```
k = 7
           TraditionalForm[equation1 = \{y'[t] + y[t] * k == 0\}]
           TraditionalForm[charaEq1 = \{x + k * x == 0\}]
           TraditionalForm[Solve[charaEq1, x]]
           TraditionalForm[DSolve[equation1, y, t]]
           TraditionalForm[init1 = \{y[0] == 3\}]
           TraditionalForm[DSolve[{equation1, init1}, y, t]]
Out[0]=
           7
Out[•]//TraditionalForm=
           {y'(t) + 7 y(t) = 0}
Out[•]//TraditionalForm=
           \{8 \ x = 0\}
Out[•]//TraditionalForm=
           \{\{x \rightarrow 0\}\}\
Out[•]//TraditionalForm=
           \left\{\left\{y\rightarrow\left(\left\{t\right\}\longmapsto c_{1}\,e^{-7\,t}\right)\right\}\right\}
Out[]]//TraditionalForm=
          {y(0) = 3}
Out[*]//TraditionalForm= \left\{\left\{y\rightarrow\left(\{t\}\longmapsto3\;e^{-7\;t}\right)\right\}\right\}
           TraditionalForm[equation2 = \{y''[t] + (k+1) * y'[t] + k * y[t] == 0\}]
           TraditionalForm[charaEq2 = \{x^2 + (k+1) * x + k == 0\}]
           TraditionalForm[Solve[charaEq2]]
           TraditionalForm[DSolve[equation2, y, t]]
           TraditionalForm[init2 = \{y[0] = 4, y'[0] = -1\}]
           TraditionalForm[DSolve[{equation2, init2}, y, t]]
Out[•]//TraditionalForm=
           {y''(t) + 8 y'(t) + 7 y(t) = 0}
Out[•]//TraditionalForm=
           \{x^2 + 8x + 7 = 0\}
Out[•]//TraditionalForm=
           \{\{x \to -7\}, \{x \to -1\}\}\
Out[\circ]//TraditionalForm= \left\{\left\{y \to \left(\left\{t\right\} \longmapsto c_1 \ e^{-7 \ t} + c_2 \ e^{-t}\right)\right\}\right\}
Out[•]//TraditionalForm=
           {y(0) = 4, y'(0) = -1}
          \left\{ \left\{ y \rightarrow \left( \{t\} \longmapsto \frac{1}{2} e^{-7t} \left( 9 e^{6t} - 1 \right) \right) \right\} \right\}
```

Remove[a, x, y, lambda]

```
TraditionalForm[equation3 = \{y''[t] + k^2 * y[t] == 0\}]
         TraditionalForm[charaEq3 = \{x^2 + k^2 = 0\}]
         TraditionalForm[Solve[charaEq3, x]]
         TraditionalForm[DSolve[equation3, y, t]]
         TraditionalForm[init3 = \{y[0] = 0, y'[0] = k\}]
         TraditionalForm[DSolve[{equation3, init3}, y, t]]
Out[•]//TraditionalForm=
         \{y''(t) + 49 \ y(t) = 0\}
Out[•]//TraditionalForm=
         \{x^2 + 49 = 0\}
Out[•]//TraditionalForm=
         \{\{x \to -7 \ i\}, \ \{x \to 7 \ i\}\}\
Out[]]//TraditionalForm=
         \{\{y \to (\{t\} \longmapsto c_1 \cos(7 t) + c_2 \sin(7 t))\}\}
Out[•]//TraditionalForm=
         {y(0) = 0, y'(0) = 7}
Out[•]//TraditionalForm=
         \{\{y \rightarrow (\{t\} \longmapsto \sin(7\ t))\}\}\
         TraditionalForm[equation4 = \{y''[t] + 4 * y'[t] + 13 * y[t] = 0\}]
         TraditionalForm[charaEq4 = \{x^2 + 4 * x + 13 == 0\}]
         TraditionalForm[Solve[charaEq4, x]]
         TraditionalForm[DSolve[equation4, y, t]]
         TraditionalForm[init4 = \{y[0] = 2 * k, y'[0] = -k\}]
         TraditionalForm[DSolve[{equation4, init4}, y, t]]
Out[•]//TraditionalForm=
         {y''(t) + 4 y'(t) + 13 y(t) = 0}
Out[]]//TraditionalForm=
         {x^2 + 4x + 13 = 0}
Out[•]//TraditionalForm=
         \{\{x \rightarrow -2 - 3 i\}, \{x \rightarrow -2 + 3 i\}\}\
Out[•]//TraditionalForm=
         \{ \{ y \to (\{t\} \mapsto c_2 e^{-2t} \cos(3t) + c_1 e^{-2t} \sin(3t)) \} \}
Out[•]//TraditionalForm=
         {y(0) = 14, y'(0) = -7}
Out[]]//TraditionalForm=
         \{\{y \to (\{t\} \mapsto 7 e^{-2t} (\sin(3t) + 2\cos(3t)))\}\}
```

TraditionalForm[Solve[lambda^2 + a * lambda + k == 0, lambda]]

TraditionalForm[Solve[lambda^2 + a * lambda + k == 0, a]]

 $ComplexPlot3D[(-p^2-8) / p, \{p, -10-10*Sqrt[2] I, 10+10 I\}, PlotLegends \rightarrow Automatic]$

TraditionalForm[Solve[- (lambda^2 + 8) == 0]]

TraditionalForm[DSolve[y''[t] + a * y'[t] + k * y[t] == 0, y, t]]

TraditionalForm[DSolve[y''[t] + k * y[t] == 0, y, t]]

a = Sqrt[28]

 $Traditional Form[DSolve[\{y''[t] + a * y'[t] + k * y[t] == 0, y[0] == 1, y'[0] == 0\}, y, t]]$

a = Sqrt[20]

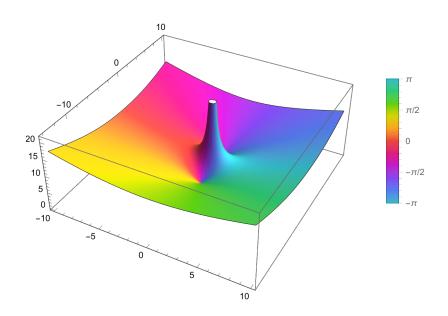
 $Traditional Form [DSolve[\{y''[t] + a * y'[t] + k * y[t] == 0, y[0] == 1, y'[0] == 0\}, y, t]]$ a = Sqrt[36]

 $Traditional Form[DSolve[\{y''[t] + a * y'[t] + k * y[t] == 0, y[0] == 1, y'[0] == 0\}, y, t]]$

$$\left\{\left\{\operatorname{lambda} \rightarrow \frac{1}{2}\left(-\sqrt{a^2-28}-a\right)\right\},\,\left\{\operatorname{lambda} \rightarrow \frac{1}{2}\left(\sqrt{a^2-28}-a\right)\right\}\right\}$$

$$\left\{ \left\{ a \to \frac{-\mathrm{lambda}^2 - 7}{\mathrm{lambda}} \right\} \right\}$$

Out[0]=



Out[•]//TraditionalForm=

$$\{\{\text{lambda} \rightarrow -2 \ i \ \sqrt{2}\}, \{\text{lambda} \rightarrow 2 \ i \ \sqrt{2}\}\}$$

$$\begin{aligned} & \text{Out[*]//TraditionalForm=} \\ & \left\{ \left\{ y \rightarrow \left(\{t\} \longmapsto c_1 \ e^{\frac{1}{2} \left(-\sqrt{a^2-28} - a \right)t} + c_2 \ e^{\frac{1}{2} \left(\sqrt{a^2-28} - a \right)t} \right) \right\} \right\} \end{aligned}$$

Out[•]//TraditionalForm=

$$\{\{y \to (\{t\} \longmapsto c_1 \cos(\sqrt{7} \ t) + c_2 \sin(\sqrt{7} \ t))\}\}$$

Out[0]=

2
$$\sqrt{7}$$

Out[•]//TraditionalForm=

$$\left\{ \left\{ y \to \left(\{t\} \longmapsto e^{-\sqrt{7} t} \left(\sqrt{7} t + 1 \right) \right) \right\} \right\}$$

4 |

Out[*]//TraditionalForm=
$$\left\{ \left\{ y \to \left[\{t\} \longmapsto \frac{1}{2} \ e^{-\sqrt{5} \ t} \left(\sqrt{10} \ \sin \left(\sqrt{2} \ t \right) + 2 \cos \left(\sqrt{2} \ t \right) \right) \right] \right\} \right\}$$

Out[0]=

Out[•]//TraditionalForm=

$$\left\{ \left\{ y \to \left(\{t\} \longmapsto \frac{1}{4} \left(2 \; e^{\left(-3 - \sqrt{2} \, \right) t} - 3 \; \sqrt{2} \; e^{\left(-3 - \sqrt{2} \, \right) t} + 2 \; e^{\left(\sqrt{2} \, -3 \right) t} + 3 \; \sqrt{2} \; e^{\left(\sqrt{2} \, -3 \right) t} \right) \right\} \right\}$$