# Business Case: Walmart - Confidence Interval and CLT

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#### **Problem Statement**

The Management team at Walmart Inc. wants to analyze the customer purchase behavior (specifically, purchase amount) against the customer's gender and the various other factors to help the business make better decisions. They want to understand if the spending habits differ between male and female customers: Do women spend more on Black Friday than men? (Assume 50 million customers are male and 50 million are female).

### Importing all the libraries for analyzing the case study

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
from scipy.stats import norm
from scipy.stats import poisson
from scipy.stats import binom
import scipy.stats as stats
import math
```

df = pd.read\_csv('walmart\_data.csv')
df

<b>→</b>		User_ID	Product_ID	Gender	Age	Occupation	City_Category	Stay_In_Cur
	0	1000001	P00069042	F	0- 17	10	А	
	1	1000001	P00248942	F	0- 17	10	А	
	2	1000001	P00087842	F	0- 17	10	А	
	3	1000001	P00085442	F	0- 17	10	А	
	4	1000002	P00285442	М	55+	16	С	
	550063	1006033	P00372445	М	51- 55	13	В	
	550064	1006035	P00375436	F	26- 35	1	С	
	550065	1006036	P00375436	F	26- 35	15	В	
	550066	1006038	P00375436	F	55+	1	С	
	550067	1006039	P00371644	F	46- 50	0	В	

550068 rows × 10 columns

df.shape

**→** (550068, 10)

Walmart dataset contains 550068 Rows and 10 Columns

df.info()

```
→ <class 'pandas.core.frame.DataFrame'>
    RangeIndex: 550068 entries, 0 to 550067
    Data columns (total 10 columns):
     #
         Column
                                      Non-Null Count
                                                        Dtype
     0
         User ID
                                      550068 non-null
                                                       int64
     1
         Product ID
                                      550068 non-null
                                                       object
     2
         Gender
                                      550068 non-null
                                                        object
     3
         Age
                                      550068 non-null
                                                        object
     4
         Occupation
                                      550068 non-null
                                                        int64
     5
         City_Category
                                      550068 non-null
                                                        object
         Stay_In_Current_City_Years
                                      550068 non-null
                                                        object
         Marital Status
     7
                                      550068 non-null
                                                        int64
         Product_Category
                                      550068 non-null
                                                        int64
     9
         Purchase
                                      550068 non-null
                                                        int64
    dtypes: int64(5), object(5)
    memory usage: 42.0+ MB
df.isna().sum()
→ User_ID
    Product ID
    Gender
    Age
    Occupation
    City_Category
    Stay_In_Current_City_Years
                                   0
    Marital Status
    Product_Category
                                   0
    Purchase
    dtype: int64
```

The dataset mentioned above does not contain any null values or missing data.

```
columns = ['Occupation', 'Marital_Status', 'Product_Category']
df[columns] = df[columns].astype('object')
print(df.dtypes)
```

$\rightarrow$	User_ID	int64
	Product_ID	object
	Gender	object
	Age	object
	Occupation	object
	City_Category	object
	Stay_In_Current_City_Years	object
	Marital_Status	object
	Product_Category	object
	Purchase	int64
	The state of the s	

# description = df.describe(include="all") print(description)

					_				
$\overline{\longrightarrow}$			Product_ID		Age	Occupation			\
	count	5.500680e+05	550068	550068	550068	550068.0	5.	50068	
	unique	NaN	3631	2	7	21.0		3	
	top	NaN	P00265242	М	26–35	4.0		В	
	freq	NaN	1880	414259	219587	72308.0	2	31173	
	mean	1.003029e+06	NaN	NaN	NaN	NaN		NaN	
	std	1.727592e+03	NaN	NaN	NaN	NaN		NaN	
	min	1.000001e+06	NaN	NaN	NaN	NaN		NaN	
	25%	1.001516e+06	NaN	NaN	NaN	NaN		NaN	
	50%	1.003077e+06	NaN	NaN	NaN	NaN		NaN	
	75%	1.004478e+06	NaN	NaN	NaN	NaN		NaN	
	max	1.006040e+06	NaN	NaN	NaN	NaN		NaN	
		Stay_In_Currer			_	_		\	
	count		550068		550068.0		550068.0		
	unique	1			0.0 5.0			20.0	
	top			l			5.0		
	freq	193821		l	324731.0 150933		150933.0		
	mean	NaN		V	NaN		NaN		
	std		NaN	V	Nal	V	NaN		
	min		NaN	V	Nal	V	NaN		
	25%		NaN	V	Nal	V	NaN		
	50%		NaN	V	Nal	V	NaN		
	75%		NaN	V	Nal	V	NaN		
	max		NaN	V	Nal	V	NaN		

	Purchase
count	550068.000000
unique	NaN
top	NaN
freq	NaN
mean	9263.968713
std	5023.065394
min	12.000000
25%	5823.000000
50%	8047.000000
75%	12054.000000
max	23961.000000

#### **Observation:**

- 1- The primary demographic making purchases falls within the 26–35 age bracket.
- 2- Male customers are the predominant purchasers.
- 3- With an average purchase amounting to 9263.96 and a maximum purchase of 23961, the mean appears sensitive to outliers. However, the considerable discrepancy between the mean and maximum value suggests that the maximum purchase may be an outlier.

#### Non-Graphical Analysis:

```
Age_counts = df['Age'].value_counts()
percentage_Age_counts = (Age_counts / len(df)) * 100
print(f"Age count : \n{Age_counts} \nAge percentage : \n{percentage_Age_counts}")
\rightarrow Age count :
    26-35
              219587
    36-45
              110013
    18-25
               99660
    46-50
               45701
    51-55
               38501
    55+
               21504
    0 - 17
               15102
    Name: Age, dtype: int64
    Age percentage:
              39.919974
    26-35
    36-45
              19.999891
            18.117760
    18-25
    46-50
             8.308246
    51-55
               6.999316
    55±
               3.909335
    0 - 17
              2.745479
    Name: Age, dtype: float64
```

#### Unique Attributes

```
unique_category_count = df['Product_Category'].nunique()
unique_category_count

20

unique_City_Category_count = df['City_Category'].nunique()
unique_City_Category_count

3

unique_Product_ID_count = df['Product_ID'].nunique()
unique_Product_ID_count

3631
```

There are a total of 20 distinct product categories.

There are three unique city categories in total.

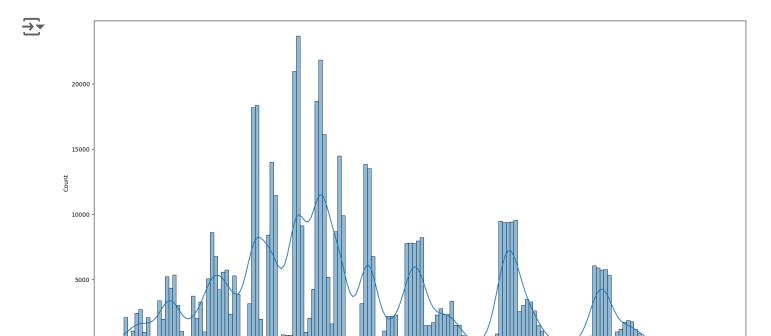
There are 3631 different product IDs in total.

The total count of unique user IDs is 5891.

# Visual Analysis - Univariate & Bivariate

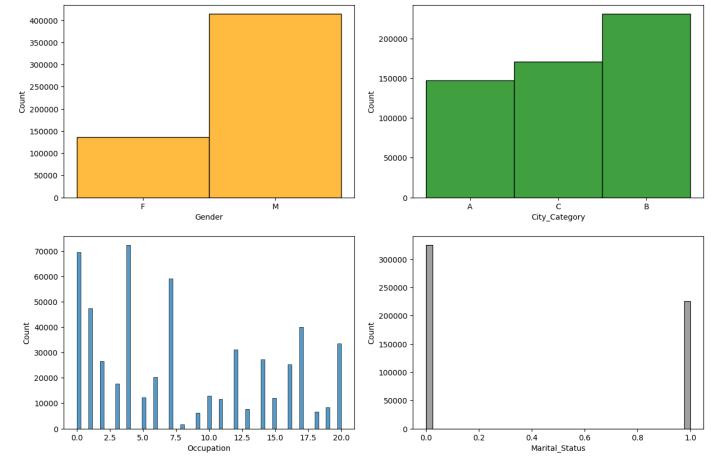
#### Univariate

```
plt.figure(figsize=(20,10))
sns.histplot(data=df, x='Purchase', kde=True)
plt.show()
```



```
fig, axis = plt.subplots(nrows=2, ncols=2, figsize=(15,10))
sns.histplot(data=df, x='Gender', ax=axis[0,0],color = "orange")
sns.histplot(data=df, x='City_Category', ax=axis[0,1],color = "green")
sns.histplot(data=df, x='Occupation', ax=axis[1,0])
sns.histplot(data=df, x='Marital_Status',ax=axis[1,1],color = "grey")
plt.show()
```

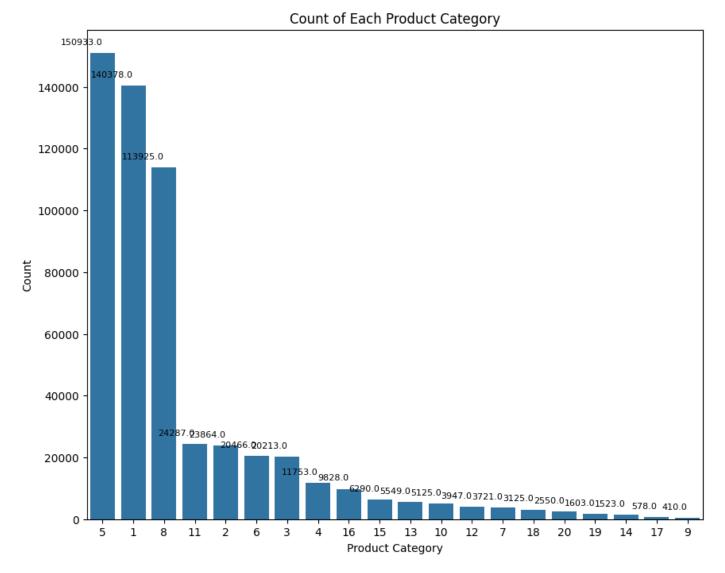




plt.figure(figsize=(10, 8))
sns.countplot(data=df, x='Product\_Category', order=df['Product\_Category'].value\_c

```
plt.xlabel('Product Category')
plt.ylabel('Count')
plt.title('Count of Each Product Category')
for p in plt.gca().patches:
    plt.gca().annotate(f'{p.get_height()}', (p.get_x() + p.get_width() / 2., p.get_ha='right', va='center', fontsize=8, color='black', xytext=(0, 10), textcoord.plt.show()
```





Product categories 5, 1, and 8 are the most frequently purchased.

Men tend to have a greater purchasing capacity than women.

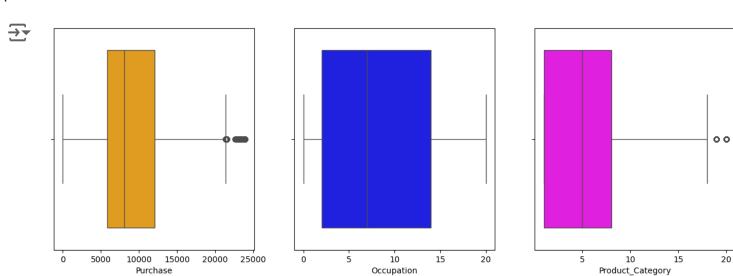
There are more users residing in the B city region.

The majority of users are unmarried.

The maximum purchase falls within the range of 5000 to 15000.

# Outliers detection using BoxPlots:

```
fig, axis = plt.subplots(nrows=1, ncols=3, figsize=(15,2))
fig.subplots_adjust(top=2)
sns.boxplot(data=df, x='Purchase', ax=axis[0],color = "orange")
sns.boxplot(data=df, x='Occupation', ax=axis[1],color = "blue")
sns.boxplot(data=df, x='Product_Category', ax=axis[2],color = "magenta")
plt.show()
```



There are outliers present in the purchase data.

There are no outliers in the occupation data.

While there are some outliers in the product categories, the majority of purchases fall within the range of 1 to 8.

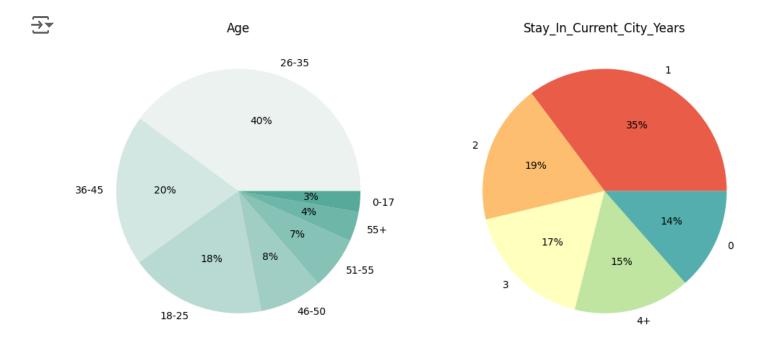
### Using pie chart:

unique\_colors\_age = sns.color\_palette("light:#5A9", len(df['Age'].unique()))
unique\_colors\_city\_years = sns.color\_palette("Spectral", len(df['Stay\_In\_Current\_"))

fig, axs = plt.subplots(nrows=1, ncols=2, figsize=(12, 8))

data\_age = df['Age'].value\_counts(normalize=True) \* 100
axs[0].pie(x=data\_age.values, labels=data\_age.index, autopct='%.0f%%', colors=uni
axs[0].set\_title("Age")

data\_city\_years = df['Stay\_In\_Current\_City\_Years'].value\_counts(normalize=True) \*
axs[1].pie(x=data\_city\_years.values, labels=data\_city\_years.index, autopct='%.0f%
axs[1].set\_title("Stay\_In\_Current\_City\_Years")
plt.show()



- 1- Around 40% of users fall within the age range of 26–35, followed by 20% in the 36–45 age group, 18% in the 18–25 age group, 8% in the 46–50 age group, 7% in the 51–55 age group, 4% in the 55 and above age category, and only 2% are under the age of 17.
- 2- Approximately 35% of individuals reside in a city for one year, while 19% stay for two years, 17% for three years, and 15% for four years or more.

#### Bivariate Analysis:

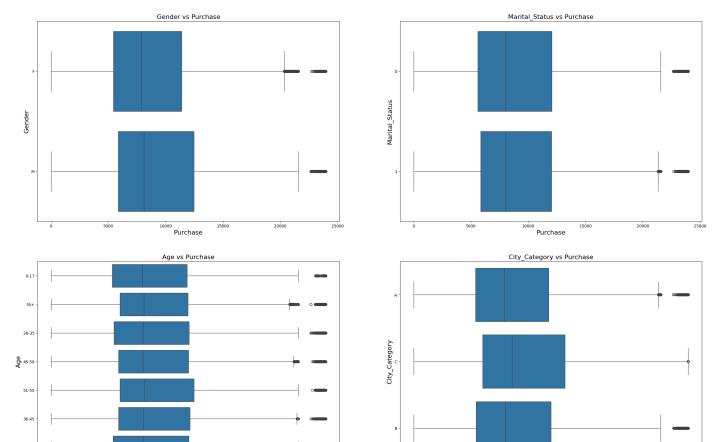
Analyzing the variation in purchases with the following,

- 1. Gender vs Purchase
- 2. Martial\_Status vs Purchase
- 3. Age vs Purchase
- 4. City\_Category vs Purchase

```
fig1, axs=plt.subplots(nrows=2,ncols=2, figsize=(30,20))
sns.boxplot(data=df, y='Gender',x ='Purchase',orient='h',ax=axs[0,0])
axs[0,0].set_title("Gender vs Purchase", fontsize=16)
axs[0,0].set_xlabel("Purchase", fontsize=16)
axs[0,0].set_ylabel("Gender", fontsize=16)
sns.boxplot(data=df, y='Marital_Status',x ='Purchase',orient='h',ax=axs[0,1])
axs[0,1].set_title("Marital_Status vs Purchase", fontsize=16)
axs[0,1].set_xlabel("Purchase", fontsize=16)
axs[0,1].set_ylabel("Marital_Status", fontsize=16)
sns.boxplot(data=df, y='Age',x ='Purchase',orient='h',ax=axs[1,0])
axs[1,0].set_title("Age vs Purchase", fontsize=16)
axs[1,0].set_ylabel("Age", fontsize=16)
sns.boxplot(data=df, y='City_Category',x ='Purchase',orient='h',ax=axs[1,1])
axs[1,1].set_title("City_Category vs Purchase", fontsize=16)
```

axs[1,1].set\_xlabel("Purchase", fontsize=16)
axs[1,1].set\_ylabel("City\_Category", fontsize=16)
plt.show()





Purchase

Purchase

- 1- Gender vs. Purchase
- a) The median for males and females is almost equal.
- b) Females have more outliers compared to males.
- c) Males purchased more compared to females.
- 2- Martial Status vs. Purchase
- a) The median for married and single people is almost equal.
- b) Outliers are present in both records.
- 3- Age vs. Purchase
- a) The median for all age groups is almost equal.
- b) Outliers are present in all age groups.
- 4- City Category vs. Purchase
- a) The C city region has very low outliers compared to other cities.
- b) A and B city region medians are almost the same.

```
q1 = df["Purchase"].quantile(0.25)
q3 = df["Purchase"].quantile(0.75)
IQR = q3-q1
outliers = df["Purchase"][((df["Purchase"]<(q1-1.5*IQR)) | (df["Purchase"]>(q3+1.5*IQR)) | (df["Purchas
```

```
avg_by_gender = df.groupby('Gender')['Purchase'].mean()
print(f'Average purchase of male and female : \n{avg_by_gender}')
    Average purchase of male and female:
    Gender
         8734.565765
    F
         9437.526040
    Name: Purchase, dtype: float64
agg_df = df.groupby(['User_ID', 'Gender'])[['Purchase']].agg({'Purchase': ['sum',
agg_df = agg_df.reset_index()
agg df = agg df.sort values(by='User ID', ascending=False)
print(f"Top 10 purchase from male and female\n{agg_df.head(10)}")
Top 10 purchase from male and female
          User ID Gender Purchase
                              sum
                                           mean
    5890
                         1653299
                                    9184.994444
         1006040
    5889
         1006039
                       F
                           590319
                                    7977.283784
                                    7502.833333
    5888
         1006038
                            90034
    5887 1006037
                       F 1119538
                                    9176.540984
    5886
         1006036
                       F 4116058
                                    8007.894942
    5885 1006035
                       F 956645 6293.717105
    5884 1006034
                       М
                         197086 16423.833333
    5883 1006033
                         501843 13940.083333
                                   9404.745455
    5882 1006032
                       М
                           517261
    5881
          1006031
                       F
                           286374
                                    9237.870968
Gender wise count=agg df['Gender'].value counts()
print(f'Each gender wise count : \n{Gender_wise_count}')

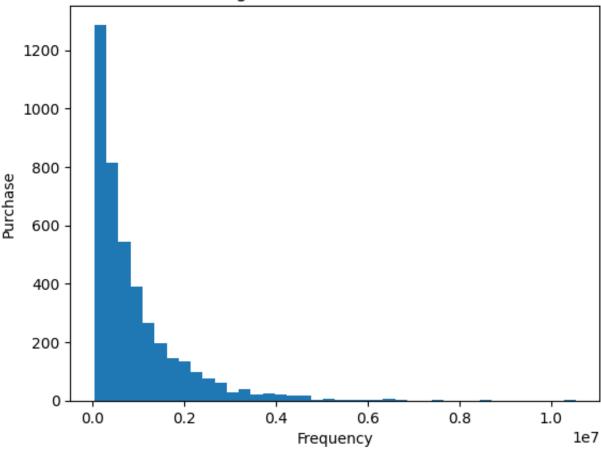
→ Each gender wise count:
         4225
         1666
    Name: Gender, dtype: int64
sum_by_gender = df.groupby(['User_ID', 'Gender'])['Purchase'].sum()
sum_by_gender = sum_by_gender.reset_index()
sum_by_gender = sum_by_gender.sort_values(by='User_ID', ascending=False)
male_data = sum_by_gender[sum_by_gender['Gender']=='M']['Purchase']
plt.hist(male_data, bins=40)
plt.ylabel('Purchase')
plt.xlabel('Frequency')
```

```
plt.title('Histogram of Purchase for Males')
plt.show()

Female_data = sum_by_gender[sum_by_gender['Gender']=='F']['Purchase']
plt.hist(Female_data, bins=40)
plt.ylabel('Purchase')
plt.xlabel('Frequency')
plt.title('Histogram of Purchase for Females')
plt.show()
```

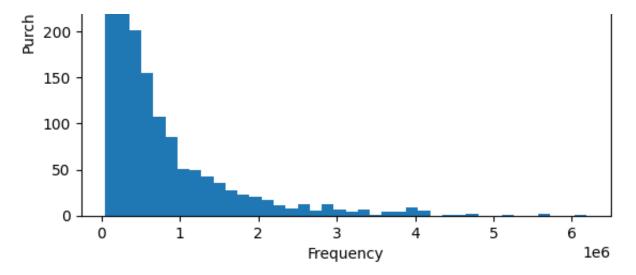


#### Histogram of Purchase for Males









```
Mean_by_gender = df.groupby(['User_ID', 'Gender'])['Purchase'].sum()
Mean_by_gender = Mean_by_gender.reset_index()
Mean_by_gender = Mean_by_gender.sort_values(by='User_ID', ascending=False)
Male_cust_avg = Mean_by_gender[Mean_by_gender['Gender']=='M']['Purchase'].mean()
Female_cust_avg = Mean_by_gender[Mean_by_gender['Gender']=='F']['Purchase'].mean()
print(f'Male customer average spent amount: {Male_cust_avg}')
print(f'Female customer average spent amount: {Female_cust_avg}')
Are Male customer average spent amount: 925344.4023668639
```

Males outspend females on average.

The largest purchase on record is associated with user ID 1006040, who is male.

While many females make purchases, their spending tends to be lower overall.

Female customer average spent amount: 712024.3949579832

```
male_df = sum_by_gender[sum_by_gender['Gender']=='M']
female_df = sum_by_gender[sum_by_gender['Gender']=='F']

male_sample_size = 3000
female_sample_size = 1000
num_repitions = 1000

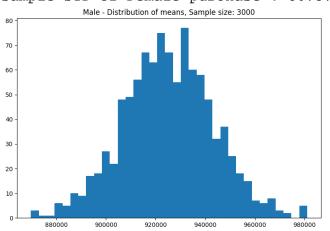
random_sample_male = male_df.sample(n=male_sample_size)
random_sample_female = female_df.sample(n=female_sample_size)
```

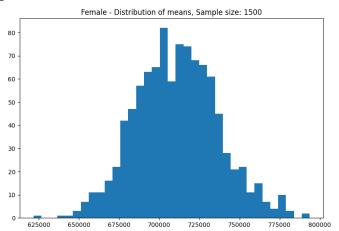
```
male_means = random_sample_male['Purchase'].mean()
print(f'Population mean: random male samples mean purchase value: {male means}')
female_means = random_sample_female['Purchase'].mean()
print(f'Population mean: random Female samples mean purchase value : {female_mean
Male_sample_mean = round(male_df['Purchase'].mean(),2)
print(f'Sample means of Male purchase : {Male_sample_mean}')
Male_std_value = round(male_df['Purchase'].std(),2)
print(f'Sample STD of Male purchase : {Male_std_value}')
Female_sample_mean = round(female_df['Purchase'].mean(),2)
print(f'Sample means of Female purchase : {Female_sample_mean}')
Female_std_value = round(female_df['Purchase'].std(),2)
print(f'Sample STD of Female purchase : {Female_std_value}')
male\ means1 = []
female means1 = []
for _ in range(num_repitions):
   male_mean2 = male_df.sample(male_sample_size, replace=True)['Purchase'].mean()
   female_mean2 = female_df.sample(female_sample_size,replace=True)['Purchase'].
   male_means1.append(male_mean2)
    female_means1.append(female_mean2)
fig, axis = plt.subplots(nrows=1, ncols=2, figsize=(20, 6))
axis[0].hist(male_means1, bins=35)
axis[1].hist(female_means1, bins=35)
axis[0].set_title("Male - Distribution of means, Sample size: 3000")
axis[1].set title("Female - Distribution of means, Sample size: 1500")
plt.show()
```



Population mean: random male samples mean purchase value: 934842.511 Population mean: random Female samples mean purchase value: 743954.844

Sample means of Male purchase: 925344.4 Sample STD of Male purchase: 985830.1 Sample means of Female purchase: 712024.39 Sample STD of Female purchase: 807370.73





Referring to the provided data and a 95% confidence level:

- a) The mean spending for male customers is estimated to fall within the range of 896,453.54 to 954,235.25.
- b) The mean spending for female customers is estimated to range from \$683,133.53 to 740,915.24.

The confidence intervals for the average spending of male and female customers do not intersect.

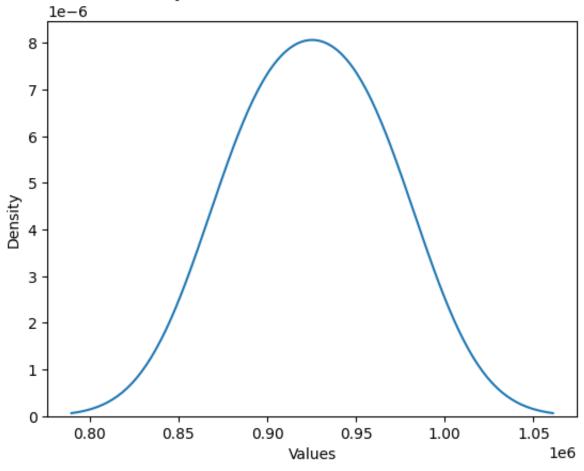
Considering the data, it's advisable for the company to focus its marketing efforts more towards male customers, as they demonstrate higher spending compared to females.

```
sample_size = 3000
confidence_level = 0.95
z_critical = stats.norm.ppf((1 + confidence_level) / 2)
margin_of_error = z_critical * (Male_std_value / np.sqrt(sample_size))
z_critical = stats.norm.ppf((1 + confidence_level) / 2)
margin_of_error = z_critical * (Female_std_value / np.sqrt(sample_size))
```

```
Male_confidence_interval = (Male_sample_mean - margin_of_error, Male_sample_mean - print("Confidence Interval 95% Male:", Male_confidence_interval)
sns.kdeplot(Male_confidence_interval)
plt.xlabel('Values')
plt.ylabel('Density')
plt.title('Kernel Density Estimate with Confidence Interval for Male')
plt.show()
```

Confidence Interval 95% Male: (896453.5403615071, 954235.259638493)

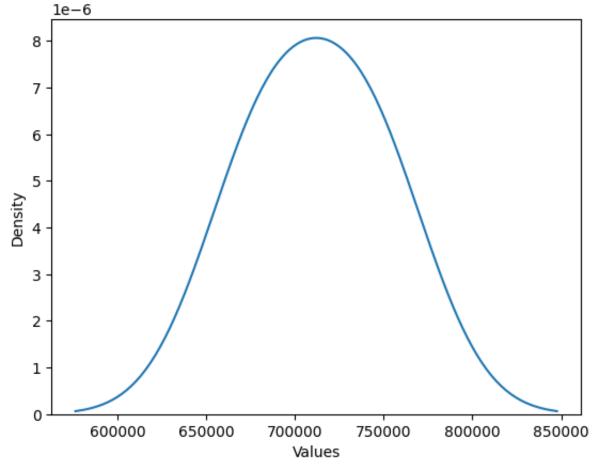
#### Kernel Density Estimate with Confidence Interval for Male



Female\_confidence\_interval = (Female\_sample\_mean - margin\_of\_error, Female\_sample\_
print("Confidence Interval 95% Female:", Female\_confidence\_interval)
sns.kdeplot(Female\_confidence\_interval)
plt.xlabel('Values')
plt.ylabel('Density')
plt.title('Kernel Density Estimate with Confidence Interval for Female')
plt.show()

Confidence Interval 95% Female: (683133.5303615071, 740915.2496384929)

#### Kernel Density Estimate with Confidence Interval for Female



### Insight

- 1- Referring to the provided data and a 95% confidence level:
- a) The mean spending for male customers is estimated to fall within the range of 896, 453.54to 954,235.25.
- b) The mean spending for female customers is estimated to range from 683, 133.53to 740,915.24.
- 2- The confidence intervals for the average spending of male and female customers do not intersect.
- 3- Considering the data, it's advisable for the company to focus its marketing efforts more towards male customers, as they demonstrate higher spending compared to females.

# Results when the same activity is performed for Married vs Unmarried

```
sum_by_Marital_Status = df.groupby(['User_ID', 'Marital_Status'])['Purchase'].sum
sum_by_Marital_Status = sum_by_Marital_Status.reset_index()
sum_by_Marital_Status = sum_by_Marital_Status.sort_values(by='User_ID', ascending:
Married_cust_avg = sum_by_Marital_Status[sum_by_Marital_Status['Marital_Status']=:
print(f'Married customer average spent amount: {Married_cust_avg}')
```

→ Married customer average spent amount: 843526.7966855295

```
sum_by_Marital_Status = df.groupby(['User_ID', 'Marital_Status'])['Purchase'].sum
sum_by_Marital_Status = sum_by_Marital_Status.reset_index()
sum_by_Marital_Status = sum_by_Marital_Status.sort_values(by='User_ID', ascending:
Unmarried_cust_avg = sum_by_Marital_Status[sum_by_Marital_Status['Marital_Status'
print(f'Unmarried_cust_avg}')
```

Unmarried customer average spent amount: 880575.7819724905

Unmarried\_df = sum\_by\_Marital\_Status[sum\_by\_Marital\_Status['Marital\_Status']==0]

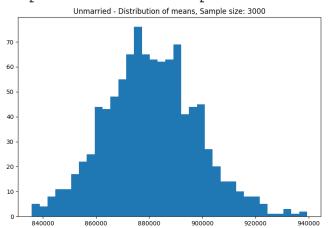
```
Married_df = sum_by_Marital_Status[sum_by_Marital_Status['Marital_Status']==1]
Unmarried_sample_size = 3000
Married_sample_size = 2000
num_repitions = 1000
random_sample_Unmarried = Unmarried_df.sample(n=Unmarried_sample_size)
random_sample_Married = Married_df.sample(n=Married_sample_size)
Unmarried_means = random_sample_Unmarried['Purchase'].mean()
print(f'Population mean: random Unmarried samples mean purchase value: {Unmarried_
Married_means = random_sample_Married['Purchase'].mean()
print(f'Population mean: random Married samples mean purchase value : {Married_me
Unmarried_sample_mean = round(Unmarried_df['Purchase'].mean(),2)
print(f'Sample means of Unmarried purchase : {Unmarried_sample_mean}')
Unmarried_std_value = round(Unmarried_df['Purchase'].std(),2)
print(f'Sample STD of Unmarried purchase : {Unmarried std value}')
Married_sample_mean = round(Married_df['Purchase'].mean(),2)
print(f'Sample means of Married purchase : {Married sample mean}')
Married_std_value = round(Married_df['Purchase'].std(),2)
print(f'Sample STD of Married purchase : {Married_std_value}')
Unmarried_means1 = []
Married_means1 = []
for _ in range(num_repitions):
    Unmarried_mean2 = Unmarried_df.sample(Unmarried_sample_size, replace=True)['Pu
    Married_mean2 = Married_df.sample(Married_sample_size, replace=True)['Purchase
    Unmarried means1.append(Unmarried mean2)
    Married means1.append(Married mean2)
fig, axis = plt.subplots(nrows=1, ncols=2, figsize=(20, 6))
axis[0].hist(Unmarried_means1, bins=35)
axis[1].hist(Married_means1, bins=35)
axis[0].set_title("Unmarried - Distribution of means, Sample size: 3000")
```

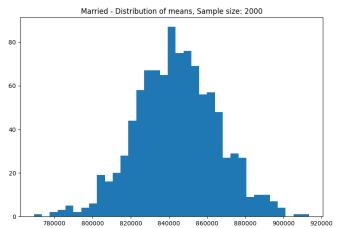
axis[1].set\_title("Married - Distribution of means, Sample size: 2000")
plt.show()

**→** 

Population mean: random Unmarried samples mean purchase value: 878703.41933333 Population mean: random Married samples mean purchase value: 830048.116 Sample means of Unmarried purchase: 880575.78

Sample STD of Unmarried purchase: 949436.25 Sample means of Married purchase: 843526.8 Sample STD of Married purchase: 935352.12





### Insights:

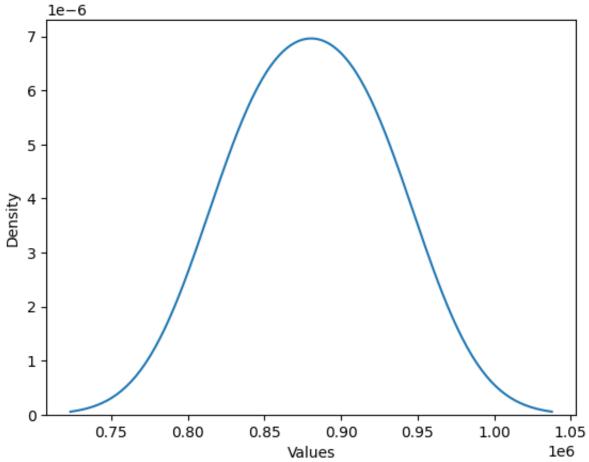
- 1- The average spending by unmarried customers totals \$880,575.78.
- 2-Married customers, on average, spend \$843,526.80.
- 3- Unmarried customers tend to spend more than married customers.

```
sample_size = 3000
confidence_level = 0.95
z_critical = stats.norm.ppf((1 + confidence_level) / 2)
margin_of_error = z_critical * (Unmarried_std_value / np.sqrt(sample_size))
z_critical = stats.norm.ppf((1 + confidence_level) / 2)
margin_of_error = z_critical * (Married_std_value / np.sqrt(sample_size))
Unmarried_confidence_interval = (Unmarried_sample_mean - margin_of_error, Unmarried_sample_mean - margin_of_error.
```

```
print("Confidence_Interval = (Unmarried_sample_mean - margin_or_error, Unmarried]
print("Confidence Interval 95% Unmarried:", Unmarried_confidence_interval)
sns.kdeplot(Unmarried_confidence_interval)
plt.xlabel('Values')
plt.ylabel('Density')
plt.title('Kernel Density Estimate with Confidence Interval for Unmarried')
plt.show()
```

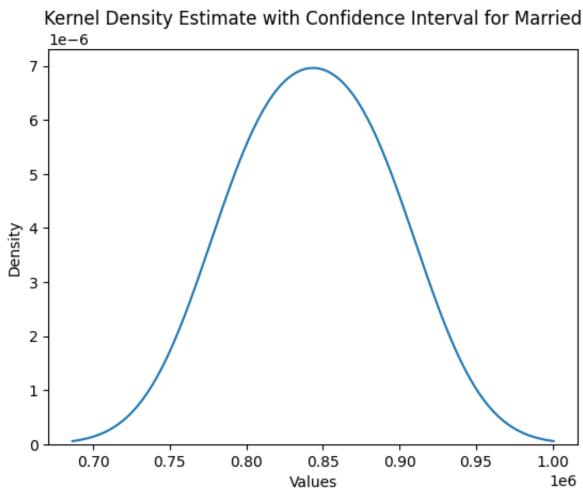
> Confidence Interval 95% Unmarried: (847105.2492916514, 914046.3107083486)

#### Kernel Density Estimate with Confidence Interval for Unmarried



```
Married_confidence_interval = (Married_sample_mean - margin_of_error, Married_samprint("Confidence Interval 95% Married:", Married_confidence_interval)
sns.kdeplot(Married_confidence_interval)
plt.xlabel('Values')
plt.ylabel('Density')
plt.title('Kernel Density Estimate with Confidence Interval for Married')
plt.show()
```

Confidence Interval 95% Married: (810056.2692916514, 876997.3307083487)



#### Insights:

Based on the provided data and at a 95% confidence level, the analysis reveals the following insights regarding customer spending habits across various age groups:

a) Customers aged 26 to 35 have the highest projected average spending, with the range estimated between 944, 419.9990 and 1,034,842.9516. b) The projected average expenditure

for customers aged 36 to 45 is between  $819,\,003.0902$  and 940,678.8198. c) For customers aged 18 to 25, the average spending range is estimated to be between  $799,\,594.4375$  and 909,664.7362. d) Customers aged 46 to 50 are expected to have an average spending range between  $711,\,215.1004$  and 874,125.3830. e) The estimated average spending for customers aged 51 to 55 lies between  $685,\,670.0292$  and 840,962.3353. f) The average expenditure for customers aged 55 and above is anticipated to be between  $470,\,454.5225$  and 610,200.5797. g) The lowest average spending is projected for customers aged 0 to 17, with the range between  $524,\,534.4423$  and 714,973.3156.

From these insights, it is evident that the 26 to 35 age group exhibits the highest spending behavior compared to other age groups. Additionally, spending significantly declines for age groups above 55 and the youngest age group (0 to 17). Notably, the confidence intervals for the average spending of the 26 to 35 and 36 to 45 age groups do not overlap, underscoring a distinct spending pattern between these groups. Therefore, it is recommended that the company prioritizes the 26 to 35 age category for marketing and sales strategies due to their higher spending propensity.

# Further recommendations for the company's strategy include:

1) Targeting male customers for retention and acquisition efforts, given their higher spending compared to female customers. 2) Focusing on Product Categories 5, 1, and 8 due to their high purchase frequency, indicating a strong preference among customers. 3) Considering strategies to enhance sales in Product Categories 11, 2, and 6, 3, where competitive purchasing behavior is observed. 4) Prioritizing unmarried customers for marketing efforts, as they tend to spend more than married customers. 5) Focusing marketing and sales initiatives on customers aged 18 to 45, who account for 86% of purchases. 6) Enhancing presence and sales efforts in City Category C, where customers spend more compared to those in City Categories B or A.