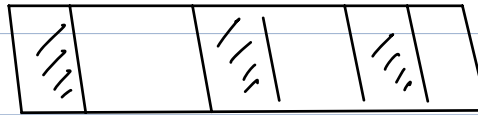


Issues with Array,

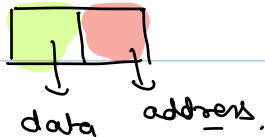


int \rightarrow 4 Bytes
 \downarrow
array \rightarrow 5
 \downarrow
20 Bytes

hw \rightarrow D.8 \rightarrow ^{necessarily} Not Stores Contiguously.

hw

- A linear data structure that can utilize all the free memory
- We need not have continuous space to store nodes of a Linked List.

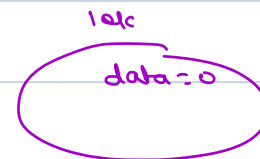


```
class Node {  
    int data;  
}
```

Node n = new Node ();

Node temp = n;

n = 10k,
temp = 10k,



```

class Node {
    int data;
    Node next;
    Node (x) {
        data = x;
        next = null;
    }
}

```

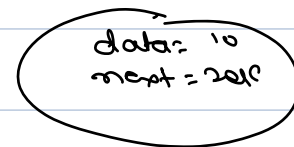
Node t = new Node(10); ✓

t.next = new Node(20);

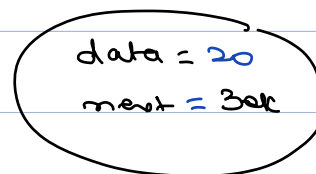
t.next.next = new Node(30);

t = 10k

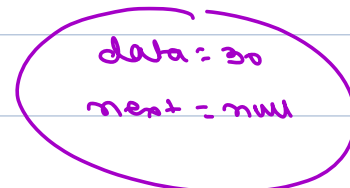
10k



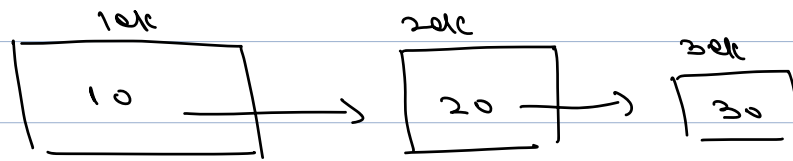
20k



30k

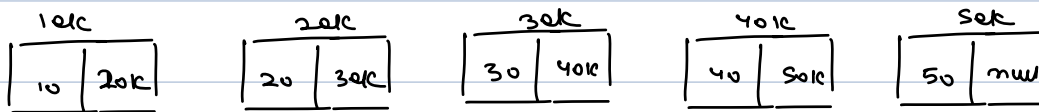
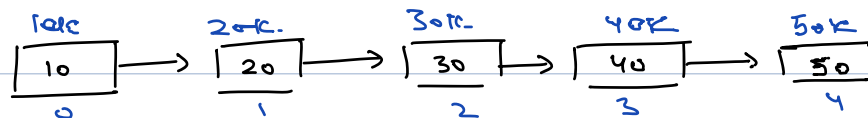


t = 10k,



head of LL \rightarrow (first node of LL),

Operations on LL :-



1) Access kth idx.

int kth (Node head, int k) {

Node temp = head;

for (i = 0; i < k; i++) {

temp = temp->next

return temp->data;

k = 3
temp = 10k 20k 30k 40k

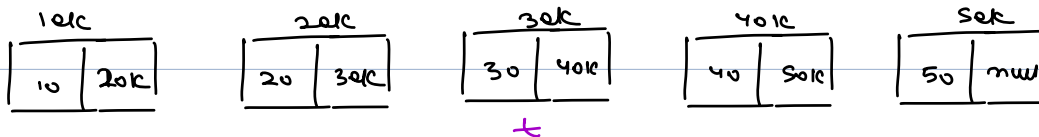
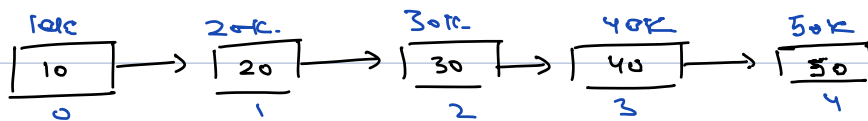
i = 0,

i = 1,

i = 2,

T.C \rightarrow $O(k)$ (worst case $O(n)$).

2) check for value x .



$k = 30$.

bool check (node head, int x) {

node temp = head;

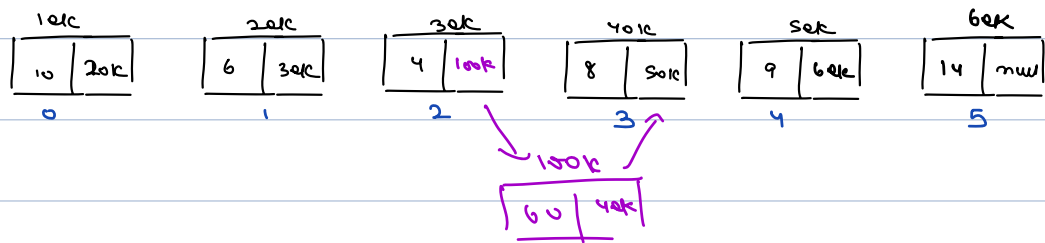
while (temp != null) {
if (temp->data == x) {
return True;

temp = temp->next;

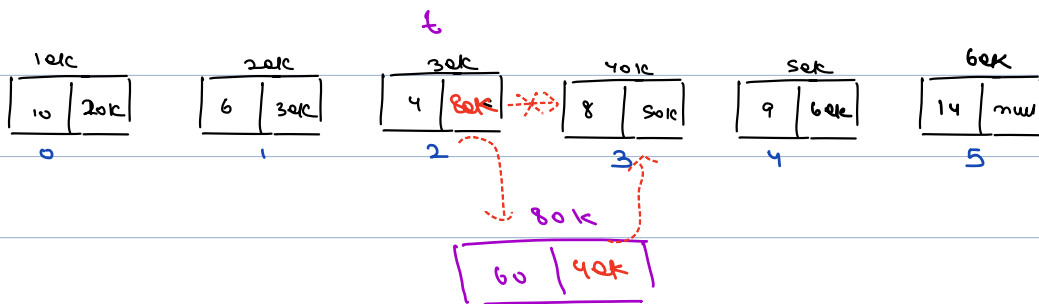
return false;

T.C \rightarrow $O(n)$.

Ques Insert a new Node with Data.



Ex 1 $V = 60$, $P = 3$



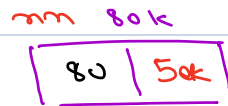
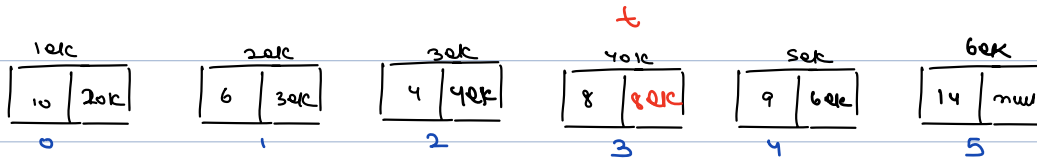
$\rightarrow 80k$
 node nn = new node(60);
 Node temp = head;

for (i=0; i < P-1; i++) {
 | temp = temp.next;

3
 nn.next = temp.next;

t.next = nn;

ex1 $V = 80$, $P = 4$



node nm = new node(80);
Node temp = head;

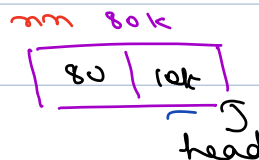
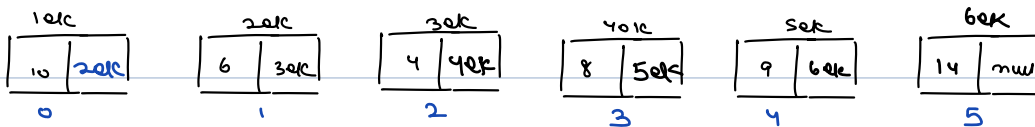
for (i=0; i < P-1; i++) {
| temp = temp.next;

nm.next = temp.next;

t.next = nm;

Edge case :-

ex1 $V = 80$, $P = 0$



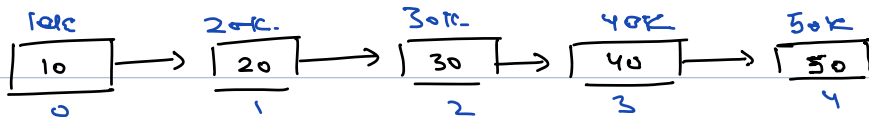
^{→ 80k}
 node nn = new node(80);
 nn.next = head ✓
 head = nn

^{→ 10k}
 node insertAtK (node head, int v, int p) {
 |
 | node nn = new node(v);
 | if (p == 0) {
 | | nn.next = head
 | | head = nn
 | | return head;
 | | node temp = head;
 | | for (i = 1; i <= p - 1; i++) {
 | | | temp = temp.next;
 | | }
 | | nn.next = temp.next;
 | | temp.next = nn;
 | | return head;
 | }
 }

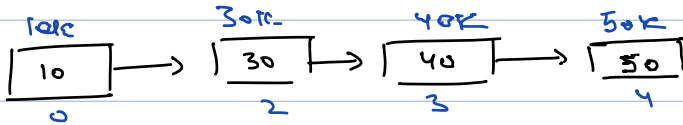
T.C = $O(P)$ (worst $O(n)$)

// Dry run insert at last.

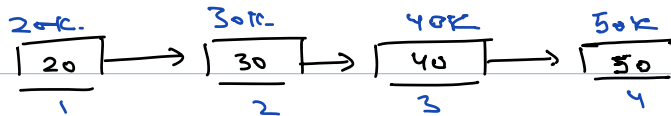
Ques Deletion in a LL.



e.g.1) $x = 20$

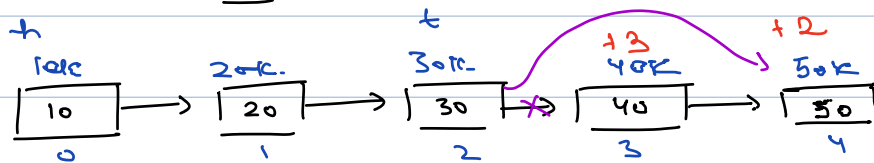


e.g.2) $x = 10$



Soln

$x = 40$



Node temp = head

while (temp != null) {

```
    if (temp->data == x) {
        temp3 = temp->next;
        temp2 = temp->next->next;
        temp->next = temp2;
        free(temp3); // C++
        return head;
    }
    temp = temp->next;
}
```


node delete (node head, 'int x') {

if (head->data == x) {

head = head->next;
return head;

Node temp = head

while (temp->next != null) {

if (temp->next->data == x) {

temp3 = temp->next;

temp2 = temp->next->next;

temp->next = temp2;

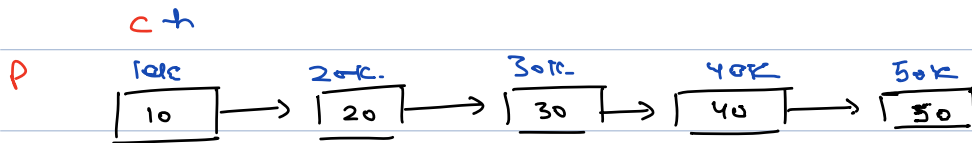
free(temp3); // C++

return head;

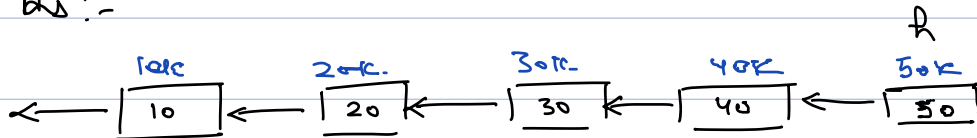
temp = temp->next;

T.C $\rightarrow O(n)$

Reverse a LL

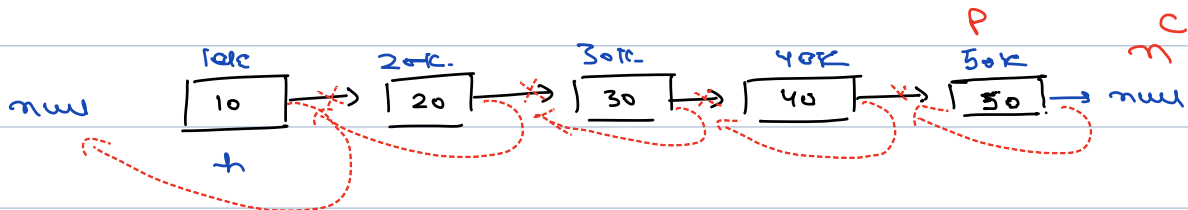


Ans:-



Soln :-

curr
prev



node reverse (node head) {

node c = head;
node p = null;

while (c != null) {

node next = c.next

c.next = p;

p = c;

c = next;

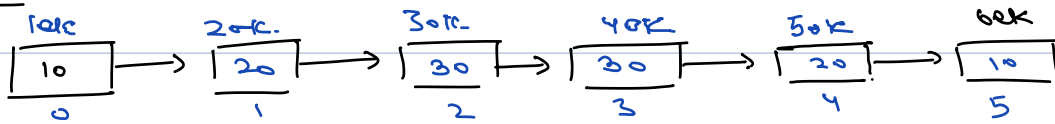
head = p; // skip & return p directly,
return h;

T.C $\rightarrow O(n)$

S.C $\rightarrow O(1)$

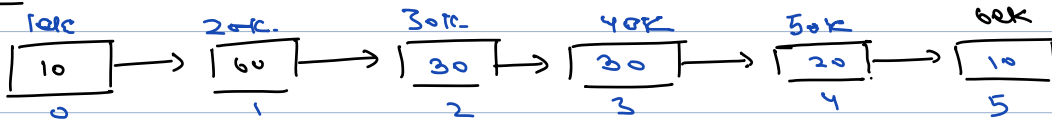
Ques Given a LL, check if it is palindrome.

e.g 1



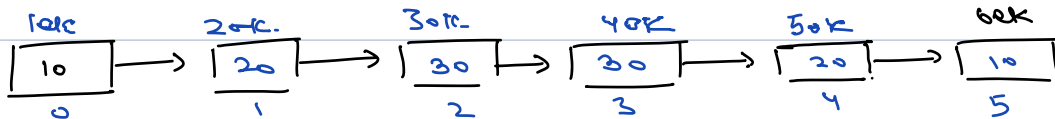
Ans True

e.g 2



Ans false.

Soln :-

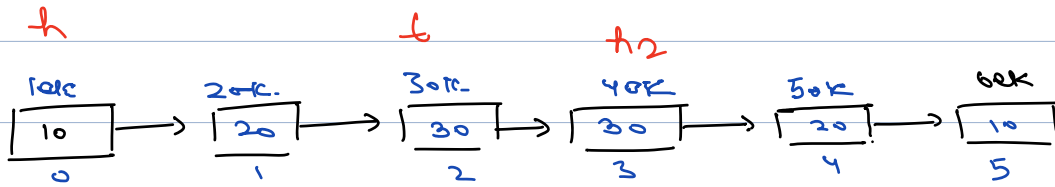


Soln :-

- 1) Create a copy of LL.
- 2) Reverse it
- 3) Compare

T.C $\rightarrow O(n)$

S.C $\rightarrow O(n)$



Step-1:-

find len of ll.

```

n = 0;
temp = head;
while (temp != null) {
    n++;
    temp = temp.next;
}
  
```

// $n = 6$

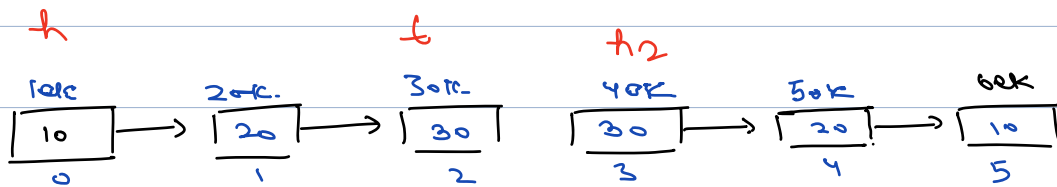
int halfLen = $n/2$;

```

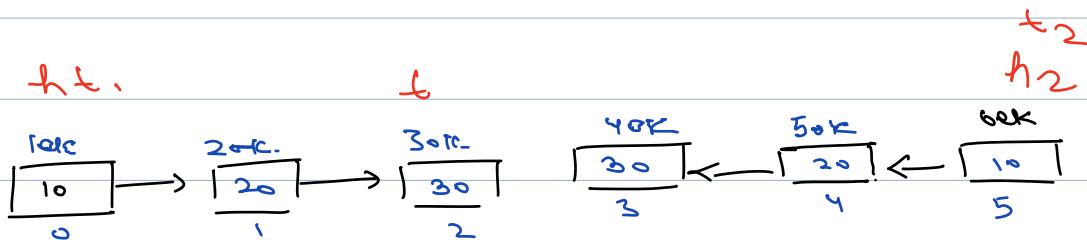
Node temp = head;
for (i = 0; i < halfLen - 1; i++) {
    temp = temp.next;
}
  
```

```

Node head2 = temp.next;
temp.next = null;
  
```



head2 = reverse(head2);



node t1 = h1, node t2 = h2

while (t1 != null && t2 != null) {

if (t1.data != t2.data) {

return false;

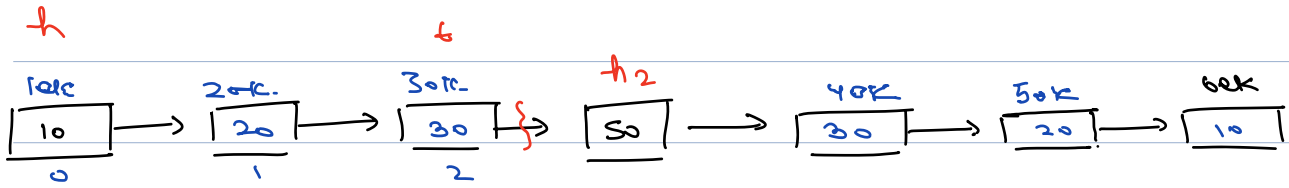
t1 = t1.next;

t2 = t2.next;

return true;

T.C $\rightarrow O(n)$

S.C $\rightarrow O(1)$



① $n = 7$

② half len = 3

Note :- while trying Palindrome problem,
change LL back to how it was
originally.

人 心 二