

Assignment Project Exam Help

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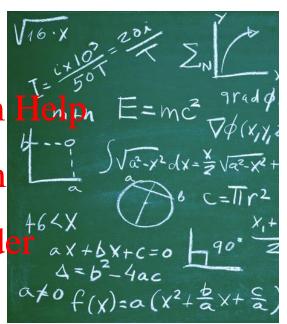
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### Who should take this class?

 This is a difficult, math- and programming-intensive class Assignment Project Exam geared primarily towards graduate stubbests powcoder.com

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 Historically, much fewer undergraduates manage an A than graduate students



- Linear algebra
- Multivariate Calculus, including partial derivatives
- Probability Assignment Project Exam Help Comfort with programming in Python

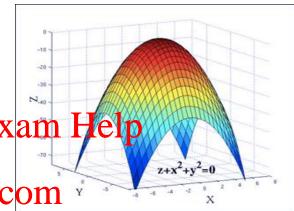
### https://powcoder.com

- Fundamentals of Data Science (CS 365) is a great pre-requisite for this course Chat powcoder
  - serves as a preparation including, but not limited, to the courses CS460, CS506, CS542 and CS565
- Intro to Optimization (CAS CS 507)
  - is not a formal prerequisite, but is highly recommended before taking this class



### Multivariate Calculus

- Vectors; dot product
- Determinants: cross product Matrices; inverse matrices Project Exam Help
- Square systems; equations of planes
- Parametric equations for lines and curves der.com
- Max-min problems; least squares
- Second derivative test; boundaries and infinity
- Level curves; partial April vatives et and aptiplane experexination
- Differentials; chain rule
- Gradient; directional derivative; tangent plane
- Lagrange multipliers
- Non-independent variables
- Double integrals
- Change of variables
- and other Calculus concepts such as convexity, etc.



Linear algebra



• Determinants stormosy weader.com

• Special Matrices Add WeChat powcoder



- Matrix rank
- Eigenvalues and Eigenvectors
- Matrix Calculus

### Probability

- Rules of probability, conditional personal learning and the conditional personal learning and the conditional personal learning and the conditional learning an
- Random variables (expected value, variance, their powcoder powcoder properties); discrete and continuous variables, density functions, vector random variables, covariance, joint distributions
- Common distributions: Normal, Bernoulli, Binomial,
   Multinomial, Uniform, etc.

A review: <a href="http://cs229.stanford.edu/section/cs229-prob.pdf">http://cs229.stanford.edu/section/cs229-prob.pdf</a>

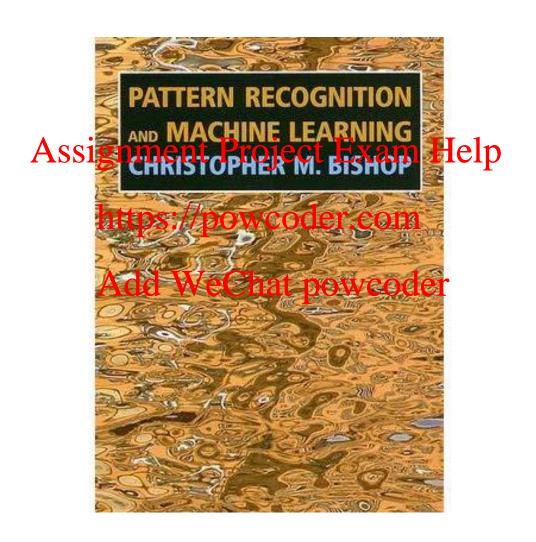
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<a href="https://powcoder.com">https://powcoder.com</a>

Add WeChat powcoder NumPy

### "..but I really want to take this course!"

- If you lack any of these prerequisites, you SHOULD NOT take this class
- we cannot teach you the class material and also the prerequisite material powcoder.com
- we are not miracle workers! Add WeChat powcoder
- instead, please consider these alternative courses:
  - EC 414 Introduction to Machine Learning
  - CS 506 Computational Tools for Data
  - CS 504 Data Mechanics

### Read the book



## Matrix Algebra Review

- Vectors and matrices
  - Basic Matrix Operations
     Assignment Project Exam Help
     Determinants, norms, trace

  - Special Matrices://powcoder.com
- Matrix inversedd WeChat powcoder
- Matrix rank
- Eigenvalues and Eigenvectors
- Matrix Calculus

# Matrix Algebra Review

- Vectors and matrices
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### Vector

• A column vector  $\mathbf{v} \in \mathbb{R}^{n \times 1}$  where

$$\begin{array}{c} \text{Assignment Project Exam Help} \\ \text{v} = \\ \text{https://powcoder.com} \\ \text{Add WeChat} \\ \text{powcoder} \\ \text{\bullet A row vector } \mathbf{v}^T \in \mathbb{R}^{1 \times n} \text{ where} \end{array}$$

$$\mathbf{v}^T = \begin{bmatrix} v_1 & v_2 & \dots & v_n \end{bmatrix}$$

T denotes the transpose operation

### Vector

We'll default to column vectors in this class

```
Assignment Project Exam Help v = \begin{bmatrix} v_1 \\ v = \end{bmatrix} https://powcoder.com v_n Add WeChat powcoder
```

### **Matrix**

• A matrix  $\mathbf{A} \in \mathbb{R}^{m \times n}$  is an array of numbers with size m by n, i.e. m rows and n columns. Assignment Project Exam Help

$$\mathbf{A} = \begin{bmatrix} \frac{a_{11}}{a_{21}} & \frac{a_{12}}{a_{22}} & \frac{a_{13}}{a_{23}} & \dots & a_{1n} \\ a_{21} & a_{22} & a_{23} & \dots & a_{2n} \\ \mathbf{Add \ WeChat \ powcoder} \ \vdots \\ a_{m1} & a_{m2} & a_{m3} & \dots & a_{mn} \end{bmatrix}$$

• If m=n , we say that  ${\bf A}$  is square.

# **Basic Matrix Operations**

- What you should know:
  - Addition
  - Scaling Assignment Project Exam Help
  - Dot product
  - Multiplication

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  - Transpose Add WeChat powcoder
  - Inverse / pseudoinverse
  - Determinant / trace

### Vectors

Norm

$$||x||_2 = \sqrt{\sum_{i=1}^n x_i^2}.$$

• More formally, a norm is any function  $f: \mathbb{R}^n \to \mathbb{R}$  that satisfies up to the satisfies and the satisfies of the satisfies and the satisfies of the sati

- https://powcoder.com
   Non-negativity: For all  $x \in \mathbb{R}^n, f(x) \geq 0$
- Definiteness: fixed bawarder o.
- **Homogeneity:** For all  $x \in \mathbb{R}^n$ ,  $t \in \mathbb{R}$ , f(tx) = |t|f(x)
- Triangle inequality: For all

$$x, y \in \mathbb{R}^n, f(x+y) \le f(x) + f(y)$$

Example Norms

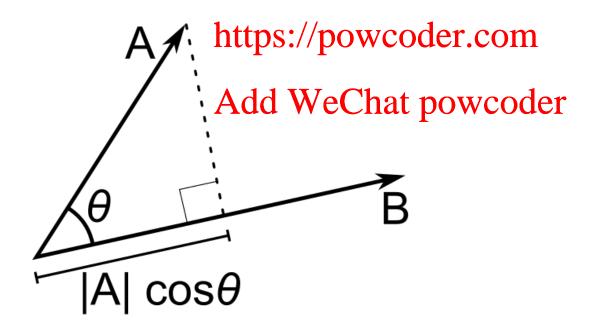
$$||x||_1 = \sum_{i=1}^n |x_i|$$
  $||x||_{\infty} = \max_i |x_i|$  Assignment Project Exam Help

• General 
$$\ell_p$$
 norms: https://powcoder.com  $\|x\|_p = \sum_{i=1}^{n} |x_i|^p$  Add WeChat powcoder

- Inner product (dot product) of vectors
  - Multiply corresponding entries of two vectors and add up the result
  - x·y is also [x] [y] Cos (the angle between x and y) https://powcoder.com

$$\mathbf{x}^{T}\mathbf{y} = \begin{bmatrix} x_{1} & \dots & x_{n} \end{bmatrix} \begin{bmatrix} \mathbf{y}_{n} \\ \vdots \\ \mathbf{y}_{n} \end{bmatrix} = \sum_{i=1}^{n} x_{i}y_{i} \quad \text{(scalar)}$$

- Inner product (dot product) of vectors
  - If B is a unit vector, then A·B gives the length of A which lies in the direction of Bam Help



### The product of two matrices

Matrix multiplication is associative: (AB)C = A(BC).

Matrix multiplication is distributive: A(B+C) = AB + AC.

Assignment Project Exam Help Matrix multiplication is, in general, not commutative; that is, it can be the case that  $AB \neq BA$ . (For example, if  $A \in \mathbb{R}^{m \times n}$  and  $B \in \mathbb{R}^{n \times q}$ , the matrix product BA does not even exist if m and the short power coder.com

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#### Powers

- By convention, we can refer to the matrix product
  AA as AAsangh Ab At Broject Exam Help
- Obviously only square matrices can be multiplied that way

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 Transpose – flip matrix, so row 1 becomes column 1

• A useful identity: Add WeChat powcoder

$$(ABC)^T = C^T B^T A^T$$

(a+c,b+d)

(a,b)

(c,d)

ad-bc

- Determinant
  - $-\det(\mathbf{A})$  returns a scalar
  - Represents area (or volume) of the parallelegramtdesgreber by Help the vectors in the rows of the https://powcoder.com



- Properties:  $det(\mathbf{AB}) = det(\mathbf{BA})$ 

$$\det(\mathbf{A}^{-1}) = \frac{1}{\det(\mathbf{A})}$$
$$\det(\mathbf{A}^{T}) = \det(\mathbf{A})$$
$$\det(\mathbf{A}) = 0 \Leftrightarrow \mathbf{A} \text{ is singular}$$

### Trace

 $tr(\mathbf{A}) = sum \text{ of diagonal elements}$   $tr(\begin{bmatrix} 1 & 3 \\ 5 & 7 \end{bmatrix}) \mathbf{\overline{Assignment Project Exam Help}$ 

- Invariant to https://optwocsflormetions, so it's used sometimes in proofs. (Rarely in this class though.)
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- Properties:

$$tr(\mathbf{AB}) = tr(\mathbf{BA})$$
  
 $tr(\mathbf{A} + \mathbf{B}) = tr(\mathbf{A}) + tr(\mathbf{B})$ 

Vector Norms

$$||x||_1 = \sum_{i=1}^n |x_i|$$
  $||x||_{\infty} = \max_i |x_i|$ 

$$\|x\|_2 = \sqrt{\sum_{i=1}^n \frac{\text{https://powcoder.com}^n}{\|x\|_p}} |x_i|^p$$

Matrix norms: Norms can also be defined for matrices, such as

$$||A||_F = \sqrt{\sum_{i=1}^m \sum_{j=1}^n A_{ij}^2} = \sqrt{\operatorname{tr}(A^T A)}.$$

# **Special Matrices**

- Symmetric matrix

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$$\mathbf{A}^T = -\mathbf{A}$$
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Identity matrix I

Diagonal matrix

$$\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

$$\begin{bmatrix} 3 & 0 & 0 \\ 0 & 7 & 0 \\ 0 & 0 & 2.5 \end{bmatrix}$$

# Matrix Algebra Review

- Vectors and matrices
  - Basic Matrix Operations
     Assignment Project Exam Help
     Determinants, norms, trace

  - Special Matrices://powcoder.com
- Matrix inversedd WeChat powcoder
- Matrix rank
- Eigenvalues and Eigenvectors
- Matrix Calculate

### Inverse

• Given a matrix A, its inverse  $A^{-1}$  is a matrix such that  $AA^{-1} = A^{-1}A = I$ 

• E.g. 
$$\begin{bmatrix} 2 & As & -1 & 1 \\ 0 & 3 & 1 \end{bmatrix}$$
 E.g. 
$$\begin{bmatrix} 2 & As & -1 & 1 \\ 0 & 3 & 1 \end{bmatrix}$$
 End to the end of t

- Inverse does not always exist. If A-1 exists, A is invertible or non-singular. Otherwise, it's singular.
- Useful identities, for matrices that are invertible:

$$(\mathbf{A}^{-1})^{-1} = \mathbf{A}$$
$$(\mathbf{A}\mathbf{B})^{-1} = \mathbf{B}^{-1}\mathbf{A}^{-1}$$
$$\mathbf{A}^{-T} \triangleq (\mathbf{A}^{T})^{-1} = (\mathbf{A}^{-1})^{T}$$

### Pseudoinverse

- Say you have the matrix equation AX=B, where A and B are known, and you want to solve for X
- You could said unated the givet sexand Helphultiply by it:  $A^{-1}AX=A^{-1}B \rightarrow X=A^{-1}B$ https://powcoder.com – Python command would be np.linalg.inv(A)\*B
- But calculating the Workington forwarge enatrices often brings problems with computer floating-point resolution (because it involves working with very small and very large numbers together).
- Or, your matrix might not even have an inverse.

#### Pseudoinverse

- Fortunately, there are workarounds to solve AX=B in these situations. And python can do them!
- Instead of the ingent in rectify lask python to solve for X in AX=B, by typing np.linalg.solve(A, B)

   https://powcoder.com
   Python will try several appropriate numerical methods
- Python will try several appropriate numerical methods (including the pseudoinvarse if the inverse doesn't exist)
- Python will return the value of X which solves the equation
  - If there is no exact solution, it will return the closest one
  - If there are many solutions, it will return the smallest one

Python example:

```
AX = B
A = \begin{bmatrix} 2 & A \\ 3 & 4 \end{bmatrix}, B = \begin{bmatrix} 1 \\ https!//powcoder.com \end{bmatrix}
```

```
>> import numby as paycoder
>> x = np.linalg.solve(A,B)
x =
1.0000
-0.5000
```

# Matrix Algebra Review

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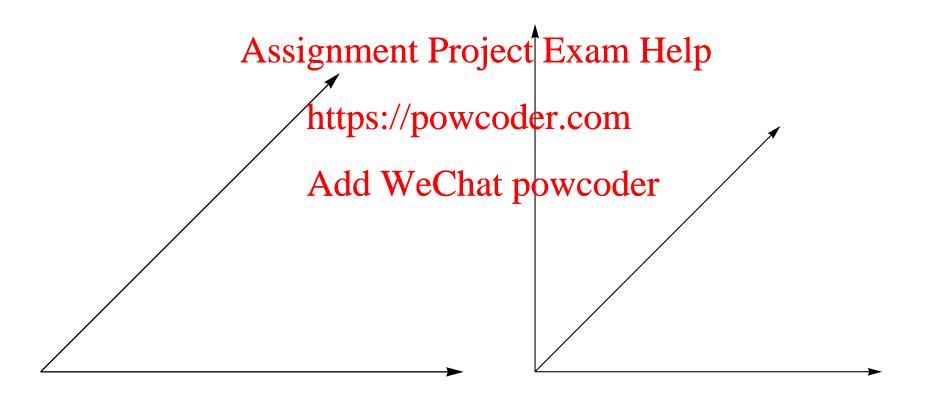
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# Linear independence

- Suppose we have a set of vectors  $v_1, ..., v_n$
- If we can express  $\mathbf{v}_1$  as a linear combination of the other westers  $\mathbf{v}_1$  as a linear combination of the other westers. Projecter  $\mathbf{v}_1$  is linearly dependent on the other vectors.
  - The direction  $v_1$  can be expressed as a combination of the directions  $v_4$ . We that powcoder  $v_4$ ?
- If no vector is linearly dependent on the rest of the set, the set is linearly *independent*.
  - Common case: a set of vectors  $\mathbf{v_1}, \dots, \mathbf{v_n}$  is always linearly independent if each vector is perpendicular to every other vector (and non-zero)

# Linear independence

Linearly independent set Not linearly independent



### Matrix rank

Column/row rank

```
\operatorname{col-rank}(\mathbf{A}) = \text{ the maximum number of linearly independent column vectors of } \mathbf{A} \operatorname{row-rank}(\mathbf{A}) = \text{ the maximum number of linearly independent row vectors of } \mathbf{A}
```

- Column rank always equals row rank
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- Matrix rank

$$rank(\mathbf{A}) \triangleq col\text{-}rank(\mathbf{A}) = row\text{-}rank(\mathbf{A})$$

## Matrix rank

- For transformation matrices, the rank tells you the dimensions of the output
- E.g. if rank of A is 1, then the transformation Assignment Project Exam Help

https://powcoder.com maps points onto a line.

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• Here's a matrix with rank 1:

$$\begin{bmatrix} 1 & 1 \\ 2 & 2 \end{bmatrix} \times \begin{bmatrix} x \\ y \end{bmatrix} = \begin{bmatrix} x+y \\ 2x+2y \end{bmatrix} - \text{All points get mapped to the line y=2x}$$

## Matrix rank

- If an m x m matrix is rank m, we say it's "full rank"
  - Maps an m x 1 vector uniquely to another m x 1 vector
  - An inverse matrix can be found am Help
- If rank < m, we say it's "singular"
   <p>https://powcoder.com
   — At least one dimension is getting collapsed. No way to
  - At least one dimension is getting collapsed. No way to look at the result and tell type with an area
  - Inverse does not exist
- Inverse also doesn't exist for non-square matrices

# Matrix Algebra Review

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  - Special Matrices://powcoder.com
- Matrix inverAdd WeChat powcoder
- Matrix rank
- Eigenvalues and Eigenvectors(SVD)
- Matrix Calculus

# Eigenvector and Eigenvalue

 An eigenvector x of a linear transformation A is a non-zero vector that, Assignment Project Exam Help when A is applied to it, does not change direction. https://powcoder.com

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$$Ax = \lambda x, \quad x \neq 0.$$

# Eigenvector and Eigenvalue

- An eigenvector x of a linear transformation A is a non-zero vector that, Assignment Project Exam Help when A is applied to it, does not change direction. <a href="https://powcoder.com">https://powcoder.com</a>
- Applying A to the Weighnspector of the eigenvector by the scalar value λ, called an eigenvalue.

$$Ax = \lambda x, \quad x \neq 0.$$

# Properties of eigenvalues

The trace of a A is equal to the sum of its eigenvalues:

$$\operatorname{tr} A = \sum_{i=1}^{n} \lambda_{i}$$
.
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- The determinant of A is equal to the product of its eigenvalues https://powcoder.com
  - Add WeChatipowcoder
- The rank of A is equal to the number of non-zero eigenvalues of A.
- The eigenvalues of a diagonal matrix D = diag(d1, . . .
   dn) are just the diagonal entries d1, . . . dn

# Diagonalization

Eigenvalue equation:

$$\begin{array}{c} AV = VD\\ \text{Assignment Project Exam Help}\\ A = VDV^{-1}\\ \text{https://powcoder.com}\\ - \text{ Where D is a diagonal matrix of the eigenvalues}\\ \text{Add WeChat powcoder}\\ \lambda_1 \\ \ddots \\ \end{array}$$

# Diagonalization

Eigenvalue equation:

$$\begin{array}{c} AV \equiv VD \\ \text{Assignment Project Exam Help} \\ A \equiv VDV^{-1} \\ \text{https://powcoder.com} \end{array}$$

• Assuming all  $\lambda_i$ 's are unique: Add WeChat powcoder

$$A = VDV^T$$

 Remember that the inverse of an orthogonal matrix is just its transpose and the eigenvectors are orthogonal

# Symmetric matrices

#### Properties:

- For a symmetric matrix A, all the eigenvalues are Assignment Project Exam Help
- The eigenvettors of wareder thomormal.

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$$A = VDV^T$$

# Symmetric matrices

• Therefore:

$$x^TAx$$
 Assignment Project By an  $\sum_{i=1}^n |\mathbf{y}_i|^2$ 

 $- \ \, \text{where} \ \, y = V^T x$ 

- So, if we wanted to find the vector x that:

$$\max_{x \in \mathbb{R}^n} x^T A x$$
 subject to  $||x||_2^2 = 1$ 

# Symmetric matrices

• Therefore:

$$x^TAx$$
 Assignibent Project By am  $\sum_{i=1}^n |\mathbf{p}_i y_i^2|$ 

- $\ \, \text{where} \ \, y = V^T x$
- So, if we wanted to find the vector x that:

$$\max_{x \in \mathbb{R}^n} x^T A x$$
 subject to  $||x||_2^2 = 1$ 

 Is the same as finding the eigenvector that corresponds to the largest eigenvalue.

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- Matrix Calculus

### Matrix Calculus – The Gradient

• Let a function  $f: \mathbb{R}^{m \times n} \to \mathbb{R}$  take as input a matrix A of size  $m \times n$  and returns a real value. • Then the gradient of f:

$$\nabla_{A}f(A) \in \mathbb{R}^{m \times n} = \begin{bmatrix} \frac{\partial f(A)}{\partial A_{11}} & \frac{\partial f(A)}{\partial A_{12}} & \dots & \frac{\partial f(A)}{\partial A_{1n}} \\ \frac{\partial f(A)}{\partial A_{21}} & \frac{\partial f(A)}{\partial A_{22}} & \frac{\partial f(A)}{\partial A_{2n}} \\ \vdots & \vdots & \ddots & \vdots \\ \frac{\partial f(A)}{\partial A_{m1}} & \frac{\partial f(A)}{\partial A_{m2}} & \dots & \frac{\partial f(A)}{\partial A_{mn}} \end{bmatrix}$$

### Matrix Calculus – The Gradient

- Every entry in the matrix is:  $(\nabla_A f(A))_{ij} = \frac{\partial f(A)}{\partial A_{ij}}$ .
- the size of  $\nabla$  f(A) is always the same as the size of A. So if A is just a vector x:

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$$\nabla_x f(x) = \begin{bmatrix} \frac{\partial f(x)}{\partial x} \\ \frac{\partial f(x)}{\partial x_2} \\ \vdots \\ \frac{\partial f(x)}{\partial x_n} \end{bmatrix}$$

### **Exercise**

Example:

For  $x \in \mathbb{R}^n$ , let  $f(x) = b^T x$  for some known vector  $b \in \mathbb{R}^n$ Assignment Project Exam Help

$$\begin{array}{c} \text{https://powcoder.com} \\ f(x) = \begin{bmatrix} b_1 & b_2 & \dots & b_n \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} \\ \text{Add WeChat powcoder} \\ \hline \underline{(x)} = ? & x_n \end{array}$$

• Find:

$$\nabla_x f(x) = ?$$

### **Exercise**

Example:

For  $x \in \mathbb{R}^n$ , let  $f(x) = b^T x$  for some known vector  $b \in \mathbb{R}^n$ Assignment Project Exam Help

$$\frac{\text{Add WeChat powcoder}}{\partial f(x)} = \frac{\partial}{\partial x_k} \sum_{i=1}^{n} b_i x_i = b_k.$$

• From this we can conclude that:  $\nabla_x b^T x = b$ .

### Matrix Calculus – The Gradient

Properties

- $\nabla_{\mathbf{A}} f(x) + q(x) = \nabla_{\mathbf{F}} f(x) + q($
- For  $t \in \mathbb{R}$ ,  $\nabla_x (t f(x)) = t \nabla_x f(x)$ .

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## Matrix Calculus – The Jacobian

#### Assignment Project Exam Help

$$J = \begin{pmatrix} \frac{\partial y_1}{\partial x_1} & \frac{\partial y_1}{\partial x_1} \\ \vdots & \ddots & \vdots \\ \frac{\partial y_m}{\partial x_1} & \dots & \frac{\partial y_m}{\partial x_n} \end{pmatrix}$$

• The Hessian matrix with respect to x, written  $\nabla_x^2 f(x)$  or simply as H is the n × n matrix of partial derivatives

$$\nabla_{x}^{2} f(x) \in \mathbb{R}^{n \times n} = \begin{bmatrix} \frac{\partial^{2} f(x)}{\partial x_{1}^{2}} & \frac{\partial^{2} f(x)}{\partial x_{1} \partial x_{2}} & \cdots & \frac{\partial^{2} f(x)}{\partial x_{1} \partial x_{n}} \\ \frac{\partial^{2} f(x)}{\partial x_{2}^{2}} & \frac{\partial^{2} f(x)}{\partial x_{1} \partial x_{2}} & \cdots & \frac{\partial^{2} f(x)}{\partial x_{1} \partial x_{n}} \\ \vdots & \vdots & \ddots & \vdots \\ \frac{\partial^{2} f(x)}{\partial x_{n} \partial x_{1}} & \frac{\partial^{2} f(x)}{\partial x_{n} \partial x_{2}} & \cdots & \frac{\partial^{2} f(x)}{\partial x_{2}^{2}} \end{bmatrix}$$

• Each entry can be written as:  $\nabla_x^2 f(x))_{ij} = \frac{\partial^2 f(x)}{\partial x_i \partial x_j}$ 

#### Assignment Project Exam Help

• Exercise: Why is the Hessian always https://powcoder.com

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Each entry can be written as:

$$\nabla_x^2 f(x))_{ij} = \frac{\partial^2 f(x)}{\partial x_i \partial x_j}$$

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• The Hessiansian way Prsyleon Textric, Heep cause

https://powcoder.com 
$$\partial^2 f(x) = \partial^2 f(x)$$
 Add  $\partial \mathcal{W}$  hat  $\partial f(x)$  oder

 This is known as Schwarz's theorem: The order of partial derivatives don't matter as long as the second derivative exists and is continuous.

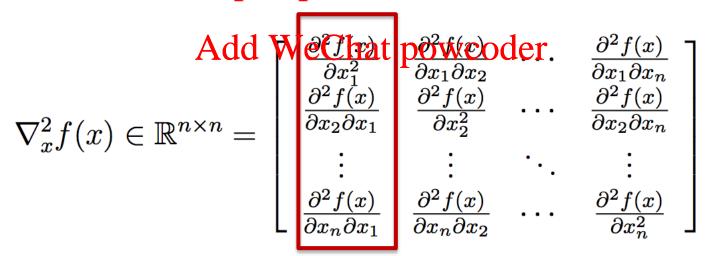
• Note that the hessian is not the gradient of whole gradient of a vector (this is not defined). It is actually the gradient of every entry of the gradient of

$$\nabla_{x}^{2} f(x) \in \mathbb{R}^{n \times n} = \begin{bmatrix} \frac{\partial^{2} f(x)}{\partial x_{1}^{2}} & \frac{\partial^{2} f(x)}{\partial x_{1} \partial x_{2}} & \frac{\partial^{2} f(x)}{\partial x_{1} \partial x_{2}} & \frac{\partial^{2} f(x)}{\partial x_{2} \partial x_{n}} \\ \frac{\partial^{2} f(x)}{\partial x_{2} \partial x_{1}} & \frac{\partial^{2} f(x)}{\partial x_{2}^{2}} & \dots & \frac{\partial^{2} f(x)}{\partial x_{2} \partial x_{n}} \\ \vdots & \vdots & \ddots & \vdots \\ \frac{\partial^{2} f(x)}{\partial x_{n} \partial x_{1}} & \frac{\partial^{2} f(x)}{\partial x_{n} \partial x_{2}} & \dots & \frac{\partial^{2} f(x)}{\partial x_{n}^{2}} \end{bmatrix}$$

• Eg, the first column is the gradient of  $\frac{\partial f(x)}{\partial x_1}$ 

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## Common vector derivatives

Scalar derivative			Vector derivative		
f(x)	Assign	$ \frac{\text{menf Prod}}{\mathrm{d}x} $	ojegt(Ex)am	Help	$\frac{\mathrm{d}f}{\mathrm{d}\mathbf{x}}$
bx	/	U	vcoder.com x B	/	В
bx	ightarrow A0	id wech	$\mathbf{x}^T \mathbf{b}$	$\rightarrow$	b
$x^2$	$\rightarrow$	2x	$\mathbf{x}^T\mathbf{x}$	$\rightarrow$	$2\mathbf{x}$
$bx^2$	$\rightarrow$	2bx	$\mathbf{x}^T \mathbf{B} \mathbf{x}$	$\rightarrow$	$2\mathbf{B}\mathbf{x}$

# PSet 1 Out Today

• Due in 1 week: 9/15 11:59pm GMT -5 (Boston Time)

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Diagnostic homework covering topics covered in prereqs

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 Additional examples in lab this week (Group A for in-person lab rotations)

### **Next Class**

### **Supervised Learning I: Regression:**

```
regression, linear hypothesis, SSD cost; gradient Assignment Project Exam Help descent; normal equations; maximum https://powcoder.com
```

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**Reading:** Bishop 1.2-1.2.4,3.1-3.1.1