# COMP 502 - Neural Machine Learning I

### Prashant Kalvapalle, Ragib Mostofa

#### Homework IV

## 1 Neural Network Parameters

Table 1: Parameters of Training BP Network to Fit f(x) = 1/x

Network parameters	
Topology Transfer function Learning parameters	$(1+1_{Bias})$ — $(10+1_{Bias})$ — 1 Hyperbolic Tangent Function with slope of 1
Initial weights Learning rate $(\alpha)$ Momentum Epoch size $(Epoch)$ Stopping criteria Error measure $(Err_{stop})$	drawn from U[-0.1, 0.1] constant at 0.05. none 200 error $(Err_{stop}) \leq 0.08$ OR learn count (t) $> 500,000$ $  D-y  $ averaged over all training samples (see formula (1) below)
Input / output data, representation, scaling	
# training samples $(N_{tr})$ # test samples $(N_{tst})$ Scaling of inputs Scaling of outputs	200 (x values drawn randomly from U[0.1,1]) 100 (x values drawn randomly from U[0.1,1]) No scaling since the inputs range from 0.1 to 1.0 map [global min, global max] to [0,1.0]
Parameters and error measures for performance evaluation	
Error of fit $(Err_{fit})$ # learn steps performed	Root Mean Square Error (RMSE), over all samples, at a given learn count, see formula (2) Threshold was reached after 65,650 learning steps at an error of 0.79
Learning rate at end Monitoring frequency $(m)$	0.05 (No decay or momentum was implemented) 1,200 learning steps

## 2 Performance Testing

We use the Root Mean Square Error in order to test the performance of the network. The formula for the error is

$$E_{total} = \sqrt{\sum_{k=1}^{N} e^k} \tag{1}$$

where  $e_k = D_k - y_k$  We calculate this error after every m steps (where m = 120, in our case) over all training inputs or patterns to trace the performance of the network over time. The network uses 600000 iterations and converges to a final RMS error of around 0.2114. The learning curve and the fits have been shown on the next page.