

Download the accompanying zip file from Blackboard. Solve each problem below using Prolog on the cs-parallel server. Do not modify the provided predicate signatures or file names. Test your predicates using the examples in the provided zip file; you are encouraged to also create some additional examples to test more thoroughly. When you are ready to submit, compress your solution files into a zip file, and upload to Blackboard. Double-check that you have submitted all the files you intended.

1. Suppose a Prolog database defines family relations of the form `parent(X, Y)`, which means that X is a parent of Y. Define this new predicate: `half_cousin(X, Y)`. Half-cousins share only one grandparent.
2. Suppose a Prolog database defines family relations of the form `parent(X, Y)`, which means that X is a parent of Y. Define this new predicate: `double_cousin(X, Y)`. Double-cousins share both sets of grandparents.

3. `setcover(N, L, R)` takes integer N and list L whose nested lists are subsets of a universal set of elements. It returns list R which is a subsequence of L having length $\leq N$ and whose union is the same universal set of elements. Example:
`setcover(3, [[a,b],[a,d],[a,c],[a,e],[c,e]], R)` yields `R = [[a,b],[a,d],[c,e]]` whose length is 3 and whose union is the universal set `[a,b,c,d,e]`.

You may use the following helper predicates for set union and set difference if you wish:

`union([],X,X).`

`union([H|T],X,U) :- member(H,X), !, union(T,X,U).`

`union([H|T],X,[H|U]) :- union(T,X,U).`

`diff([],_,[]).`

`diff([H|T],X,D) :- member(H,X), !, diff(T,X,D).`

`diff([H|T],X,[H|D]) :- diff(T,X,D).`

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4. `reject(P, L, R)` removes all the elements of `L` that satisfy predicate `P`, and returns the result in `R`.
Example: `reject(number, [a,5,b,3.14,c,89,[],2.7,d,[6]] ,R)` yields `R = [a,b,c,[],d,[6]]`.

5. `multimap(F, L, R)` takes a predicate `F` and a list `L` with nested sublists. It applies `F` to each list that consists of corresponding elements of all the sublists, and returns a list of the results in `R`. For full credit, you should handle the general case when the sublists of `L` might have different lengths. Examples:

`sum([], 0).`

`sum([H|T], R) :- sum(T,X), R is H+X.`

`multimap(sum, [[1,2,3,4],[5,6,7],[8,9,10,11],[12,13,14]], R)` returns `R = [26,30,34]`.

`prod([], 1).`

`prod([H|T], R) :- prod(T,X), R is H*X.`

`multimap(prod, [[2,3,4],[5,6,7,8],[9,10,11]] , R)` returns `R = [90,180,308]`.

6. `bools(L)` enforces that each element of list `L` is either true or false. `solve(E, B)` determines values for the variables in logical expression `E` so that `E` will evaluate to Boolean value `B`.

Examples: `bools([X,Y]), solve(and(or(X,Y),not(X)), true)` returns `X=false, Y=true`

`bools([X,Y,Z]), solve(or(not(and(X,Y)),Z), false)` returns `X=true, Y=true, Z=false`.

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7. When working with difference lists, you must be careful not to accidentally create an infinite list. The predefined predicate `unify_with_occurs_check(X,Y)` is useful for preventing infinite lists; it behaves similarly to `X=Y` except it will not unify any variable with a compound expression containing that variable. Example: Suppose we want to write predicate `null(X-Y)` so that it will succeed if and only if the difference list `X-Y` represents an empty list.

- Here is an incorrect definition: `null(X-Y) :- X=Y`. It is correct when `X` and `Y` are bound to finite lists, but unfortunately the query `null([a,b,c,d|T]-T)` returns true because variable `T` unifies with `[a,b,c,d|T]` and yields an infinite list `T = [a,b,c,d,a,b,c,d,a,b,c,d,...]`.
- Here is a correct definition: `null(X-Y) :- unify_with_occurs_check(X,Y)`. Now the query `null([a,b,c,d|T]-T)` returns false, because variable `T` does not unify with `[a,b,c,d|T]`.

Write these predicates that use difference lists:

- `dlength(A-B, N)` takes a difference list `A-B`, and returns the number of elements that are in `A` but not in `B`. Example: `dlength([a,b,c,d|T]-T, N)` yields `N=4`.
- `dreverse(A-B, C-D)` succeeds if difference list `C-D` is the reverse of difference list `A-B`. Example: `dreverse([a,b,c,d|T]-T, X-Y)` yields `X = [d,c,b,a|Y]`.
- `drotateleft(A-B, K, C-D)` succeeds if difference list `C-D` is obtained by rotating the elements of difference list `A-B` by `K` positions to the left. Example: `drotateleft([a,b,c,d,e,f|T]-T, 2, X-Y)` yields `X = [c,d,e,f,a,b|Y]`.
- `drotateright(A-B, K, C-D)` succeeds if difference list `C-D` is obtained by rotating the elements of difference list `A-B` by `K` positions to the right. Example: `drotateright([a,b,c,d,e,f|T]-T, 2, X-Y)` yields `X = [e,f,a,b,c,d|Y]`.