Building an infrastructure for accessing and analysing figures in scholarly publications

Piotr Praczyk – CERN, 10.03.2011

Usage of graphics in scholarly communication

- Describe experiments
- Summarise large amounts of data
- Illustrate relations between results
- Present ideas in a schematic manner

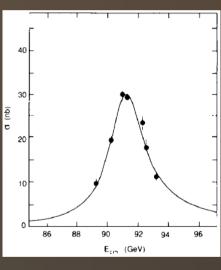


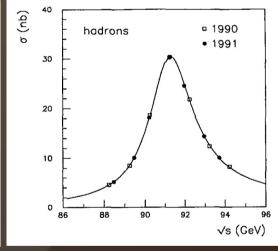
C'est un homme on me famme qui foit des serpériences sur des objets noturels ou quisont dangeureux on toxiques c'est un scientifique en quelques sortes.

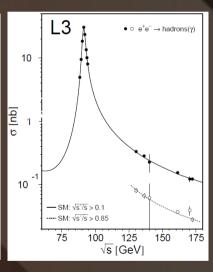
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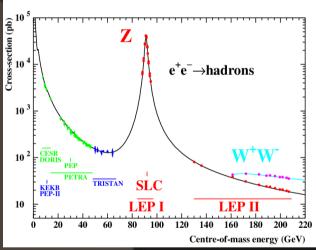
Different measurements of the same quantity

Measured cross section for $e^+e^- \rightarrow hadrons$ as a function of \sqrt{s}









Current understanding of the work

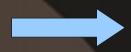
Extraction

Scholarly publications

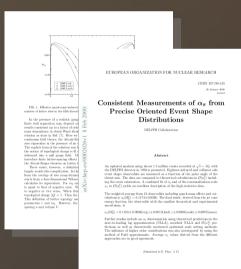


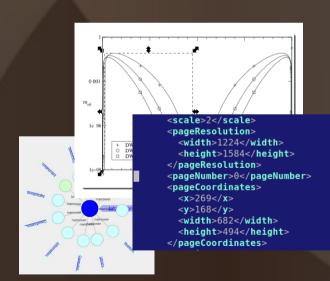
Description of figures as separate entities

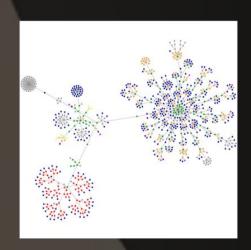
Indexing



Collective description
Of figures







Automatic extraction of figures



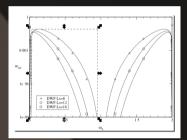
EUROPEAN ORGANIZATION FOR NUCLEAR RISEARCH

CENN EP/10-113

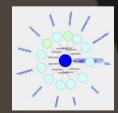
The analysis of th

Evaluation of the extraction quality
Merging of results
Acquisition of additional data

Meta-data



Vector + Raster images

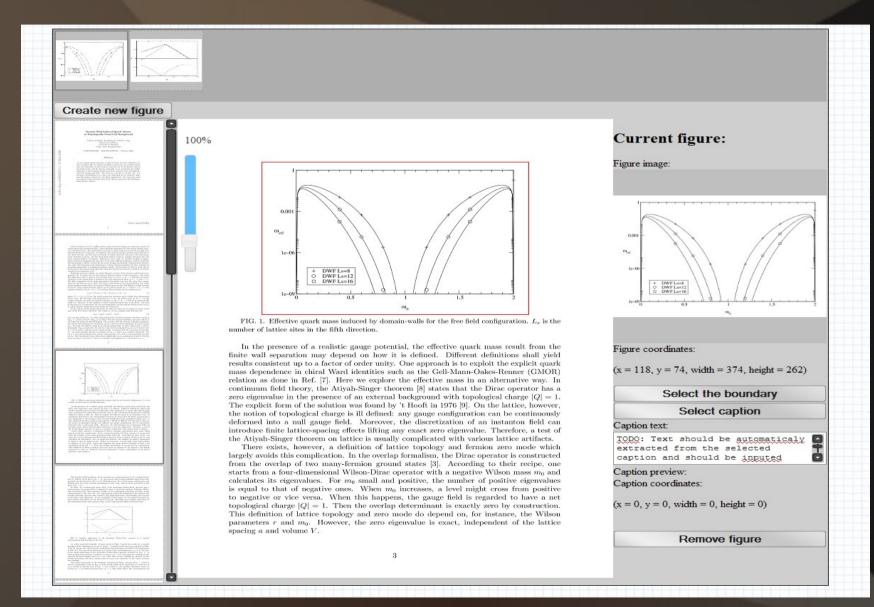


(in the future)
Semantic description

Types of extracted meta-data

- Boundaries of figures
- Boundaries of captions
- Text of captions
- Graphics in PNG and SVG formats
- Places, where figure is referenced
- Name of the figure inside a document
- Text present inside the figure

Select Your Figure



Extracting data from PDF

PDF:

- Stream of instructions
- Embeded objects
 - Fonts
 - External objects
- Meta-description

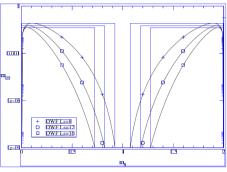
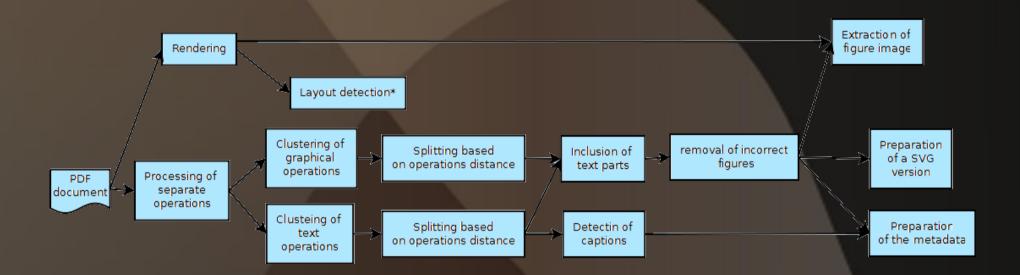


FIG. 1. Effective quark mass induced by domain-walls for the free field configuration D_8 is the

In the presence of a realistic gauge potential, the effective quark mass result from the finite wall separation may depend on how it is defined. Different definitions shall yield results consistent up to a factor of order unity. One approach is to exploit the explicit quark mass dependence in chiral Ward identities such as the Gell-Mjann-Oakes-Renner (GMOR) relation as done in Ref. [7]. Here we explore the effective mass in an alternative way. In continuum field theory, the Atiyah-Singer theorem [8] states that the Dirac operator has a zero eigenvalue in the presence of an external background with topological charge ||Q|| = 1. The explicit form of the solution was found by 't Hooft in 1976 [9]. On the lattice, however, the notion of topological charge is ill defined: any gauge configuration can be continuously deformed into a null gauge field. Moreover, the discretization of an instanton field can introduce finite lattice-spacing effects lifting any exact zero eigenvalue. Therefore, a test of the Atiyah-Singer theorem on lattice is usually complicated with various lattice artifacts)

[There exists, however, a definition of lattice topology and fermion zero mode which largely avoids this complication. In the overlap formalism, the Dirac operator is constructed from the overlap of two many-fermion ground states [3]. According to their recipe, one starts from a four-dimensional Wilson-Dirac operator with a negative Wilson mass m_0 and calculates its eigenvalues. For m_0 small and positive, the number of positive eigenvalues is equal to that of negative ones. When m_0 increases, a level might cross from positive to negative or vice versa. When this happens, the gauge field is regarded to have a net topological charge $|\mathcal{Q}| = 1$. Then the overlap determinant is exactly zero by construction This definition of lattice topology and zero mode do depend on, for instance, the Wilson parameters n and m_0 . However, the zero eigenvalue is exact, independent of the lattice spacing n and volume n.

Schema of the PDF extraction process



Intermediate steps of the algorithm

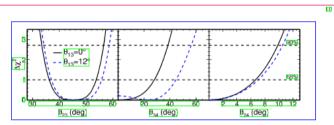


FIG. 14: Projections of $\Delta \chi^2$ as a function of the mixing angles for the $m_4 \gg m_3$ model. The solid line is obtained for the pase of null ν_c appearance whereas the dashed line represents solutions with ν_c appearance at the CHOOZ limit. The ranges is values allowed at 68% and 90% confidence levels lie within contours below the horizontal dashed lines.

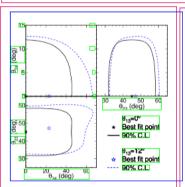


FIG. 15: Contours representing 90% confidence level for the $m_L \gg m_B$ model. The solid line and best-fit point (solid symbol) are obtained for the case of mill ν_e appearance, whereas the dashed line and corresponding best-fit point (open symbol) is obtained with ν_e appearance included with θ_{13} at the CHOOZ limit.

Hisappearance probability is a maximum. The determination of the limit follows the procedure described above but with the addition of selecting a value of θ_{24} for each test case as well. At 90% confidence level $f_g < 0.52$ (0.55 for $E_p = 1.4$ GeV in this model. Thus, in either model approximately 50% of the disappearing ν_g can convert to ν_g at 90% confidence level as long as the amount of ν_e appearance is less than the limit presented by the CHOOZ collaboration.

IX. OSCILLATIONS WITH DECAY

It was noted more than a decade ago that neutrinc locay, as an alternative or companion process to neuprino oscillations, effers some capability for reproducing neutrino disappearance trends [18]. The model investigated here [36] includes neutrino oscillations occurring in parallel with neutrino decay. Normal neutrino-mass orfering is assumed, and the mass eigenstates ν_1 , ν_2 are approximately degenerate, so that $m_3 \gg m_2 \approx m_1$. The heaviest neutrino-mass state ν_2 is allowed to decay into an invisible final state. With these assumptions, and neglecting the small contributions from ν_r mixing, only the two neutrino flavor states ν_p and ν_r , and the corresponding mass states ν_2 and ν_3 , are considered. The evolution of the neutrino flavor states is given by [36]

$$\begin{vmatrix} db \\ dx \end{vmatrix} = \begin{bmatrix} \Delta m_{32}^2 \\ -4z \end{bmatrix} \begin{pmatrix} -\cos 2\theta \\ \sin 2\theta \end{pmatrix} \begin{vmatrix} \sin 2\theta \\ \cos 2\theta \end{pmatrix}$$

$$\begin{vmatrix} -i\frac{m_3}{4\tau_3}b \\ \sin 2\theta \end{vmatrix} \begin{pmatrix} 2\sin^2\theta \\ \sin 2\theta \\ 2\cos^2\theta \end{pmatrix} \begin{vmatrix} \vec{\nu} \end{vmatrix}$$

$$\begin{vmatrix} 16 \\ 16 \end{vmatrix}$$

where τ_3 is the lifetime of the ν_3 mass state and θ is th mixing angle governing oscillations between ν_{μ} and ν_{γ} Solving Eq. (16) one obtains probabilities for ν_{μ} survive or decay:

$$\begin{array}{c|c} \mathbb{F}_{\mathrm{III}} & = \cos^4\theta + \sin^4\theta e^{-\frac{m+1}{22E}} \boxplus \\ & 2\cos^2\theta \sin^2\theta e^{-\frac{m+1}{22E}} \cos\left(\frac{\Delta m_{22}^2L}{2E}\right) \end{array} \text{ [I7]}$$

$$\mathbb{F}_{\mathrm{decay}} = \left[1 - e^{-\frac{m+1}{22E}}\right] \sin^2\theta$$

The limits $\tau_2 \rightarrow \infty$ and $\Delta m_{32}^2 \rightarrow 0$ correspond to a pure secillations or a pure decay scenario, respectively. In a conventional neutrino oscillations scenario, the ratio of the predicted charged-current spectrum in the faridetector with the null-oscillation expectation displays the characteristic "dip" at the assumed Δm_{32}^2 value that is

- Regions of graphics (blue)
 - Clustered graphic operations
- Regions of text (green)
 - Clustered text operations
- Elements of page layout (red)

Future work

- Finishing work on the PDF extractor and selction interface
 - Extracting + tagging semantics of images
- Similarity measure based on semantic and graphical properties of figures
- Extraction of data described by figures
- Improvements in extractor algorithms
 - usage of different algorithms
 - usage of different types of data that are produced)

Thank You

Questions?