

Ques Given a ll, find middle element.

e.g)

ll: $a_1 \rightarrow a_2 \rightarrow a_3 \rightarrow a_4 \rightarrow a_5$
mid points to a_3

ll: $a_1 \rightarrow a_2 \rightarrow a_3 \rightarrow a_4 \rightarrow a_5 \rightarrow a_6$
mid points to a_3

Soln:- find size of ll.

↳ Travel till half of it & return that.

T.C $\rightarrow O(n)$, S.C $\rightarrow O(1)$.

Constraint :- Do it in 1 iteration

ll: $a_1 \rightarrow a_2 \rightarrow a_3 \rightarrow a_4 \rightarrow a_5 \rightarrow a_6 \rightarrow a_x$
mid points to a_3

when,
f.next = null.

ll: $a_1 \rightarrow a_2 \rightarrow a_3 \rightarrow a_4 \rightarrow a_5 \rightarrow a_6 \rightarrow a_x \rightarrow a_y \rightarrow null$
mid points to a_3

when,
f.next = null.

100 km

x = 50 km/hr
y = 100 km/hr

2 hrs.

200 km.

3

3. $C \rightarrow OC_1$

mid

mid

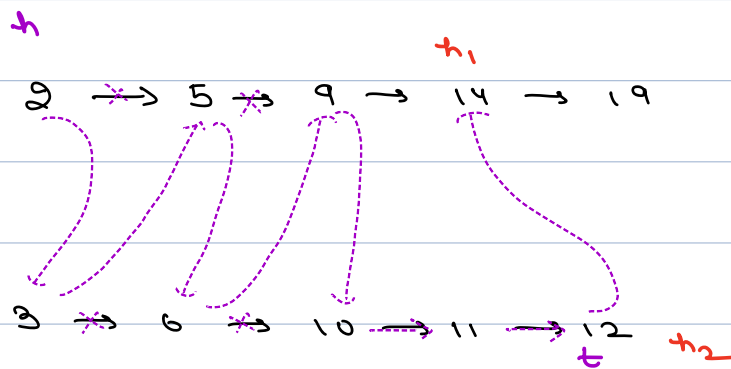
Ques Given two sorted l_h, merge them into a single sorted l_h.

e.g.1) l_h1) $2 \rightarrow 4 \rightarrow 6 \rightarrow 8 \rightarrow 10$

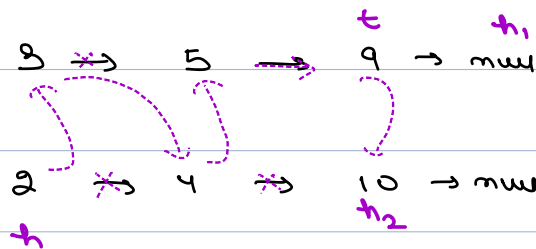
l_h2) $1 \rightarrow 3 \rightarrow 5 \rightarrow 7 \rightarrow 9$

O/p $\rightarrow 1 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow 5 \rightarrow 6 \rightarrow 7 \rightarrow 8 \rightarrow 9 \rightarrow 10$.

e.g



e.g,



$t \cdot next = l_1$
 $l_1 = l_1 \cdot next$
 $t = t \cdot next;$

$t \cdot next = l_2$
 $l_2 = l_2 \cdot next$
 $t = t \cdot next$

node merge (node h_1 , node h_2) {

if ($h_1 == null$) { return h_2 }

if ($h_2 == null$) { return h_1 }

node h , t ,

if ($h_1.data < h_2.data$) { $h = h_1$, $t = h_1$, $h_1 = h_1.next$ }

else { $h = h_2$, $t = h_2$, $h_2 = h_2.next$ }

while ($h_1 != null$ && $h_2 != null$) {

if ($h_1.data < h_2.data$) {

$t.next = h_1$

$h_1 = h_1.next$

$t = t.next$

}
else {

$t.next = h_2$

$h_2 = h_2.next$

$t = t.next$

if ($h_1 == null$) { $t.next = h_2$ }

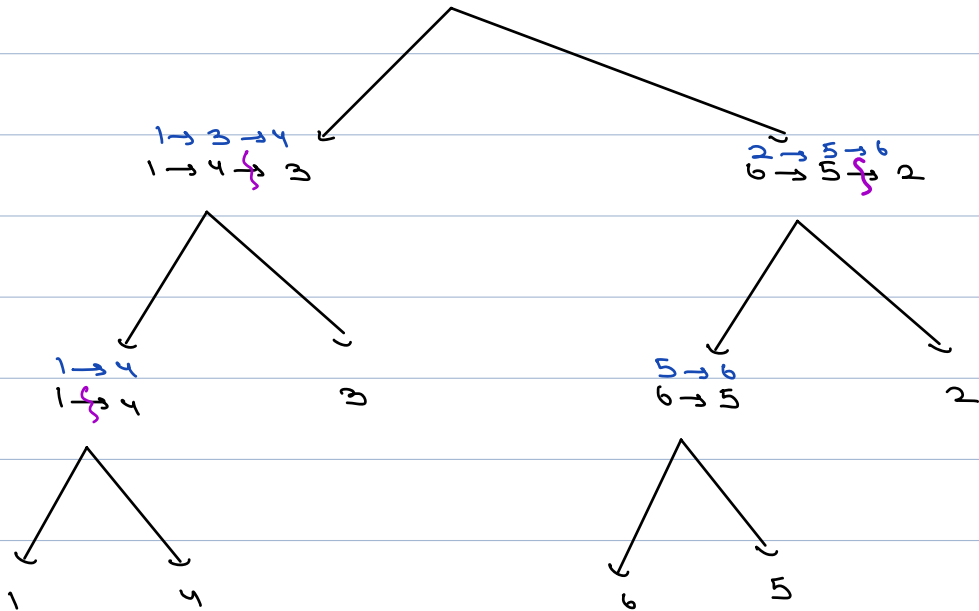
if ($h_2 == null$) { $t.next = h_1$ }

return h ,

T.C $\rightarrow O(m+n)$

S.C $\rightarrow O(1)$

$1 \rightarrow 4 \rightarrow 3 \rightarrow 6 \rightarrow 5 \rightarrow 2$ merge sort (1)



Ques Merge sort on LL

I/p $1 \rightarrow 4 \rightarrow 3 \rightarrow 6 \rightarrow 5 \rightarrow 2$

O/p $1 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow 5 \rightarrow 6$

Step 1 :- find middle

h
 $1 \rightarrow 4 \rightarrow 3 \xrightarrow{m} 6 \rightarrow 5 \rightarrow 2$
 h_1

$h_1 = m \cdot next$

$m \cdot next = null$

h
 $1 \rightarrow 4 \rightarrow 3$
 h_1
 $6 \rightarrow 5 \rightarrow 2$

Step 2 :- call recursion and sort both of them,

$h = \text{mergesort}(h);$

h
 $1 \rightarrow 3 \rightarrow 4$

$h_1 = \text{mergesort}(h_1);$

h_1
 $2 \rightarrow 5 \rightarrow 6$

Step 3 :- Merge both sorted LL.

```

node mergeSort (node h) {
    if (h == null || h.next == null) {
        return h;
    }
    node m = middle(h);
    h1 = m.next;
    m.next = null;
    h = mergeSort(h);
    h1 = mergeSort(h1);
    h2 = merge(h, h1);
    return h2;
}

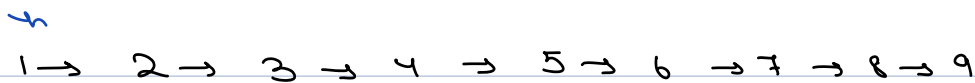
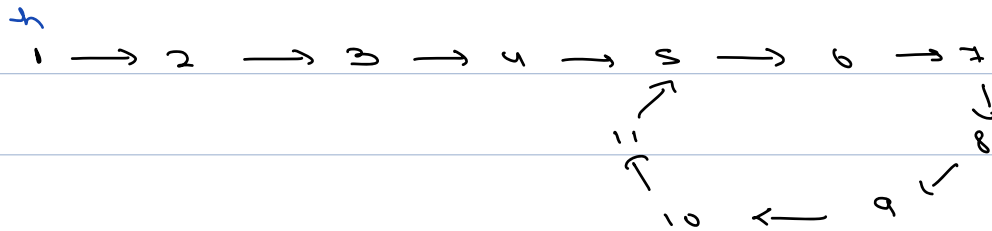
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$$T(n) = 2T\left(\frac{n}{2}\right) + n$$

$$T.C \rightarrow O(n \log n)$$

$$S.C \rightarrow O(\log n)$$

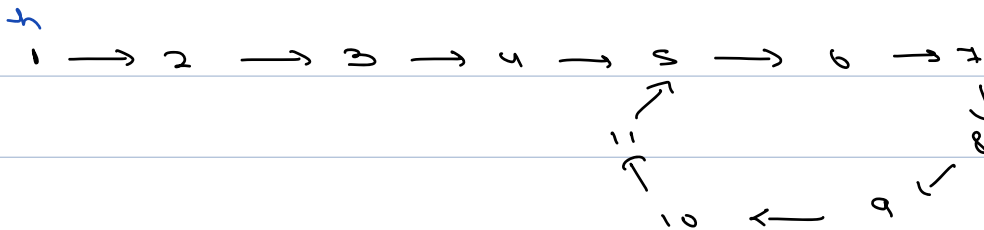
Ques Detect cycle in a LL.



idea 1 :- put a temp at the head.

if temp reaches null (temp = temp->n)

not a cycle cycle



idea 2 :- Hashset < node >.

idea :- Iterate on LL, keep on storing

T.C -> $O(n)$

nodes. If you reach null

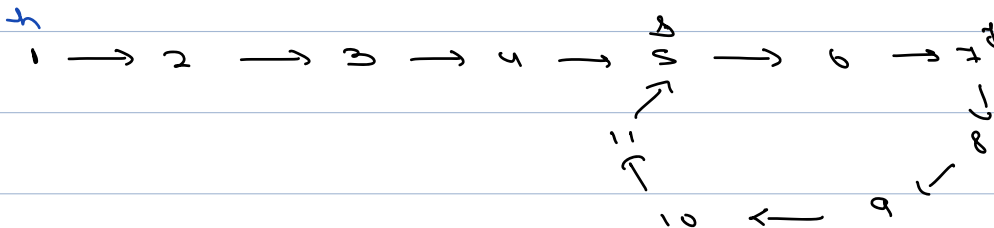
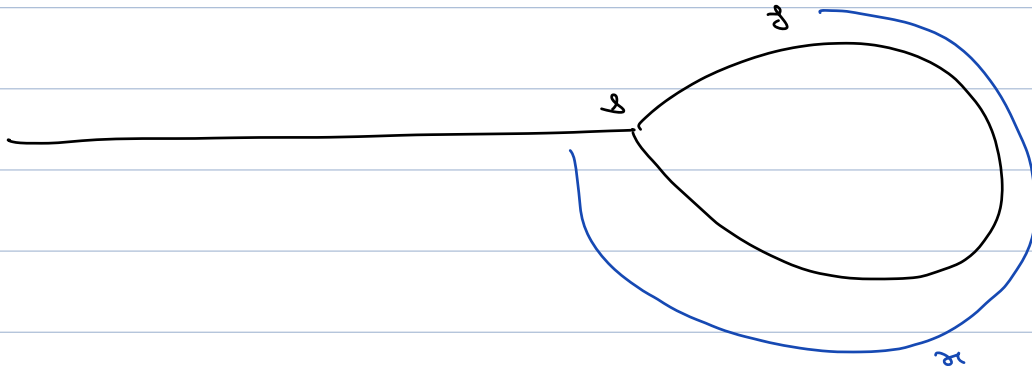
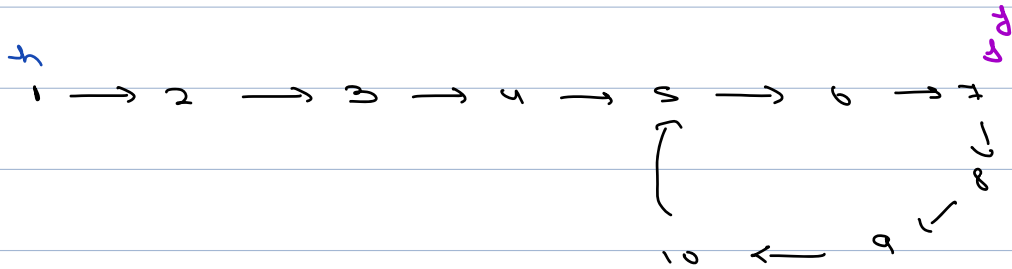
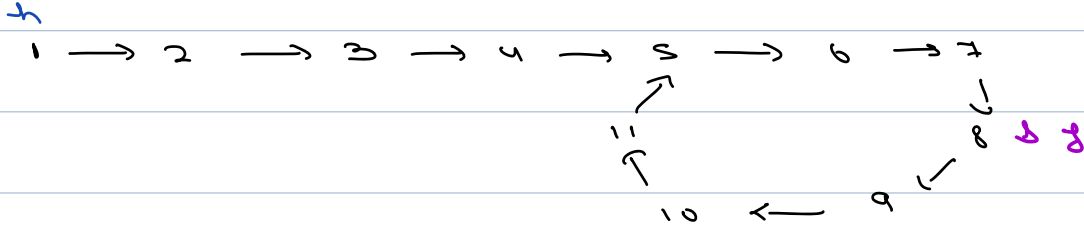
S.C -> $O(n)$.

↓
no cycle

if address starts repeating,

there is a cycle.

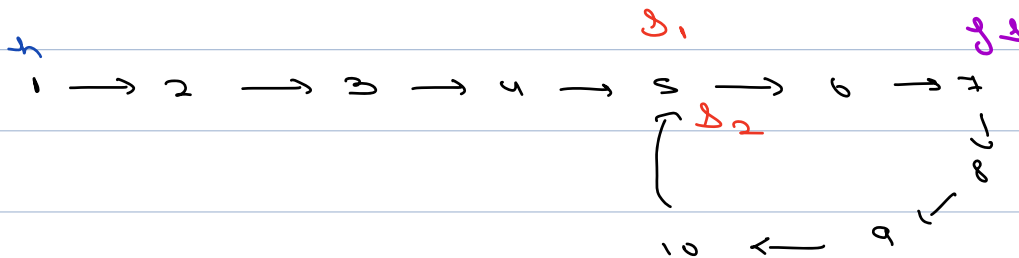
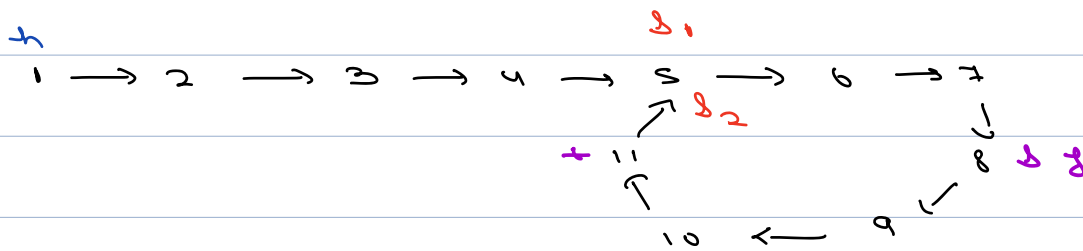
Idea 3 :-



why will they intersect?

when slow pointer enters the cycle, let's say the distance between slow and fast as X . Now we observe that after every step distance will reduce by one so eventually they will meet.

Ques find starting point of a cycle.



Start of cycle

Take two pointers s_1 & s_2 .

$s_1 \rightarrow \text{head}$;

$s_2 \rightarrow \text{Intersection of } s \text{ \&f}.$

move both pointers one step at a time. The point where they will meet will be start of the cycle.

bool detectAndRemoveCycle (node h){

node s = h;

node f = h;

bool isCycle = false;

while (f != null && f.next != null){

s = s.next;

f = f.next.next;

if (s == f){

isCycle = true;

break;

}

→ O(n)

if (isCycle) {

return false;

node s1 = h, s2 = s;

while (s1 != s2) { s1 = s1.next, s2 = s2.next }

node t = s1;

→ O(n)

while (t.next != s1) {

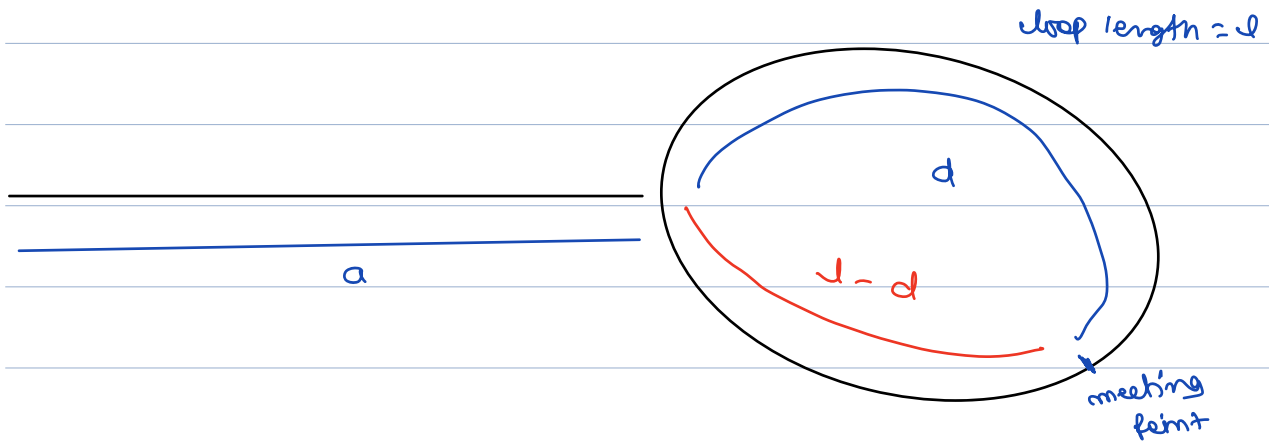
t = t.next;

→ O(n)

t.next = null;

return true;

}



$$ds = a + d$$

$$df = a + c * \ell + d$$

$$df = 2 * ds$$

$$a + c\ell + d = 2a + 2d$$

$$c\ell = a + d$$

$$\Rightarrow a = c\ell - d + \ell - \ell$$

$$\Rightarrow a = c\ell - \ell + \ell - d$$

$$\Rightarrow a = \ell(c - 1) + \ell - d$$

$$\Rightarrow a = \ell n + \ell - d$$