

$\text{prod}(X, 0, 0).$

$\text{prod}(X, s(Y), Z) :- \text{prod}(X, Y, W), \text{sum}(X, W, Z).$

- Non practicable...

$:- T \text{ is } 5+3.$
Yes, $T=8.$

$:- X \text{ is } 5, T \text{ is } 5+X.$

what happens is:

$:- \text{is}(X, 3), \text{is}(T, +(5, X)).$

$:- X/3, \text{is}(T, +(5, X)).$

$:- \text{is}(T, +(5, 3)).$

$:- \text{is}(T, 8).$

$:- T/8$



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Evaluation of expressions

However, when we write an expression, we would like to have it evaluated...

- Special pre-defined predicate is.

$T \text{ is Expr}$

$(\text{is}(T, \text{Expr}))$

- T can be a numerical atom or a variable

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- where REL is a relational operator, and Expr1 and Expr2 are expressions
- Expr1 and Expr2 are evaluated: Mind it! They both have to be completely instantiated.
- The results are then compared on the basis of REL

Do a program that receives N as input, and prints N times "Hello world!"

↳ recursive calls

chesani(0.)

chesani(N): -

print('Hello world'), nl,

$N1$ is $N-1$,

chesani($N1$).

↗ newline

↘ predicate of arity 0

↖ instead of this works also

write

↗ last \Rightarrow tail-recursive

Iteration and recursion in Prolog

- In Prolog there is no iteration (no while, for, repeat...)

- ... as a concept, exchanged and exploited in diff
- There are several pre-defined pr to deal with these structures, and

```
p(father(federico, francesco)).
p(father(federico, chiara)).
female(chiara)
test(x):-
```

} KB

```
    p(father(X,Y)),
    female(Y).
```

father in
as

```
father(X,Y):-son(Y,X).
son(francesco, federico).
```

```
test_if_x_is_father(X):-
```

```
    p(father(X,Y)),
    call(son(X,Y)).
```

passed as a term

```
test2(X):-
```

```
    p(X), call(X).
```

↓
call all the term unified
with X from

interpreted as

p(a).

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When exec

a procedural

all is evaluated
al2, is evaluated

p(1).
p(2).
p(3).
p(4).
p(5).
p(6).
p(a).
q(x):-

integer(x),
write(x),
write(' is an integer'), nl.

q(x):- \+ integer(x),
write(x),
write(' is not an integer').



iterate.

. Apply a predicate

ne):

output:

1 is an integer
2 " " "
3 " " "
4 " " "
5 " " "
6 " " "
a IS NOT an integer

othw:

?-: p(x), q(x).

because * will pick
just the first instance of p(x)
→ So we can iterate!

- **fail** takes no arguments
- Its evaluation always fails
- As a consequence, it forces other alternatives...
- ... in other words, it **explicitly backtracking**
- Why on the earth should v proof?
 - To obtain some form of iteration
 - To implement the negation
 - To implement a logical imp

The fail predicate – the ne

- Implement the negation of predicate **not (P)**
- **not (P)** is true if **P** is not a program

not(P) :- call(P), !,
not(P).

should ask
next solution
with ";".

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if I wrote

+

test (Body) : - clause (q(-x,-y), Body).

?- test (Body).

Body = (p(-6020), r(a));

Body = d(-6020).



We can inspect
our program
through clause!

p(1). is
a fact \Rightarrow p(1) : - True

Other

- Mod hug
- To lo use

- Exa :- u load

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Return true if the sentence can be derived by our grammar.
 ? - phrase(e, [a, +, +, a]).
 false.

when DCGBody applies to List.



sentence, and determines if it is or not.

construct the parse tree (indeed, a branch of success)

the tree and reuse it?

→ SLD resolution tree

have arguments, that will be

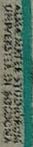
args

parameters are

fully control of the abstract

process

can be called in the right part



? - string-codes ("1+5", Codes), phrase(e(x, Code)).
 Codes = [49, 43, 53],
 X = ~~49, 43, 53~~.

infinite # of sentence

article --> [the].
 article --> [a].
 name --> [dog].
 name --> [cat].
 verb --> [loves].
 verb --> [eats].

? - phrase(sentence, [the, cat, eats, the, dog]).
 true.

? - phrase(sentence, X).
 X = [the, dog, loves, the, dog];
 X = [the, dog, loves, the, dog, that, loves, the, dog];

DCG - Example - parsing integer expressions...

Simple grammar that allow one digit mathem expression

$G = (V_n, V_t, P, S)$

$V_n = \{E, T\}$

$V_t = \{+, \text{digit}\}$

$P = \{$

"+"

can be

used instead

of [+]

$E ::= T "+" E$

$E ::= T "-" E$

$E ::= T$

$T ::= \text{factor} "T" T$

$T ::= \text{factor} "/" T$

$T ::= \text{factor}$

$\text{factor} ::= \text{digit}$

$\text{factor} ::= "(" E ")"$

Before no argument!

→ there are terms

$e(\text{plus}(Op1, Op2)) \rightarrow t(Op1), \text{plus_sign}, e(Op2).$
 $e(\text{minus}(Op1, Op2)) \rightarrow t(Op1), \text{minus_sign}, e(Op2).$
 $e(Op) \rightarrow t(Op).$

$t(\text{mult}(Op1, Op2)) \rightarrow \text{factor}(Op1), \text{mult_sign}, t(Op2).$
 $t(\text{div}(Op1, Op2)) \rightarrow \text{factor}(Op1), \text{div_sign}, t(Op2).$
 $t(Op) \rightarrow \text{factor}(Op).$

$\text{factor}(X) \rightarrow \text{digit}(\text{Code}), [\text{number_string}(X, [\text{Code}])].$
 $\text{factor} ::= "(" E ")"$

$\text{digit}(\text{Digit}) \rightarrow [\text{Digit}], \{ \text{char_code}('0', \text{Zero}), \text{char_code}('9', \text{Nine}), \text{Zero} \leq \text{Digit}, \text{Digit} \leq \text{Nine} \}.$

$\text{plus_sign} \rightarrow "+".$
 $\text{minus_sign} \rightarrow "-".$
 $\text{mult_sign} \rightarrow "*".$
 $\text{div_sign} \rightarrow "/".$

transform into ASCII

char-code gets

of

? - string-codes ("2", Codes), phrase(e(x, Codes)).
 Codes = [49]
 X = 2.

?- Term = ..[boh].

Term = boh.

?- Term = ..[boh, 1].

Term = boh(1).

?- Term = ..[father, mario,
aldo], call(Term).

Term = father(mario,
aldo).

?- boh(p, q(f(r(1)))) = .. L.

L = [boh, p,
q(f(r(1)))].

Accessing

- Term =

[SWI do

- List is
remo

- Eithe

?- foo(h

List =

?- Term

Term = b