- Let u be a binary user's variable. Let a and b be old binary implementer's variables. We replace a and b by new integer implementer's variables x and y using the convention (from the C language) that 0 stands for \bot and non-zero integers stand for \bot .
- (a) What is the transformer? § $a=(x\neq 0) \land b=(y\neq 0)$
- (b) Transform $a := \neg a$.
- $\forall a, b \cdot a = (x \neq 0) \land b = (y \neq 0) \Rightarrow \exists a', b' \cdot a' = (x' \neq 0) \land b' = (y' \neq 0) \land (a := \neg a) \text{ replace asmt}$ $= \forall a, b \cdot a = (x \neq 0) \land b = (y \neq 0)$ $\Rightarrow \exists a', b' \cdot a' = (x' \neq 0) \land b' = (y' \neq 0) \land a' = \neg a \land b' = b \land u' = u \qquad 1 \text{-pt } a' \text{ and } b'$ $= \forall a, b \cdot a = (x \neq 0) \land b = (y \neq 0) \Rightarrow \neg a = (x' \neq 0) \land b = (y' \neq 0) \land u' = u \qquad 1 \text{-pt } a \text{ and } b$ $= \neg (x \neq 0) = (x' \neq 0) \land (y \neq 0) = (y' \neq 0) \land u' = u$ $\iff \text{if } x = 0 \text{ then } x := 1 \text{ else } x := 0 \text{ fi}$
- (c) Transform $u := a \wedge b$.
- $\forall a, b \cdot a = (x + 0) \land b = (y + 0) \Rightarrow \exists a', b' \cdot a' = (x' + 0) \land b' = (y' + 0) \land (u := a \land b) \text{ replace asmt}$ $= \forall a, b \cdot a = (x + 0) \land b = (y + 0)$ $\Rightarrow \exists a', b' \cdot a' = (x' + 0) \land b' = (y' + 0) \land a' = a \land b' = b \land u' = a \land b$ $= \forall a, b \cdot a = (x + 0) \land b = (y + 0) \Rightarrow a = (x' + 0) \land b = (y' + 0) \land u' = a \land b$ $= \forall a, b \cdot a = (x + 0) \land b = (y + 0) \Rightarrow a = (x' + 0) \land b = (y' + 0) \land u' = a \land b$ $= \forall a, b \cdot a = (x + 0) \land b = (y + 0) \Rightarrow a = (x' + 0) \land b = (y' + 0) \land u' = a \land b$ $= \forall a, b \cdot a = (x + 0) \land b = (y + 0) \Rightarrow a = (x' + 0) \land b = (y' + 0) \land u' = a \land b$ $= \forall a, b \cdot a = (x + 0) \land b = (y + 0) \Rightarrow a = (x' + 0) \land b = (y' + 0) \land u' = a \land b$ $= \forall a, b \cdot a = (x + 0) \land b = (y + 0) \Rightarrow a = (x' + 0) \land b = (y' + 0) \land u' = a \land b$ $= \forall a, b \cdot a = (x + 0) \land b = (y + 0) \Rightarrow a = (x' + 0) \land b = (y' + 0) \land u' = a \land b$ $= \forall a, b \cdot a = (x + 0) \land b = (y + 0) \Rightarrow a = (x' + 0) \land b = (y' + 0) \land u' = a \land b$ $= \forall a, b \cdot a = (x + 0) \land b = (y + 0) \Rightarrow a = (x' + 0) \land b = (y' + 0) \land u' = a \land b$ $= \forall a, b \cdot a = (x + 0) \land b = (y + 0) \Rightarrow a = (x' + 0) \land b = (y' + 0) \land u' = a \land b$ $= \forall a, b \cdot a = (x + 0) \land b = (y + 0) \Rightarrow a = (x' + 0) \land b = (y' + 0) \land u' = a \land b$ $= \forall a, b \cdot a = (x + 0) \land b = (y + 0) \Rightarrow a = (x' + 0) \land b = (y + 0) \land u' = a \land b$ $= \forall a, b \cdot a = (x + 0) \land b = (y + 0) \Rightarrow a = (x' + 0) \land b = (y + 0) \land u' = a \land b \Rightarrow a = (x' + 0) \land a$

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