3 CountMin Sketch

[5 marks]

Apply CountMin Sketch to estimate the frequency of each element in the stream below:

$$\{1, 4, 5, 4, 4, 5, 4, 4, 1, 4, 5, 4, 4, 5, 4, 4, 1, 4, 5, 4, 4, 5, 4, 4\}$$

Our CountMin Sketch uses d=3 arrays with the hash functions as follows:

$$h_1(x) = (x+1) \mod 3,$$

 $h_2(x) = (3x+1) \mod 3,$
 $h_3(x) = (5x+2) \mod 3.$

- 1. Present the CountMin Sketch summary after processing all elements and the estimated frequency of each element. [2 marks]
- 2. Among Reservoir Sampling, Misra-Gries and CountMin Sketch, which algorithm we should use to find the top-1 frequent element in this stream. Explain your choice. [3 marks]

3 Algorithms for Large Graphs

[15 marks]

3.1 Computing PageRank

[5 marks]

Given the following raw adjacency matrix of a graph:

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1. Convert A into a column stochastic matrix M.

A. Six like betting we have show that the Page Park 1 = 1. [1 mark] to the eigenvector of the column stochastic M corresponding to eigenvalue \(\lambda = 1. \)

Compute the Page Rank of all nodes in the above graph using the eigen equation (1.2 marks)

equation to solve the problem. [2 marks]

[2 marks]

[2 marks]

[3 From the resulting PageRank scores in question 2, explain the problem of running the power iteration algorithm $\mathbf{r}^{(t+1)} = \mathbf{M} \cdot \mathbf{r}^{(t)}$ on \mathbf{M} . Describe how to solve the problem. [2 marks]

how to solve the problem. Add WeChat powcoder

3.2 Girvan-Newman

[5 marks]

1. Compute the edge betweenness for all edges in the social network in Figure 2. Which edge will be removed to partition the graph into two parts using the Girvan-Newman method? [3 marks]

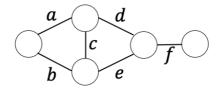


Fig. 2.: An example social network

2. In our lecture, we mentioned that we can use the Brandes' algorithm to calculate the shortest path from a node to all others. Does the algorithm apply for a weighted graph? Explain your answer. [2 marks]

3.3 Influence Maximization

[5 marks]

1. Compute the influence spread of the seed set $S = \{a\}$ using the independent cascade model on the graph in Figure 3. **Hint:** Convert the stochastic graph to deterministic graphs. [3 marks]



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In the lecture we gave the definition of submodular function as $f(S \cup \{v\}) - f(S) \ge f(I \cup \{v\}) - f(I)$ for $J \in F$ QU, where U is the set of all items. Another definition of submodular function is that $f(A) + f(B) \ge f(A \cup B) \cup f(A \cup B)$ any two sets A, $E \subseteq I$ show the two definitions are equivalent. [2 marks]

4 Recommender exchat powcoder_{0 marks}

4.1 Collaborative Filtering

[6 marks]

Given the following transactions in the form of (user, item, rating) tuples in a recommender system.

(u1, p1, 1.5), (u1, p3, 4), (u1, p5, 0.5), (u2, p2, 4), (u2, p4, 2), (u3, p1, 4.5), (u3, p4, 2.5), (u3, p5, 5), (u4, p2, 2), (u4, p3, 3.5), (u4, p4, 4), (u4, p5, 2.5)

Let the set of users be $\{u1, u2, u3, u4\}$ and the set of items be $\{p1, p2, p3, p4, p5\}$.

- 1. Construct the user-item interaction matrix based on the above transactions. Use question marks to denote missing values. [1 mark]
- 2. Apply the basic user-based collaborative filtering with the Pearson correlation coefficient for user u2 without considering bias. Give the top-1 recommended item to u2 and the corresponding predicted rating. [2 marks]

3. In the lecture, we discussed how to model the rating bias including the bias over all transactions, the bias of a user and the bias of an item. Give the predicted rating of user u2 to item p5 using the collaborative filtering that incorporates the above bias information. [3 marks]

Note: The predicted ratings should round to one decimal place.

4.2 Factorization Machine

[4 marks]

Suppose you are asked to build a system to recommend events. Users $\{u1, u2, u3, u4\}$ attend events from $\{e1, e2, e3\}$ in groups. Events are held in one of the two stadiums s1 and s2. Table 1 shows the transactions.

Table1.: Transactions of the event recommendation system

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- 1. Construct the input feature vectors for the factorization machine using the event transactions in Table 1. [1 mark]
- 2. Can factorization inchire piedict, the rating that an individual user u2 may put on u2 held in u2: Explain your answer. [1 mark]
- 3. If we ignore the stadium information in the transactions and only consider users and events in the above example, does the factorization machine reduce to the latent factor model? If yes, explain your answer. If no, explain in what situation the factorization machine reduces to the latent factor model.

 [2 marks]