

Today's Content . -

- BST Basics + Searching
- Insert / Search / Delete
- isBST()
- Construct BST from Sorted Arr.

BST: Binary Search Tree

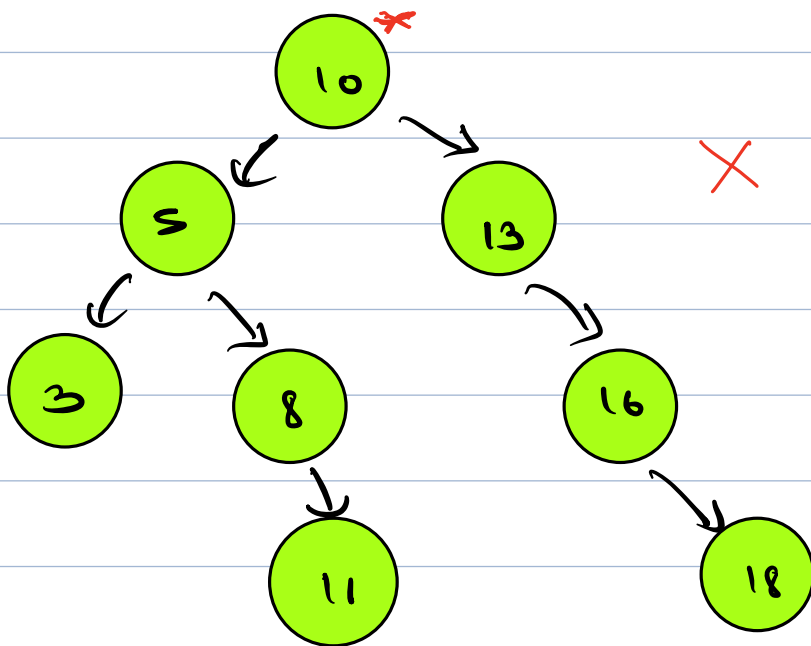
A B.T is called B.S.T if,

for all nodes:-

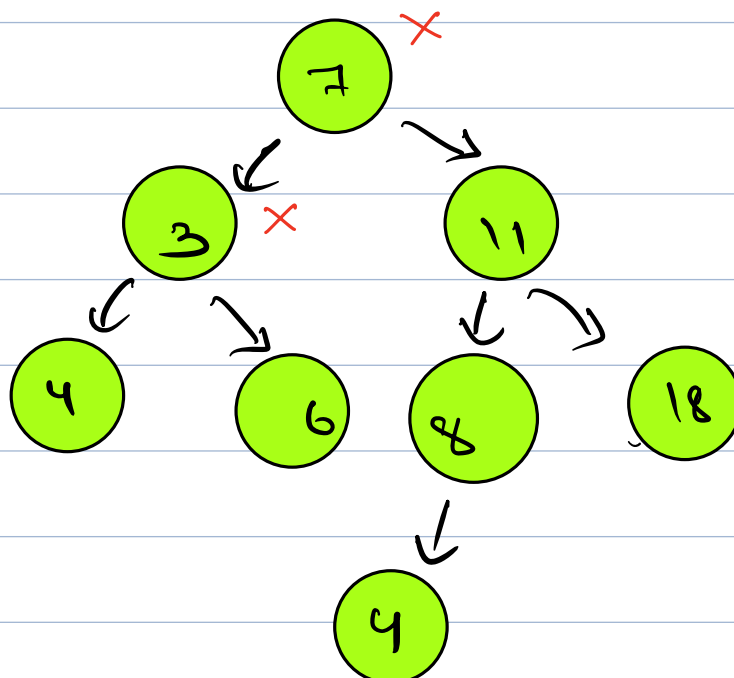
All elements
in LST

$\text{node} < \text{All elements in RST}$

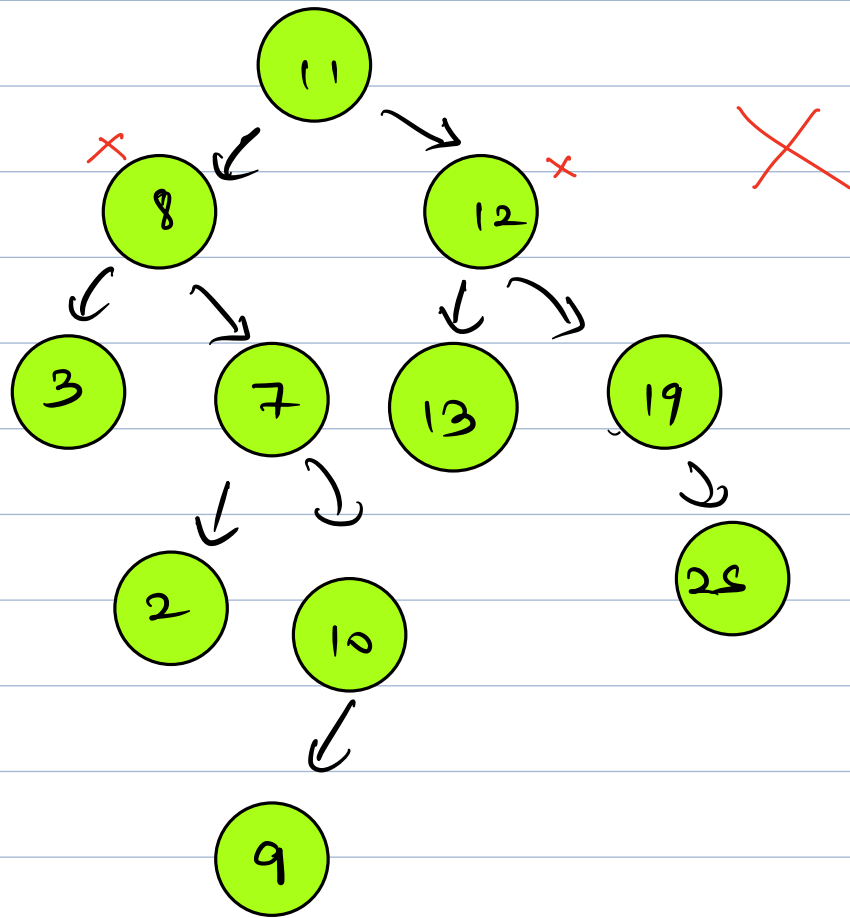
Ex 1:-



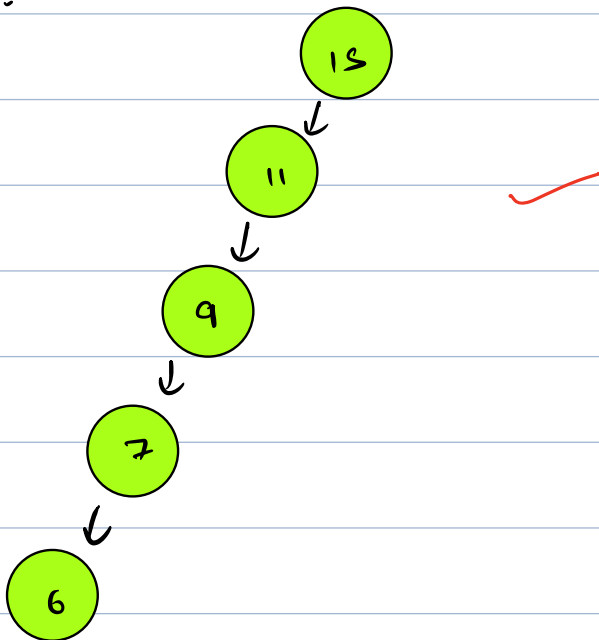
Ex 2:-



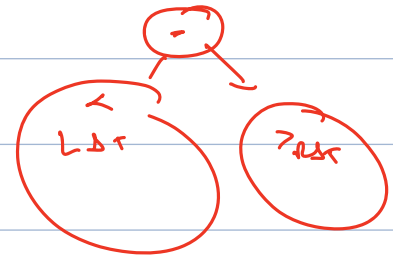
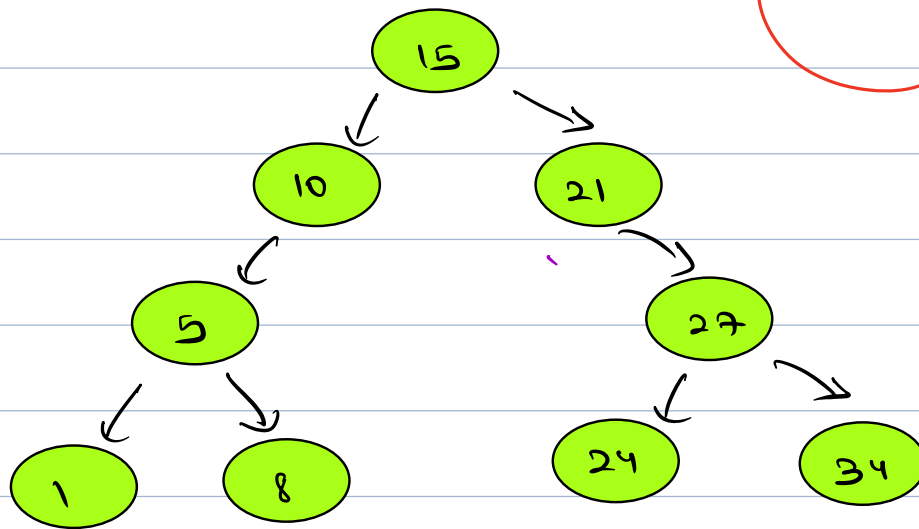
Ex 3:-



Ex 4:-

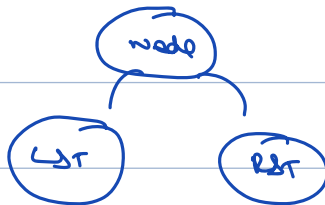


* Interesting Property :-



↳ LDR

Inorder :- 1 5 8 10 15 21 24 27 34



Obs:-

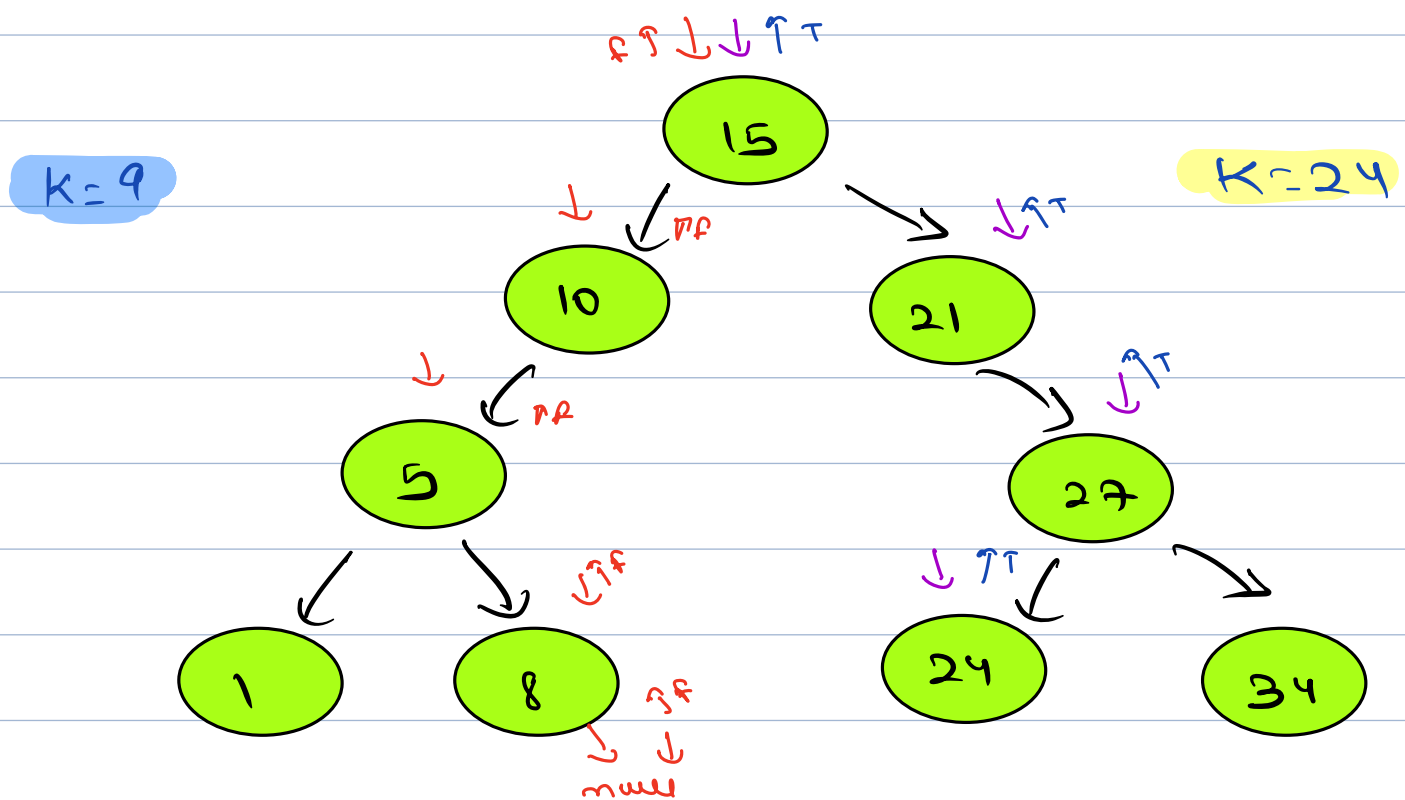
Inorder of a BST will always be sorted.

What is a Binary Search Tree (BST)?

31 users have participated

A	A tree with only two nodes	3%
B	A tree where the left child of a node has a value \leq the node, and the right child has a value $>$ the node	58%
C	A tree where for a node x, everything on the left has data \leq x and on the right $>$ x.	39%
D	A tree that has height $\log N$.	0%

Ques Searching in a B.S.T.



T.C $\rightarrow O(H)$
S.C $\rightarrow O(1)$

```

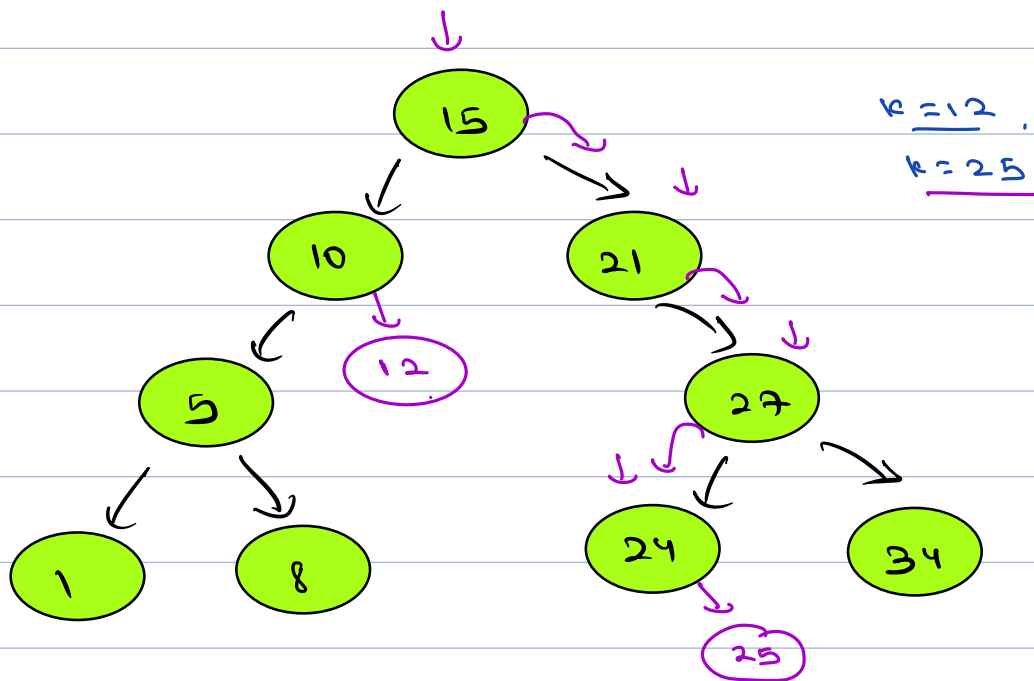
bool search (Node root, int k) {
    if (root == null) { return false; }

    if (root->data == k) {
        return true;
    } else if (root->data > k) {
        return search (root->left, k);
    } else {
        return search (root->right, k);
    }
}
  
```

3

Ques

Insertion in a B.S.T.



T.C \rightarrow O(N), S.C \rightarrow O(1)

Node insert (Node root, int k) {

if (root == null) { Node nn = new Node(k);
return nn; }

if (root.data > k) {

| root.left = insert (root.left, k)

} else {

| root.right = insert (root.right, k)

}

return root;

}

insert (root, 24)

Node insert (Node root = 15k, int k = 24) {

if (root == null) { Node nn = new Node(k);
return nn; }

if (root.data > k) {

root.left = insert (root.left, k)

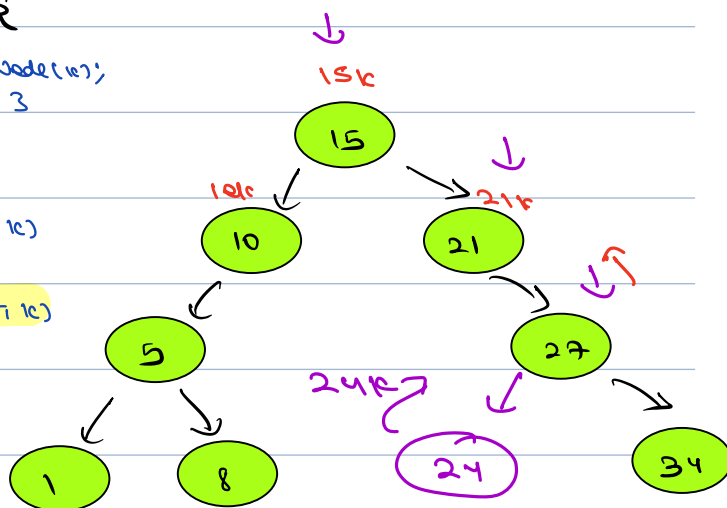
} else {

root.right = insert (root.right, k)

}

return root;

}



Node insert (Node root = 21k, int k = 24) {

if (root == null) { Node nn = new Node(k);
return nn; }

if (root.data > k) {

root.left = insert (root.left, k)

} else {

root.right = insert (root.right, k)

}

return root;

}

Node insert (Node root = 27k, int k = 24) {

if (root == null) { Node nn = new Node(k);
return nn; }

if (root.data > k) {

root.left = insert (root.left, k)

} else {

root.right = insert (root.right, k)

}

return root;

}

Node insert (Node root = null, int k = 24) {

if (root == null) { Node nn = new Node(k);
return nn; }

if (root.data > k) {

| root.left = insert (root.left, k)

} else {

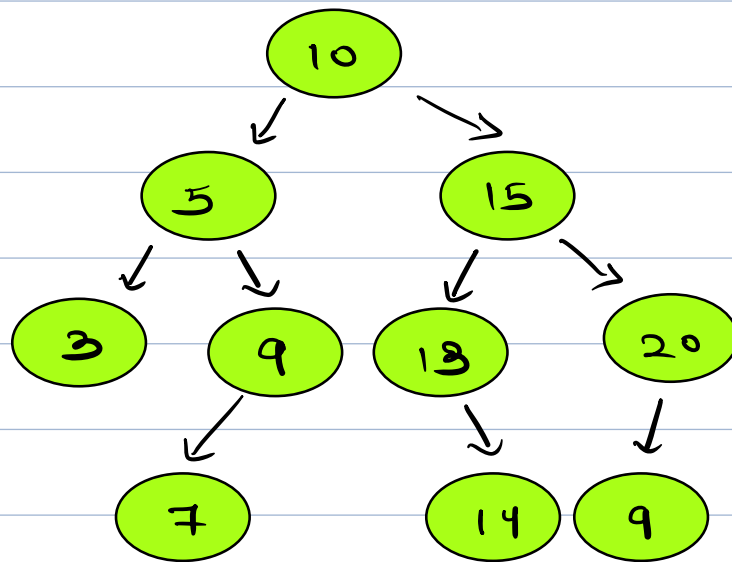
| root.right = insert (root.right, k)

}

return root;

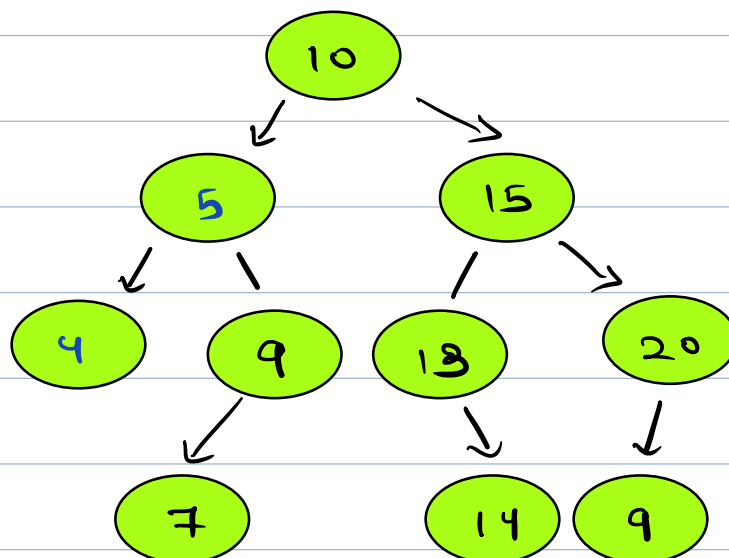
→ Try creating a helper function in
which you'll pass parent along
with node.

Ques) Given BT check BST or not?



idea 1:- check if inorder is sorted or not.
T.C $\rightarrow O(N)$, S.C $\rightarrow O(N)$.

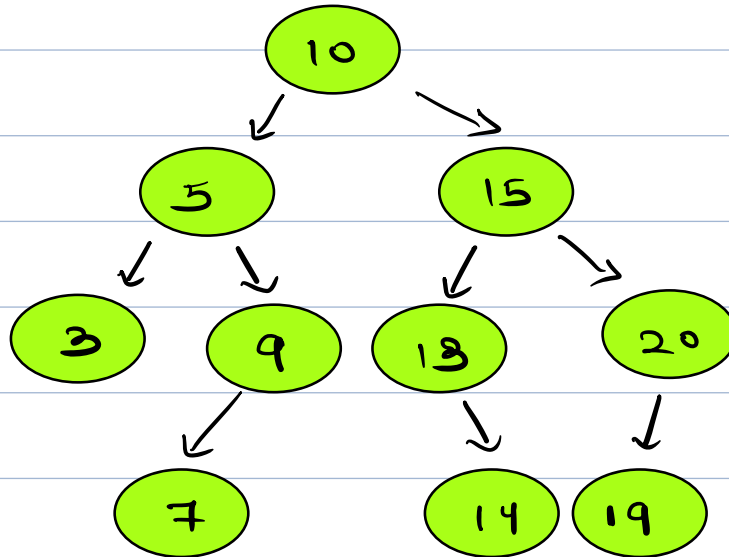
idea 2:-



bool isBST (Node root, int s, int e){

}

Ques) min in B&T.

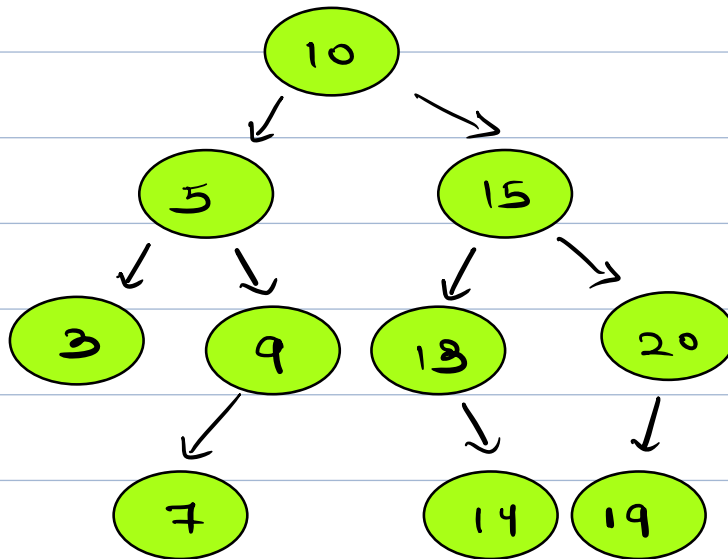


T.C $\rightarrow O(N)$
S.C $\rightarrow O(1)$

```
temp = root;  
while (temp.left != null) {  
    temp = temp.left;  
}  
return temp.data;
```

Ques)

Max in BST.



temp = root;

T.C $\rightarrow O(n)$

while (temp.right != null) {

S.C $\rightarrow O(1)$

 temp = temp.right;

return temp.data;

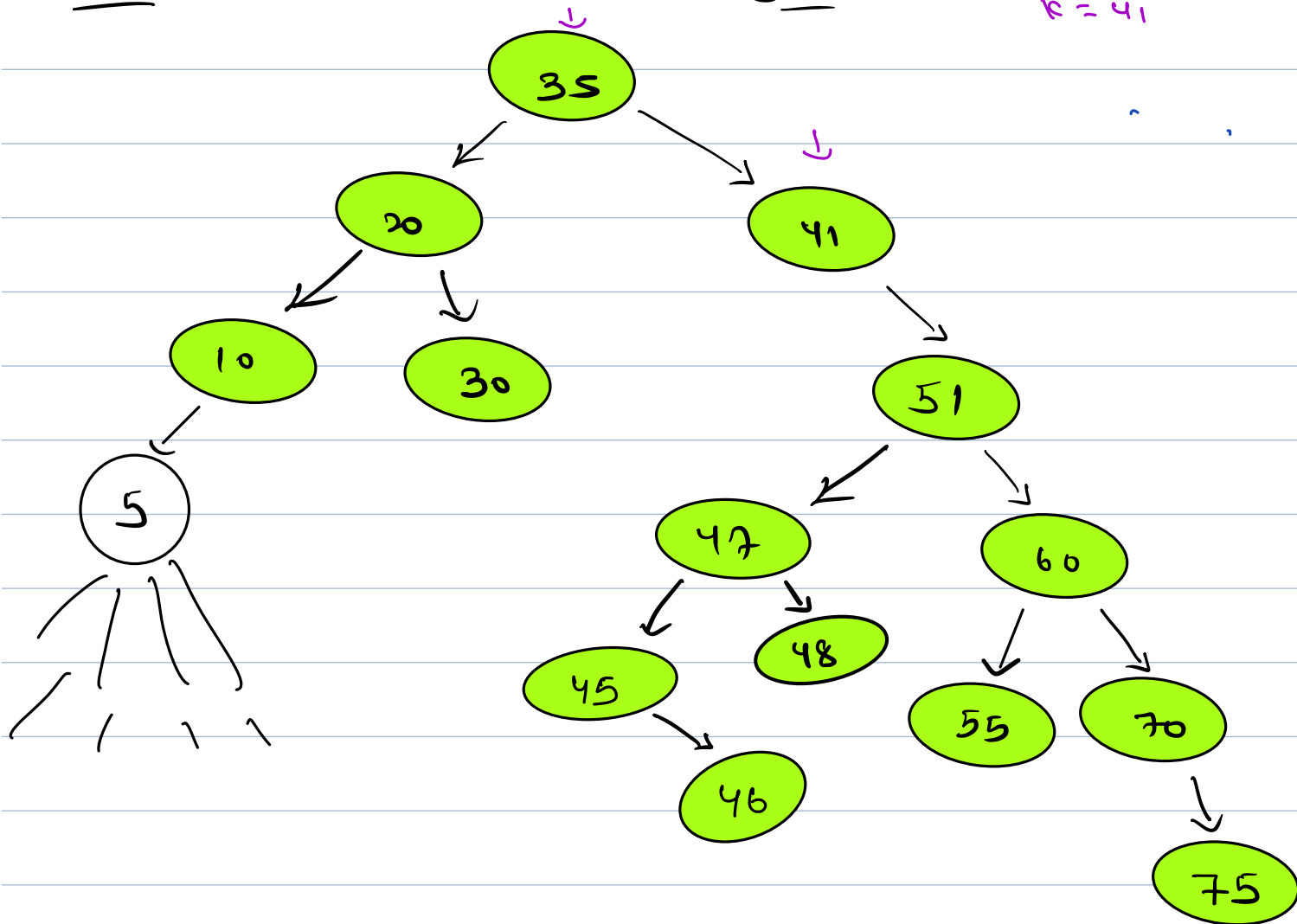
Break

8:02 Am - 8:10 Am

Ques)

Delete a node in BST

k = 41



k = 5 } no child

k = 30

k = 10 } 1 child

k = 41

k = 51

Node delete (Node root, int k) {

if (root.data > k) {

root.left = delete (root.left, k);

else if (root.data < k) {

root.right = delete (root.right, k);

else {

if (root.left == null && root.right == null) {

return null;

else if (root.left == null) {

return root.right;

else if (root.right == null) {

return root.left;

